January 9, 2022 By: KAM

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CalculiX Simulation

For

Circular Plate Bending

Version 1.0

Published: January 9, 2022

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Revision history

Version Number	Comments
1.0	Original Publication

Special things to learn:

- Generating surfaces and applying a pressure load to the surface
- Using axisymmetric elements (CAX6)

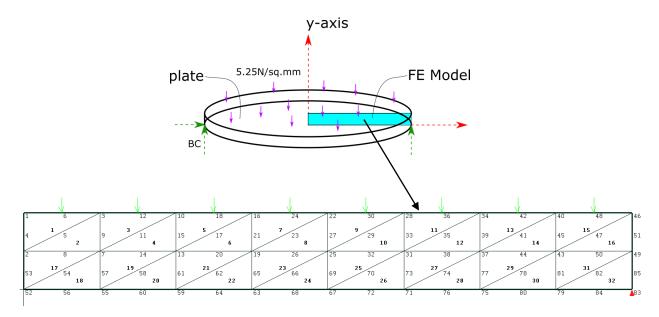
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1. Project Description

The project pertains to the simulation of a simply supported circular plate with radius 80mm and thickness 10 mm subjected to a uniform pressure load of 5.25 N/mm². The results are compared with an analytical solution.

2. Model Description

The plate is modeled using axisymmetric elements such that a section of the plate is considered as a model as shown below.



3. Material Data

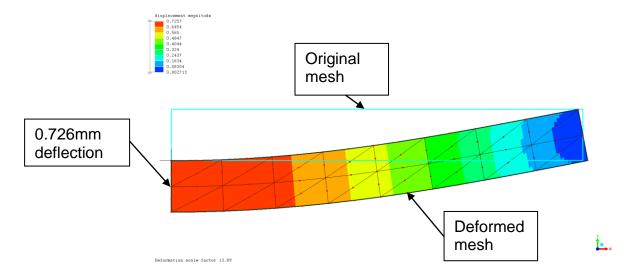
We are using Steel as or material

$$E = 210 \times 10^3 MPa$$
$$v = 0.3$$

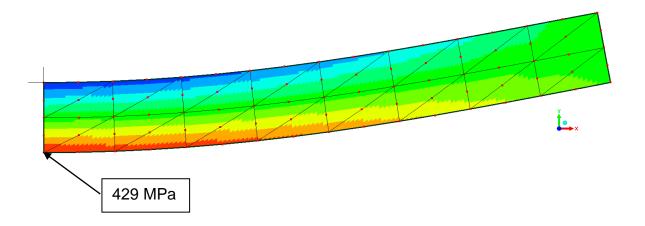
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4. Simulation results

The simulation results are shown below







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5. Hand calculation

Circular plate under uniform load

r = radius of circular plate, (m, in)

p = uniform loading, (N/m², lbs/in²)

v = Poisson's ratio (assumed to be 0.3)

E = Young's modulus, (N/m2, lbs/in2)

t = plate thickness, (m, in)

 $\sigma_m = \text{maximum stress}, (N/m^2, Ibs/in^2)$

y_m = maximum deflection, (m, in)

Circular plate, uniform load, edges simply supported equation and calculator.



Stress At Center

$$\sigma_{\rm m} = \frac{3(3+v)pr^2}{8t^2} = \frac{1.238pr^2}{t^2}$$

Deflection at center, v = 0.3

$$y_{\rm m} = \frac{(5+v)pr^4}{64(1+v)D} = \frac{0.696pr^4}{Et^3}$$

D = flexural rigidity = $Et^3/(12 * (1 - v^2))$

Inputs

$$p := 5.25 \frac{N}{mm^2}$$

t := 10 mm

E := 210 GPa

r := 80 mm

Results

$$Y_{m} := \frac{0.696 \cdot p \cdot r^{4}}{E \cdot t^{3}} = 0.7127 \text{ mm}$$

$$\sigma_{\text{max}} := \frac{1.238 \cdot p \cdot r^2}{t^2} = 415.968 \text{ MPa}$$

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6. Conclusion

The plate was successfully modeled and the simulation and hand calculations are very close.

Modeling approach	Deflection (mm)	Stress (MPa)
Simulation	0.726	429
Hand calculation	0.713	416

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7. Appendix

```
**
     Structure: disk under uniform load modeled with
**
     CAX6 elements
**
*NODE, NSET=Nall
1,0.00000e+01,1.00000e+01,0.00000e+01
85,8.00000e+01,2.50000e+00,0.00000e+01
*ELEMENT, TYPE=CAX6, ELSET=Eall
1,1,2,3,4,5,6
. . .
32,49,79,83,82,84,85
*Elset, elset=TOPELEMENTS, generate
1,15,2
*SURFACE, TYPE=ELEMENT, NAME=TOPSURFACE, internal
TOPELEMENTS, S3
*BOUNDARY
83,2,2
*MATERIAL, NAME=EL
*ELASTIC
210000.,.3
*SOLID SECTION, ELSET=Eall, MATERIAL=EL
0.01
**
*STEP
*STATIC
*Dload
TOPSURFACE, P, 5.25
*NODE PRINT, NSET=Nall
*EL PRINT, ELSET=Eall
*NODE FILE
*EL FILE
*END STEP
```