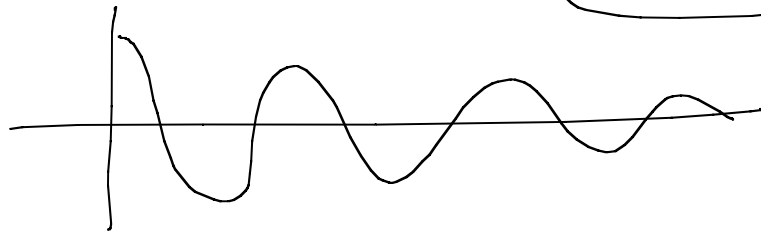
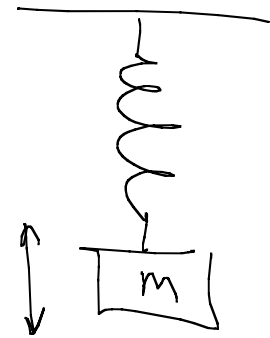
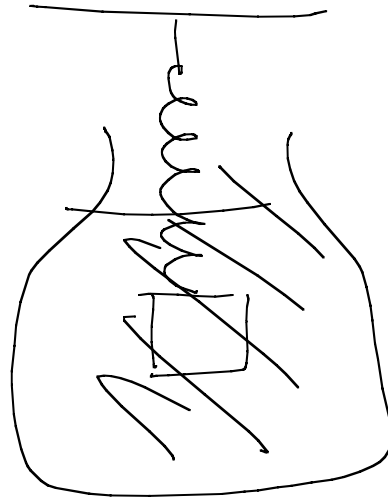


Chap 13

Damped h.o.

Friction force



Driving force

$$F(t) = F_0 \cos \omega_0 t$$

$$\omega \equiv \sqrt{k/m}$$

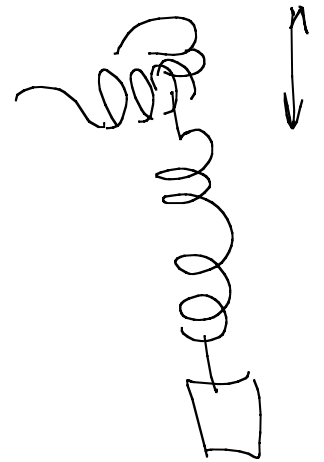
D.E.

$$m \frac{d^2 x}{dt^2} = -kx - b \frac{dx}{dt} + F_0 \cos \omega_0 t$$

Driving force can be accomplished:

"Resonance": Driving frequency
matches natural frequency,

Amplitude can be large ... G study
this.



Chap 14 Lots of material!
Wave motion: Class of phenomena
Waves on string, waves on water,
sound waves, light waves.

All of these transmit energy over long distances
Elastic medium has deformations of some kind,
result is a disturbance which travels
over long distances. That is the wave.

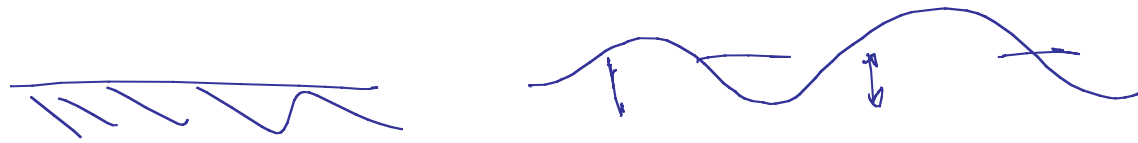
String:



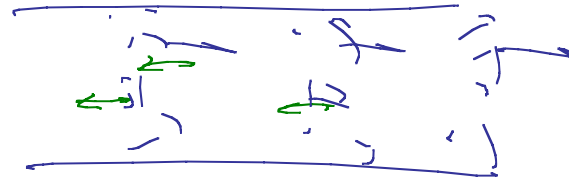
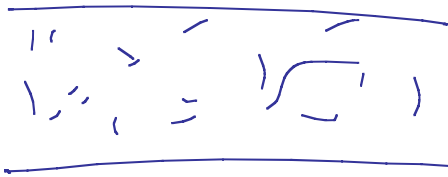
Different media.

Diff. kinds of disturbances.





water



sound

Stadium



people.

Mechanical waves

Next semester
(Math is similar in place)

Light wave

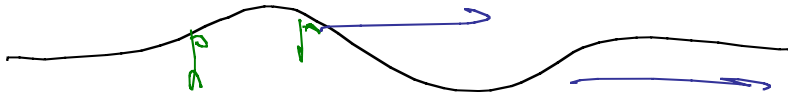
Disturbance in.. Maxwell 1867

Electric & Magnetic fields

Medium: "Ether"

1905 Einstein, relativity
→ No medium.

Waves in elastic medium



Two kinds

1) Transverse wave

Motion of medium is perp to wave motion
String. - Slinky

2) Longitudinal Wave

Motion of medium is along the wave motion
Slinky, Sound

Assumptions:

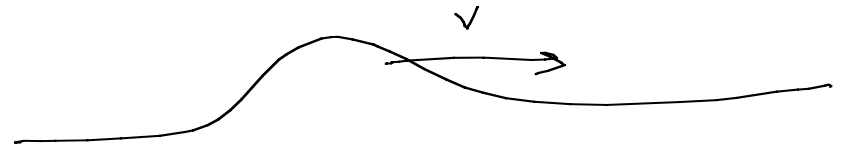
Wave keeps same
shape.

Idealization.

Speed is same for all wave.

Non-dispersive media.

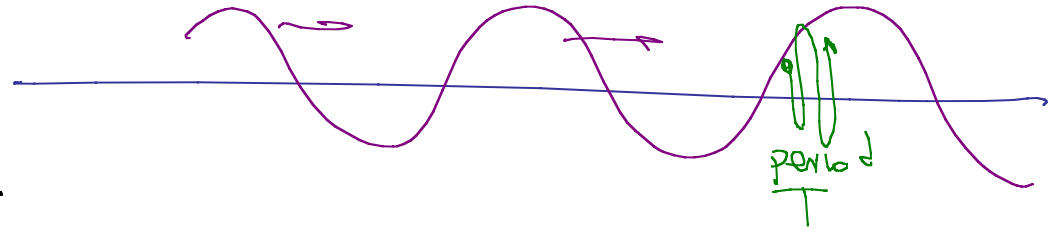
Often we deal with wave pulses



Finite extent.

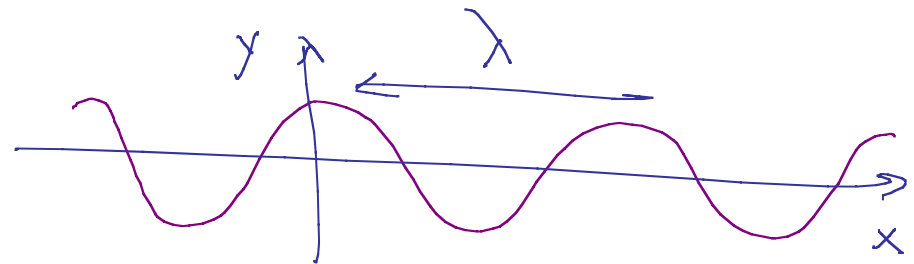
Or: Continuous Waves, Periodic

Repeats in
space & time.



Two ways to look at such a wave

Snapshot



λ = wave length of
wave

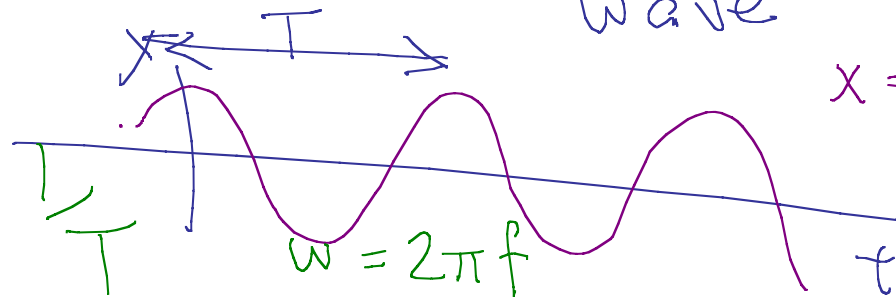
Fixed position

$x = 7.193 \text{ m}$

T = period.

$$f = \frac{1}{T}$$

$$\omega = 2\pi f$$



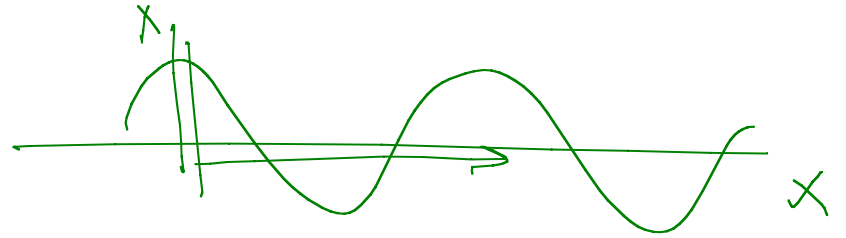
$$\lambda, T, f, \omega = 2\pi f$$

$$k = \frac{2\pi}{\lambda}$$

wave number

kx gives phase

for snapshot picture



$$k = \frac{1}{\lambda}$$