

Phys 2120-4 11/19/12

Note Title

11/19/2012

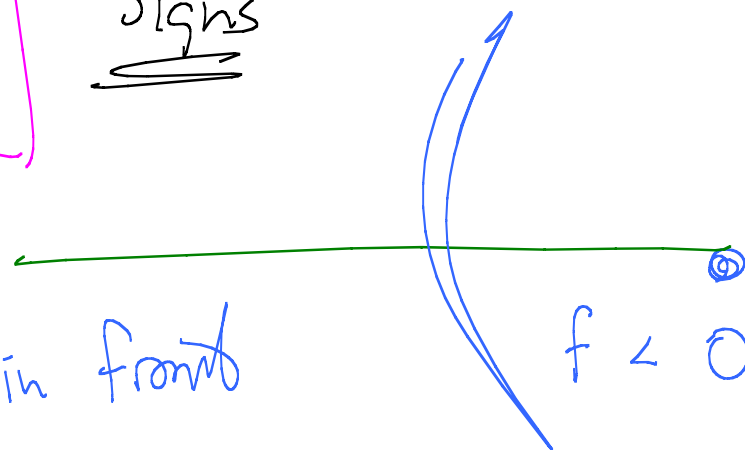
Mirrors:

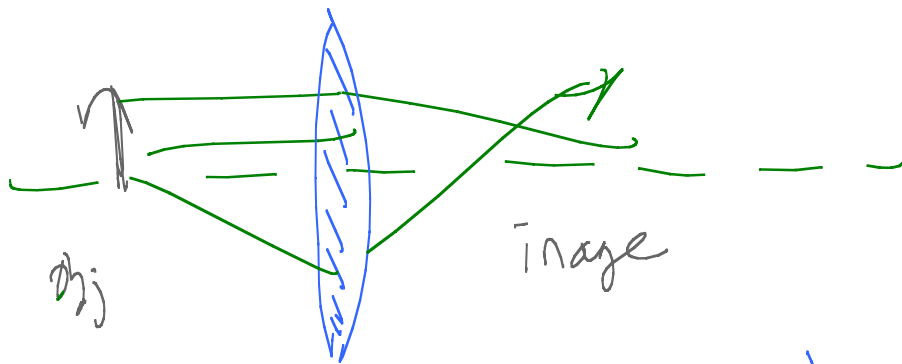
$$\frac{1}{s} + \frac{1}{s'} = \frac{1}{f}$$

Signs

s is pos, obj, in front

s' is pos if mag is in front





Lens is thin



Generally

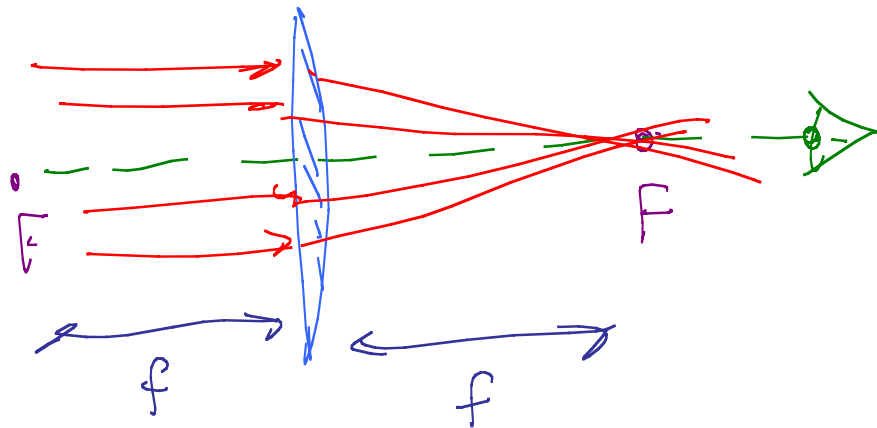
Fat have
diff curvatures
on surfaces



Can use effective or avg
radius of curvature

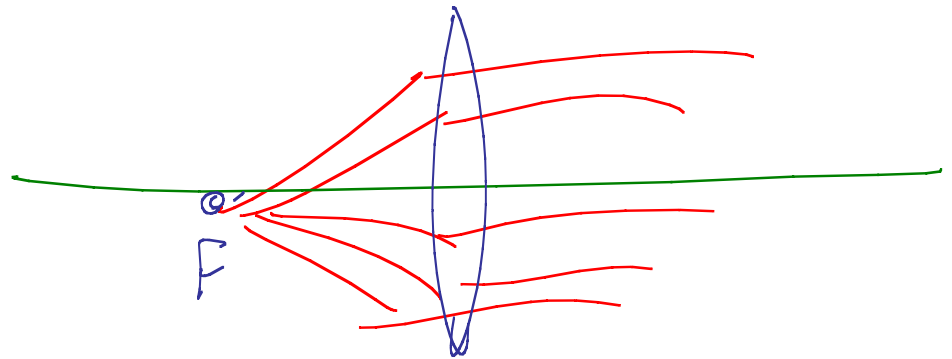
Avg focal length $f = \frac{1}{2} R$

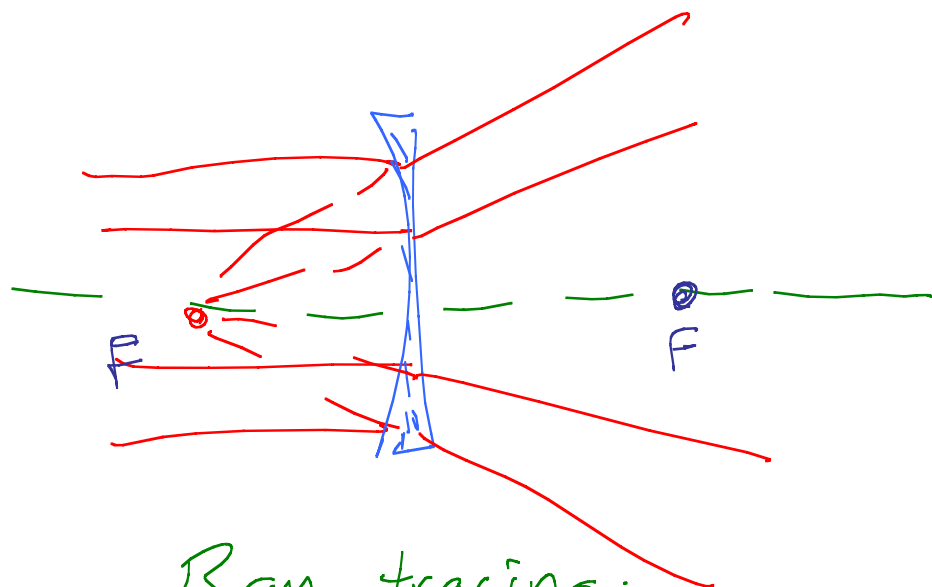
Two kinds of lenses



a) converging lens. ($f > 0$)

Parallel rays collapse
down to a point F





b) Diverging lens

Parallel rays come in
"diverge from" the focal
point.

Ray tracing:

- 1) Ray comes in parallel goes out on line thru focal point
- 2) Ray coming from focal point goes out parallel
- 3) Ray thru center of lens keep going!

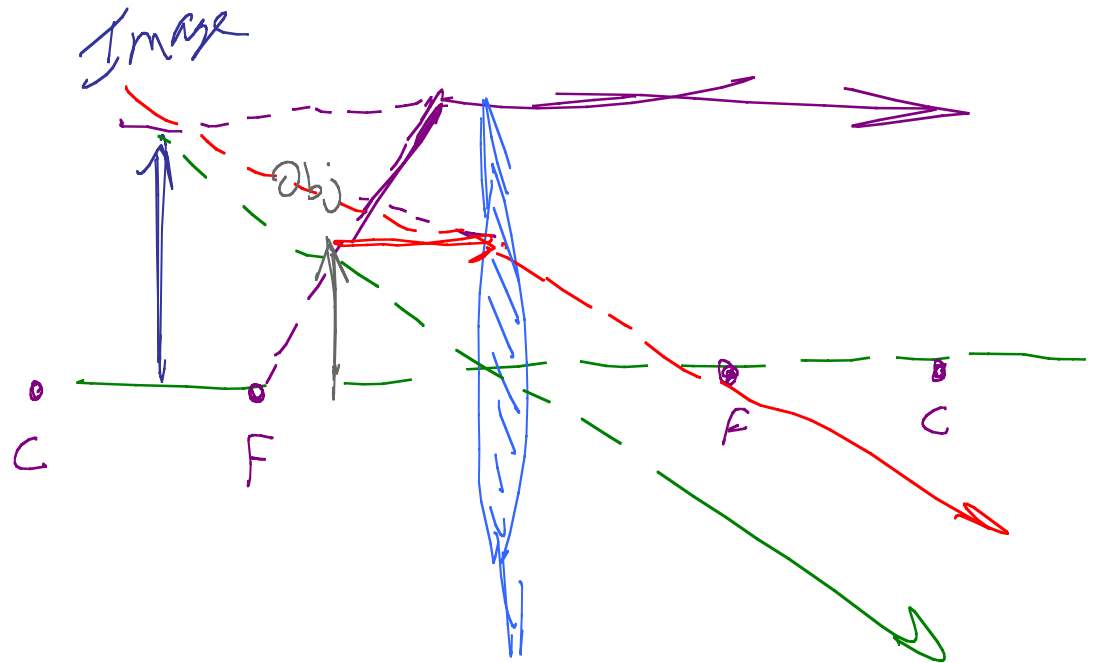
Converging Lens

a) Object near lens

Image is :

Upright, Virtual

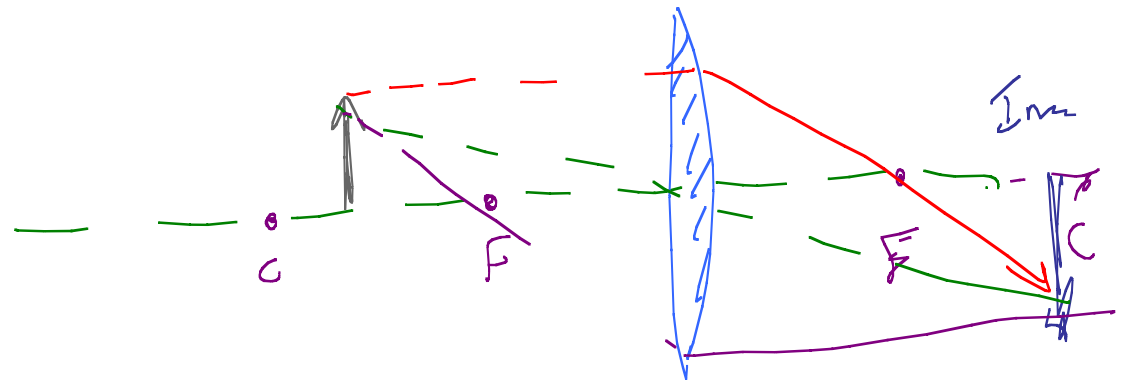
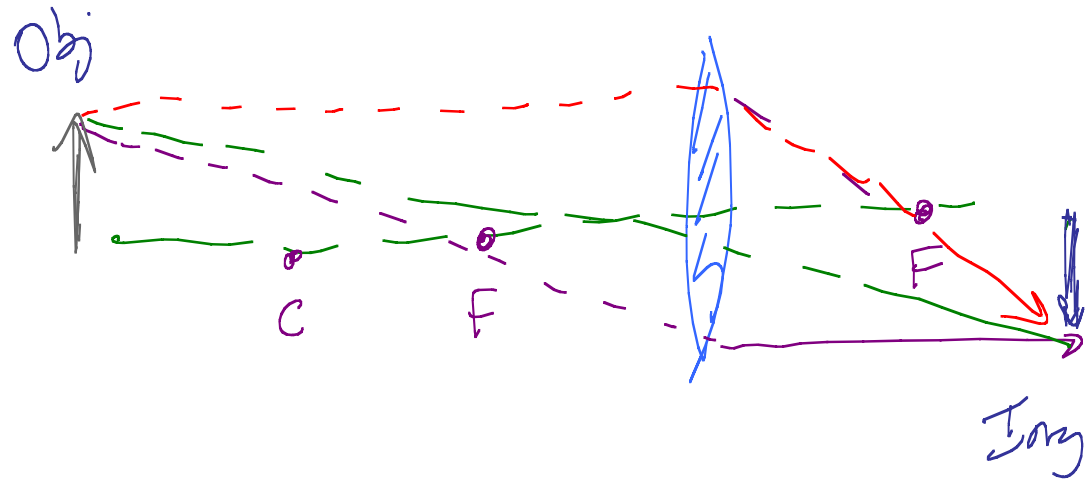
Bigger



Image's

Real smaller, inverted

Image is real, inverted



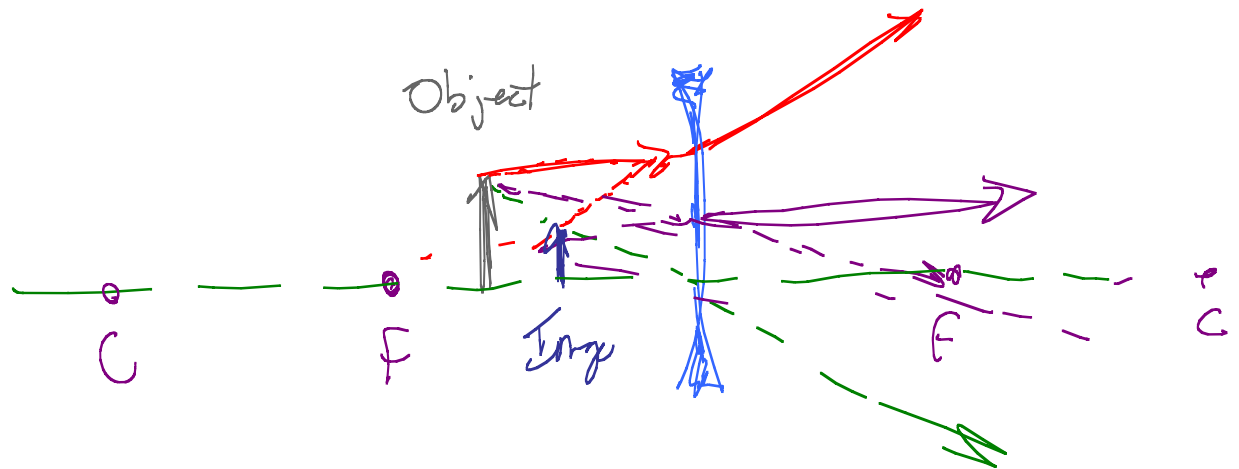
Diverging lens

Image:

Virtual,

Upright, smaller

Lens Equation



S = obj distance

+ if on left - if on right

S' = image distance

+ if on right - if on left



f is + if convex
converging

f - if concave
diverging

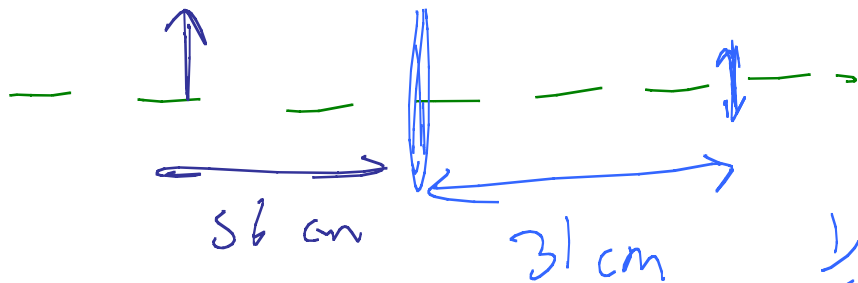
Always draw a picture

$$\frac{1}{s} + \frac{1}{s'} = \frac{1}{f}$$

31.22 A lightbulb 56 cm from convex lens.

Its image appears on a screen 31 cm from the lens and on other side. Find

a) Lens's focal length b) magnification.



f should be pos

$$s = 56 \text{ cm}$$

$$s' = 31 \text{ cm}$$

$$\frac{1}{s} + \frac{1}{s'} = \frac{1}{f}$$

$$f = 20.0 \text{ cm}$$

Magnification $m = \frac{h'}{h} = -\frac{s'}{s}$

$$m = -\frac{s'}{s} = -\frac{31 \text{ cm}}{56 \text{ cm}} = -0.55$$

31.23 By what factor is the image magnified for an object 1.5 focal lengths from converging lens? Is image upright or inverted?

$$\frac{1}{s} + \frac{1}{s'} = \frac{1}{f}$$

$$\frac{1}{1.5f} + \frac{1}{s'} = \frac{1}{f}$$

→
math

$$s' = 3f$$

$$m = -\frac{s'}{s} = \frac{-3f}{\frac{3}{2}f} = -2$$

Larger, inverted

Human eyeball

Muscles change
focal length of
lens.

