

ASSIGNMENT APPLIED CALCULUS FOR IT - 501031

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1 Introduction

Think of a sequence of numbers like Fibonacci numbers - these sequences are patterns. Patterns can be seen everywhere: in animals, plants and minerals. Have you ever observed the similarity between the shape of your lungs and the structure of a tree? Or maybe the pathways of lightning and the way a river breaks through the earth? These patterns are called fractals. "whenever you observe a series of patterns repeating over and over again, at many different scales, and where any small part resembles the whole, that's a fractal." - Ben Weiss.

In the case of sequences, a fractal sequence contains an infinitie number of copies itself, embedded within itself. For example, The Koch snowflake can be simply encoded as a Lindenmayer system (L-System) with initial string F-F-F, string rewriting rule F = F+F-F+F, and angle $\alpha = 60$ degrees.

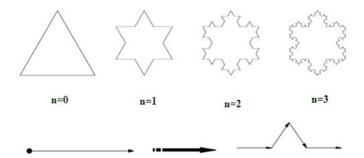


Figure 1: The Koch snowflake presents in many different levels

At each symbol 'F', it presents for moving forward by line length d drawing a line, therefore we must compute the new point as follows

$$x_{new} = x_{old} - d.cos(\alpha \frac{\pi}{180})$$
$$y_{new} = y_{old} - d.cos(\alpha \frac{\pi}{180})$$

2 Requirements

In this assignment, every student is required to implement some of the L-System in *StudentID.txt* and the corresponding parameters to create greeting cards for new year 2021.



Symbols	Descriptions
'F'	Move forward by line length drawing a line
'+'	Turn left by turning angle
,_,	Turn right by turning angle
','	Reverse direction (ie: turn by 180 degrees)
'['	Push current drawing state onto stack (could be replaced by vector/list/array)
']'	Pop current drawing state from the stack (could be replaced by vector/list/array)
'o'	Draw flower

Table 1: Description of symbols in L-System

Student could refer to StudentID.jpg to check your greeting card. However, it is only used as the reference picture.

Requirement 1: (1 score) Compute the coordinate x and y of every point the heart shape.

(a)
$$x_h = 4\sin(t)^5 + 5$$

(b)
$$y_h = 3 * cos(t) - 1.7cos(2t) - cos(3t) + 1$$

where, the t values belong to $[-\pi, \pi]$ and $t_{i+1} = t_i + 0.1$. Then, assign your results into **a.xh** and **a.yh** variables.

Requirement 2: $(2 \ score)$ Compute the coordinate x and y of every point in the snowflake shape. Then, assign your results into a.Pxn and a.Pyn variables. The parameters are described in StudentID.txt

- ID snowflake: the id of snowflake.
- n: the level of snowflake.
- d: the line length.
- I: axiom (these symbols the initial string)
- F = or X =: the replacement rule.
- alpha0: the initial angle.
- \bullet alpha: the predefined angle.
- x_0, y_0 : the initial coordinates of x and y.

Requirement 3: (2 score) Compute the coordinate x and y of every point in the tree shape. Then, assign your results into $\mathbf{a.Px}$ and $\mathbf{a.Py}$ variables. The parameters are described in StudentID.txt

- ID-Tree: the id of the tree fractal.
- n: the level of the tree fractal.
- d: the line length.
- *I*: axiom (these symbols the initial string)
- F = or X = or Z =: the replacement rule.
- alpha0: the initial angle.
- alpha: the predefined angle.
- x_0, y_0 : the initial coordinates of x and y.

Requirement 4: (1 score) Compute the coordinate x and y of every flower. Then, assign your results into $\mathbf{a.Pfx}$ and $\mathbf{a.Pfy}$ variables.



Requirement 5: (1 score) Compute the number of the snowflake. The equation is defined as

$$n_s = \lceil \int_{x_{min}}^{x_{max}} 2x \rceil + 5 \tag{1}$$

where $x_{min} = min(d_1, d_2)$, $x_{max} = max(d_1, d_2)$, d_1 and d_2 are the last two digits of your student id. Then, assign your result into **a.nsnowflake**

Requirement 6: (3 score) Create a greeting card:

- (a) Adding text Happy New Year 2021 to picture. This text is drawn at $x_t = 50$, $y_t = 0$
- (b) Adding all snowslakes to picture. It notes that every snowsflake is reduced to the corresponding scale value (this value is found in StudentID.txt). The new coordinates of every snowsflake are computed as

$$x_{n_{new}} = \frac{a.Pxn}{scale} + \Delta x + (i-1)20 \tag{1}$$

$$y_{n_{new}} = \frac{a.Pyn}{scale} + \Delta y + (i-1)20 \tag{2}$$

where Δx and Δy are the random values in [-50, 50], and i denotes the i^{th} snowflake.

- (c) Adding fractal tree to picture.
- (d) Adding the heart shape to picture. It note that the position x_h and y_h of the heart shape are re-computed as $x_{h_{new}} = 2x_h + x_t 20$ and $y_{h_{new}} = 2y_h$, then fill color in the heart shape. Colors are used to draw each shape, described as
 - The heart shape is drawn and filled by 'red' color and line-width = 1.
 - The snowflake is drawn by 'blue' color and line-width = 1.
 - The fractal tree is drawn by 'green' color and line-width = 2.
 - The flower is drawn by z color which based on your student ID. The last digit d^n in your student id is satisfied by:
 - $-d^n \mod 3 = 0$ then z color is 'r'
 - $-d^n \mod 3 = 1$ then z color is 'y'
 - otherwise, z color is 'm'

Assign z color into a.color (0.5 score)

- The flower symbol is selected by the previous digit of d^n , denoted d^{n-1} .
 - $-d^{n-1}$ is '0' then symbol is 'p'
 - $-d^{n-1}$ is '1' then symbol is 'h'
 - $-d^{n-1}$ is '2' then symbol is '*'
 - $-d^{n-1}$ is '3' then symbol is 'o' $-d^{n-1}$ is '4' then symbol is '+'
 - $-d^{n-1}$ is '5' then symbol is 'v'
 - $-d^{n-1}$ is '6' then symbol is '**x**'
 - $-d^{n-1}$ is '7' then symbol is 'd'
 - $-d^{n-1}$ is '8' then symbol is 's'
 - $-d^{n-1}$ is '9' then symbol is '>'

and line-width = 3. Assign the symbol value into a.flower (0.5 score)

Then, your picture will be saved with file name picStudentID.jpg.



Note:

- Every floating value is computed and rounded with 1 digit.
- Every shape presents in the viewpoint.
- At each symbol ']', put NaN before adding new point into the set point.

3 Submissions

The student must perform the following requirements before submitting your assignment.

- Create a SStudentID folder and put your assignment file with name *SStudentID.m* into this folder. For example, if your StudentID is 520H0676 then your assignment file will be **S520H0676.m** and folder name will be **S520H0676**.
- SStudentID folder is compressed to SStudentID.rar or SStudentID.zip
- **DO NOT COPY** resource code from the different students. Remember that student will not be attended the final examination if you copy resource code from the different students.
- Make sure you upload your work to the correct link.
- Student will receive **ZERO** point if you do not comply the requirements or your code doesn't run.