

$$\textcircled{1} \text{ (a) } x'yz + xz$$

$$z[(x'y) + x]$$

$$z[(x'x) + (yx)]$$

$$z(0 + yx)$$

$$\boxed{xyz}$$

Given

Distributive

Contradiction

Identity

$$\text{(b) } xyz + x'yz + xy'z + (xyz')' \text{ Given}$$

$$xyz + x'yz + xy'z + (x'y'z)'' \text{ De Morgan's}$$

$$xyz + x'yz + xy'z + x'y'z \text{ Involution,}$$

$$z(xy + x'y + xy' + x'y')$$

$$z[(x+x')(y+y')]$$

$$\boxed{z}$$

Distributive

Distributive

Complimentarity

$$\text{(c) } abc + a'b + abc'$$

Given

$$abc + abc' + a'b$$

Commutative

$$ab(c + c') + a'b$$

Distributive

$$ab + a'b$$

Complimentarity

$$b(a + a')$$

Distributive

$$\boxed{b}$$

Complimentarity

$$\text{(d) } A(C + D'B) + A'B$$

Given

$$\boxed{AC + AD'B + A'B}$$

Distributive