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AMS 315 Project 2 Report

Introduction:

This assignment includes 1028 observations in my given data set. The data set also includes a single dependent variable, which is the Y column and 24 total independent variable, which include E1-E4 and G1-G20. The values names “E” are the environmental variables and the values named “G” are gene variables. In my file, not all of the variables will have a significant impact, therefore those values will not be in my function.

Method:

The first step I took in this project was to open up my given file to download into RStudio. Next, I created a model of only the environmental variables using the function `lm()` to help me evaluate the effects. The adjusted R^2 value for just the environmental variables was found to be 0.0887. After, I created a model using the `lm()` function that contained both environmental and gene variables and assumed that there will only be up to the second order interactions. Using this model, I created a residual plot to visually see the spread of the data points. After seeing the spread of the data, I was not 100% sure that it has heteroscedasticity, therefore I used the function `boxcox()` to see if my data needed to be transformed. The boxcox graph showed me that there is not need for transformation because the graph plateaus where

lambda equals 1. I then calculated the adjusted R^2 value to be 0.579583. Next, I used the library `leap`, `regsubsets`, `colnames`, and `apply` function to help create the k-table of model, adjusted R^2 , and BIC. This table showed me that the adjusted R^2 values increased but started to plateau down the table and the BIC values decreased and also started to plateau going down the table. To find the main significant values, I used the `lm()` function of just the Y values because my data file did not require transformation. This table told me that E1 to E4 and G18 were all significant variables because their t-values were high and generally above the value of 4. I then wanted to create a table for the second interaction to find values that are usable for second step regression. The second table showed me that the value E4:G18 was significant because the t-value was high at 6.33 and the Pr was low at 0. Finally, I used the `lm()` function on the significant values to test the second stage.

Residuals:

Min	1Q	Median	3Q	Max
-0.83392	-0.08848	0.01423	0.10880	0.41835

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)	
(Intercept)	4.596e+00	1.103e-01	41.657	< 2e-16	***
E1	4.680e-02	1.431e-02	3.270	0.001112	**
E2:E3	6.177e-03	1.795e-03	3.441	0.000602	***
E4:G18	5.447e-02	1.051e-02	5.185	2.61e-07	***
G18:G1	9.524e-02	9.340e-02	1.020	0.308131	
E1:E2:E3	-2.727e-04	2.292e-04	-1.190	0.234332	
E1:E4:G18	-6.273e-04	1.120e-03	-0.560	0.575511	
E1:G18:G1	-4.856e-03	8.829e-03	-0.550	0.582418	
E4:G18:G1	-3.816e-03	6.120e-03	-0.623	0.533102	
E2:E3:E4:G18	-7.115e-05	1.096e-04	-0.649	0.516571	
E2:E3:G18:G1	2.030e-05	8.720e-04	0.023	0.981431	

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 0.166 on 1017 degrees of freedom

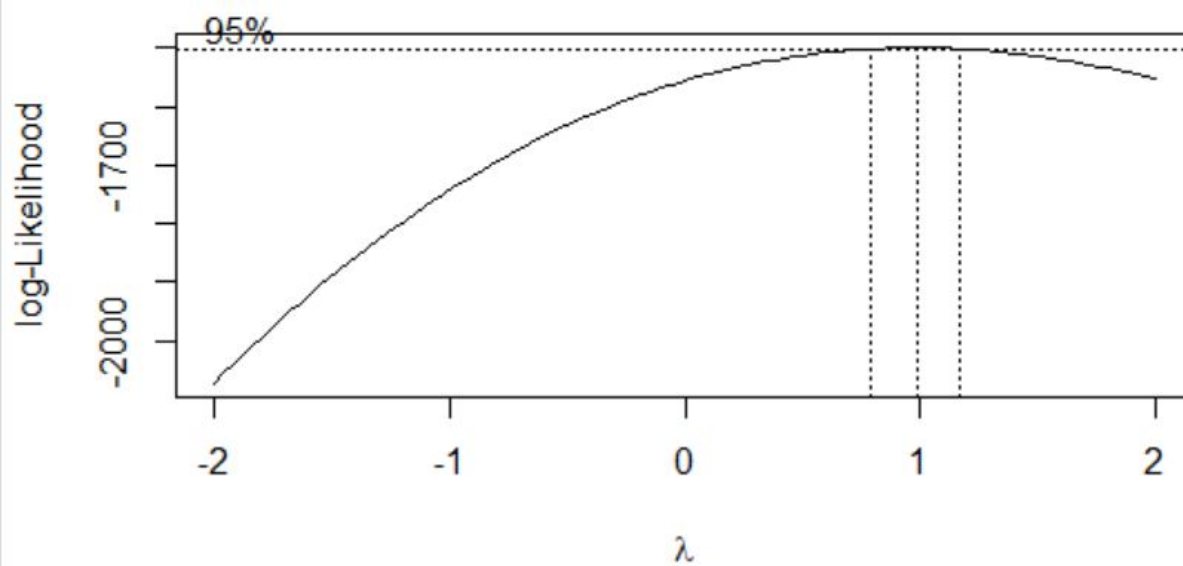
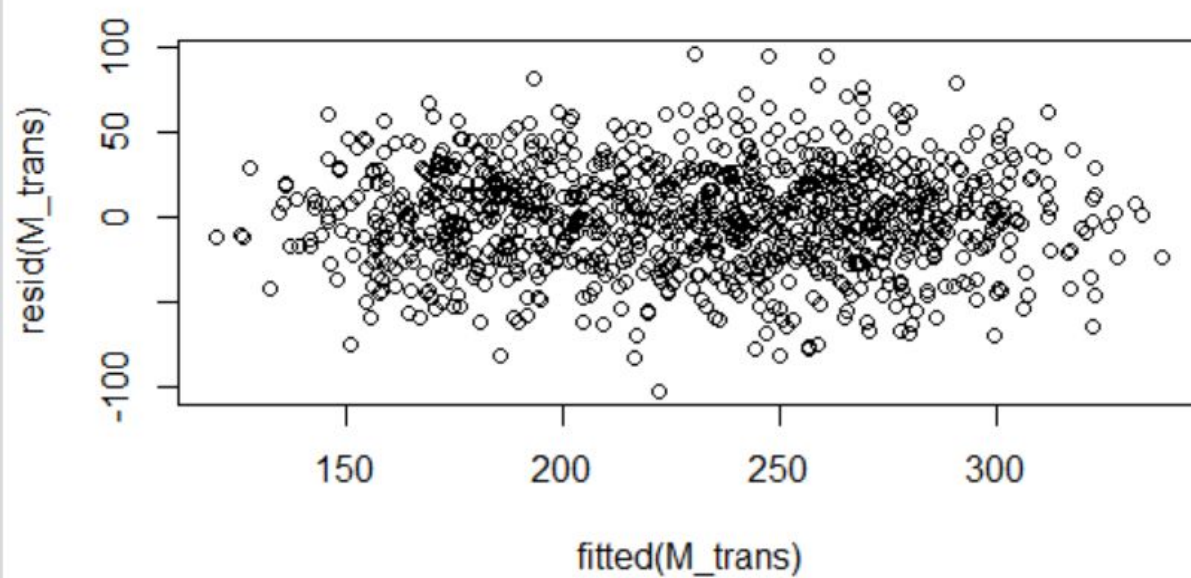
Multiple R-squared: 0.5829, Adjusted R-squared: 0.5788

F-statistic: 142.1 on 10 and 1017 DF, p-value: < 2.2e-16

	Estimate	Std. Error	t value	Pr(> t)
E1	5.678186	0.7754598	7.322348	0
E2	5.747628	0.7913460	7.263104	0
E3	6.997780	0.7819364	8.949295	0
E4	6.196049	0.7742383	8.002767	0
G18	78.072126	2.3075442	33.833427	0

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	4.59607134	0.11033237	41.656598	4.342359e-222
E4:G18	0.05446807	0.01050524	5.184846	2.607619e-07

New Residual Plot



Result:

The model is $Y = (4.59607134 + 0.04680 E1 + 0.006177 E2:E3 + 0.05447 E4:G18)^2$.

When constructing a 90% confidence interval, it is found that the variables E1, E2:E3, and E4:G18 are 0.001112, 0.000602, and 0.000000261. Since the all of the P-values of the variables are close to 0, we can conclude that we reject the null hypothesis at .1.

Conclusion:

In conclusion, I found that the model is $Y = (4.59607134 + 0.04680 E1 + 0.006177 E2:E3 + 0.05447 E4:G18)^2$ and that the null hypothesis is rejected. Since 0 was not a value in the confidence interval, and the P-values of the significant variables were very close to 0, this is why I can conclude the rejection. I can also conclude that the adjusted R^2 for the second step regression was valid because the value was 0.5788 which is large enough.

R Code:

```
data = read.csv("C:/Users/Connor/Documents/AMS 315/P2.csv", header=TRUE)
```

```
library(knitr)
```

```
M_E <- lm(Y ~ E1+E2+E3+E4, data=data)
```

```
summary(M_E)
```

```
M_raw <- lm( Y ~  
(E1+E2+E3+E4+G1+G2+G3+G4+G5+G6+G7+G8+G9+G10+G11+G12+G13+G14+G15+G16  
+G17+G18+G19+G20)^2, data=data)
```

```
plot(resid(M_raw) ~ fitted(M_raw), main='Residual Plot')
```

```
MASS::boxcox(M_raw)
```

```
M_trans <- lm( I((Y)) ~ (.)^2, data=data )
```

```
summary(M_raw)$adj.r.square
```

```
summary(M_trans)$adj.r.square
```

```
plot(resid(M_trans) ~ fitted(M_trans), main='New Residual Plot')
```

```
library(leaps)
```

```
M <- regsubsets( model.matrix(M_trans)[,-1], I(data$Y),
```

```
  nbest = 1 , nvmax=5,
```

```
  method = 'forward', intercept = TRUE )
```

```
temp <- summary(M)
```

```
Var <- colnames(model.matrix(M_trans))
```

```

M_select <- apply(temp$which, 1,
  function(x) paste0(Var[x], collapse='+'))
kable(data.frame(cbind( model = M_select, adjR2 = temp$adjr2, BIC = temp$bic)),
  caption='Model Summary')

M_main <- lm( I((Y)) ~ ., data=data)
temp <- summary(M_main)
kable(temp$coefficients[ abs(temp$coefficients[,4]) <= 0.001, ], caption='Sig Coefficients')

M_2nd <- lm( I((Y)) ~ (.)^2, data=data)
temp <- summary(M_2nd)
kable(temp$coefficients[ abs(temp$coefficients[,4]) <= 0.1, ], caption='2nd Interaction')

M_2stage <- lm( I(log(Y)) ~ (E1+E2:E3+E4:G18+G1:G18)^2, data=data)
temp <- summary(M_2stage)
temp$coefficients[ abs(temp$coefficients[,3]) >= 4, ]
print(temp)

```