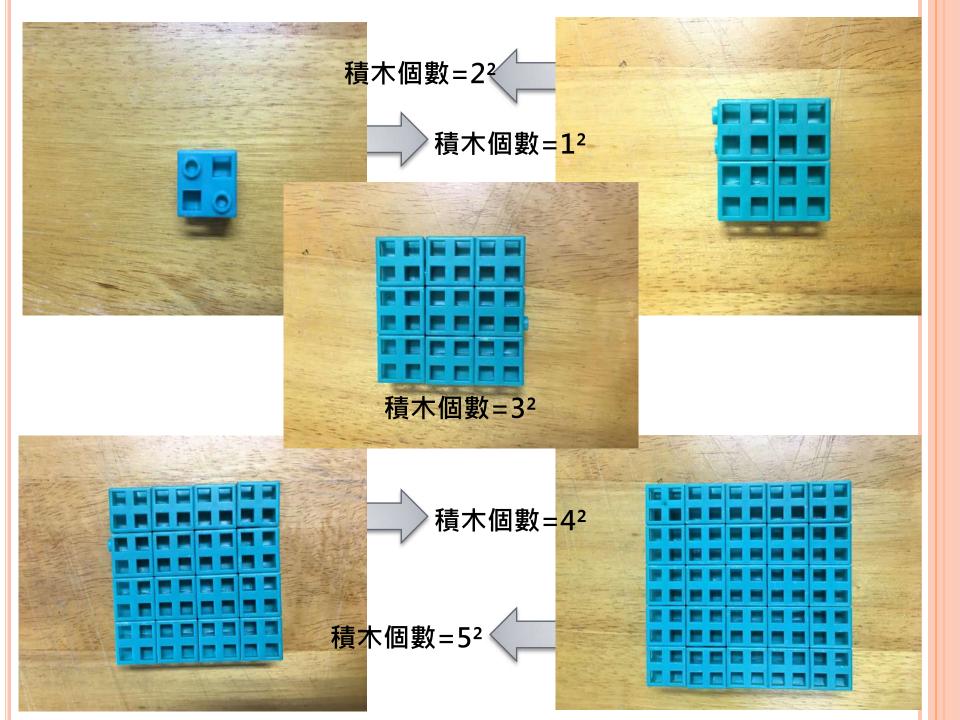
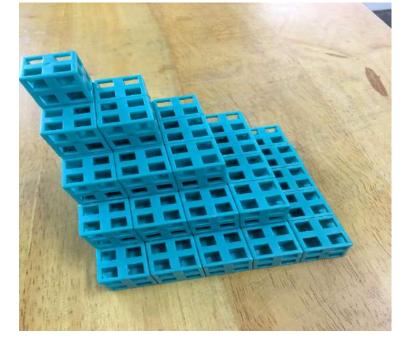
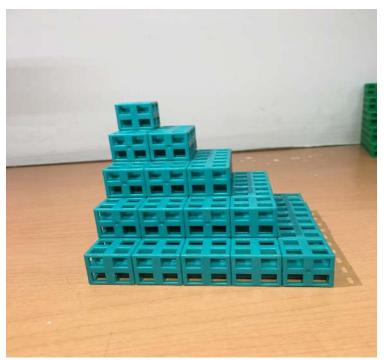
平方和公式圖解

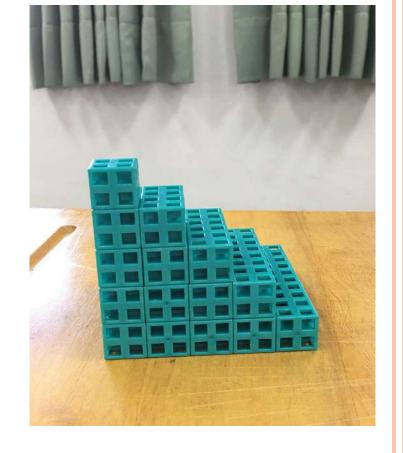
$$\sum_{k=1}^{n} k^{2}$$

$$= 1^{2} + 2^{2} + 3^{2} + \dots + n^{2} = \frac{n(n+1)(2n+1)}{6}$$

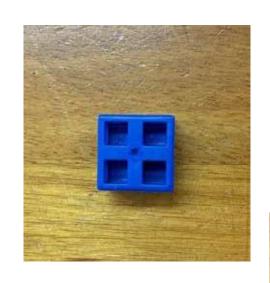








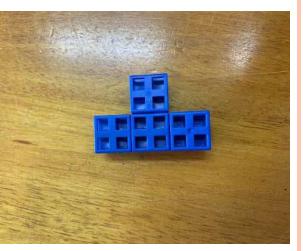
積木數量= 1²+ 2²+ 3²+ 4²+ 5²



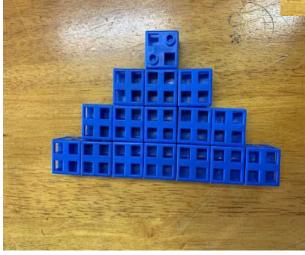


積木個數=12

積木個數=2

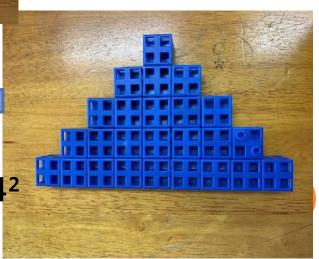


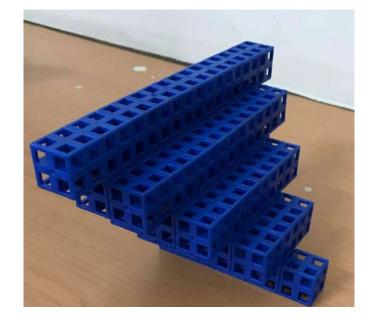


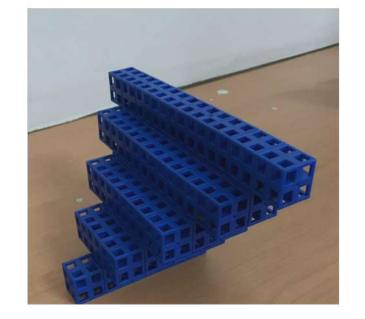


積木個數=5₹

▶積木個數=4²

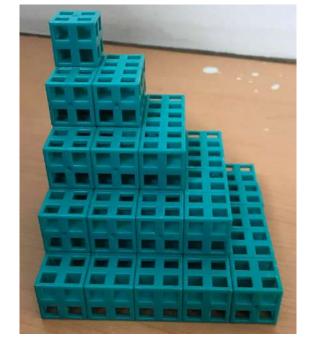




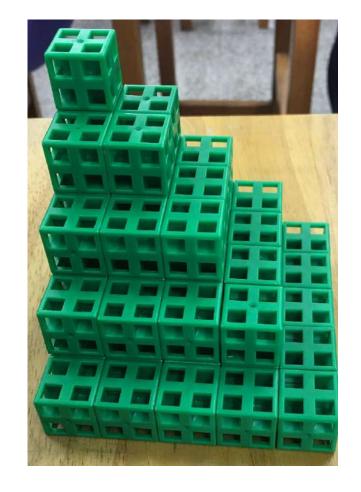




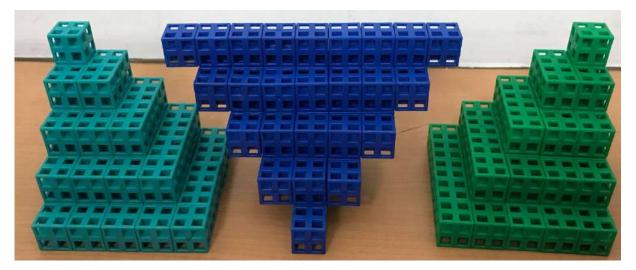
積木個數= 1²+2²+3²+4²+5²

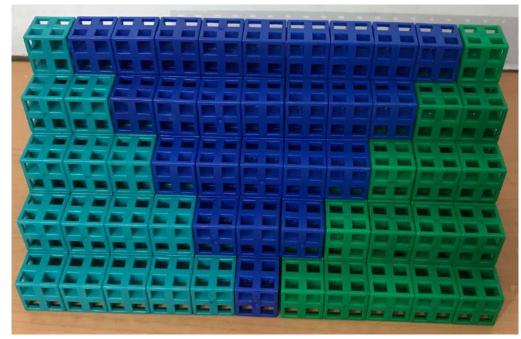




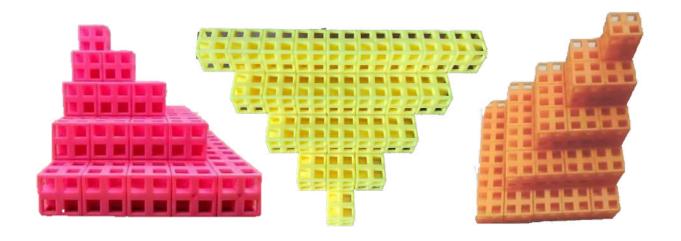


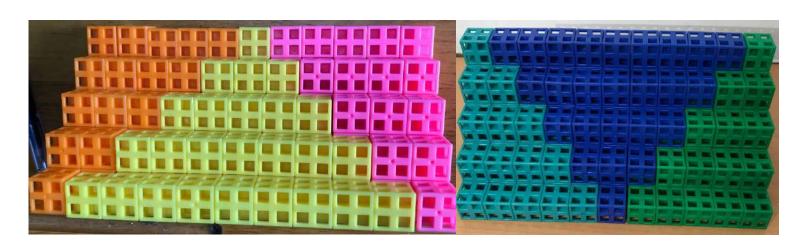
每一張圖的積木個數= $1^2+2^2+3^2+4^2+5^2$



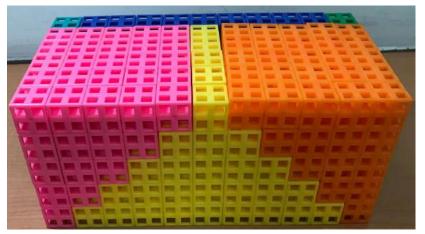


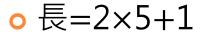
積木個數= $3\times(1^2+2^2+3^2+4^2+5^2)$

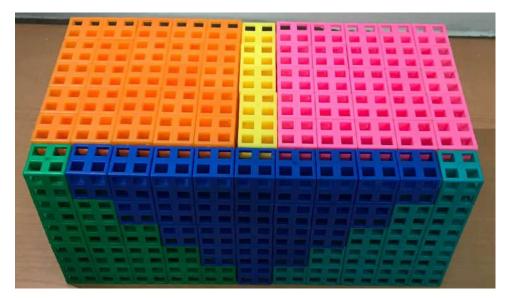




積木個數= $6 \times (1^2 + 2^2 + 3^2 + 4^2 + 5^2)$









積木個數= 5×(4+1)×(2×4+1)

- 積木個數= 6×(1²+2²+3²+4²+5²)
- 積木個數= 5×(5+1)×(2×5+1)
- $\rightarrow 6 \times (1^2 + 2^2 + 3^2 + 4^2 + 5^2) = 5 \times (5+1) \times (2 \times 5 + 1)$
- 所以→
- $1^2 + 2^2 + 3^2 + 4^2 + 5^2 = \frac{5(5+1)(2\times5+1)}{6}$

$$\sum_{k=1}^{n} k^2$$

$$=1^{2}+2^{2}+3^{2}+...+n^{2}=\frac{n(n+1)(2n+1)}{6}$$

組員:6、7、13、17、25

○組積木:

○拍攝:

○製作報告: