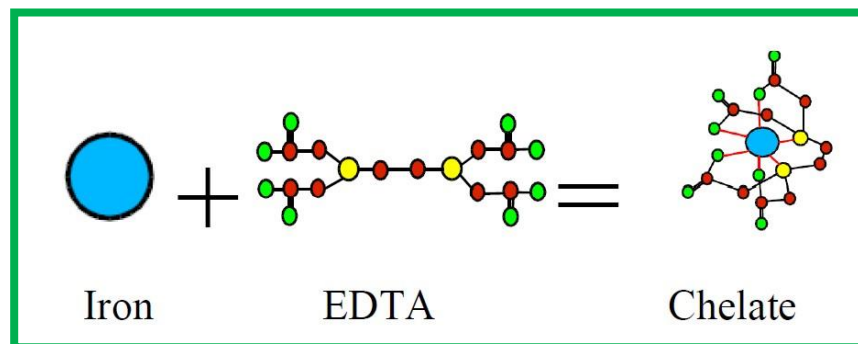


# Types of reactions

- Acid-base: Transfer of a proton from acid to base



- Complexation: Formation of covalent bonds between a transition metal species and ligands



- Oxidation – reduction: Transfer of one or more electrons from the reducing agent to the oxidizing agent



violet color

colorless manganous

- Precipitation (ionic salt): Electrostatic attraction of cations and anions to form an ionic lattice



# Acid-base titrations

*Revision of the basics:*

- When acids (or bases) are added to water, they undergo **ionisation**.



- At equilibrium, an **ionisation constant** ( $K_a$ ) may be defined:

$$K_a = \frac{[\text{A}^-][\text{H}_3\text{O}^+]}{[\text{HA}]}$$

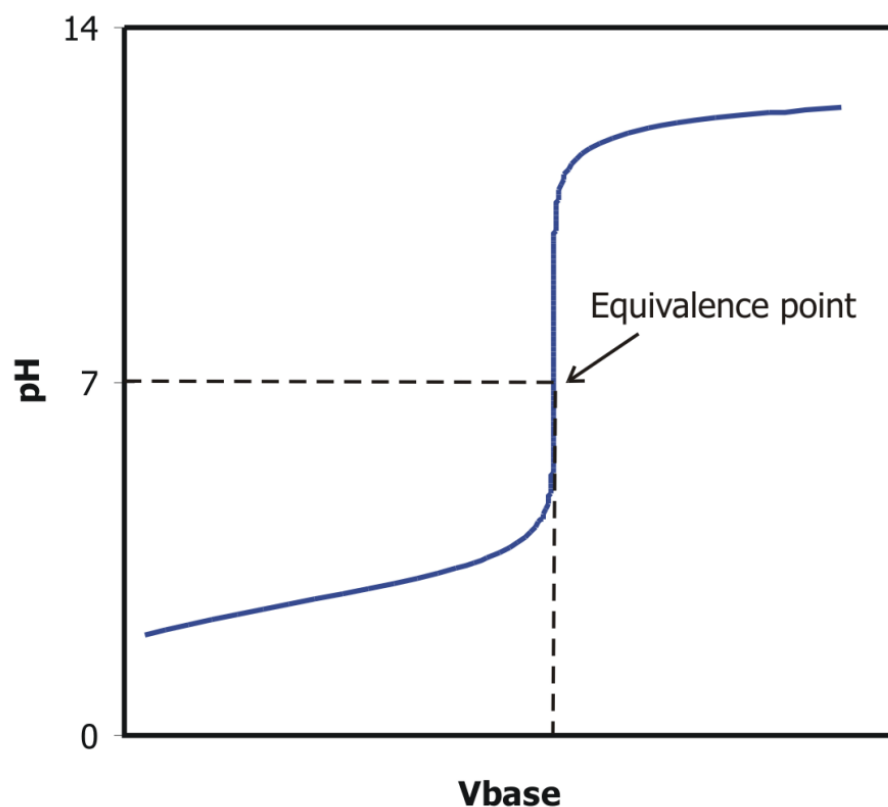
- $K_a$  is a measure of the strength of an acid.
- $\text{pH} = -\log [\text{H}^+]$

# Titration of strong acids or bases

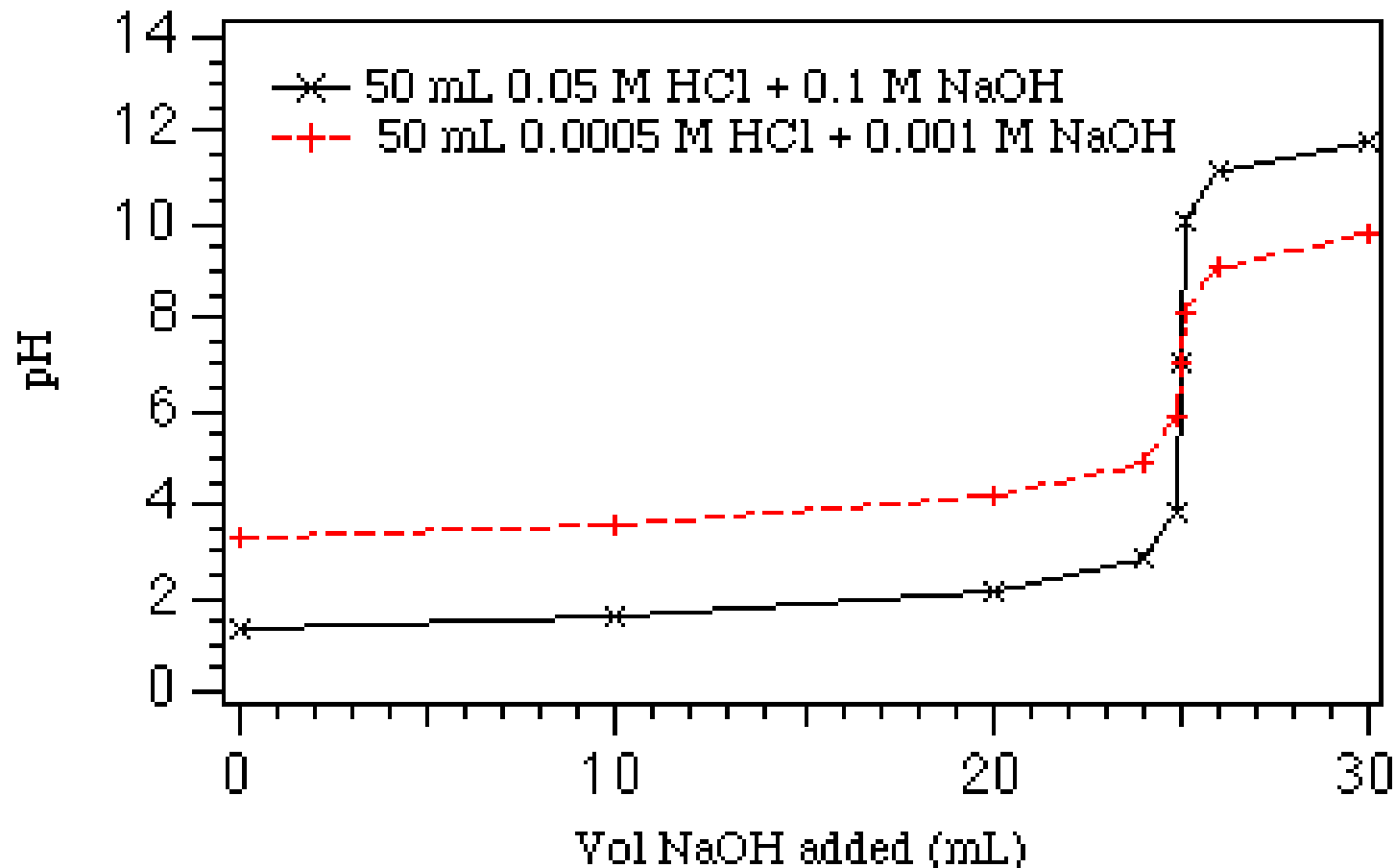
When a strong acid reacts with a strong base, both are **completely ionised**.

In the reaction between HCl and NaOH for example, complete neutralisation (equivalence point) is reached at a **pH of 7**.

The sharp change in pH near the equivalence point allows us to determine the completion of a reaction.



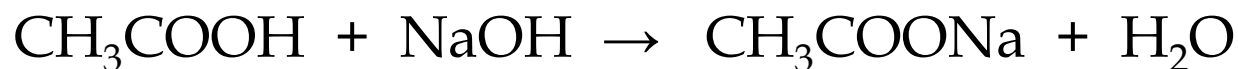
# Effect of concentration on the magnitude of the endpoint break



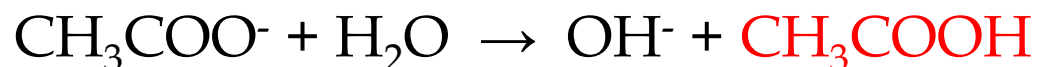
# Titration of weak acids and bases

- Less straightforward as they only **ionise partially** in water.
- Salts undergo hydrolysis - equivalence point will not be at pH 7.

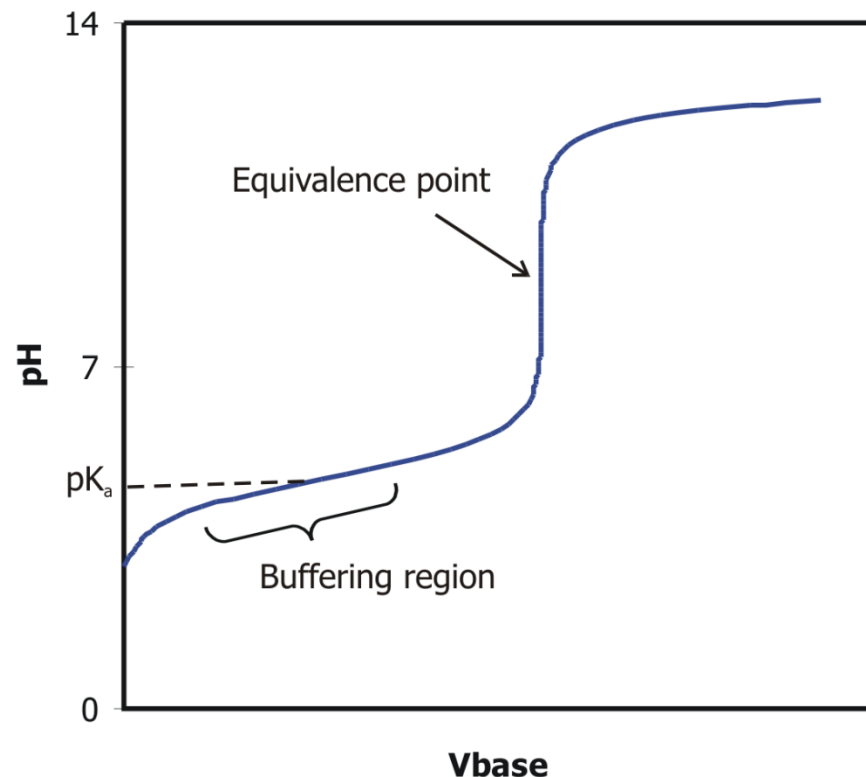
*Example:*



The  $\text{CH}_3\text{COO}^-$  ion produced acts as a base in water, producing the parent acid.



- Results in a 'lag' in reaching the equivalence point.
- Referred to as the **buffering region** - it takes a large amount of NaOH to produce a small change in pH.

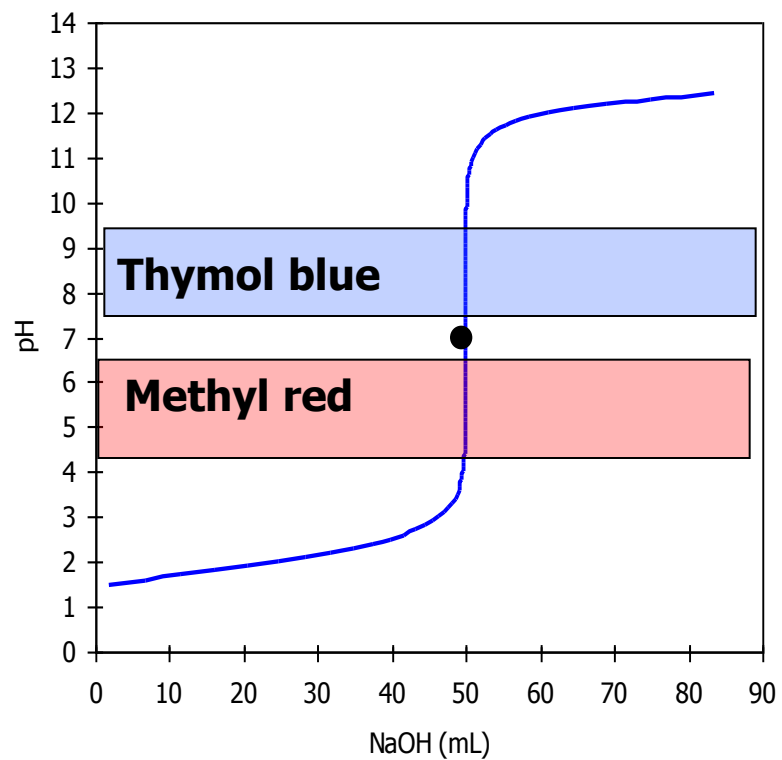


- Weak acid + strong base = basic salt (equivalence pH > 7)
- Strong acid + weak base = acidic salt (equivalence pH < 7)

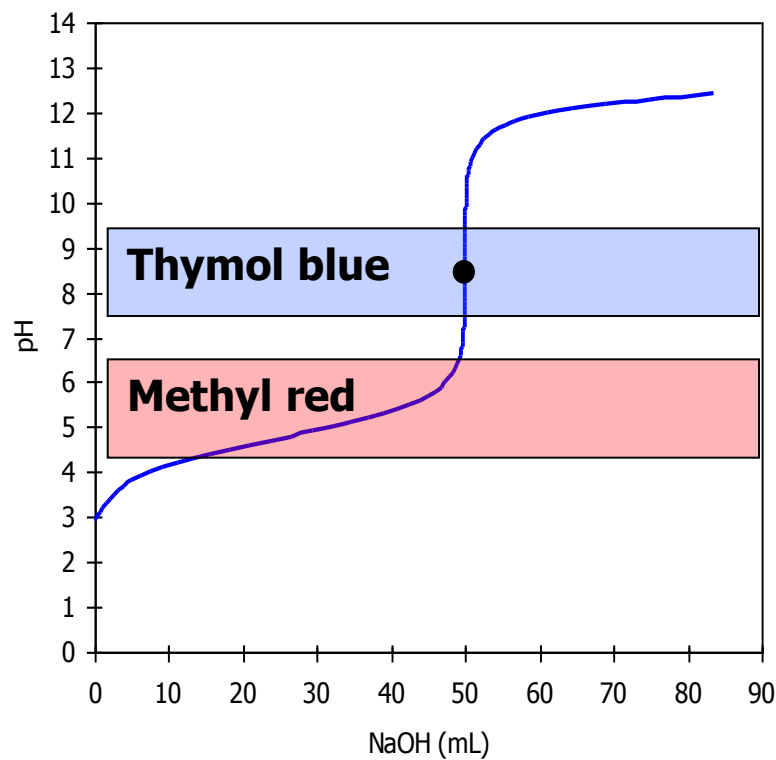
We can calculate pH using the **Henderson-Hasselbalch equation**:

$$\text{pH} = \text{pK}_a + \frac{\log[\text{A}^-]}{\log[\text{HA}]}$$

## Strong acid with a strong base



## Weak acid with a strong base





Calculate the pH for the titration of 50.0 ml of 0.100 M HCl with 0.100 M NaOH after the addition of 0, 5 and 50 ml of base.

*0.1 M*

*0.1 M, 50 mL*


- *At 5 mL:*

	HCl 50 mL, 0.1 M	NaOH 0.1 M
Start		
react		
[H <sup>+</sup> ]		

Find the pH at the following points in the titration of 30 mL of 0.05 M  $\text{HClO}_4$  with 0.1 M KOH.

- a) Before adding any KOH
- b) When 10 mL of 0.1 M KOH is added
- c) When 15 mL of 0.1 M KOH is added
- d) When 20 mL of 0.1 M KOH is added



 1:1 ratio!!!!

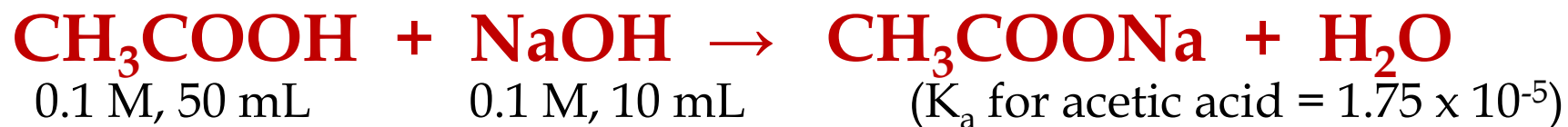


0.05 M, 30 mL

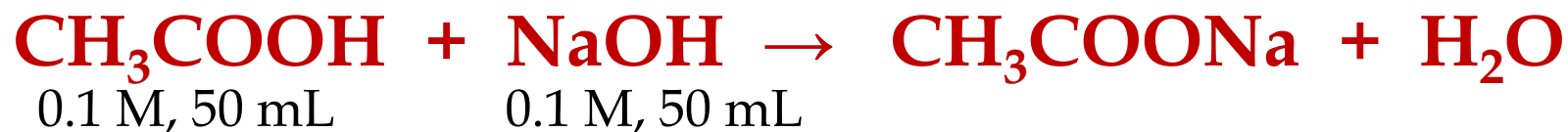
0.1 M, 10 mL

	$\text{HClO}_4$ 30 mL, 0.05 M	$\text{KOH}$ 0.1 M, 10
Start		
react		
final		

Calculate the pH for the titration between 50.0 ml of 0.100 M acetic acid and 0.100 M NaOH after the addition of 0, 10 and 50 ml of base ( $K_a$  for acetic acid =  $1.75 \times 10^{-5}$ ).



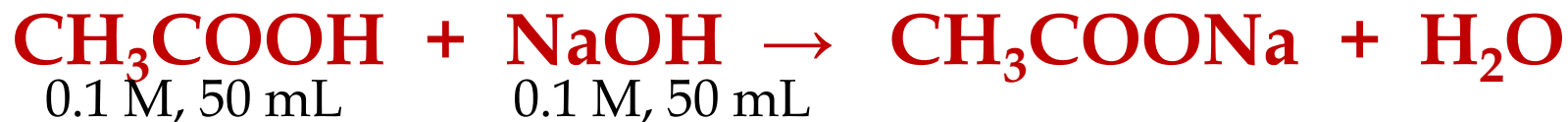
	CH <sub>3</sub> COOH 50 mL, 0.1 M	NaOH 0.1 M, 10
Start		
react		
Conc.		
final		



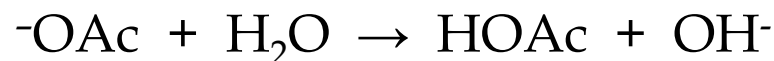
- Some reminders:

$$K_b = \frac{K_w}{K_a} \longrightarrow 1.0 \times 10^{-14}$$

$$K_b = \frac{K_w}{K_a} = \frac{[\text{HA}][\text{OH}^-]}{[\text{A}^-]}$$



- Acetic acid is a weak acid - salt hydrolyses in water.  $-\text{OAc}$  is treated as a base.



$$K_b = \frac{K_w}{K_a} = \frac{[\text{HOAc}][\text{OH}^-]}{[-\text{OAc}]}$$

- All HOAc has been converted to  $-\text{OAc}$  - 5.00 mmol in 100 ml *i.e* 0.0500 M)

$$K_b = \frac{[\text{OH}^-][\text{OH}^-]}{[-\text{OAc}]} \quad \boxed{5.71 \times 10^{-10}} = \frac{[\text{OH}^-][\text{OH}^-]}{0.0500}$$

$$\begin{array}{lll} [\text{OH}^-] & = & 5.35 \times 10^{-6} \text{ M} \\ \text{pOH} & = & 5.27 \\ \text{pH} & = & 8.73 \end{array}$$



# Complexation reactions

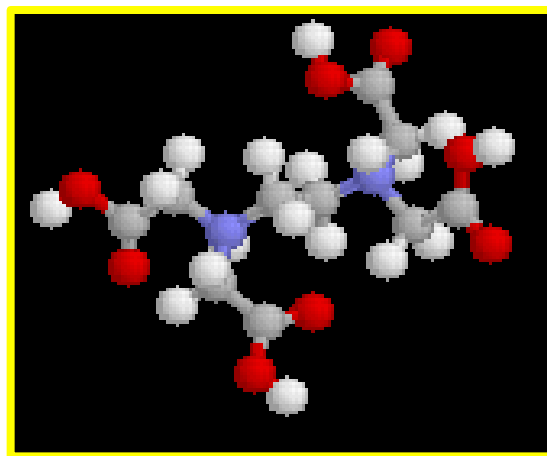
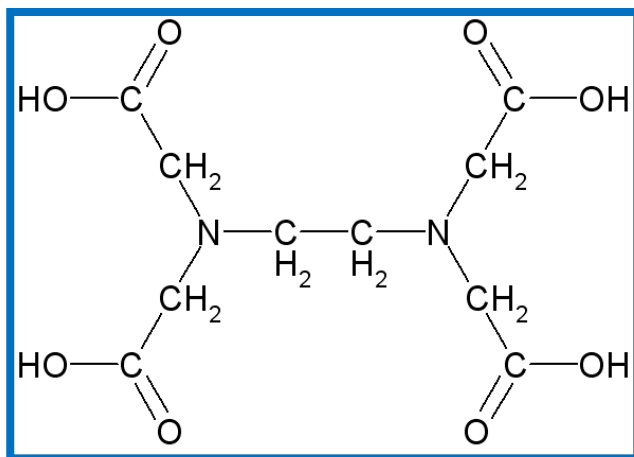
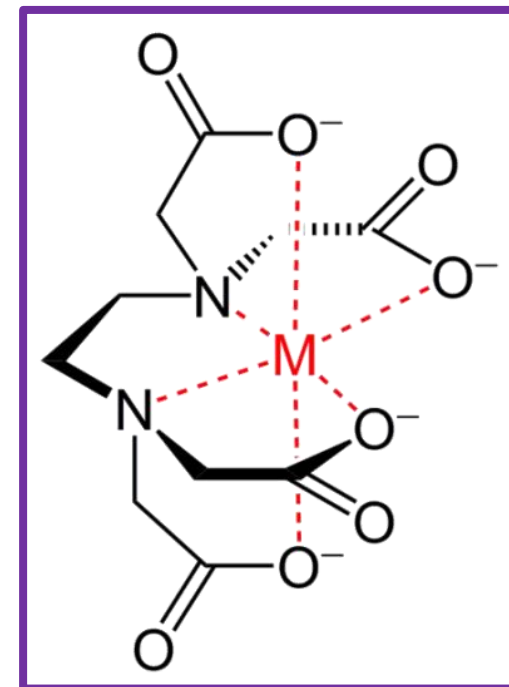
- Metal ions + electron-pair **donors** → coordination compounds or complexes
- No. of covalent bonds is the coordination number (2, 4, 6)
- The species can be  $[\ ]^+$ ,  $[\ ]^-$  or  $[\ ]$
- A ligand that has
  - 1 donor group = unidentate
  - 2 groups = bidentate.....
  - ...tridentate, tetradentate...**hexadentate** ....} → **multidentate**

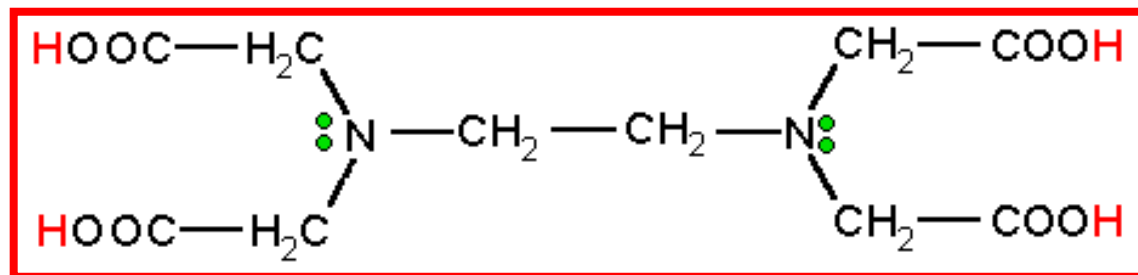
# Complexometric titration

- Titration based on complex formation
- The metal ion reacts with a ligand to form a complex, and the equivalence point is determined by an indicator
- We can use complex reactions to quantify.
- Can form soluble complexes or precipitates
- Most commonly used ligands are multidentate ligands (chelating ligands)

# EDTA

- Ethylenediaminetetraacetic acid
- Forms 1:1 complexes with most metals
- Good primary standard
- Forms stable complexes





- Hexaprotic ligand ( $H_6Y^{2+}$ )

$pK_{a_1}$	0.0	
$pK_{a_2}$	1.5	
$pK_{a_3}$	2.00	
$pK_{a_4}$	2.69	
$pK_{a_5}$	6.13	
$pK_{a_6}$	10.37	

- We can calculate the fraction of EDTA ( $\alpha$ ) in each form
- Free EDTA has the form  $Y^{4-}$

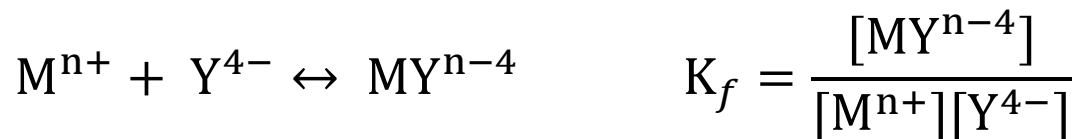
# Fractional composition

$$\alpha_{Y^{4-}} = \frac{[Y^{4-}]}{[H_6Y^{2+}] + [H_5Y^+] + [H_4Y] + [H_3Y^-] + [H_2Y^{2-}] + [HY^{3-}] + [Y^{4-}]}$$

$$\alpha_{Y^{4-}} = \frac{[Y^{4-}]}{[EDTA]}$$

pH	$\alpha_{Y^{4-}}$	pH	$\alpha_{Y^{4-}}$
0	$1.3 \times 10^{-23}$	7	$3.8 \times 10^{-4}$
1	$1.4 \times 10^{-18}$	8	$4.2 \times 10^{-3}$
2	$2.6 \times 10^{-14}$	9	0.041
3	$2.1 \times 10^{-11}$	10	0.30
4	$3.0 \times 10^{-9}$	11	0.81
5	$2.9 \times 10^{-7}$	12	0.98
6	$1.8 \times 10^{-5}$	13, 14	1.00

# Formation/Stability Constants



Ion	Log $K_f$	Ion	Log $K_f$
K <sup>+</sup>	0.8	Zn <sup>2+</sup>	16.50
Na <sup>+</sup>	1.66	Pb <sup>2+</sup>	18.04
Mg <sup>2+</sup>	8.69	Ni <sup>2+</sup>	18.62
Ca <sup>2+</sup>	10.70	Cu <sup>2+</sup>	18.80
Fe <sup>2+</sup>	14.33	Fe <sup>3+</sup>	25.1
Al <sup>3+</sup>	16.13	Zr <sup>4+</sup>	29.5

- Will a reaction occur or not?

# Conditional Formation Constants

- When  $Y^{4-}$  is not predominant (at  $pH < 10.37$ )
- $K_f = \frac{[MY^{n-4}]}{[M^{n+}][Y^{4-}]}$  becomes  $K_f = \frac{[MY^{n-4}]}{[M^{n+}]\alpha_{Y^{4-}}[EDTA]}$
- If the pH is fixed by a buffer, then

$$K'_f = K_f \times \alpha_{Y^{4-}} = \frac{[MY^{n-4}]}{[M^{n+}][EDTA]}$$

Conditional formation constant

# EDTA titration curves

- We can quantify metals using EDTA as a titrant
- At any point in the titration we can calculate the value of  $pM$  ( $= -\log[M^{n+}]$ ).
- We can use this information to draw titration curves (like for acid-base curves!)
- We need information about the start of the titration, before equivalence point, at equivalence point and after equivalence point.



# EDTA Titration Curves

- Titration reaction:  $\text{MY}^{n-4} \rightleftharpoons \text{M}^{n+} + \text{EDTA}$
- For large  $K'_f$  - reaction considered “complete” at each point in the titration.
- Titration curve:

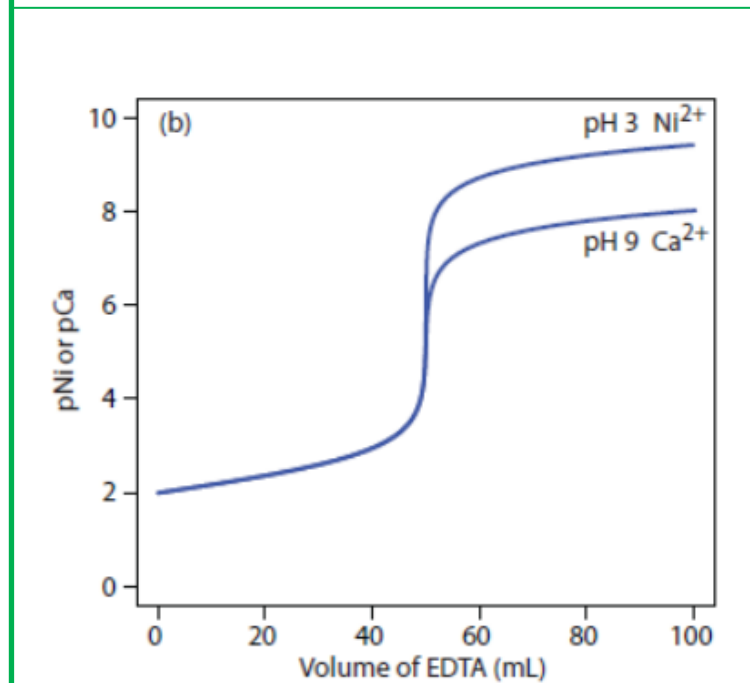
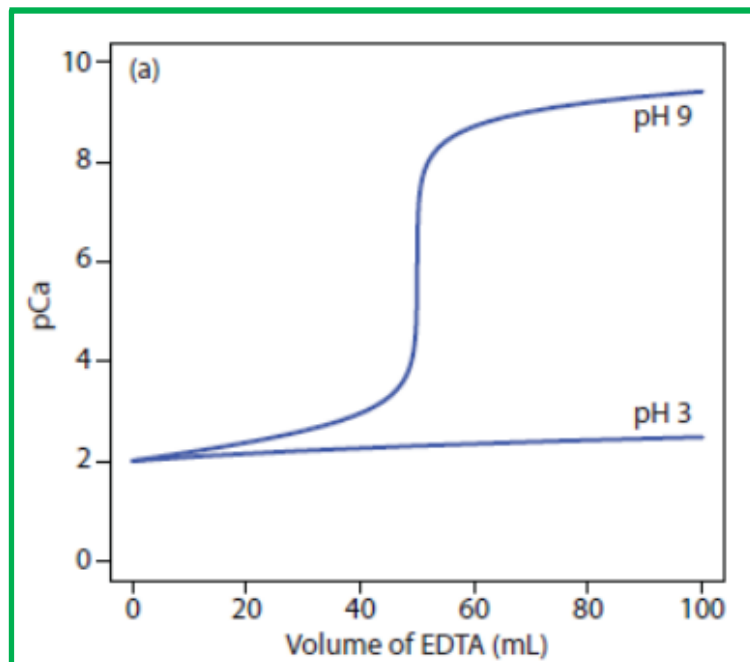
**Considering the titration of 50.0 ml of 0.0050 M  
Ca<sup>2+</sup> solution with 0.0100 M EDTA at pH = 10**

- After the **addition of 10.0 ml EDTA**, some  $\text{Ca}^{2+}$  will have reacted with the EDTA. To find the new  $[\text{Ca}^{2+}]$  :

- After the equivalence point, all the  $\text{Ca}^{2+}$  has reacted and the only source of  $\text{Ca}^{2+}$  is again the dissociation of the  $\text{CaY}^{2-}$  complex.
- This time, we have excess EDTA in the solution.
- We must determine  $[\text{EDTA}]$  and  $[\text{CaY}^{2-}]$  from the stoichiometric quantities.
- Lets assume we add 50 mL after equivalence point...

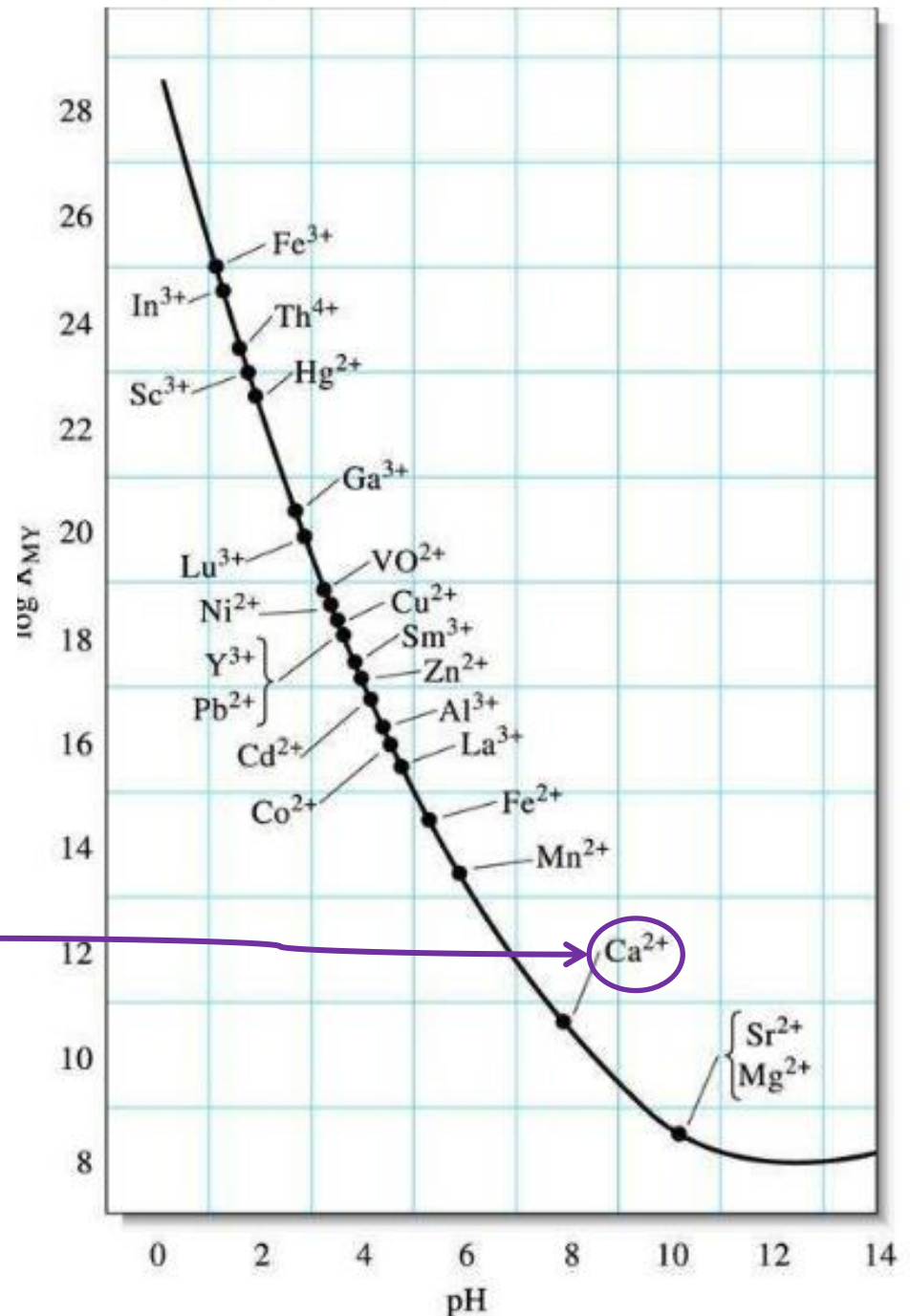
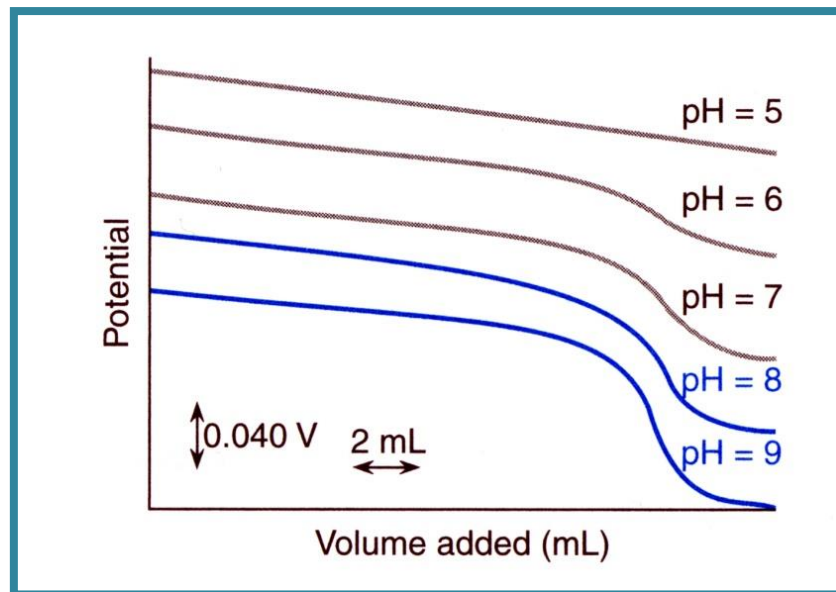
# EDTA and pH

- The metal -EDTA complex becomes less stable as pH decreases
- $K_f$  decreases  
 $[\text{Fe}^{3+}] = 5.4 \times 10^{-7}$  at pH 2.0  
 $[\text{Fe}^{3+}] = 1.4 \times 10^{-12}$  at pH 8.0
- In order to get a “complete” titration ( $K_f \geq 10^6$ ), EDTA requires a certain minimum pH for the titration of each metal ion
- End point becomes less distinct as pH is lowered



# Effect of pH

- Adjusting the pH - one type of metal ion (e.g.  $\text{Fe}^{3+}$ ) can be titrated without interference from others (e.g.  $\text{Ca}^{2+}$ )



# Auxiliary Complexing agents

- Metal cations form complexes (M-hydroxides) at high pH.
- Problem for EDTA titrations which need to be at high pH!!
- We keep the cation in solution by using an auxiliary complexing agent
- They work as a buffer
- Must have a weaker  $K_f$  than metal-EDTA

# Auxiliary complexing agent

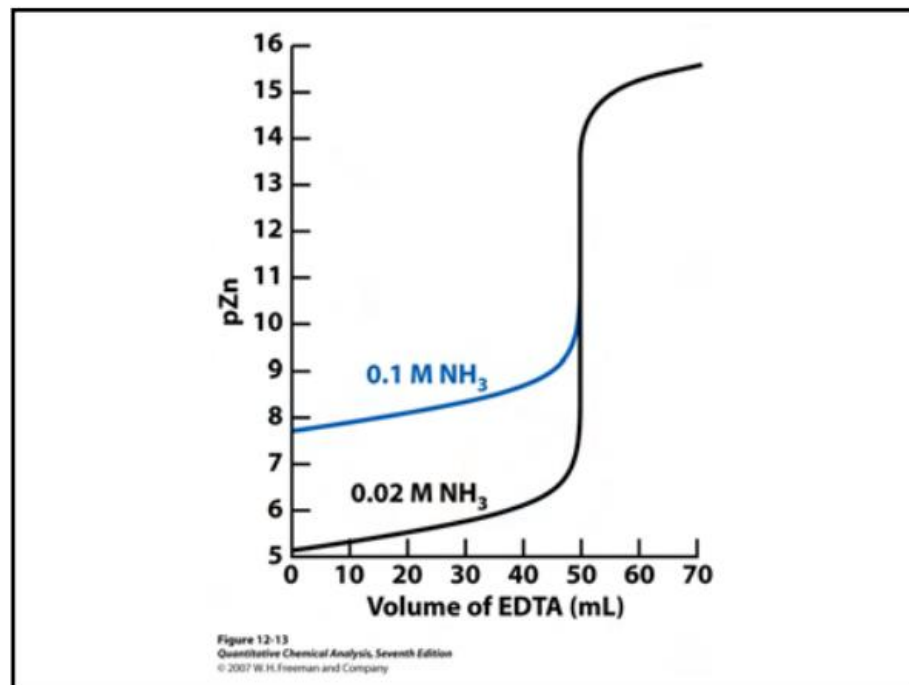
- Titration of  $\text{Cu}^{2+}$  ( $\text{CuSO}_4$ ) with EDTA
- Addition of ammonia buffer results in a dark blue solution
- $\text{Cu(II)}$ -ammonia complex is formed
- Addition of EDTA displaces ammonia with corresponding color change





# Auxiliary complexing agent

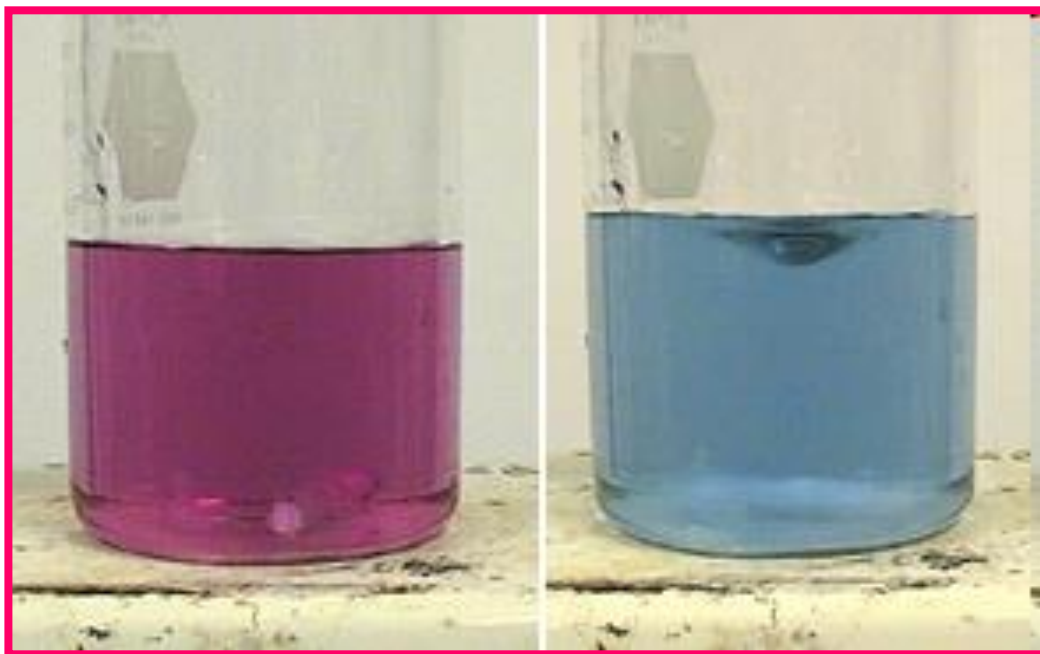
- Ammonia, tartrate, citrate, triethanolamine
- How does the concentration of  $\text{NH}_3$  affect the titration?



# Metal-ion indicators

- EDTA does not have a specific indicator
- We first complex the indicator with the analyte to form a coloured complex.
- Then the indicator – metal analyte complex is titrated with EDTA
- EDTA displaces the indicator and forms a EDTA-metal analyte complex.
- A colour change in the solution indicates the displacement of the dye

- The end point of the titration is when the Mg-Indicator complex (red) is completely dissociated and the becomes Mg-EDTA and free Indicator (blue)
- $\text{Mn}^{2+} + \text{In}^{n-} \rightarrow \text{M-In}$        $\text{M-In} + \text{EDTA} \rightarrow \text{M-EDTA} + \text{In}$



**Table 12-3** Common metal ion indicators

Name	Structure	$pK_a$	Color of free indicator	Color of metal ion complex
Calmagite	 <chem>Cc1ccc(O)cc1=N=Nc2ccc(O)cc2S(=O)(=O)[O-]</chem> $(H_2In^-)$	$pK_2 = 8.1$ $pK_3 = 12.4$	$H_2In^-$ red $HIn^{2-}$ blue $In^{3-}$ orange	Wine red
Eriochrome black T	 <chem>[O-]S(=O)(=O)c1ccc(O)cc1=N=Nc2cc(O)ccc2</chem> $(H_2In^-)$	$pK_2 = 6.3$ $pK_3 = 11.6$	$H_2In^-$ red $HIn^{2-}$ blue $In^{3-}$ orange	Wine red
Murexide	 <chem>O=C1NC(=O)N=C(N1)N2C(=O)NC(=O)N2</chem> $(H_4In^-)$	$pK_2 = 9.2$ $pK_3 = 10.9$	$H_4In^-$ red-violet $H_3In^{2-}$ violet $H_2In^{3-}$ blue	Yellow (with $Co^{2+}$ , $Ni^{2+}$ , $Cu^{2+}$ ); red with $Ca^{2+}$
Xylenol orange	 <chem>Cc1ccc(C(=O)O)cc1=C(Cc2cc(C)cc(S(=O)(=O)[O-])c2C(=O)O)C(=O)O</chem> $(H_3In^{3-})$	$pK_2 = 2.32$ $pK_3 = 2.85$ $pK_4 = 6.70$ $pK_5 = 10.47$ $pK_6 = 12.23$	$H_5In^-$ yellow $H_4In^{2-}$ yellow $H_3In^{3-}$ yellow $H_2In^{4-}$ violet $HIn^{5-}$ violet $In^{6-}$ violet	Red
Pyrocatechol violet	 <chem>O=C1C=CC(=C(C1=CC(=O)O)C(=C(C2=CC(=O)O)C(=C(C2=CC(=O)O)S(=O)(=O)[O-])C(=O)O)C(=O)O</chem> $(H_3In^-)$	$pK_1 = 0.2$ $pK_2 = 7.8$ $pK_3 = 9.8$ $pK_4 = 11.7$	$H_4In$ red $H_3In^-$ yellow $H_2In^{2-}$ violet $HIn^{3-}$ red-purple	Blue

S.No.	Name of the Indicator	Colour change	pH range	Metals detected
1.	Mordant black II	Red to Blue	6-7	Ca, Ba, Mg, Zn, Cd, Mn, Pb, Hg
	Eriochrome blackT			
	Solochrome blackT			
2.	Murexide or Ammonium purpurate	Violet to Blue	12	Ca, Cu, Co
3.	Catechol-violet	Violet to Red	8-10	Mn, Mg, Fe, Co, Pb
4.	Methyl Blue	Blue to Yellow	4-5	Pb, Zn, Cd, Hg
	Thymol Blue	Blue to Grey	10-12	
5.	Alizarin	Red to Yellow	4.3	Pb, Zn, Co, Mg, Cu
6.	Sodium Alizarin sulphonate	Blue to Red	4	Al, Thorium
7.	Xylenol range	Lemon to Yellow	1-3	Bi, Thorium
			4-5	Pb, Zn
			5-6	Cd, Hg

# EDTA titration techniques

- Direct (Analyte titrated with EDTA, may use aux agents)
- Back titration (Excess EDTA titrated with a metal ion)
- Displacement titration (Analyte that does not have an appropriate indicator displaces a metal-EDTA complex that undergoes colour change)
- Indirect titration

# Titration selectivity

- We control pH to titrate different metal cations
- Not always easy *e.g.* analysing  $\text{Al}^{3+}$  if  $\text{Mg}^{2+}$  is present
- We can use a masking agent
- The masking agent will complex with the analyte leaving other cations to complex with EDTA
  - *e.g.* Fluoride reacts with  $\text{Al}^{3+}$

# Masking and demasking example

A solution containing Mg, Zn, and Cu can be titrated as follows:

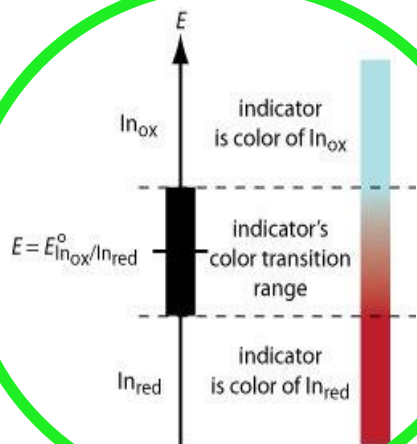
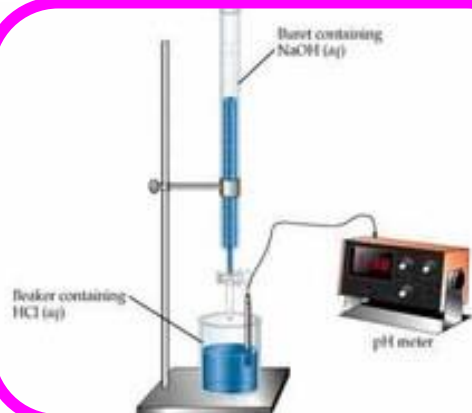
- Add excess of standard EDTA and back-titrate with standard Mg solution using solochrome black as indicator. This gives the sum of all the metals present.
- Treat an aliquot portion with excess of **KCN** and titrate as before. This gives Mg only.
- Add excess of **chloral hydrate** to the titrated solution in order to liberate the Zn from the cyanide complex, and titrate until the indicator turns blue. This gives the Zn only.
- The Cu content may then be found by difference



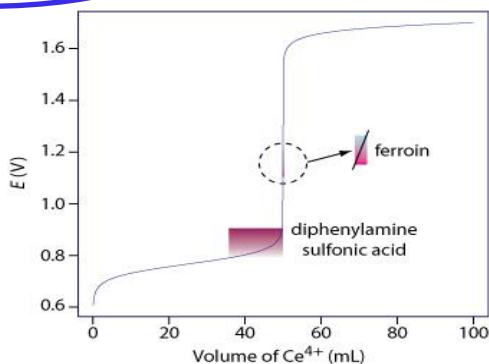
A 25.00 ml aliquot of a solution containing  $\text{Cu}^{2+}$  and  $\text{Fe}^{3+}$  was titrated with 16.06 ml of 0.05083 M EDTA. A second 25.00 ml aliquot of the Cu/Fe mixture was treated with NaF to form a stable iron-fluoride complex. This mixture was then titrated with 0.05083 M EDTA and the endpoint volume was found to be 5.43 ml. Calculate the molar concentrations of  $\text{Cu}^{2+}$  and  $\text{Fe}^{3+}$ .

**1<sup>st</sup> titration: 25 mL aliquot, 16.06 mL of 0.05083 M EDTA**

**2<sup>nd</sup> titration: 25 mL aliquot, 5.43 mL of 0.05083 M EDTA**

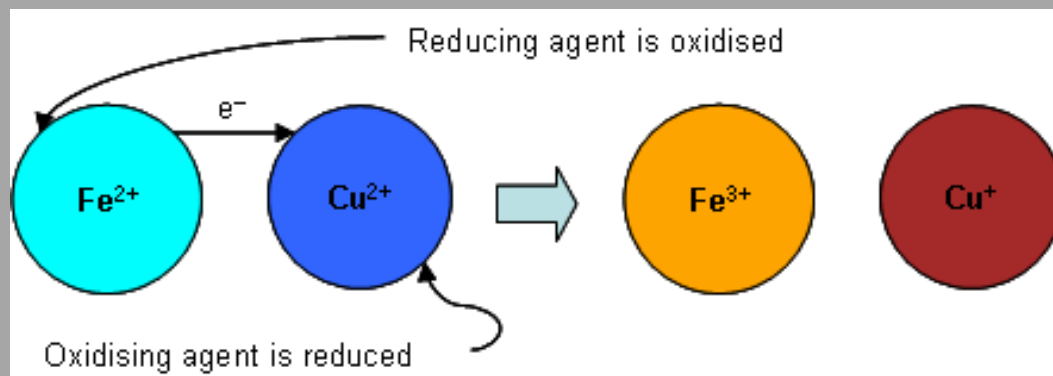


# Redox titrations



# Redox facts

Is the reaction redox?	If any atoms change oxidation number -YES!
What is oxidised?	↑ oxidation number ( $\text{Fe}^{2+}$ )
What is reduced	↓ oxidation number ( $\text{Cu}^{2+}$ )
Reducing agent	Substance with element oxidised ( $\text{Fe}^{2+}$ )
Oxidising agent	Substance with element reduced ( $\text{Cu}^{2+}$ )



# Redox titration

- Oxidation and reduction reaction between analyte and titrant
- We can deduce the shape of the redox titration curve using half reactions and their associated potentials.
- During the titration, the potential difference will change over time

# Redox Indicators

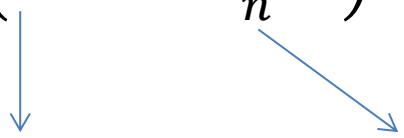
- Redox indicators change colour based on the redox potential of the solution
- Respond to the appearance or disappearance of a reagent.
  - Starch as an indicator for excess iodine solution.
  - Thiocyanate as a detector of  $\text{Fe}^{3+}$ .

- *e.g.* 1,10-phenanthroline undergoes a change in colour when Fe(II) is oxidised.  $\text{Cr}_2\text{O}_7^{2-} + 6 \text{Fe}^{2+} + 14\text{H}^+ \rightarrow 2\text{Cr}^{3+} + 6 \text{Fe}^{3+} + 7\text{H}_2\text{O}$



- Starch is used as a redox indicator when triiodide ( $\text{I}_3^-$ ) is present. Starch forms a very dark blue-black complex with triiodide which can be made by mixing iodine with iodide. The complex is not formed if only iodine or only iodide ( $\text{I}^-$ ) is present.

# Redox indicator range

- $E = \left( E^0 \pm \frac{0.05916}{n} \right) \text{ volts (w.r.t SHE)}$   


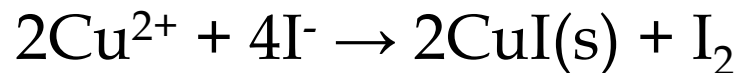
From a table          no. of electrons

- A redox titration is feasible if the difference is  $\geq 0.2 \text{ V}$ .
- The bigger the difference, the sharper the endpoint colour change

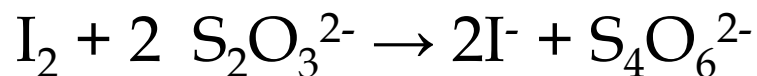


# Iodometric Titrations

- The basic reaction in the determination of copper using the iodometric method is represented by the equation:



- The iodine is then titrated with thiosulphate solution (which has been standardised)



- The amount of iodine liberated in the reaction between iodide ion and an oxidizing agent is a measure of the quantity of oxidizing agent originally present in the solution.
- The amount of standard sodium thiosulfate solution required to titrate the liberated iodine is then equivalent to the amount of oxidizing agent.
- Iodometric methods can be used for the quantitative determination of strong oxidizing agents such as potassium dichromate, permanganate, hydrogen peroxide, cupric ion and oxygen.

# Example- Homework

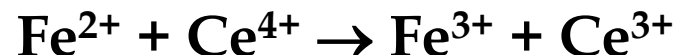
- 0.3021 g of brass is dissolved in HCl and H<sub>2</sub>SO<sub>4</sub>. 4.0 g of KI was then added to the sample. This is titrated with 27.34 mL of a standard thiosulfate solution with a concentration of 0.1008 M. Calculate the %Cu in brass.

# Redox titration curves

- Nernst Equation! :

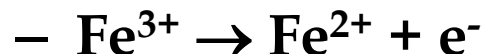
$$E = E^0 + \frac{RT}{nF} \ln \frac{[\text{Ox}]}{[\text{Red}]}$$

- Using Ce (titrant) and Fe:



- Calomel is the reference electrode (0.241 V)

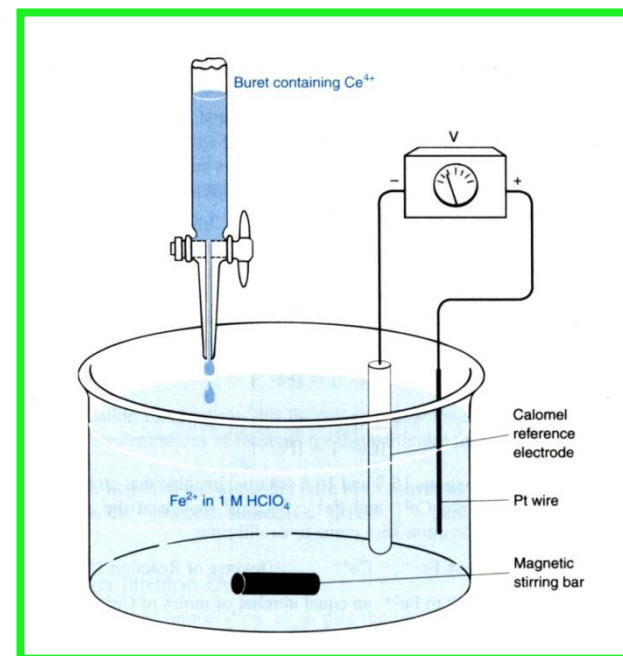
- @the platinum electrode:



$$E^0 = 0.767 \text{ V}$$



$$E^0 = 1.70 \text{ V}$$



# Before equivalence point

- Each aliquot of  $\text{Ce}^{4+}$  creates an equal number of moles of  $\text{Ce}^{3+}$  and  $\text{Fe}^{3+}$
- Excess unreacted  $\text{Fe}^{2+}$  remains in solution
- Use iron half-reaction relative to calomel reference electrode

$$E = E_+ (\text{indicator electrode}) - E_- (\text{reference electrode})$$

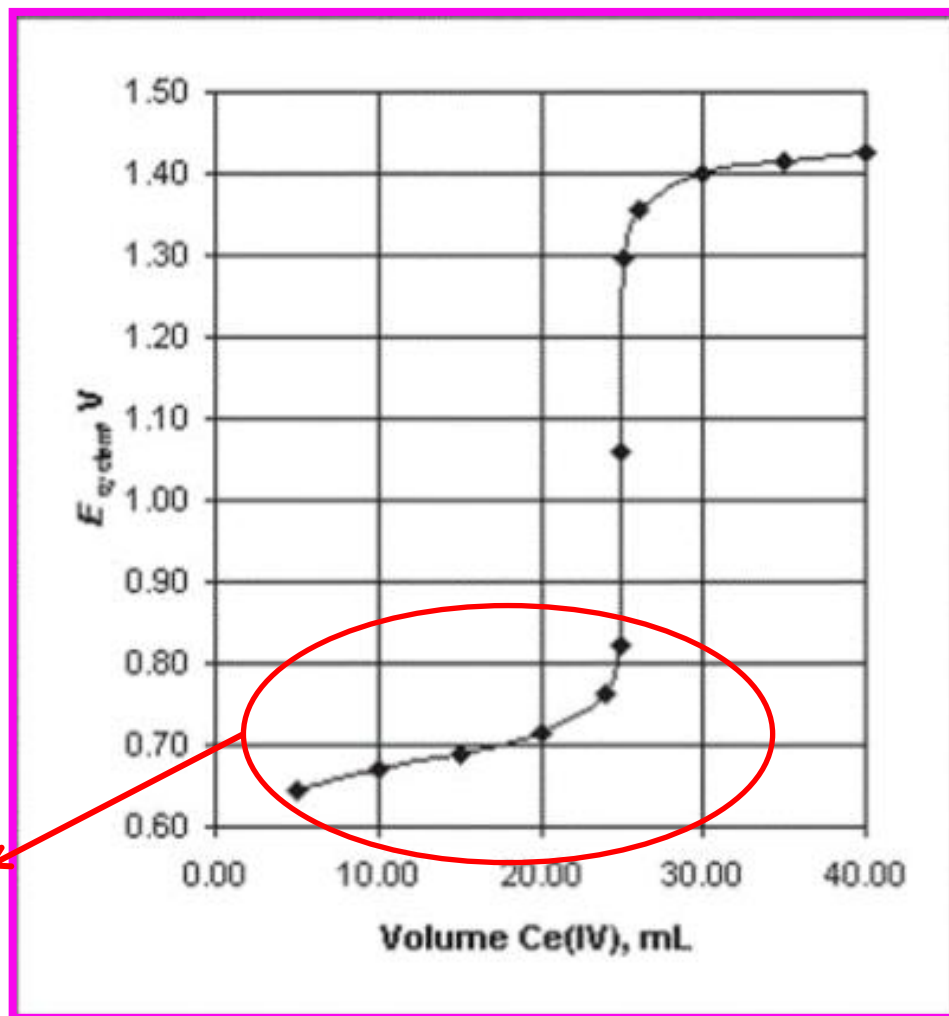
50mL of 0.05 M  $\text{Fe}^{2+}$  with 15mL, 25 mL and 26 mL  
0.100 M  $\text{Ce}^{4+}$  . Calomel electrode is 0.241 V



# Titration curve

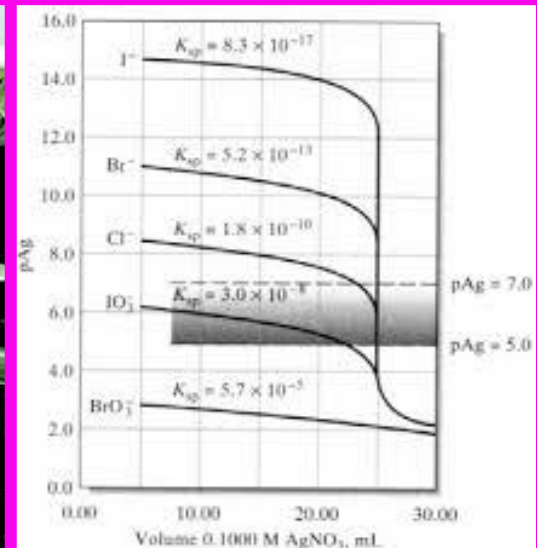
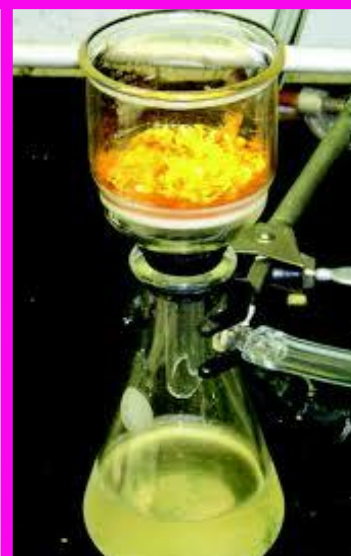
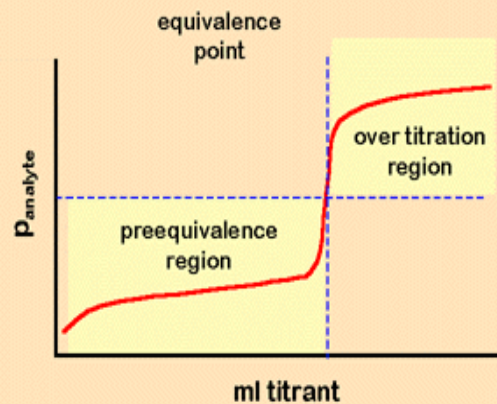
- 50.00 mL solution of 0.100 M  $\text{Fe}^{2+}$  with 0.100 M  $\text{Ce}^{4+}$  in 1 M  $\text{H}_2\text{SO}_4$

$$E = 0.526 - 0.05916 \log \left( \frac{[\text{Fe}^{2+}]}{[\text{Fe}^{3+}]} \right)$$



# Gravimetry & Precipitation Titrations

Precipitate formation titration curves





# Precipitation reactions

- We can use precipitation in titration
- Most common to quantify chlorides, bromides, iodides, and thiocyanate using silver nitrate
- Technique is called **ARGENTOMETRIC TITRATION**
- The titrant reacts with the analyte → precipitate
- The first drop of titrant in excess will react with an indicator (color change)



# Argentometric Titration - Mohr Method

- Chromate as an indicator.
- Chromate forms a precipitate with  $\text{Ag}^+$
- Precipitate has a greater solubility than that of  $\text{AgCl}$
- $\text{AgCl}$  is formed first and after all  $\text{Cl}^-$  is consumed, the first drop of  $\text{Ag}^+$  in excess will react with the chromate indicator giving a reddish precipitate.



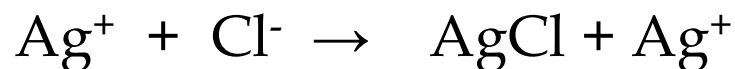
# Conditions for Mohr

- Neutral medium ( $\sim$  pH 7)
- In alkaline solutions, silver will react with the hydroxide ions forming  $\text{AgOH}$ .
- In acidic solutions, chromate will be converted to dichromate.

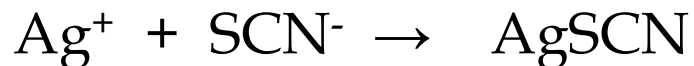


# Argentometric titration – Volhard Method

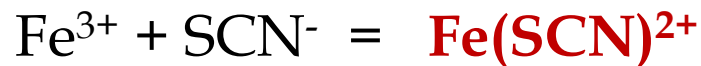
- Indirect method
- $\text{Fe}^{3+}$  as an indicator.
- Excess amount of standard  $\text{Ag}^+$  is added to the  $\text{Cl}^-$  solution:



- The excess  $\text{Ag}^+$  is then titrated with standard  $\text{SCN}^-$  :

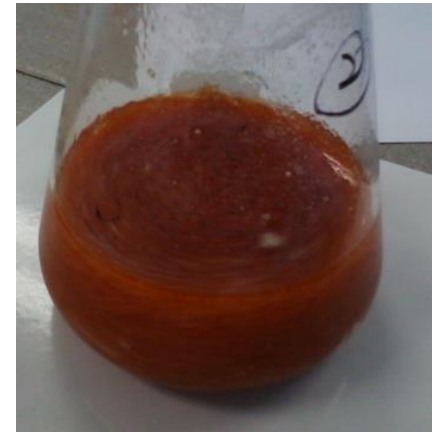
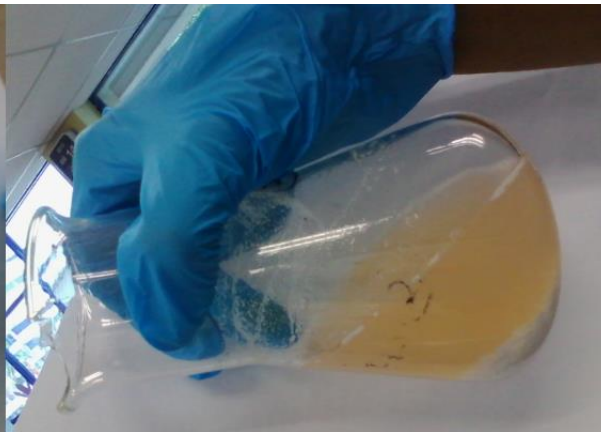


- The first excess of  $\text{SCN}^-$  results in a red color (endpoint)



# Conditions for Volhard

- Acidic medium otherwise Fe indicator will react (precipitated Fe oxides)
- May need to filter the precipitate formed in the first reaction if it is more soluble than  $\text{AgSCN}$ .
- Can also add something to form a film around the precipitate *e.g.* nitrobenzene to prevent reaction

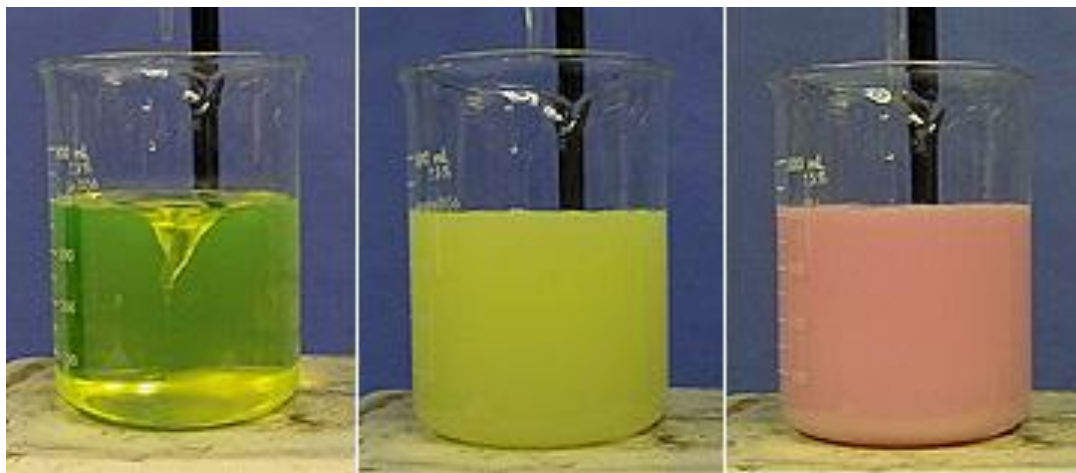


# Argentometric titration - Fajans Method

- Adsorption indicator is used
- Silver to titrate  $\text{Cl}^-$

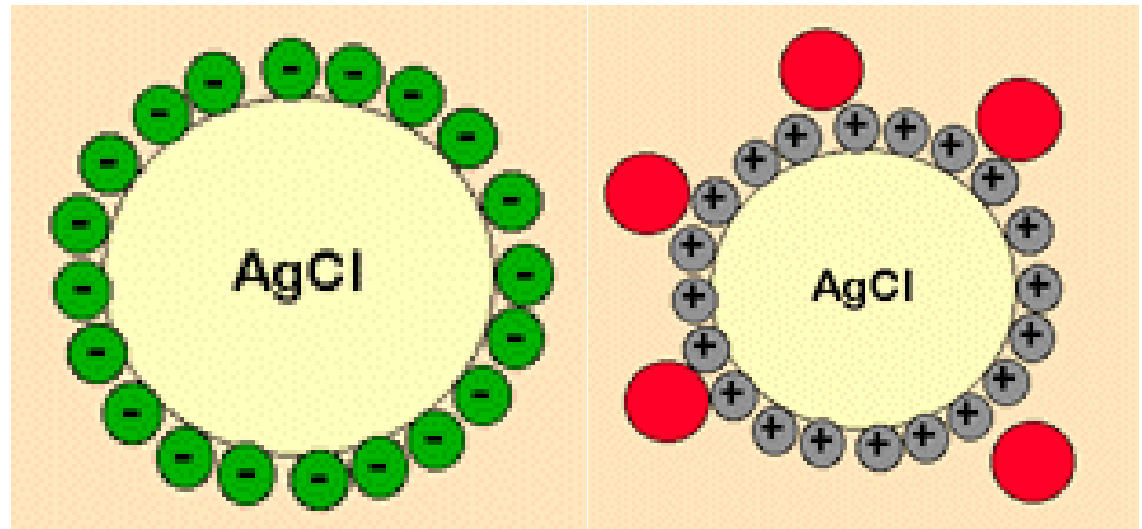


- Fluorescein adsorbs to the surface of colloidal  $\text{AgCl}$ .
- The first drop of excess  $\text{Ag}^+ \rightarrow$  reddish color



# Conditions for Fajans

- Fluorescein and its derivatives are weak acids,
- The pH of the solution should be slightly alkaline (keeps indicator in anion form)
- Should not be alkaline enough to convert  $\text{Ag}^+$  into  $\text{AgOH}$ .



# Mohr

Chromate

Direct

Neutral

# Volhard

Fe

Indirect

Acidic

# Fajan

Fluorescein

Direct

Slightly  
alkaline



# Electrodes

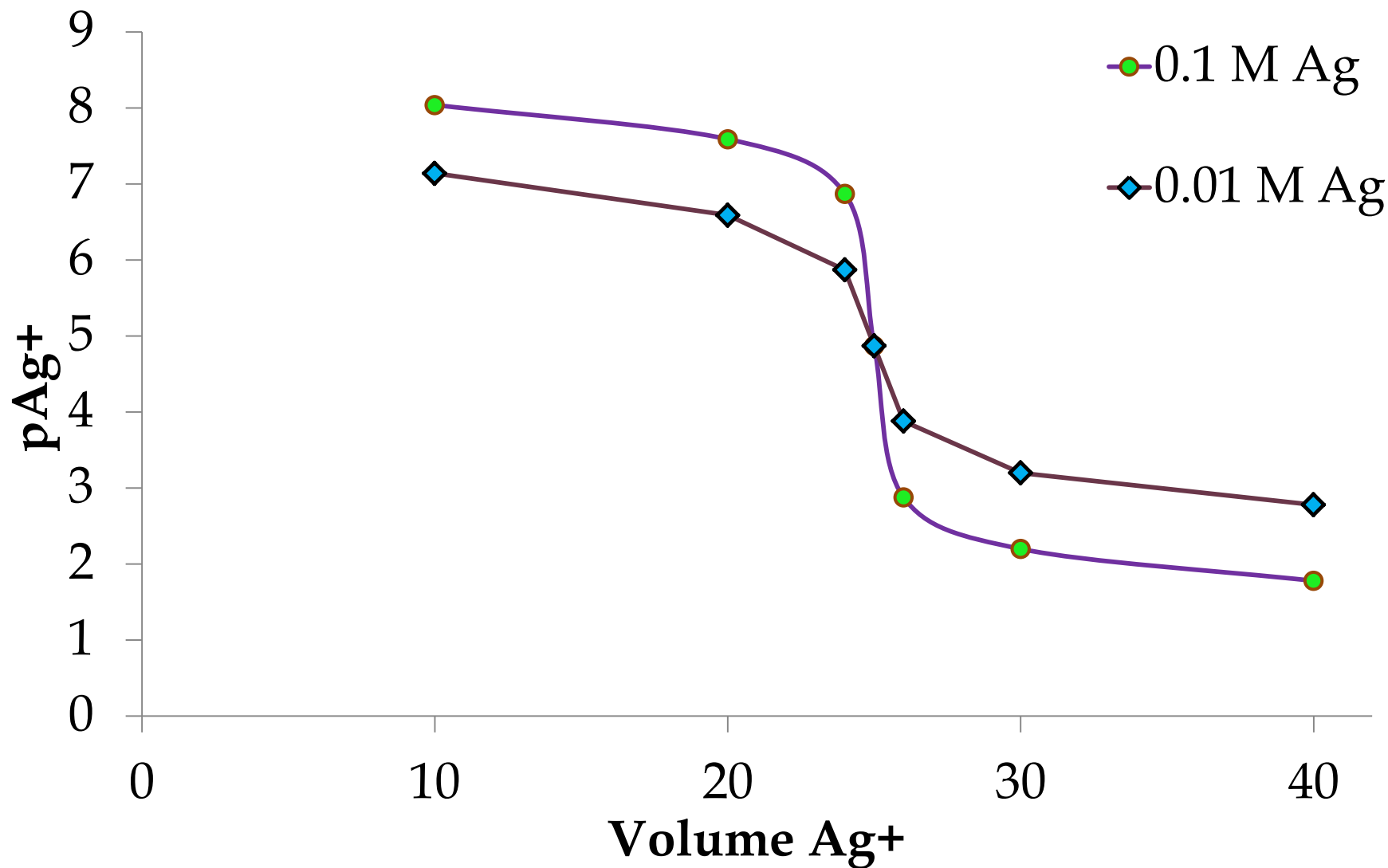
- Typically precipitation reactions are monitored by electrodes.
- We can use them to draw up precipitation curves to locate the equivalence point.
- Same as for acid-base titrations except we use the solubility product of the precipitate
- $K_{sp} = [A^+][B^-]$

Generate a titration curve for 50.00 mL of 0.0500 M NaCl with 0.1000 M AgNO<sub>3</sub>



$$K_{sp} = [\text{Ag}^+][\text{Cl}^-] = 1.82 \times 10^{-10}$$

# Effect of concentration



# Titrating a mixture

- Less soluble precipitates first
- Titration of 50.00 mL of a solution ( $[I^-] = 0.0500\text{M}$  and  $[Cl^-] = 0.0800\text{ M}$ ) with  $0.1000\text{ M AgNO}_3$ .
- $K_{sp}(Cl^-) = 1.82 \times 10^{-10}$        $K_{sp}(I^-) = 8.3 \times 10^{-17}$
- We know that  $K_{sp} = [Ag^+][Cl^-]$  and  $K_{sp} = [Ag^+][I^-]$

50.00 mL of ( $[I^-] = 0.0500\text{M}$  and  $[Cl^-] = 0.0800\text{ M}$ )  
solution with  $0.1000\text{ M AgNO}_3$   
@25 mL:

- $n_{Cl^-} = 0.08\text{ M} \times 0.05\text{L} = 0.004\text{ moles}$
- $[Cl^-] = \frac{n}{v} = \frac{0.004\text{ mols}}{0.05\text{ L} + 0.025\text{ L}} = 0.0533\text{ M}$
- $[Ag^+] = \frac{K_{sp}}{[Cl^-]} = \frac{1.82 \times 10^{-10}}{0.0533\text{ M}} = 3.41 \times 10^{-9}\text{ M} \rightarrow pAg = 8.47$
- What about the  $I^-$ ?
- $\frac{K_{sp}}{[Cl^-]} = \frac{K_{sp}}{[I^-]} \rightarrow \frac{[I^-]}{[Cl^-]} = \frac{K_{sp}(I)}{K_{sp}(Cl)} \rightarrow [I^-] = 2.43 \times 10^{-8}\text{ M}$

**50.00 mL of ( $[I^-] = 0.0500\text{M}$  and  $[Cl^-] = 0.0800\text{ M}$ ) solution with  $0.1000\text{ M AgNO}_3$  @30 mL:**

- $n_{Cl^-} = 0.08\text{ M} \times 0.05\text{L} = 0.004\text{ moles}$
- $n_{Ag^+} = 0.100\text{ M} \times 0.03\text{L} = 0.003\text{ moles}$
- $n_{I^-} = 0.05\text{ M} \times 0.05\text{L} = 0.0025\text{ moles}$
- $[Cl^-] = \frac{n}{v} = \frac{0.004\text{ mols} - (0.003 - 0.0025)\text{ mols}}{0.05\text{ L} + 0.03\text{ L}} = 0.0438\text{ M}$
- $[Ag^+] = \frac{K_{sp}}{[Cl^-]} = \frac{1.82 \times 10^{-10}}{0.0438\text{ M}} = 4.16 \times 10^{-9}\text{ M} \rightarrow pAg = 8.38$

# Gravimetric Analysis

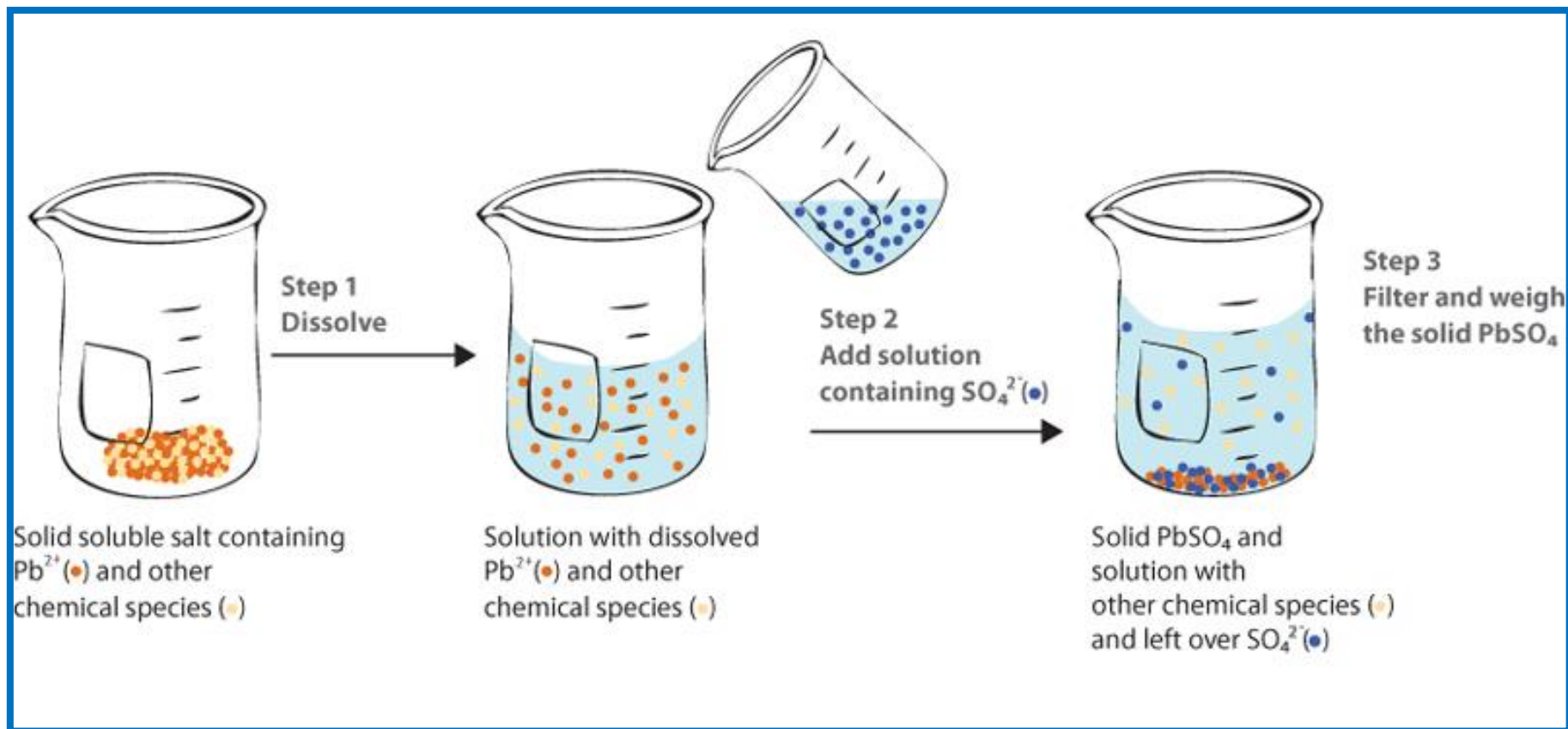
- Analyte measured based on mass
- Analyte is precipitated out of solution in a chemical reaction
- Precipitate is washed of impurities
- Converting precipitate to a known composition
- Dried mass by difference weighed.

# Steps for gravimetric analysis

- Preparation of the solution
- Precipitation
- Digestion
- Filtration
- Washing
- Drying or igniting
- Weighing
- Calculation



# Example: Pb in water

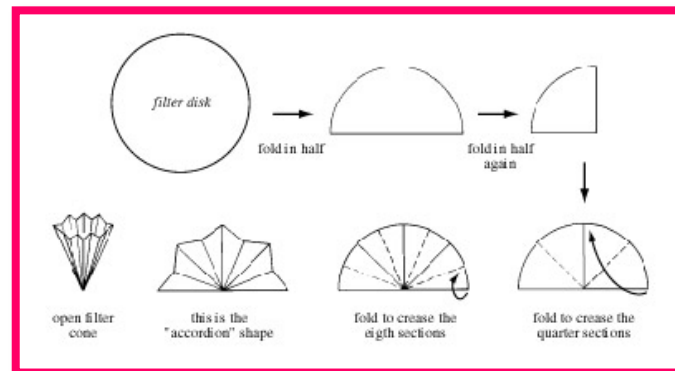
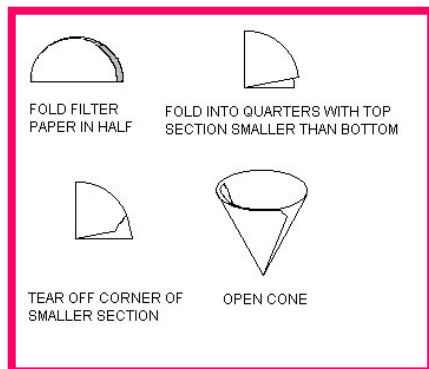


# Details of each step

- The sample is dissolved, if it is not already insoluble.
- The solution may be treated to adjust the pH
  - To form the proper precipitate
  - To suppress the formation of other precipitates
- The precipitating reagent is added at a concentration that favors the formation of a "good" precipitate.
- This may require:
  - low concentration,
  - extensive heating (digestion)
  - control of the pH.
- Heating can help reduce the amount of coprecipitation.

- After the precipitate has formed and been allowed to "digest", the solution is carefully filtered.
- The filter is chosen to trap the precipitate

- However, they must be carefully cleaned to minimize contamination or carryover(cross-contamination).



- After the solution has been filtered - test to make sure that the analyte has been completely precipitated.
- Add a few drops of the precipitating reagent - if a precipitate is observed, the precipitation is incomplete.
- After filtration, the precipitate is heated so
  - The remaining moisture is removed (drying).
  - The precipitate is converted to a more chemically stable form. *e.g.* the Ca ion is precipitated with oxalate to produce calcium oxalate ( $\text{CaC}_2\text{O}_4$ ); it can then be heated to convert to CaO.
  - The filter paper is removed – must use ash-less filter paper.
- Cool the precipitate in a desiccator.
- Weighed the product in the crucible (mass difference)
- Since the composition of the precipitate is known, it is simple to calculate the mass of analyte in the original sample

# Criteria for using gravimetric analysis

- The precipitating agent should react specifically or at least selectively with the analyte.
- The precipitate must be easily transferred
- The precipitate must be of
  -
- The precipitate must be easy to filtered *i.e.* large crystals

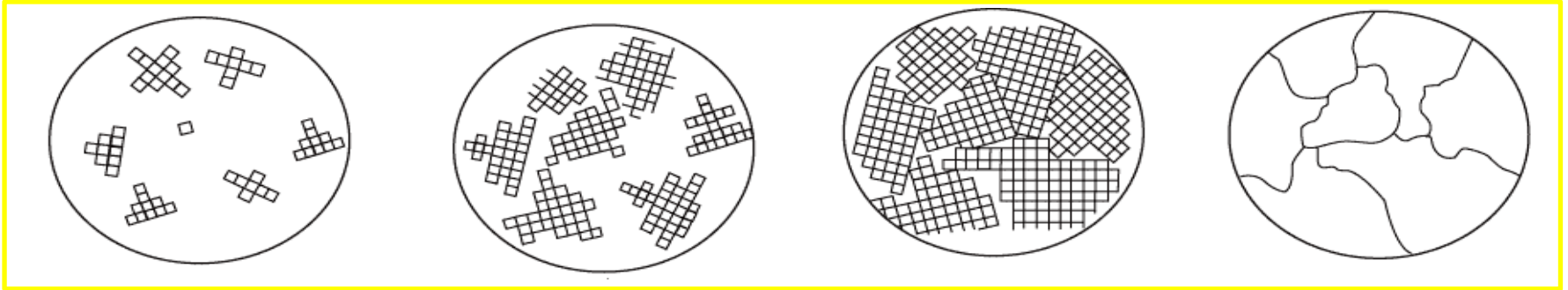
# Filterability

- Want product to be large enough to collect on filter:
  - Best Case: Pure Crystals
  - Worst Case: Colloidal suspension: Difficult to filter due to small size, tend to stay in solution
- *Whether crystals or colloids are obtained depends on conditions used in the precipitation*
- Particle size influenced by experimental variables as
  - precipitate solubility,
  - temperature,
  - reactant concentrations
  - rate at which reactants are mixed.

# Precipitate formation

- Precipitates form by nucleation and particle growth.
- A few ions, atoms, or molecules come together to form a stable solid.
- Formed on the surface of suspended solid contaminants, *e.g.* dust particles.

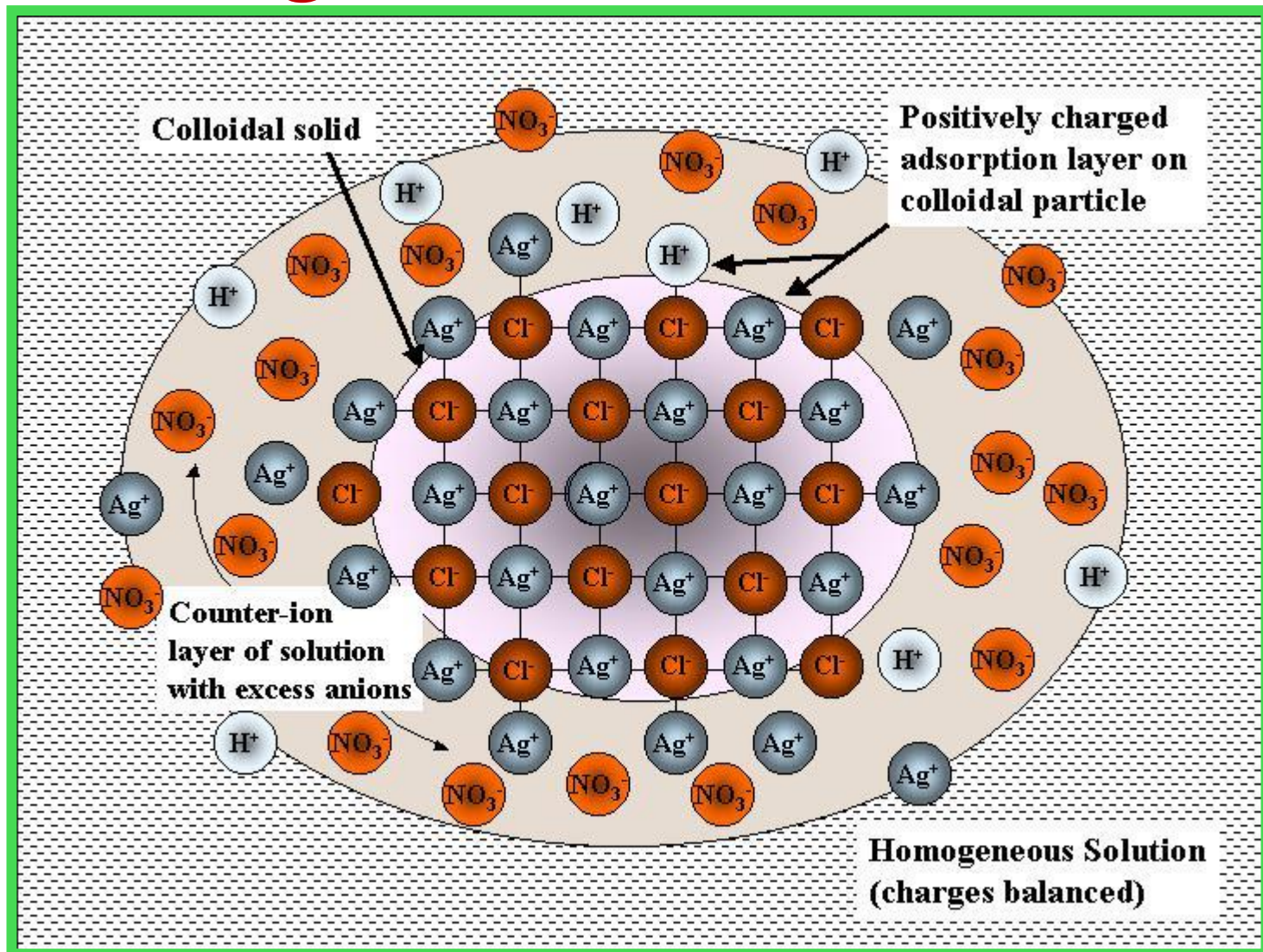
# Nucleation and particle growth



- Further precipitation involves a competition between additional nucleation and growth on existing nuclei (particle growth).
- If nucleation predominates, a precipitate containing a large number of small particles results
- If particle growth predominates, a smaller number of larger particles is produced. 😊

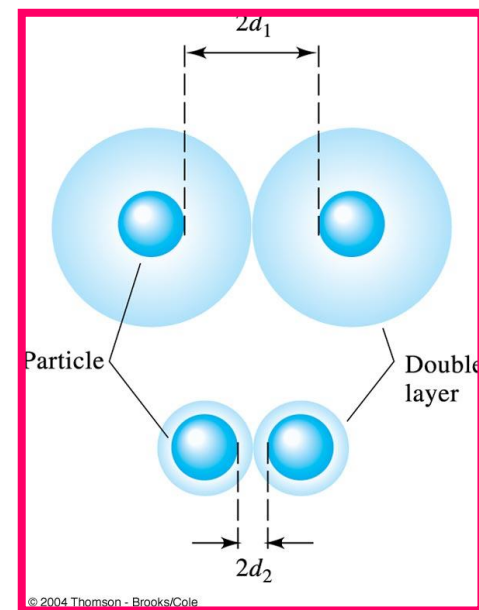


# Coagulation of Colloids

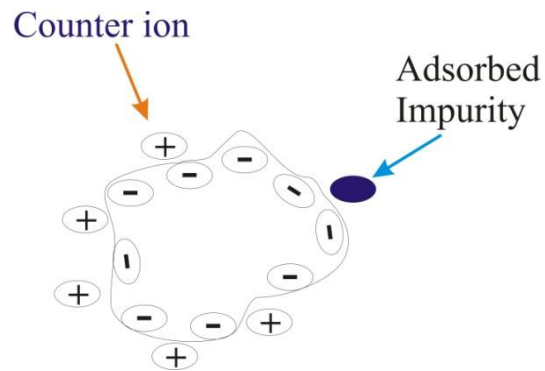


# Colloidal precipitates

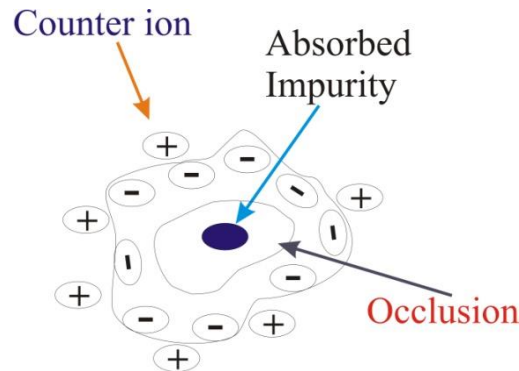
- Electric double layer prevents coagulation of individual particles.
- Heat decreases the thickness of the double layer.
- Increasing the electrolyte concentration (*i.e.* add more  $\text{AgNO}_3$  for  $\text{Cl}$  precipitation) will also decrease this layer.
- **Problem:** Washing reverts coagulated colloid to original state - **PEPTISATION**



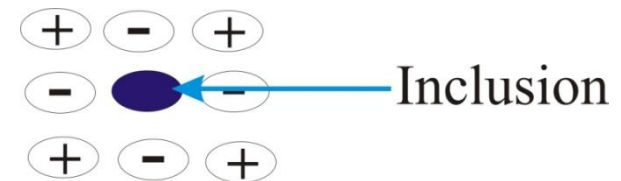
# Crystal Impurities



**Adsorbed to  
crystal surface**

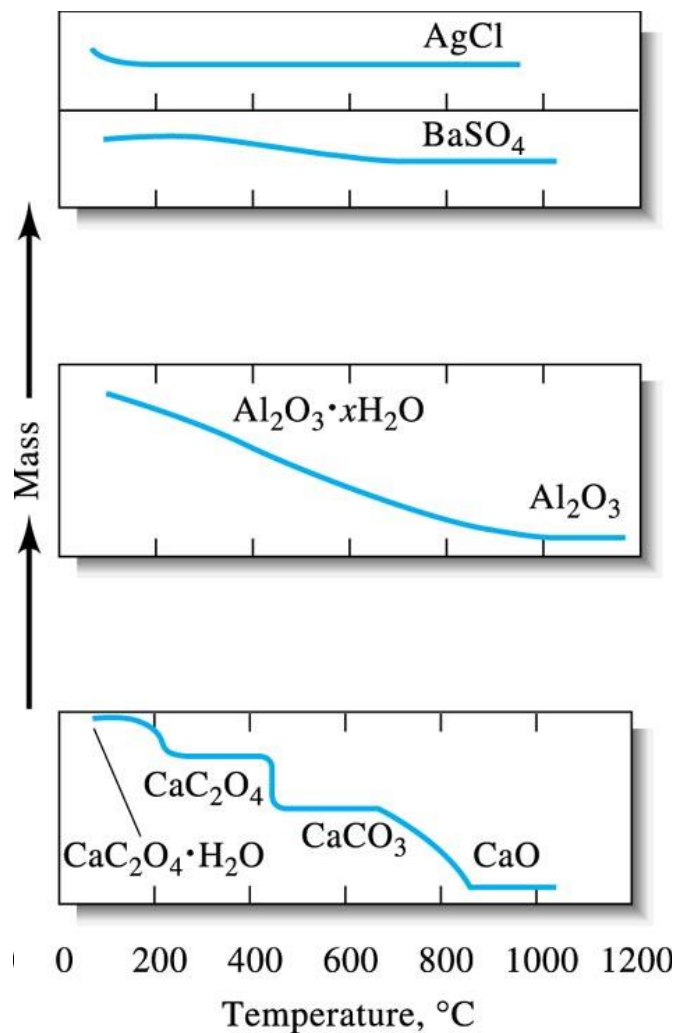


**Absorbed or trapped  
within crystal pockets**



**Impurity placed in crystal  
instead of analyte**

# Filtering & Drying samples



# Weighing techniques

- Reproducible amounts of water – drying in an oven until constant mass
- Cannot touch crucible with fingers or dirty tongs – oil residue and dirt
- Cleaning off sides of crucible with a cloth – static charge
- Open container so no temperature/pressure issues

# Gravimetric Example

A 2.00 g sample of limestone was dissolved in HCl and all the Ca in the sample was converted to  $\text{Ca}^{2+}_{(\text{aq})}$ . Excess ammonium oxalate solution,  $(\text{NH}_4)_2\text{C}_2\text{O}_{4(\text{aq})}$ , was added to the solution to precipitate the Ca ions as  $\text{CaC}_2\text{O}_{4(\text{s})}$ . The precipitate was filtered, dried and weighed to a constant mass of 2.43 g. Determine the percentage by mass of calcium in the limestone sample.

# Calculating using a gravimetric factor

$$GF = \frac{\text{f mass analyte}}{\text{f mass precipitate}} \times \frac{\text{mol analyte}}{\text{mol precipitate}} = \frac{\text{g analyte}}{\text{g precipitate}}$$

- Still need the equation
- Still uses stoichiometry

A barium halide exists as the hydrated salt  $\text{BaX}_2 \cdot 2\text{H}_2\text{O}$ , where X is the halogen. A sample of the halide (0.2650 g) was dissolved in water ( $200 \text{ cm}^3$ ) and excess sulfuric acid added. The precipitate formed (barium sulfate) was filtered, washed and dried. Precipitate weighed = 0.2533 g. Determine the identity of X.



25.00 mL of  $\text{Pb}(\text{NO}_3)_2$  [MM = 331.2098 g mol<sup>-1</sup>] solution with an unknown concentration reacts with excess aqueous  $\text{Rb}_3\text{AsO}_4$ . After filtering and drying, 0.0814 g of precipitate is found. What is the concentration of the lead(II) nitrate solution?  
 $M(\text{Pb}_3(\text{AsO}_4)_2) = 692.2 \text{ g mol}^{-1}$