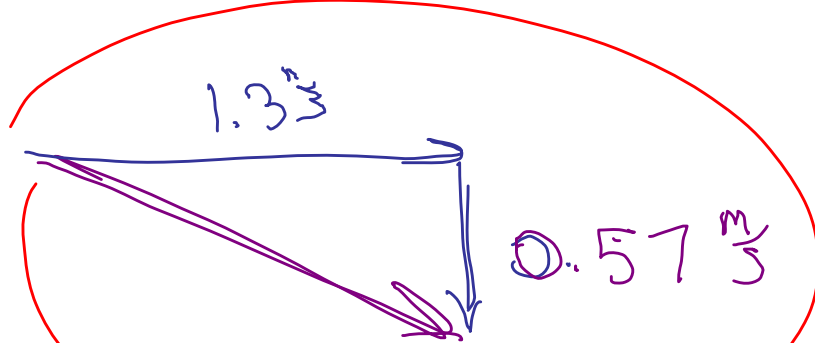


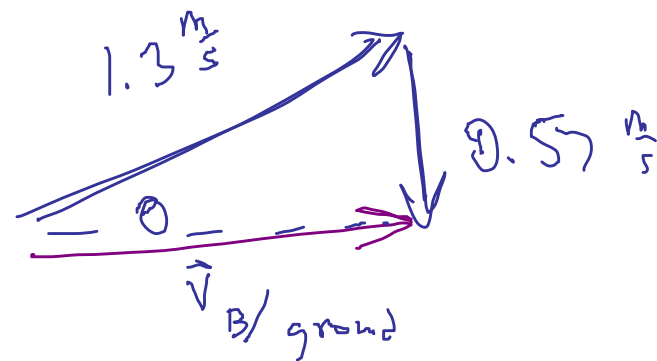
Relative motion:

$$\vec{V}_{A/C} = \vec{V}_{A/B} + \vec{V}_{B/C}$$

3.27 ... row str acr. 63-m wide river.  
You can row at steady speed  $1.3 \frac{m}{s}$   
relative to water & river flows at  
 $0.57 \frac{m}{s}$ . a) What dir you head? b) How long it  
take cross river?



~~Don't do this.~~



a)  $26.0^\circ$

b)  $v_{B/gr} = 1.17 \frac{m}{s}$

time it takes,

$$d = vt$$

$$t = \frac{d}{v} = \frac{63 \text{ m}}{1.17 \frac{m}{s}} = 53.9 \text{ s}$$

3.26 You're a pilot... 1500 km flight

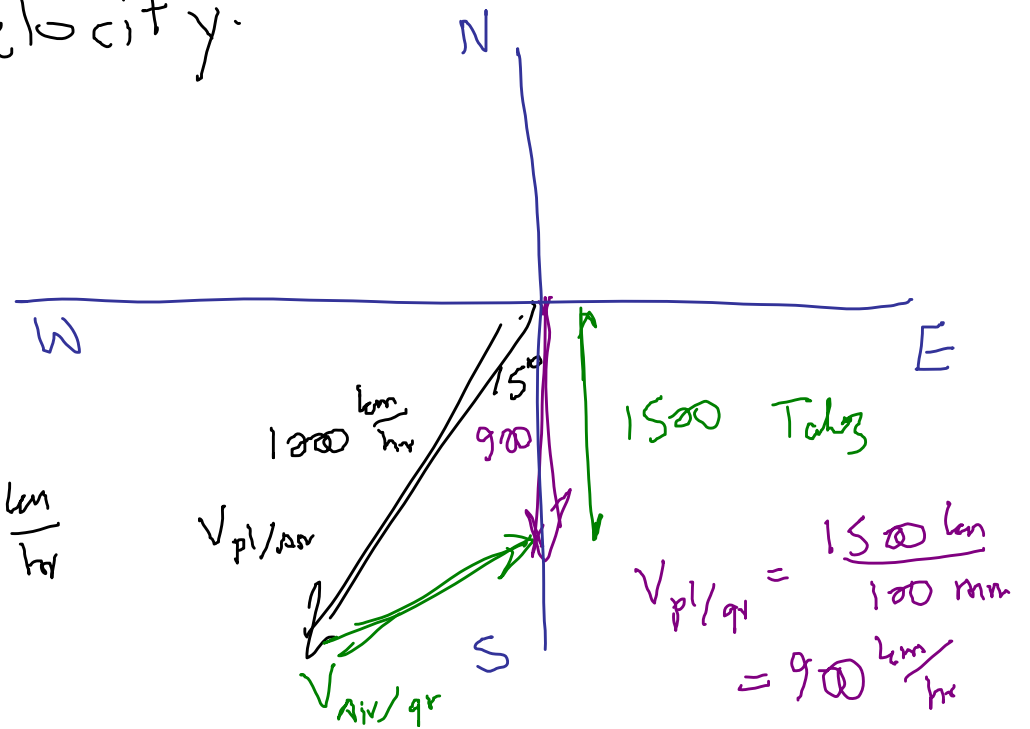
Plane's speed is 1000 km/h. You are told to head 15° west of south, to maintain southward course. If flight takes 100 min, what's wind velocity.

Draw vectors as shown

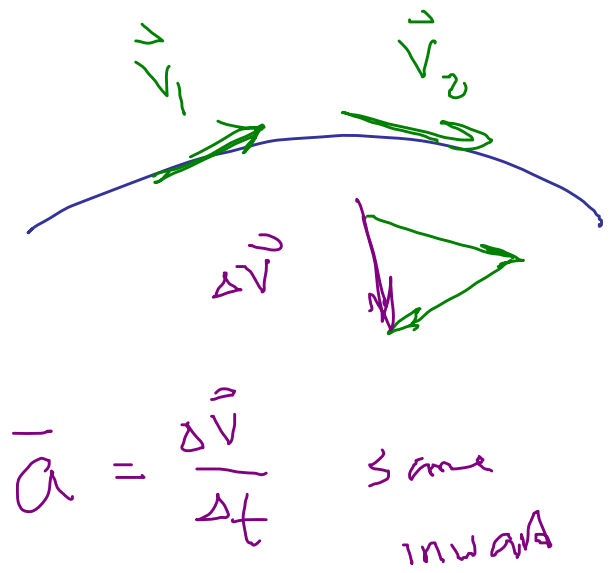
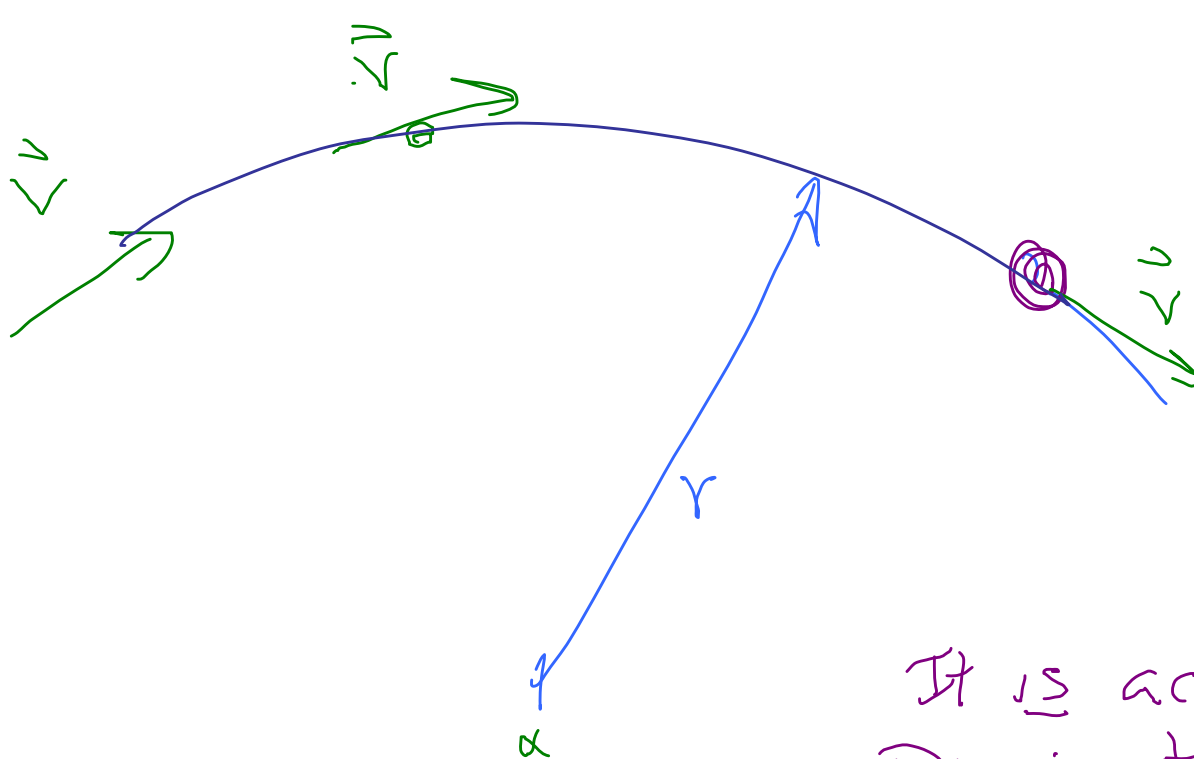
Find  $\vec{V}_{\text{air/gr}}$  ~~components~~

$$= +259 \hat{i} \frac{\text{km}}{\text{h}} + 65.9 \hat{j} \frac{\text{km}}{\text{h}}$$

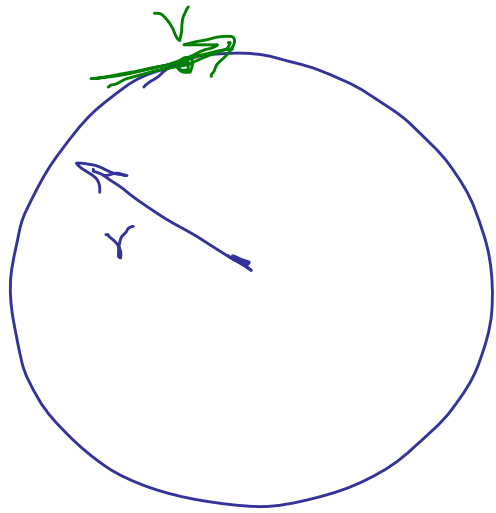
etc.



# Uniform cir motion



It is acc'ing.  
Dir is toward center.  
What's the magnitude.



$v$  is constant

$T$  = period of motion  
= time for one orbit

$$v = \frac{2\pi r}{T}$$

$$T = \frac{2\pi r}{v}$$

$$f = \text{frequency} = \frac{1}{T}$$

$$\omega = \frac{2\pi}{T} \quad \text{rad/s}$$

$$a = \frac{v^2}{r}$$

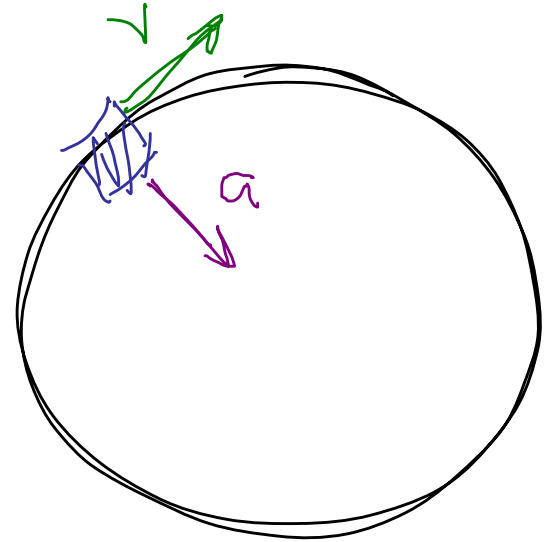
Toward center  
Centripetal acceleration.

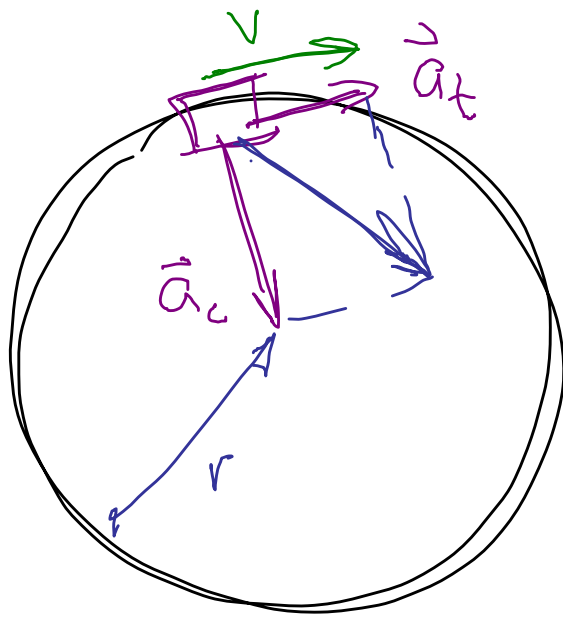
3.38 How fast would a car have to round  
75-m-radius turn for its acceleration  
to be numerically equal to that of  
gravity?

$$a = 9.8 \frac{\text{m}}{\text{s}^2}$$
$$= \frac{v^2}{r} \quad r = 75 \text{ m}$$

Find

$$v = 27.1 \frac{\text{m}}{\text{s}}$$



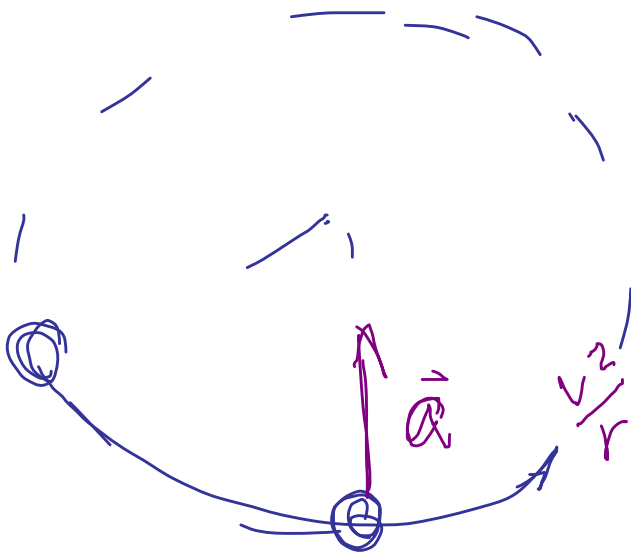


Suppose  $v$  is changing

$\vec{a}_c$  to center  $a_c = \frac{v^2}{r}$

$\vec{a}_t$  is tangential,

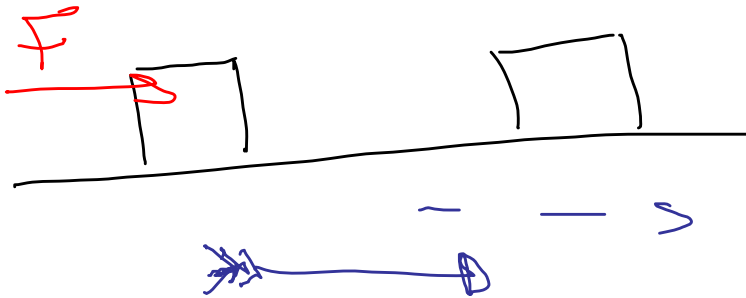
$$a_t = \frac{dv}{dt}$$



# Chap 4

## Reasons for motion

Old days, Aristotle



Force necessary to  
maintain motion



Nothing is necessary to maintain motion.  
Must exert force to change motion.

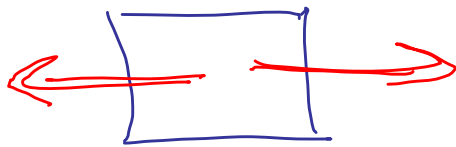


Isaac Newton

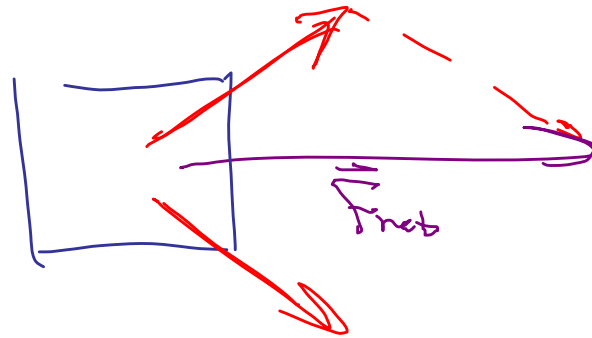
# 3 Laws of Motion

1<sup>st</sup> Law A body in uniform motion remains in uniform motion unless a (net) force acts on it.

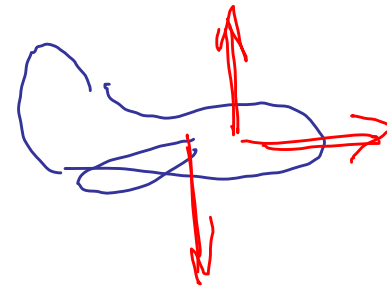
"Net" = total.

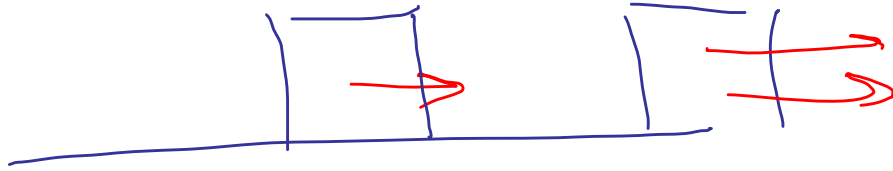


$F_{\text{net}} = 0$ , no accel.



Relation between  $\vec{F}$  and  $\vec{a}$ ?





More force, more accel.

$$a \propto F_{\text{net}}$$