## ST340 Lab 7: Support vector machines

2019-20

Load package e1071:

```
if (!require("e1071")){
  install.packages("e1071")
  library("e1071")
}
```

(a) Run the following code, and then construct and plot an SVM with a quadratic kernel. What is its test set accuracy? (The code to answer this is on the lecture slides).

```
set.seed(1)
th=runif(100,-pi,pi)
y=sign(th)
x1=sin(th)-y/3+rnorm(100,sd=0.1)
x2=cos(th)+y/2+rnorm(100,sd=0.1)
plot(x2,x1,asp=1,col=(y+3)/2)
d <- data.frame(x1=x1,x2=x2,y=factor(y))</pre>
```

(b) Use leave-one-out-cross-validation to compare polynomial kernels. Write some code to perform a grid search over possible choices of parameters. For simplicity, fix c = 1 (coef0 = 1) and C = 1 (cost=1) and search over the remaining parameters  $\gamma$  and p and to select the model which is optimal in terms of cross-validation error. A suggested grid is:

```
p.range <- 1:10
gamma.range <- c(0.001,0.01,0.5,1,2,5,10)
```

(Hint: You do not need to write a function to compute the cross-validation error: look at the cross flag in ?svm. You can extract the accuracies of the cross-validation sets from an svm object s using s\$accuracies and s\$tot.accuracy.)

- (c) Repeat part (b) to choose a value of  $\gamma$  for the radial basis function.
- (d) Compare the performance of your chosen polynomial kernel and RBF kernel by simulating an independent test dataset and evaluating their accuracies: