

Deep Learning

Exercise 5: Binary and Multi-class Classification

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Outline

- 1 Binary Classification
- 2 Categorical Classification

Outline

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Binary Classification

- Dataset
- Implementation

Dataset

Classification of Forged Bank Notes

- Download dataset from UCI
- Inputs: 4 attributes
 - ① variance of Wavelet Transformed image
 - ② skewness of Wavelet Transformed image
 - ③ curtosis of Wavelet Transformed image
 - ④ entropy of image
- Output: Forged (0) or real bank note (1)
- Task: how many hidden neurons to reach 100% accuracy?

Dataset URL

<http://archive.ics.uci.edu/ml/datasets/banknote+authentication>

Dataset

Classification of Spam Emails

- Download dataset from UCI
- Inputs: 58 attributes
 - 48 relative number of occurrences of specific key words
 - 6 relative number of occurrences of specific key characters
 - 3 counts according to capital letters
- Output: Spam (1) or not spam (0)
- Task: get highest classification accuracy

Dataset URL

<http://archive.ics.uci.edu/ml/datasets/Spambase>

Binary Classification

Task 1: Load Dataset

- Read line by line and split
- First values: \vec{x}
- Last value: t
- Turn to \mathbf{X} and \vec{t}
→ Remember to add x_0

Task 2: Implement Network

- `def forward(X, W1, W2):`
- Hidden unit output \mathbf{H}
- Logits \vec{z}
- Network output $\vec{y} = \sigma(\vec{z})$

Task 3: Gradient Descent

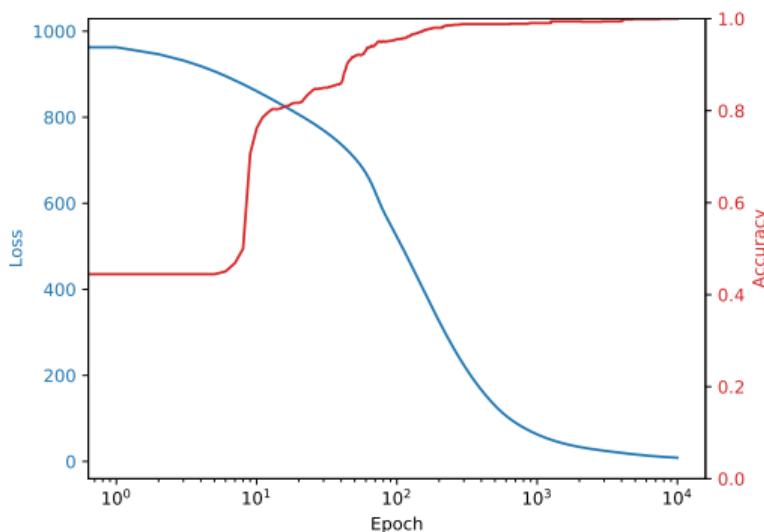
- `def descent(X, T, W1, W2, eta):`
- Forward pass: $\vec{y} = f(\mathbf{X})$
- Compute loss:

$$\mathcal{J}^{\text{CE}} = \vec{t}^T \ln \vec{y} + (1 - \vec{t})^T \ln(1 - \vec{y})$$
- Compute gradients: $\nabla_{\mathbf{W}^{(1)}}, \nabla_{\vec{w}^{(2)}}$
→ Same as last week
- Perform weight update:

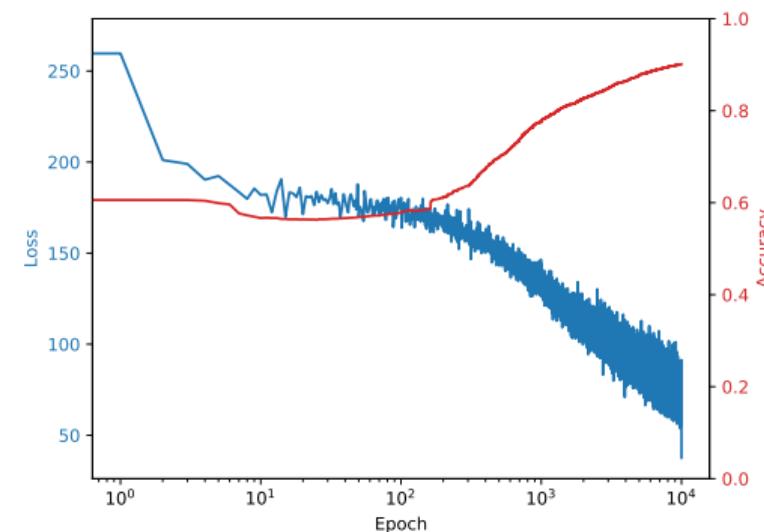
$$\mathbf{W}^{(1)} -= \eta \nabla_{\mathbf{W}^{(1)}} \quad \vec{w}^{(2)} -= \eta \nabla_{\vec{w}^{(2)}}$$
- Train network for 10000 epochs

Example Losses

Banknote Forgery



Spam Classification



Outline

2

Categorical Classification

- Dataset
- Implementation

The Iris Flower Dataset

Description

- 4 input variables:
 - 1 Sepal length in cm
 - 2 Sepal width in cm
 - 3 Petal length in cm
 - 4 Petal width in cm
- 3 different classes:
 - 1 Iris Setosa
 - 2 Iris Versicolor
 - 3 Iris Virginica
- Available in [sklearn](#)
- Task: 100% accuracy

Setosa



Versicolor

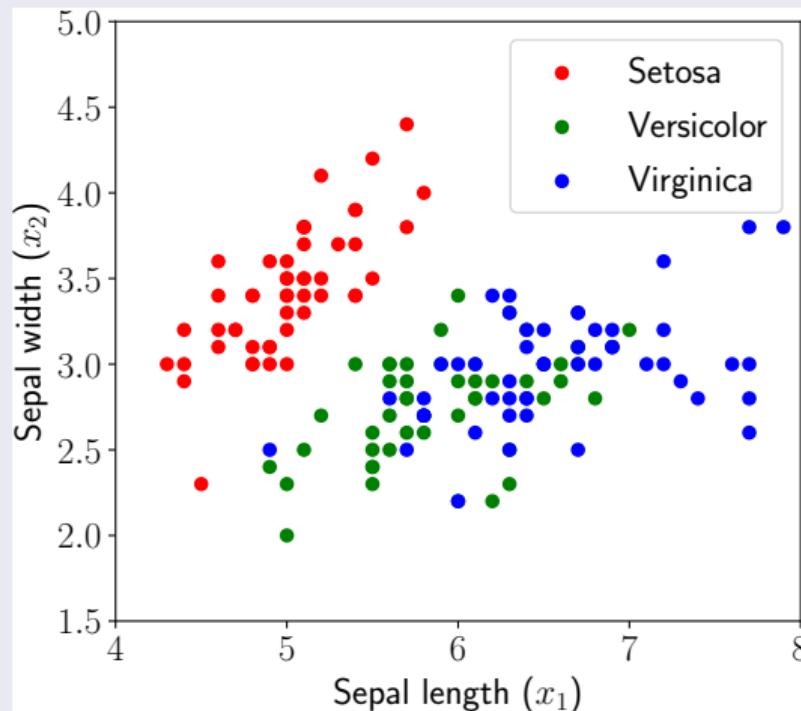


Virginica

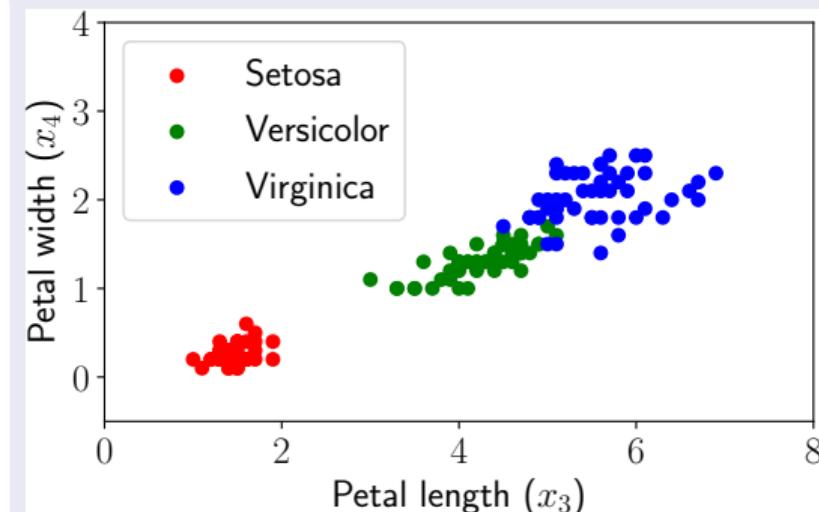


The Iris Flower Dataset

Distribution in (x_1, x_2)



Distribution in (x_3, x_4)

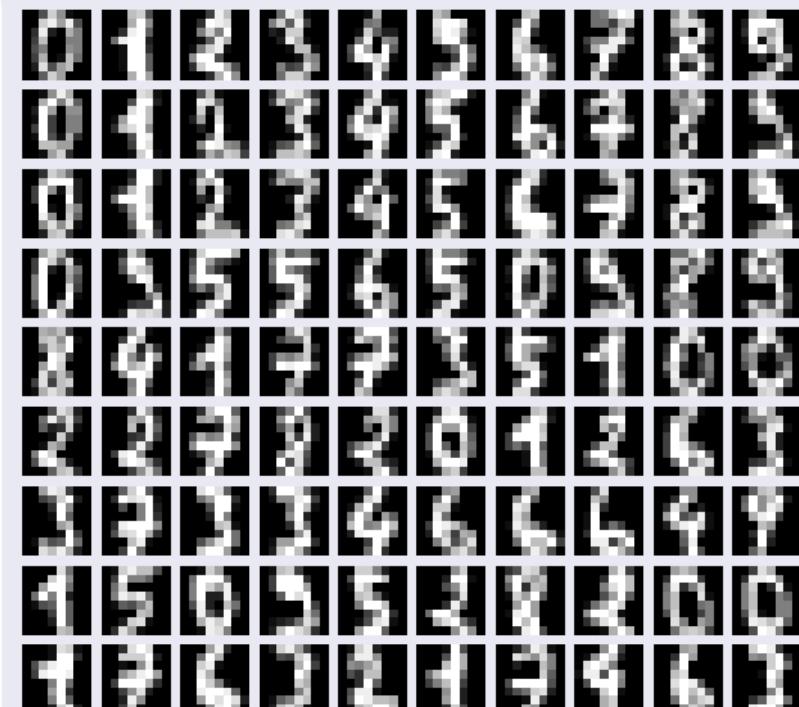


The Digits Dataset

Description

- 64 input variables:
- Pixel values of 8×8 images
 - Value range [0, 16]
 - Given as 64-element 1D array
- 10 different classes (digit 0-9)
- Available in `sklearn`
- Task: highest accuracy

Example Images



Categorical Classification

Task 1: Load Dataset

- Load data from sklearn
- Turn to \mathbf{X} and \mathbf{T}
→ Remember to add x_0

Task 2: Implement Network

- `def forward(X, W1, W2):`
- Hidden unit output \mathbf{H}
- Logits \mathbf{Z}
- Network output $\mathbf{Y} = S(\mathbf{Z})$

Task 3: Compute Accuracy

- `def accuracy(X, T, W1, W2):`

Task 3: Gradient Descent Step

- `def descent(X, T, W1, W2, eta):`
- Forward pass: $\vec{y} = f(\mathbf{X})$
- Compute loss:

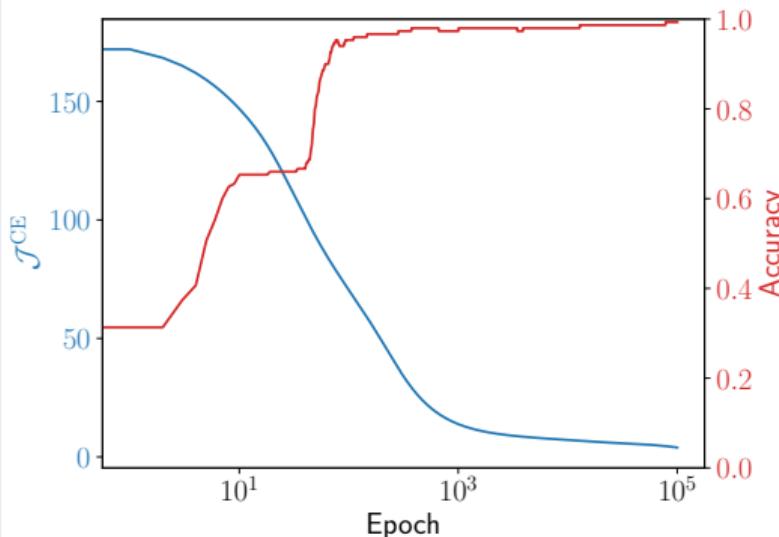
$$\mathcal{J}_{\text{CE}} = - \sum_{n=1}^N \left[z_{t^{[n]}}^{[n]} - \ln \sum_{o=1}^O e^{z_o^{[n]}} \right]$$

- Compute gradients: $\nabla_{\mathbf{W}^{(1)}}, \nabla_{\mathbf{W}^{(2)}}$
→ Same as last week
- Perform weight update:

$$\mathbf{W}^{(1)} -= \eta \nabla_{\mathbf{W}^{(1)}} \quad \mathbf{W}^{(2)} -= \eta \nabla_{\mathbf{W}^{(2)}}$$
- Train network for 10000 epochs

Example Losses

Iris Dataset



Digits Dataset

