Creating Reusable Functions with Partial Application and Currying



Esteban Herrera JAVA ARCHITECT

@eh3rrera www.eherrera.net



Closure

The ability of a method to reference a variable or another method in its enclosing context.



Closure Example

```
Integer a = 2;
Function<Integer, Integer> f = new Function<Integer, Integer>() {
     @Override
     public Integer apply(Integer x) {
           return x * a;
```



Effectively final

A variable is not explicitly marked as final, but its initial value is never changed.



Closure Example

```
Integer a = 2;

Function<Integer, Integer> f = x \rightarrow x * a;

// Equivalent to f(x) = x * 2?
```



Closure Example

```
Integer a = Integer.parseInt(args[0]);
Function<Integer, Integer> f = x -> x * a;

// Equivalent to f(x) = x * 2?
```



Correct Way to Express the Function

$$f(x, a) = x * a$$



Reusing Is Harder

```
Integer a = Integer.parseInt(args[0]);
Function<Integer, Integer> x = x -> x * a;
```



Should We Implement This?

$$f(x, a) = x * a$$



Function Interface

```
@FunctionalInterface
public interface Function<T, R> {
    R apply(T t);
}
```



BiFunction Interface

```
@FunctionalInterface
public interface BiFunction<T, U, R> {
    R apply(T t, U u);
}
```



BinaryOperator Interface

```
@FunctionalInterface
public interface BinaryOperator<T> extends BiFunction<T,T,T> {
}
```



Implement a QuaterFunction?

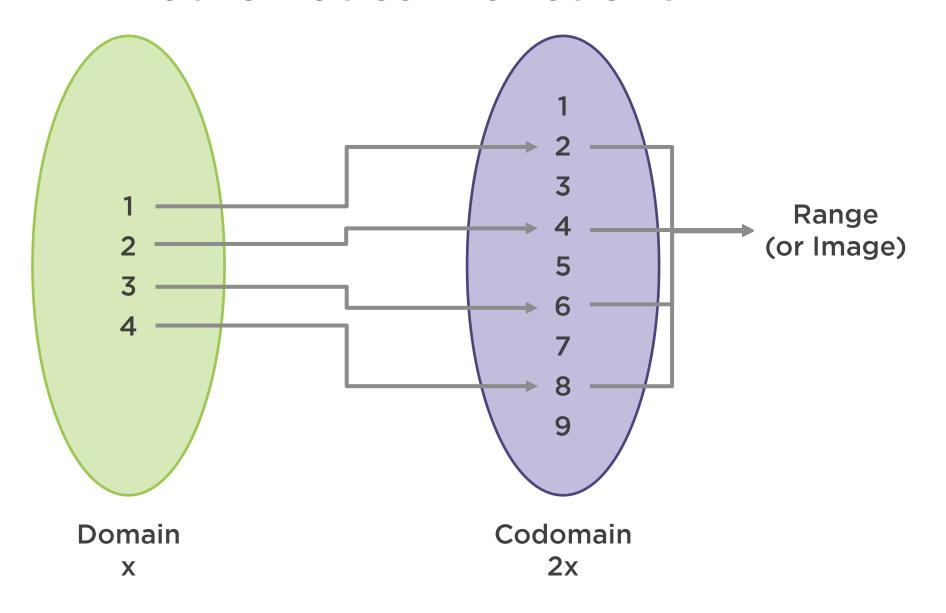
```
@FunctionalInterface
public interface QuaterFunction<T, U, V, W, R> {
    R apply(T t, U u, V v, W w);
}
```



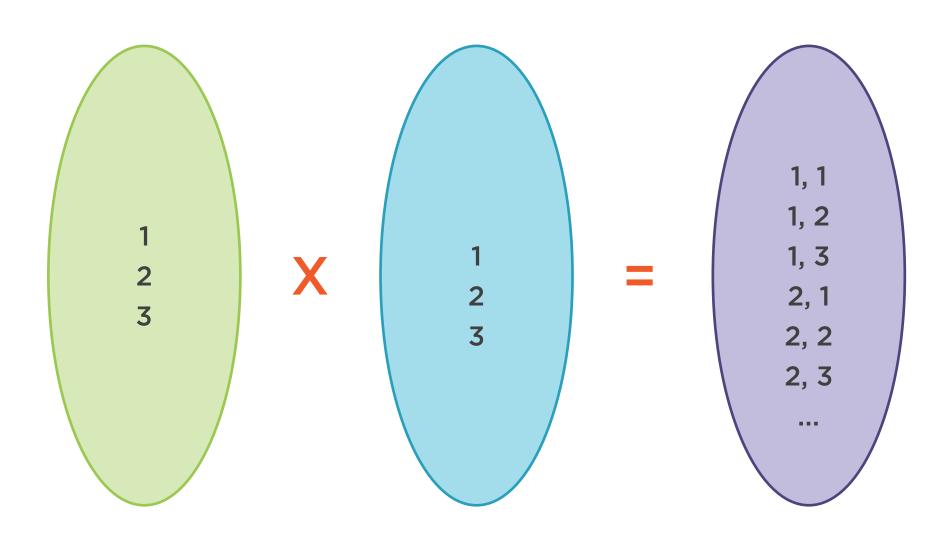
Thinking About Functions of Multiple Arguments



Mathematical Functions



Product of Two Sets





$$f(a, b) = a + b$$

Domain

A x B



Tuples

 $(1, 2, 3, 4, \ldots)$



$$f(a, b) = a + b$$



$$f((1, 2)) = a + b$$



$$f((1, 2)) = 1 + 2$$



$$f(1, 2) = 1 + 2$$



Implementation of a Tuple

```
class Tuple<T, U> {
    public final T _1;
    public final U _2;
    public Tuple(T _1, U _2) {
        this._1 = _1;
        this._2 = _2;
```



Currying

Converting a function of multiple arguments to a function of one argument each step at a time.



$$f(a, b) = a + b$$



$$f(a) = g(b) = a + b$$

The range of f consists of functions



$$f(1) = g(b) = 1 + b$$



$$f(1) = g(2) = 1 + 2$$



In Java

```
int i = add( 1, 2 )
Evaluated at the same time
```



With currying, the arguments of a function are evaluated at different times.



Partial application

Supplying fewer arguments than the ones required by the function.



```
add(1,2,3,4,5)
add3(3,4,5)
add6(4,5)
```

```
add(1, 2, 3, 4, 5)
add1(2, 3, 4, 5)
add3(3, 4, 5)
```

All currying is partial application, but not all partial application is currying.



Using Currying in Java



In Mathematics

$$f(a, b) = a + b$$



In Mathematics



Curried Version

$$f(a)(b) = g(b)$$

$$g(b) = a + b$$



```
Integer -> (Integer -> Integer)
```



<Integer, <Integer, Integer>>



Function<Integer, Function<Integer, Integer>>



Function<Integer, Function<Integer, Integer>> add = a -> b -> a + b;



```
Function<Integer, Function<Integer, Integer>> add =
 new Function<Integer, Function<Integer, Integer>>() {
      @Override
      public Function<Integer, Integer> apply(Integer a) {
          return new Function<Integer, Integer>() {
              @Override
              public Integer apply(Integer b) {
                  return a + b;
```

Function<Integer, Function<Integer, Integer>> add = a -> b -> a + b;



Apply a Curried Function in Java

```
Integer i = add.apply(1).apply(2); // 3
```



Function<Integer, Function<Integer, Integer>> add = a -> b -> a + b;



Function<



Function<Integer,</pre>



Function<Integer, Function<Integer, Integer>> add = a -> b -> a + b;



The Importance of the Order of Arguments



Order Doesn't Matter Here

$$f(x, y) = x + y$$

$$f(y, x) = x + y$$



But What About Curried Functions?

$$f(x)(y) = x + y$$

$$f(y)(x) = x + y$$



In curried functions, the order does matter.





Closures

- Using them as if they were implicit parameters of a function is not recommended

There are no functions with several arguments

Functions that appear to have several arguments are either:

- Functions of tuples
- Functions returning functions





Currying

- Converting a function with many arguments into a series of one-argument functions

Partial application

- Supplying fewer arguments than the ones required by the function





```
Function: (A, B, C) -> D
Curried function: A -> B -> C -> D
Function<A,
    Function<B,
         Function<C,
              Integer
```





Argument order

- From the most specific to the least specific



In the Next Module

Abstract control structures

