

These slides are by courtesy of Prof. 李稻葵 and Prof. 郑捷.

Chapter Twenty-Three

Firm Supply

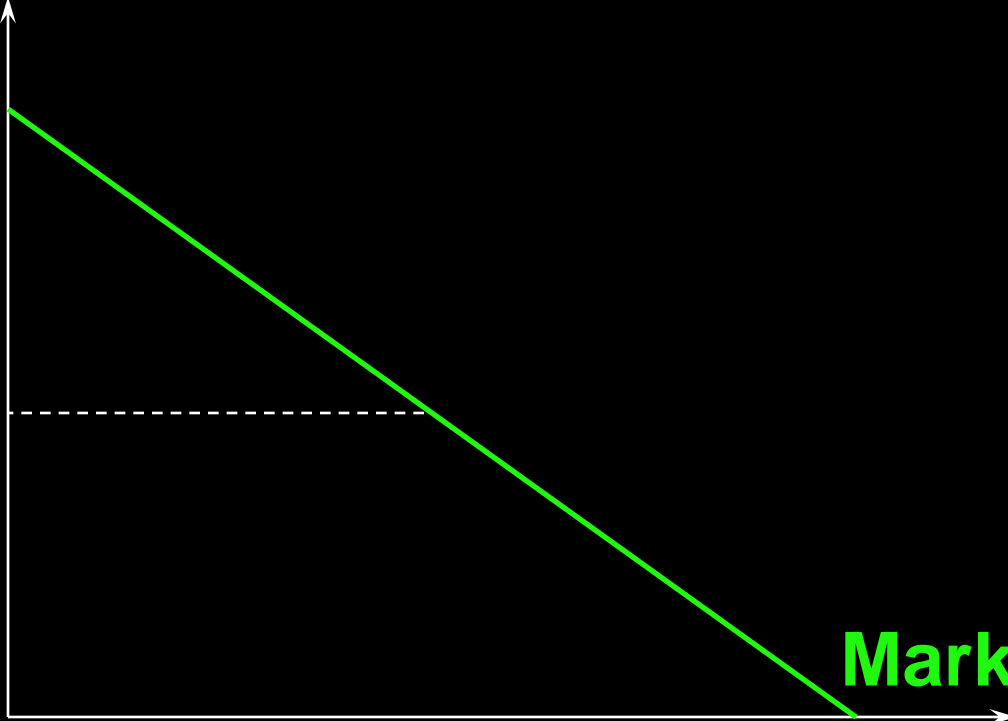
Assume Competition

\$/output unit

p^e

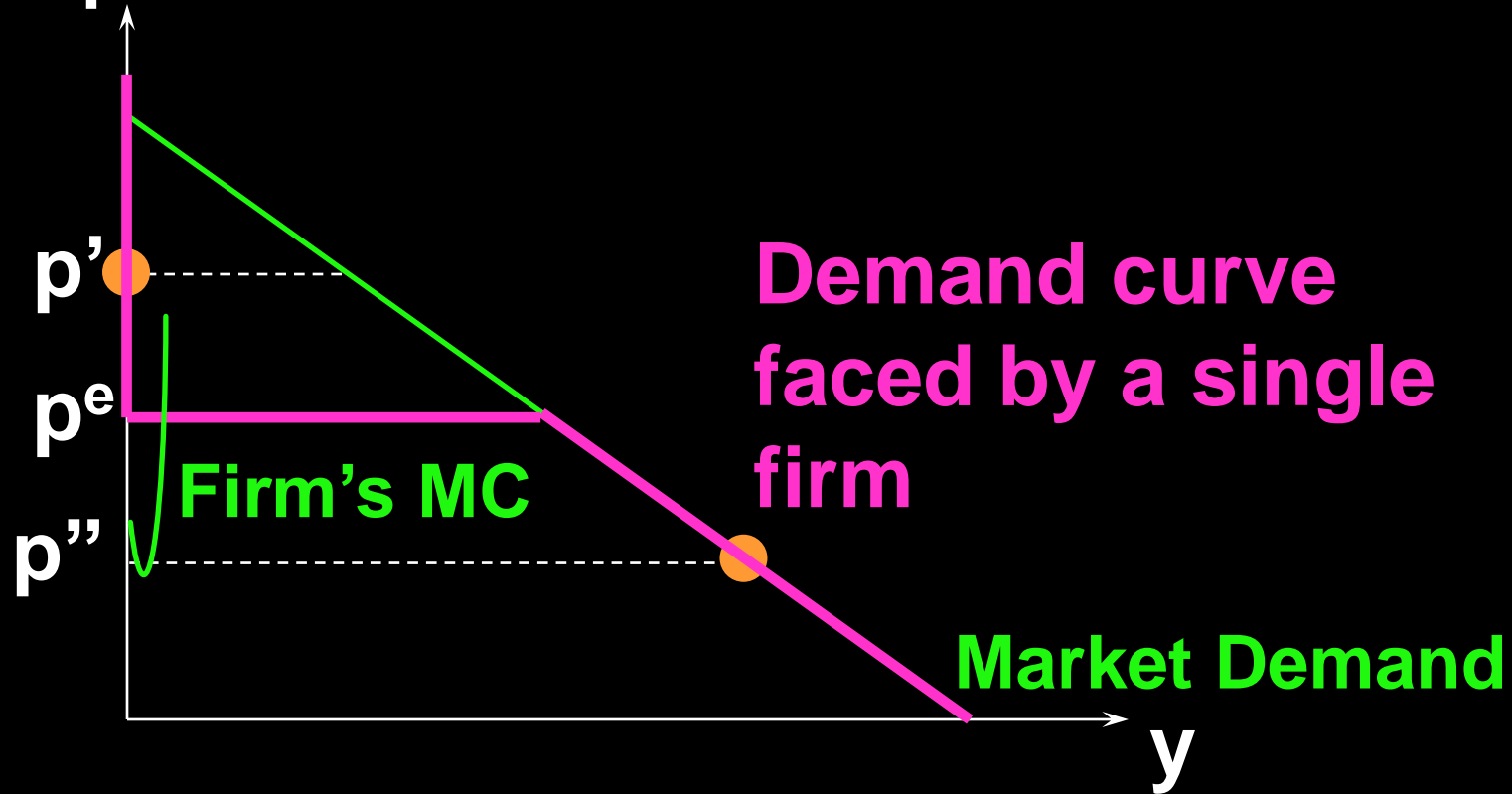
Market Demand

Y



Firm as a Price Taker

\$/output unit



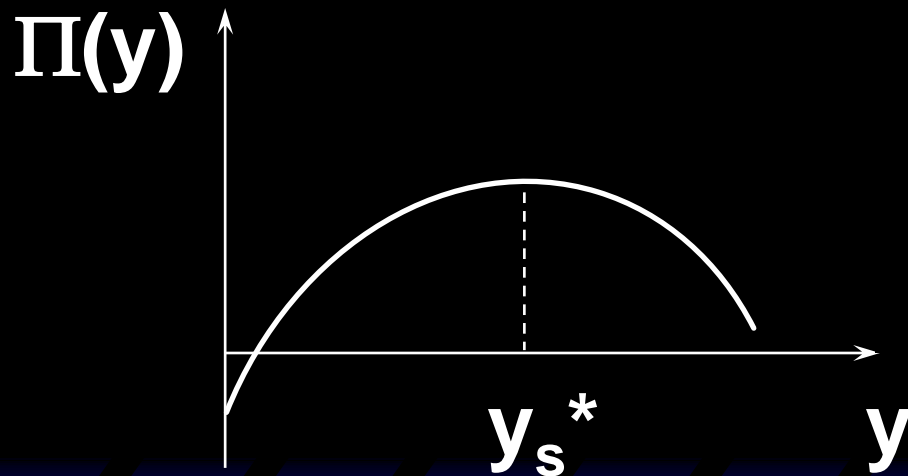
The firm only finds the flat part of the single-firm demand curve potentially profitable.

The Firm's Short-Run Supply Decision

$$\max_{y \geq 0} \Pi_s(y) = py - c_s(y).$$

Case (a) $y_s^* > 0$:

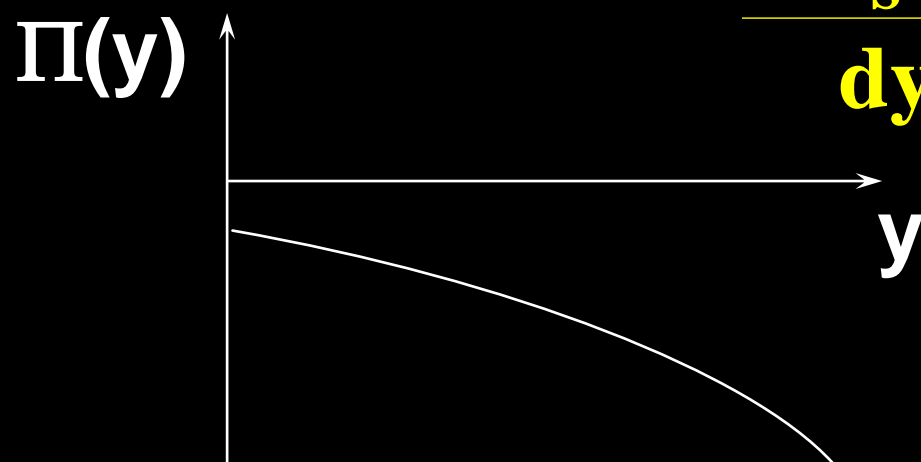
$$\frac{d\Pi_s(y)}{dy} = p - MC_s(y) = 0$$



The Firm's Short-Run Supply Decision

$$\max_{y \geq 0} \Pi_s(y) = py - c_s(y).$$

Case (b) $y_s^* = 0$:


$$\frac{d\Pi_s(y)}{dy} = p - MC_s(y) \leq 0$$

at $y = y_s^* = 0$.

The profit is:
 $p \cdot 0 - c_s(0) = -FC.$

$y_s^* = 0$

When will case (a) happen?

- ◆ Assuming no quasi-fixed cost
- ◆ Since $y=0$ is always a feasible choice, if the optimal $y > 0$, it must be

$$\Pi_s(y) = py - F - c_v(y) \geq -F.$$

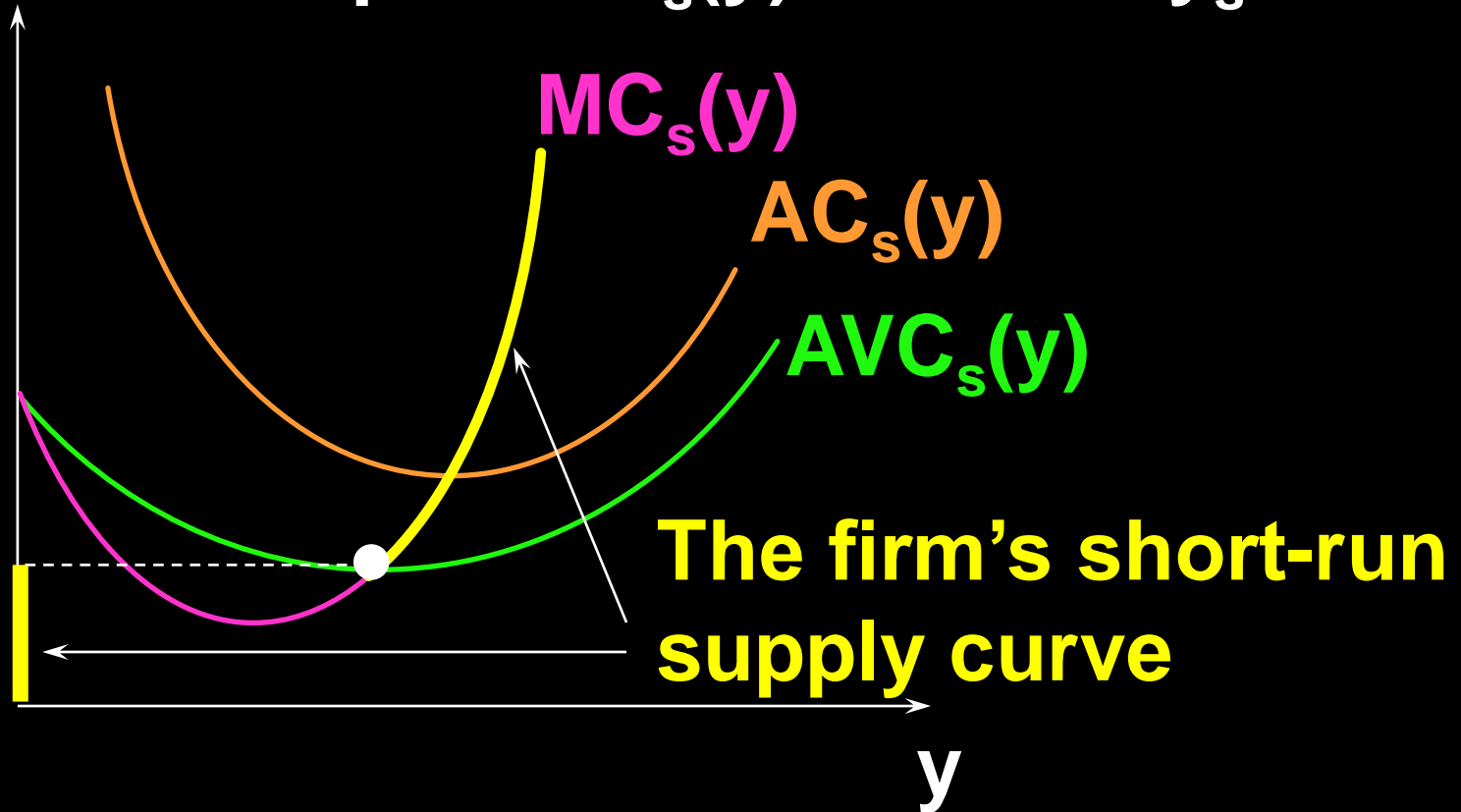
$$py - c_v(y) \geq 0$$

◆ I.e.,

- ◆ Equivalently, $p \geq \frac{c_v(y)}{y} = AVC_s(y).$

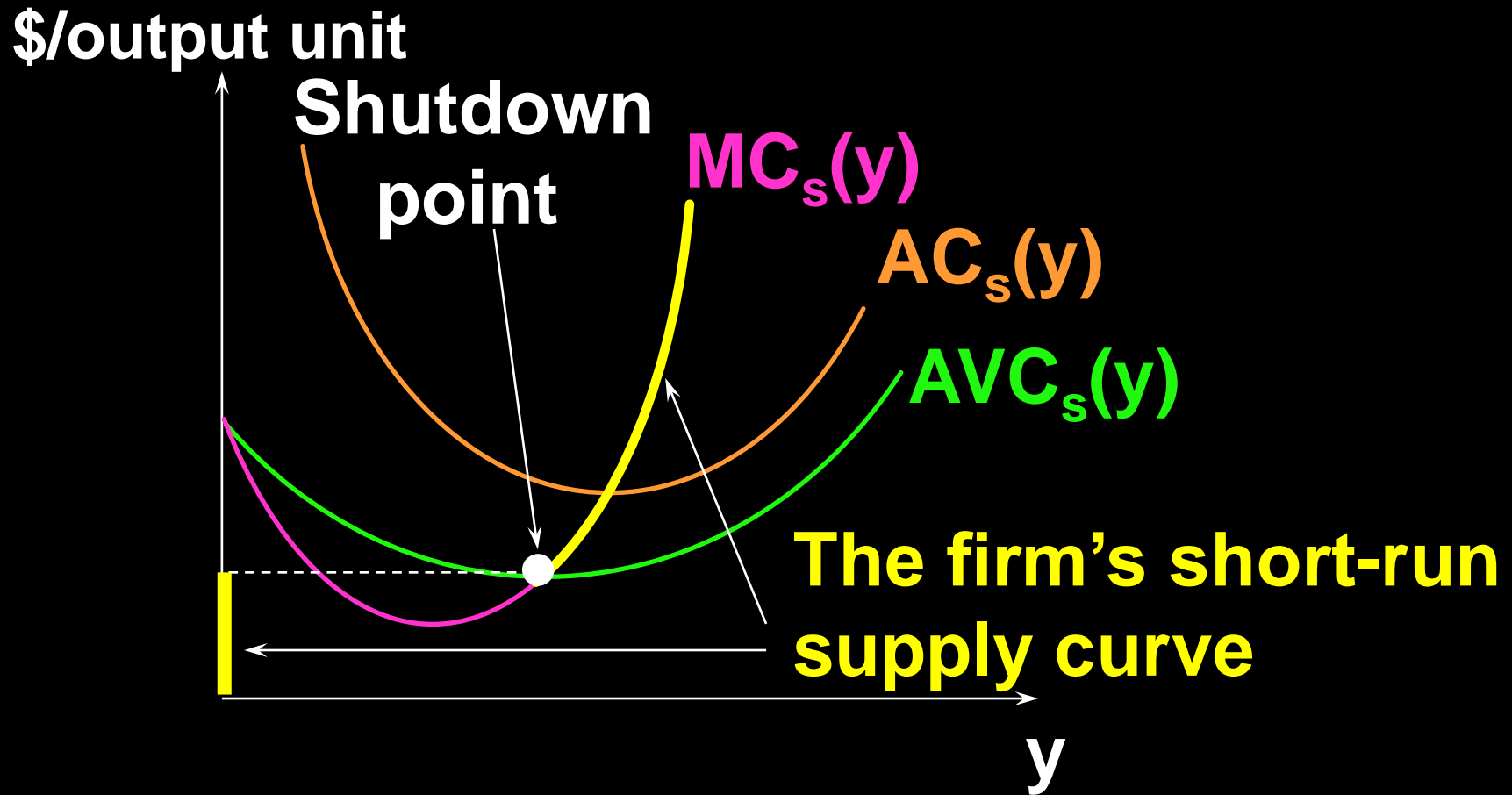
The Firm's Short-Run Supply Decision

$\$/\text{output unit}$ $p > AVC_s(y) \implies y_s^* > 0.$



$p < AVC_s(y) \implies y_s^* = 0.$

The Firm's Short-Run Supply Decision

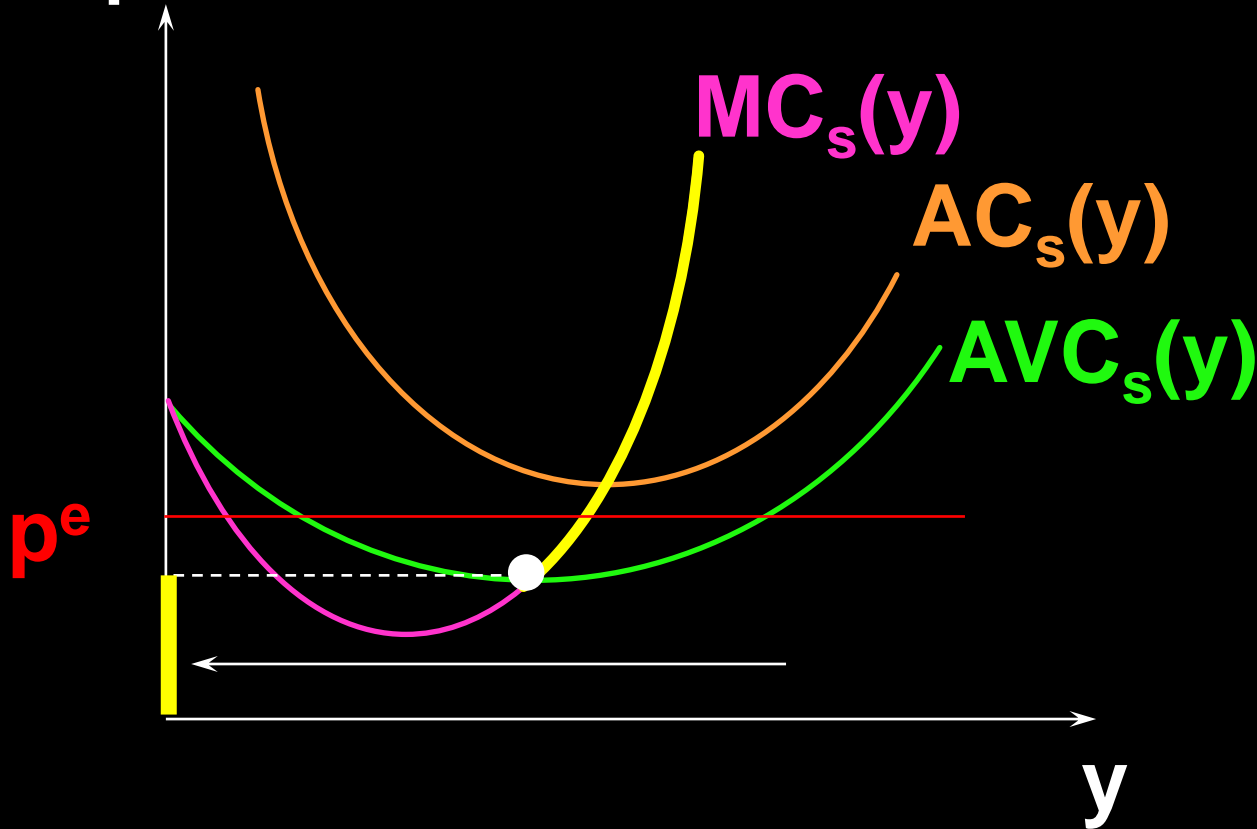


Shutdown in the Short-Run

- ◆ Shutting-down means producing no output, i.e. $y=0$.
- ◆ But the firm still must pay for the fixed inputs in the short run.
- ◆ The firm may run with negative profit in the short run, since fixed cost is sunk in the short run.

The Firm's Short-Run Supply Decision

\$/output unit



At price p^e , the firm will operate with a negative profit.

Long-Run Supply

- ◆ With competition, the firm's long-run profit function is

$$\Pi(y) = py - c(y).$$

- ◆ $c(y)$: long-run cost

The Firm's Long-Run Supply Decision

- ◆ The firm's long-run supply level decision is to

$$\max_{y \geq 0} \Pi(y) = py - c(y).$$

- ◆ FOC: $p = MC(y)$

The Firm's Long-Run Supply Decision

- ◆ To see whether we have an interior solution ($y > 0$) or corner solution ($y = 0$), it is again helpful to compare p and AC .
- ◆ If $y > 0$ is an interior solution, we must have

$$\begin{aligned}\Pi(y) &= py - c(y) \geq 0 \\ \Rightarrow p &\geq \frac{c(y)}{y} = AC(y).\end{aligned}$$

The Firm's Long-Run Supply Decision

\$/output unit

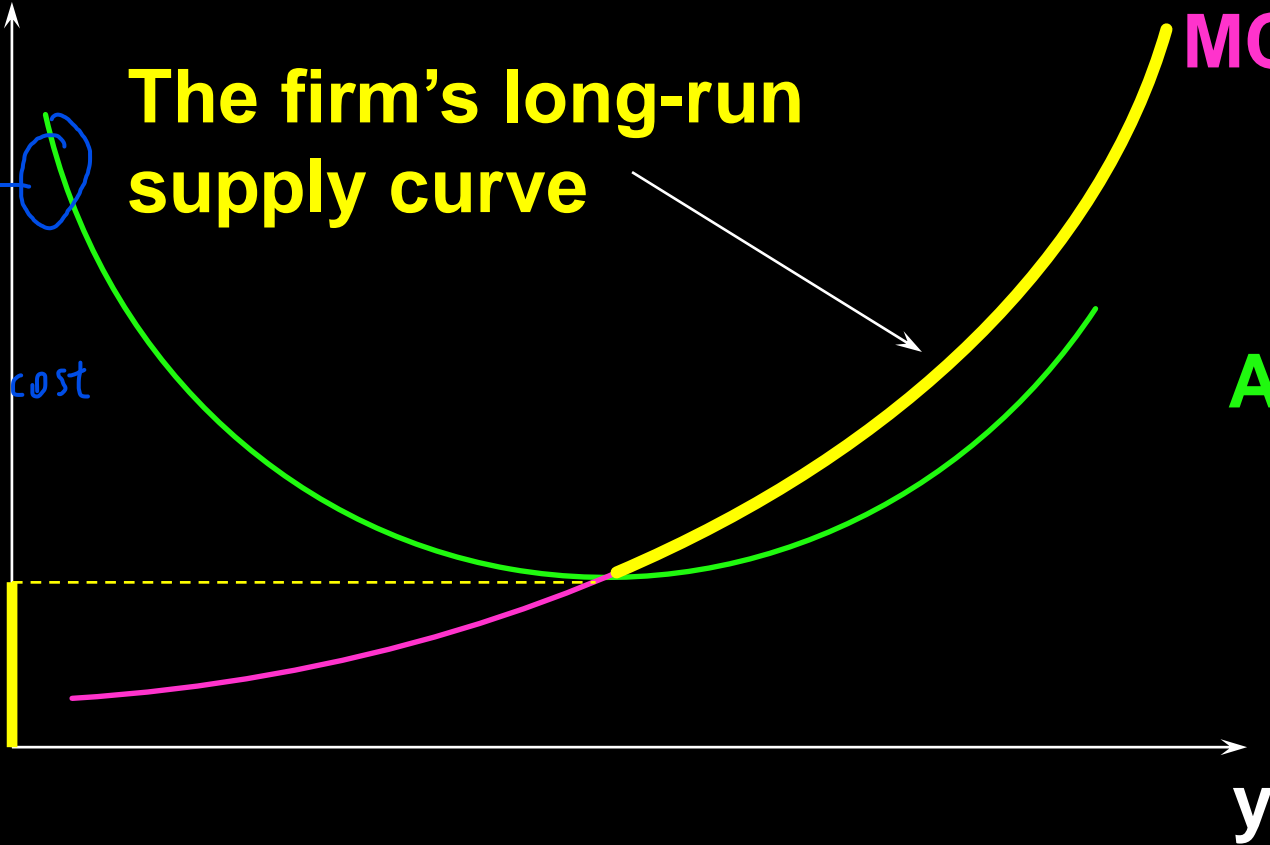
The firm's long-run supply curve

$MC(y)$

$AC(y)$

y

很大
可能因为
quasi-fixed cost

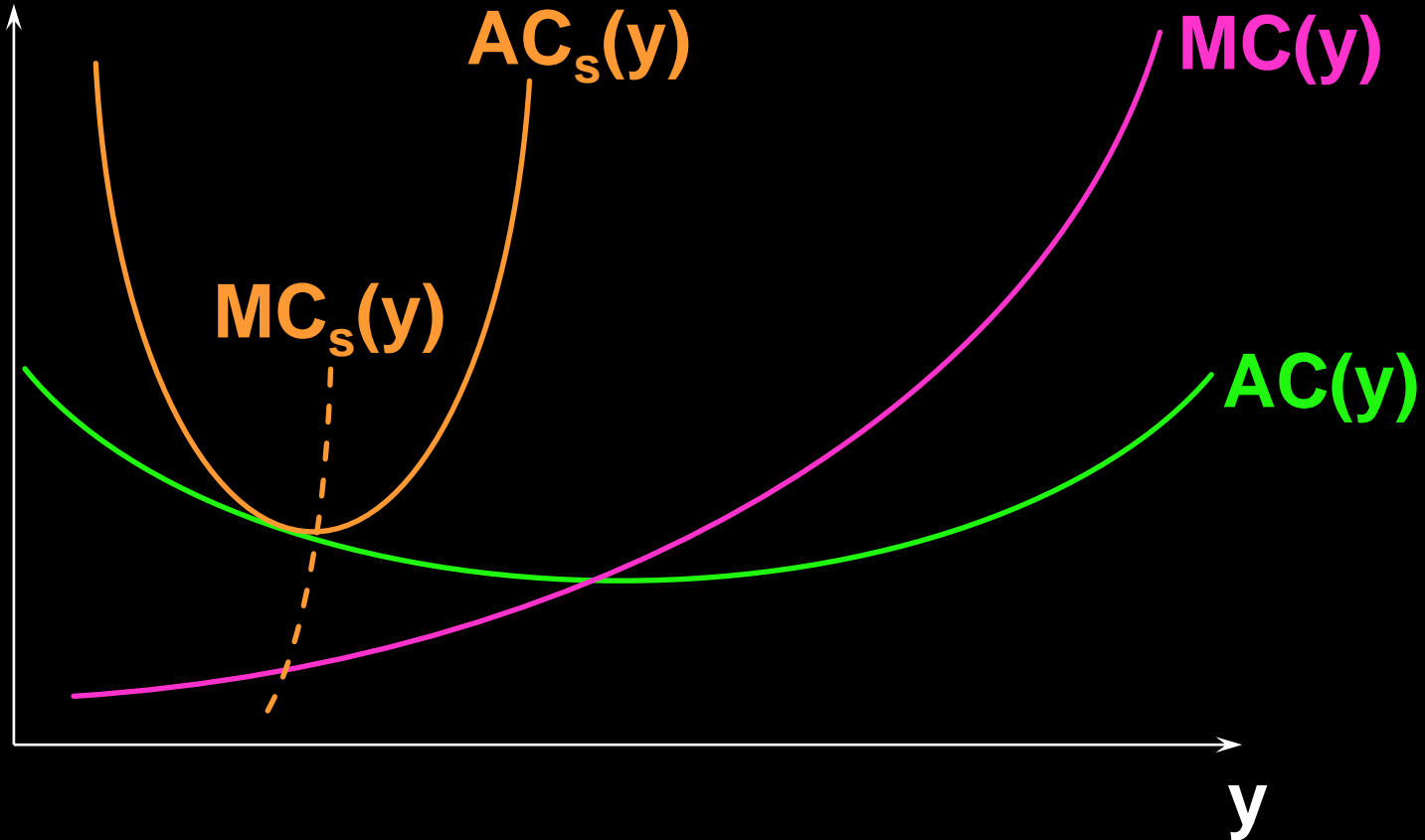


Long Run vs. Short Run

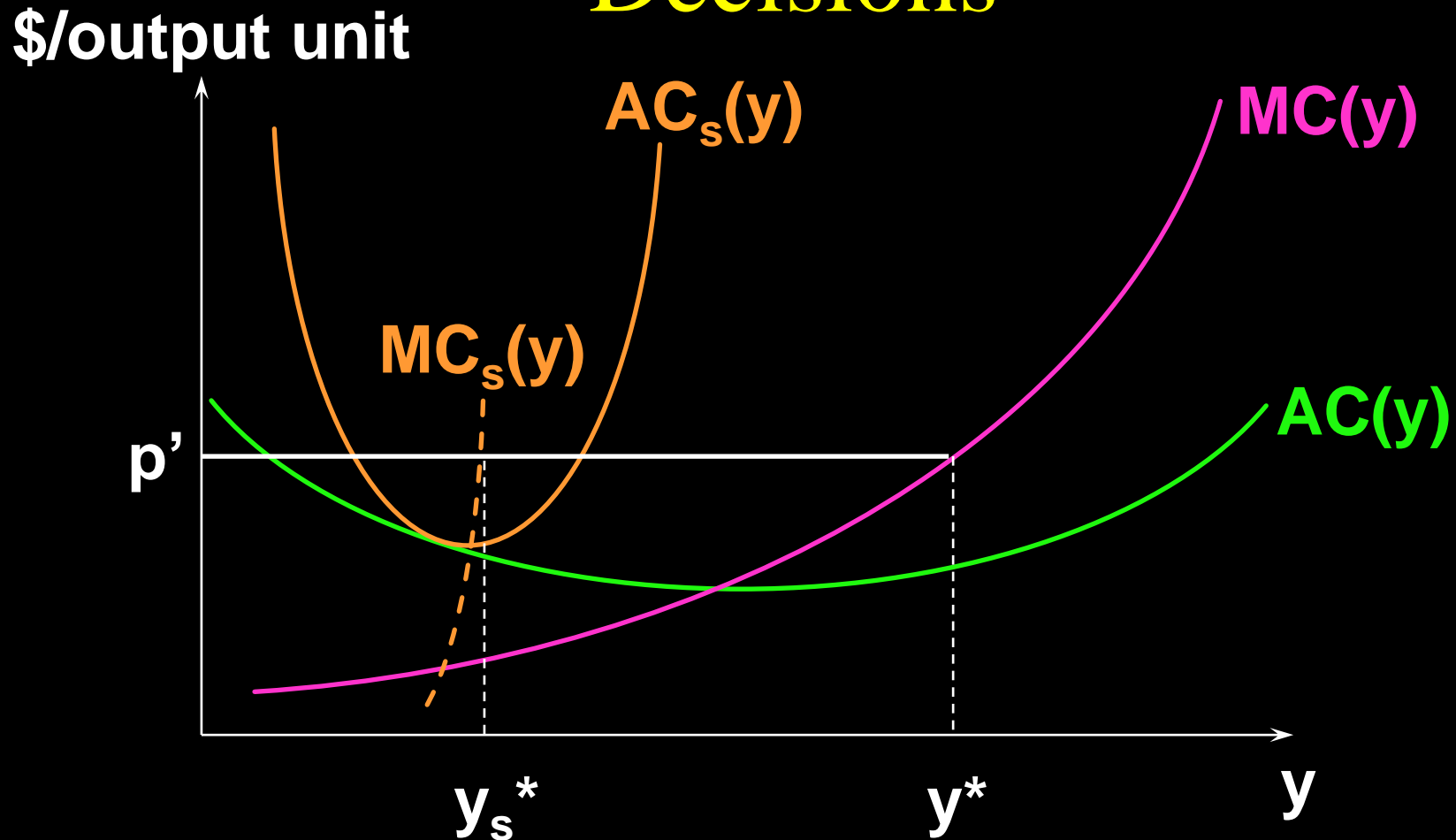
- ◆ How is the firm's long-run supply curve related to its short-run supply curves?

The Firm's Long & Short-Run Supply Decisions

\$/output unit

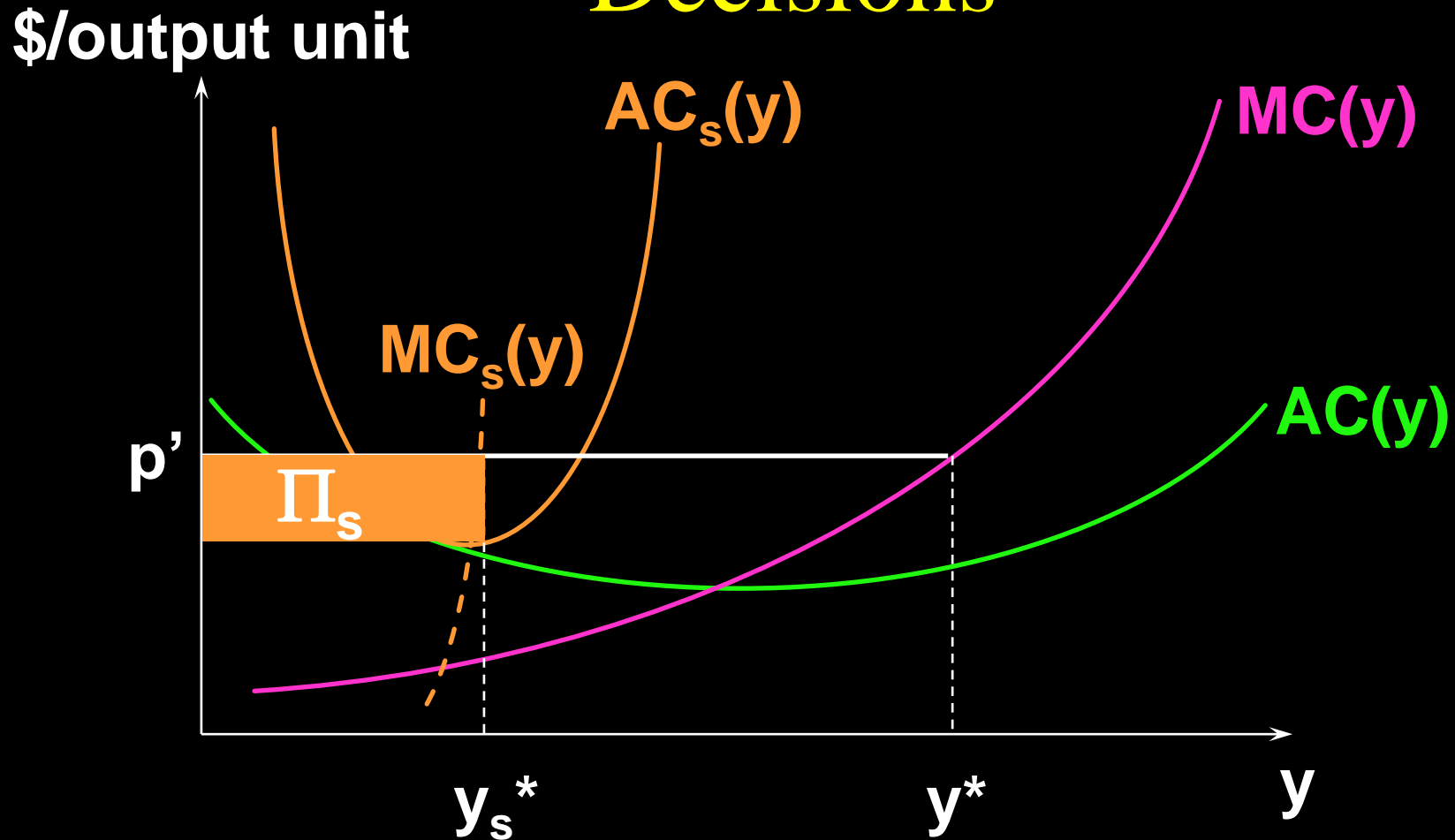


The Firm's Long & Short-Run Supply Decisions



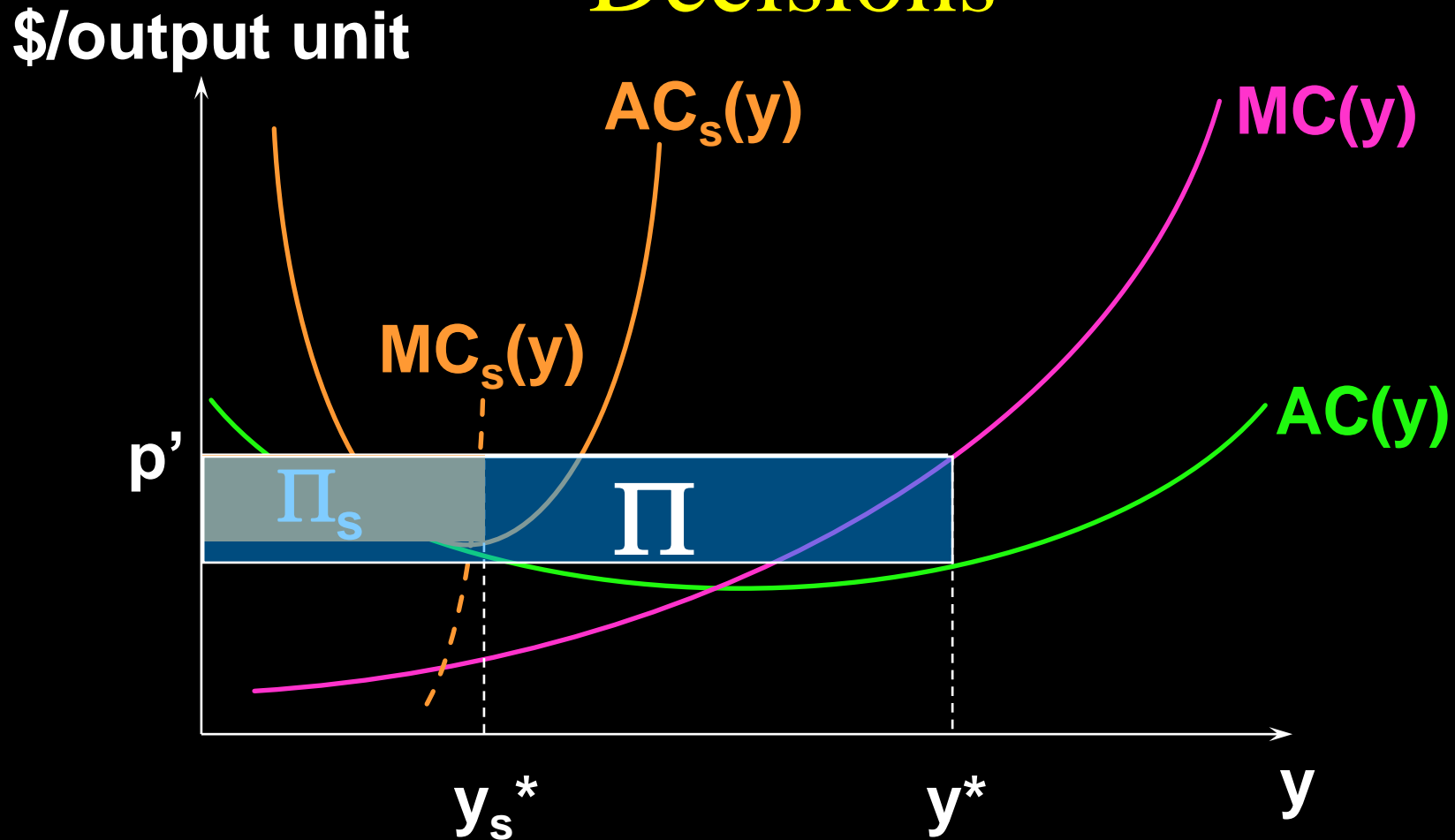
y_s^* is profit-maximizing in this short-run.

The Firm's Long & Short-Run Supply Decisions



y_s^* is profit-maximizing in this short-run.

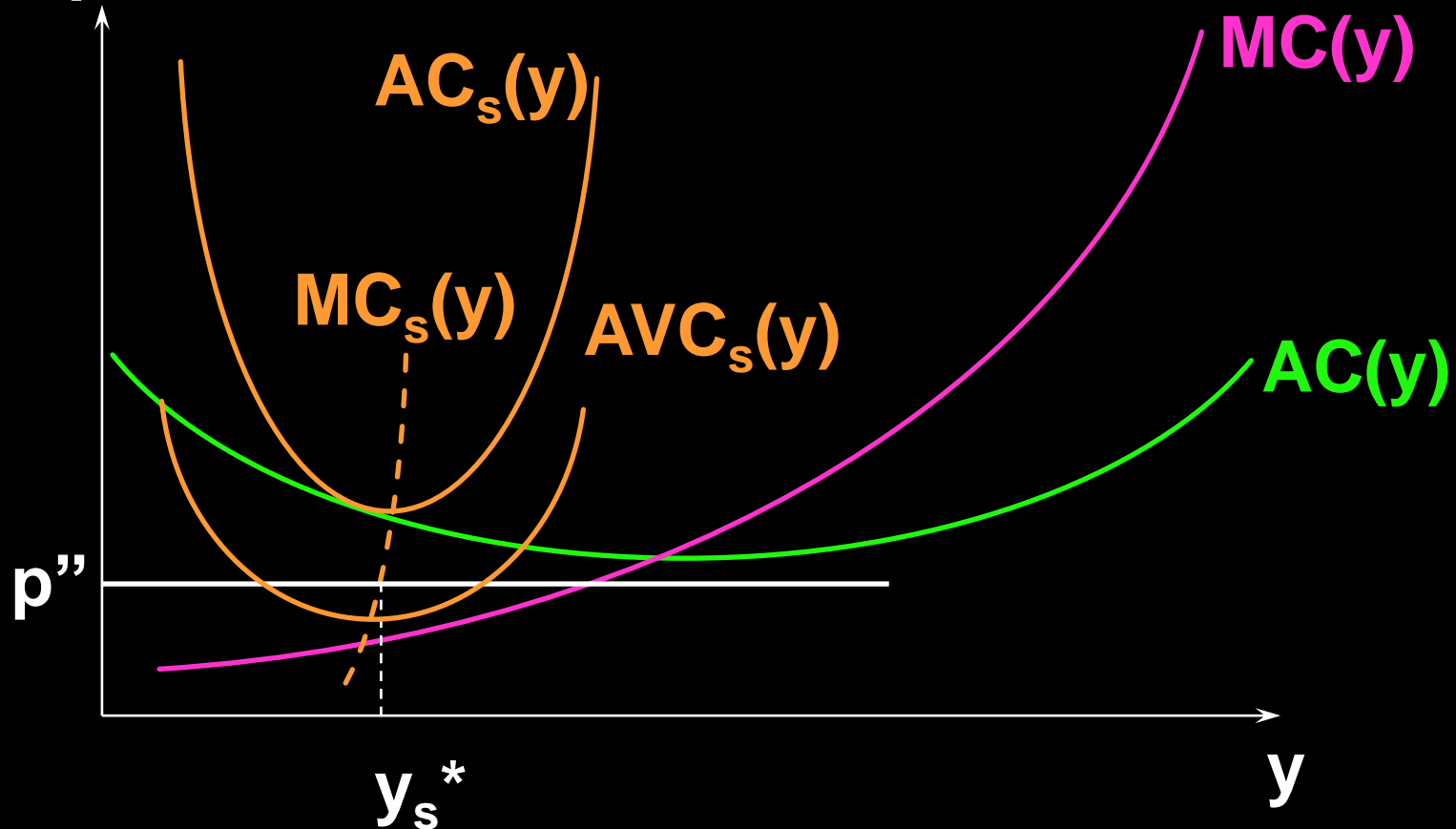
The Firm's Long & Short-Run Supply Decisions



y^* is profit-maximizing in the long run.

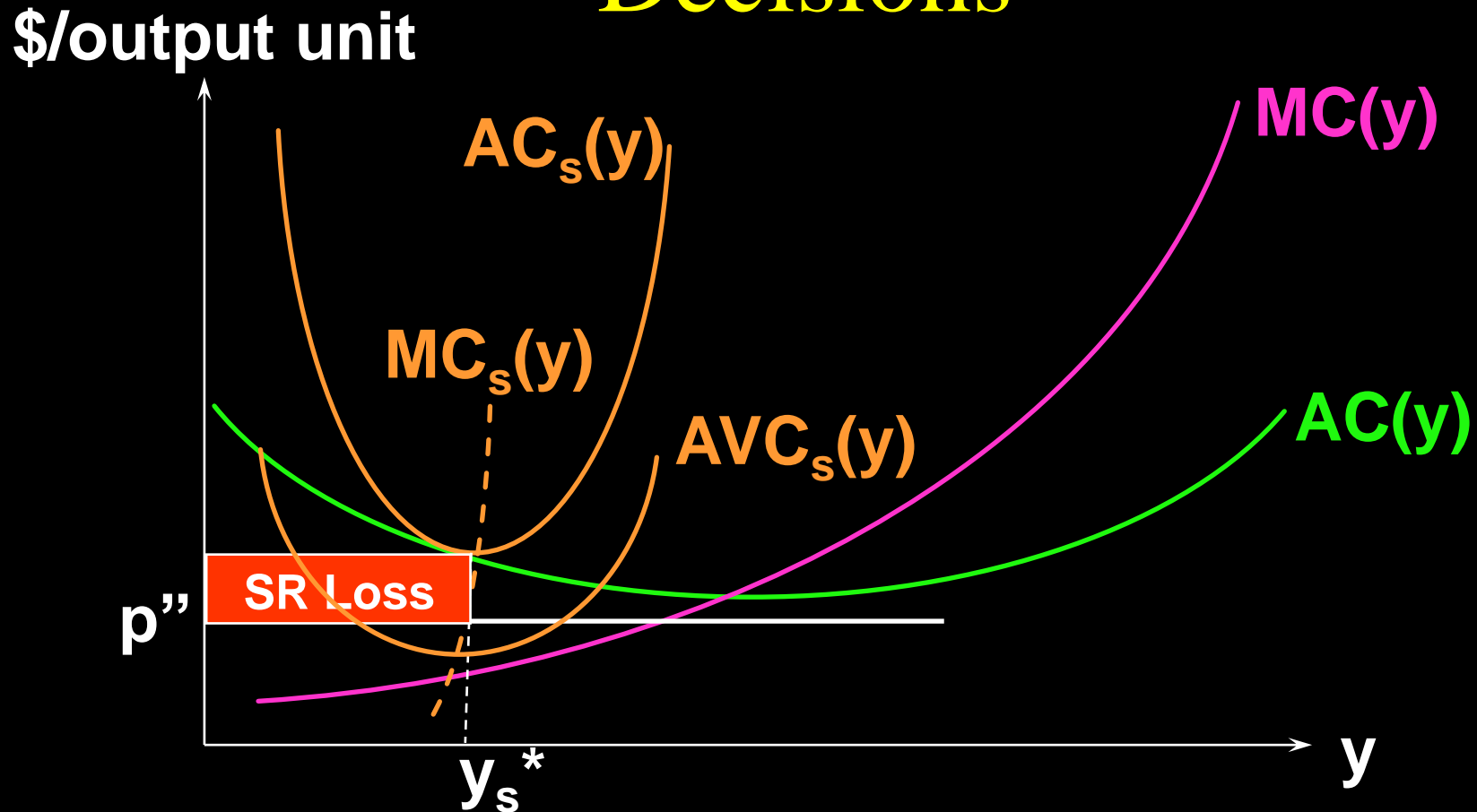
The Firm's Long & Short-Run Supply Decisions

\$/output unit



y_s^* is loss-minimizing in this short-run.

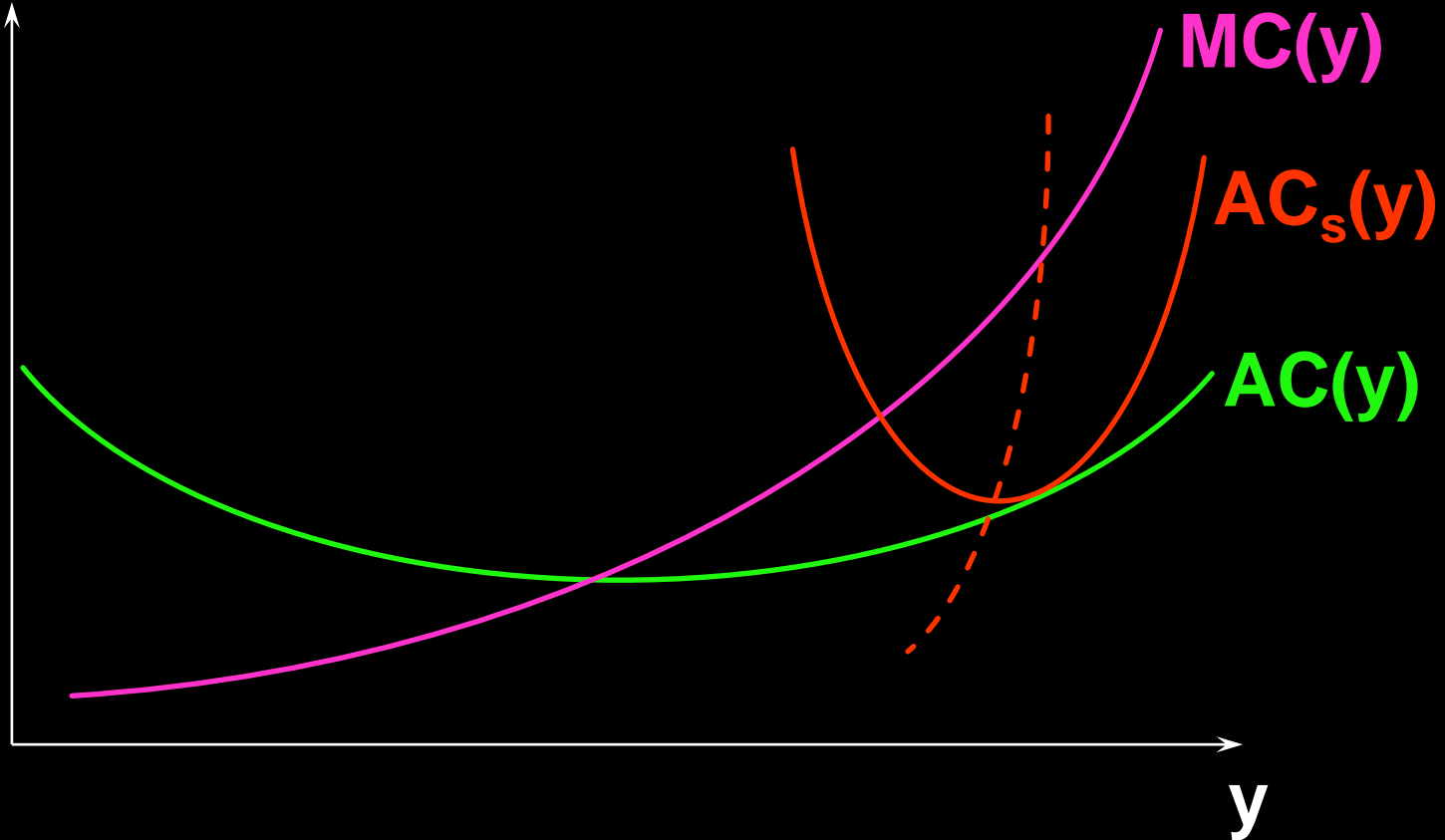
The Firm's Long & Short-Run Supply Decisions



In the short run, $\text{profit} < 0$. But in the long run, the firm will exit the market ($y=0$) and $\text{profit} = 0$.

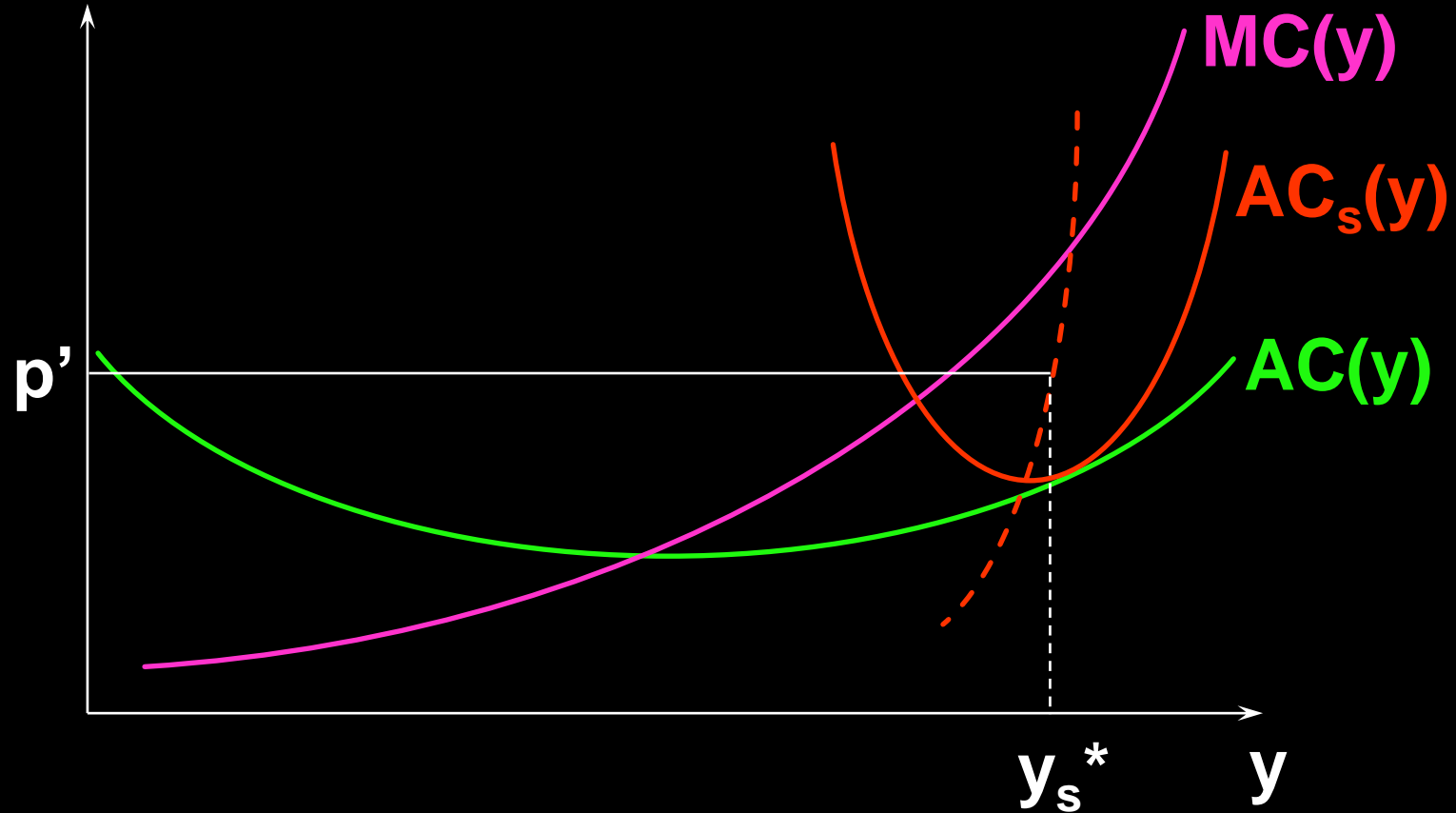
The Firm's Long & Short-Run Supply Decisions

\$/output unit



The Firm's Long & Short-Run Supply Decisions

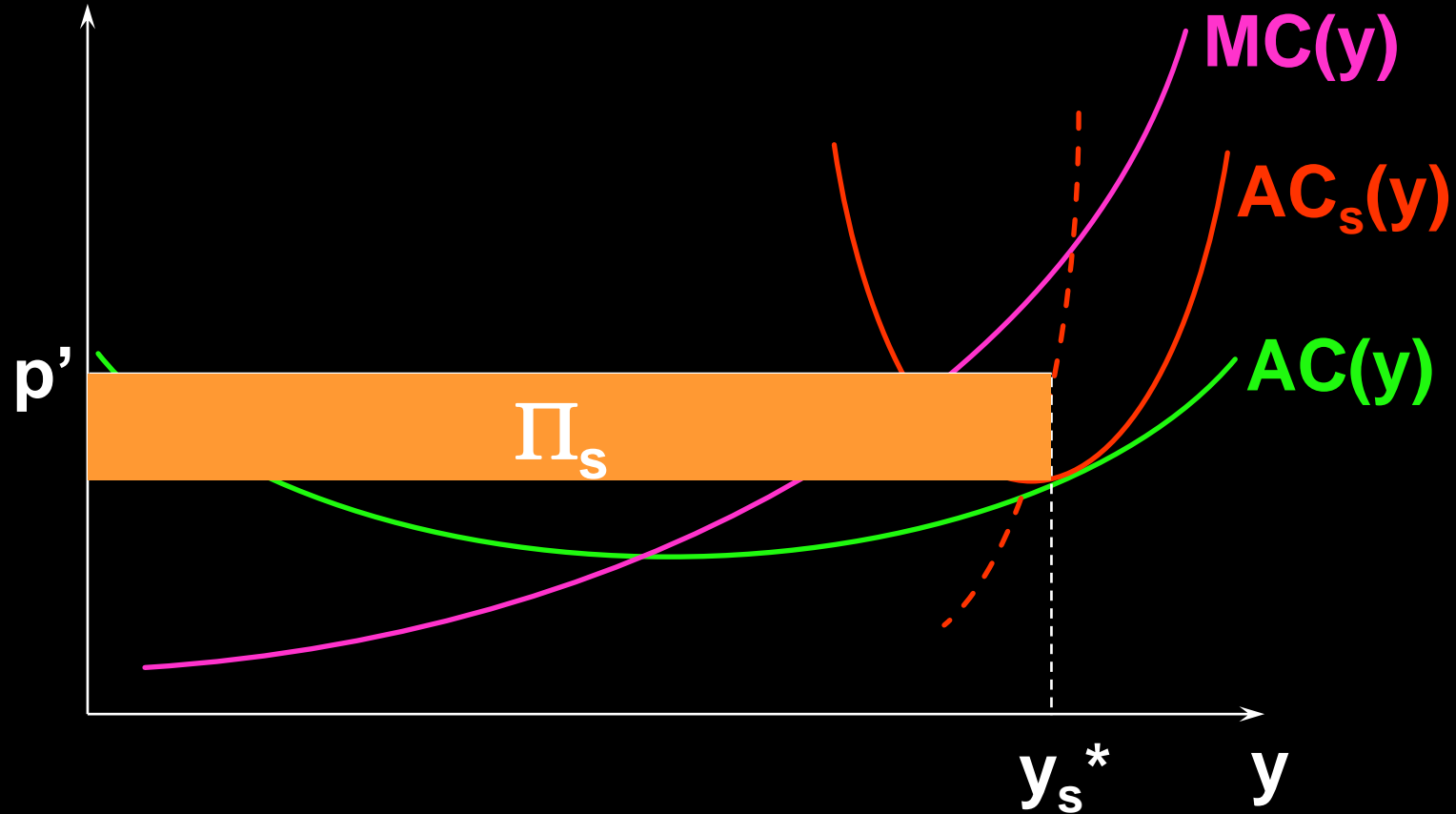
\$/output unit



y_s^* is profit-maximizing in this short-run.

The Firm's Long & Short-Run Supply Decisions

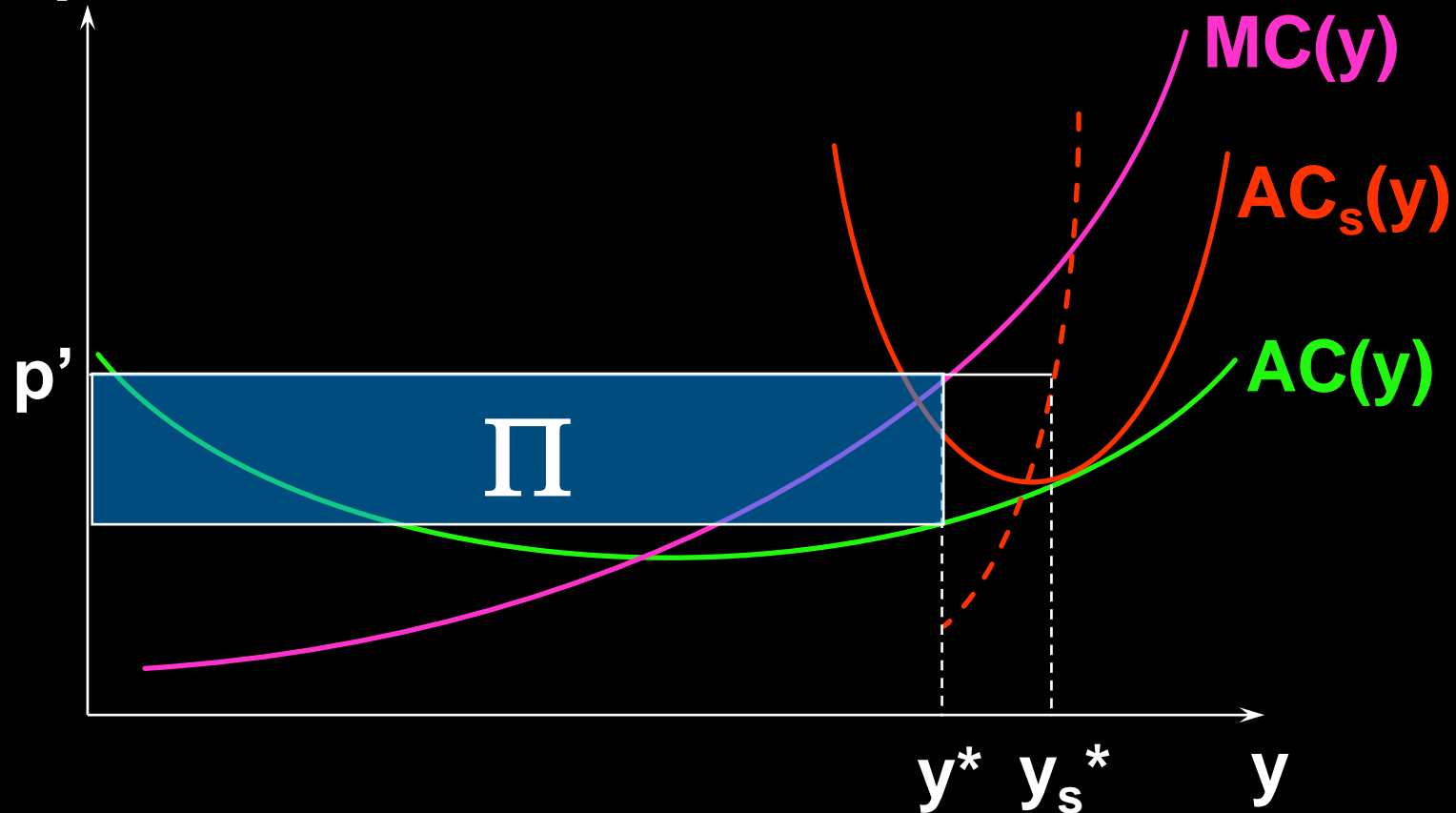
\$/output unit



y_s^* is profit-maximizing in this short-run.

The Firm's Long & Short-Run Supply Decisions

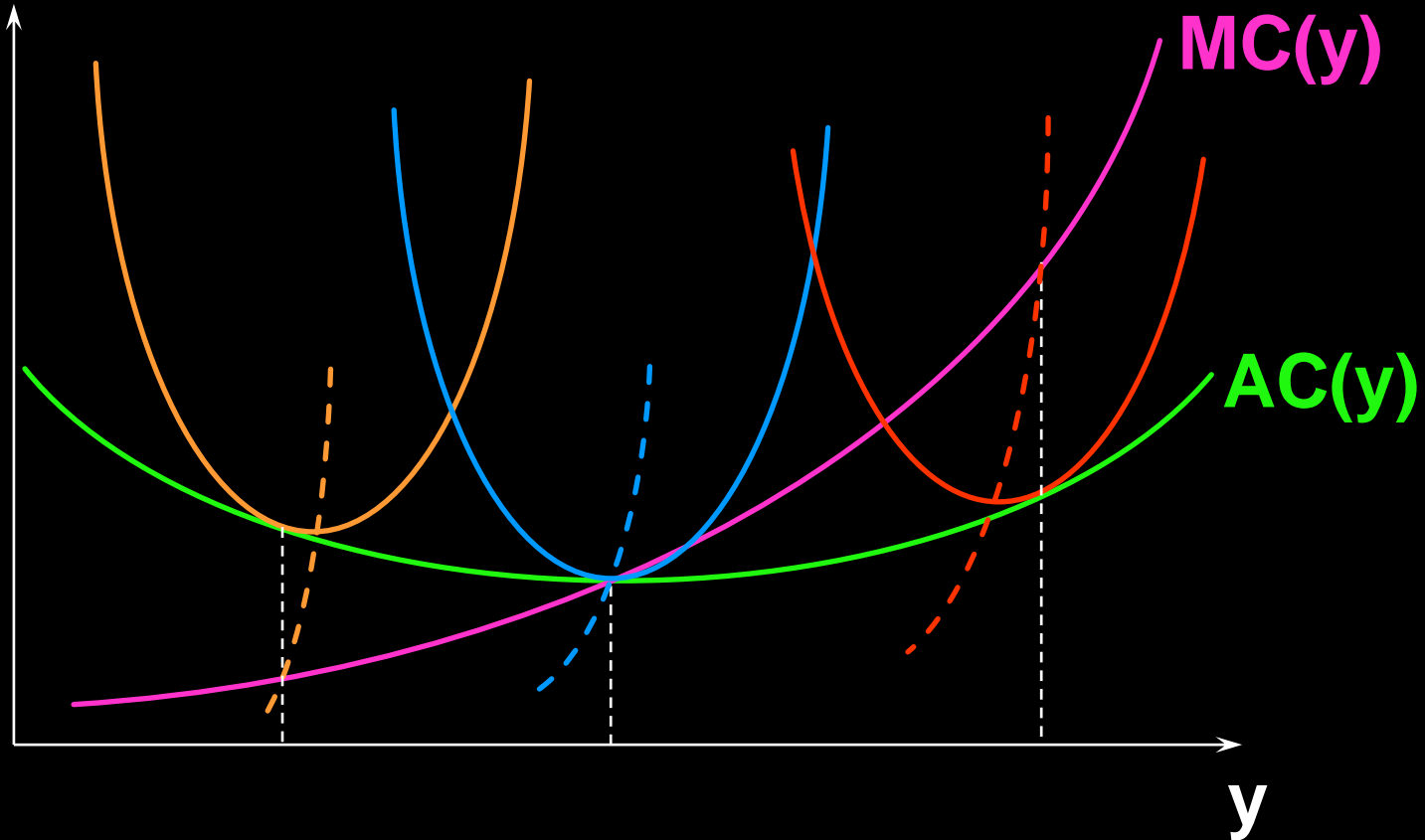
\$/output unit



y_s^* is profit-maximizing in this short-run.
 y^* is profit-maximizing in the long-run.

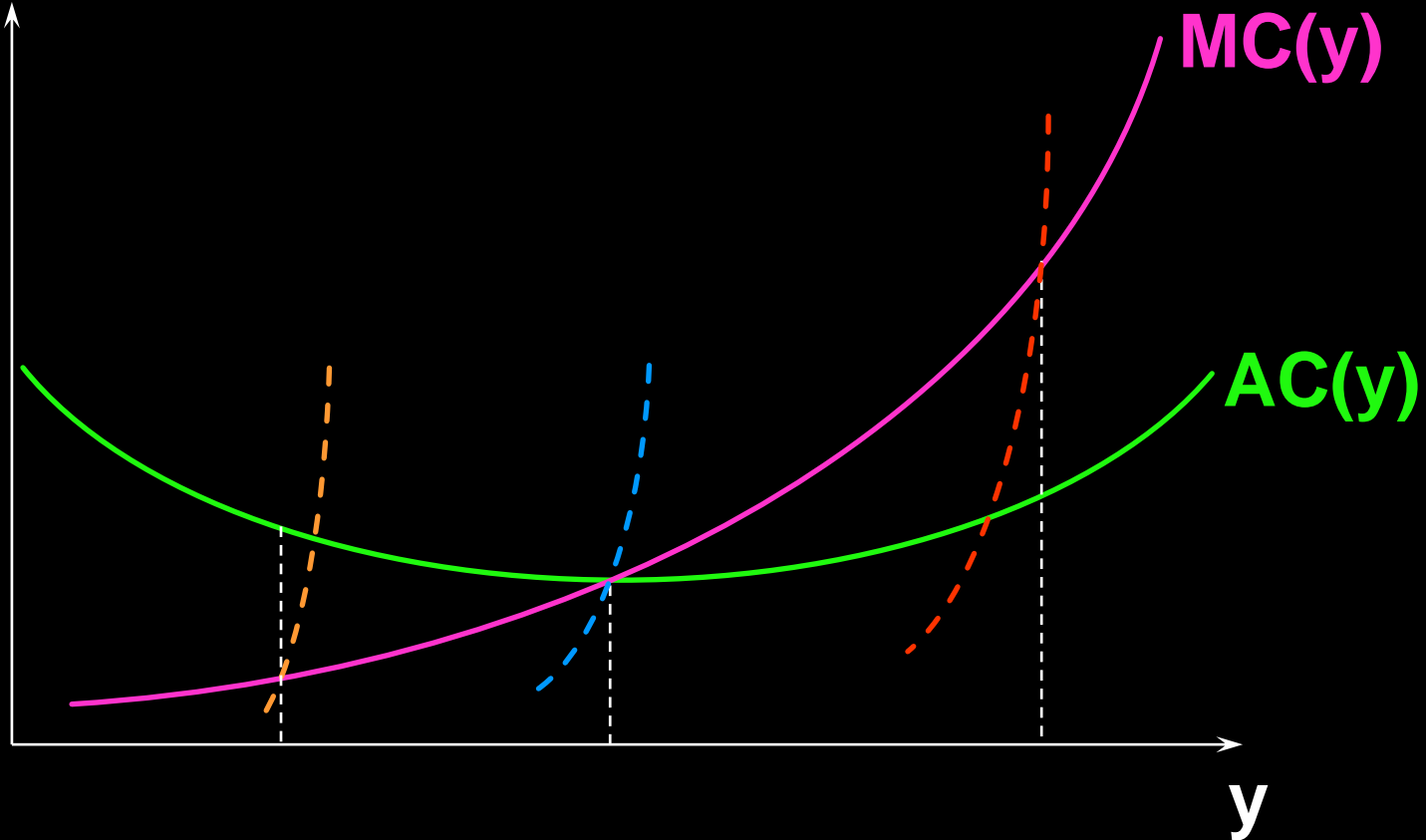
The Firm's Long & Short-Run Supply Decisions

\$/output unit



The Firm's Long & Short-Run Supply Decisions

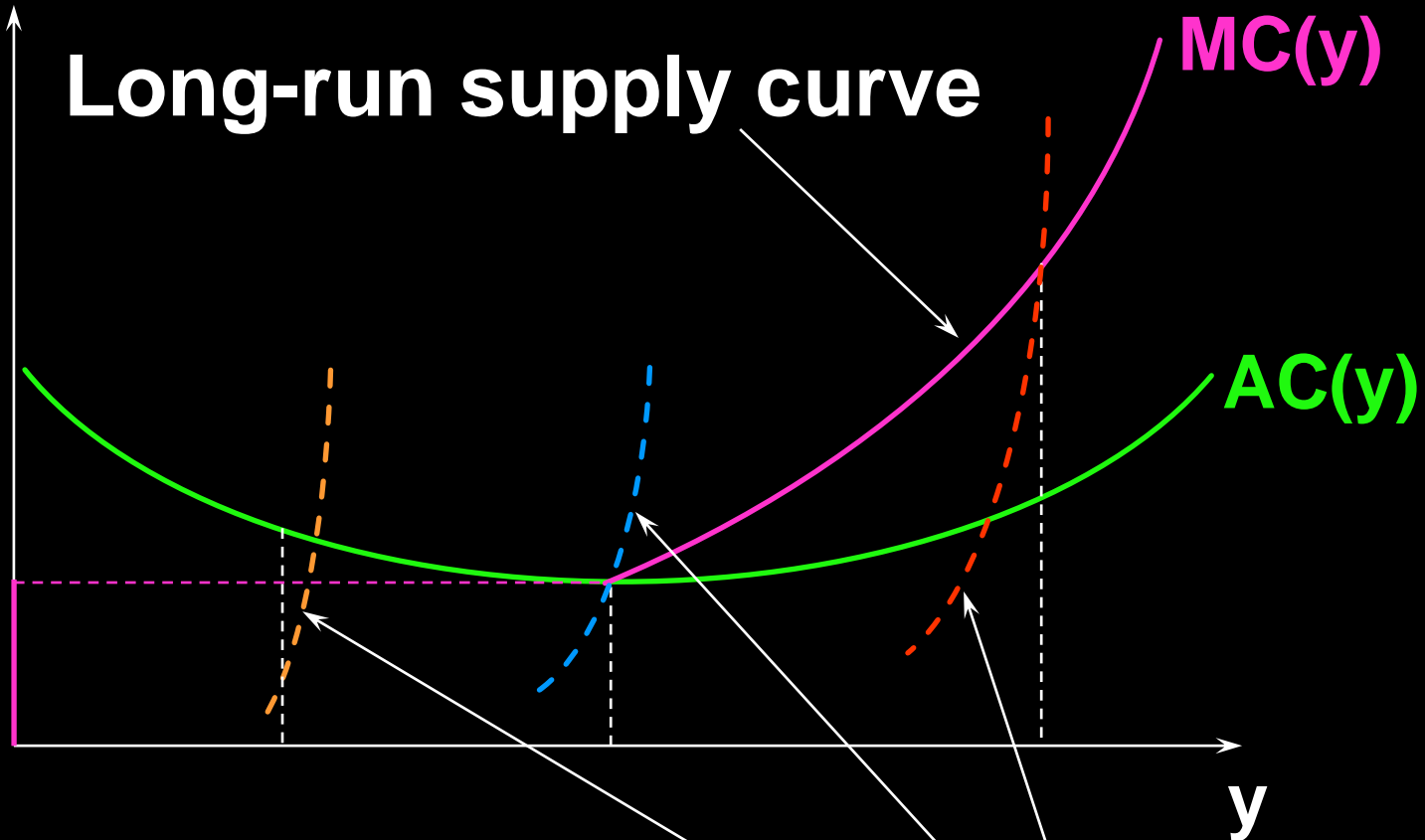
\$/output unit



The Firm's Long & Short-Run Supply Decisions

\$/output unit

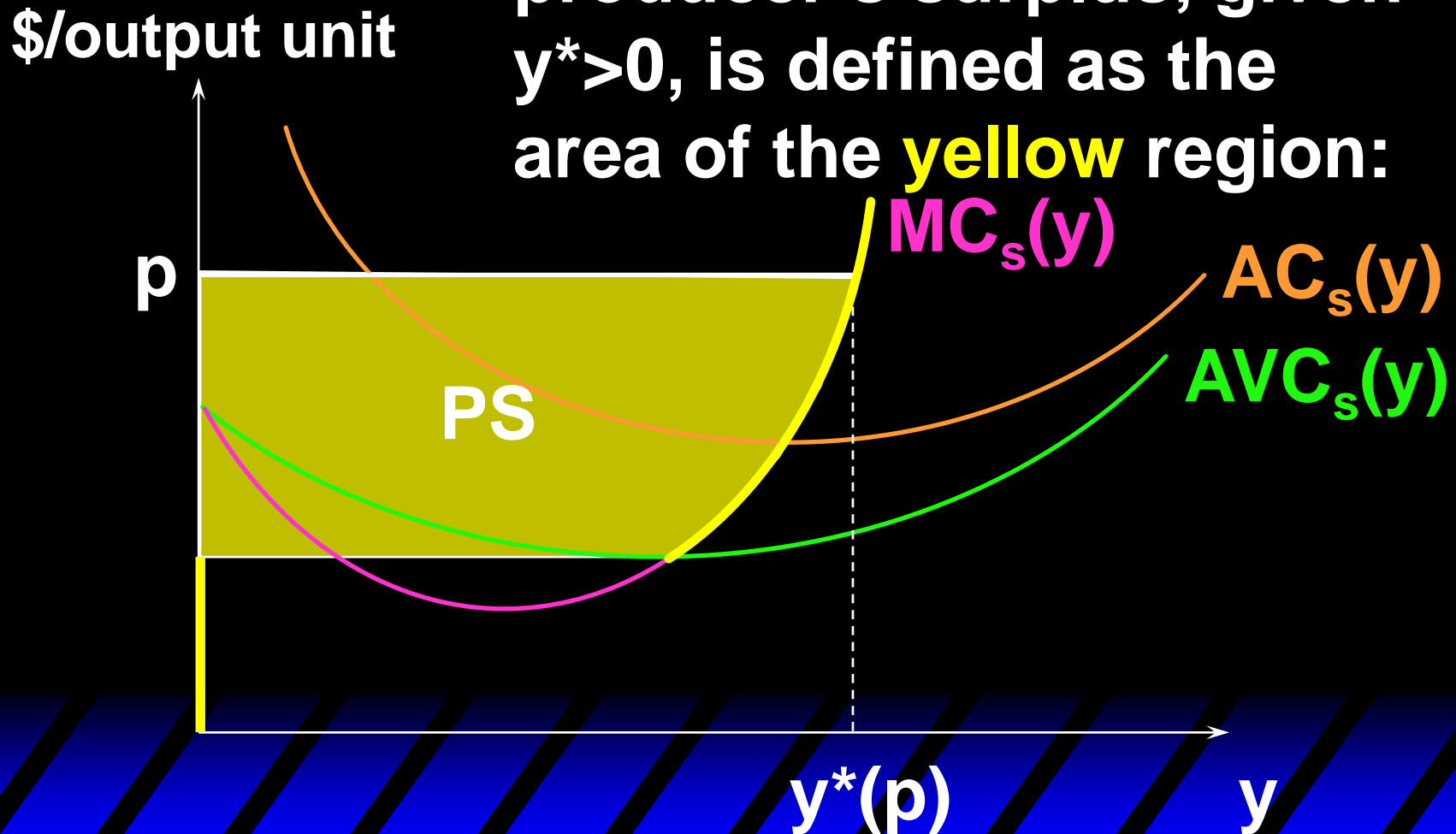
Long-run supply curve



Short-run supply curves

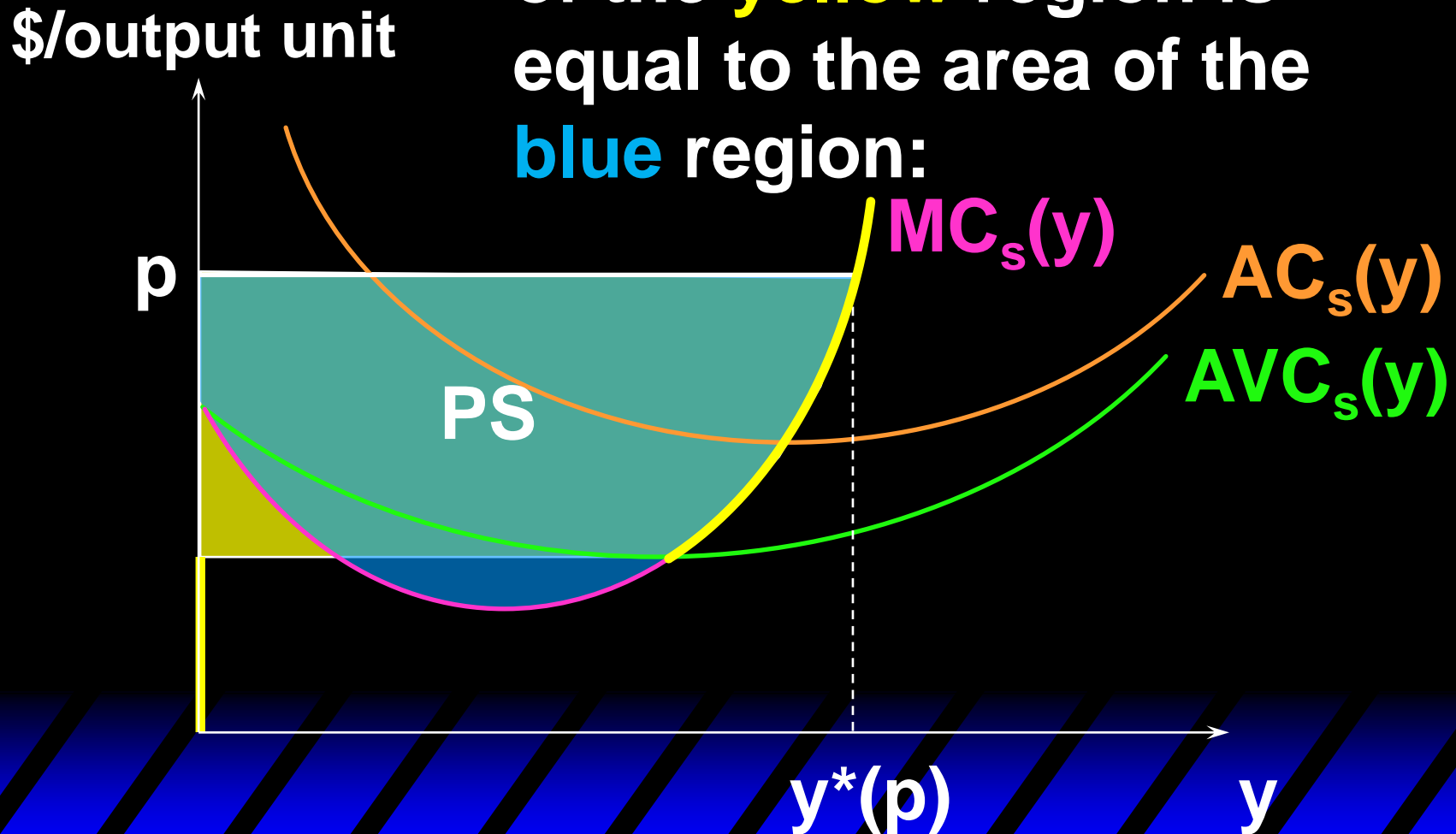
Producer's Surplus in Short Run

- ◆ In the short run, the firm's producer's surplus, given $y^* > 0$, is defined as the area of the **yellow** region:



Producer's Surplus in Short Run

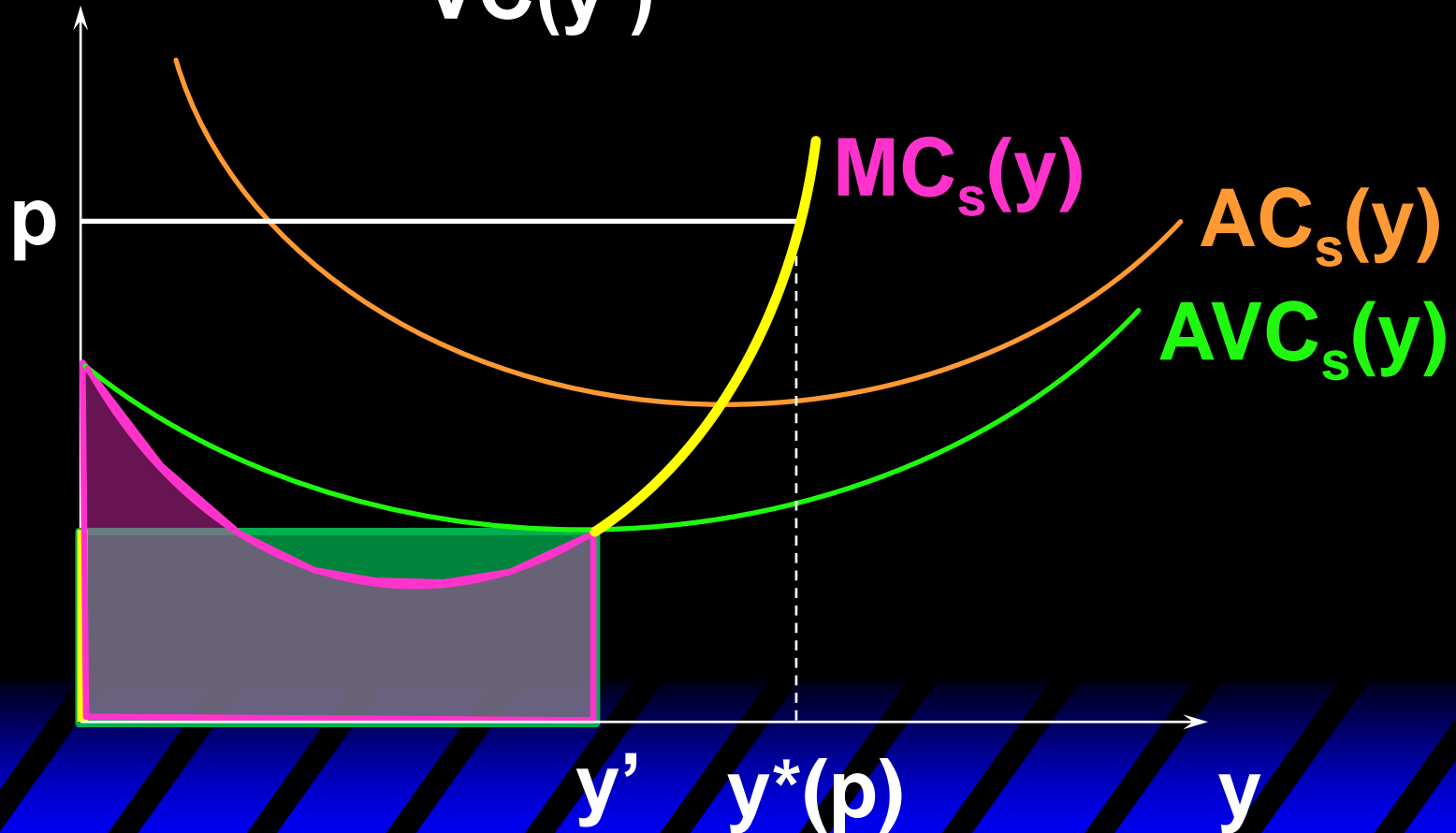
- ◆ We can show that the area of the **yellow** region is equal to the area of the **blue** region:



Producer's Surplus in Short Run

- ◆ This is because area of **purple** = area of **green** = $VC(y')$

\$/output unit



Producer's Surplus in Short Run

- ◆ Therefore PS can be calculated as the area of the blue region:

$$PS(p) = \int_0^{y^*(p)} [p - MC_s(z)] dz$$

$$= py^*(p) - \int_0^{y^*(p)} MC_s(z) dz$$

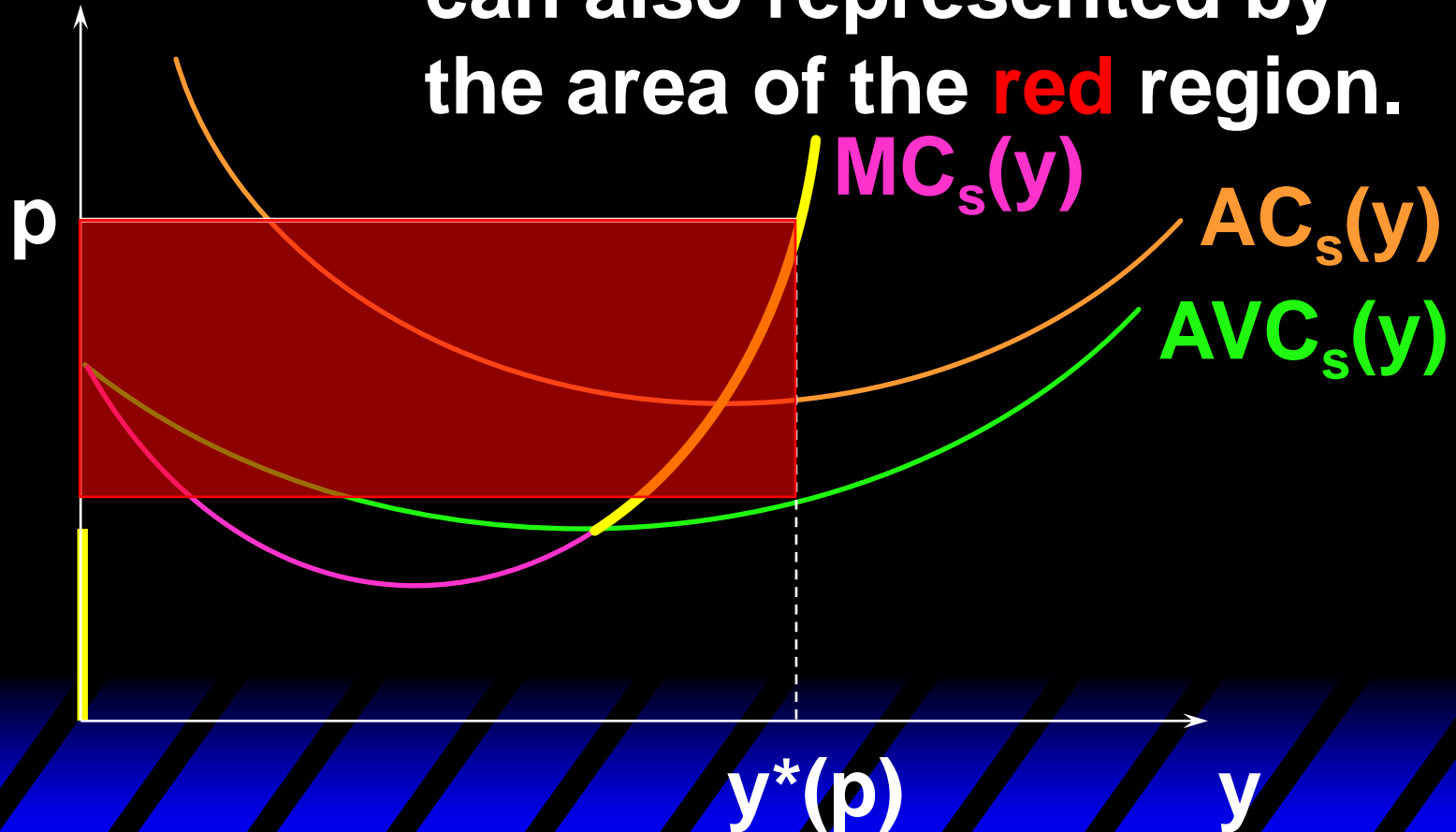
$$= py^*(p) - c_v(y^*(p)).$$

$$= \text{Profit} + F$$

Producer's Surplus in Short Run

- ◆ From the calculation above, $PS = \text{Revenue} - VC$ can also be represented by the area of the **red** region.

\$/output unit



Producer's Surplus in Long Run

- ◆ In the long run, the same argument goes through with the short-run cost functions replaced by the long-run ones.
- ◆ We still obtain $PS = \text{Profit} + F$, where F only contains the quasi-fixed cost since there is no fixed cost in the long run.

Summary: Two Key Issues

- ◆ **Short-run supply function:**
 - **Note the shut-down condition;**
- ◆ **Long-run supply function**
 - **Note the exiting condition.**