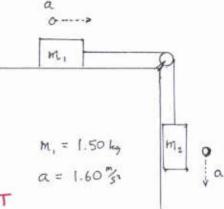
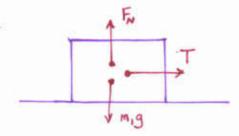
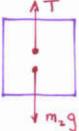
Phys 121 Quiz #2 — Spring 2001

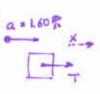
- Two masses are connected by a string which passes over an ideal pulley. One mass slides on a level frictionless surface and the other hangs vertically from the string. The acceleration of the masses is $1.60\frac{m}{c^2}$. The mass which moves horizontally is $m_1 = 1.50$ kg.
- a) Draw ("free-body") diagrams showing all the forces acting on each of the two masses. These diagrams will be of use to you for questions about the forces...



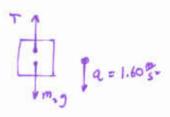




b) Find the tension in the string. (The force diagram for m_1 will help here.)



c) Find the value of the hanging mass, m₂. (The force diagram for m₂ will help here.)

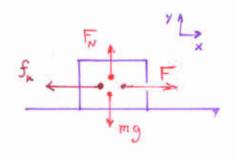


$$m_{2}(g-a) = T$$
 $m_{1} = \frac{T}{(g-a)} = \frac{2.4 \text{ N}}{(9.80\% - 1.60\%)} = \frac{1}{(9.80\% - 1.60\%)}$

2. A 22.0 kg box is dragged over a level floor by an applied horizontal force F. The coefficient of kinetic friction (for box and floor) is 0.340.

The box moves with constant acceleration $2.30\frac{m}{2}$. What is F? A diagram of the forces acting on the box may help YOU ...

No not force in y direction, so Fu = mg = (22.04)(9.80%) = 216 N N's 2nd law for dir gres: F-f_ = ma . But f_ = M_ F_ = M_ mg . >0

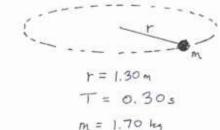


F- umq = ma, and then

A 1.70 kg mass is swung in a horizontal circle at the end of a 1.30 m-long string. It makes one revolution every 0.300 s.

a) Find the speed of the mass.

$$V = \frac{2\pi\Gamma}{\Gamma} = \frac{2\pi(1.30 \text{ m})}{(0.300 \text{ s})} = 27.2 \frac{9}{3}$$



b) Find the tension in the string.

Tension in the string is equal to the centripotal force on the mass, so $T = F_c = \frac{mv^2}{r} = \frac{(1.70 \text{ M})(27.2\%)}{(1.30 \text{ M})} = \frac{969 \text{ N}}{}$

You must show all your work and include the right units with your answers!

$$g = 9.8 \frac{\text{m}}{\text{s}^2} \qquad 1 \text{ m} = 100 \text{ cm} \qquad 1 \text{ kg} = 1000 \text{ g}$$

$$v = v_0 + at \qquad x = v_0 t + \frac{1}{2} a t^2 \qquad v^2 = v_0^2 + 2ax \qquad x = \frac{1}{2} (v_0 + v) t$$

$$\mathbf{F} = m \mathbf{a} \qquad a_c = \frac{v^2}{r} \qquad F_c = \frac{m v^2}{r} \qquad C = 2\pi R$$