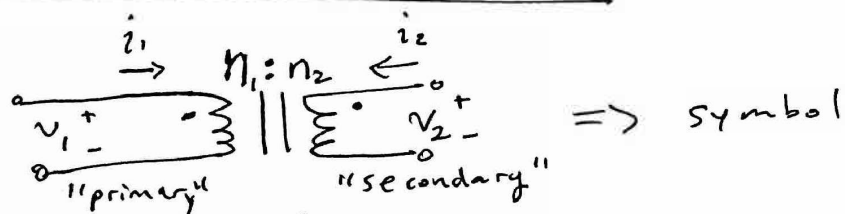


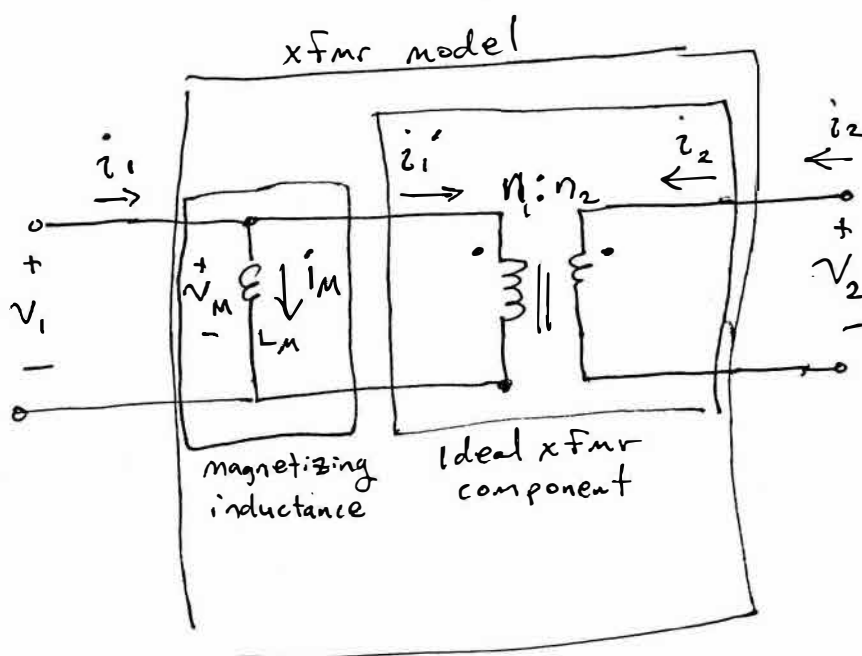
①

## Recap of the xfmr model



↪ This is the symbol.

The model is below: ↪



From notes in lecture we know that

$$\frac{v_1}{n_1} = \frac{v_2}{n_2}$$

← voltage transformation expression

(1)

and

$$i_1' n_1 + i_2 n_2 = 0$$

← current transformation expression

(2)

- Sign conventions: The dots on the ideal xfmr component of the model imply the following:

→  $\oplus$  terminal on a given winding coincides with the placement of the dot.

→ All currents in the ideal xfmr component flow into the dot when those currents are positive. In other words, positive current goes into the dot. For a given winding.

↳ Take a closer look @ eqn (2)

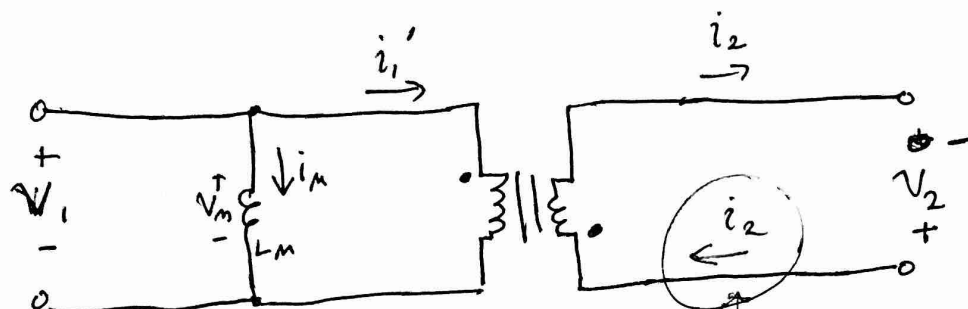
$$\dot{i}_1' n_1 + i_2 n_2 = 0$$

$$\Rightarrow i_2 = - i_1' \frac{n_1}{n_2} \quad (3)$$

Reflecting on eqn (3), it is evident that if  $i_1'$  is  $\oplus$  & flowing into the dot on the primary side, then  $i_2$  is  $\ominus$  which implies current flowing out of the dot on the secondary side. You must be careful & systematic with the sign conventions & ~~apply~~ use eqn (2) as your "golden rule" for current sign conventions.

— Invert dot on secondary side:

The configuration below appears quite often in converters:



Following the sign conventions we get:

→ the polarity on  $V_2$  flips  $\Rightarrow$   $V_2$  so that its  $\oplus$  terminal is on the bottom w/ the dot

→  $i_2$  flows into the secondary dot,  $\Rightarrow$  so it too flips direction



• Both eqns (1)-(2) are "golden rules" and are not violated.

→ (1) implies a  $\oplus$   $V_1$  induces a value of  $V_2$  ~~with~~ with the polarity in the new diagram above.

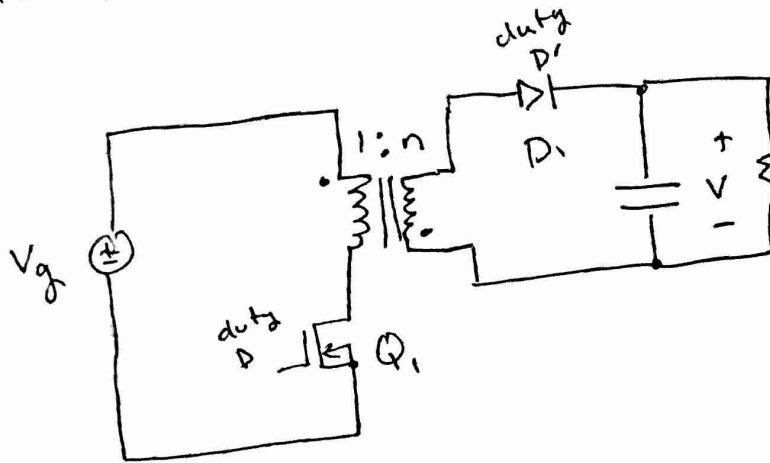
→ (2) ~~implies~~ and (3) ~~both stay~~ are unchanged & imply

$$i_2 = -i_1' \frac{n_1}{n_2}$$

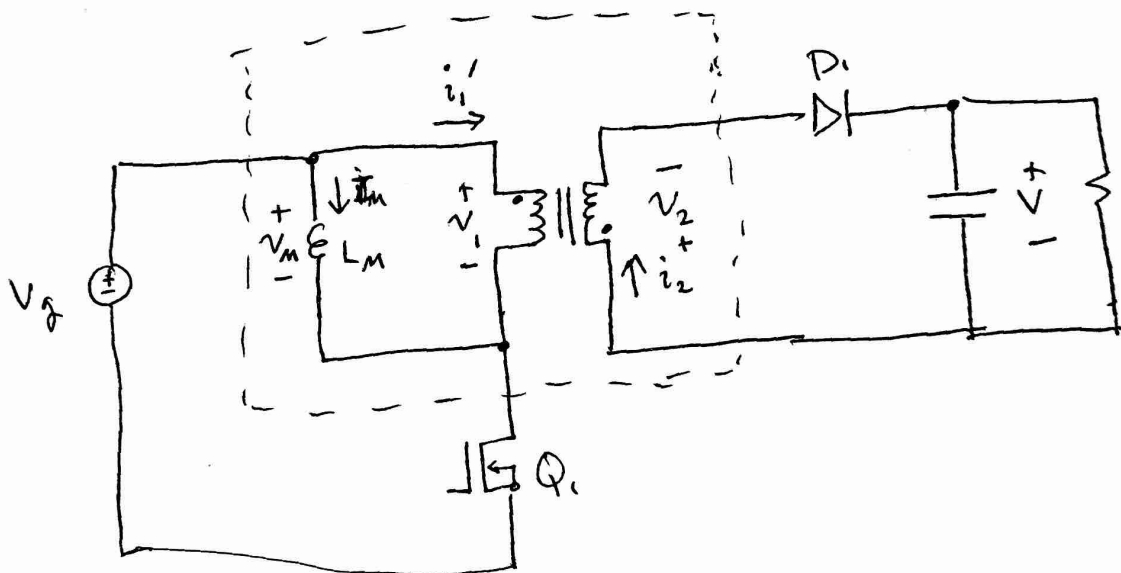
that a  $\oplus$   $i_1'$  induces a  $\ominus$  value of  $i_2$  according to the polarity drawn above. Only the drawing polarities change & the equations stay the same. Hence current will flow out of the secondary dot & hence out of the  $+V_2$  terminal

# - Revisit Flyback in more detail

The symbol of the ideal flyback is:



Now add the xfmr model

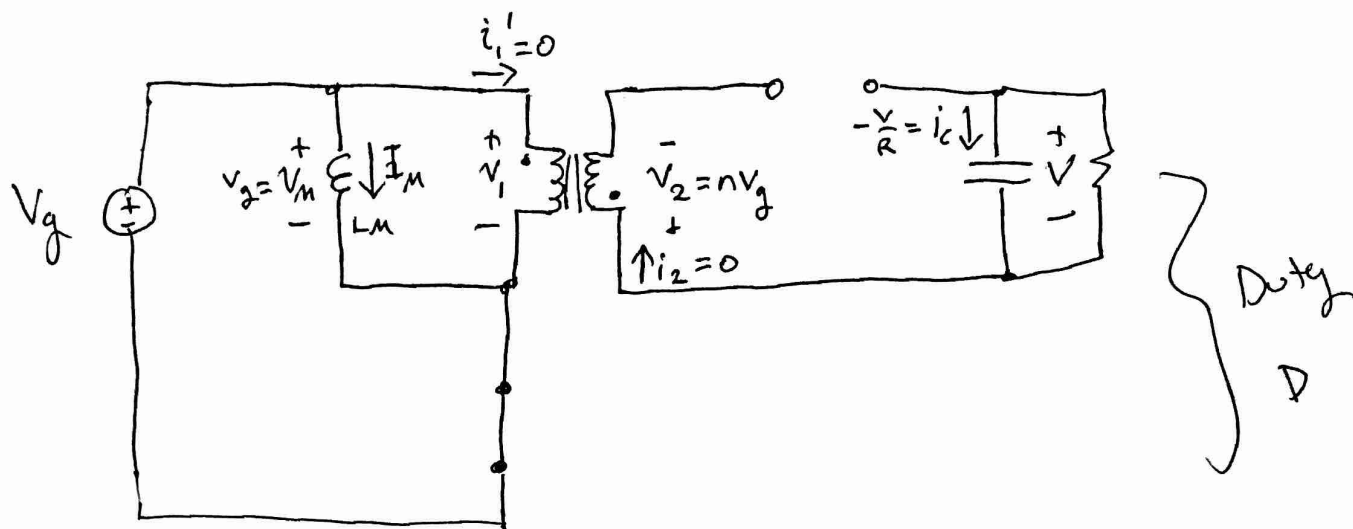


~~Now lets look @~~

- when adding the xfmr model, I was very careful to obey the dot sign convention rules.
- Now lets look @ both possible ckt configurations.
- Use the SRA, and assume dc magnetizing current  $I_m$  & dc output voltage  $V$ .

(5)

— Configuration #1:  $Q_1$  on,  $D_1$  diode off



- According to the current equation (2) golden rule

$$i_1' + n \cancel{i_2} = 0$$

Since  $i_2 = 0$  due to the secondary side open ct,  
then  $i_1'$  must also be zero.

$$\Rightarrow i_1' = i_2 = 0$$

- According to the voltage equation (1), we know

$$v_1 = \frac{v_2}{n}$$

$$\Rightarrow v_2 = n v_1 = n V_g$$

- Now look @  $v_m$  &  $i_c$  to analyze voltsecond & charge equations

$$v_m = V_g, \quad i_c = -\frac{V}{R} \quad (4)$$

Save for later

⑥



- $$\dot{i}_1' + n\dot{i}_2 = \overbrace{(-I_M)}^{i_1'} + n\dot{i}_2 = 0$$

$\rightarrow \text{Q. } i_2 = \frac{I_m}{n}$

- $$v_1 = \frac{v_2}{n} = \frac{(-v)}{n}$$

- $$v_m = v_1 = -\frac{V}{n} \quad \& \quad i_c = i_2 - \frac{V}{R} = \frac{I_m}{n} - \frac{V}{R} \quad (5)$$

— Balance equations in steady state

Now look @ volt second & charge balance equations using (4)-(5)

$$\langle v_M \rangle = 0 = D(V_g) + D' \left( -\frac{V}{n} \right) \quad (6)$$

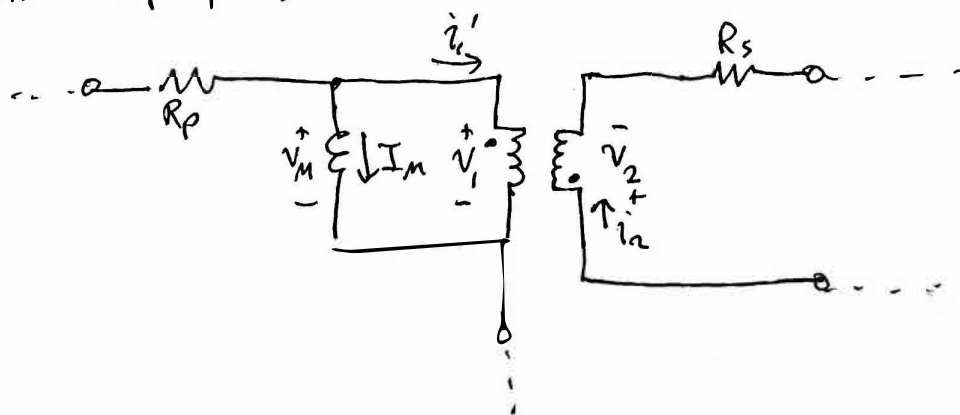
$$\begin{aligned} \dagger \langle i_c \rangle = 0 &= D \left( -\frac{V}{R} \right) + D' \left( \frac{I_M}{n} - \frac{V}{R} \right) \\ &= -\frac{V}{R} + D' \frac{I_M}{n} \end{aligned} \quad (7)$$

Eqn (6) gives us  $M$ :

$$M = \frac{V}{V_g} = n \frac{D}{D'} = \boxed{n \frac{D}{1-D} = M}$$

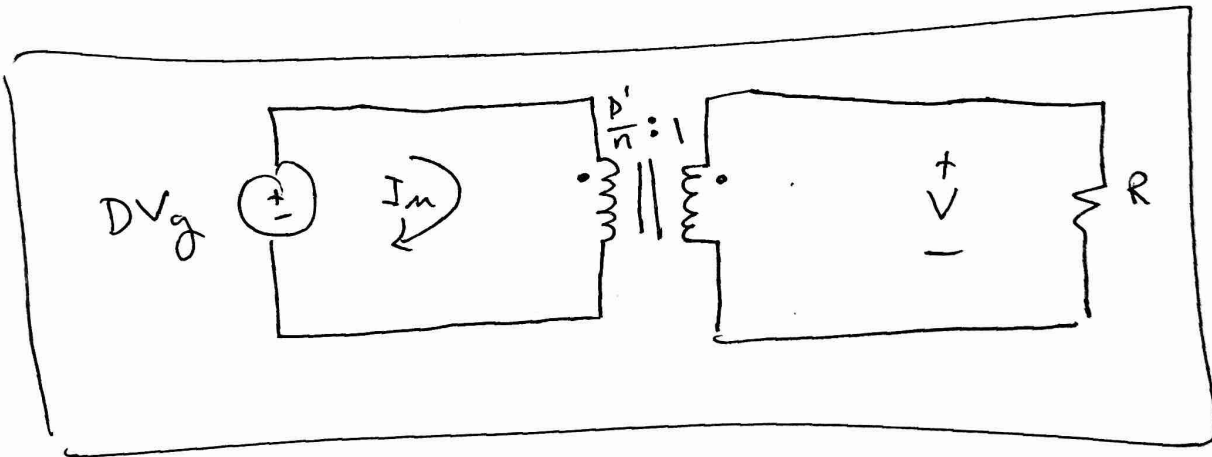
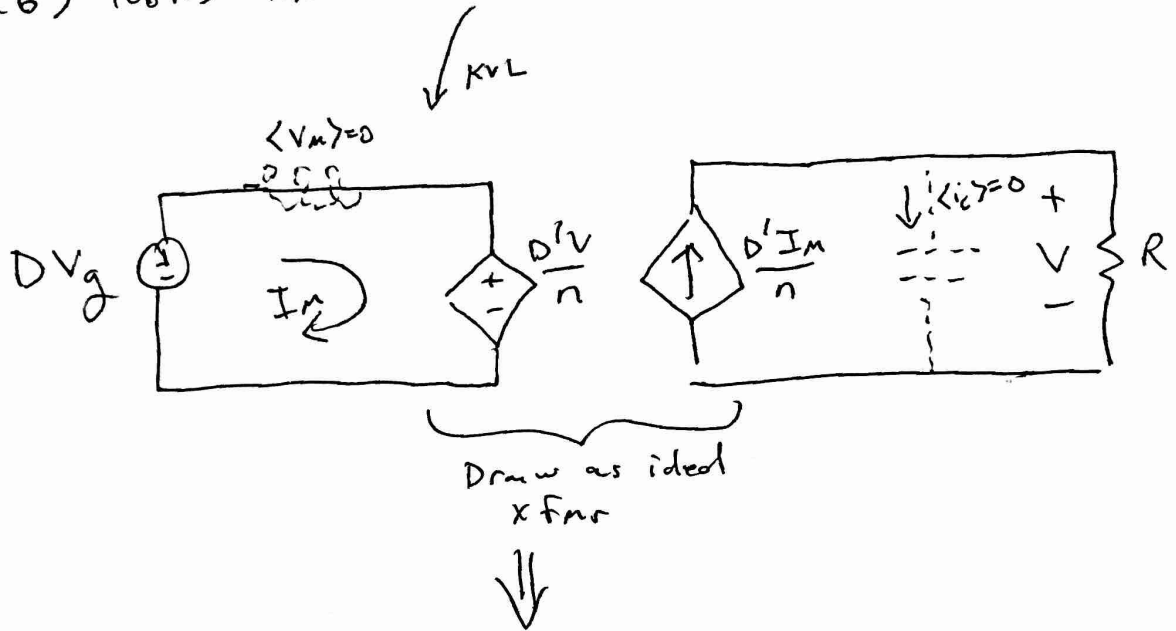
— Now you have enough information to do HWS. All you need to do is add the on resistance  $R_{on}$ , primary & secondary winding resistances  $R_p$  &  $R_s$ , & diode drop  $V_f$ . Then repeat the analysis.

Hint:  $R_p$  &  $R_s$  are added to the xFur as shown below



One last hint: The equiv ckt model.

• (6) looks like a KVL loop & (7) is KCL.



↖ Equiv ckt model.