

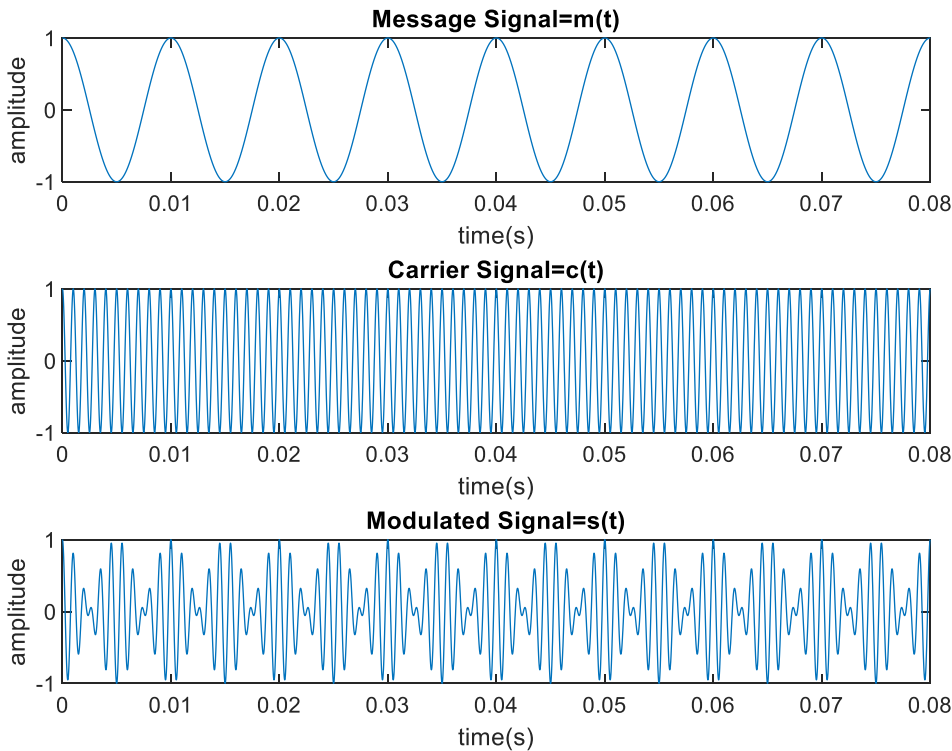
Lab 4 Report

Double Sideband Supressed Carrier Modulation and Demodulation

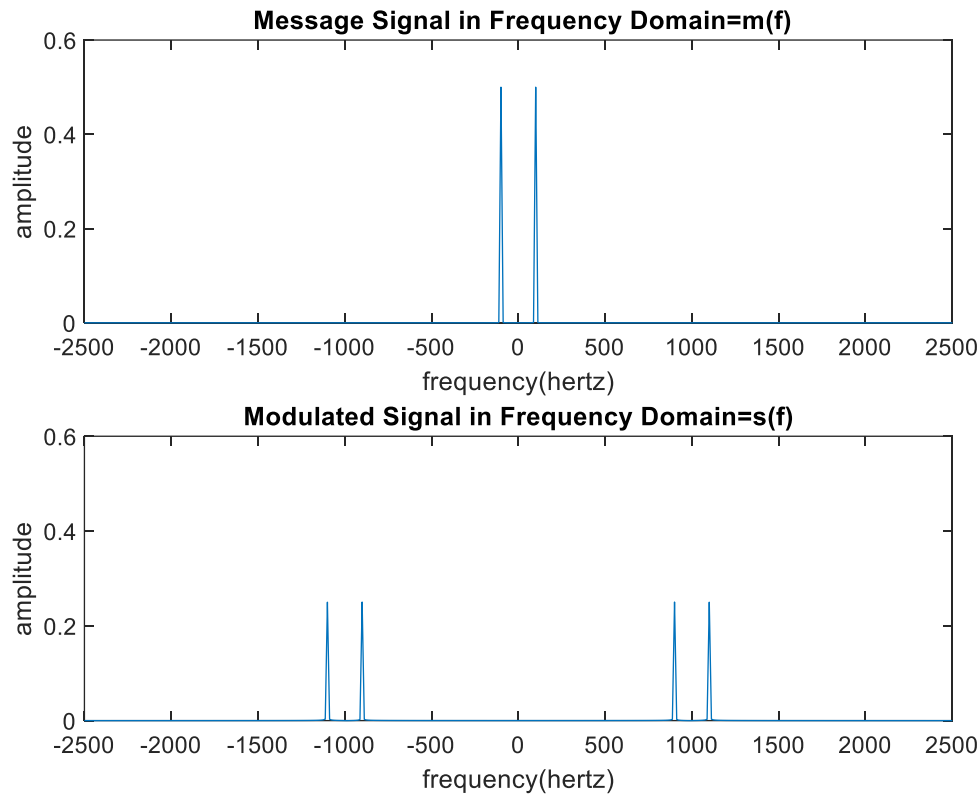
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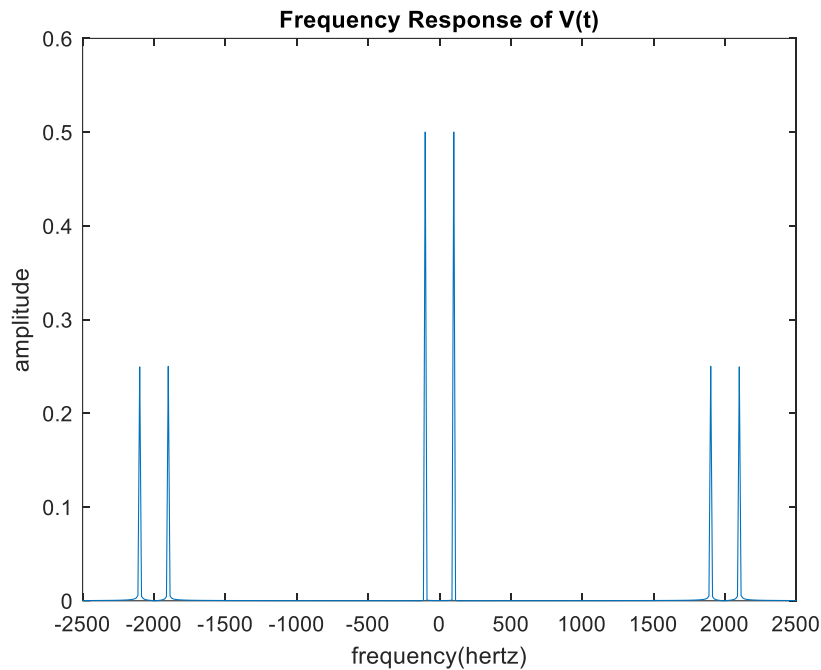
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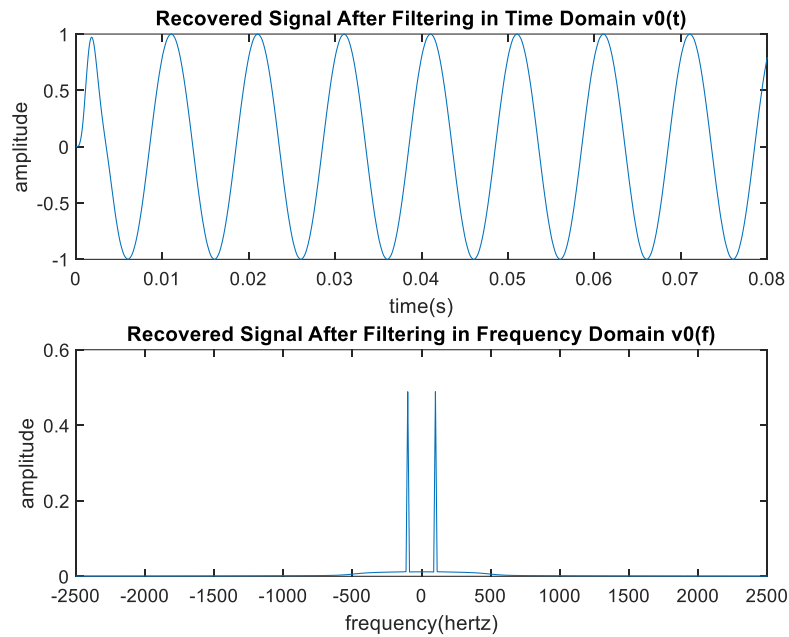
→ According to this graph, in the top of the figure we can see we get given message signal at given time where $m(t)=\cos(2\pi f_m t)$, $f_m=100\text{Hz}$ and $t=0.08\text{s}$ and we can see amplitude is 1. In the middle of the figure we can see we get given carrier signal where $c(t)=\cos(2\pi f_c t)$ and $f_c=1\text{kHz}$ and we can see amplitude is 1. In the bottom of the figure we can see desired modulated signal in time domain which is product of message signal and carrier signal. We can say when frequency increasing we see more zero crossing.



➔ According to this graph, in top of the figure for message signal in frequency domain we can say we see magnitudes at -100 Hertz and +100 Hertz because our formula is $m(t) = \cos(2\pi \cdot f_m \cdot t)$ and $f_m = 100$ Hertz. Also, our A_m (message amplitude) is equal to 1 but we can see 0.5 amplitude because of we have cos function in our message signal formula and because of fourier transform of cos formula our amplitude is $1 \cdot (1/2) = 0.5$. In the bottom of the figure for modulated signal in frequency domain, we see amplitude at ± 1100 Hz, ± 900 Hz because of modulated signal is equal to product of $c(t)$ and $m(t)$ and our $f_c = 1000$ Hz, $f_m = 100$ Hz, according to trigonometric sum product formulas we can say our amplitudes at $f_c + f_m, f_c - f_m, -f_c + f_m, -f_c - f_m$. Also, our amplitudes are 0.25 because we product $m(t)$ and $c(t)$ because of that our amplitude is 1 but we have 2 cos function because of fourier transform of formula our magnitudes are $1 \cdot (1/2) \cdot (1/2) = 1/4$.



➔ According to this graph we can say we get $V(t)$ fourier transform of result of product modulated signal and local oscillator . According to trigonometric sum product formulas we get amplitudes at $2f_c+f_m, 2f_c-f_m, -2f_c-f_m, -2f_c+m$ and we get amplitudes at $+100\text{Hertz}$ and -100 Hertz because of our message signal frequency. For amplitudes at $2f_c+f_m, 2f_c-f_m, -2f_c+f_m, -2f_c-f_m$, we can say our modulated signal amplitude is 0.25 and multiply it with local oscillator where local oscillator = $A_c' \cdot \cos(2\pi \cdot f_c)$ because of fourier transform we get $0.25 \cdot (1/2) = 0.125$ but our $A_c' = 2$ so that our amplitude is 0.25. At $\pm 100\text{ Hertz}$ we get 0.5 amplitude because our message signal amplitude is 1 and because of fourier transform of cos function our amplitude is $1 \cdot (1/2) = 0.5$



→ We choose cut off frequency according to our message signal frequency and transmission line because of our filter is not ideal and we do not want to data loss. In this graph, we can see recovered signal after filtering, almost same with our message signal but in time domain we can see phase shifting because of our filter is not ideal and because of transmission line passing. In frequency domain we can say we get amplitudes at right frequency ,our amplitudes are 0.49 but it should be 0.5 it can be because of our filter is not ideal and we have data lose. Also we can see little bit deterioration.