







Online Shuffling for Online Machine Learning and **Progressive Visualization**

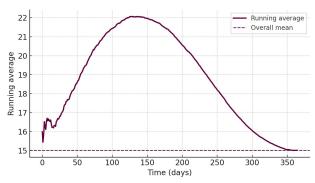
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Problem

Solution

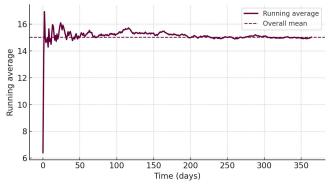
Applications& Impact

- Online ML: faster, less biased updates.
- Visualization: early previews, quicker insights.
- Efficiency: fewer transferred bytes, faster computations
 → reduce energy and CO2.



Original (sorted) order \rightarrow bias

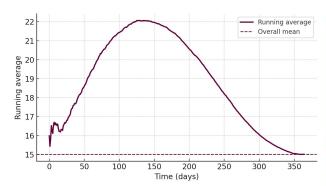
- Ordered online data:
 - biased early results
 - slow convergence.



Shuffled order \rightarrow fast convergence

- Middleware that <u>shuffles</u>
 <u>remote data 'on the fly'</u>
- Streams progressively unbiased samples to the downstream system.

Problem



Original (sorted) order → bias

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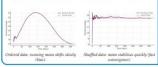


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MOTIVATION

- · We want to analyze and visualize large datasets during download to obtain useful results early with low resources.
- · When data is progressively fetched from remote repositories, it often arrives in chronological order, which biases early statistics, learning, and slows convergence.

Goal: provide a Middleware service that shuffles incoming rows on the fly", removing bias and accelerating convergence.



PPLICATIONS & IMPACT

- · Online ML: faster, less biased early updates.
- · Progressive visualization: early previews; stop sooner.
- · Efficiency: fewer transferred bytes and faster computations → lower energy/CO₂.

SHUFFLE MODEL

· We use the Empirical shuffle matrix from an algorithm: $M \in \mathbb{R}^{N \times N}$ tracks, for each input index i (out of N elements), the output position j, after T independent runs:

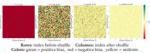
$$M_{i,j} = \frac{1}{T} \sum_{t=1}^{T} \mathbb{1}_{\{i \rightarrow j\}}$$

· Compare it to the Uniform baseline: $U \in \mathbb{R}^{N \times N}$ for an ideal unbiased shuffle, where every element is equally likely:

$$U_{i,j} = \frac{1}{N}$$

Fair Shuffle Simulation (Fisher-Yates)

As the number of runs T increases, M should converge toward U i.e., the empirical distributions approach uniformity.



• Existing metrics: Kolmogorov-Smirnov Test, Kullback-Leibler Divergence, Total Variation Distance (TVD)

Input: url, time to first chunk t₀, update period Δt

· Measures: output chunk size, throughput.

Timed window (TW)

Middleware Model

- Fill reservoir until to. shuffle, emit first block. During Δt, read new rows, shuffle that win-
- dow, emit. · Quality is limited by the window size (block
- boundaries)

Sliding reservoir (SR)

- Fill reservoir until to, of
- TVD (difference between M and U) is selected for its simplicity and effectiveness: During Δt, pop random rows from the reservoir into a chunk and send it.
- and add new rows. The larger B (thus t₀) the higher Q.

$D_{TVD}(M, U) = \frac{1}{2N} \sum_{i=1}^{N} \sum_{j=1}^{N} |M_{i,j} - U_{i,j}|$

· Shuffle quality (higher is better):

HUFFLE QUALITY

 $Q = 1 - D_{TVD}(M, U) \in [0, 1].$

- · Systematic evaluation of the middleware on public datasets
- · Study dynamic reservoirs, hybrid scheduling. Benchmark (to, \Delta t, B, c, P) and report Q with downstream convergence speed.

RESULTS · Both strategies reduce early bias against the original order.

or reservoir (SR) • The service provides a tunable balance between responsive-

. Shuffle quality Q grows with the size of the window (TW) ness and shuffle quality

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