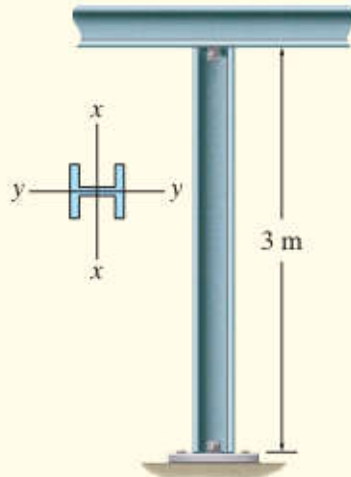


Buckling Examples

Problem #1

The A992 steel W200 × 46 member shown in Fig. 13–8 is to be used as a pin-connected column. Determine the largest axial load it can support before it either begins to buckle or the steel yields.



The properties of the section are as follows:

$$A_{cs} = 5890 \text{ mm}^2 \quad E = 200 \text{ GPa} \quad F_y = 345 \text{ MPa}$$

$$I_x = 45.5 \cdot 10^6 \text{ mm}^4 \quad L_b = 3 \text{ m}$$

$$I_y = 15.3 \cdot 10^6 \text{ mm}^4$$

The buckling load is calculated as follows:

$$P_{cr} = \frac{\pi^2 EI}{L^2}$$

$$P_{cr_buckle} = \frac{\pi^2 \cdot E \cdot I_y}{L_b^2} = 3.3557 \text{ MN}$$

This is the load required to prevent buckling.

Now, let us check the compressive load required to prevent Yielding.

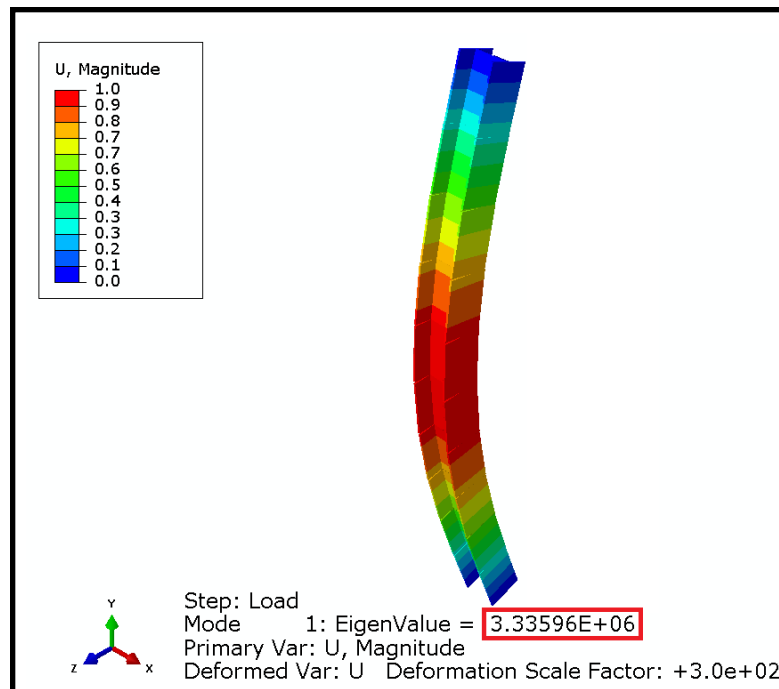
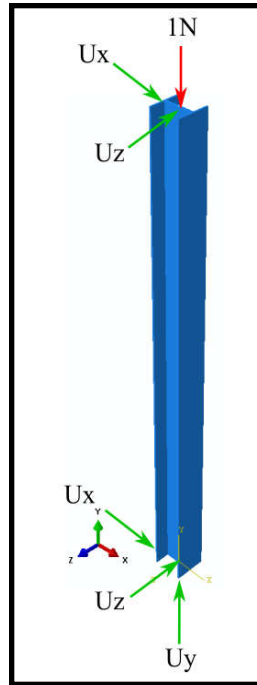
$$P_{cr_yield} = F_y \cdot A_{cs} = 2.032 \text{ MN}$$

Thus we see that the beam will yield before it will buckle !

I have solved the problem using Abaqus.

A unit load was applied at the top. This causes the eigenvalue to be the buckling load.

$$P_{\text{applied}} = 1 \text{ N}$$



According to Abaqus, the eigenvalue is, $\lambda = 3.3359 \cdot 10^6$

To obtain the buckling load, we multiply this eigenvalue with the load that was applied.

$$P_{\text{cr_Abaqus}} = P_{\text{applied}} \cdot \lambda = 3.3359 \text{ MN}$$

Thus, we have verified our FEA with hand calculation.