

Homework 7 Possible Answers

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From Problem 1

Question

After loading the OJ data set, make *STORE* and *StoreID* factor variables. Set the random seed equal to 7 and take a random sample of 800 rows of the data. This will be the training data set; the remaining observations will be the validation set.

Possible Answer:

```
OJ <- OJ %>%
  mutate(STORE = factor(STORE),
         StoreID = factor(StoreID))

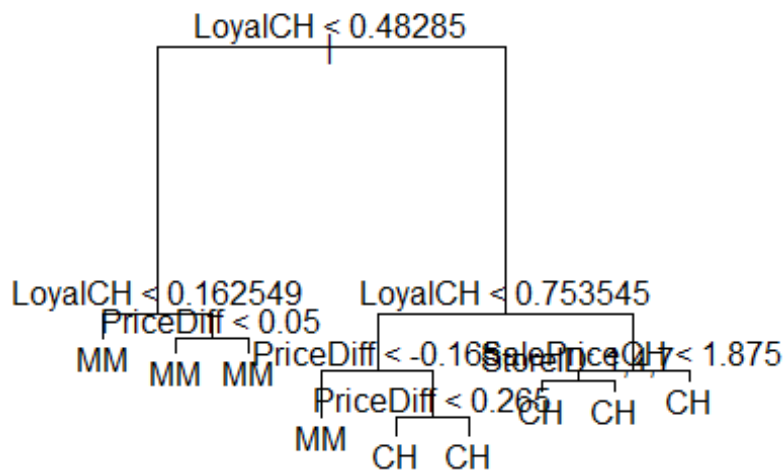
set.seed(7)
groups = c(rep(1, 800), rep(2, 270)) # 1 represents the training set
random_groups = sample(groups, 1070)

in_train = (random_groups == 1)
```

Question

Plot the decision tree with category labels.

Possible Answer:



Question

For the decision tree you just uploaded, write 3–5 sentences interpreting the fitted model. Your interpretation should include the phrase “This makes sense because...”

- Note that PriceDiff represents (Sale Price of MM) - (Sale Price of CH). So, negative values of PriceDiff mean that Minute Maid is cheaper.

Possible Answer: The most important factor in which brand of orange juice a customer buys is their loyalty score. If a customer’s loyalty to the Citrus Hill brand is less than .483, then we can predict that they will buy Minute Maid, and if their loyalty is more than .754, then we can predict that they will buy Citrus Hill (although the Citrus Hill sale price, price difference, and StoreID are associated with varying levels of confidence in these predictions). This makes sense, because customers with higher values of loyalty to Citrus Hill are predicted to buy Citrus Hill.

Customers with an intermediate loyalty are predicted to buy Citrus Hill if it is not more than 16.5 cents more expensive than Minute Maid. This makes sense, because customers with a mild brand loyalty may not stick with their preferred brand if it is much more expensive than the alternative.

From Problem 2:

Question

After loading the Hitters data set, remove the observations with unknown salary. **Create a new variable** equal to $\log(\text{Salary})$, and then remove the original Salary variable.

Possible Answer:

```
my_hitters <- Hitters %>%  
  filter(!is.na(Salary)) %>%  
  mutate(log_salary = log(Salary)) %>%  
  select(-Salary)
```

Question

Set the random seed to 7 again. Then perform 10-fold cross-validation to compare boosting (using the same parameters as in the previous question) to multiple linear regression.

Possible Answer:

```
set.seed(7)  
  
n = dim(my_hitters)[1]  
k = 10 # Using 10-fold CV  
groups = rep(1:k, length = n)  
  
cvgroups = sample(groups, n)  
boost_predict = numeric(length = n)  
linear_predict = numeric(length = n)  
data_used = my_hitters  
  
for(ii in 1:k){  
  groupi = (cvgroups == ii)  
  # Perform boosting on everything not in groupi  
  # Then predict values for groupi  
  boost = gbm(log_salary ~ ., data = data_used[!groupi, ],  
              distribution = "gaussian", n.trees = 5000,  
              shrinkage = .001, interaction.depth = 4)  
  
  boost_predict[groupi] = predict(boost, newdata = data_used[groupi, ],  
                                n.trees = 5000, type = "response")  
  
  # Perform linear regression on everything not in groupi  
  # Then predict values for groupi  
  linear = lm(log_salary ~ ., data = data_used[!groupi, ])  
  linear_predict[groupi] = predict(linear, newdata = data_used[groupi, ])  
}
```

From Problem 3:

Question

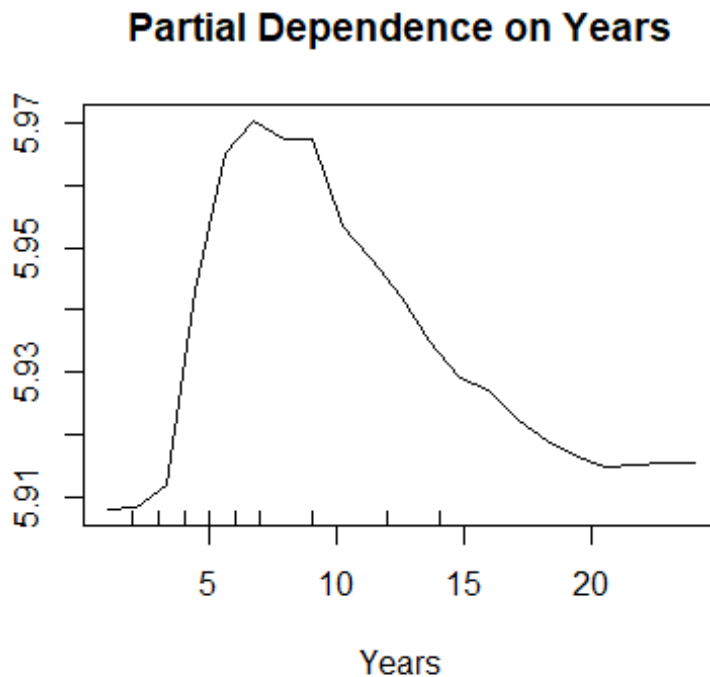
Use `?Hitters` to view what each variable in the data set represents. Examine some preliminary graphs and summaries of the data. If we want to use decision trees to analyze this data set, why are random forests a good idea? Explain in 2-4 sentences.

Possible Answer: The data set contains several variables that people who are familiar with baseball would expect to be correlated (such as at-bats, hits, and runs); high correlations are confirmed using `pairs()` and `corrplot()`. Using random forests will enable us to reduce the correlations in the predictions that stem from having correlated variables, by choosing from among a subset of variables at each node. This is likely to reduce the variance in our estimates.

Question

Make a partial dependence plot of the variable you chose in the previous problem.

Possible Answer:



Question

Write 2-4 sentences interpreting the relationship between predicted $\log(\text{Salary})$ and the variable you selected in the previous two problems. Include a possible explanation for the shape of the relationship.

Possible Answer: The relationship between Years and predicted $\log(\text{Salary})$ is non-monotonic. Players with between 5 and 10 years of experience are predicted to have the highest salaries, while players with more and less experience are predicted to have lower salaries. One possible explanation is that after players reach a certain age, it may be harder—or perceived to be harder—to maintain a top level of physical fitness, so their teams pay them less.

However, this is based on data from only two seasons, so this “trend over time” may not hold. Another possibility is that each player’s salary is roughly constant during their career, but the more experienced players started their careers before inflation caused a big jump in starting salaries.