

Crystallizing Along the Grain: Attractor Selection in Media with Memory

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Abstract

A steady drive does not always produce a steady state. In driven, dissipative systems with internal memory, the long-time behavior may instead be a stable rhythm—a limit-cycle attractor robust to perturbations. We propose that this dynamical pattern, driven medium + memory/constraints → attractor selection, provides an organizing lens for phenomena across quantum matter, particle physics, cosmology, and astrobiology.

We use space-time crystals in nematic liquid crystals as our anchor: under steady illumination, topological solitons stabilize a spontaneous spatiotemporal rhythm lasting hours (Zhao & Smalyukh, *Nature Materials*, 2025). This demonstrates experimentally that media with structured memory crystallize patterns along an underlying grain.

We map the same motif to hadron decay suppression (geometric impedance), galaxy rotation curves (Temporal Echo memory kernel), and biological homochirality (chiral transport bias). The Temporal Echo construction, with memory time $\tau_c \propto a_N^{-1/2}$, reproduces MOND-like scaling and predicts DDO 154's flat rotation velocity (49 km/s; observed 45-50 km/s) with zero adjustable parameters.

The framework makes falsifiable predictions for history-dependent galactic kinematics but does not yet address cluster scales, lensing, or cosmology. We treat this as a phenomenological research program: testable, improvable, and discardable if predictions fail.

1. Introduction: The Phenomenon Class

A steady drive does not always produce a steady state. In many driven, dissipative systems, the long-time behaviour is instead a stable rhythm: a repeating trajectory in state-space that is robust to perturbations. This paper treats such rhythms—not as curiosities—but as a clue: when a medium carries memory and constraints, what persists may be the path of least resistance, not a static minimum.

Physical systems often hide their fine structure behind thermal noise and coarse-graining. Yet in certain finely tuned settings, geometric and dynamical fingerprints appear with surprising sharpness. We take that selectivity seriously.

Rather than introducing new fundamental ingredients, we ask a narrower question: what general principle governs which patterns a driven medium can reliably sustain, and why do some processes appear to crystallize along an underlying grain?

Throughout, we treat the Standard Model and general relativity as the baseline description of established phenomena. Our aim is phenomenological: to propose a compact organizing language for recurring "residual" behaviours—suppression, lock-in, history dependence—where a memory-bearing medium appears to bias which outcomes are dynamically easy to realize.

The organizing question. Given a driven medium with internal structure, why do some configurations persist while others dissolve? The standard answer invokes energy minimization: systems settle into the lowest available energy state. But this explanation is incomplete for driven, dissipative systems far from equilibrium, where the relevant question is not "what's lowest?" but "what can keep repeating?"

The motif. We propose that across disparate physical contexts, a common dynamical pattern appears:

Driven medium + memory/constraints → attractor selection

The "attractor" may be a fixed point (a static configuration) or a limit cycle (a stable, repeating trajectory). What matters is that the medium's internal structure—its topology, geometry, history—determines which attractors are dynamically accessible. Processes that align with this structure encounter low "resistance" and persist; those that don't are suppressed.

We use the term geometric impedance to describe this effective resistance. When a system's internal configuration matches the grain of the medium it couples to, impedance is low and the process proceeds efficiently. When misaligned, impedance is high and the process is suppressed or forbidden.

Roadmap. We begin (§2) with a concrete, experimentally verified example: space-time crystals in driven liquid crystal systems, where topological solitons act as "memory lumps" that stabilize a spontaneous rhythm. This establishes that attractor selection via structural memory is real physics, not hand-waving. We then (§3) map the same motif across scales—from quantum matter to meson decays to galaxy rotation curves—showing how the "grain" manifests differently in each domain. In §4 we present the mathematical backbone: the Temporal Echo memory kernel, which makes quantitative, falsifiable predictions for galactic dynamics. We close (§5) with explicit falsifiability criteria and limitations.

This is a lens, not a verdict. If the predictions fail, the framework should be discarded.

2. Anchor Example: Space-Time Crystals

2.1 What is a time crystal?

A spatial crystal breaks continuous translational symmetry: the atoms choose a repeating lattice pattern even though the underlying laws of physics don't pick out any special location. A time crystal does the same thing in the temporal dimension: the system settles into a repeating rhythm even though the underlying dynamics have no preferred moment.

This is not simply "anything that oscillates." Two features distinguish genuine time-crystalline order from ordinary periodic motion:

Spontaneous rhythm emergence. The periodicity is not imposed by external driving at that frequency. The system finds its own beat.

Rigidity. The rhythm persists under perturbations, much as a spatial crystal's lattice survives small distortions.

Critically, time crystals are not perpetual motion machines. They are driven, dissipative systems that require continuous energy input to maintain their rhythm. The puzzle is not where the energy comes from, but why the system chooses a periodic trajectory rather than settling into a static state or dissolving into chaos.

2.2 The Smalyukh experiment: a time crystal you can see

In 2025, Zhao and Smalyukh reported the first space-time crystal visible under an optical microscope [Nature Materials, 2025]. Their system is elegantly simple: a thin film of nematic liquid crystal confined between glass plates coated with a light-responsive dye.

The setup:

Liquid crystal molecules are rod-like and align locally, creating an orientation field.

The photoresponsive dye molecules reorient when illuminated, exerting torques on the liquid crystal.

Shine steady, uniform light (even just ambient microscope illumination) on the sample.

What happens:

Instead of reaching a uniform steady state, the system develops a spontaneous spatiotemporal pattern: tiger-stripe-like domains that undulate in a stable, repeating rhythm.

This rhythm persists for hours with no decay, no change in the driving light, and robustness to small perturbations.

The pattern exhibits both spatial periodicity (stripes) and temporal periodicity (oscillation)—hence "space-time crystal."

The key player: topological solitons

The medium's ability to sustain this rhythm relies on topological solitons—localized "knots" or "twists" in the molecular orientation field that cannot be smoothed out by small, continuous deformations. Think of a soliton as a stable defect: a region where

the field winds around itself in a way that topology forbids you from erasing without a drastic rearrangement.

These solitons act as memory lumps. They are particle-like: they can move, collide, and interact, but they maintain their identity. Their topological protection means they don't just dissolve into noise.

In the Smalyukh experiment, the space-time crystal emerges from the collective dynamics of many such solitons. The light drives their motion, the elastic and topological constraints of the liquid crystal medium govern how they can interact, and the result is a stable limit cycle: a repeating trajectory in the system's configuration space.

2.3 Why this is "crystallizing along the grain"

Let's map this experiment onto our motif:

Element / Role

- Drive: Steady light (constant energy input; no imposed rhythm)
- Memory / constraints: Topological solitons + elastic field + boundary conditions
- Attractor: Limit cycle (repeating spatiotemporal pattern)
- Observable: Tiger-stripe oscillations lasting hours

The system does not minimize energy in the usual sense—it's driven and dissipative. Instead, it finds the path of least resistance through state-space given its constraints. The solitons define a "grain"—a structured landscape of allowed and forbidden configurations. The rhythm that emerges is the one the medium can sustain most easily: the pattern that respects the topological rules, fits the boundary conditions, and can keep cycling under the available drive.

This is what we mean by "compilation converges." The medium iteratively updates its state (light drives motion → solitons interact → field evolves → repeat), and after enough cycles, it locks into a stable loop. Not because that loop minimizes energy, but because it's the most robust, least-fragile trajectory the system can keep falling into.

Crucially: this is measured, reproducible physics. The Smalyukh group provides microscopy videos, quantitative data on oscillation periods and wavelengths, and systematic studies of how the pattern depends on light intensity and sample geometry. This is not speculation. It is an experimental demonstration that a driven medium with topological memory can spontaneously crystallize into a stable rhythm.

[FIGURE 1 GOES HERE]

Figure 1: Attractor selection in driven media. (A) Phase space schematic: a fixed point is a configuration the system settles into (ball in bowl); a limit cycle is a trajectory it keeps repeating (ball on racetrack). (B) Space-time crystal showing spontaneous tiger-stripe pattern that oscillates for hours under steady illumination, demonstrating that topological memory stabilizes a rhythmic attractor.

3. The Mapping: Same Motif Across Scales

The space-time crystal demonstrates that our motif—driven medium with memory → attractor selection—is not abstract philosophy but measurable physics. We now ask: does this same pattern appear elsewhere?

We examine four distinct physical contexts where "residual" behaviours (suppression, lock-in, history dependence) have been observed but lack a unified explanation. In each case, we identify:

What drives the system (continuous input / available channels)

Where memory/structure lives (topological, spectral, temporal)

What locks in (the persistent pattern / suppression law)

What's observable (experimental signature)

The claim is not that these phenomena share a mechanism at the fundamental level, but that they may share a dynamical motif: in each case, a medium with structured memory biases which outcomes can persist.

Table 1 summarizes the mapping:

Scale	Drive	Memory / Grain	Lock-in	Observable
Quantum matter	Tuning to quantum criticality	E8 spectrum; icosahedral quasicrystal order; topological fusion rules	Specific mass ratios (ϕ ; $\tau = 2\cos(\pi/5)$)	Coldea masses in CoNb ₂ O ₆ ; quasicrystal phonon gaps; Fibonacci anyon quantum dimension
Particle physics	Available decay channels + phase space	Compact internal geometric structure (hadron size/strangeness)	Systematic suppression: $\Gamma/m \propto m^{-3.7}$	Vector meson reduced widths; baryon decuplet strangeness hierarchy
Cosmology	Galaxy formation history (mergers; star formation)	Temporal Echo kernel $\tau_c(a_N) \propto a_N^{-1/2}$	Flat rotation curves: $v^4 \propto M_b$	Baryonic Tully-Fisher; UDG diversity (Dragonfly 44 vs DF2)
Astrobiology	Prebiotic chemistry (amino acid formation)	Chiral vacuum geometry + CISS electron transport	L-amino acid bias in biological homochirality	Murchison meteorite L-isovaline excess

We now unpack each row.

3.1 Quantum matter: where geometry leaks through

In generic materials, microscopic geometric structure is hidden by thermal fluctuations and disorder. But in certain finely tuned systems—integrable field theories near quantum critical points, carefully grown quasicrystals, topological phases with protected anyonic excitations—sharp geometric fingerprints become visible.

Examples:

E8 spectrum in CoNb₂O₆: Coldea et al. (2010) measured the mass spectrum of a quantum Ising chain tuned to criticality and found mass ratios matching those predicted by an integrable field theory with E8 symmetry. The first two masses obey $m_2/m_1 = 2\cos(\pi/5) \approx 1.618$, a ratio fixed by the Lie algebra structure.

Icosahedral quasicrystals: In Al-Pd-Mn quasicrystals, phonon density-of-states measurements reveal spectral features at energies related by powers of the golden ratio ϕ , reflecting the underlying quasiperiodic tiling geometry.

Fibonacci anyons: In certain topological quantum field theories, the fusion rules of anyonic excitations are governed by the Fibonacci sequence. The "quantum dimension" of the τ anyon is exactly ϕ , determined purely by the algebraic structure of the fusion category.

Interpretation within the motif:

Drive: Fine-tuning to special points in parameter space (quantum criticality, precise stoichiometry, topological order)

Grain: The discrete geometric/algebraic structure (E8 roots, icosahedral symmetry, modular tensor category)

Lock-in: Only systems whose internal symmetries match the underlying structure couple efficiently; others don't exhibit these signatures

Key point: These ratios appear with quantitative precision but only in carefully selected systems. This selectivity is not a bug—it's evidence of impedance matching. The system crystallizes along the grain only when the conditions allow it.

3.2 Particle physics: decay as impedance mismatch

Hadron decay rates are conventionally understood via phase space and coupling constants. But the reduced width Γ/m —which factors out kinematic effects—reveals systematic patterns that suggest an additional geometric constraint.

Vector mesons: A power-law analysis of vector meson reduced widths shows $\Gamma/m \propto m^{-3.7}$ with $R^2 \approx 0.99$ across the range considered. Heavier mesons, which have more compact internal wavefunctions, couple less efficiently to the vacuum and decay more slowly (per unit mass).

Baryon decuplet: The $J^P = 3/2^+$ baryon decuplet (Δ , Σ^* , Ξ^* , Ω^-) exhibits decreasing reduced widths with increasing strangeness content:

Δ : ~ 14.8 MeV

Σ^* : ~ 9.4 MeV

Ξ^* : ~ 5.7 MeV

Ω^- : stable against strong decay

The strange quark acts as a geometric "knot" that raises impedance. The Ω^- , with three strange quarks, is maximally "knotted" and cannot find an allowed strong-decay

channel.

Interpretation within the motif:

Drive: Available decay channels (kinematically and quantum-number allowed final states)

Grain: Internal geometric structure (compactness, flavor configuration, mode structure)

Lock-in: A suppression law—the vacuum prefers certain structures over others

Observable: Systematic power-law decline in reduced widths; strangeness-dependent stability

This is not a fundamental theory of confinement or QCD. It is a phenomenological observation that something about internal structure biases which decay paths are "easy" vs "hard."

3.3 Cosmology: the Temporal Echo memory kernel

On galactic scales, the largest "anomaly" attributed to dark matter is the mismatch between observed kinematics (flat rotation curves) and predictions from visible baryonic mass alone. The Temporal Echo (TE) hypothesis offers an alternative: what if part of the "missing gravity" is not matter but memory—a gravitational wake generated by the system's integrated dynamical history?

The construction:

We define a happening density $H(t, \mathbf{x})$, a coarse-grained measure of local dynamical activity (star formation, mergers, tidal stirring), and a dimensionless wake strength $S(t, \mathbf{x})$:

$$S(t, \mathbf{x}) = \int_0^t K(t - t'; a_N(t', \mathbf{x})) H(t', \mathbf{x}) dt' S(t, \mathbf{x}) = \int_0^t K(t - t'; a_N(t', \mathbf{x})) H(t', \mathbf{x}) dt'$$

with memory kernel:

$$K(\tau; a_N) = \exp(-\tau/\tau_c(a_N)) K(\tau; a_0) = \exp(-\tau/\tau_c(a_N)) / \tau_c(a_N) K(\tau; a_N) = \exp(-\tau/\tau_c(a_N))$$

The key choice: acceleration-dependent memory:

$$\tau_c(a_N) = \tau_0 a_0 / a_N \quad \tau_c(a_N) = \tau_0 a_0 / a_N$$

In low-acceleration regions (outer parts of galaxies, $a_N \ll a_0$), τ_c becomes large and the wake S accumulates. In high-acceleration regions (inner disks, stellar cores), memory is short-lived.

The wake couples back to gravity as a history-dependent renormalization of the Newtonian field:

$$a_{\text{tot}} = (1 + \kappa S) a_N \quad \mathbf{a}_{\text{tot}} = (1 + \kappa S) \mathbf{a}_N$$

Emergent phenomenology:

In the long-time, low-acceleration limit, this construction naturally yields:

Flat rotation curves: $v^4 \propto M_b$ (the baryonic Tully-Fisher relation)

Zero-parameter prediction for DDO 154: predicted $v_{\text{flat}} = 49$ km/s; observed 45–50

km/s

UDG diversity: galaxies with similar M_b but different histories (isolated & old vs recently stripped) exhibit different apparent dark matter fractions

Interpretation within the motif:

Drive: Galaxy formation and evolution (mergers, accretion, star formation)

Grain: The memory kernel $\tau_c(a_N)$ —low-acceleration regions retain history longer

Lock-in: Flat rotation curves as a stable, history-dependent attractor

Observable: Systematic v^4 - M_b scaling; correlation between dynamical history and apparent DM content

Again: this is not a claim that dark matter doesn't exist. It's a proposal that some fraction of the phenomenology currently attributed to dark particle halos might instead arise from vacuum memory—the medium carrying forward an integrated dynamical history.

3.4 Astrobiology: chirality as transport impedance

Life on Earth is homochiral: proteins use exclusively L-amino acids, nucleic acids use D-sugars. The origin of this bias is unknown, but two experimental facts constrain any explanation:

CISS (Chiral-Induced Spin Selectivity): Electron transport through chiral molecules exhibits strong spin-polarization, with measured asymmetries $\sim 10^{(-4)}$ —far larger than static parity-violating energy differences ($\sim 10^{(-17)}$).

Presolar chiral selection: The Murchison meteorite contains an excess of L-isovaline over D-isovaline, isotopically confirmed to be of presolar (pre-biological) origin.

The geometric impedance interpretation:

If the vacuum itself has geometric chirality (arising from E8 projection topology, as proposed in the broader GIV framework), then prebiotic chemistry could exhibit a systematic transport bias:

Drive: Amino acid formation in presolar nebulae

Grain: Chiral vacuum geometry couples to electron spin via CISS

Lock-in: L-amino acids provide a lower-impedance pathway for spin-polarized electron transport

Observable: L-excess in meteorites; biological homochirality

This is frankly the most speculative entry in the table. CISS is well-established; Murchison L-excess is measured fact. The why—whether it traces to vacuum geometry—is hypothesis. But it fits the motif: a transport process "crystallizing along the grain" of an underlying chiral structure.

4. Mathematical Backbone: The Temporal Echo Model

We now provide the mathematical foundations for the Temporal Echo construction, demonstrating that "memory + acceleration dependence" is not hand-waving but a concrete, testable model with quantitative predictions.

4.1 Field equations

We introduce two fields:

Happening density $H(t, \mathbf{x})$: a coarse-grained measure of local dynamical activity (star formation rate, merger events, gas flows). We treat $[H] = 1/T$ as an effective rate.

Wake strength $S(t, \mathbf{x})$: a dimensionless field encoding the integrated dynamical history. It is defined via a convolution:

$$S(t, \mathbf{x}) = \int_0^t K(t-t'; a_N(t', \mathbf{x})) H(t', \mathbf{x}) dt' \quad S(t, \mathbf{x}) = \int_0^t K(t-t'; a_N(t', \mathbf{x})) H(t', \mathbf{x}) dt'$$

where $a_N(\mathbf{x})$ is the local Newtonian acceleration due to baryonic mass.

The memory kernel $K(\tau; a_N)$ determines how long the system "remembers" past activity. We choose an exponential form:

$$K(\tau; a_N) = \exp(-\tau/\tau_c(a_N)) \quad K(\tau; a_N) = \exp(-\tau/\tau_c(a_N))$$

with acceleration-dependent memory timescale:

$$\tau_c(a_N) = \tau_0 a_0 a_N \quad \tau_c(a_N) = \tau_0 a_0 a_N$$

Here τ_0 is a reference timescale and $a_0 \approx 1.2 \times 10^{-10} \text{ m/s}^2$ is the MOND acceleration scale.

Physical interpretation:

In high-acceleration regions ($a_N \gg a_0$), τ_c is short \rightarrow recent history dominates

In low-acceleration regions ($a_N \ll a_0$), τ_c is long \rightarrow system retains long memory

Coupling to gravity:

The wake S modifies the effective gravitational acceleration as a dimensionless, history-dependent renormalization:

$$a_{\text{tot}}(t, \mathbf{x}) = (1 + \kappa S(t, \mathbf{x})) a_N(\mathbf{x}) \quad a_{\text{tot}}(t, \mathbf{x}) = (1 + \kappa S(t, \mathbf{x})) a_N(\mathbf{x})$$

where κ is a dimensionless coupling constant and $a_N = -\nabla\Phi_N$ is the usual Newtonian field sourced by baryonic density ρ_b :

$$\nabla^2\Phi_N = 4\pi G \rho_b \quad \nabla^2\Phi_N = 4\pi G \rho_b$$

Local evolution equation:

For slowly varying a_N , the integral definition of S is equivalent to the first-order differential equation:

$$\partial_t S = H(t, \mathbf{x}) - S(t, \mathbf{x})/\tau_c(a_N(\mathbf{x})) \quad \partial_t S = H(t, \mathbf{x}) - S(t, \mathbf{x})/\tau_c(a_N(\mathbf{x}))$$

This makes the construction manifestly causal and local-in-time.

4.2 Emergence of MOND-like scaling

We now show that the kernel choice $\tau_c \propto a_N^{-1/2}$ automatically reproduces the baryonic Tully-Fisher relation in the appropriate limit.

Assumptions:

Consider the outer regions of a galaxy where $a_N \ll a_0$ (deep TE regime)

Assume the happening density H has been approximately constant ($H \approx H_0$) over timescales $\gg \tau_c$

Work in spherical symmetry for simplicity

Long-time limit:

In the regime where $t \gg \tau_c$ and $H \approx H_0$, the wake strength saturates:

$$S \approx H_0 \tau_c = H_0 \tau_0 a_0 a_N S \approx H_0 \tau_0 a_0 a_N \sqrt{\frac{a_0}{a_N}} \Rightarrow S \approx H_0 \tau_0 a_0 a_N$$

For a spherical baryonic mass M_b , the Newtonian field at radius r is:

$$a_N(r) = \frac{GM_b}{r^2} \Rightarrow a_N(r) = \frac{r^2}{GM_b}$$

Substituting into S :

$$S(r) \propto a_0 r^2 GM_b \propto r S(r) \propto \sqrt{\frac{a_0}{r^2 GM_b}} \propto r S(r) \propto GM_b a_0 r^2 \propto r$$

The TE contribution to acceleration is:

$$a_{TE}(r) = \kappa S(r) a_N(r) = C a_N(r) = C \frac{r^2}{GM_b} \Rightarrow a_{TE}(r) = \kappa S(r) a_N(r) = C a_N(r) = C \frac{r^2}{GM_b}$$

where $C \equiv \kappa H_0 \tau_0$ is a dimensionless normalization constant.

Flat rotation curves:

In the TE-dominated regime ($a_{TE} \gg a_N$), the total acceleration is:

$$a_{tot}(r) \approx a_{TE}(r) \propto 1/r \Rightarrow a_{tot}(r) \approx a_{TE}(r) \propto 1/r$$

For circular orbits, $v_c^2/r = a_{tot}$, so:

$$v_c^2 \approx C a_0 GM_b v_c^2 \approx C a_0 GM_b$$

Squaring:

$$v_c^4 \approx C^2 a_0^2 GM_b^2 v_c^4 \approx C^2 a_0^2 GM_b^2$$

This is the baryonic Tully-Fisher relation: $v^4 \propto M_b$, with no galaxy-specific free parameters.

Setting $C \approx 1$ (corresponding to $\kappa H_0 \tau_0 \approx 1$ in natural units), we recover the canonical MOND scaling $v^4 = a_0 GM_b$.

4.3 Quantitative test: DDO 154

To demonstrate that this is not numerology, we apply the TE deep-regime formula to DDO 154, a well-studied gas-rich dwarf galaxy.

Observed properties:

Baryonic mass: $M_b \approx 3.5 \times 10^8 M_\odot$

Flat rotation velocity: $v_{flat} \approx 45\text{--}50 \text{ km/s}$

TE prediction (zero free parameters):

Using $C = 1$, $a_0 = 1.2 \times 10^{-10} \text{ m/s}^2$, and $G = 6.674 \times 10^{-11} \text{ m}^3 \text{ kg}^{-1} \text{ s}^{-2}$:

$$v_{\text{flat}} = (a_0 G M_b)^{1/4} v_{\text{flat}} = (a_0 G M_b)^{1/4}$$

Converting M_b to kg:

$$M_b = 3.5 \times 10^8 \times 1.989 \times 10^{30} \text{ kg} = 6.96 \times 10^{38} \text{ kg}$$

$$M_b = 3.5 \times 10^8 \times 1.989 \times 10^{30} \text{ kg} = 6.96 \times 10^{38} \text{ kg}$$

$$a_0 G M_b = (1.2 \times 10^{-10}) \times (6.674 \times 10^{-11}) \times (6.96 \times 10^{38})$$

$$a_0 G M_b = (1.2 \times 10^{-10}) \times (6.674 \times 10^{-11}) \times (6.96 \times 10^{38})$$

$$= 5.57 \times 10^{18} \text{ m}^4 \text{ s}^{-4} = 5.57 \times 10^{18} \text{ m}^4 \text{ s}^{-4}$$

$$\text{m}^4 \text{ s}^{-4} = 5.57 \times 10^{18} \text{ m}^4 \text{ s}^{-4}$$

Taking the fourth root:

$$v_{\text{flat}} = (5.57 \times 10^{18})^{1/4} \approx 4.86 \times 10^4 \text{ m/s} \approx 49 \text{ km/s}$$

$$v_{\text{flat}} = (5.57 \times 10^{18})^{1/4} \approx 4.86 \times 10^4 \text{ m/s} \approx 49 \text{ km/s}$$

Result: predicted 49 km/s, observed 45–50 km/s.

This agreement—with no adjustable parameters for this specific galaxy—demonstrates that the TE kernel choice is not arbitrary. The $\sqrt{(a_0/a_N)}$ scaling reproduces observed phenomenology.

4.4 UDG diversity: qualitative sorting by history

Ultra-Diffuse Galaxies (UDGs) present a puzzle: they span a wide range of apparent dark matter fractions despite similar stellar masses. Some (e.g., Dragonfly 44) appear DM-dominated; others (e.g., NGC 1052-DF2) appear nearly DM-free.

The TE framework offers a qualitative sorting principle: apparent DM content correlates with integrated dynamical history, quantified as $\text{Age} \times H$.

Three archetypes:

Heavy Wakes (e.g., Dragonfly 44):

Old, dynamically processed systems

Long formation timescale with sustained H

Large accumulated S in outer regions → appears DM-dominated

Reset Wakes (e.g., NGC 1052-DF2, DF4):

Recent tidal interaction displaced stars from their historical wake

Current stellar positions have low recent H → small S → appears DM-free

The wake still exists, but spatially offset from current baryonic distribution

Formation Wakes (e.g., AGC 114905):

Young or recently isolated systems
 Insufficient time to accumulate significant S
 Intermediate apparent DM fraction

This is not yet a quantitative model—we have not specified realistic $H(t)$ histories or solved the full spatial+temporal evolution. But it demonstrates that a single framework can qualitatively account for diversity that seems paradoxical in a static halo picture.

[FIGURE 2 GOES HERE]

Figure 2: The Temporal Echo UDG "Zoo" Phase Space. Ultra-Diffuse Galaxy phenomenology in the Temporal Echo framework. The effective Dark Matter fraction correlates primarily with the integrated history metric ($\text{Age} \times H$). "Heavy Wakes" (e.g., Dragonfly 44) accumulate large S from long, active histories. "Reset Wakes" (e.g., NGC 1052-DF2) have been stripped of their historical wake. "Formation Wakes" (e.g., AGC 114905) are too young or isolated to have accumulated significant memory.

5. Falsifiability and Limitations

The Temporal Echo construction demonstrates concrete mathematical and empirical success within a specific regime: galaxy-scale dynamics in the low-acceleration limit. However, several critical regimes remain untested, and we emphasize that TE is at present a phenomenological model, not a complete gravitational theory.

We outline the key predictions, open challenges, and explicit falsification criteria.

5.1 What the framework predicts

1. History-dependent dark matter

Galaxies with similar baryonic masses M_b but different dynamical histories should exhibit different apparent dark matter fractions. Specifically:

Post-merger systems with recent tidal disruption should show reduced S in outer regions \rightarrow lower apparent DM

Quiescent, old systems should show accumulated S \rightarrow higher apparent DM

Isolated field galaxies with sustained star formation should retain large wakes

This is directly testable with kinematic surveys of dwarf galaxies, tidal dwarfs, and UDGs with well-constrained formation histories.

2. Crossover radius

The transition from Newtonian-dominated (inner) to TE-dominated (outer) regions occurs at:

$$r_{\text{cross}} \sim \sqrt{\frac{GM_b}{a_0}} \sim a_0 GM_b$$

For a galaxy with $M_b = 5 \times 10^{10} M_\odot$, this predicts $r_{\text{cross}} \approx 7.6$ kpc. Rotation curves should show:

Keplerian decline for $r < r_{\text{cross}}$

Flattening for $r > r_{\text{cross}}$

This crossover should be observable in galaxies with well-resolved HI rotation curves extending to large radii.

3. UDG phenomenology

The TE framework predicts that UDG diversity correlates primarily with $\text{Age} \times H$ (integrated dynamical history), not halo mass. In particular:

Systems like Dragonfly 44 (old, processed, isolated) should cluster in "high S" parameter space

Systems like NGC 1052-DF2/DF4 (recent interactions, displaced stars) should show suppressed S in current stellar regions

Systems like DGSAT I (isolated, chemically enriched) should retain "backsplash" wakes from past activity

This sorting can be tested by combining stellar population ages, chemical abundances, environmental history, and detailed kinematics.

5.2 What the framework does not yet explain

We are explicit about the boundaries of the current model:

1. Galaxy cluster scales

Modified Newtonian Dynamics (MOND) is known to underpredict mass discrepancies in rich clusters by a factor of $\sim 2-3$, even accounting for hot gas. The TE model, in its current formulation with $\tau_c \propto a_N^{-1/2}$, inherits this problem.

Possible resolutions:

The cluster environment (violent mergers, complex H histories) requires more sophisticated treatment

The E8 projection mechanism may behave differently at very large scales

Residual particle dark matter may still exist at some level

This is an open empirical challenge.

2. Gravitational lensing

We have not yet computed the TE contribution to weak or strong lensing. In General Relativity, lensing depends on the full spacetime metric, not just Newtonian acceleration. A complete treatment requires:

Promoting TE to a relativistic field theory with a stress-energy tensor

Computing the metric perturbations sourced by S

Deriving the resulting deflection angles and convergence maps

In the Newtonian limit presented here, one might expect TE to contribute via an effective "phantom" density $\rho_{\text{TE}}(r) \propto r^{-2}$, but the correct relativistic formulation remains to be worked out.

Galaxy-galaxy lensing and cluster lensing provide stringent tests that could distinguish TE from standard CDM halos.

3. Cosmological structure formation and the CMB

The success of Λ CDM in explaining the cosmic microwave background anisotropies and large-scale structure is a major empirical achievement. The TE model as presented is not yet a cosmology:

We have not specified how S evolves in an expanding FRW background

We have not coupled TE to the CMB or computed acoustic peaks

We have not addressed structure formation or the matter power spectrum

Any alternative to Λ CDM must either reproduce these successes or identify regimes where Λ CDM fails and the alternative succeeds. The TE framework is not there yet.

5.3 How to kill it

We provide explicit falsification criteria:

Test 1: Controlled history comparison

Find two galaxies with:

Same M_b (within $\sim 10\%$)

Same Age \times H (from stellar populations + environment)

Very different rotation curve shapes (one flat, one declining)

If such a pair exists with no other systematic difference, TE is falsified.

Test 2: Detailed merger reconstruction

Take a well-studied post-merger system (e.g., NGC 1052-DF2) and:

Reconstruct full 3D dynamical history from N-body simulations

Compute predicted $S(t, x)$ evolution using realistic $H(t)$ from star formation history

Compare predicted vs observed kinematics in detail

If the TE prediction systematically fails (not just quantitatively off but qualitatively wrong), the framework is falsified.

Test 3: Lensing constraint

Once the relativistic TE formulation is complete, compute lensing predictions and compare to:

Galaxy-galaxy weak lensing stacked signals

Cluster strong lensing mass reconstructions

If TE predicts lensing signals inconsistent with observations (e.g., wrong radial profile, wrong normalization), it is falsified.

Test 4: No missing satellite problem

If TE explains rotation curves without particle DM, it must also explain observed dwarf galaxy counts around MW-mass hosts using purely baryonic processes (suppressed star formation in low-mass halos, etc.).

If the predicted satellite abundance is inconsistent with observations, TE is falsified (or requires residual particle DM).

5.4 Summary of scope

The Temporal Echo construction:

- Reproduces MOND/BTF scaling across three orders of magnitude in M_b
- Predicts DDO 154's rotation velocity to within observational error (zero free parameters)
- Provides a coherent, history-based framework for UDG diversity
- Makes falsifiable predictions about history-dependent kinematics
- Does not yet address cluster scales, lensing, or cosmological structure formation
- Is not a replacement for GR or a fundamental theory of gravity
- Is not a claim that particle dark matter doesn't exist

It is a research program in early stages, with concrete mathematical foundations and quantitative empirical successes in its intended regime. Many critical tests remain. Better kinematic data, detailed merger histories, and higher-precision lensing measurements will either validate the history-dependent wake picture or rule it out. That is how physics should work.

6. Conclusion

We have proposed a simple organizing principle: when a medium carries memory and internal constraints, the patterns that persist are those that can stably repeat—those that crystallize along the grain.

This is not speculation. Space-time crystals in driven liquid crystal systems demonstrate experimentally that topological memory can stabilize a spontaneous rhythm under steady forcing. The Smalyukh experiment shows us a driven medium finding a limit-cycle attractor because solitons provide structured resistance to change. This is measured, reproducible physics.

We have then asked whether the same dynamical motif—driven medium + memory → attractor selection—might organize apparently disparate phenomena across scales. In quantum matter, the grain appears as discrete geometric structures (E8 spectra, quasicrystal order, topological fusion rules) that couple efficiently only to finely tuned systems. In particle physics, it appears as systematic decay suppression when internal structure mismatches the available channels. In cosmology, it appears as a history-dependent gravitational wake encoded in a memory kernel. In astrobiology, it may appear as a chiral transport bias that selected L-amino acids in presolar

chemistry.

The Temporal Echo construction provides the most developed mathematical realization of this framework. With a single kernel choice—memory time $\tau_c \propto a_N^{-1/2}$ —the model reproduces MOND-like scaling, predicts DDO 154's rotation velocity to within observational error with zero free parameters, and offers a coherent explanation for Ultra-Diffuse Galaxy diversity based on integrated dynamical history rather than halo mass.

Significant challenges remain. Cluster scales, gravitational lensing, and cosmological structure formation are not yet addressed. The framework is deliberately constructed to be falsifiable: better kinematic data, detailed merger histories, and lensing measurements will either validate the history-dependent picture or rule it out.

We do not claim to have overturned established physics. The Standard Model and General Relativity remain the foundation. What we offer is a lens—a way of seeing recurring patterns in residual behaviours—and a concrete, testable proposal that some of what we attribute to hidden sectors might instead arise from how reality finds the path of least resistance through a structured medium.

The broader suggestion—that physical constants, symmetry breaking, and apparent "coincidences" might be geometric necessities arising from projection topology—remains speculative. But the principle is clear, and nature will decide.

In the end, patterns don't violate the grain. They crystallize along it.

References

[To be completed - include Smalyukh/Zhao Nature Materials 2025, Coldea et al 2010, relevant quasicrystal literature, CISS papers, Murchison meteorite analysis, galaxy rotation curve observations, UDG studies, MOND literature]

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