

Project proposal:

Modernizing credit risk modelling

Using machine learning to challenge industry norms

February 3, 2020

CS 890ES Winter 2020

Adam Kehler (200251114)



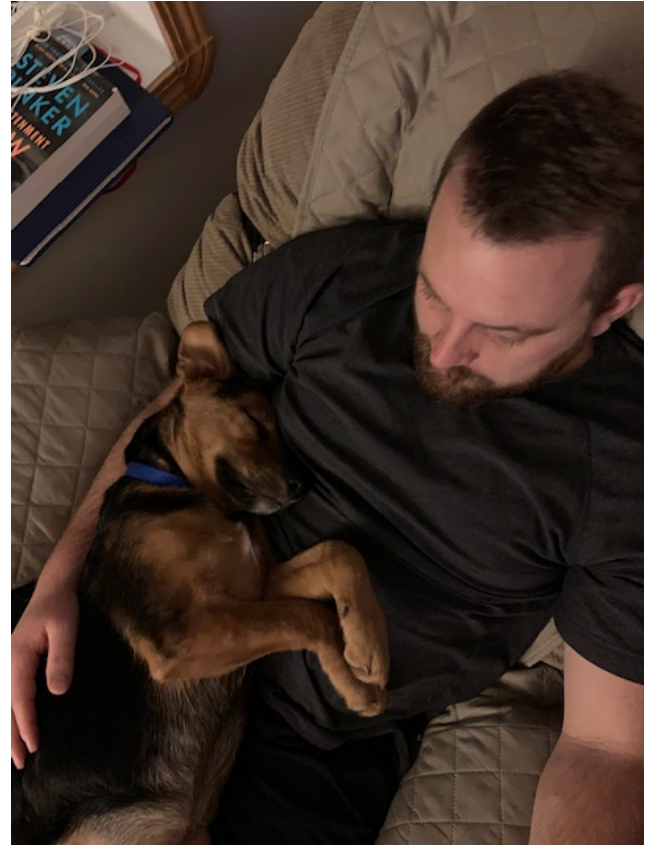
University
of Regina

Outline

1. About the presenter
2. Background
3. Problem statement
4. Solution overview
5. Data & tools
6. Timelines
7. Expected outcomes

About the presenter

- Adam Kehler
- PhD student – statistics (computational)
- Director, Portfolio Modelling & Data Science @ Farm Credit Canada (FCC)
- 3 favorite things right now:
 - New puppy
 - New wife
 - New acreage



Background – standards & regulations



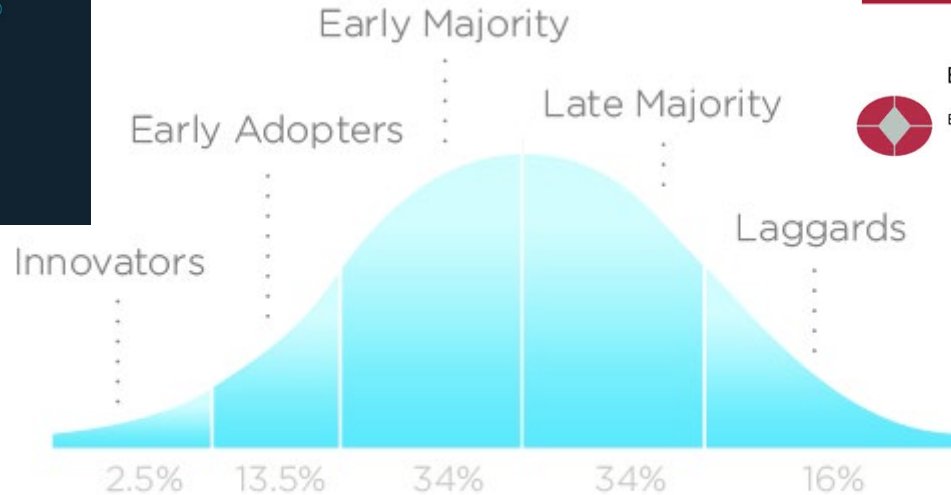
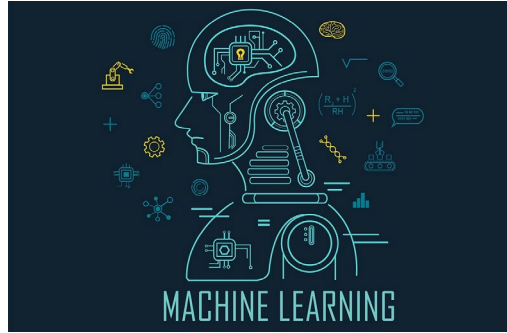
Basel Committee on Banking Supervision

BANK FOR INTERNATIONAL SETTLEMENTS



OSFI
BSIF

Background – slow adoption of ML

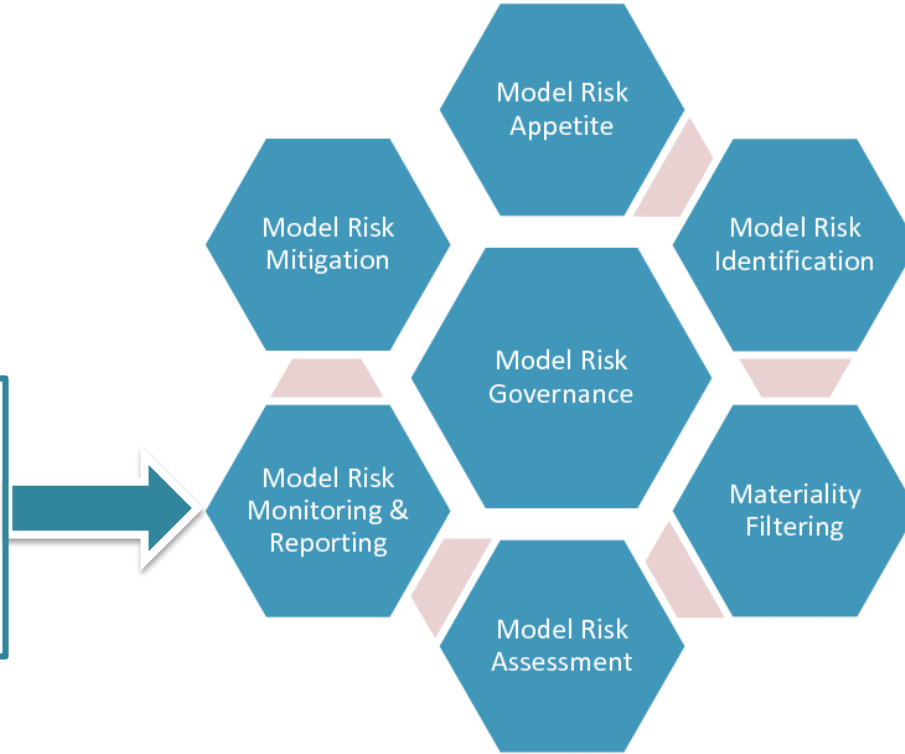


INNOVATION ADOPTION LIFECYCLE



Background – Model risk management

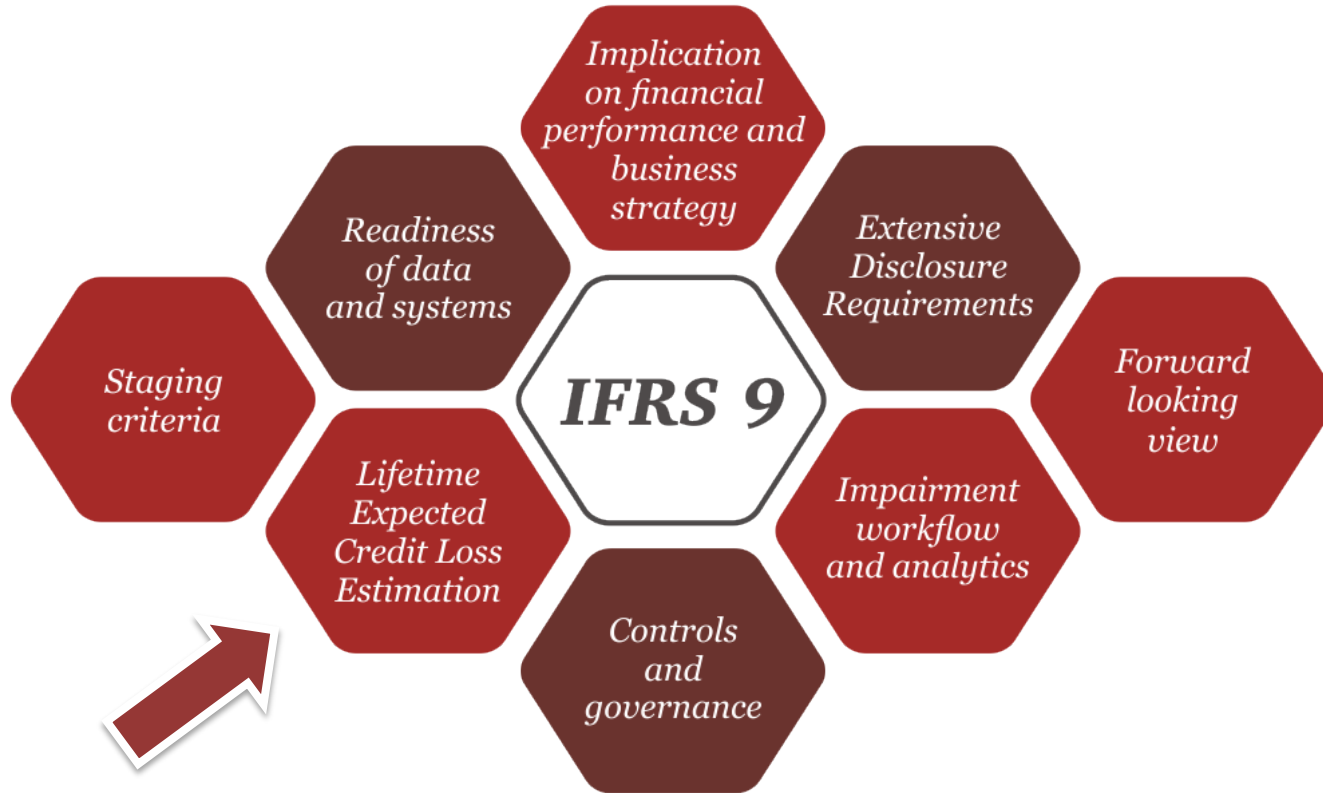
- Model Performance
- Model benchmarking
- “Challenger” models
- Alternative models



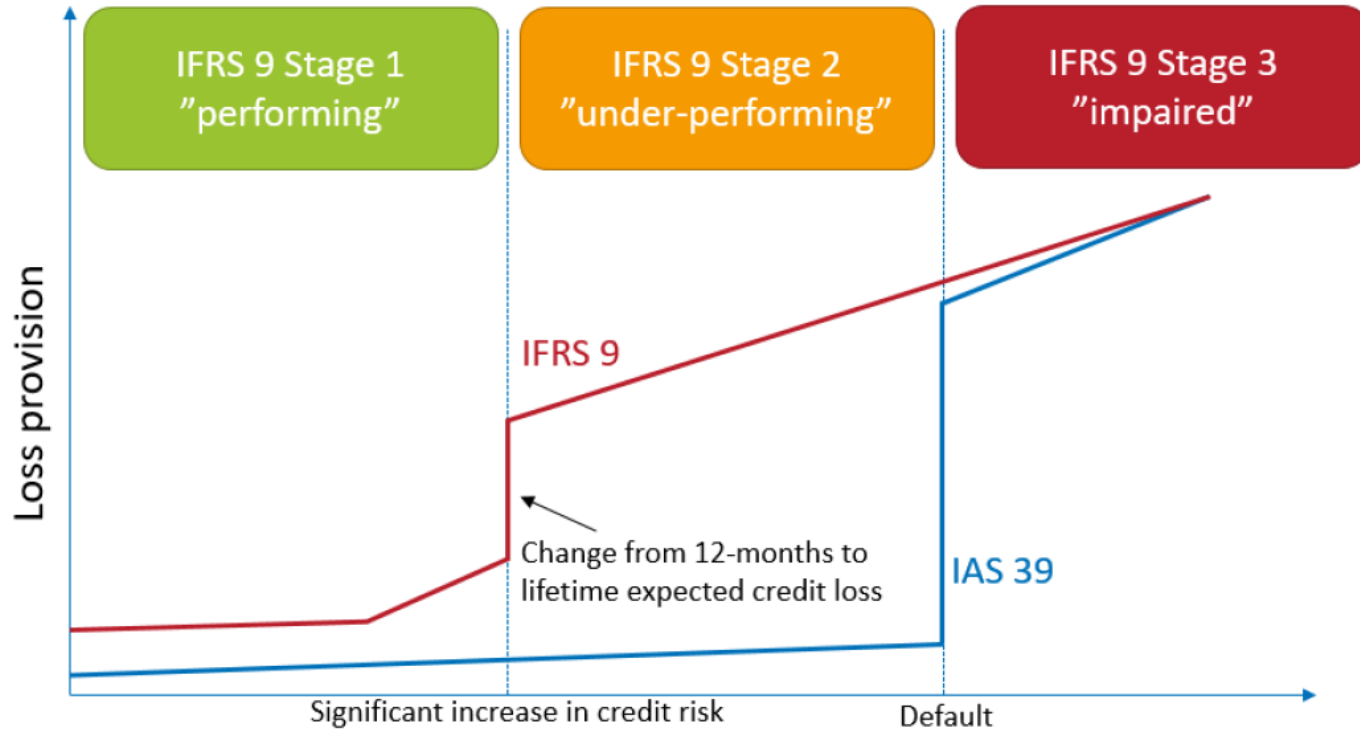
Problem Statement

Use **modern data science** and **machine learning** techniques to benchmark, **challenge**, refine, and enhance the more **traditional statistical modelling** methods employed currently at my organization for processes related to certain **accounting standards** and **banking regulations**.

Solution overview – scope



Solution overview – Allowance



Solution overview – Allowance

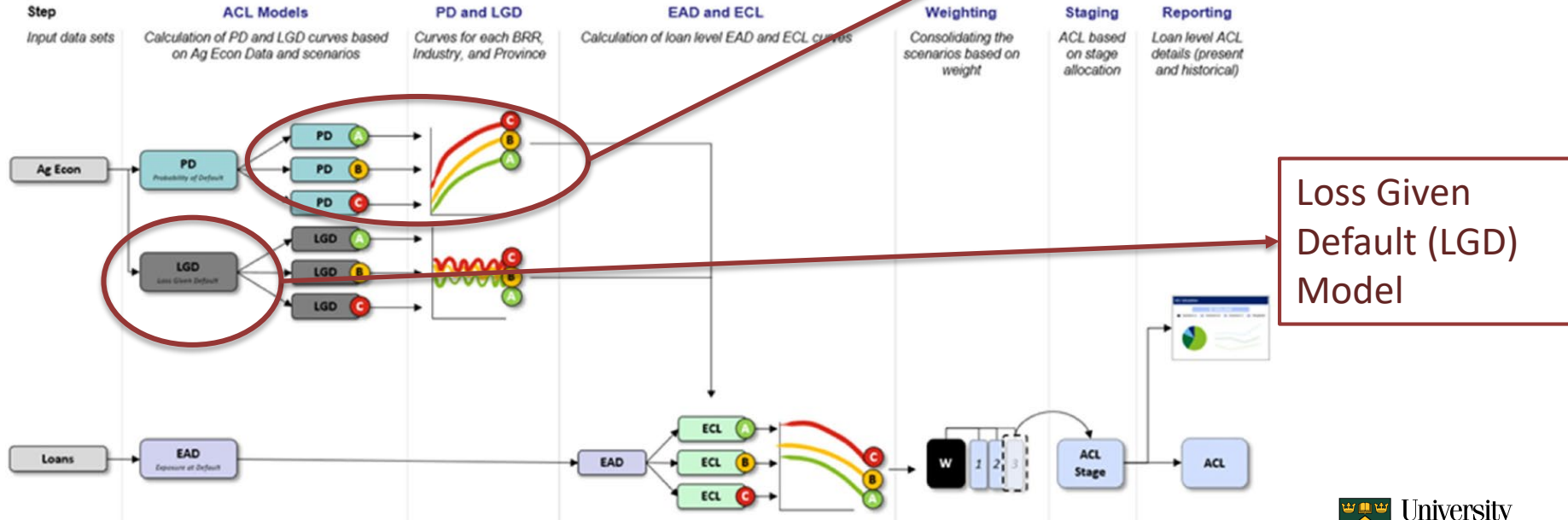
Allowance for Credit Losses (ACL) = Expect lifetime credit loss (ECL)

$$ACL = \sum \left[\frac{PD_i \times LGD_i \times EAD_i}{(1 + r)^n} \right]$$

Solution overview – Allowance

$$ACL = \sum \left[\frac{PD_i \times LGD_i \times EAD_i}{(1 + r)^n} \right]$$

Allowance for Credit Loss Calculation | Model

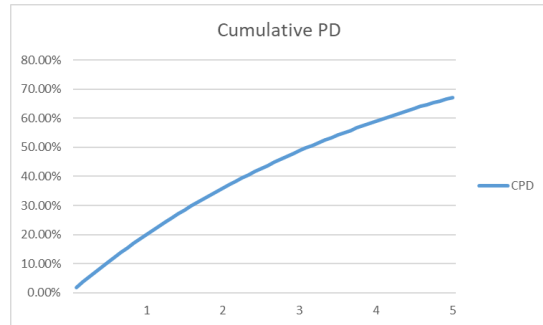


Solution overview – Lifetime PD

Current Approach

- “Constant Intensity Model”
- Based on an underlying Poisson Process

$$F(t) = 1 - e^{-\lambda t}$$
$$\lambda = -\ln(1 - F(1))$$



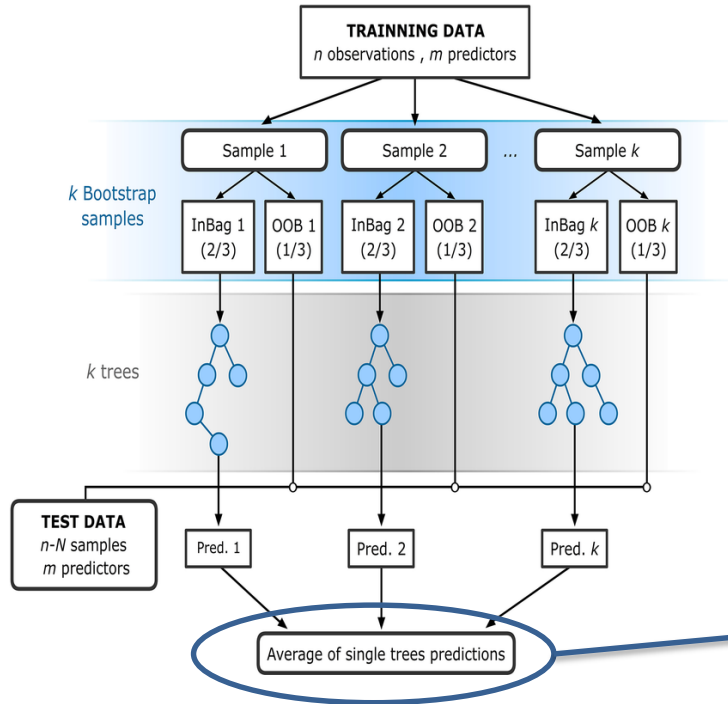
Proposed Approach

- “Random Survival Forest” – mix between Random Forest and Survival Analysis
- Use Random Forest algorithm with hazard rate to inform loss function being optimized

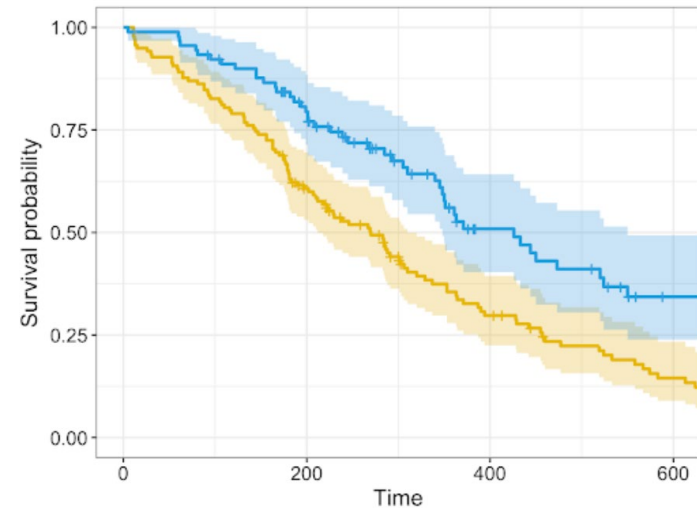


Solution overview – Lifetime PD

Random Forest Algorithm



Survival Analysis Theory



$$\Lambda(t|X_i) = \lambda_0(t)e^{X_i\beta}$$

Solution overview – LGD Model

Current Approach

- Two-stage micro-structure
- Likelihood X Severity
- Assumes independence

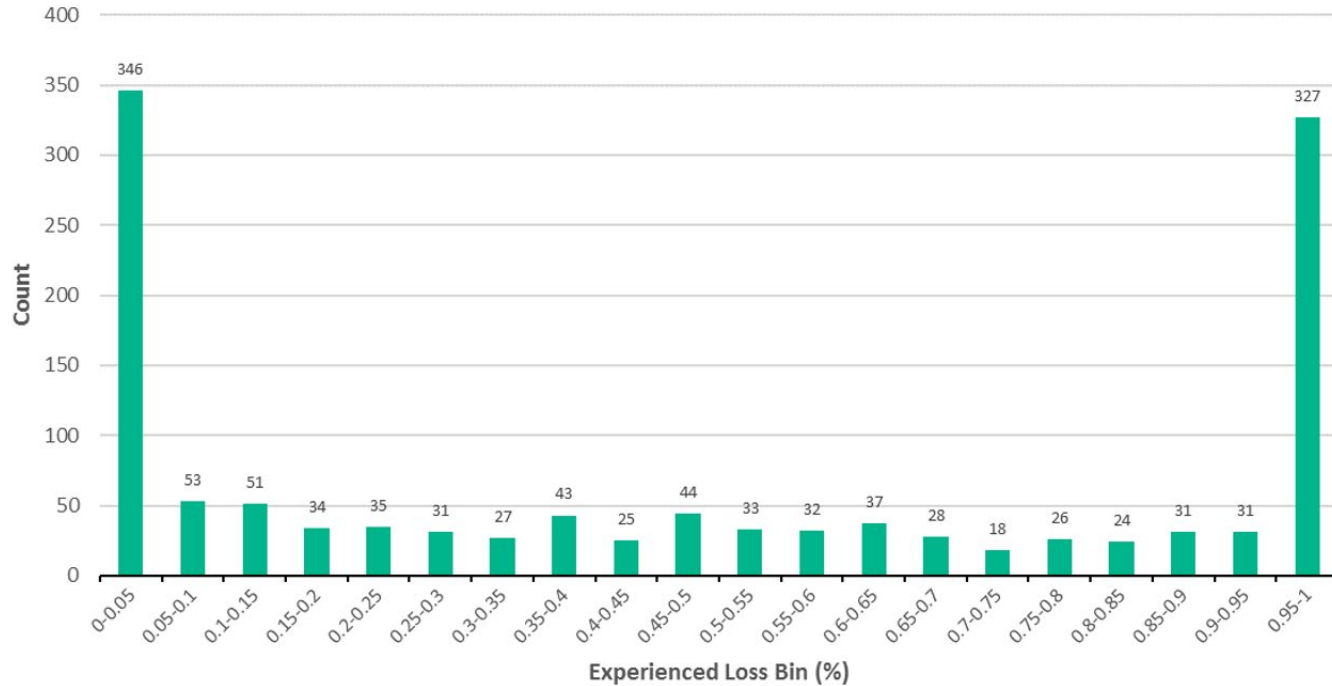
$$\begin{aligned} E(LGD) &= E(PWOD \times ELWO) \\ &= E(PWOD) \times E(ELWO) \end{aligned}$$

- Scorecard approaches based on logistic regression

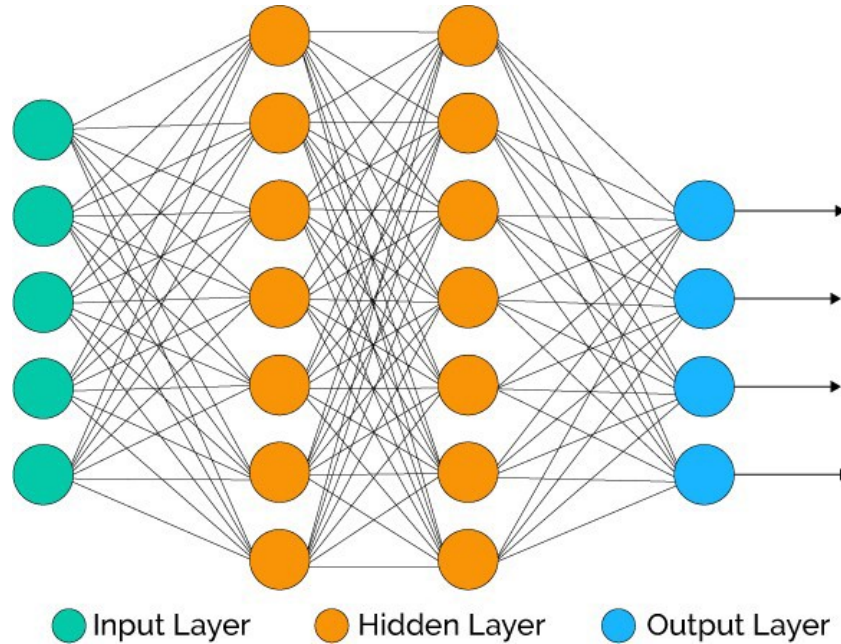
Proposed Approach

- a) Two-stage model
 - CART
 - SVM
- b) One-stage model
 - Random Forest (Forward-looking)
 - Deep neural networks

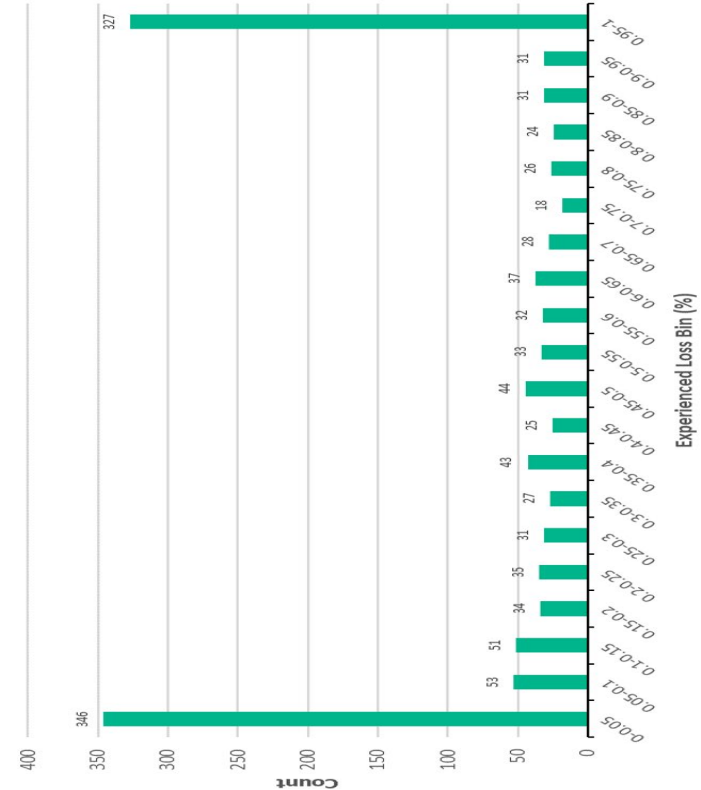
Solution overview – LGD Model



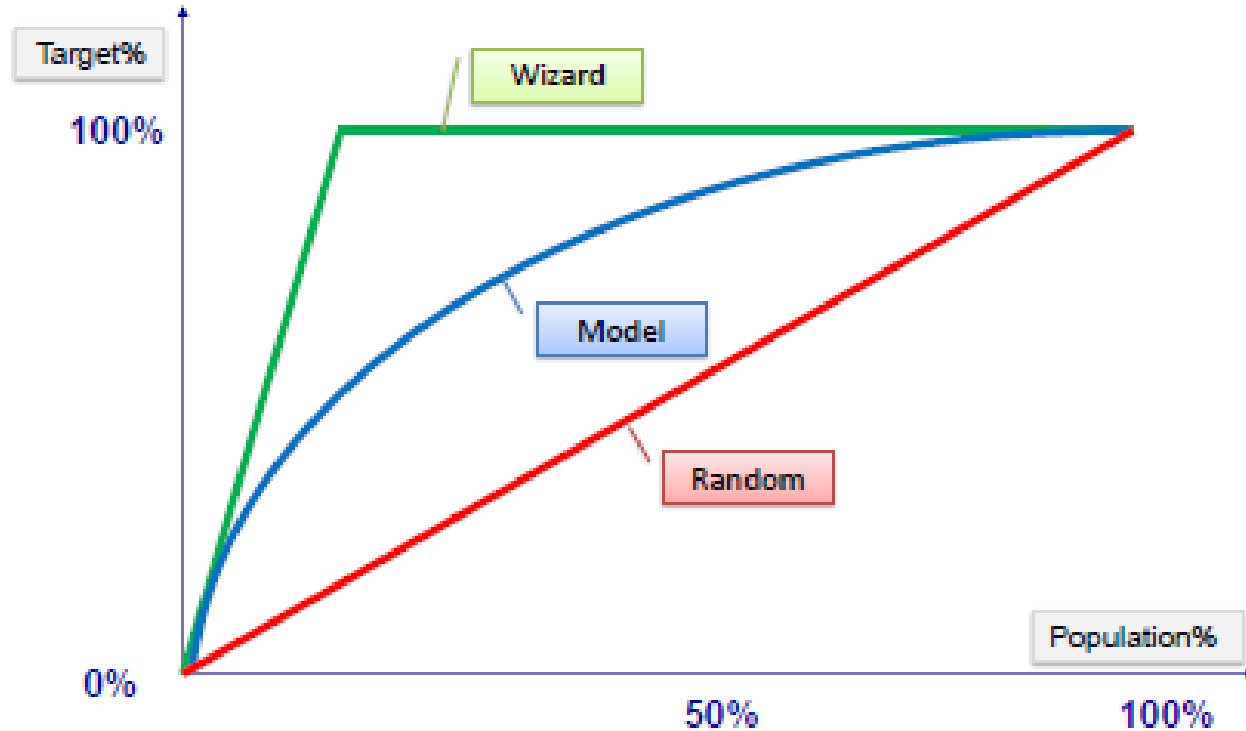
Solution overview – LGD Model



Deep Neural Network



Solution overview – Performance



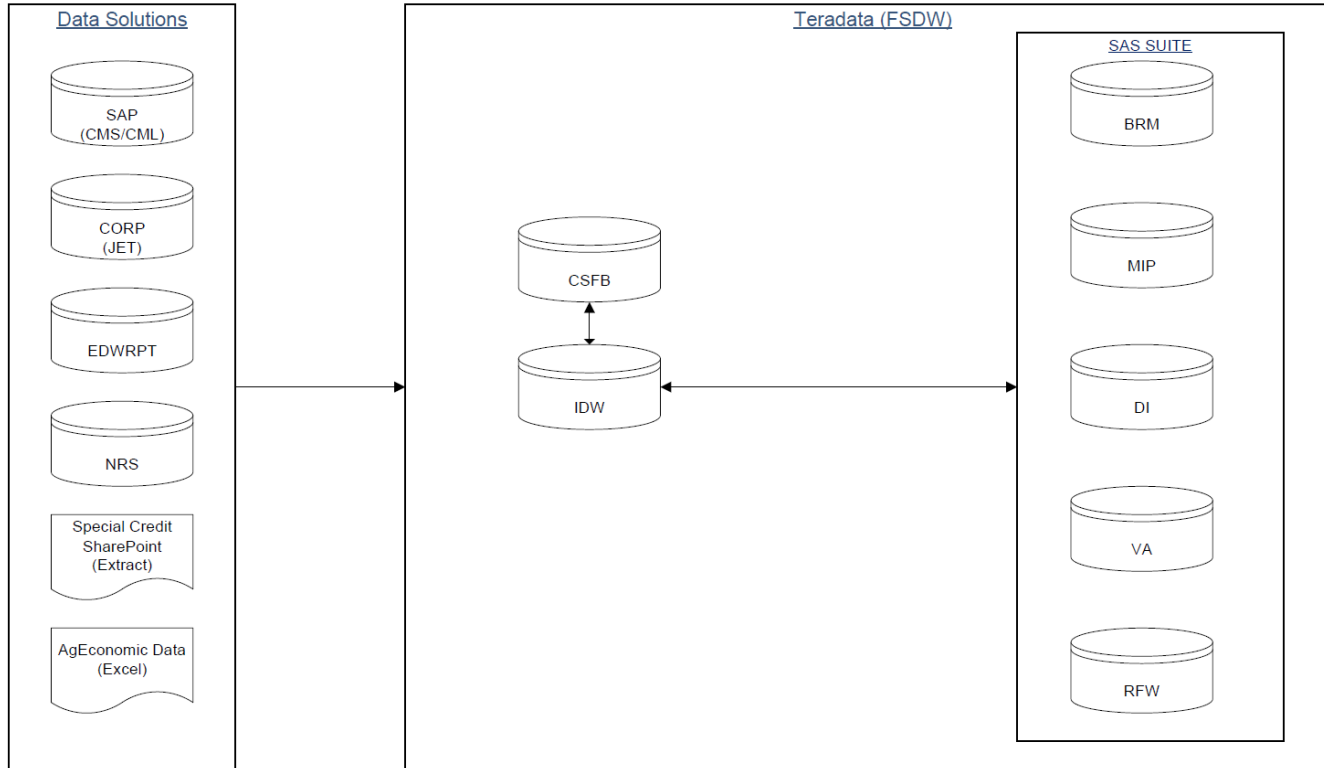
Data & tools



Data & tools - data



Data & tools - data



Timelines

	February				March					April	
Week	1	2	3	4	5	6	7	8	9	10	11
Problem identification	Complete										
Planning and proposal	Complete										
Literature review											
Data preparation											
Machine learning models											
Performance comparison											
Final report development											
Deliver presentations											

Expected outcomes

1. Machine learning based model for Lifetime PD Term Structure
2. Machine learning based model for LGD
3. Know how current and proposed models compare in performance
 - a) If better, potential to use proposed in production
 - b) If not better (but still “good”), use as “challenger” model
4. Useable code that can be leveraged by my organization
5. Senior management has improved confidence in models and progress on ML adoption