Text as Data

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 - Very Open Research Question

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EM algorithm in slides appendix

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How well does our model perform?

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$$\log p(\boldsymbol{x}_{\text{out}}^*|\boldsymbol{\mu},\boldsymbol{\pi},\boldsymbol{X}) = \log \sum_{k=1}^K p(\boldsymbol{x}_{\text{out}}^*,\tau_{ik}|\boldsymbol{\mu}_k,\boldsymbol{\pi},\boldsymbol{X})$$

Measuring Cluster Performance: Out of Sample Prediction

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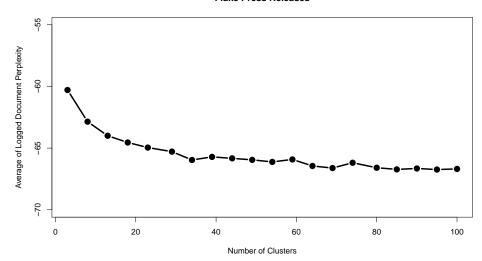
$$\begin{aligned} \log p(\boldsymbol{x}_{\text{out}}^*|\boldsymbol{\mu}, \boldsymbol{\pi}, \boldsymbol{X}) &= \log \sum_{k=1}^K p(\boldsymbol{x}_{\text{out}}^*, \tau_{ik} | \boldsymbol{\mu}_k, \boldsymbol{\pi}, \boldsymbol{X}) \\ &= \log \sum_{k=1}^K \left[\pi_k \exp(\kappa \boldsymbol{\mu}_k' \boldsymbol{x}_{\text{out}}^*) \right] \end{aligned}$$

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Flake Press Releases



- Prediction → One Task

(Roberts, et al AJPS

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- Experiments: measure topic and cluster quality

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- For example $\mathbf{v}_3 = (\mathsf{earmark} \ , \ \mathsf{egregious} \ , \ \mathsf{pork} \ , \ \mathsf{fiscal} \ , \ \mathsf{today} \)$

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We also want topics that are exclusive

We also want topics that are exclusive of each topic

We also want topics that are exclusive few replicates of each topic

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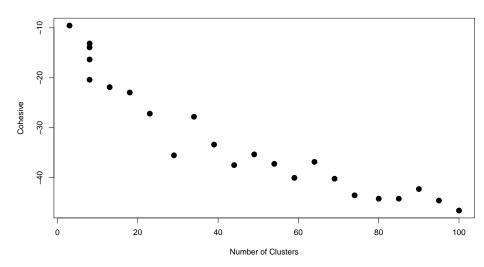
Measuring Cohesiveness and Exclusivity

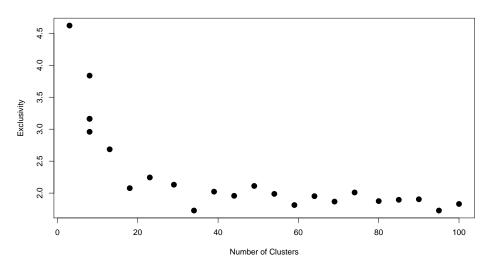
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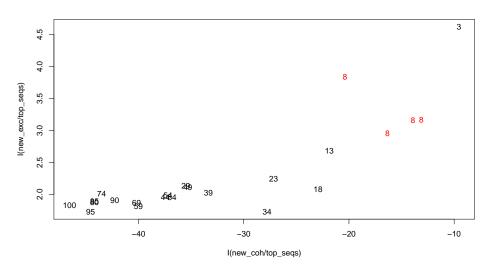
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$$\begin{aligned} &\mathsf{Exclusivity}_k &=& \sum_{j: \nu_j \in \pmb{\nu}_k} \frac{\mu_{k,j}}{\sum_{l=1}^K \mu_{l,j}} \\ &\mathsf{Exclusivity} &=& \left(\sum_{k=1}^K \mathsf{Exclusivity}_k\right) / K \\ &=& \left(\sum_{k=1}^K \sum_{j: \nu_i \in \pmb{\nu}_k} \frac{\mu_{k,j}}{\sum_{l=1}^K \mu_{l,j}}\right) / K \end{aligned}$$







Mathematical approaches

Mathematical approaches → suppose we can capture quality with numbers assumes we're in the model → including text representation

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1) Topic Quality

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- Do humans think the model is performing well?
 - 1) Topic Quality
 - 2) Cluster Quality

- 1) Take *M* top words for a topic
- 2) Randomly select a top word from another topic
 - 2a) Sample the topic number from I from K-1 (uniform probability)
 - 2b) Sample word j from the M top words in topic l
 - 2c) Permute the words and randomly insert the intruder:
 - List:

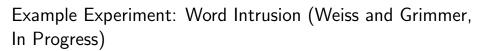
test =
$$(v_{k,3}, v_{k,1}, v_{l,j}, v_{k,2}, v_{k,4}, v_{k,5})$$

bowl, flooding, olympic, olympics, nfl, coach

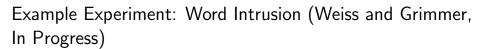
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stocks, investors, fed, guns, trading, earning

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Higher rate of intruder identification → more exclusive/cohesive topics



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Deploy on Mechanical Turk

Assessing Cluster Quality with experiments

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Design to assess cluster quality

- Estimate clusterings

Assessing Cluster Quality with experiments

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- Can be used to compare any clusterings, regardless of source

How do we Choose K?

Generate many candidate models

- 1) Assess Cohesiveness/Exclusivity, select models on frontier
- 2) Use experiments
- 3) Read
- 4) Final decision → combination

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k-means, Mixture of multinomials, k-medoids, affinity propagation, agglomerative Hierarchical fuzzy k-means, trimmed k-means, k-Harmonic means, fuzzy k-medoids, fuzzy k modes, maximum entropy clustering, model based hierarchical (agglomerative), proximus, ROCK, divisive hierarchical, DISMEA, Fuzzy, QTClust, self-organizing map, self-organizing tree, unnormalized spectral, MS spectral, NJW Spectral, SM Spectral, Dirichlet Process Multinomial, Dirichlet Process Normal, Dirichlet Process von-mises Fisher, Mixture of von mises-Fisher (EM), Mixture of von Mises Fisher (VA), Mixture of normals, co-clustering mutual information, co-clustering SVD, LLAhclust, CLUES, bclust, c-shell, qtClustering, LDA, Express Agenda Model, Hierarchical Dirichlet process prior, multinomial, uniform process mulitinomial, Chinese Restaurant Distance Dirichlet process multinomial, Pitmann-Yor Process multinomial, LSA, ...

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Deep problem in cluster analysis literature: full automation requires more information

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- Our answer: a geography of clusterings

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- 8) (Or, our new strategy: represent entire Bell space directly; no need to examine document contents)

Crosas, Grimmer, King, and Stewart → Consilience

A brief live demonstration

- Paper (Grimmer and King 2011): introduce new evaluation methods (like Cluster Quality)

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Example Discovery: What Do Members of Congress Do?

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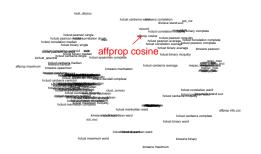
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- Apply our method (relying on many clustering algorithms)





Each point is a clustering Affinity Propagation-Cosine (Dueck and Frey 2007)



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Close to:

Mixture of von Mises-Fisher distributions (Banerjee et. al. 2005)

⇒ Similar clustering of documents



Space between methods:



Space between methods:



Space between methods: local cluster ensemble





Found a region with clusterings that all reveal the same important insight



Mixture:



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0.39 Hclust-Canberra-McQuitty

- 0.13 Hclust-Correlation-Ward
- 0.09 Hclust-Pearson-Ward



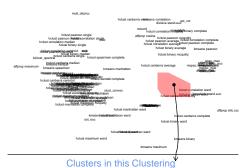
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Clusters in this Clustering

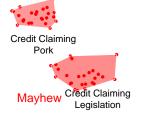


Credit Claiming, Pork:

"Sens. Frank R. Lautenberg (D-NJ) and Robert Menendez (D-NJ) announced that the U.S. Department of Commerce has awarded a \$100,000 grant to the South Jersey Economic Development District"

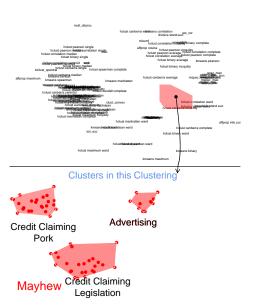


Clusters in this Clustering



Credit Claiming, Legislation:

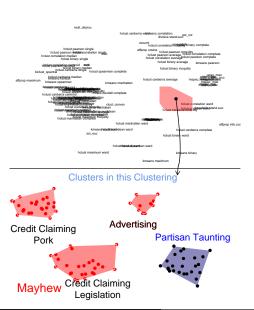
"As the Senate begins its recess, Senator Frank Lautenberg today pointed to a string of victories in Congress on his legislative agenda during this work period"



Advertising:

"Senate Adopts Lautenberg/Menendez Resolution Honoring Spelling Bee Champion from New Jersey"

Example Discovery: Partisan Taunting



Partisan Taunting:

"Republicans Selling Out Nation on Chemical Plant Security"

Important Concept Overlooked in Mayhew's (1974) typology



Sen. Lautenberg on Senate Floor 4/29/04 "Senator Lautenberg Blasts Republicans as 'Chicken Hawks' " [Government Oversight]

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Consequences for representation: Deliberative, Polarization, Policy



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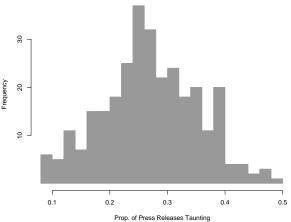
23 / 29

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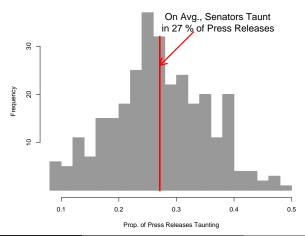
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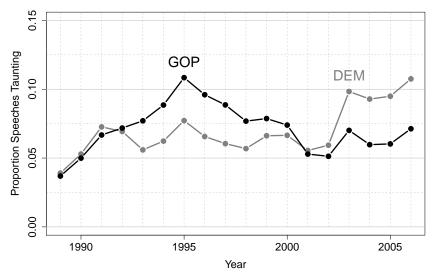
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Over Time Tauting Rates in Speeches



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 - To identify limits of methods, when to use which approach, need evaluations for the usefulness of conceptualizations

Clustering, FAC and CAC

This week

- Introduction to clustering
- Fully automated clustering algorithms
- Introduction to computer assisted clustering

Next week:

- Vanilla Topic models
- Structural Topic Models

EM Algorithm for Mixture of vMF Distributions

- 1) Initialize μ
- 2) Set r_{ik} to

$$r_{ik} = \frac{\pi_k \exp(\kappa \boldsymbol{\mu}_k' \boldsymbol{x}_i^*)}{\sum_{l=1}^K \pi_k \exp(\kappa \boldsymbol{\mu}_l' \boldsymbol{x}_i^*)}$$

3) Set μ_k to

$$\mu_k = \frac{\sum_{i=1}^N r_{ik} \mathbf{x}_i}{||\sum_{i=1}^N r_{ik} \mathbf{x}_i||}$$

Set
$$\pi_k = \sum_{i=1}^N \frac{r_{ik}}{N}$$

4) Assess change in objective function