

# CSCE 636 Neural Networks (Deep Learning)

Lecture 8: Deep Learning for Text and Sequences

Anxiao (Andrew) Jiang

Based on the interesting lecture of Prof. Hung-yi Lee “Recurrent Neural Network”

[https://www.youtube.com/watch?v=xCGidAeyS4M&list=PLJV\\_el3uVTsPy9oCRY30oBPNLCo89yu49&index=30](https://www.youtube.com/watch?v=xCGidAeyS4M&list=PLJV_el3uVTsPy9oCRY30oBPNLCo89yu49&index=30)

# Recurrent Neural Network (RNN)

# Example Application

- Slot Filling

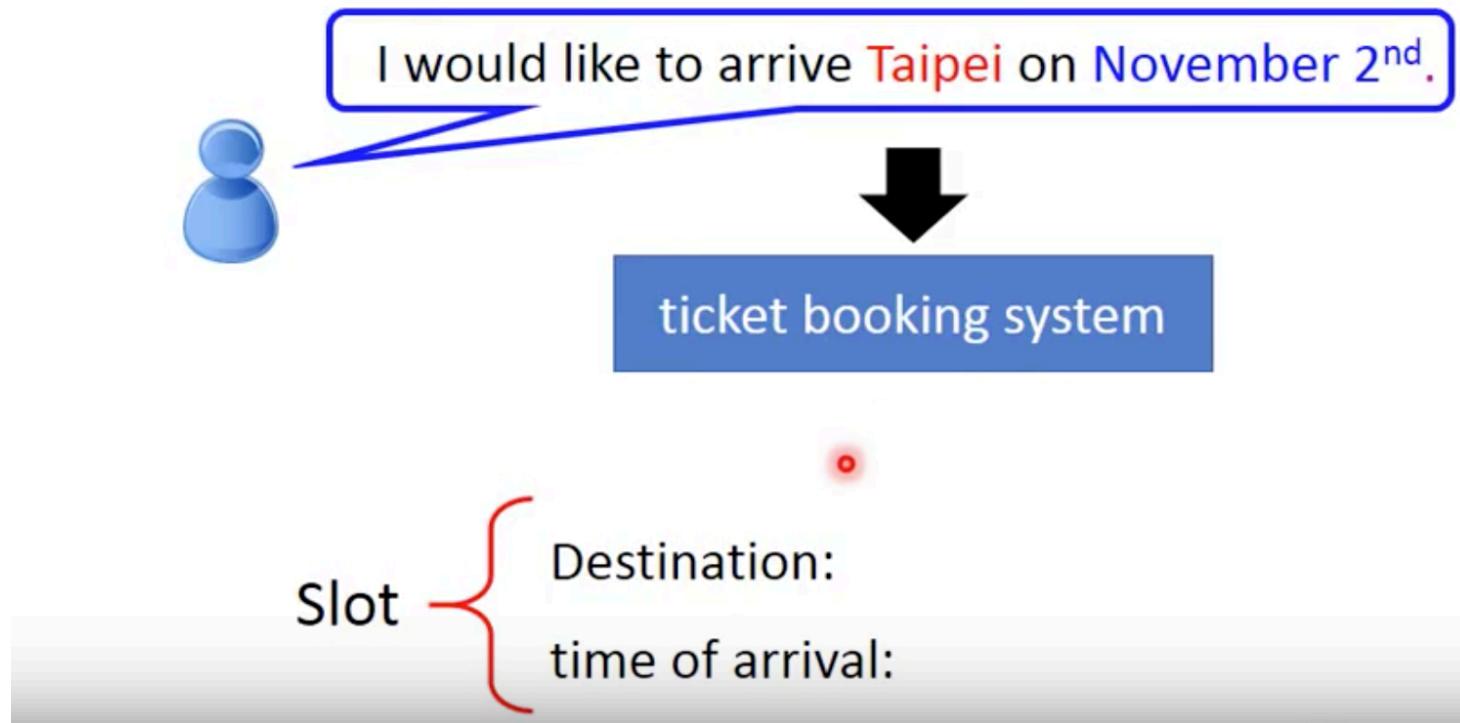
# Example Application

- Slot Filling



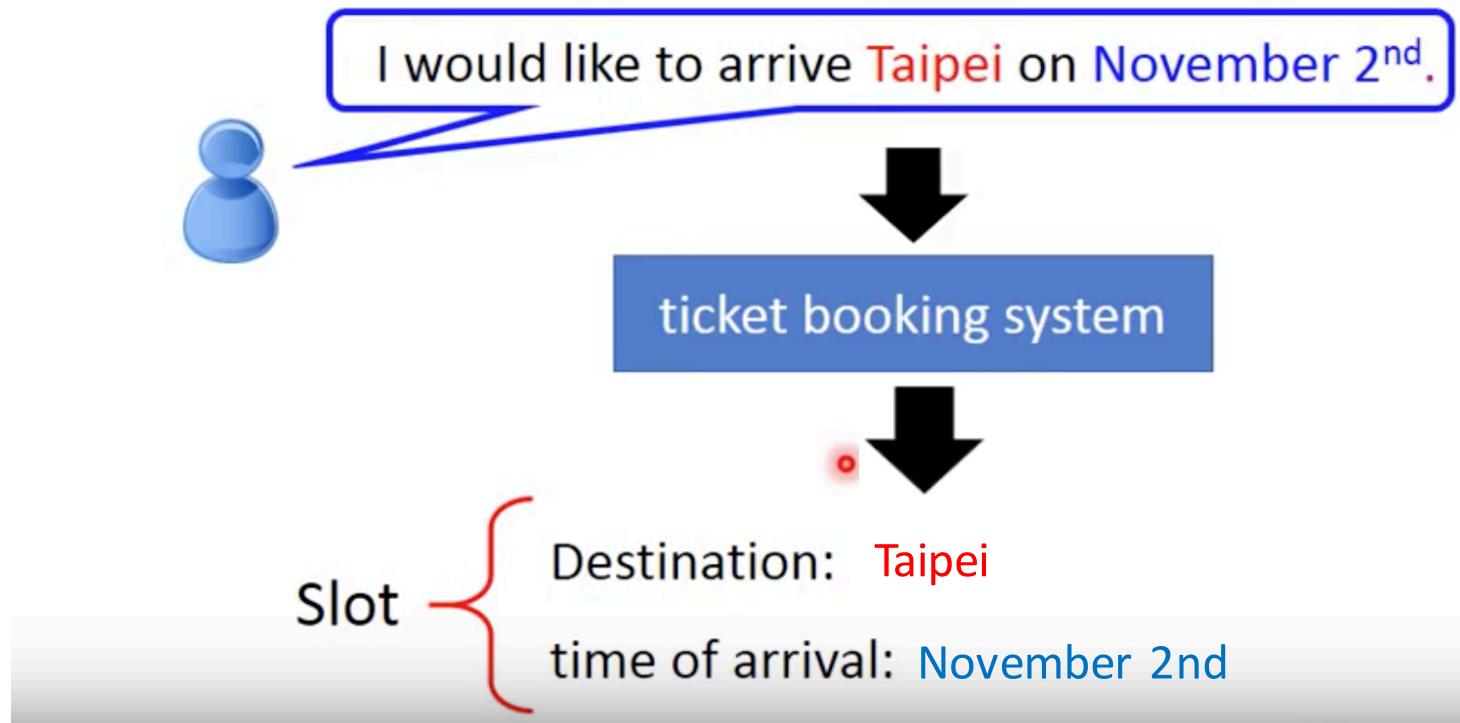
# Example Application

- Slot Filling



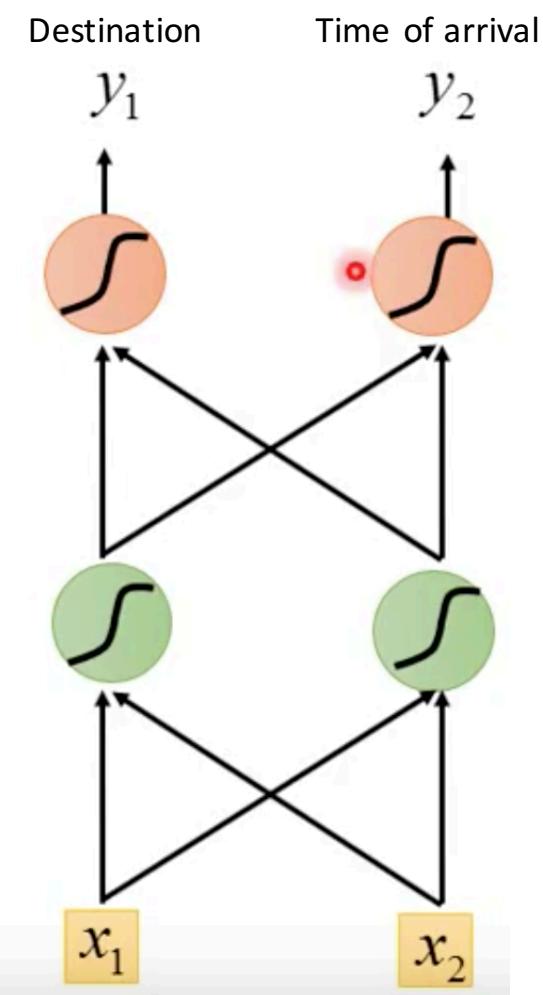
# Example Application

- Slot Filling



# Example Application

Solving slot filling by  
Feedforward network?



# Example Application

Solving slot filling by  
Feedforward network?

Input: a word  
(Each word is represented  
as a vector)



Destination      Time of arrival

$y_1$        $y_2$



## 1-of-N encoding (that is, one-hot encoding)

How to represent each word as a vector?

**1-of-N Encoding** lexicon = {apple, bag, cat, dog, elephant}

The vector is lexicon size.

$$\text{apple} = [1 \ 0 \ 0 \ 0 \ 0]$$

Each dimension corresponds  
to a word in the lexicon

$$\text{bag} = [0 \ 1 \ 0 \ 0 \ 0]$$

The dimension for the word  
is 1, and others are 0

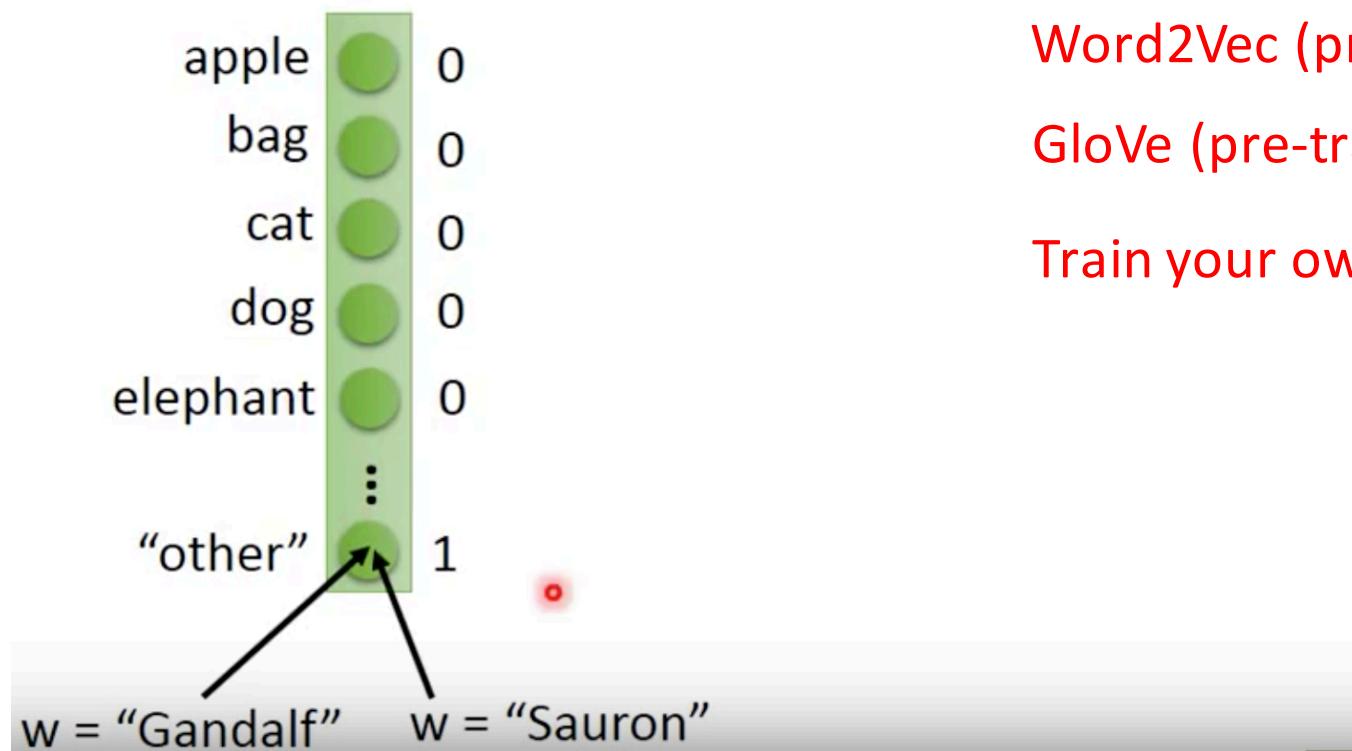
$$\text{cat} = [0 \ 0 \ 1 \ 0 \ 0]$$

$$\text{dog} = [0 \ 0 \ 0 \ 1 \ 0]$$

$$\text{elephant} = [0 \ 0 \ 0 \ 0 \ 1]$$

# Beyond 1-of-N encoding

## Dimension for “Other”



## Dense word embedding

Word2Vec (pre-trained)

GloVe (pre-trained)

Train your own embedding

# Example Application

Solving slot filling by  
Feedforward network?

Input: a word  
(Each word is represented  
as a vector)

Output:  
Probability distribution that  
the input word belonging to  
the slots



# Example Application

arrive Taipei on November 2<sup>nd</sup>

↓ ↓ ↓ ↓ ↓

other dest other time time

Problem?

leave Taipei on November 2<sup>nd</sup>

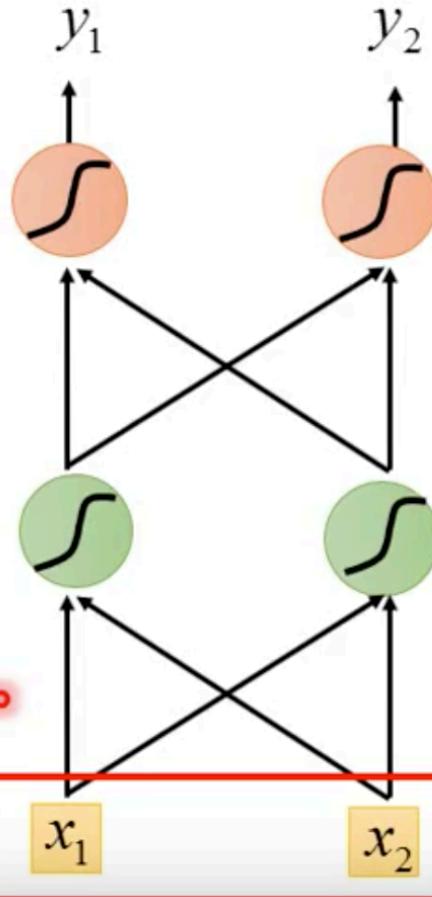
↓

place of departure

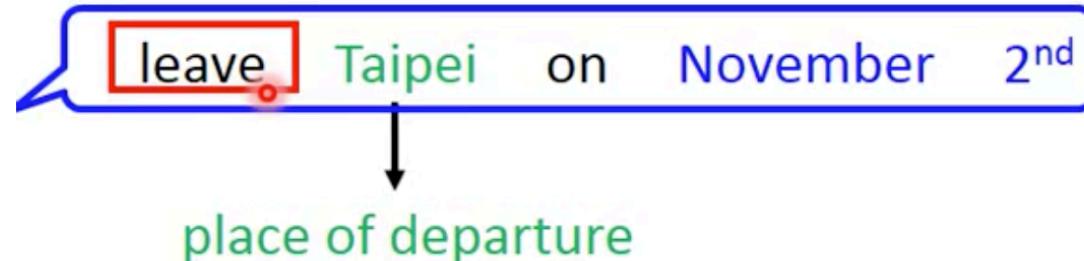
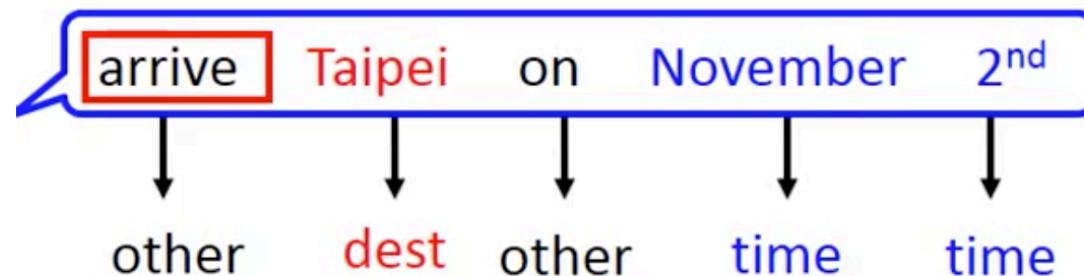
Taipei



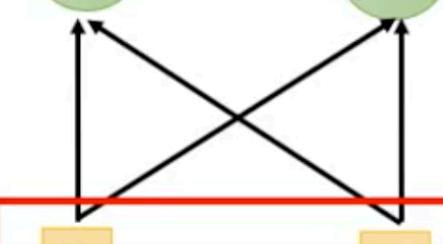
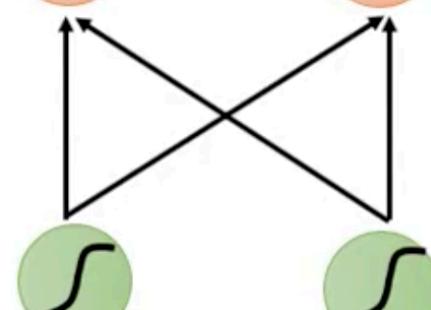
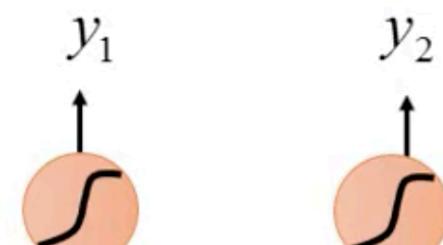
dest time of  
departure



# Example Application



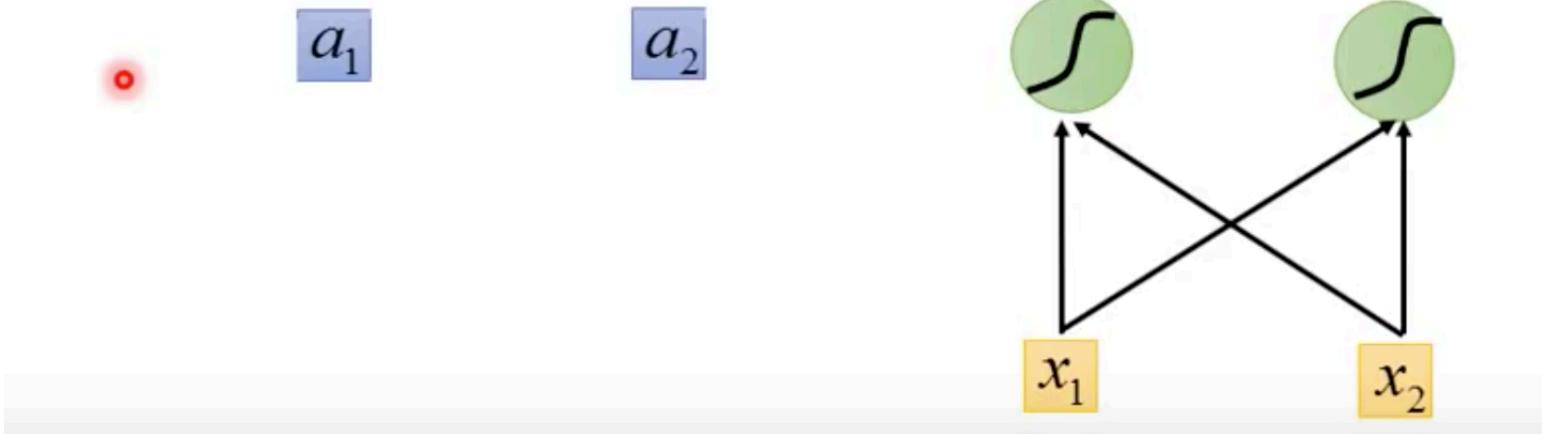
dest time of  
departure



Taipei →  $x_1$   $x_2$

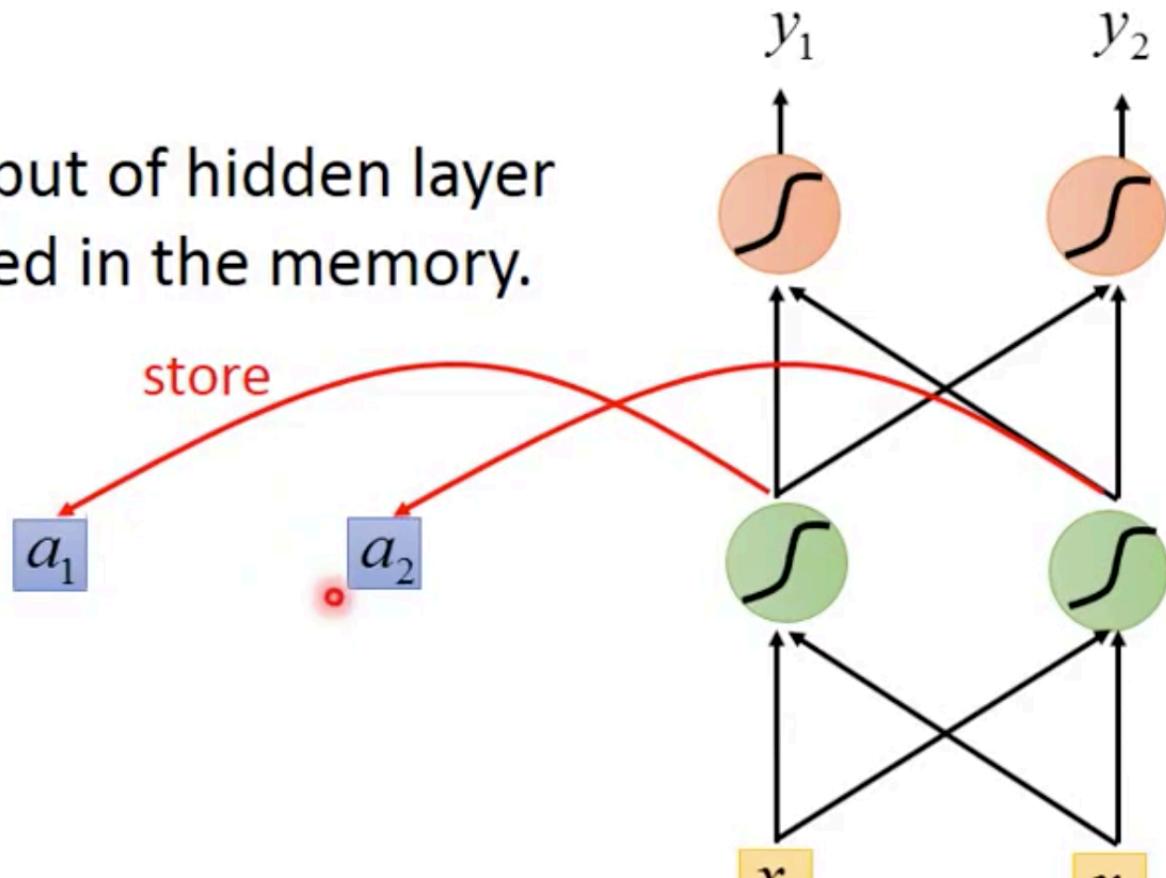
# Recurrent Neural Network (RNN)

The output of hidden layer  
are stored in the memory.



# Recurrent Neural Network (RNN)

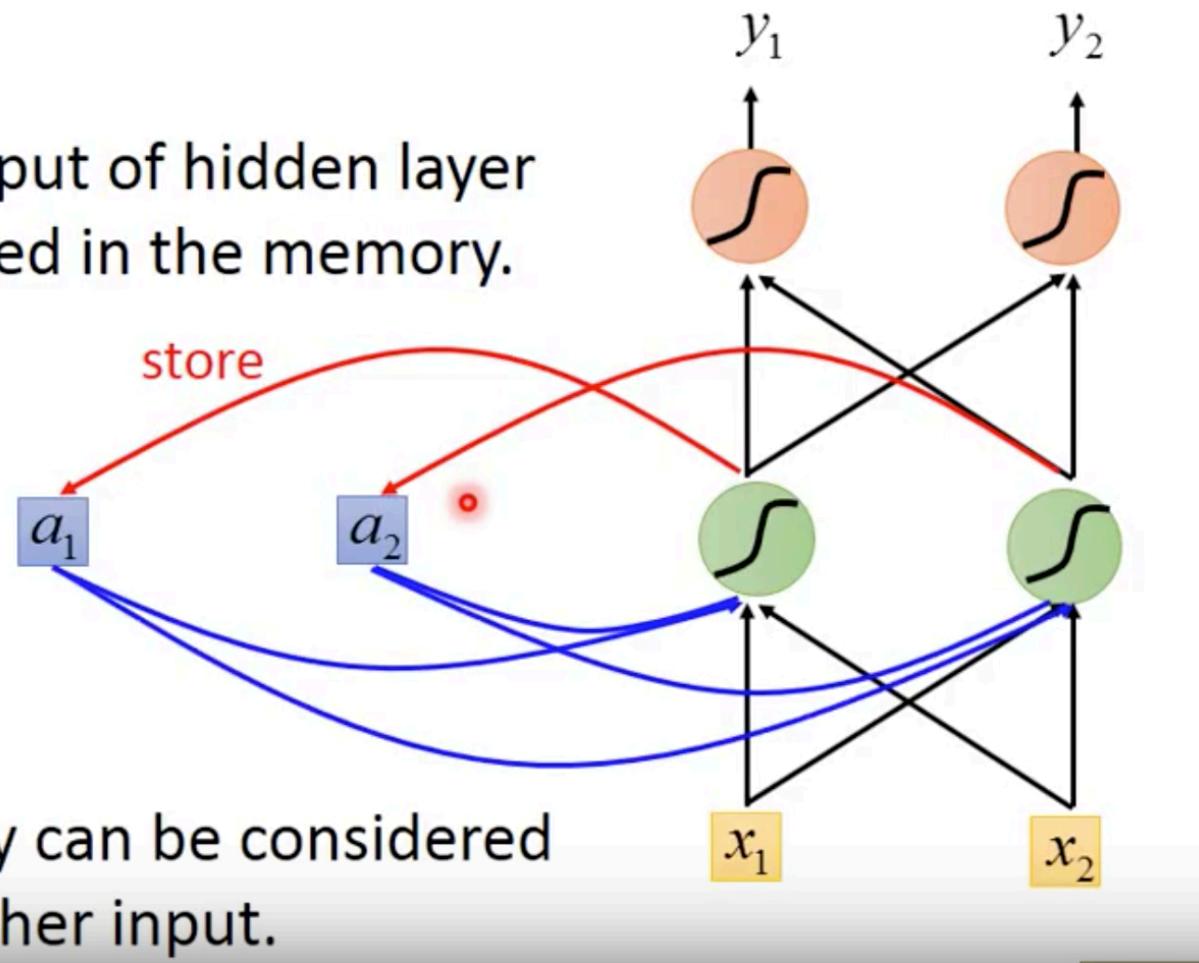
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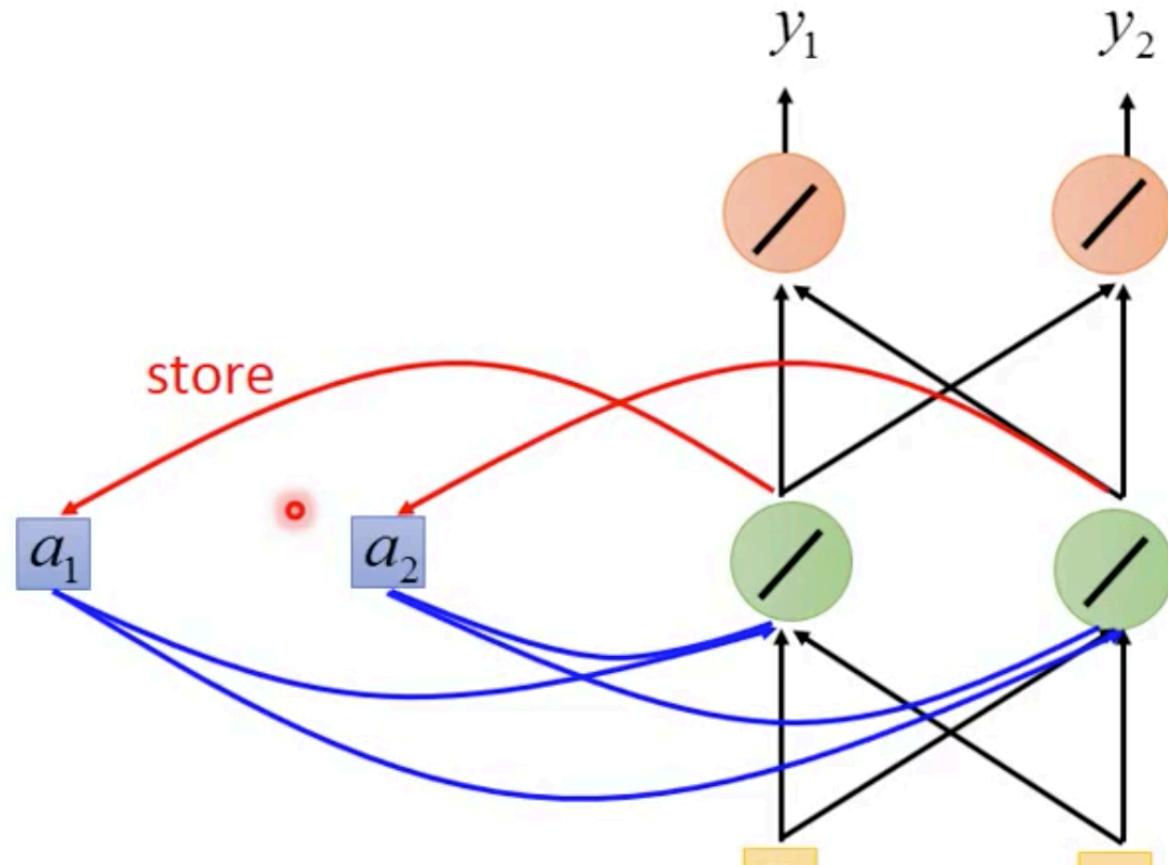
這邊呢，用藍色的方塊來表示 memory

# Recurrent Neural Network (RNN)

The output of hidden layer  
are stored in the memory.

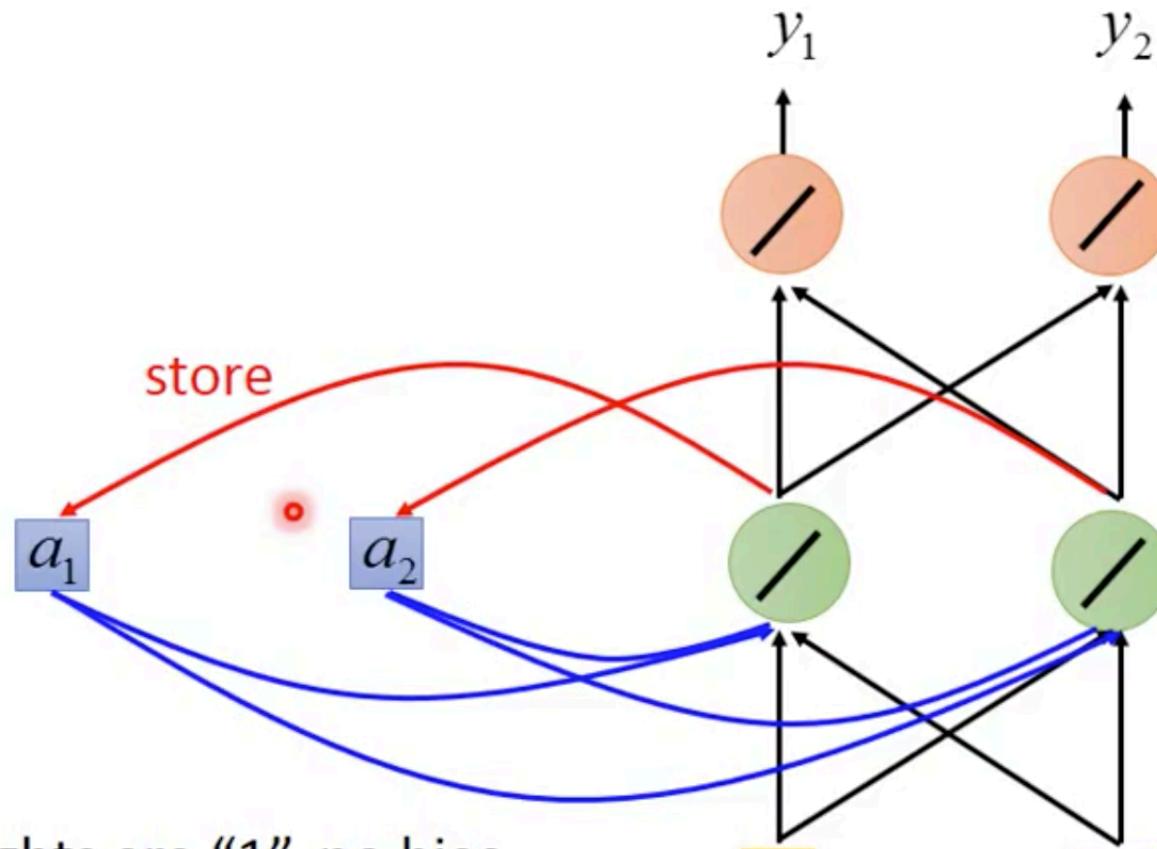


# Example



那我想直接舉個例子，大家可能會比較清楚

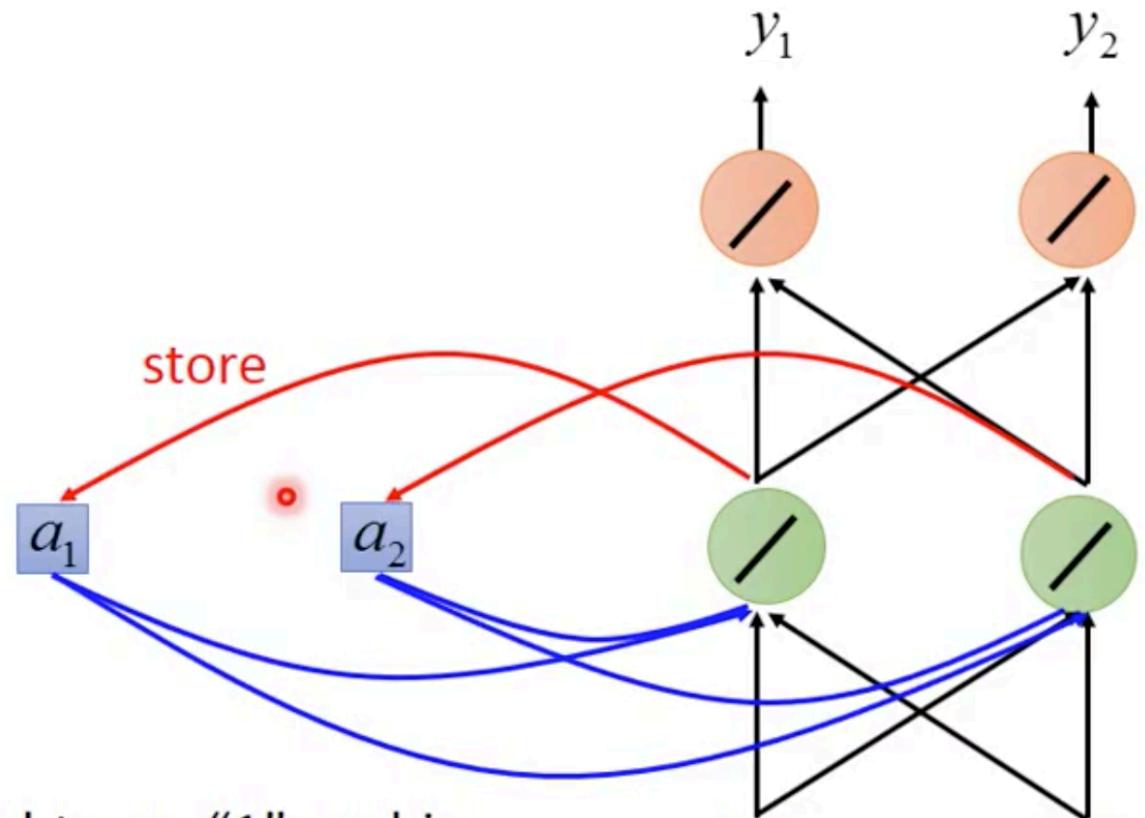
# Example



All the weights are “1”, no bias

然後所有的 neuron 都沒有任何的 bias 值

# Example



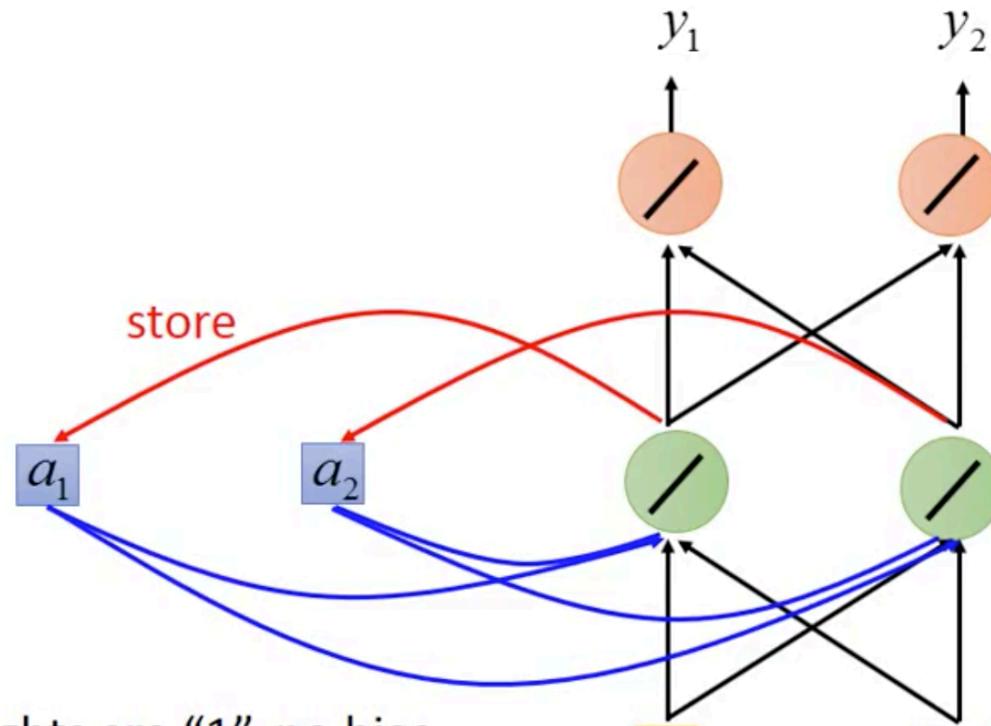
All the weights are “1”, no bias

這樣可以不要讓計算太複雜

All activation functions are linear

Input sequence:  $\begin{bmatrix} 1 \\ 1 \end{bmatrix} \begin{bmatrix} 1 \\ 1 \end{bmatrix} \begin{bmatrix} 2 \\ 2 \end{bmatrix} \dots \dots$

## Example



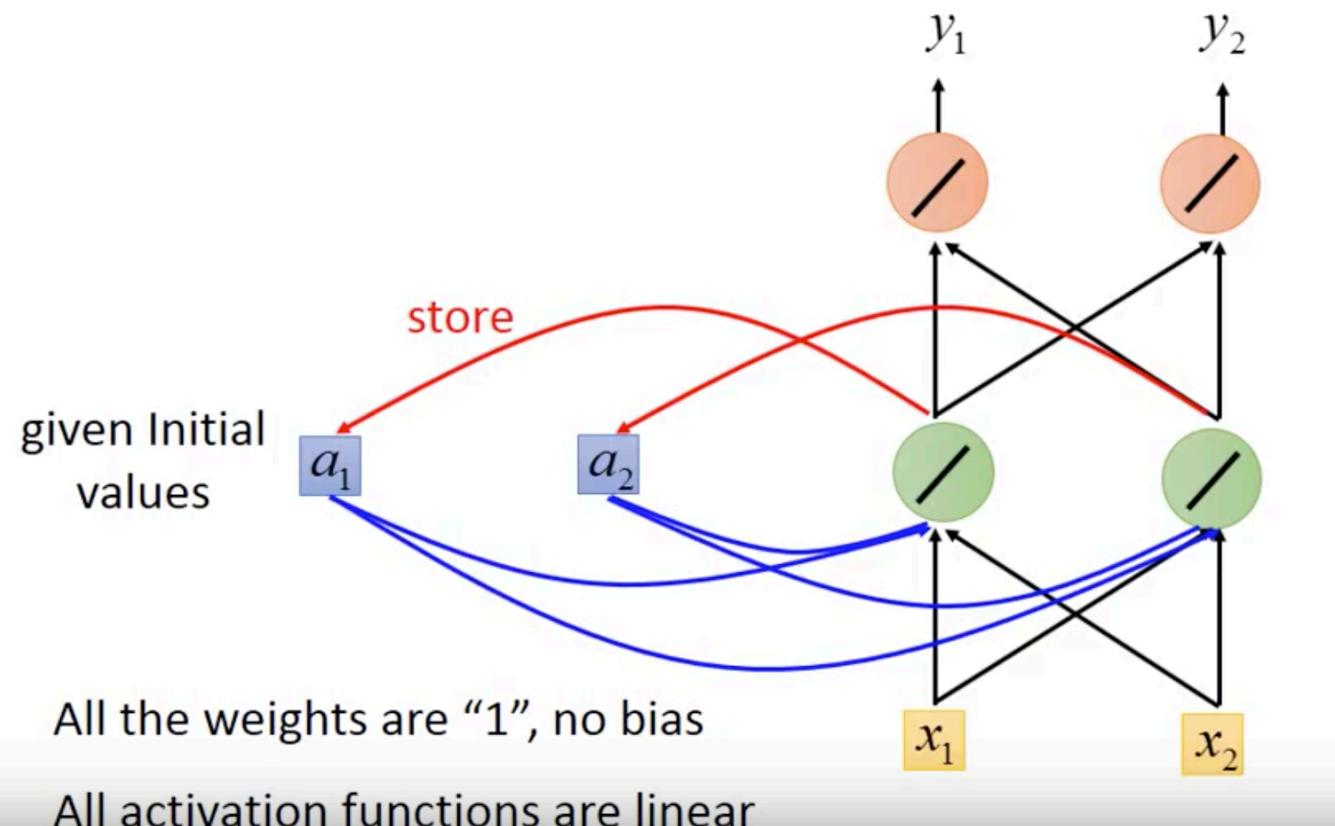
All the weights are "1", no bias

那現在假設我們的 input 是一個 sequence

All activation functions are linear

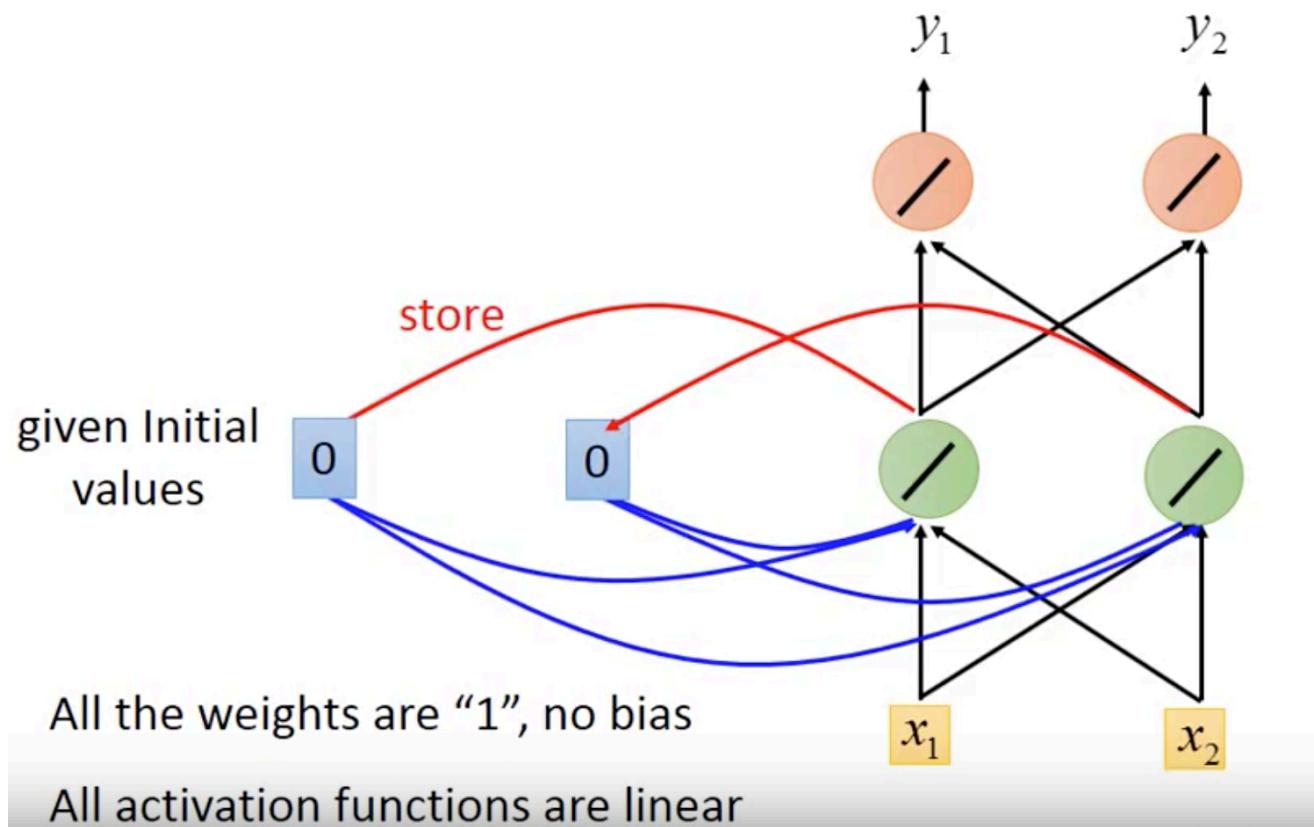
Input sequence:  $\begin{bmatrix} 1 \\ 1 \end{bmatrix} \begin{bmatrix} 1 \\ 1 \end{bmatrix} \begin{bmatrix} 2 \\ 2 \end{bmatrix} \dots \dots$

## Example



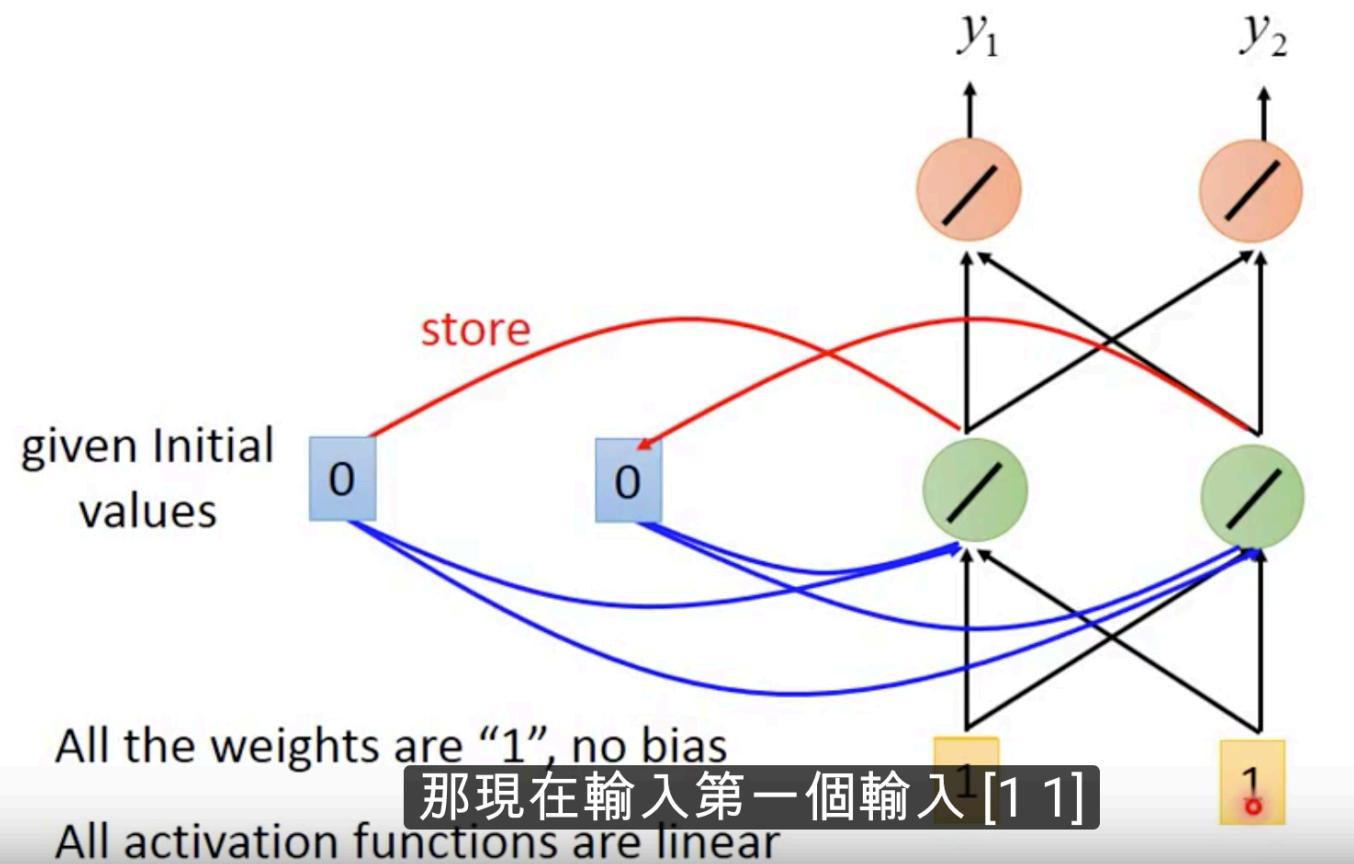
Input sequence:  $[1] [1] [2] \dots \dots$

## Example



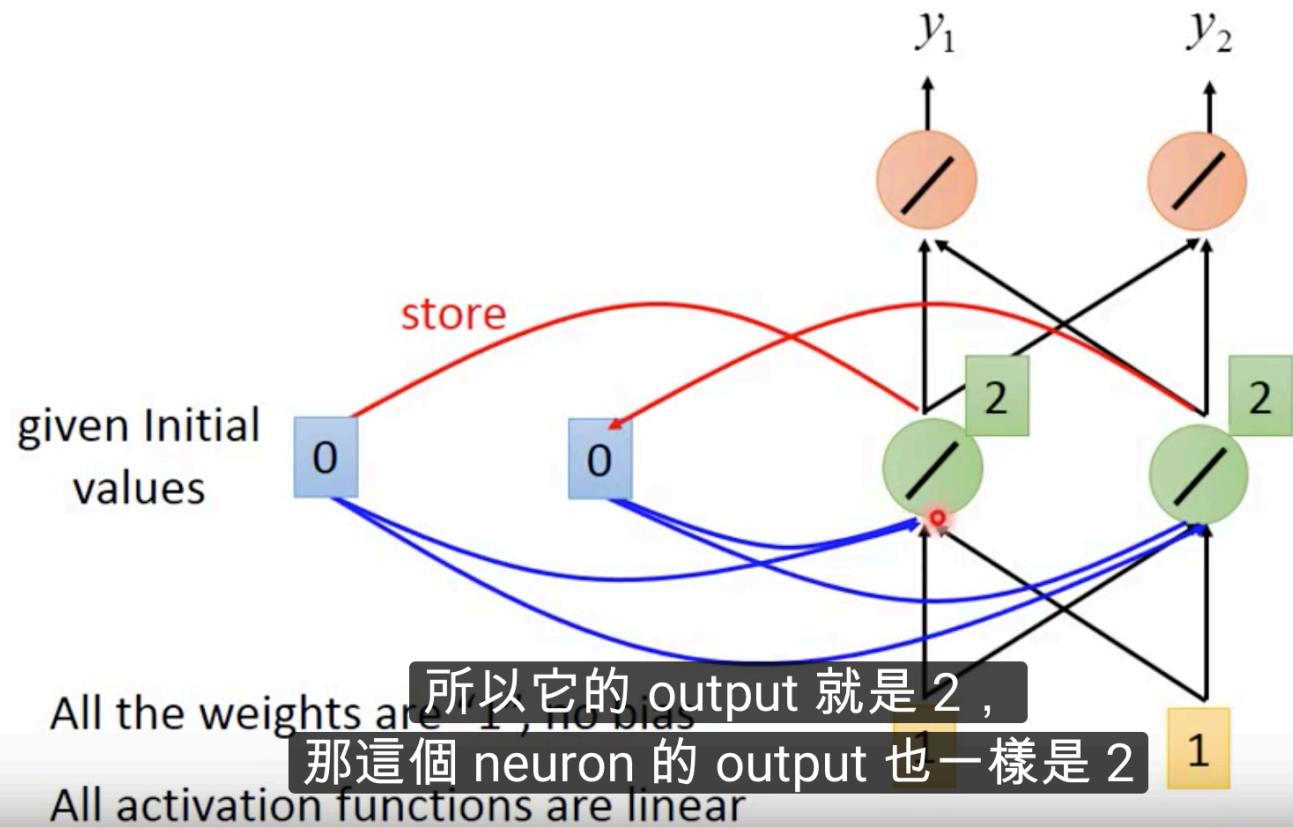
Input sequence:  $\begin{bmatrix} 1 \\ 1 \end{bmatrix} \begin{bmatrix} 1 \\ 1 \end{bmatrix} \begin{bmatrix} 2 \\ 2 \end{bmatrix} \dots$

## Example



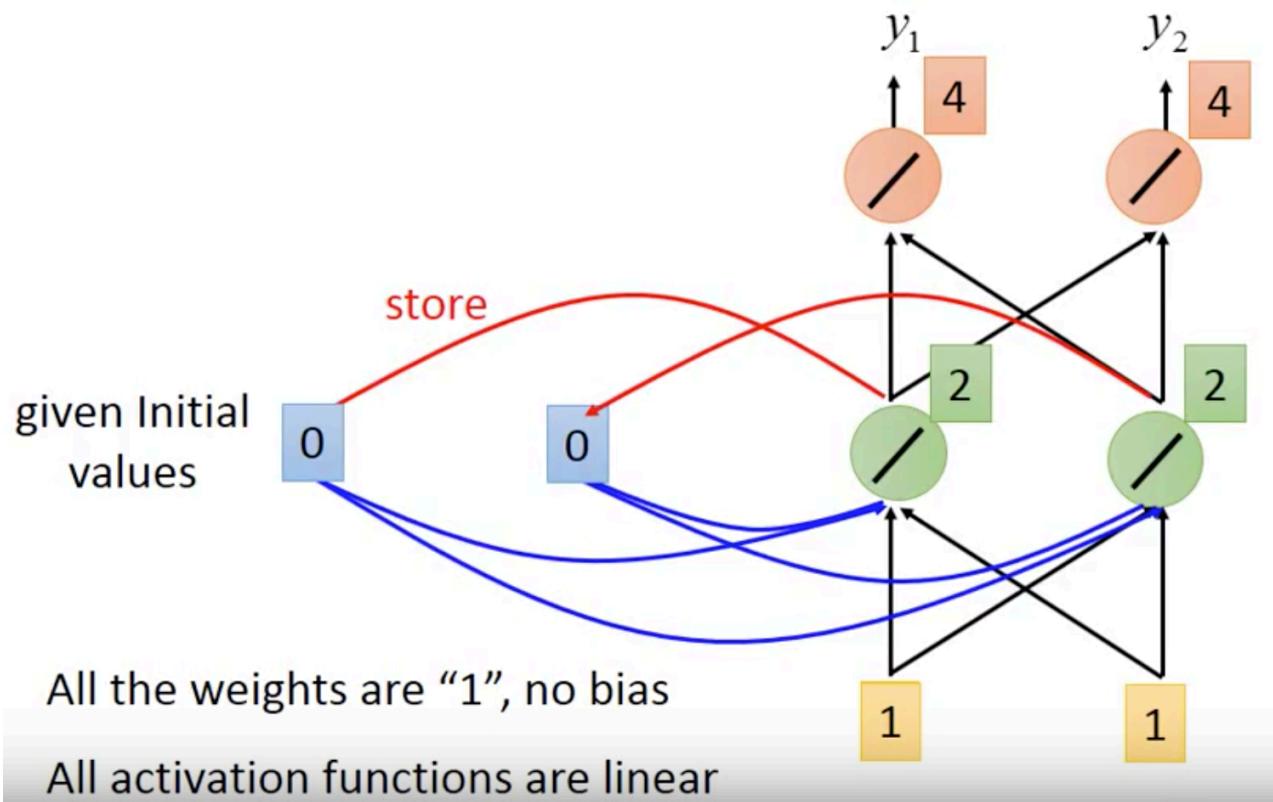
Input sequence:  $\begin{bmatrix} 1 \\ 1 \end{bmatrix} \begin{bmatrix} 1 \\ 1 \end{bmatrix} \begin{bmatrix} 2 \\ 2 \end{bmatrix} \dots \dots$

## Example



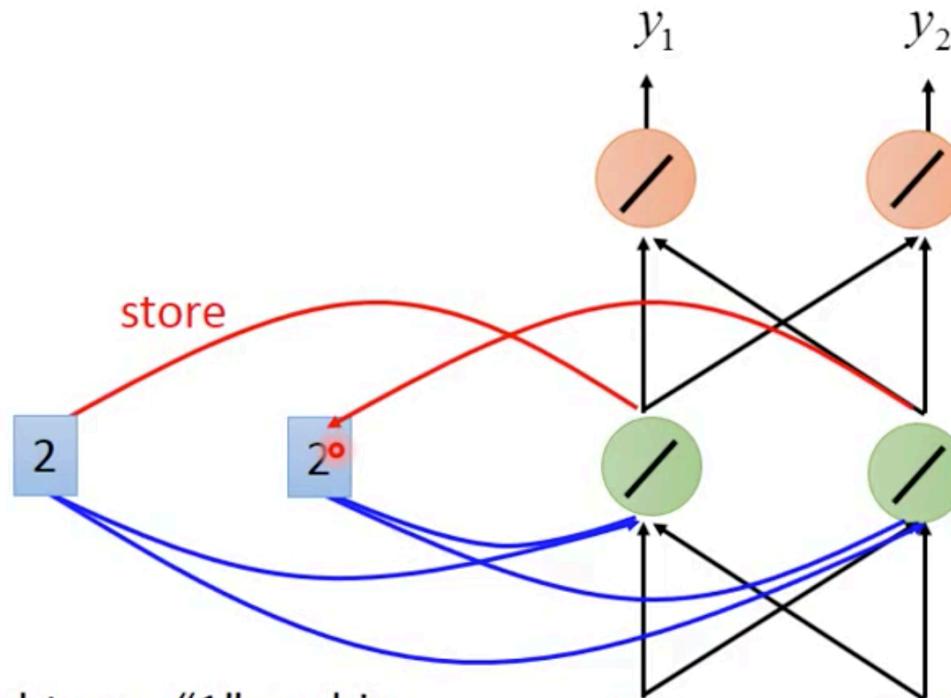
## Example

Input sequence:  $\begin{bmatrix} 1 \\ 1 \end{bmatrix} \begin{bmatrix} 1 \\ 1 \end{bmatrix} \begin{bmatrix} 2 \\ 2 \end{bmatrix} \dots \dots$   
output sequence:  $\begin{bmatrix} 4 \\ 4 \end{bmatrix}$



## Example

Input sequence:  $\begin{bmatrix} 1 \\ 1 \end{bmatrix} \begin{bmatrix} 1 \\ 1 \end{bmatrix} \begin{bmatrix} 2 \\ 2 \end{bmatrix} \dots$   
output sequence:  $\begin{bmatrix} 4 \\ 4 \end{bmatrix}$

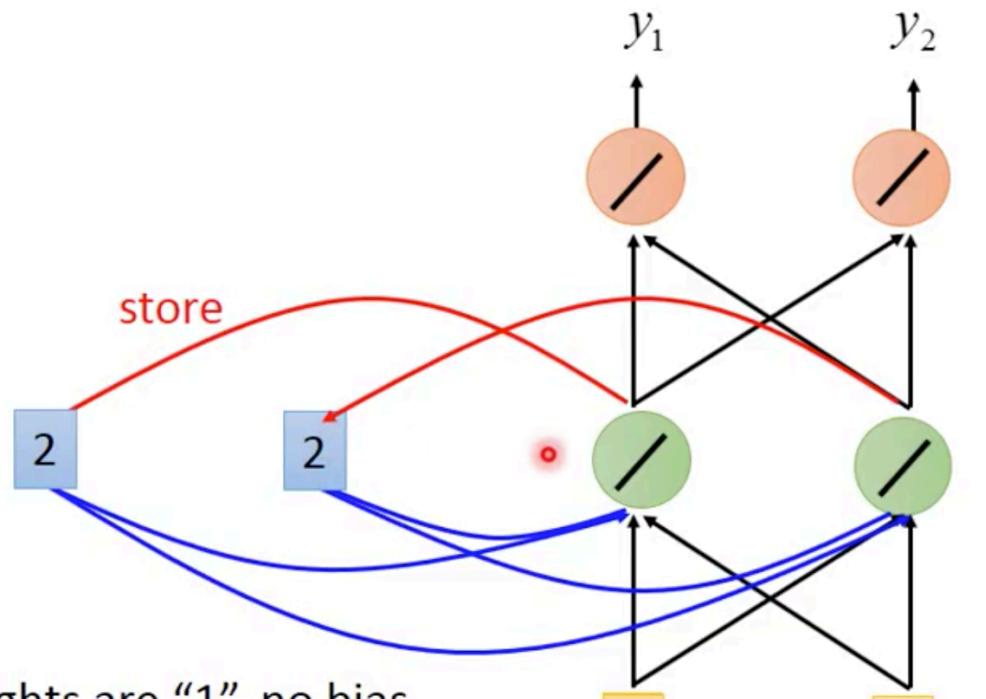


All the weights are "1", no bias

所以 memory 裡面的值就 update 變成 2 , 接下來呢  
All activation functions are linear

## Example

Input sequence:  $\begin{bmatrix} 1 \\ 1 \end{bmatrix} \begin{bmatrix} 1 \\ 1 \end{bmatrix} \begin{bmatrix} 2 \\ 2 \end{bmatrix} \dots \dots$   
output sequence:  $\begin{bmatrix} 4 \\ 4 \end{bmatrix}$



All the weights are "1", no bias

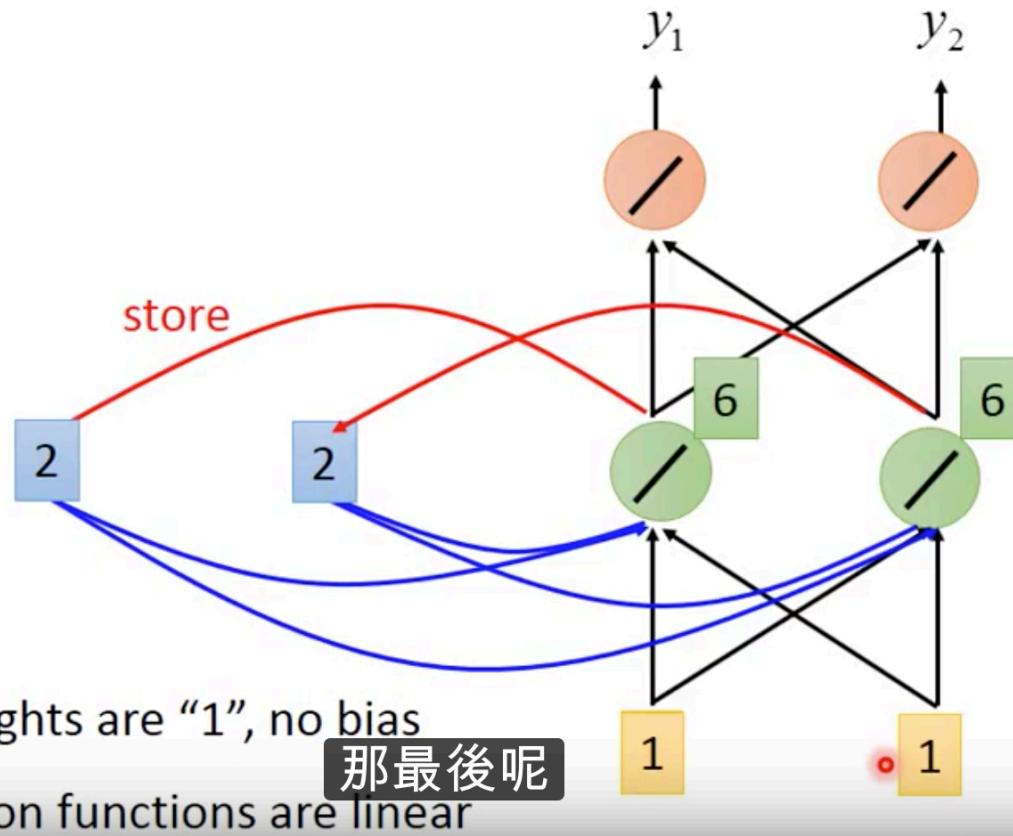
它的輸入有 4 個 1

All activation functions are linear

## Example

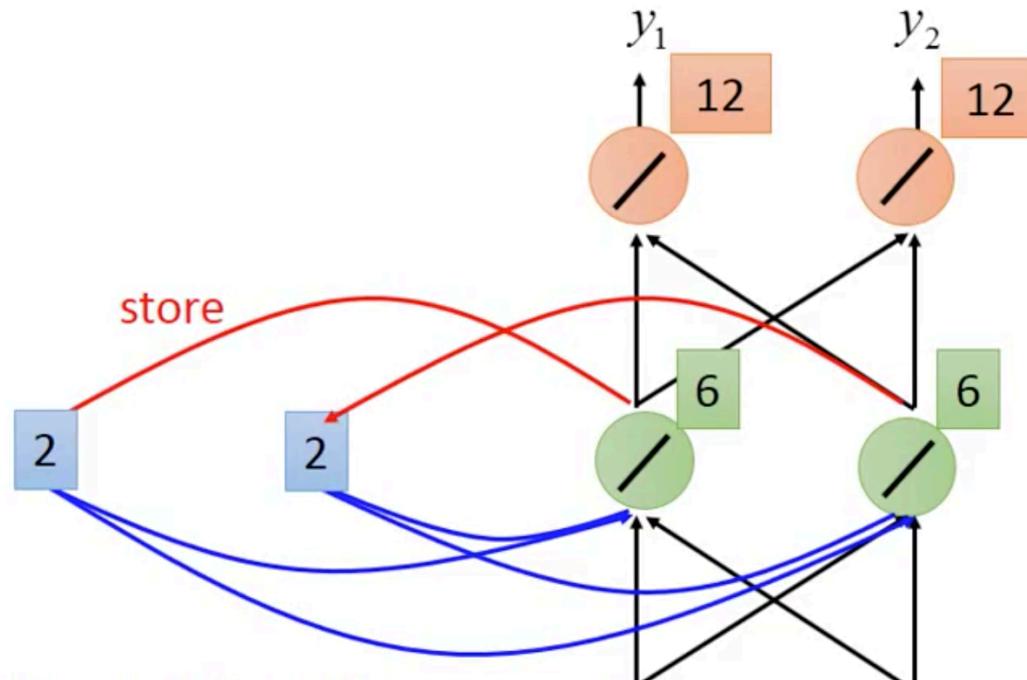
Input sequence:  $\begin{bmatrix} 1 \\ 1 \end{bmatrix} \begin{bmatrix} 1 \\ 1 \end{bmatrix} \begin{bmatrix} 2 \\ 2 \end{bmatrix} \dots \dots$

output sequence:  $\begin{bmatrix} 4 \\ 4 \end{bmatrix}$



## Example

Input sequence:  $\begin{bmatrix} 1 \\ 1 \end{bmatrix} \begin{bmatrix} 1 \\ 1 \end{bmatrix} \begin{bmatrix} 2 \\ 2 \end{bmatrix} \dots \dots$   
output sequence:  $\begin{bmatrix} 4 \\ 4 \end{bmatrix} \begin{bmatrix} 12 \\ 12 \end{bmatrix}$



All the weights are "1", no bias

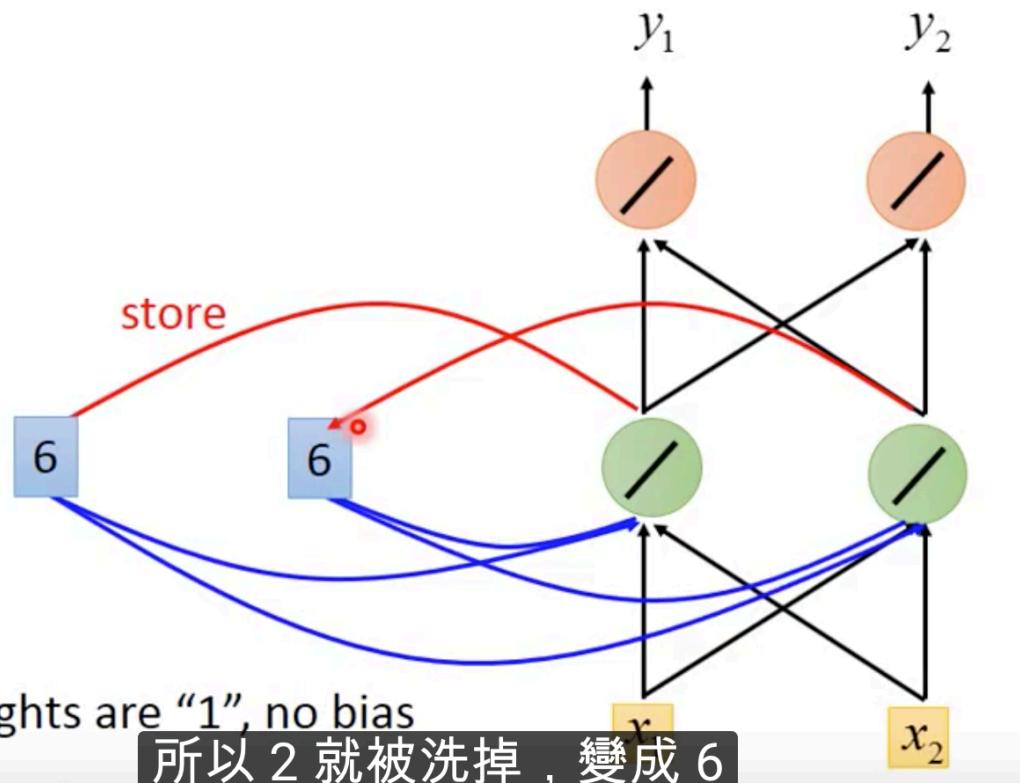
第二次再輸 [1 1] 的時候，輸出就是 [12 12]

All activation functions are linear

## Example

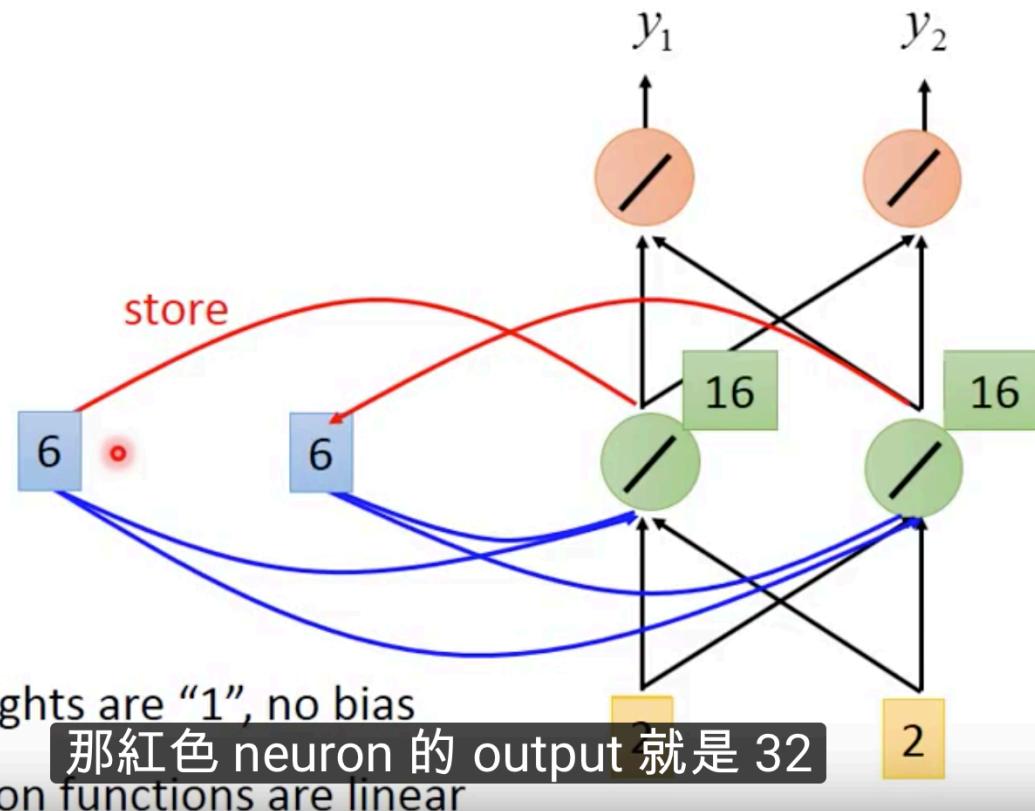
Input sequence:  $\begin{bmatrix} 1 \\ 1 \end{bmatrix} \begin{bmatrix} 1 \\ 1 \end{bmatrix} \begin{bmatrix} 2 \\ 2 \end{bmatrix} \dots \dots$

output sequence:  $\begin{bmatrix} 4 \\ 4 \end{bmatrix} \begin{bmatrix} 12 \\ 12 \end{bmatrix}$



## Example

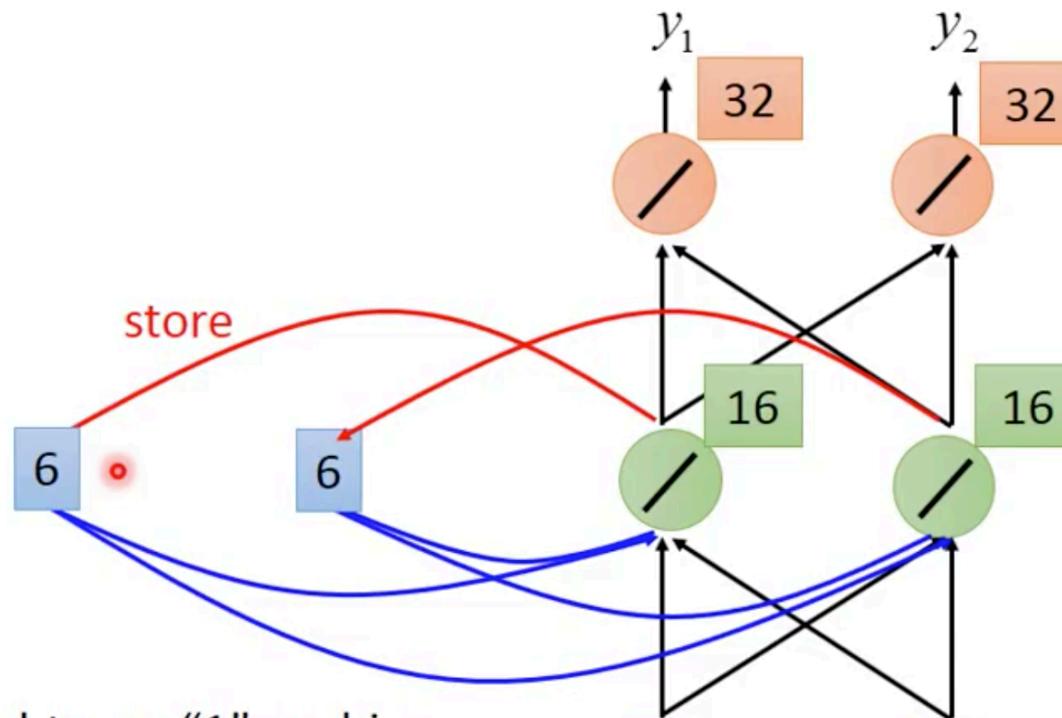
Input sequence:  $\begin{bmatrix} 1 \\ 1 \end{bmatrix} \begin{bmatrix} 1 \\ 1 \end{bmatrix} \begin{bmatrix} 2 \\ 2 \end{bmatrix} \dots \dots$   
output sequence:  $\begin{bmatrix} 4 \\ 4 \end{bmatrix} \begin{bmatrix} 12 \\ 12 \end{bmatrix}$



## Example

Input sequence:  $\begin{bmatrix} 1 \\ 1 \end{bmatrix} \begin{bmatrix} 1 \\ 1 \end{bmatrix} \begin{bmatrix} 2 \\ 2 \end{bmatrix} \dots \dots$

output sequence:  $\begin{bmatrix} 4 \\ 4 \end{bmatrix} \begin{bmatrix} 12 \\ 12 \end{bmatrix} \begin{bmatrix} 32 \\ 32 \end{bmatrix}$



All the weights are "1", no bias

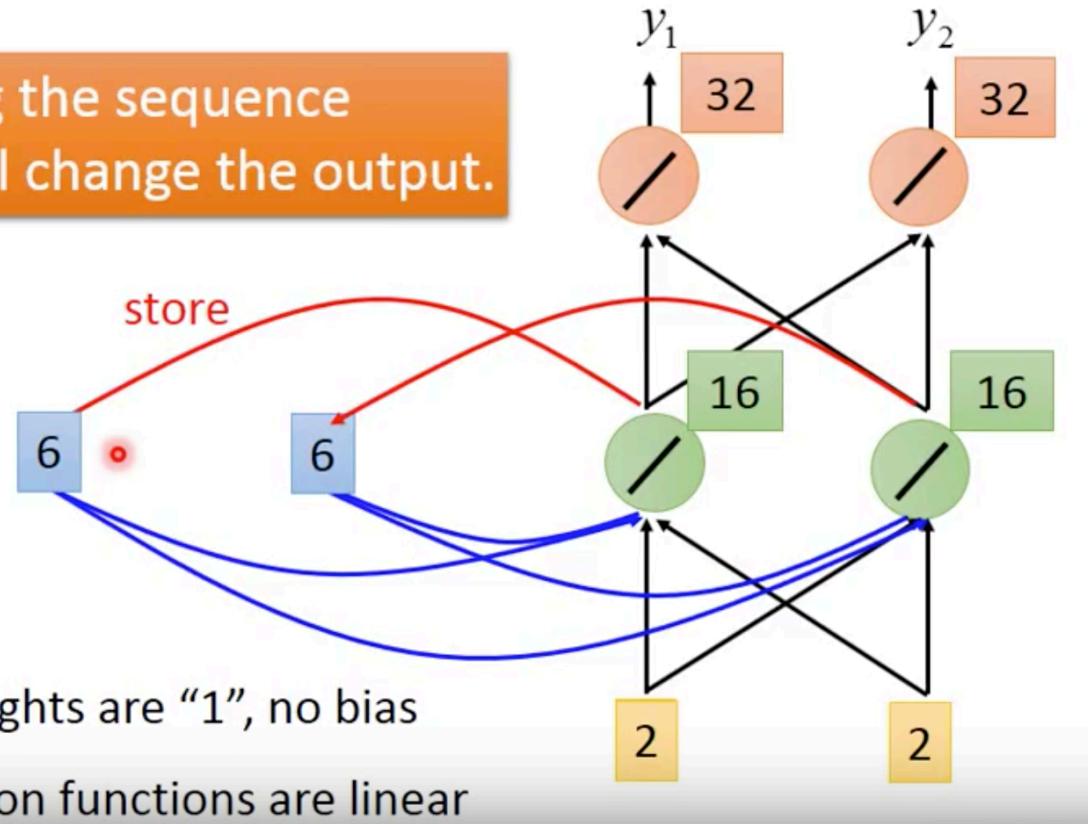
所以 input 2 跟 2 的時候呢 , output 是 32

All activation functions are linear

## Example

Input sequence:  $\begin{bmatrix} 1 \\ 1 \end{bmatrix} \begin{bmatrix} 1 \\ 1 \end{bmatrix} \begin{bmatrix} 2 \\ 2 \end{bmatrix} \dots \dots$   
output sequence:  $\begin{bmatrix} 4 \\ 4 \end{bmatrix} \begin{bmatrix} 12 \\ 12 \end{bmatrix} \begin{bmatrix} 32 \\ 32 \end{bmatrix}$

Changing the sequence  
order will change the output.

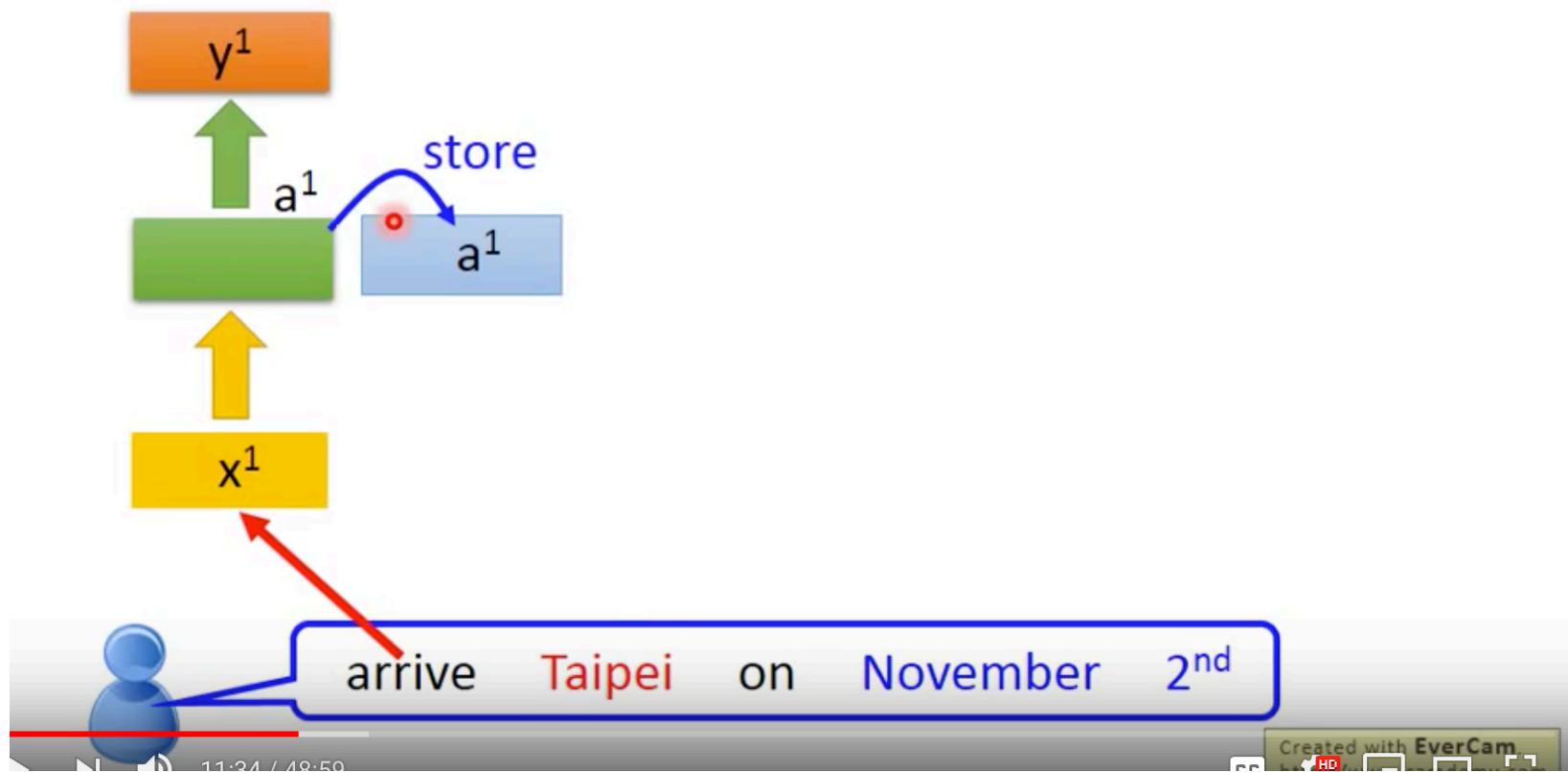


# RNN



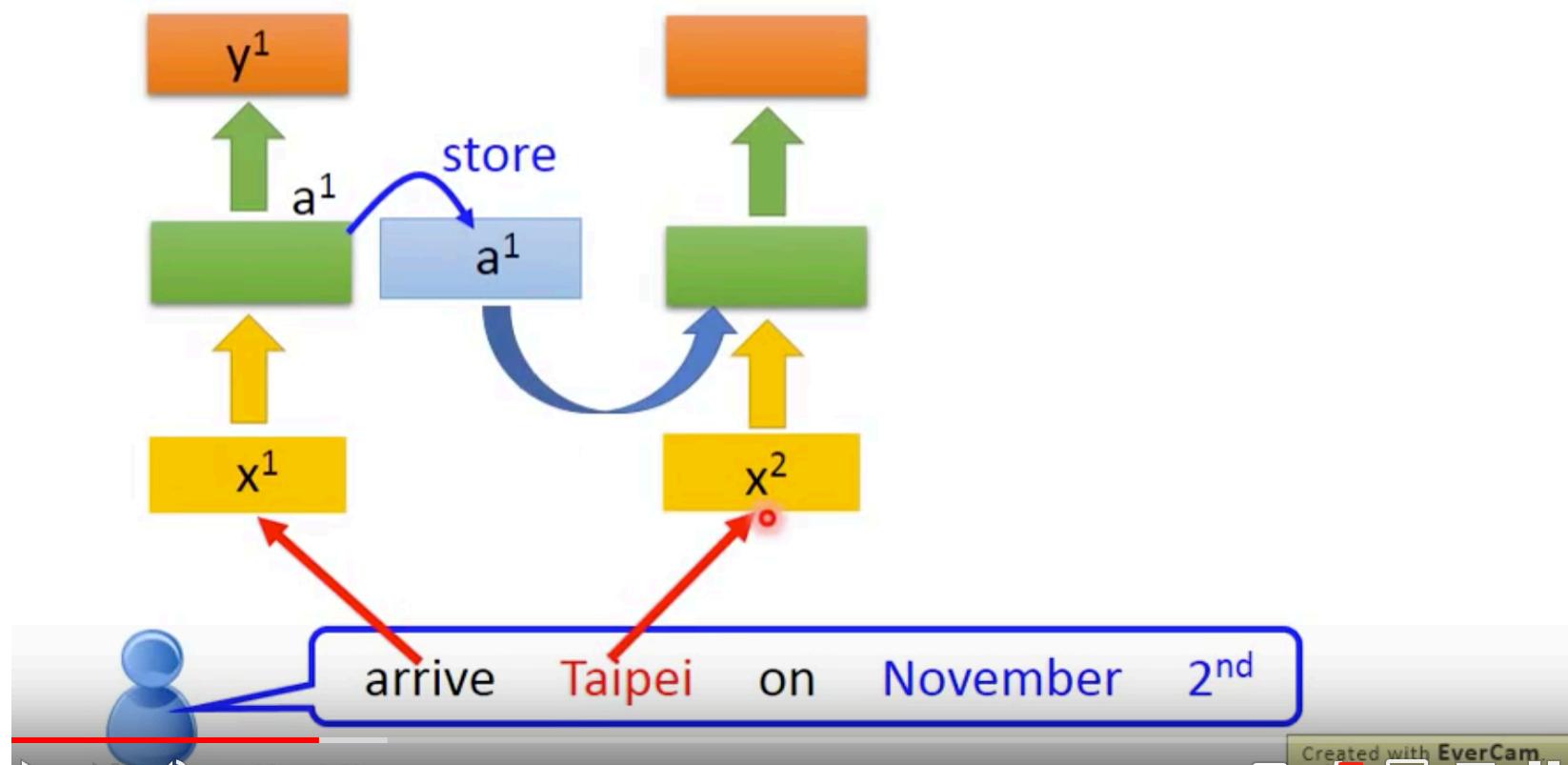
# RNN

Probability of  
“arrive” in each slot



# RNN

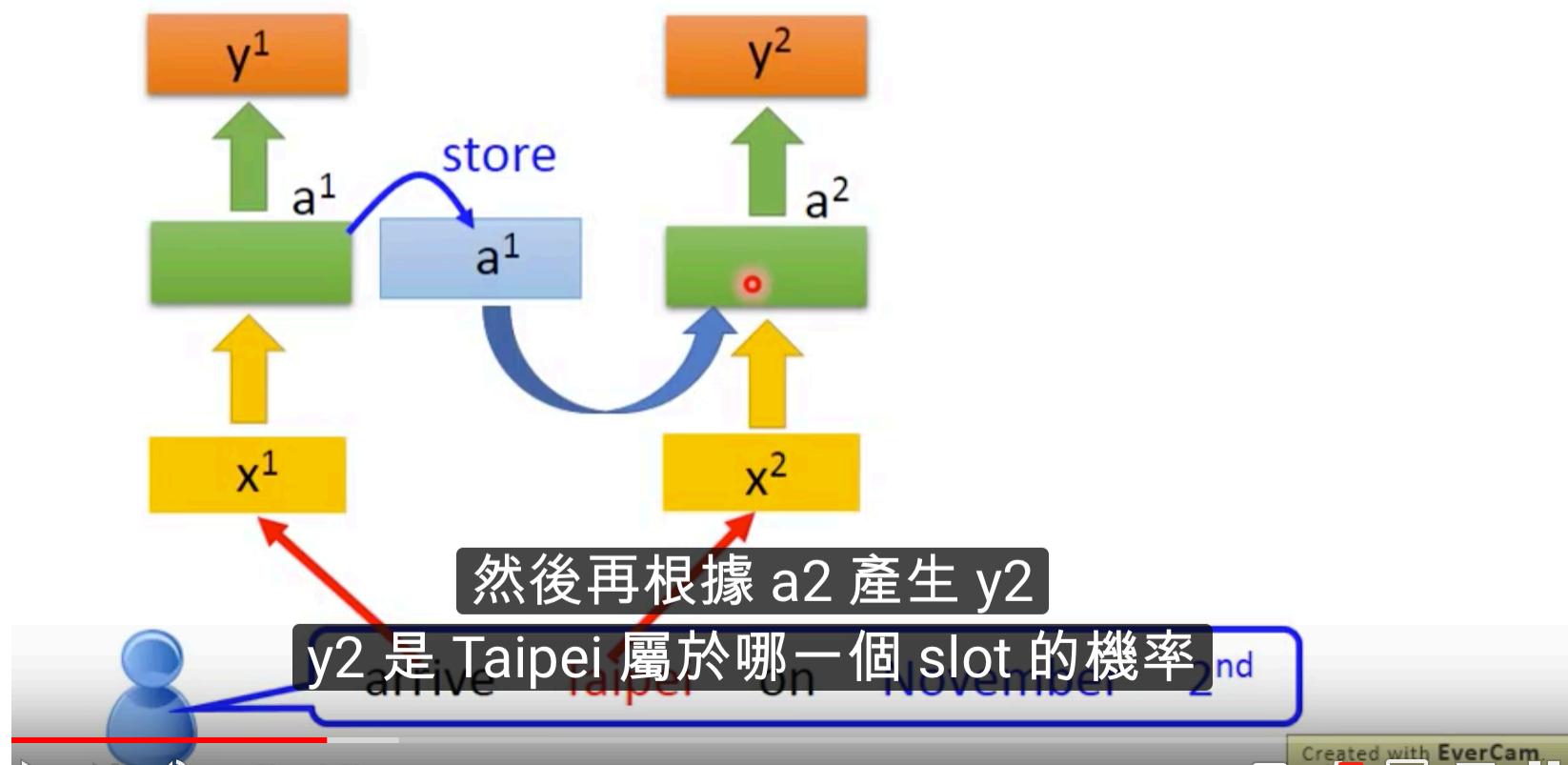
Probability of  
“arrive” in each slot



# RNN

Probability of  
“arrive” in each slot

Probability of  
“Taipei” in each slot

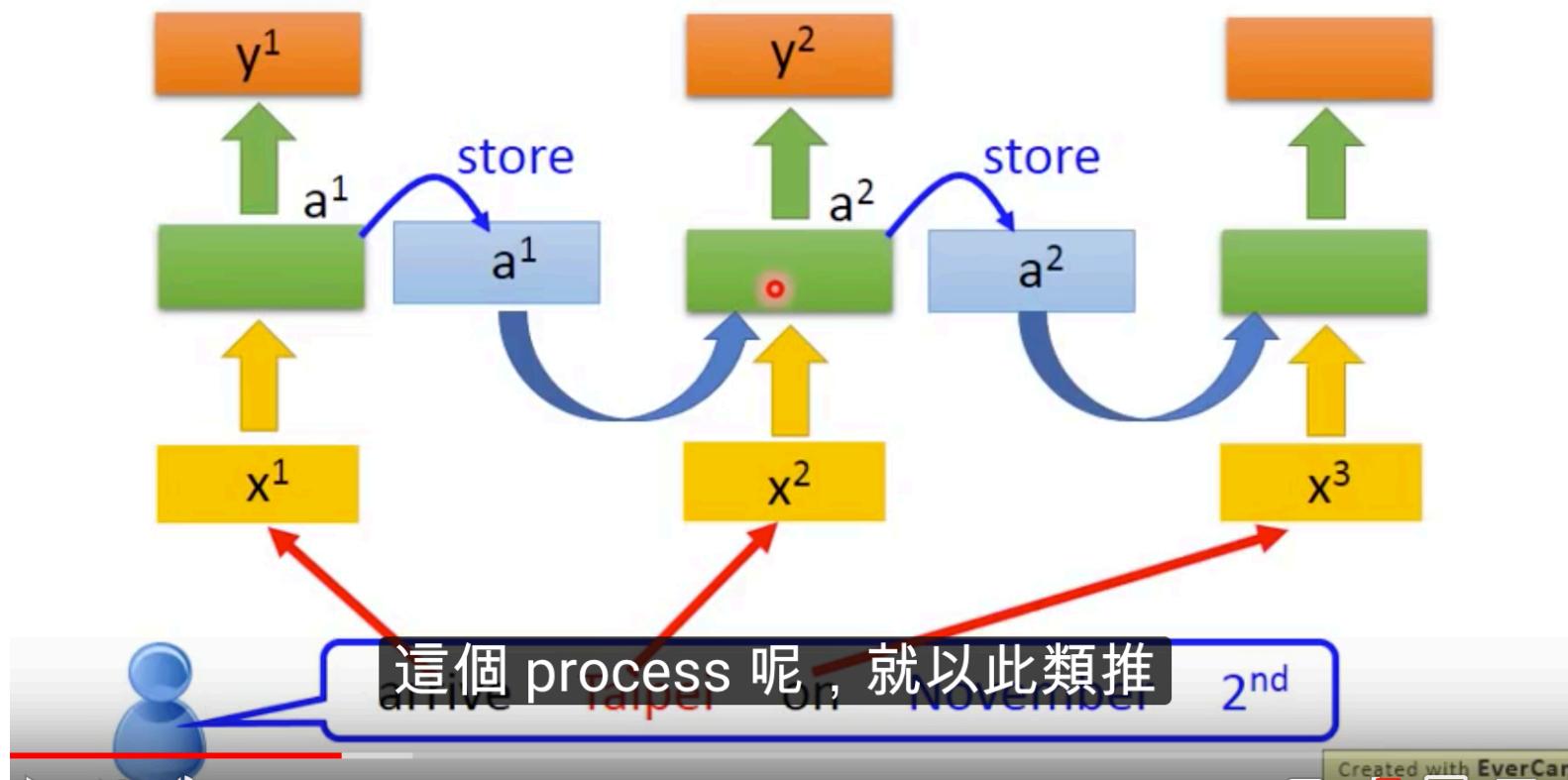


# RNN

The same network is used again and again.

Probability of  
“arrive” in each slot

Probability of  
“Taipei” in each slot



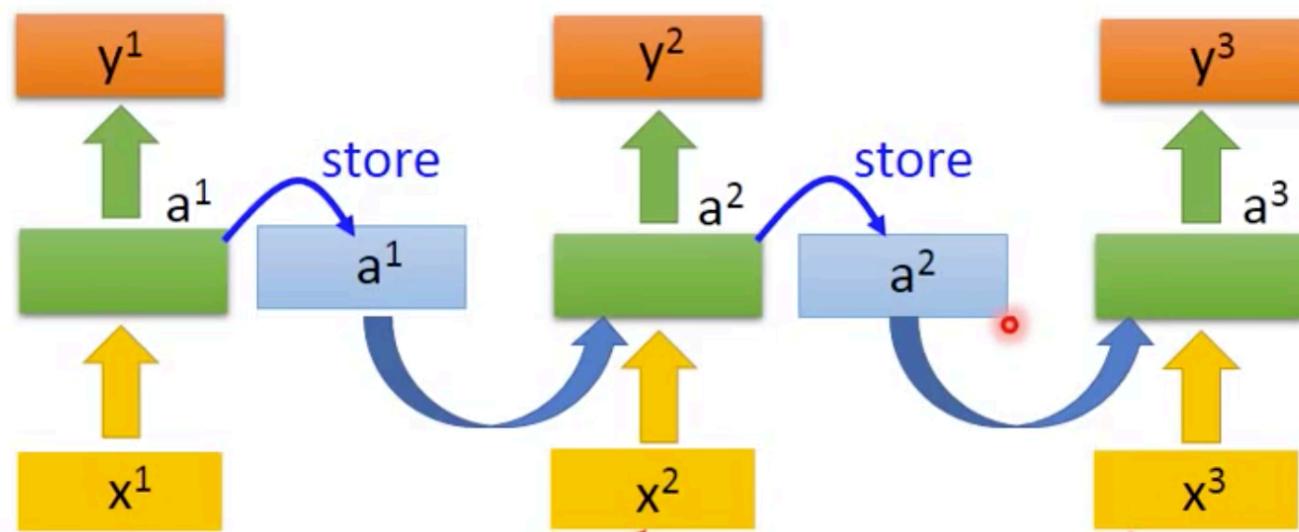
# RNN

The same network is used again and again.

Probability of  
“arrive” in each slot

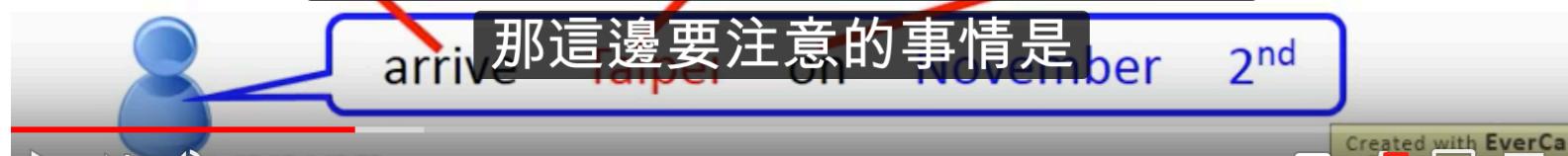
Probability of  
“Taipei” in each slot

Probability of  
“on” in each slot



它代表 on 屬於哪一個 slot 的機率 ,

那這邊要注意的事情是



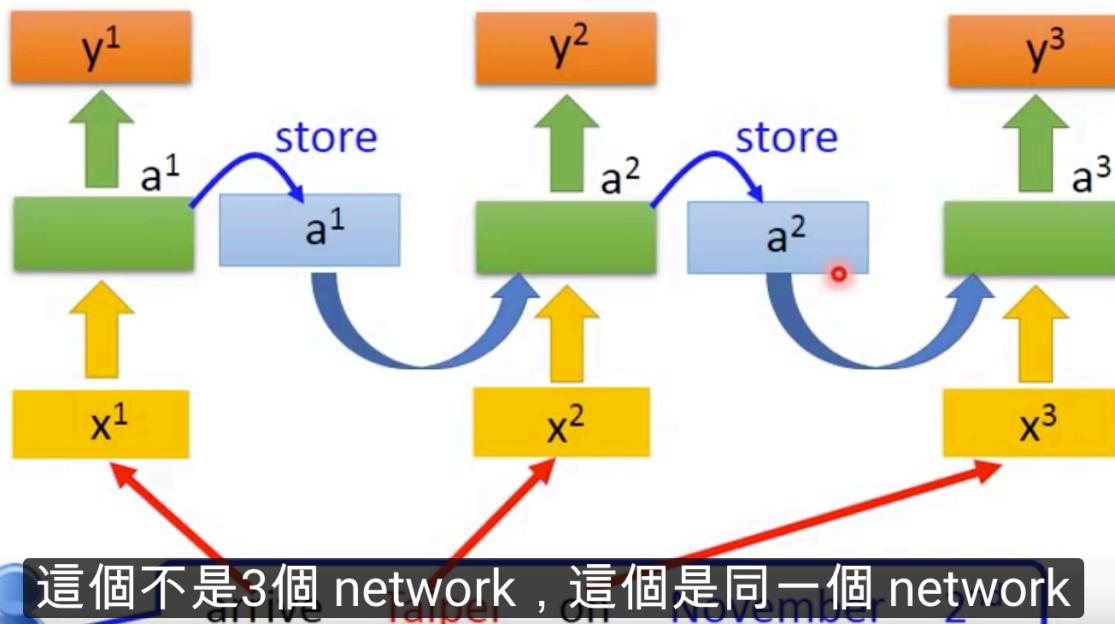
# RNN

The same network is used again and again.

Probability of  
“arrive” in each slot

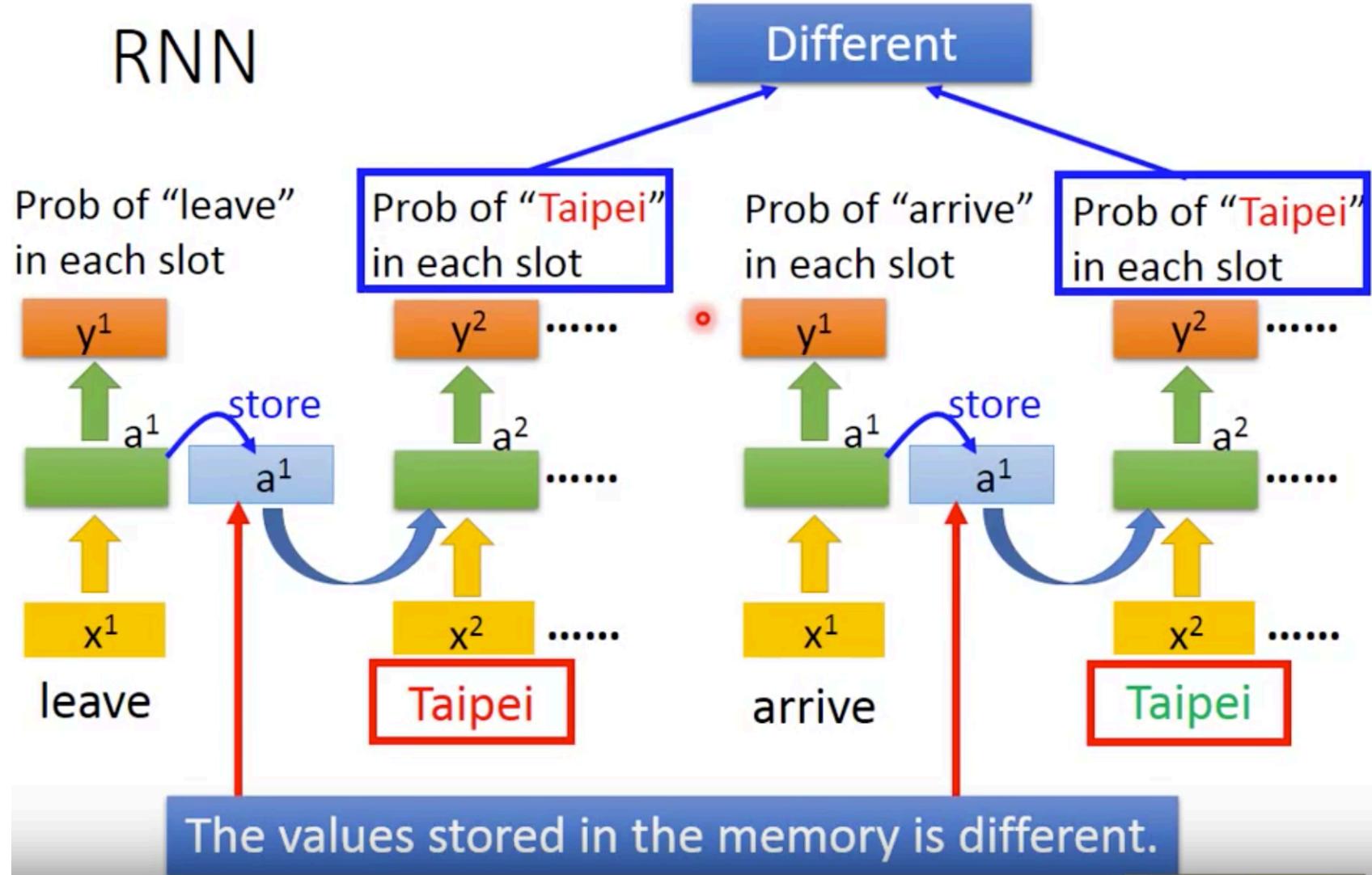
Probability of  
“Taipei” in each slot

Probability of  
“on” in each slot



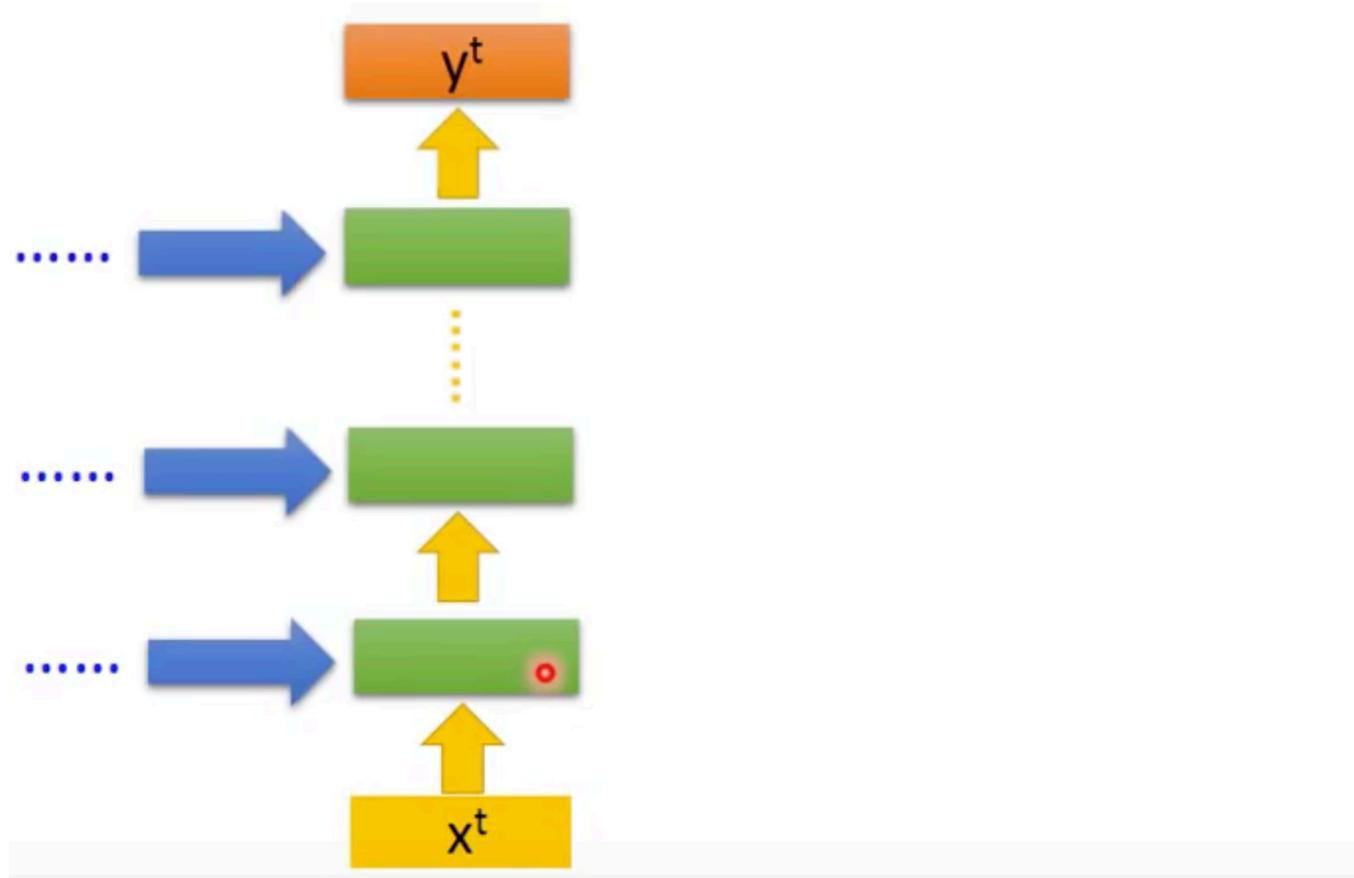
這個不是3個 network，這個是同一個 network

# RNN

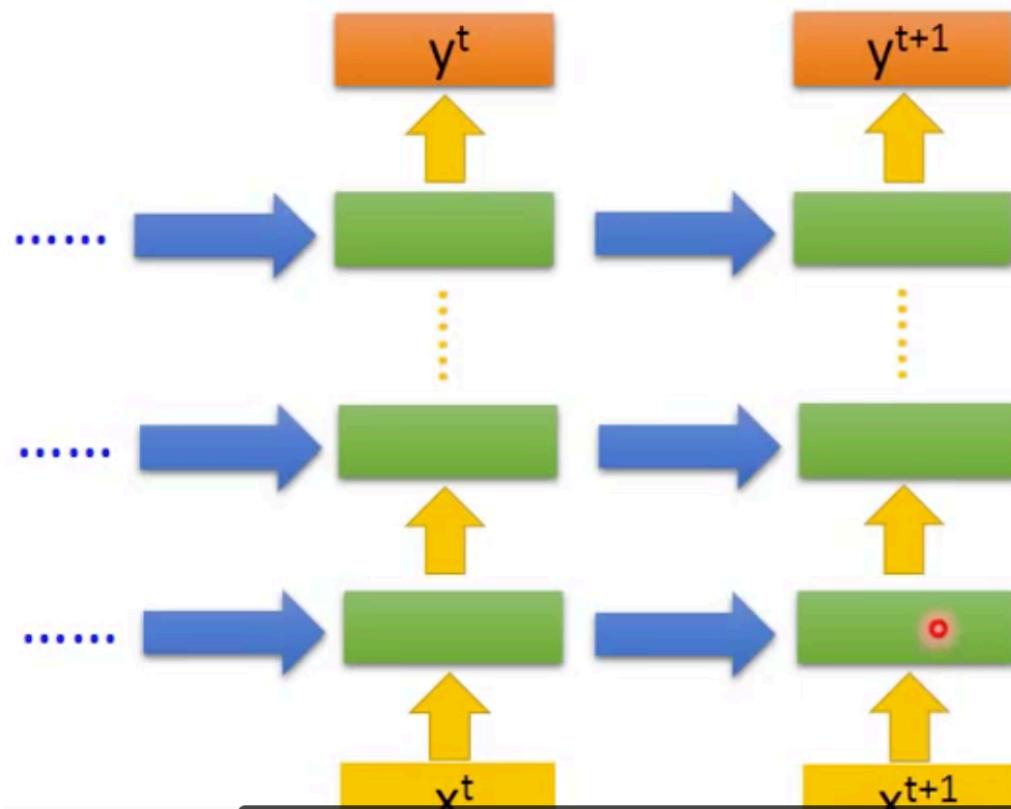


Of course it can be deep ...

Of course it can be deep ...

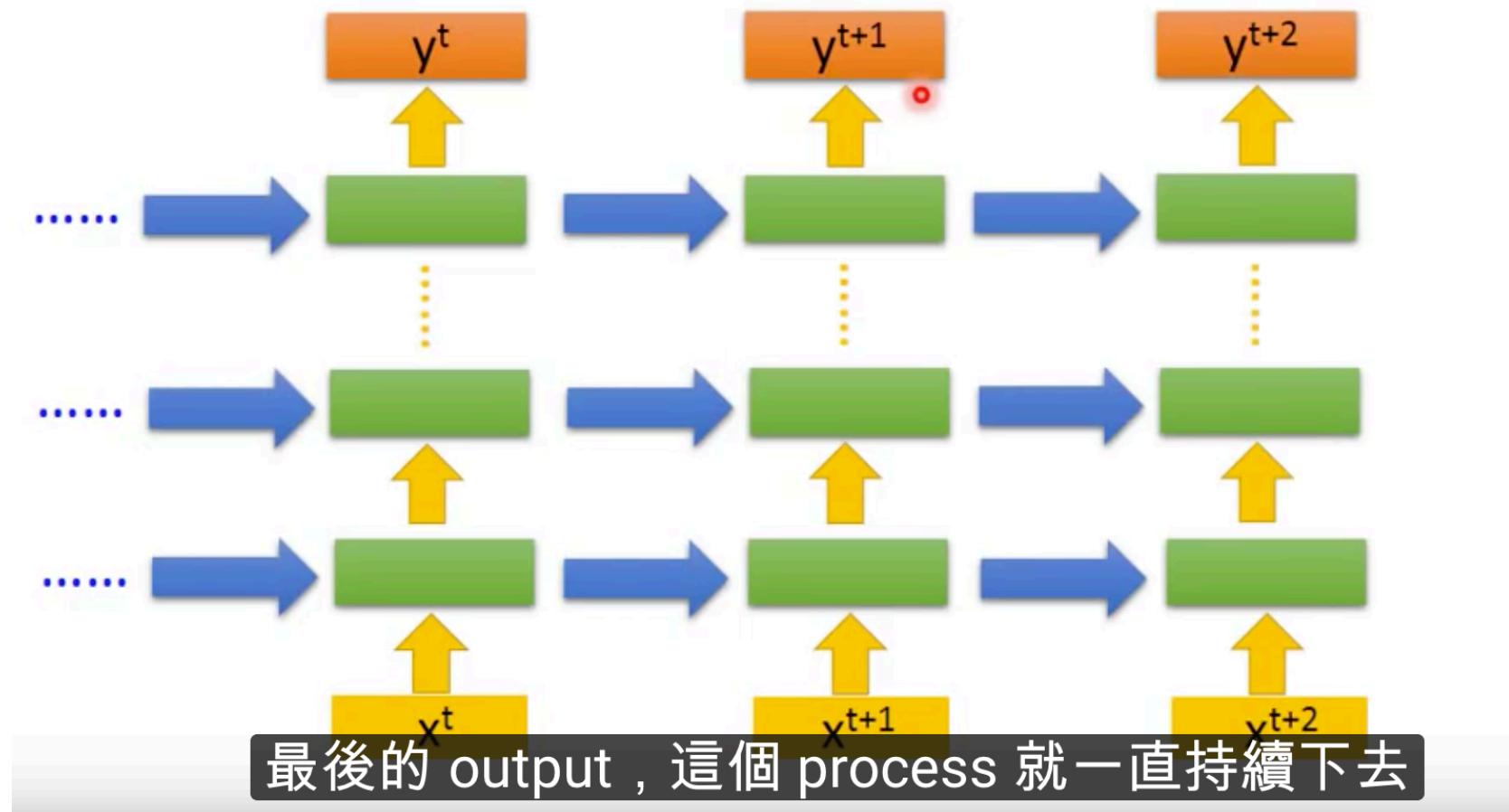


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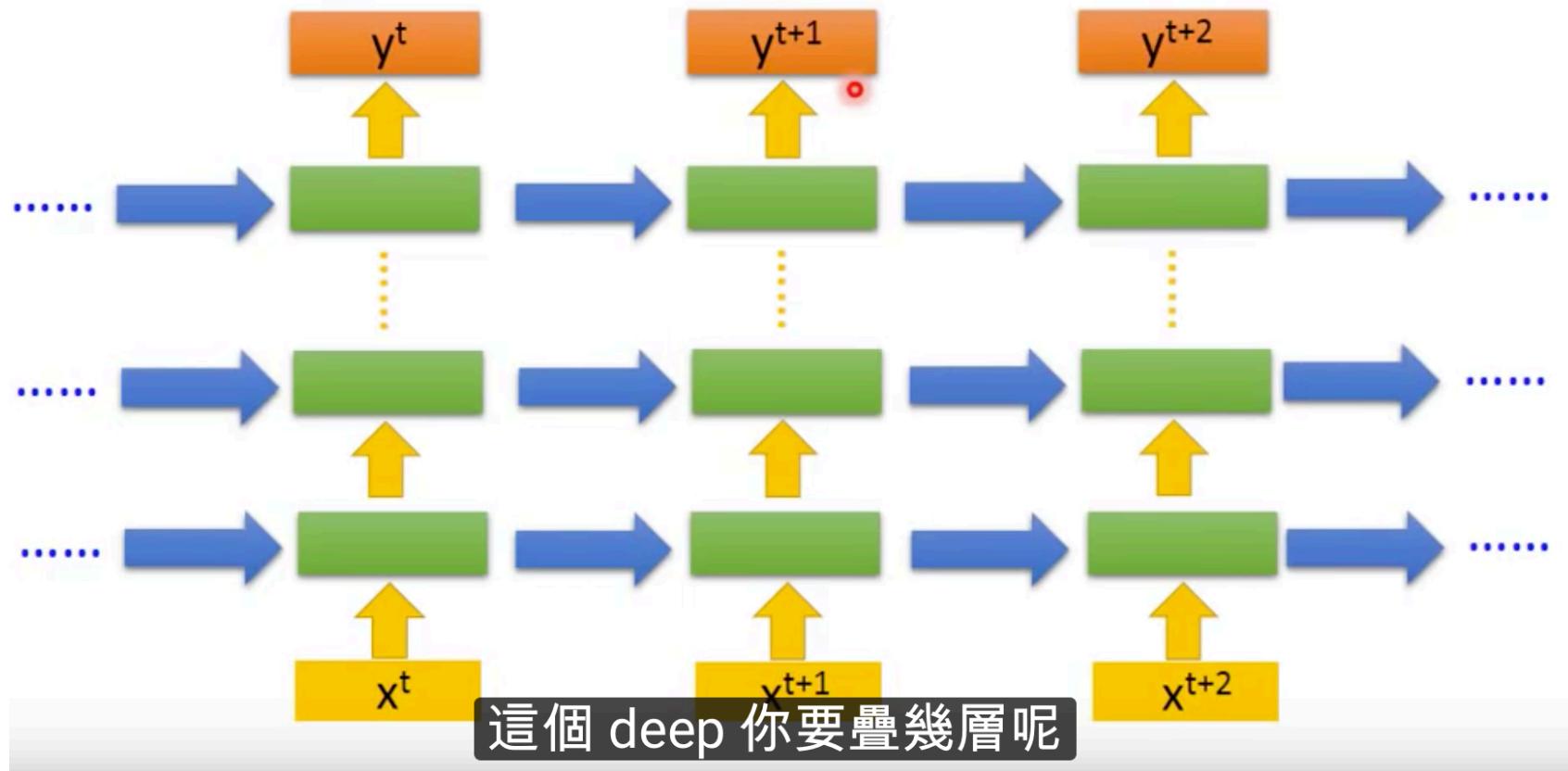


在下一個時間點的時候呢，每一個 hidden layer

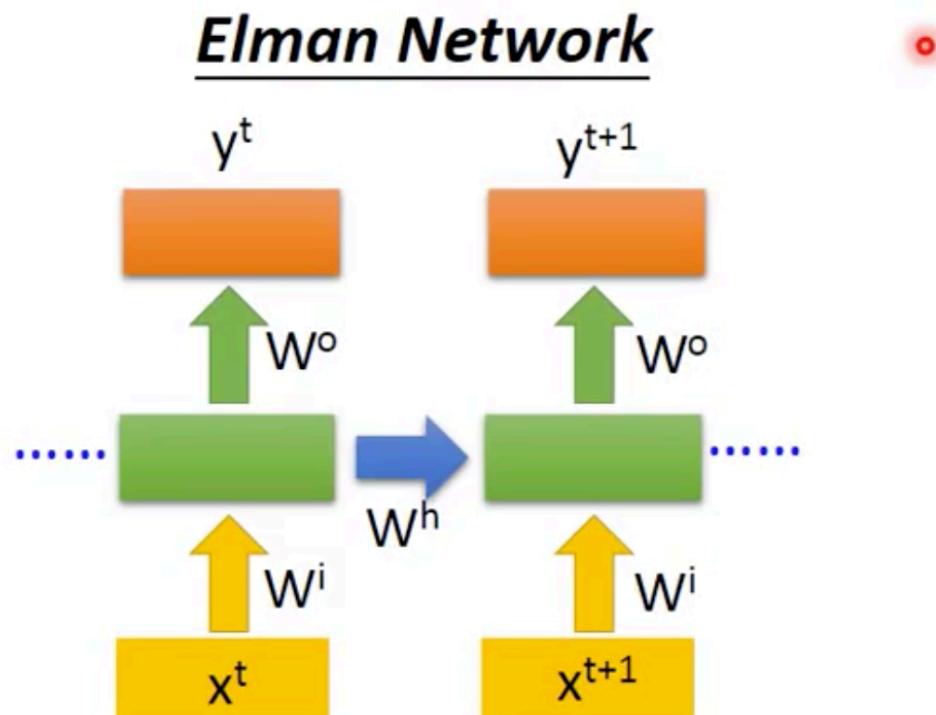
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Of course it can be deep ...

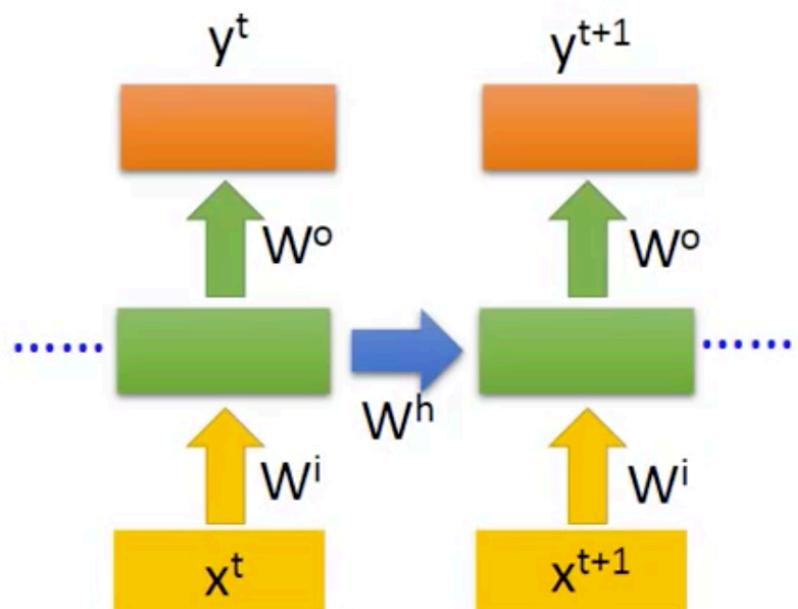


# Elman Network & Jordan Network

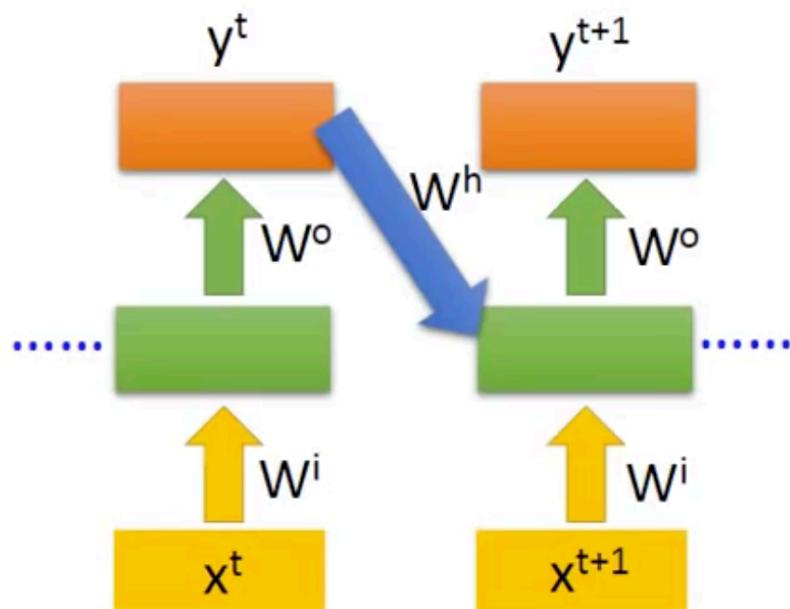


# Elman Network & Jordan Network

***Elman Network***

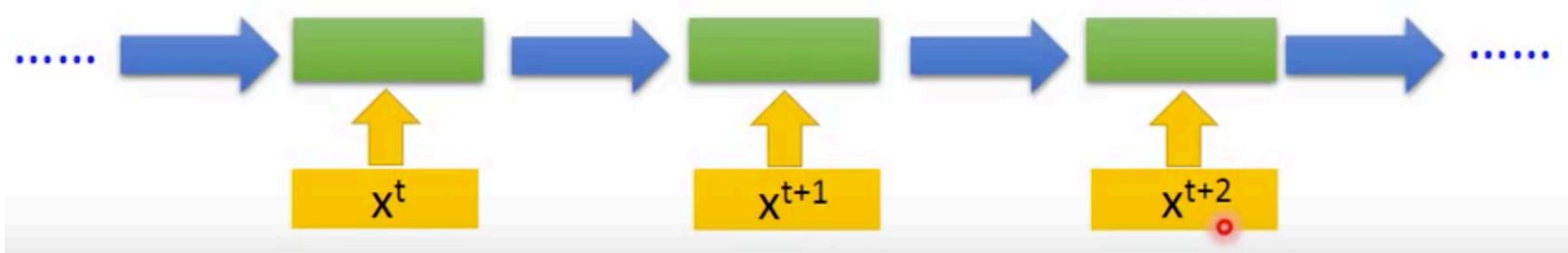


***Jordan Network***

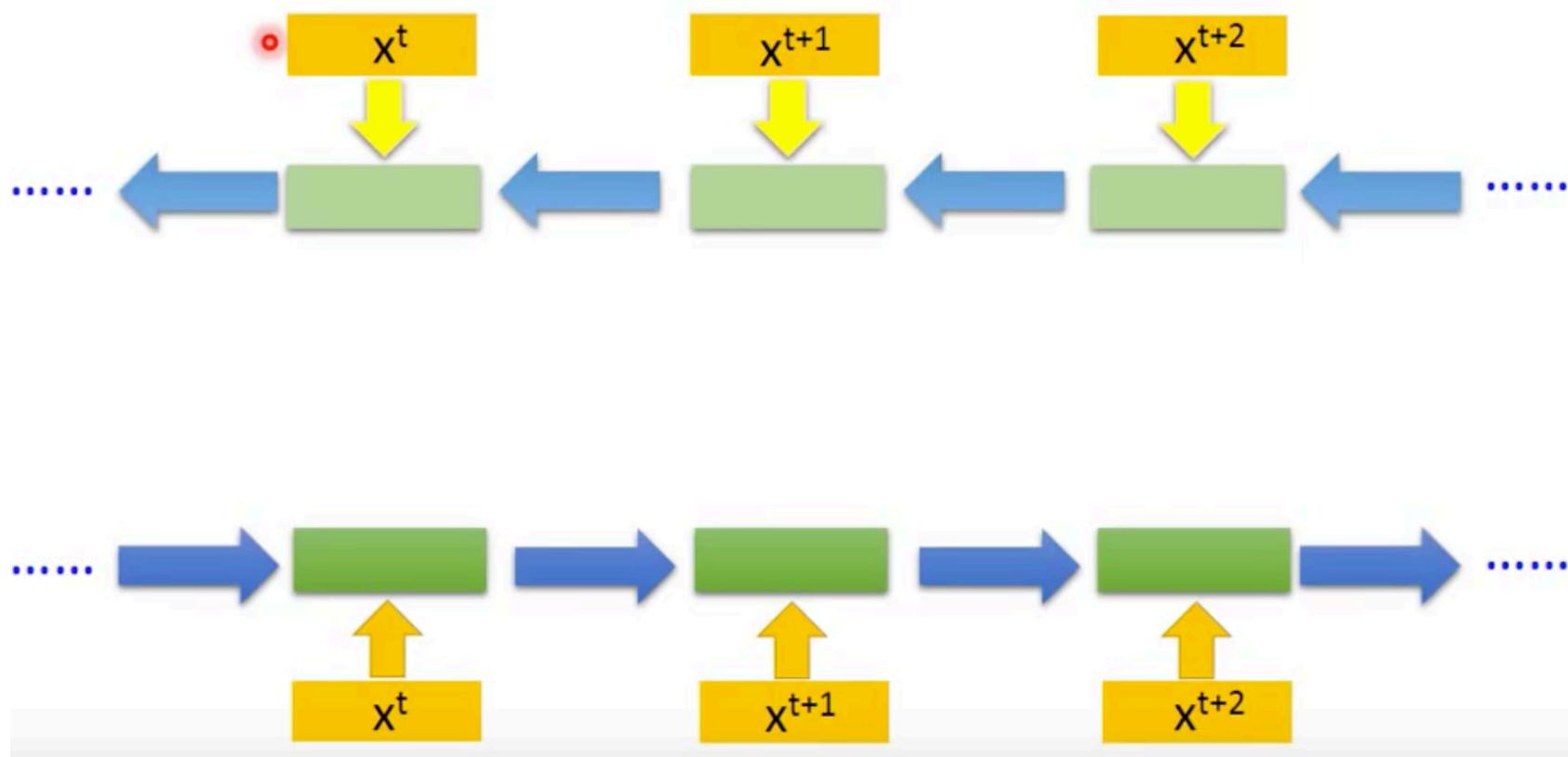


# Bidirectional RNN

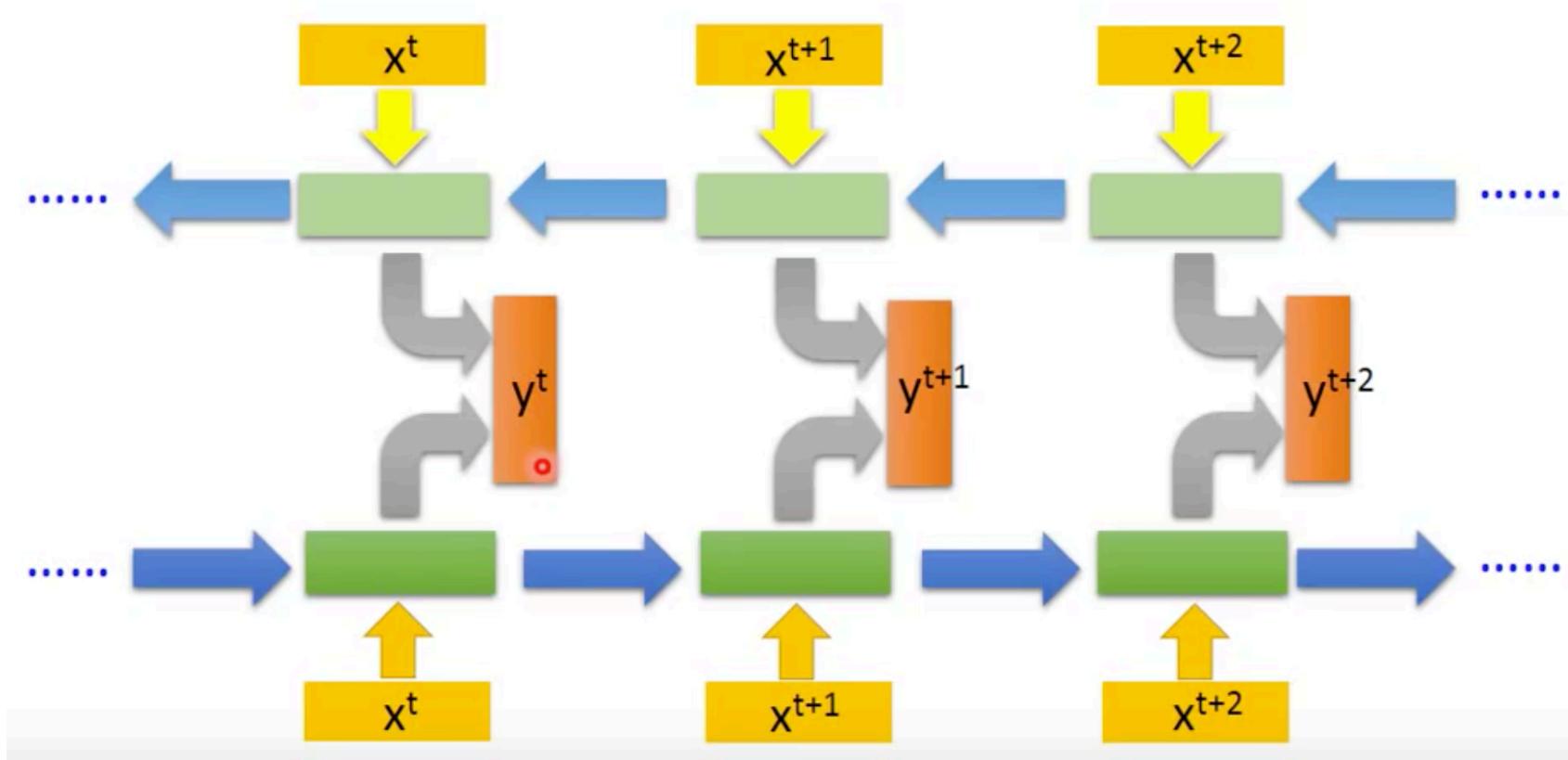
# Bidirectional RNN



# Bidirectional RNN

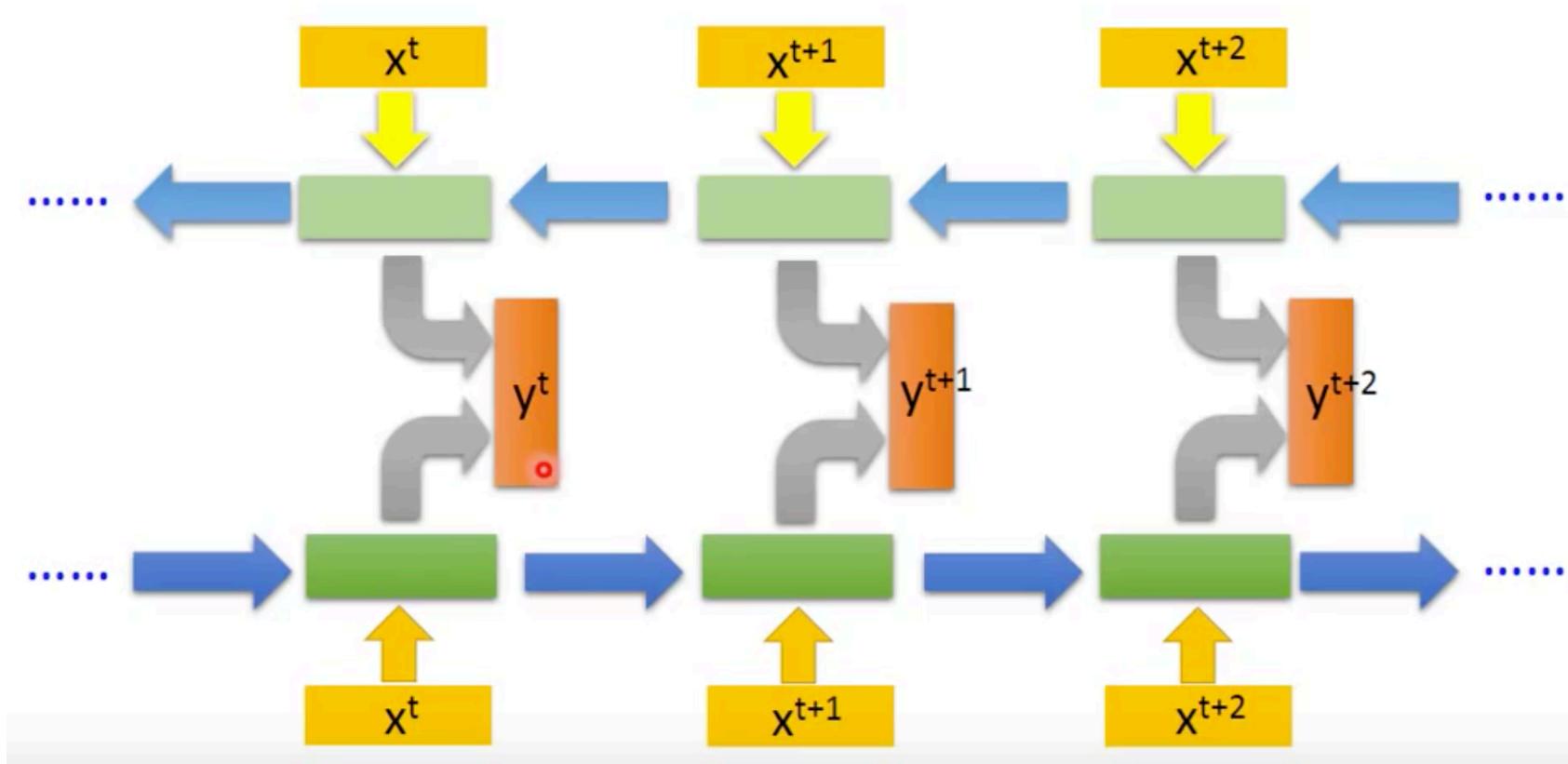


# Bidirectional RNN



# Bidirectional RNN

Benefit: every part of output considers the whole input sequence



The above is actually just a simple version of RNN (called SimpleRNN).

Issues with the SimpleRNN: training is difficult, due to issues including “exploding gradient” or “vanishing gradient” in the gradient descent method.

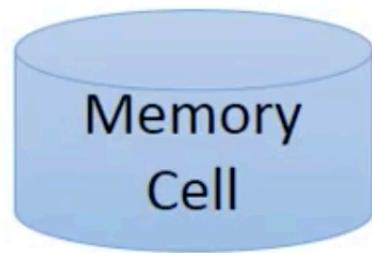
More advanced types of RNN:

LSTM, and GRU (a simpler version than LSTM).

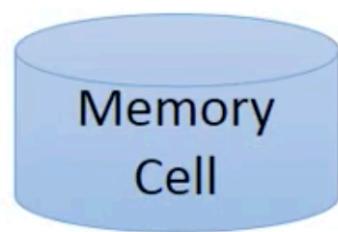
When people use RNN, they mostly use LSTM or GRU.

Keras let you create SimpleRNN, LSTM or GRU using just one line of code.

# Long Short-term Memory (LSTM)



# Long Short-term Memory (LSTM)



這個 Long Short-term 的 memory 呢

它有 3 個 gate



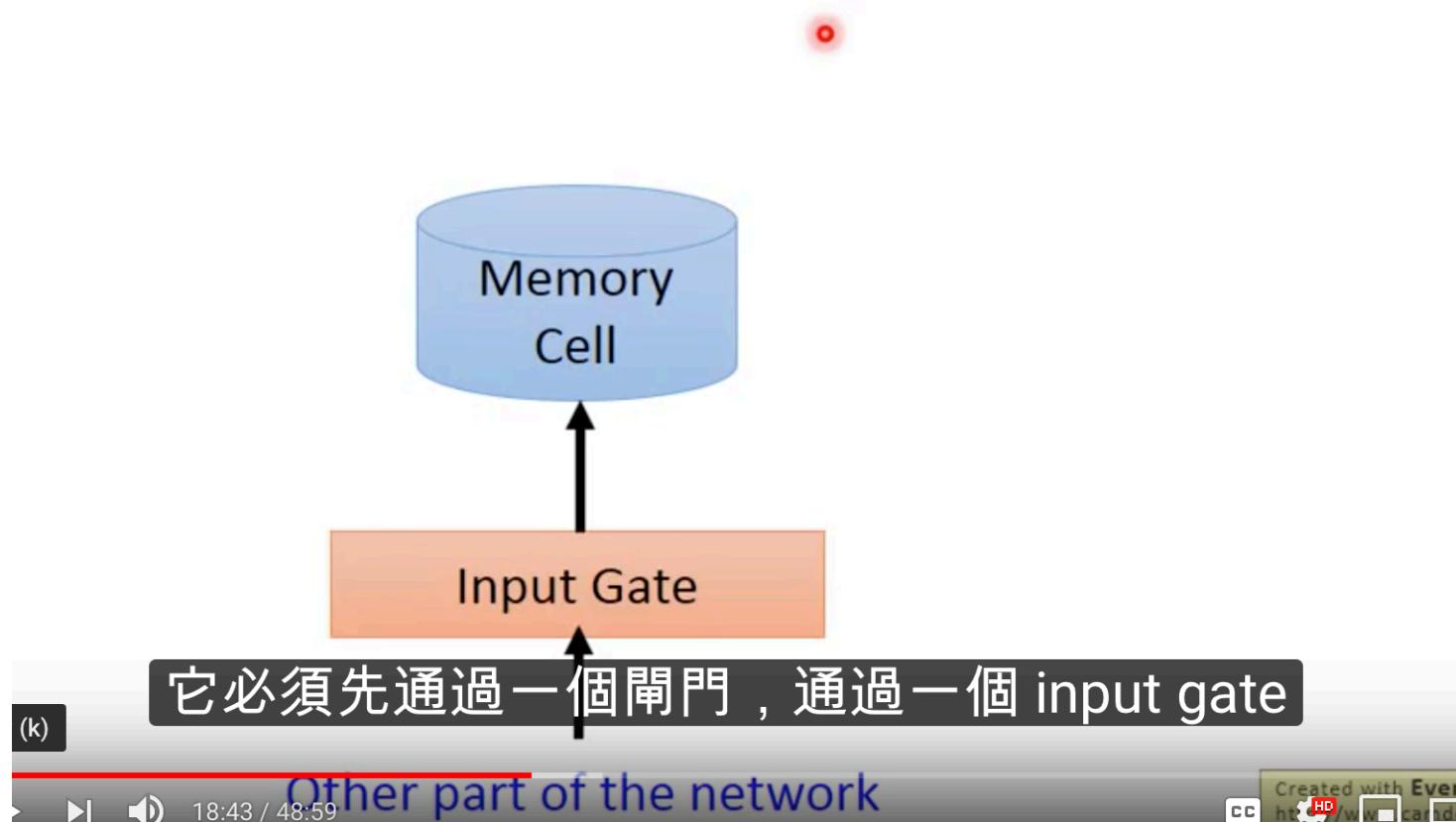
18:31 / 48:59

Other part of the network

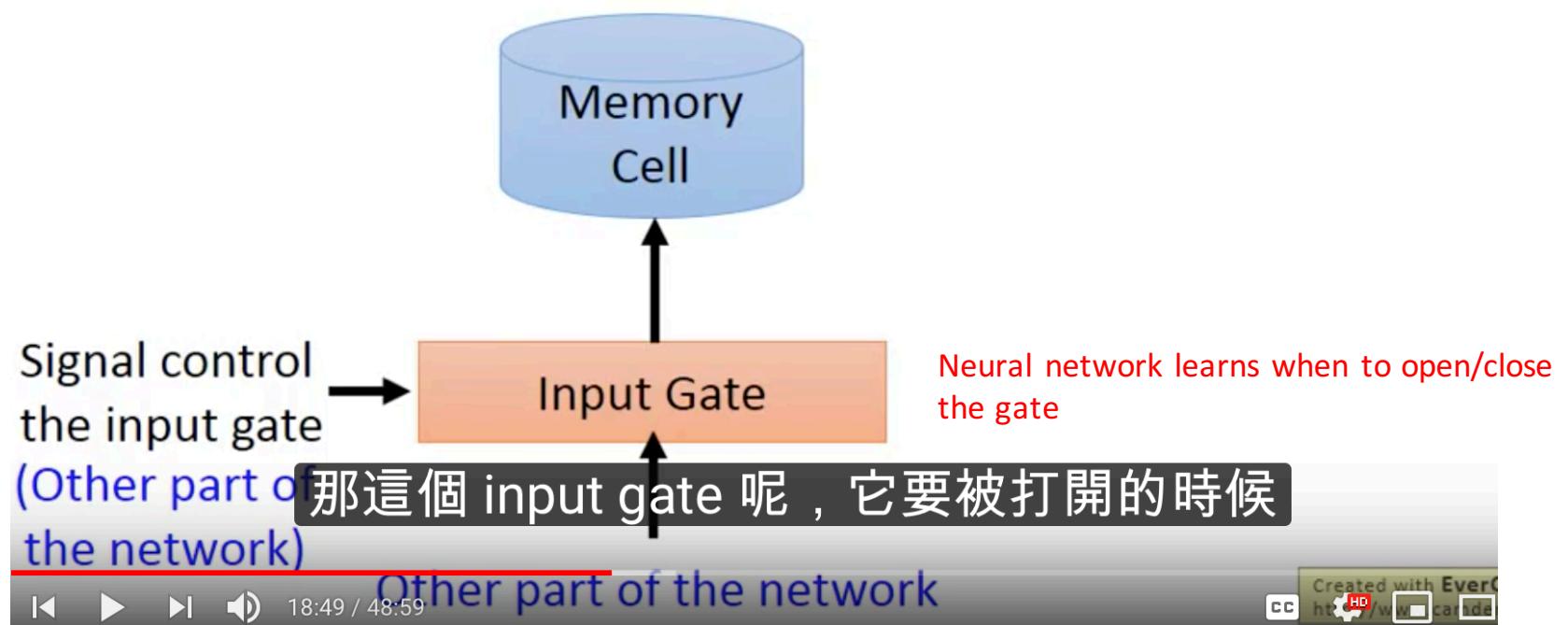


Created with EverC  
<http://www.evernote.com>

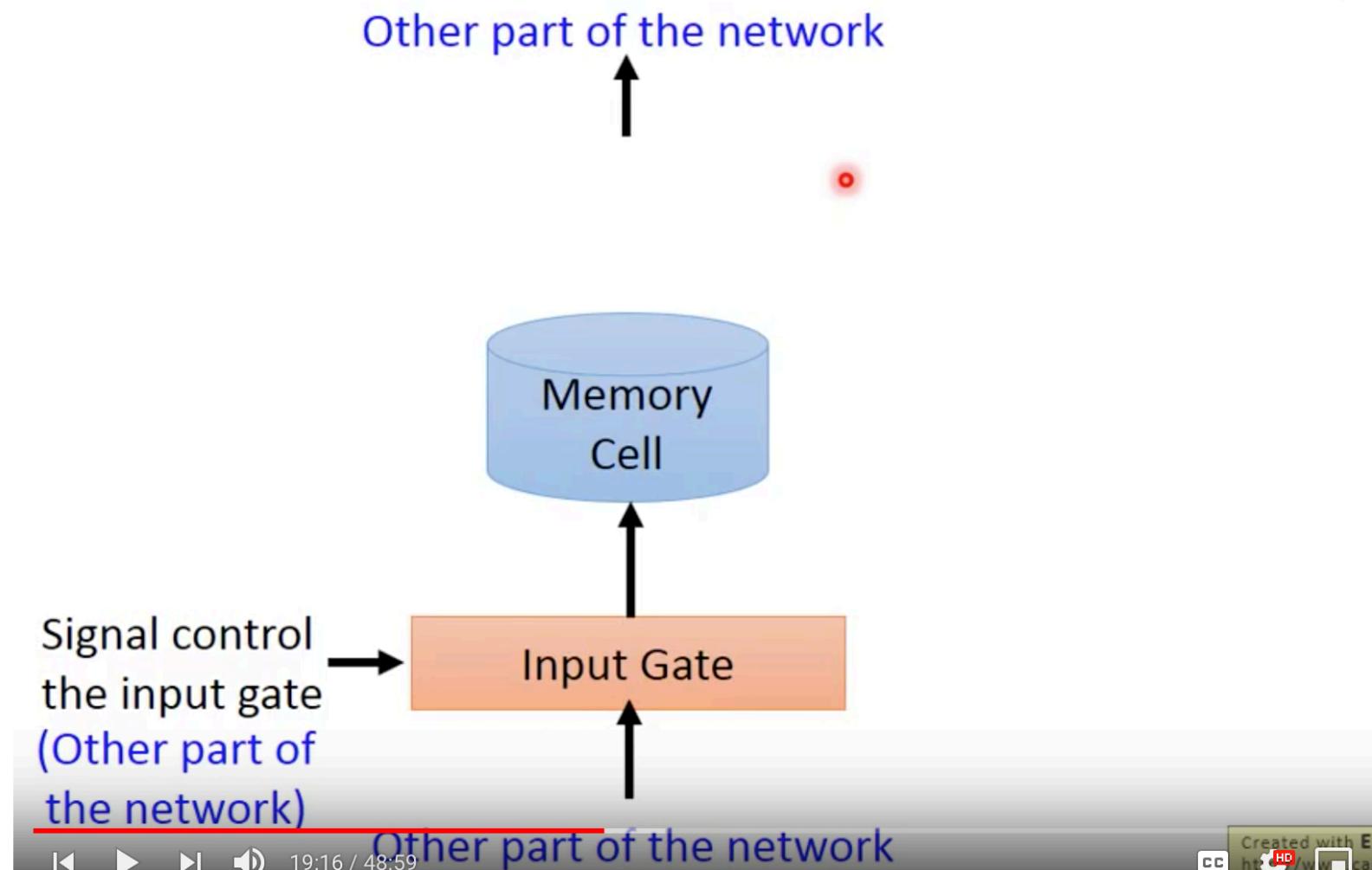
# Long Short-term Memory (LSTM)



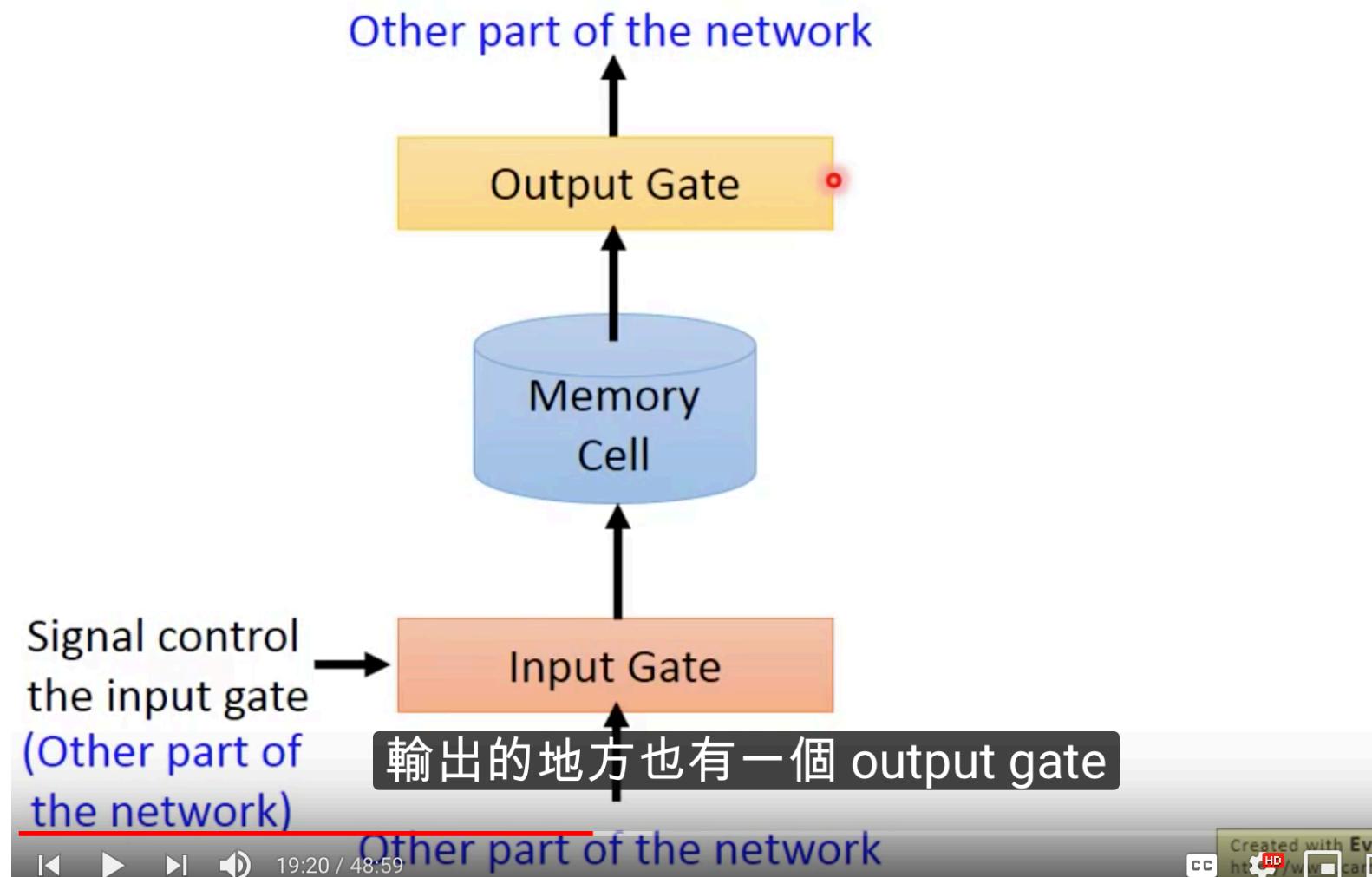
# Long Short-term Memory (LSTM)



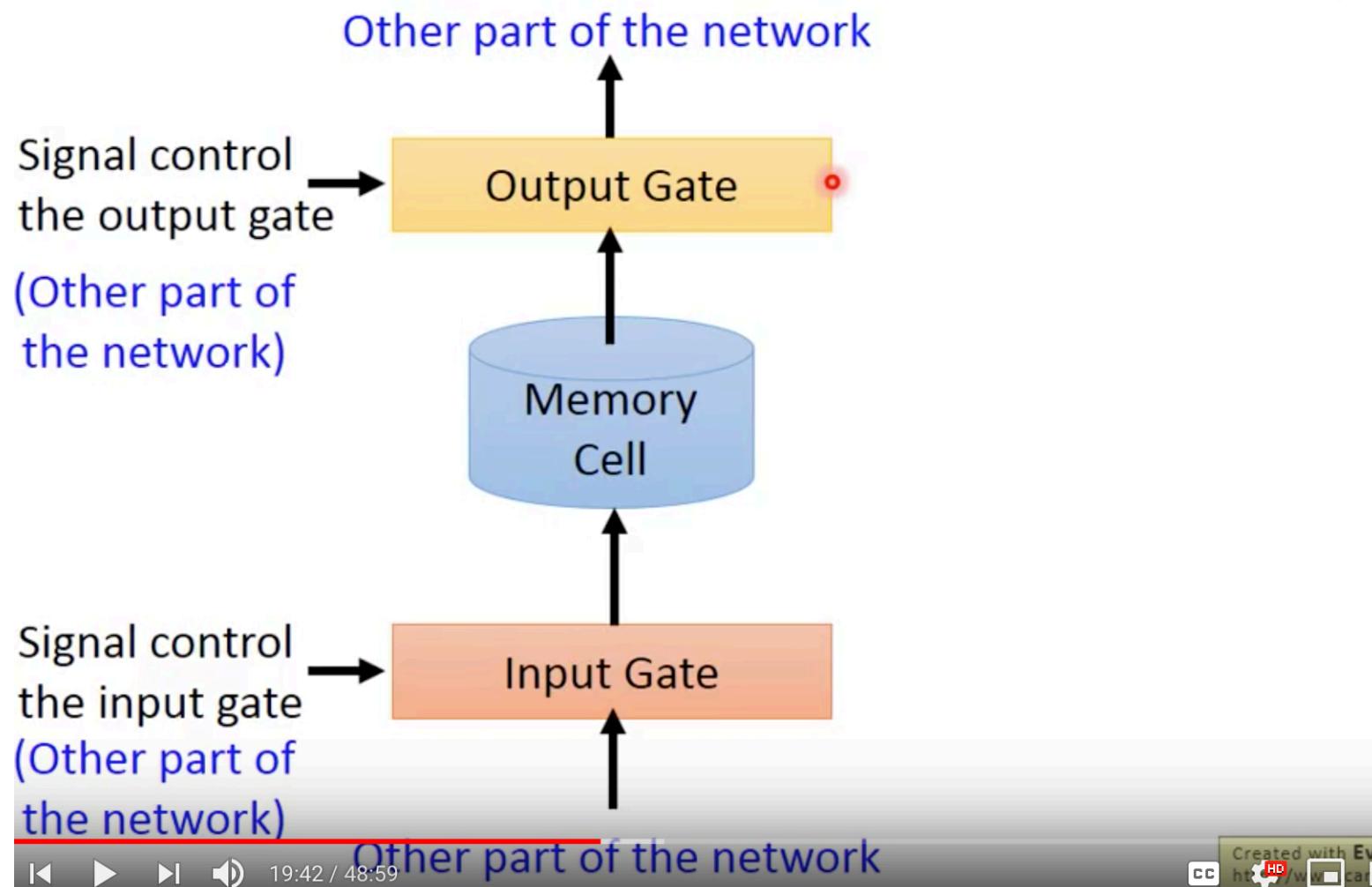
# Long Short-term Memory (LSTM)



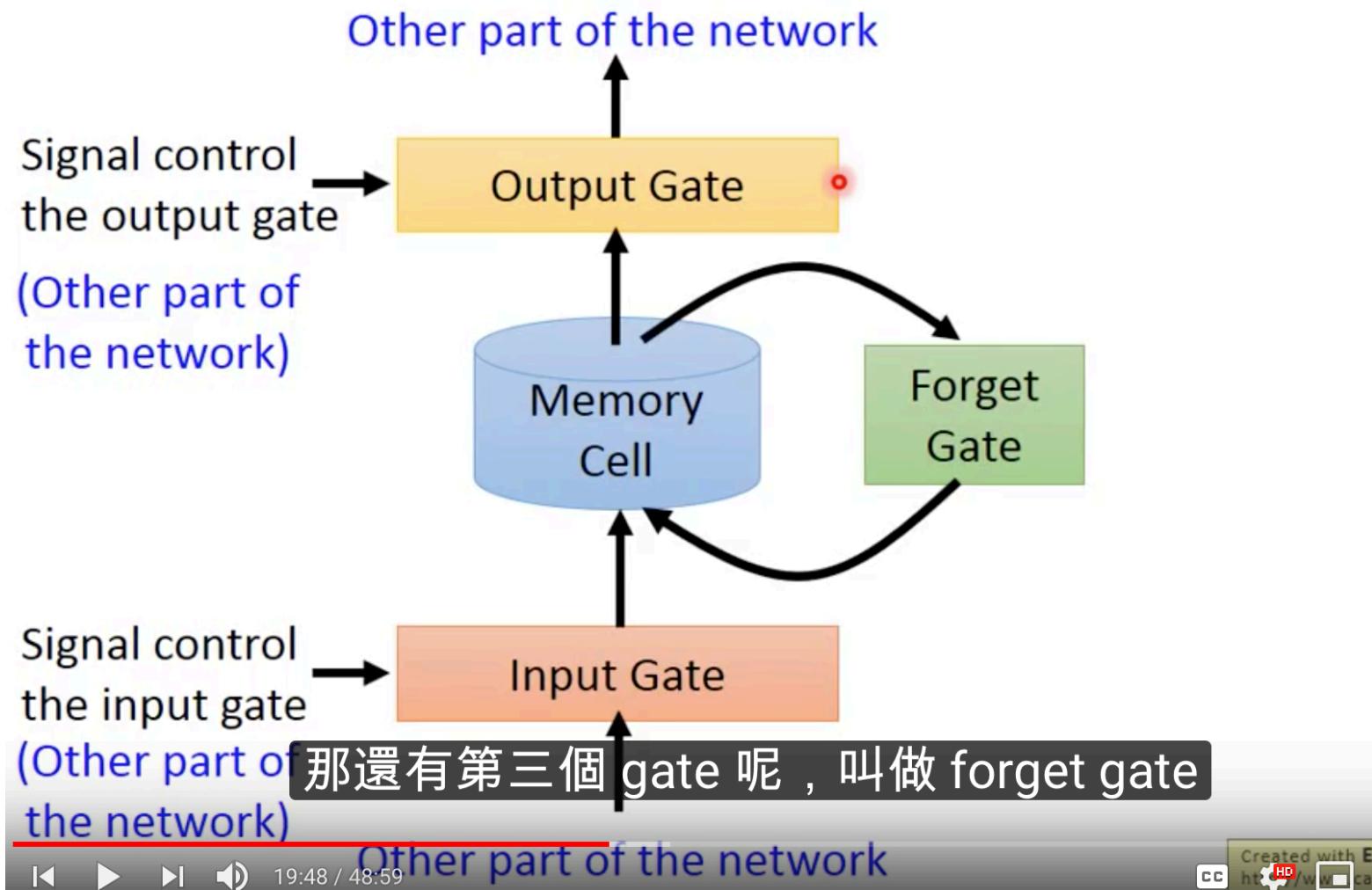
# Long Short-term Memory (LSTM)



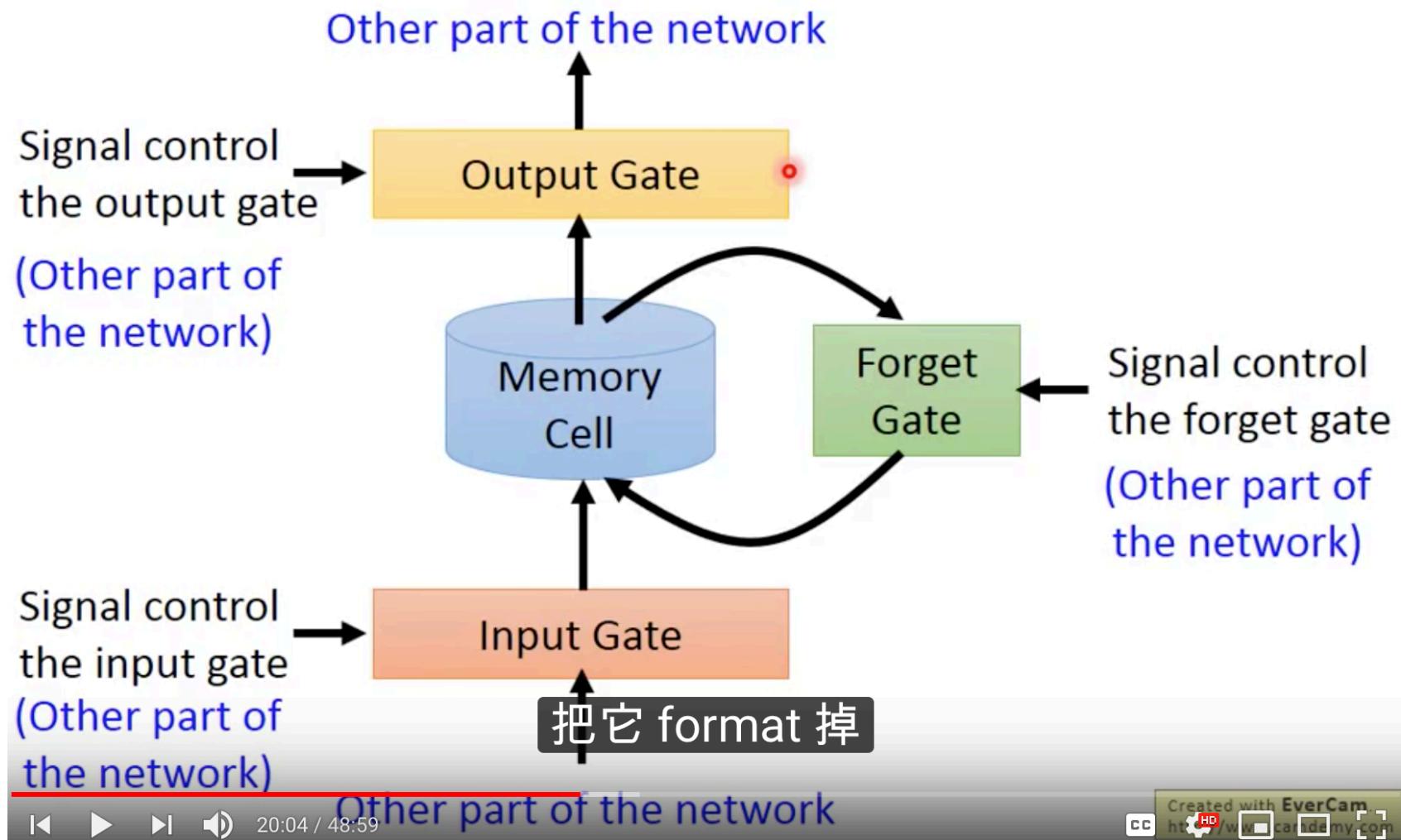
# Long Short-term Memory (LSTM)



# Long Short-term Memory (LSTM)



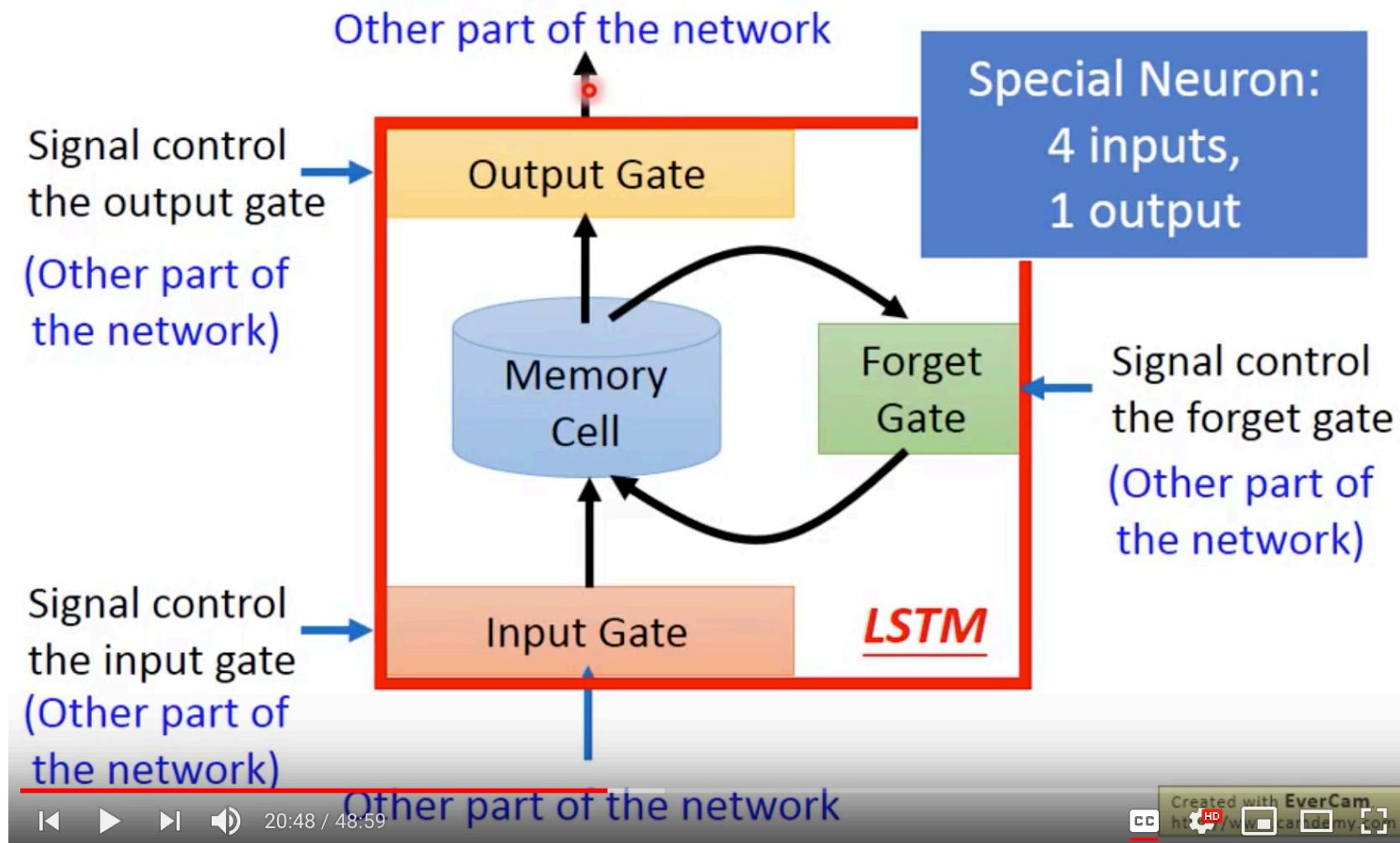
# Long Short-term Memory (LSTM)



20:04 / 48:59

Created with EverCam  
http://www.camidemy.com

# Long Short-term Memory (LSTM)



20:48 / 48:59



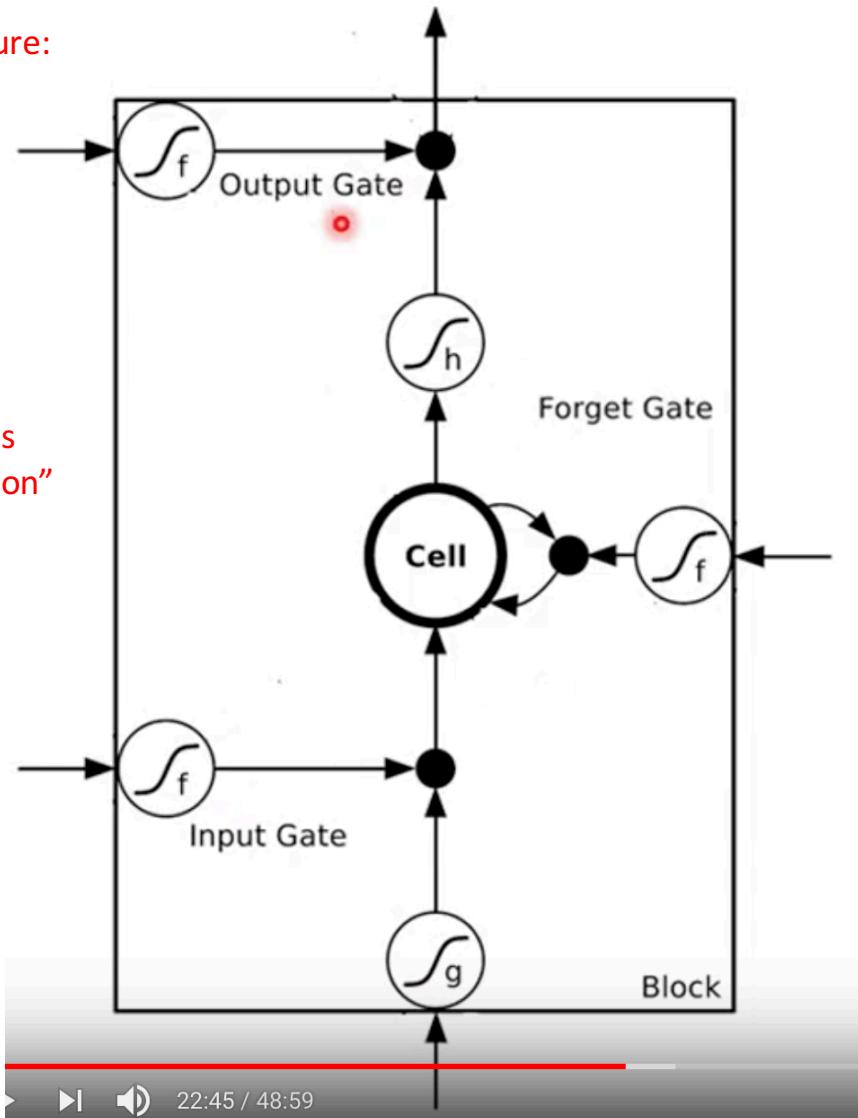
Created with EverCam

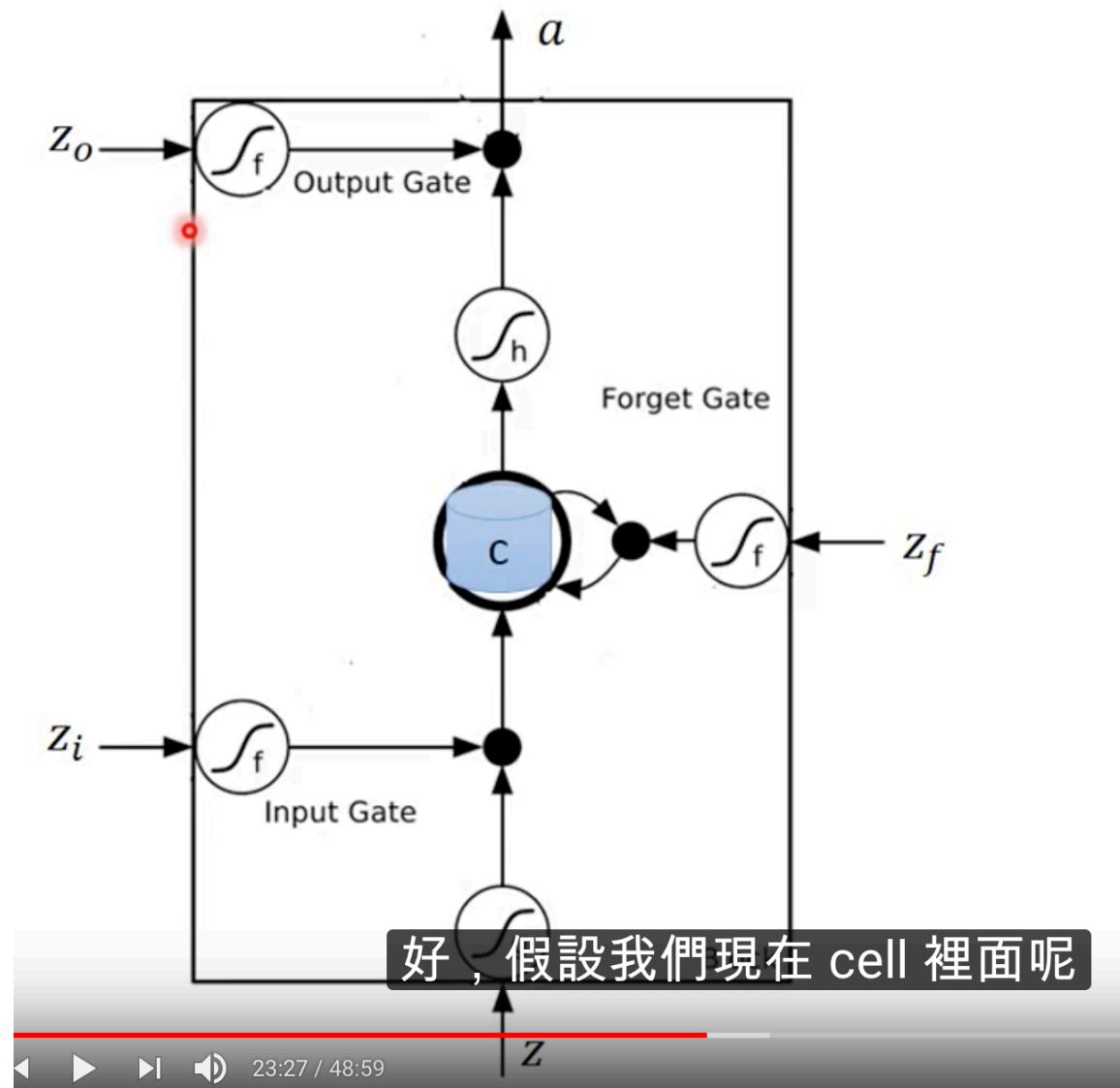
<http://www.camdemmy.com>

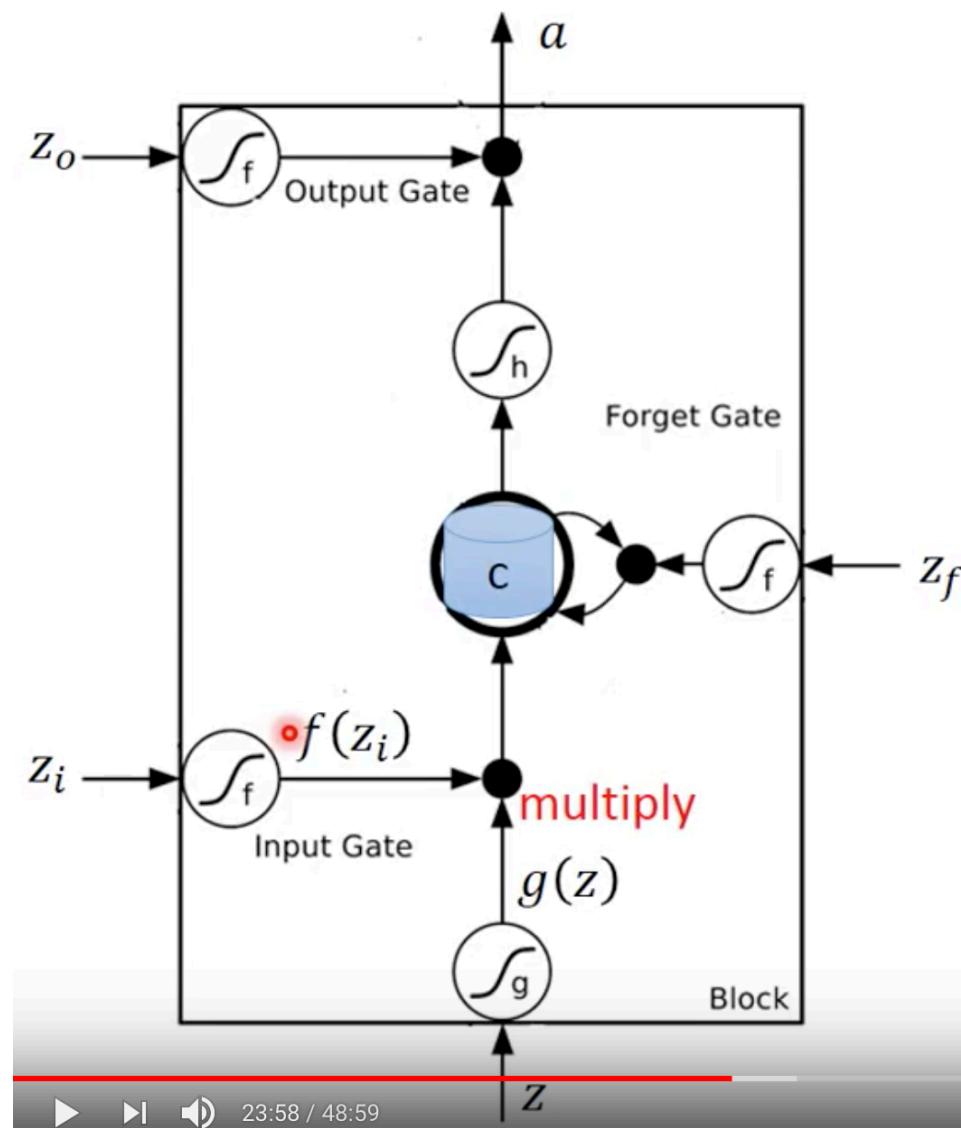
A more detailed look at its structure:

Every input and output here  
is a real number.

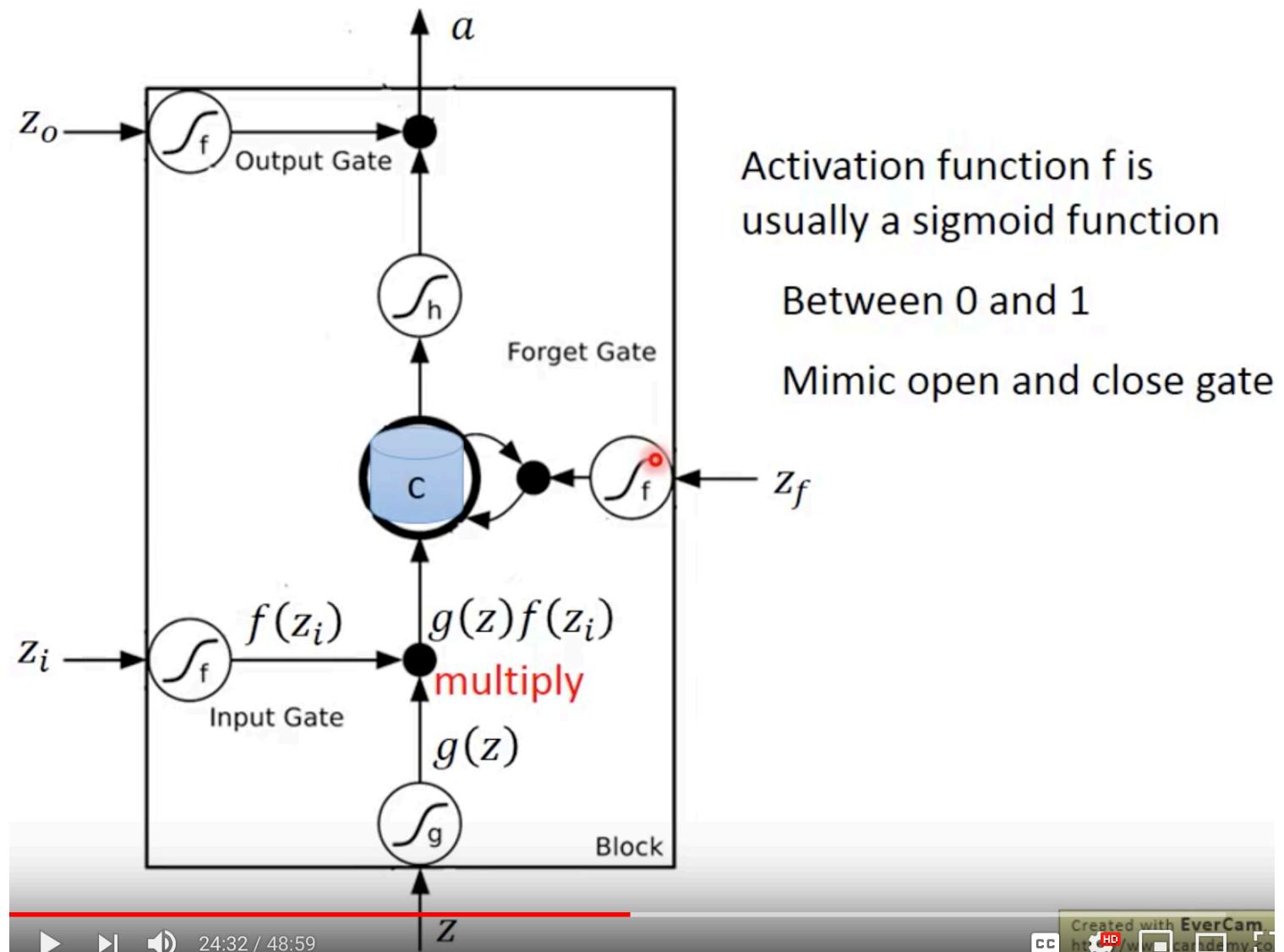
The whole thing can be seen as  
replacing the “activation function”  
of an ordinary neuron.

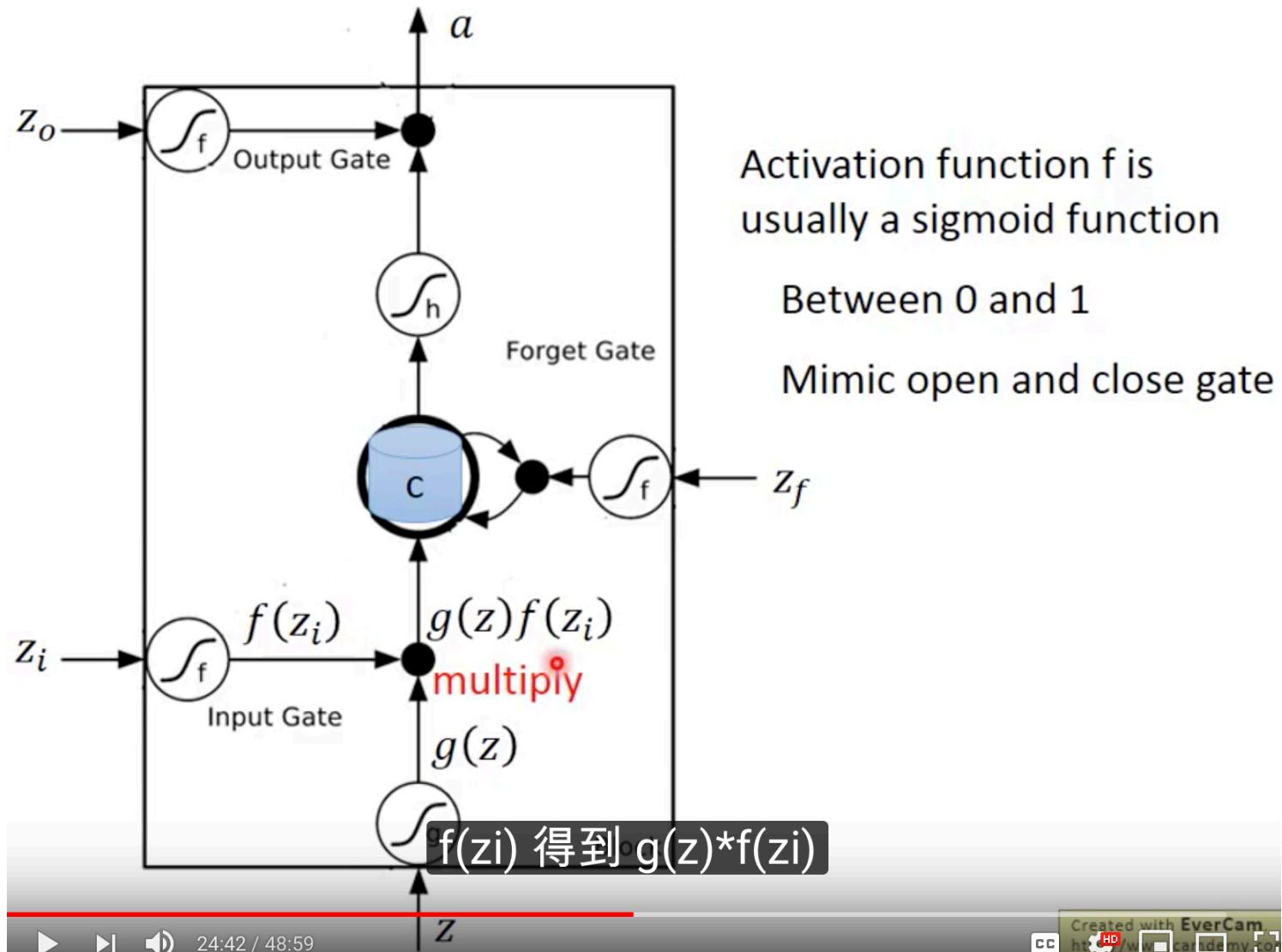


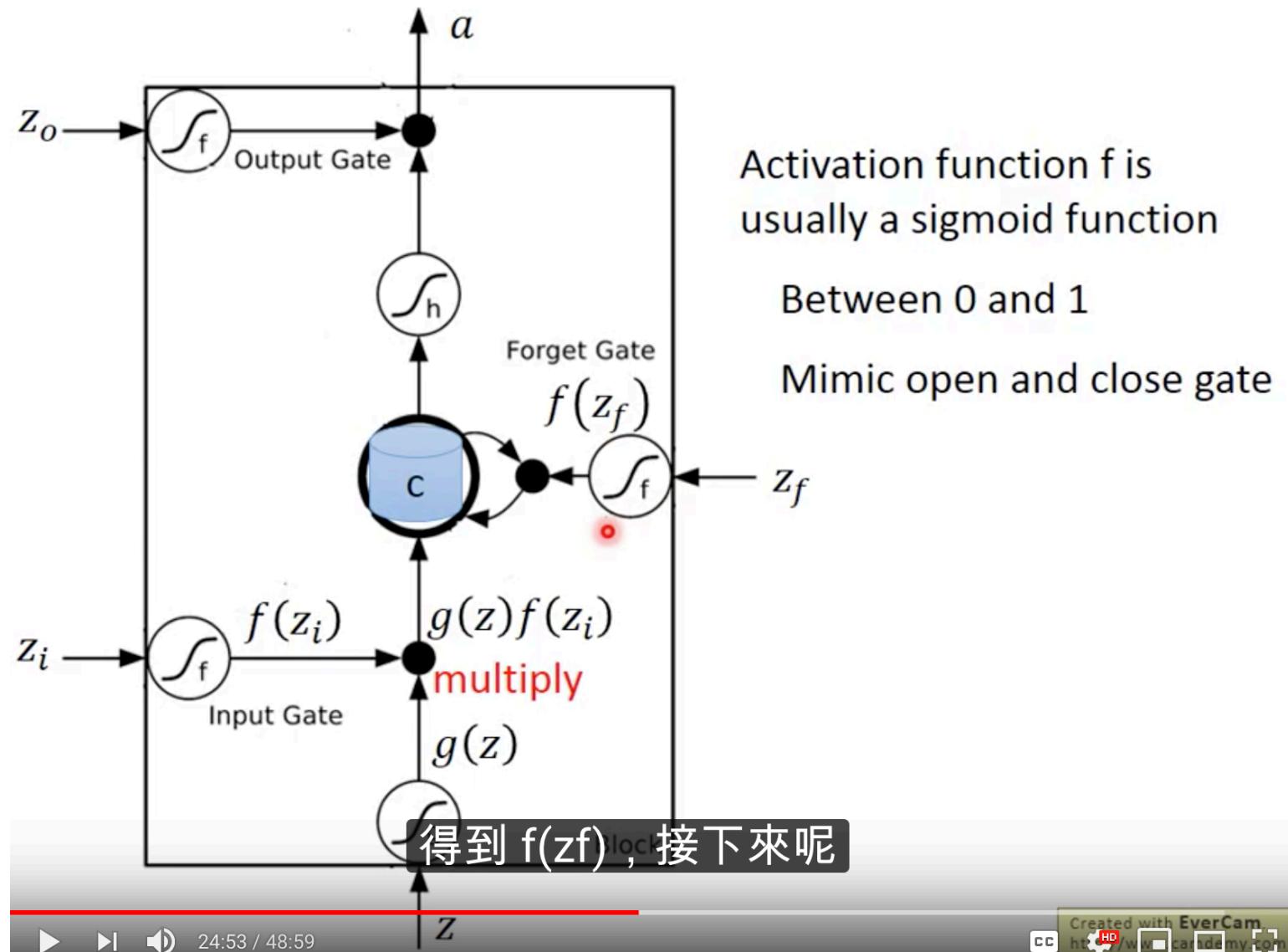


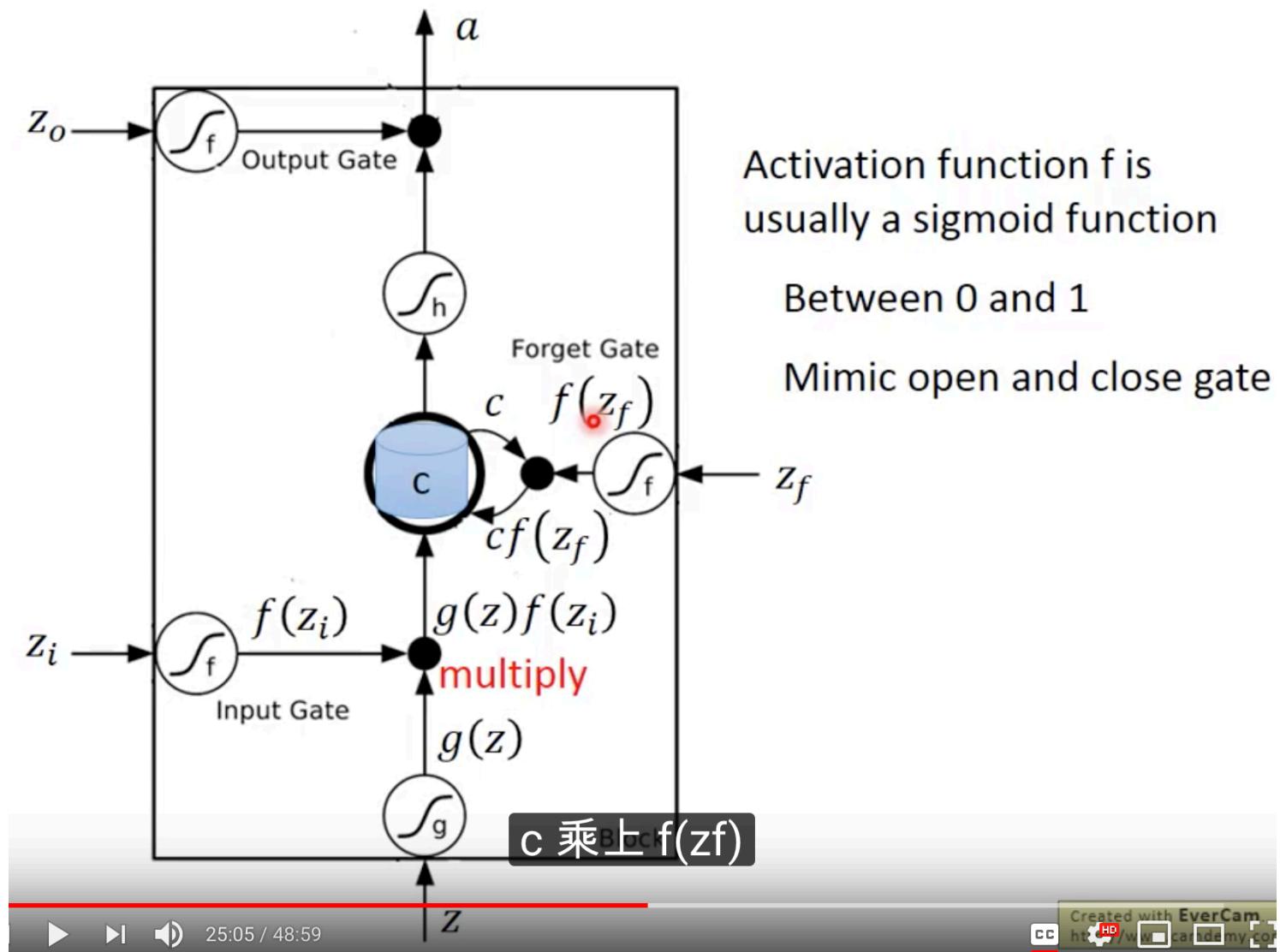


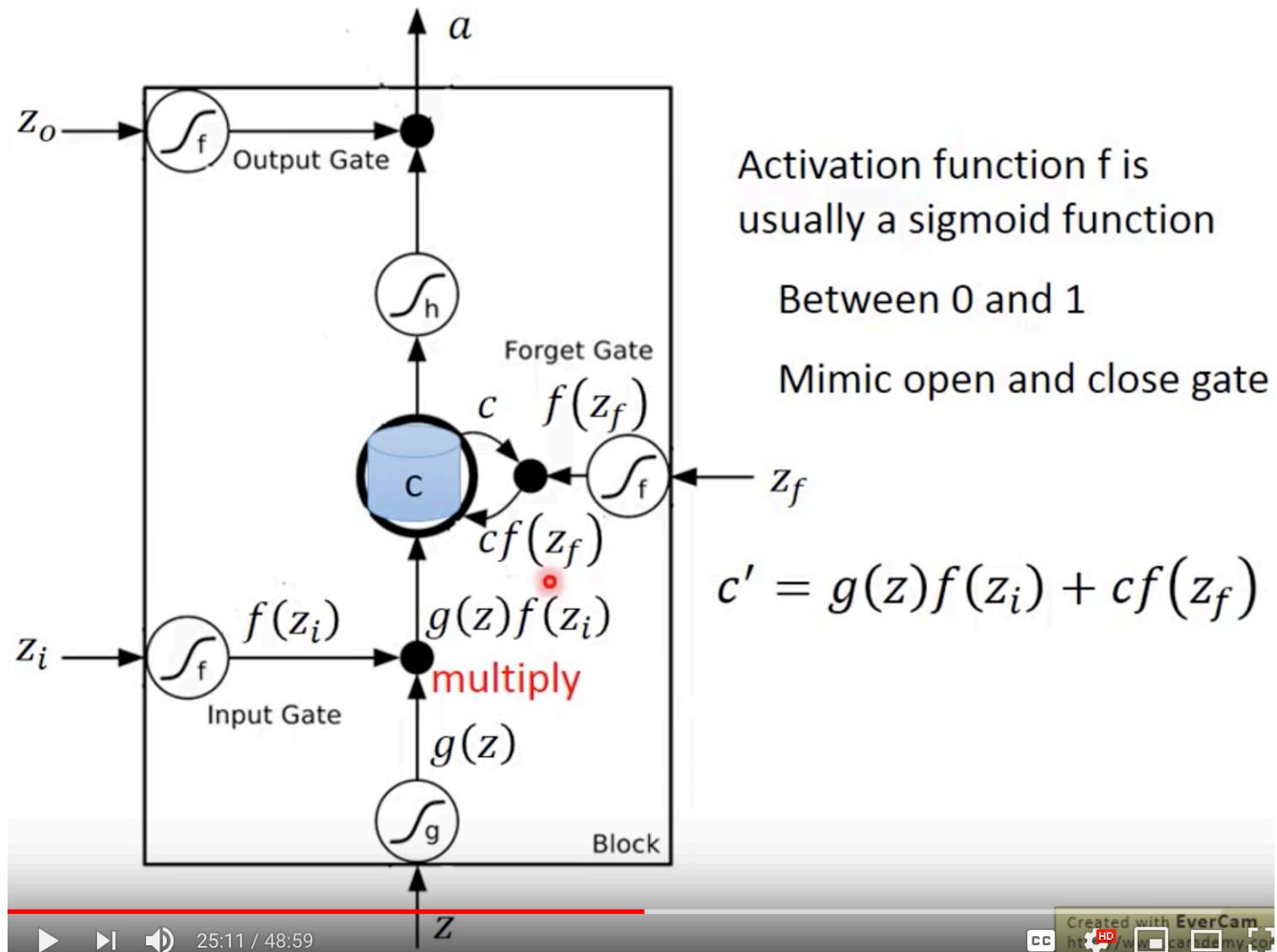
23:58 / 48:59









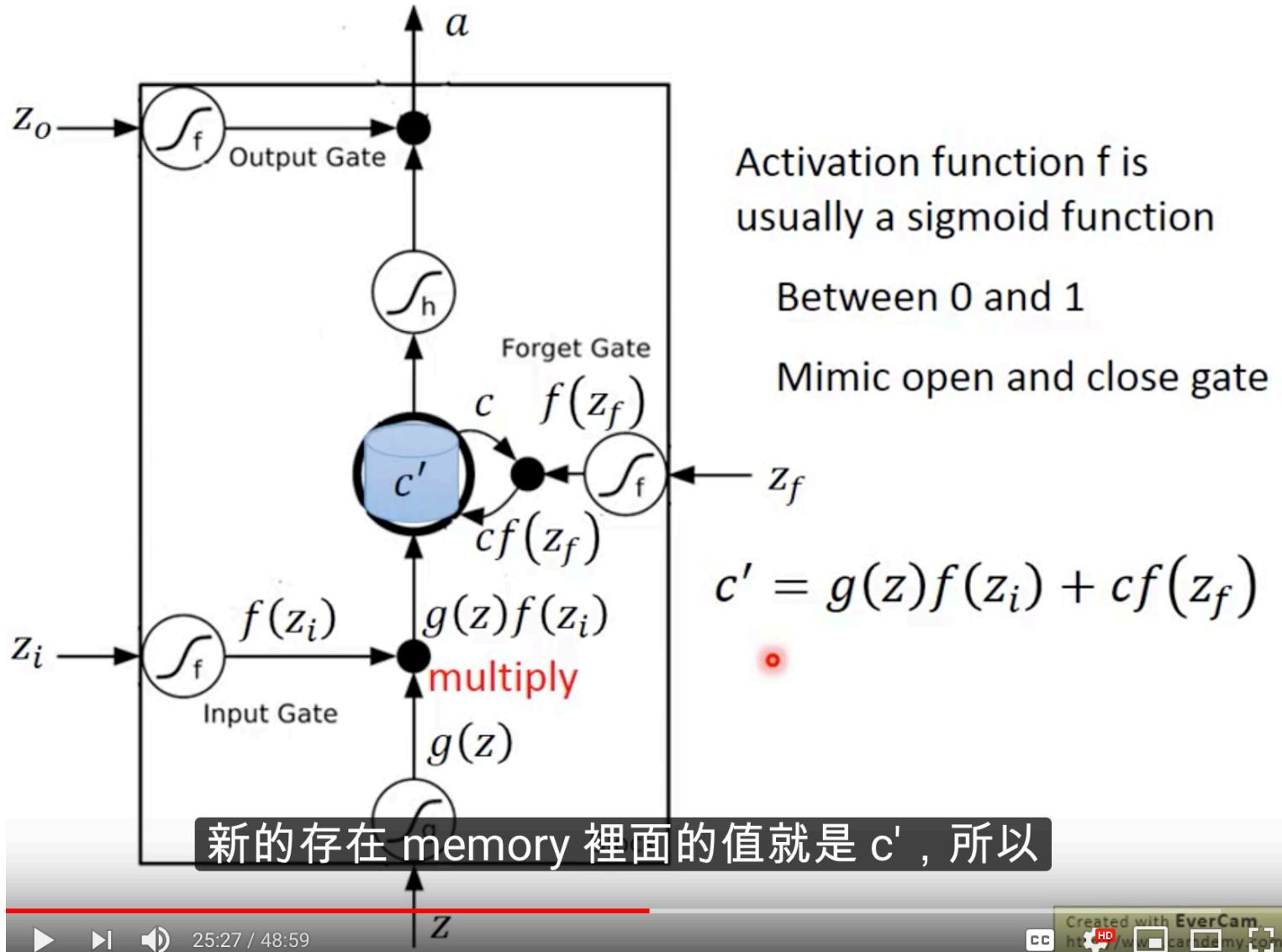


25:11 / 48:59

Z



Created with EverCam  
http://www.caaidemy.net

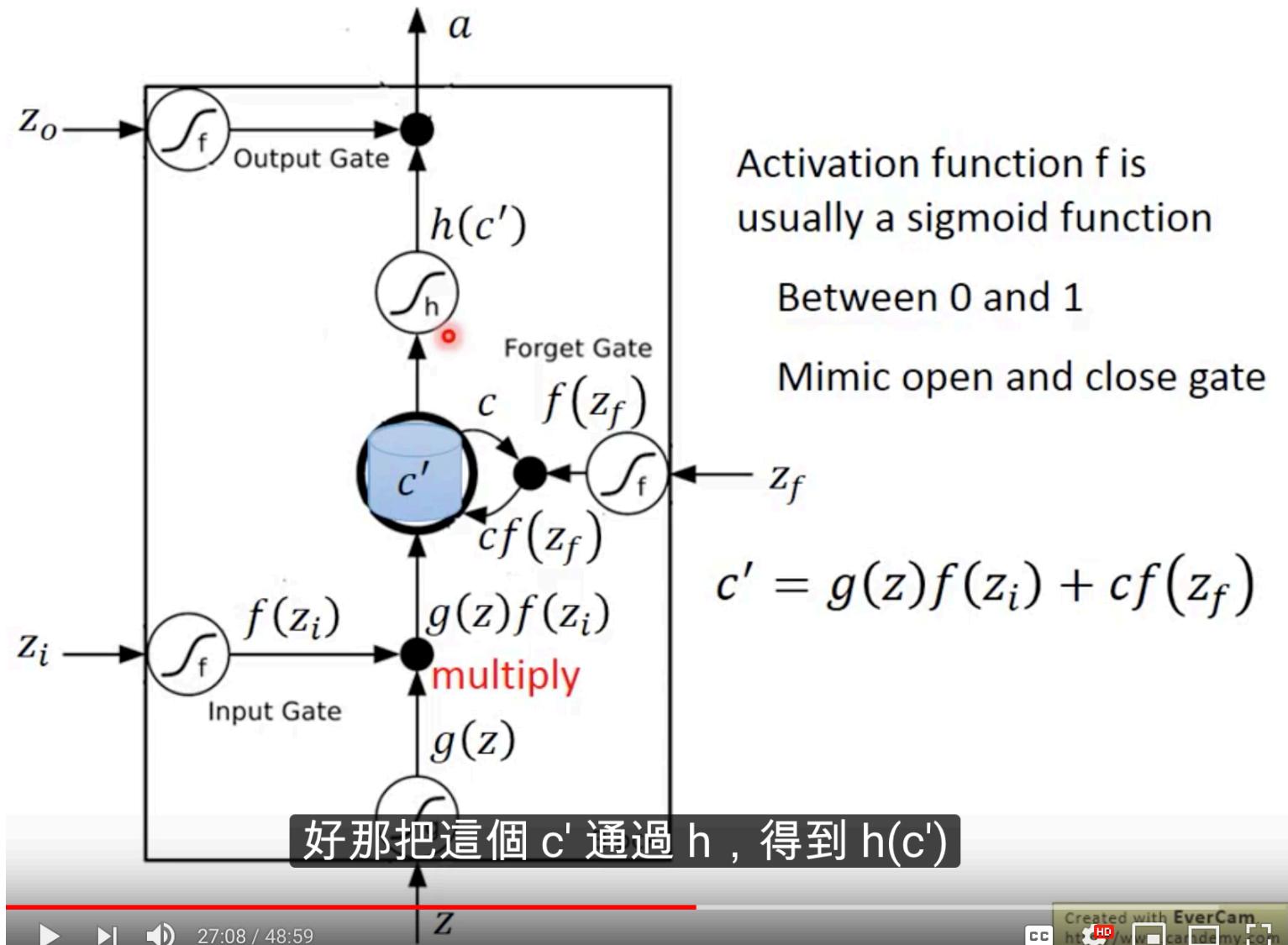


25:27 / 48:59

$Z$



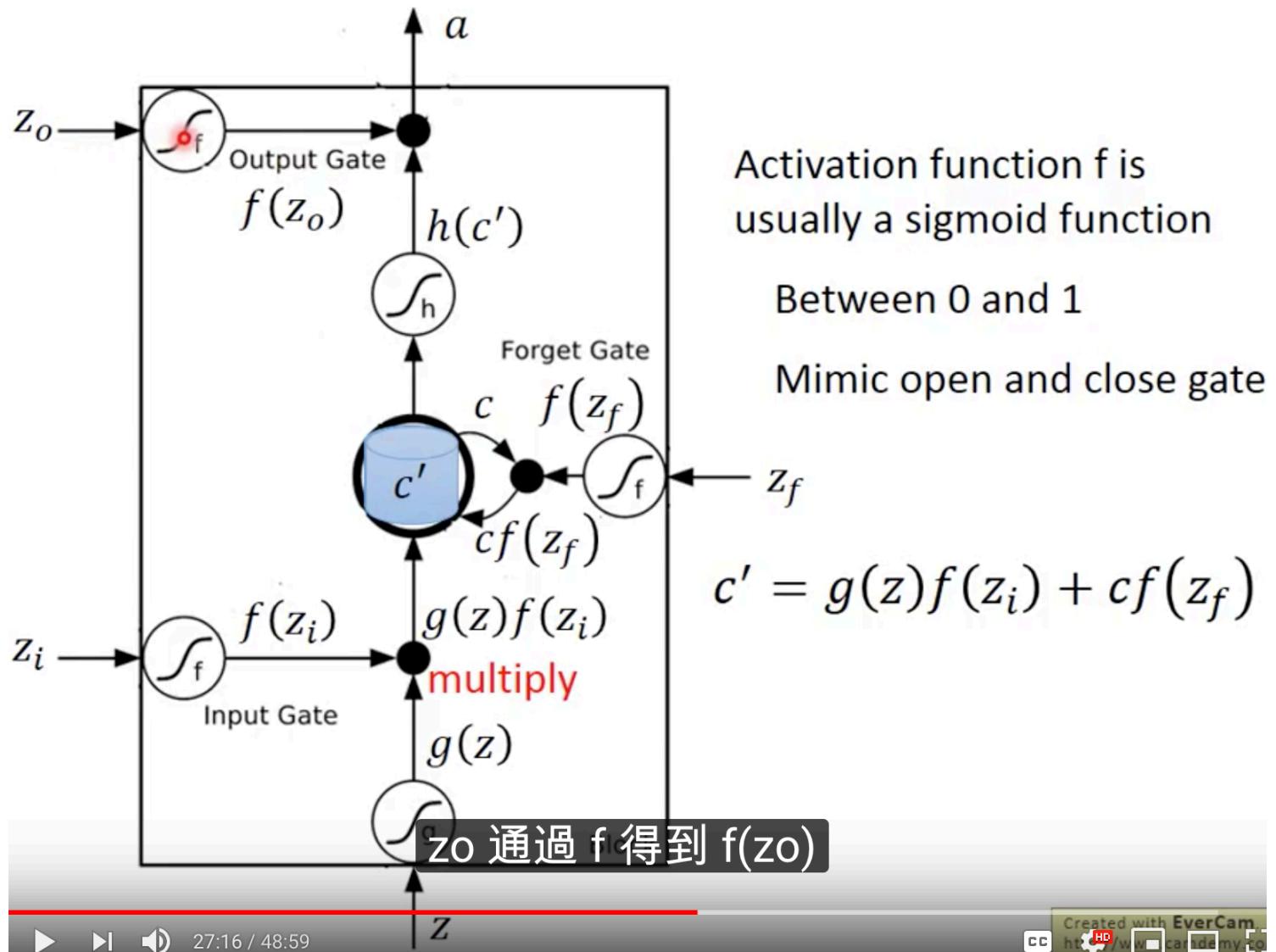
Created with EverCam  
http://www.camcard.my.com

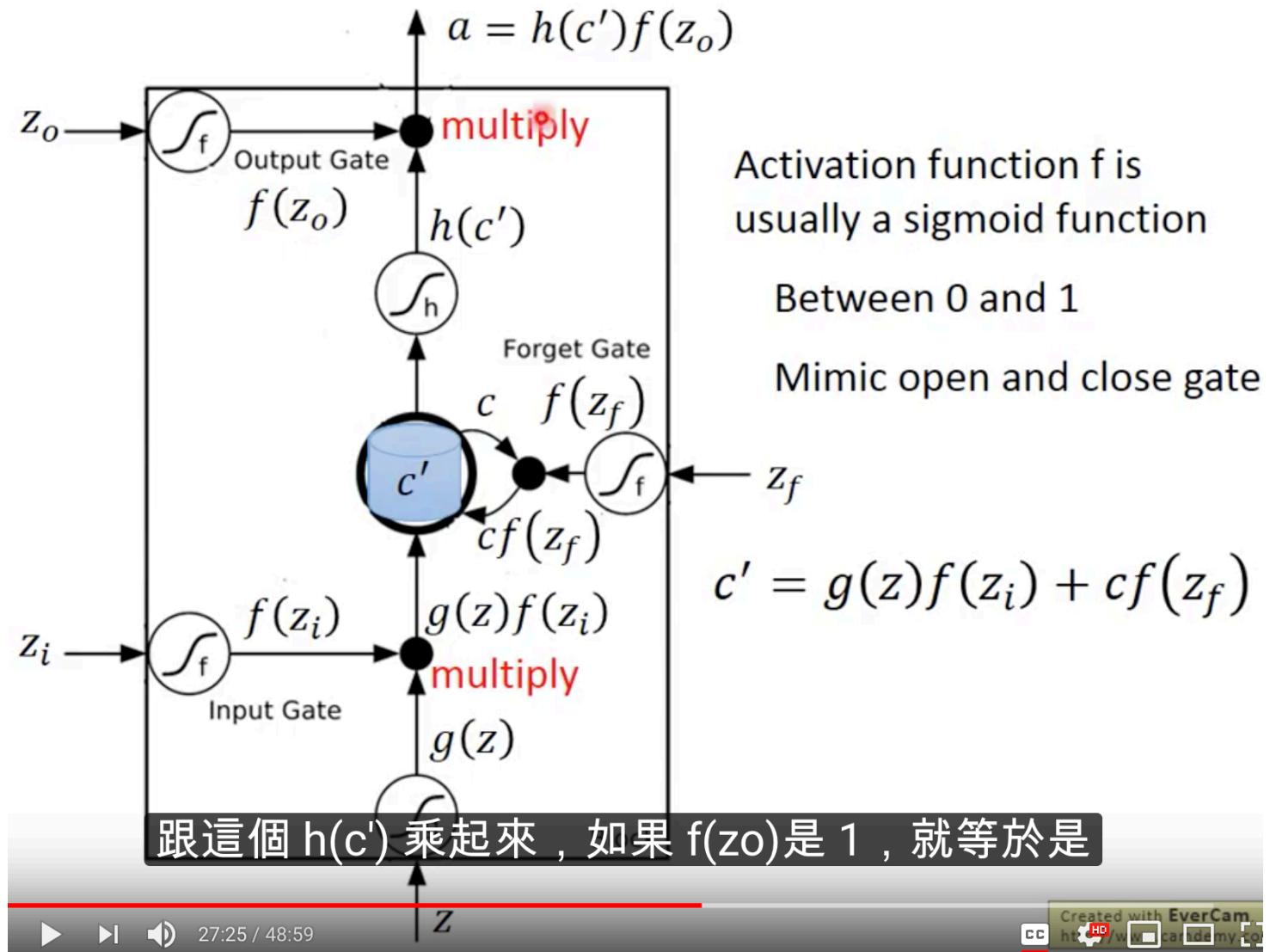


27:08 / 48:59



Created with EverCam  
http://www.evercam.my.com



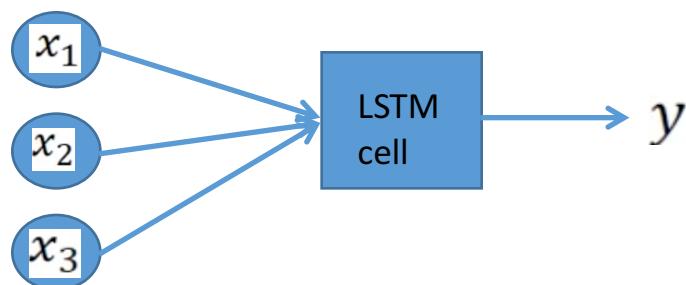


# LSTM - Example



$x_1$	1	3	2	4	2	1	3	6	1
$x_2$	0	1	0	1	0	0	-1	1	0
$x_3$	0	0	0	0	0	1	0	0	1

$y$	0	0	0	0	0	7	0	0	6
-----	---	---	---	---	---	---	---	---	---



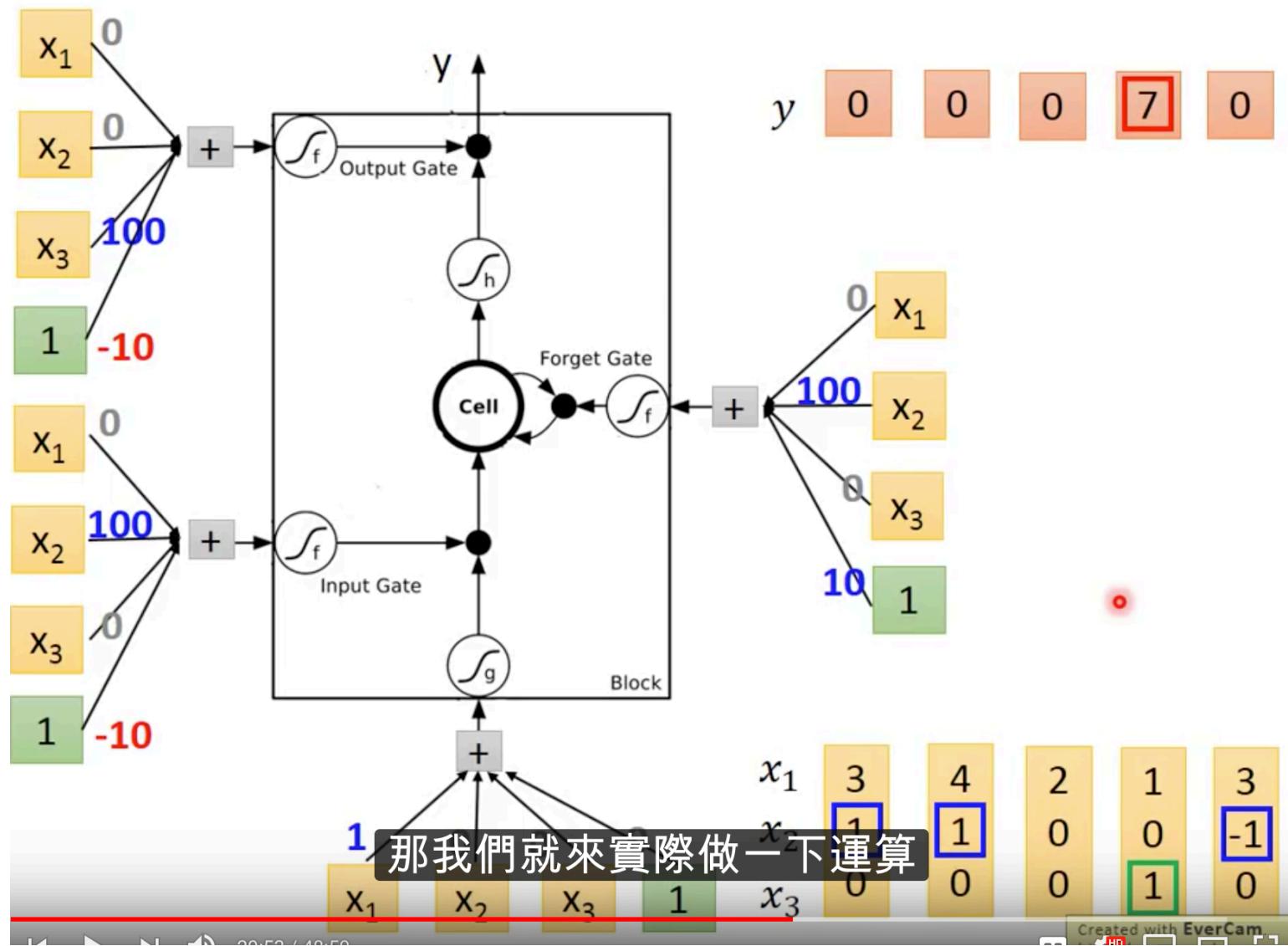
# LSTM - Example

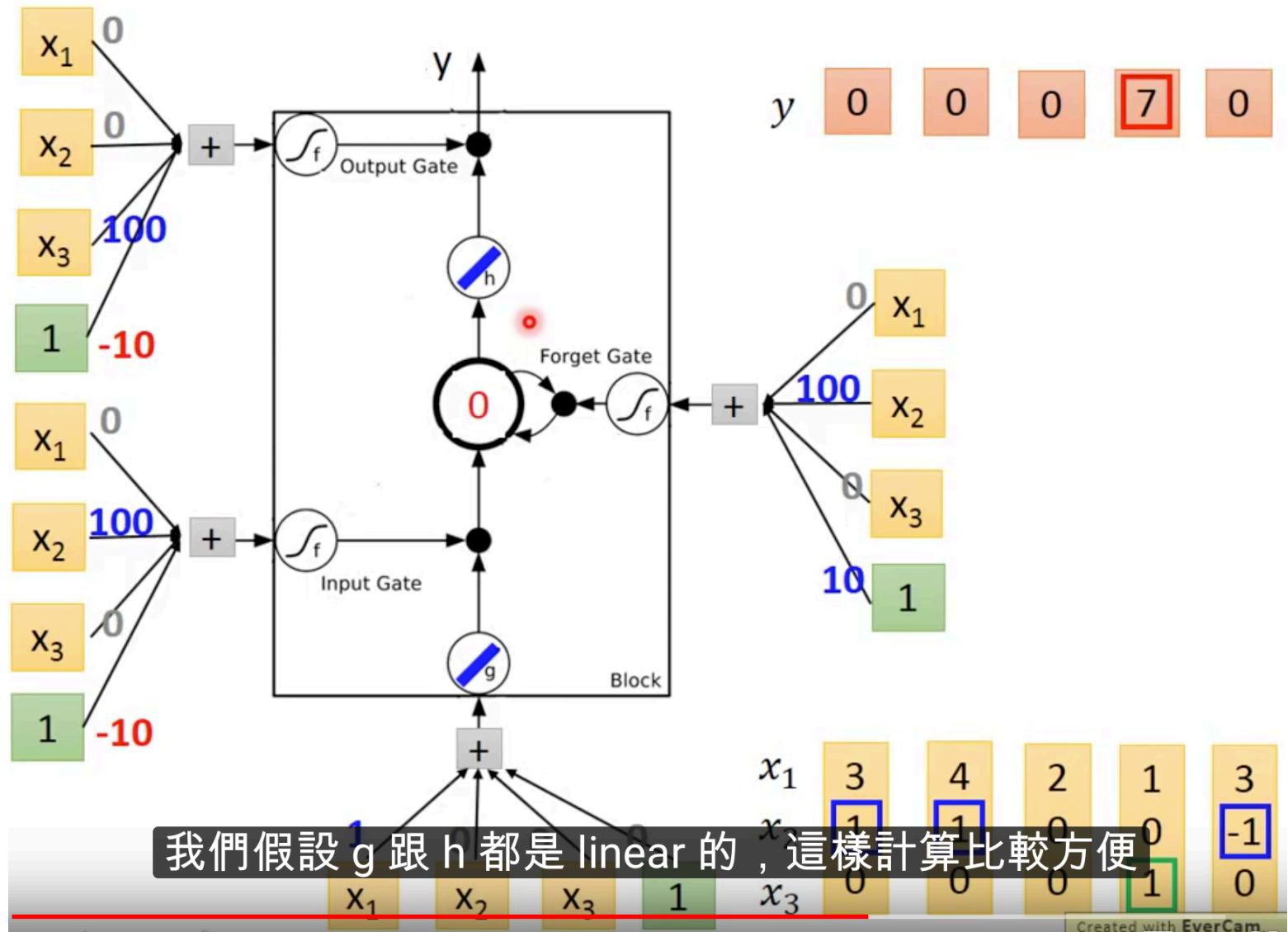
$x_1$	1	3	2	4	2	1	3	6	1
$x_2$	0	1	0	1	0	0	-1	1	0
$x_3$	0	0	0	0	0	1	0	0	1
$y$	0	0	0	0	0	7	0	0	6

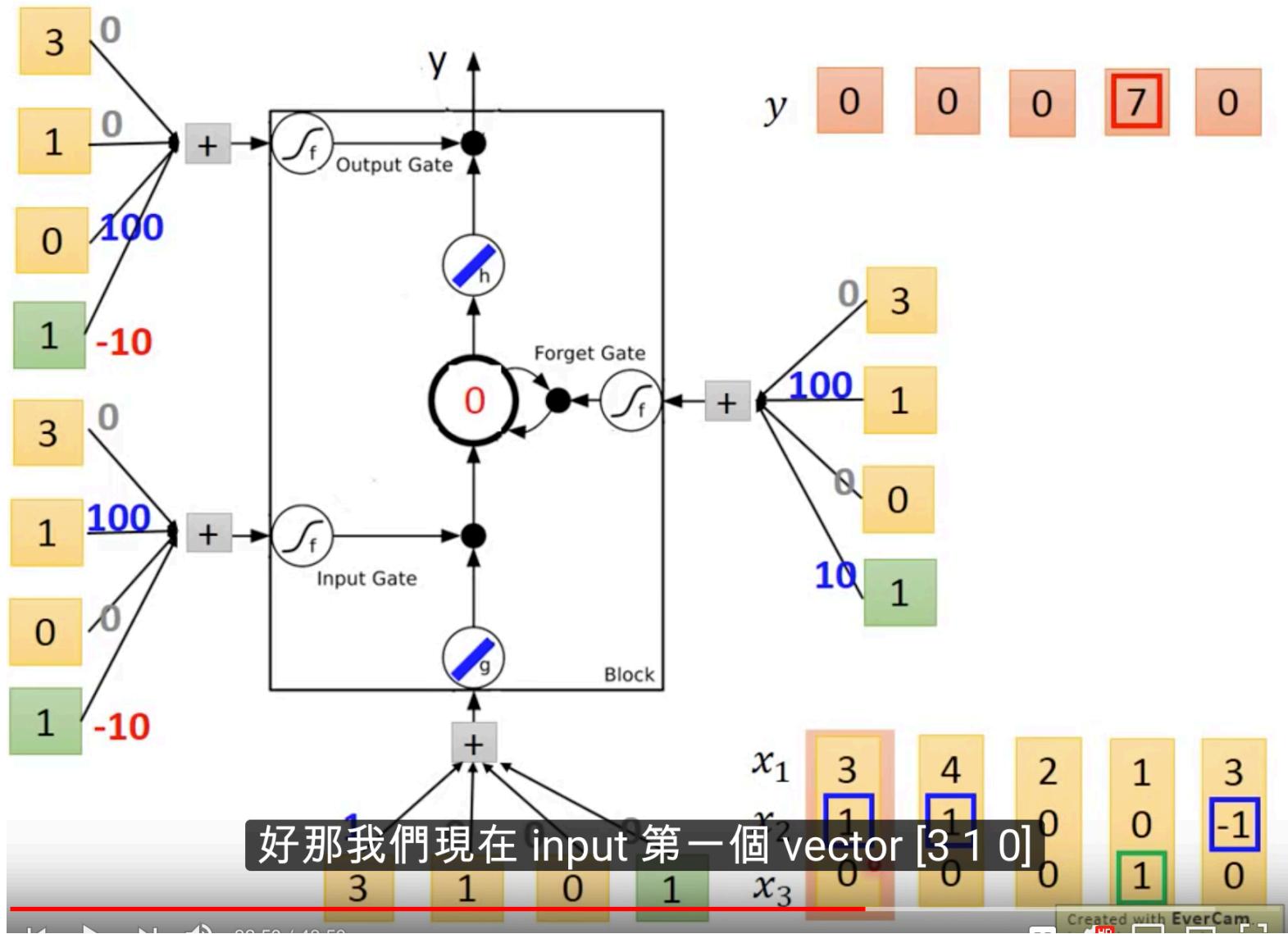
When  $x_2 = 1$ , add the numbers of  $x_1$  into the memory

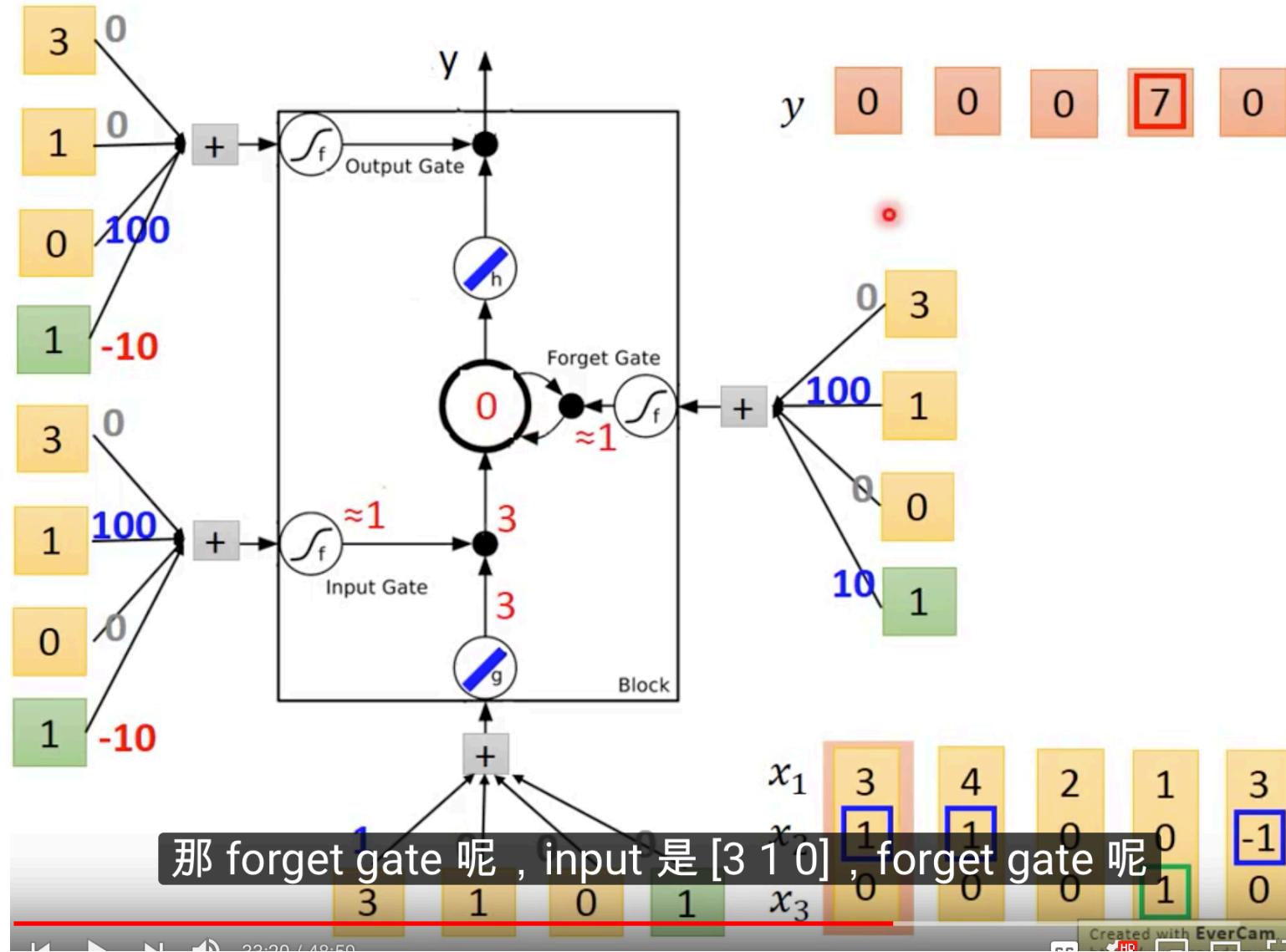
When  $x_2 = -1$ , reset the memory

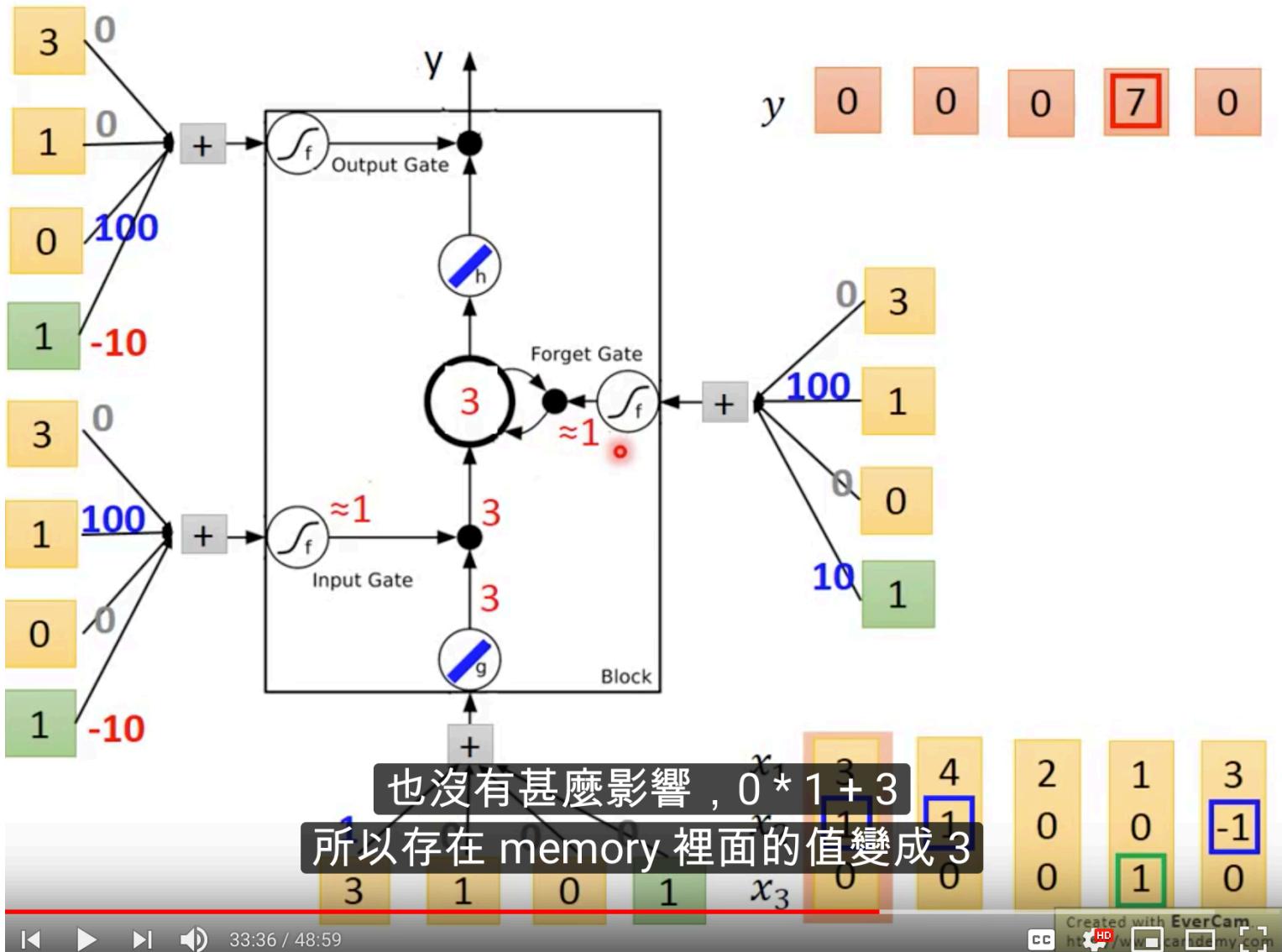
When  $x_3 = 1$ , output the number in the memory.

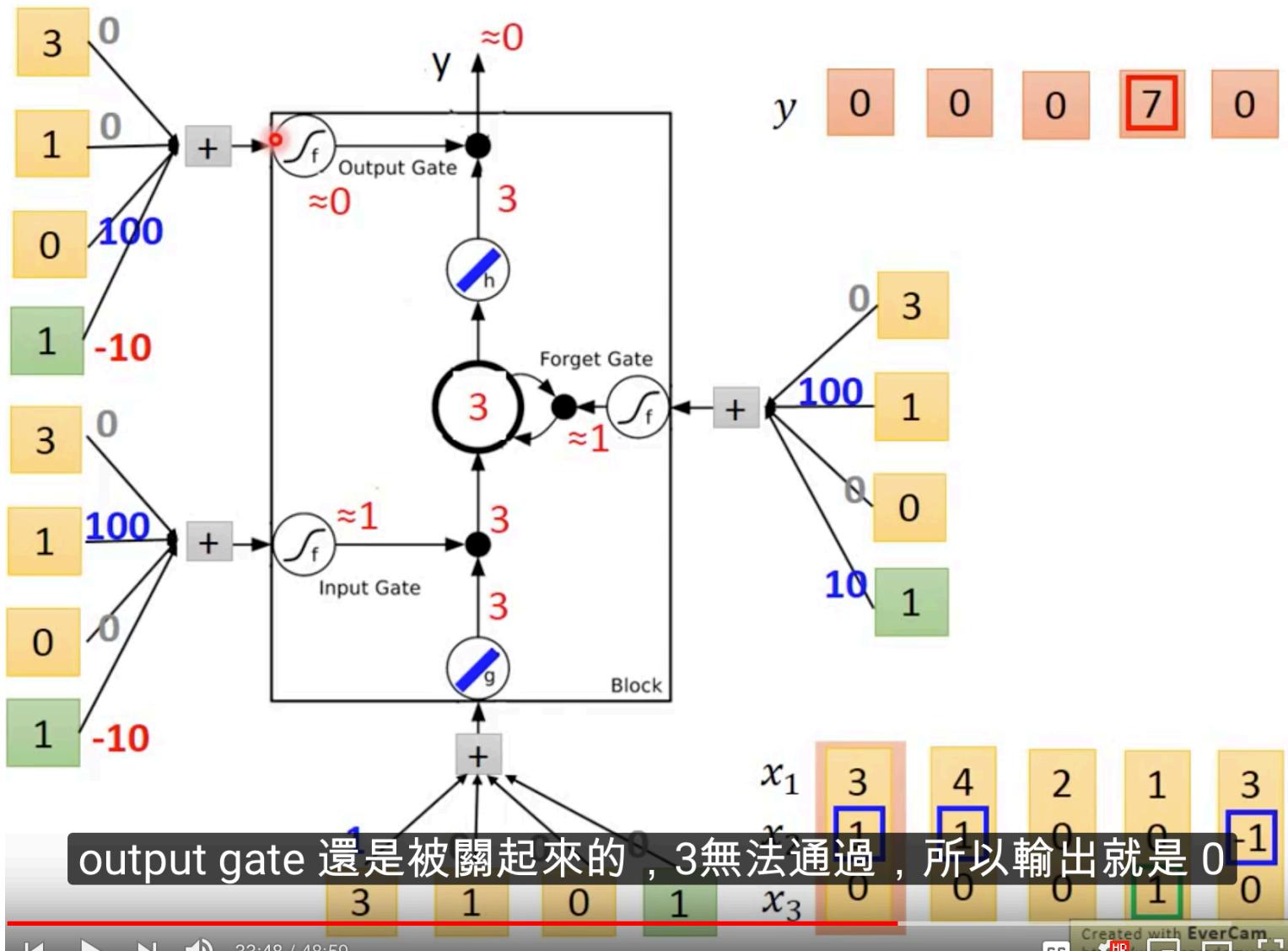


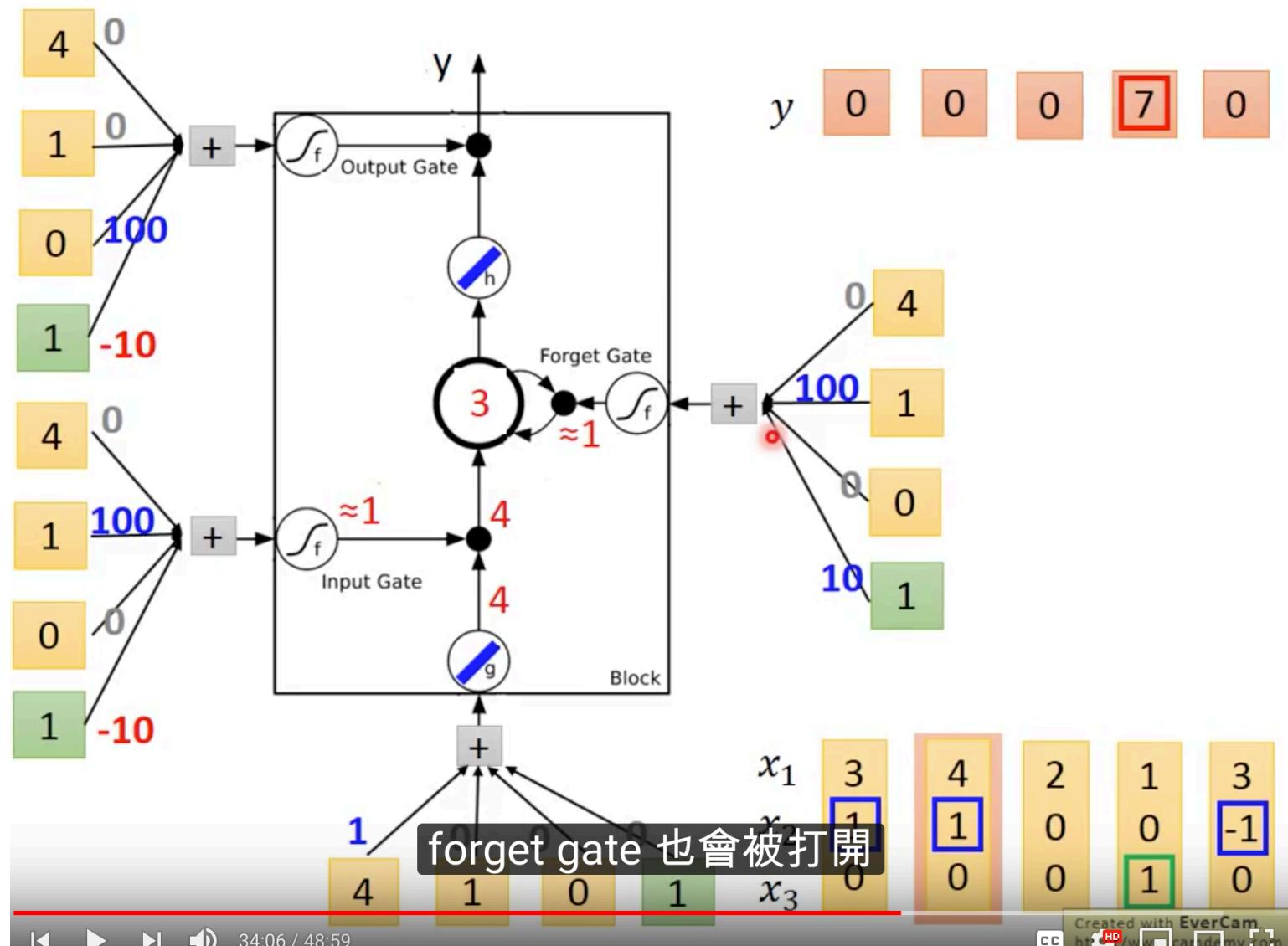


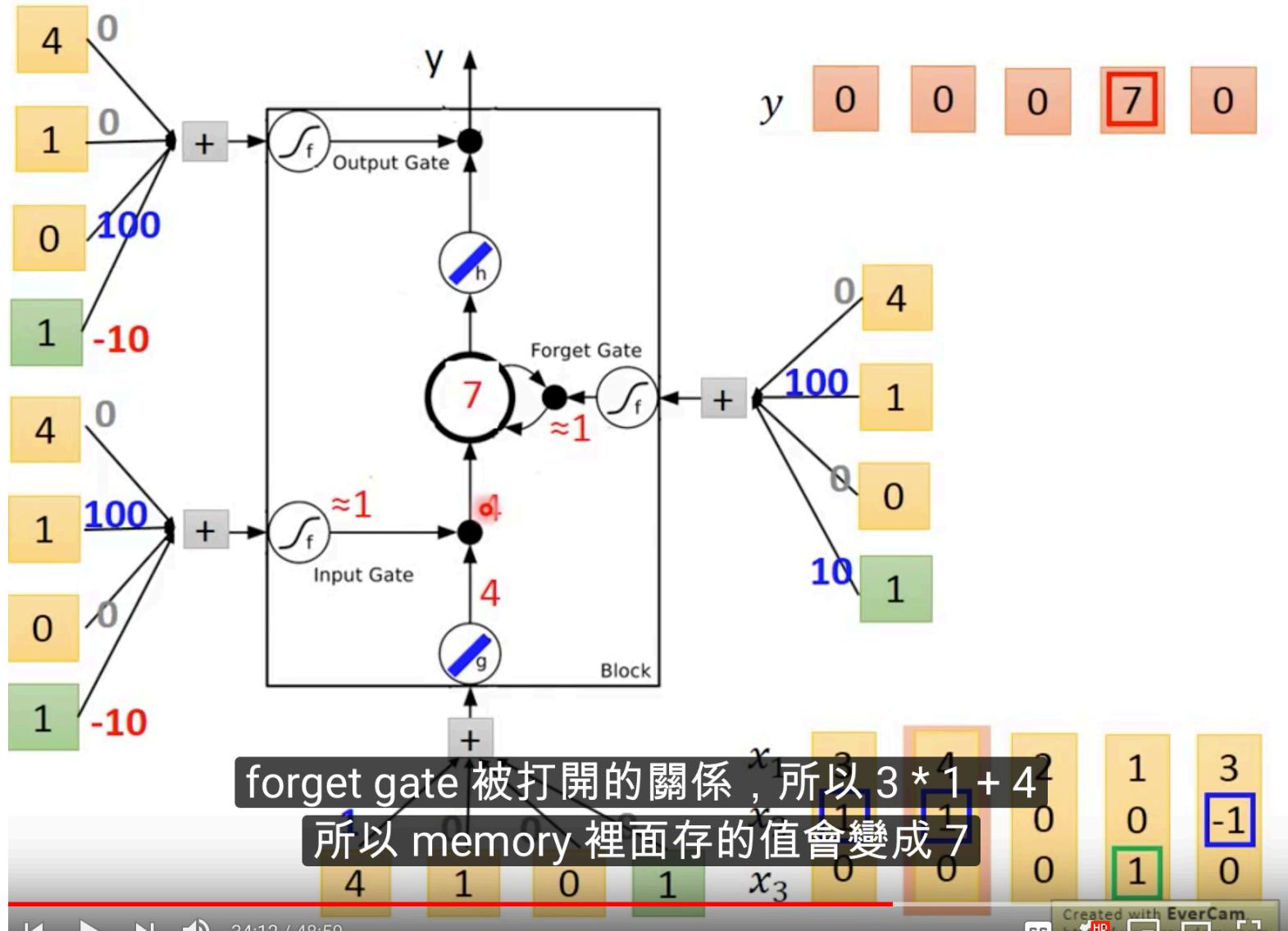


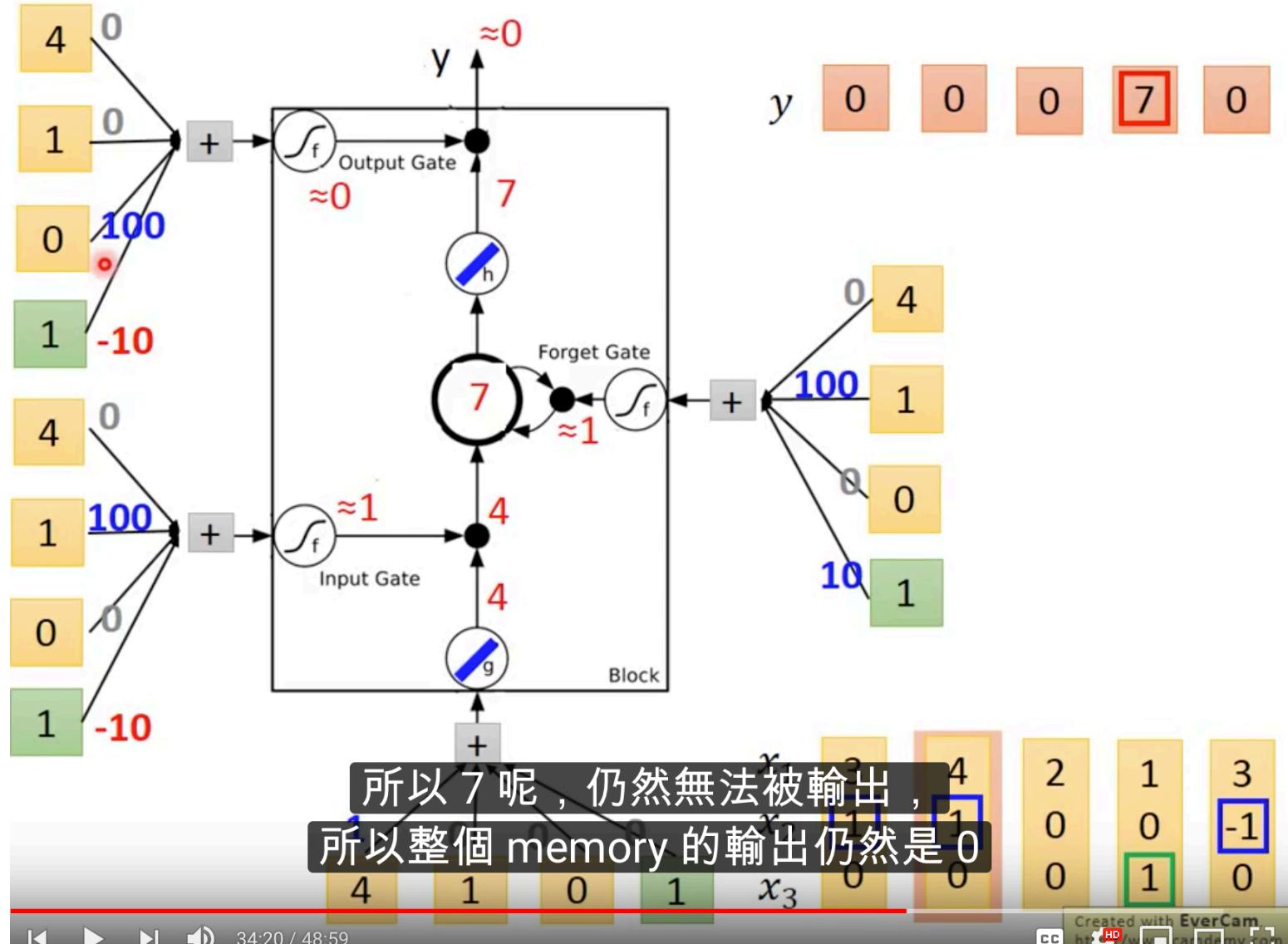


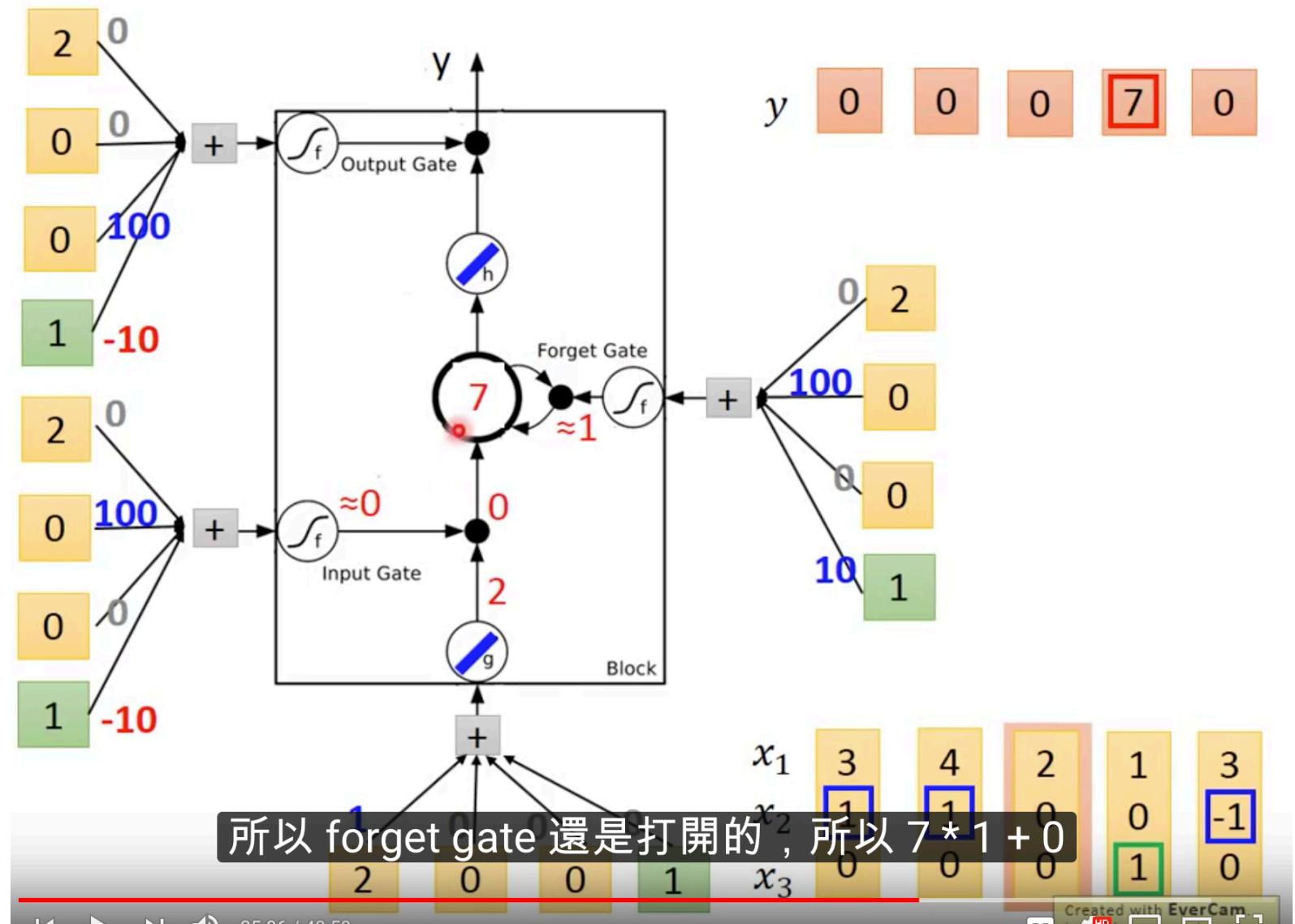


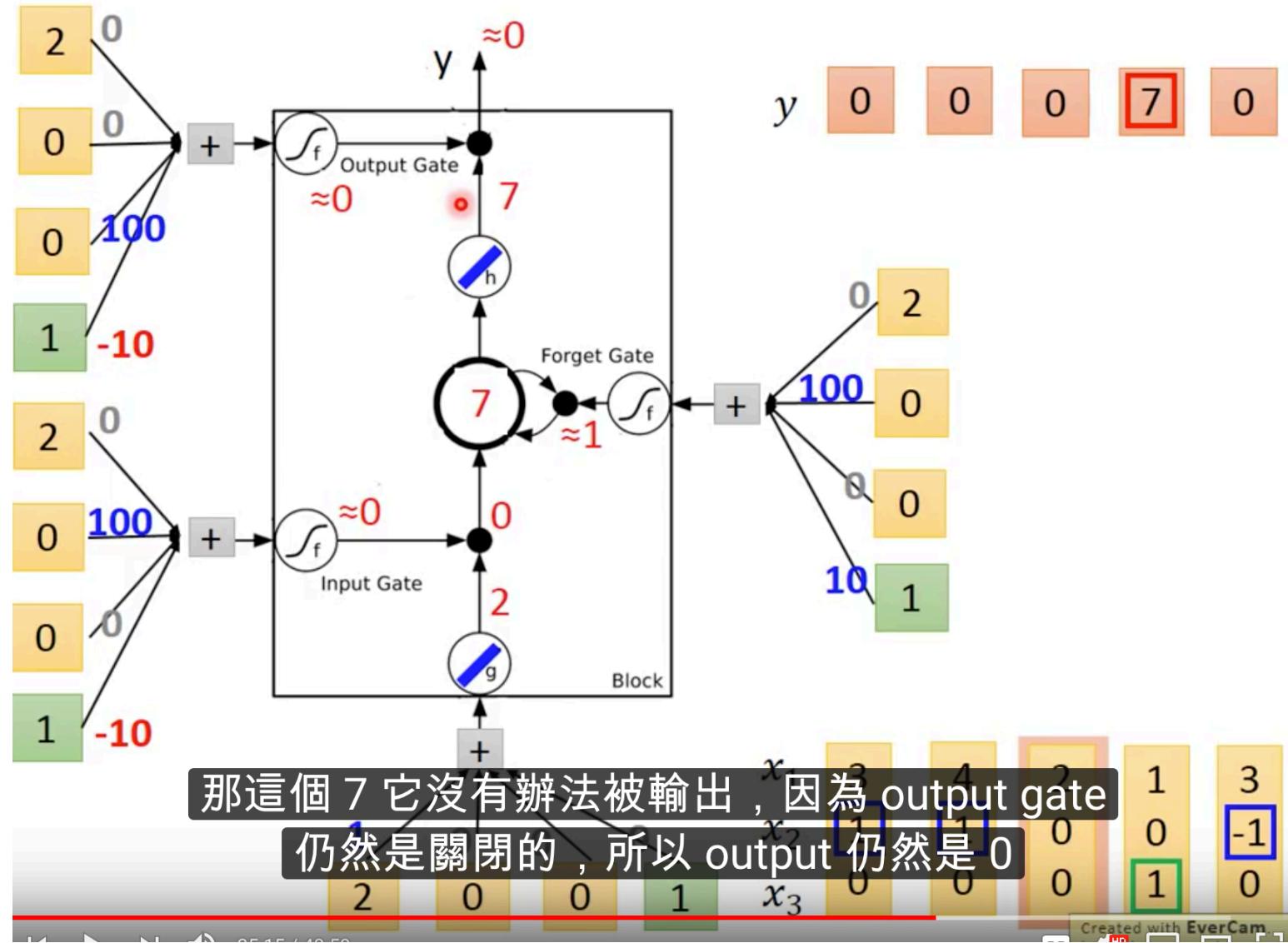


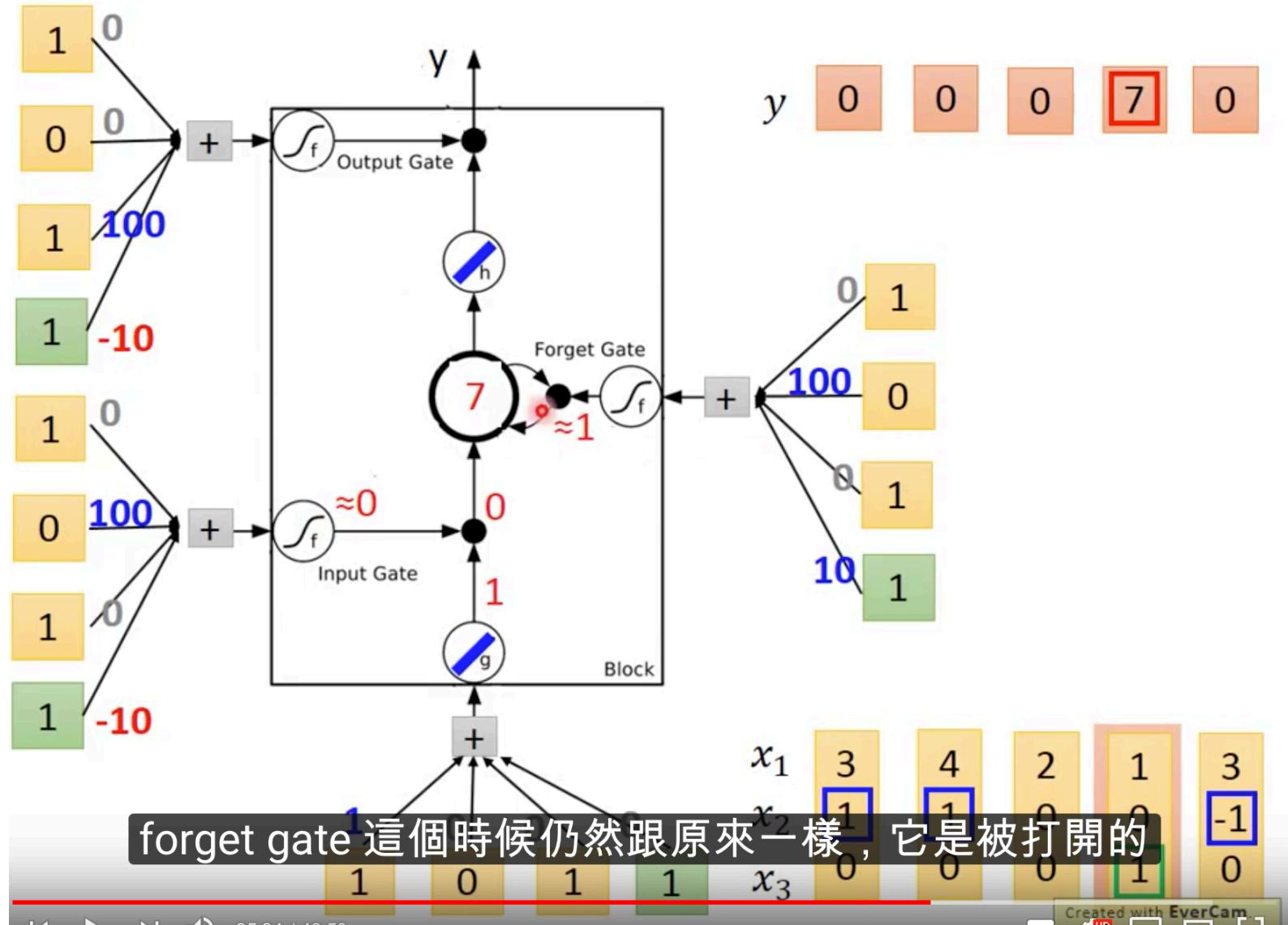


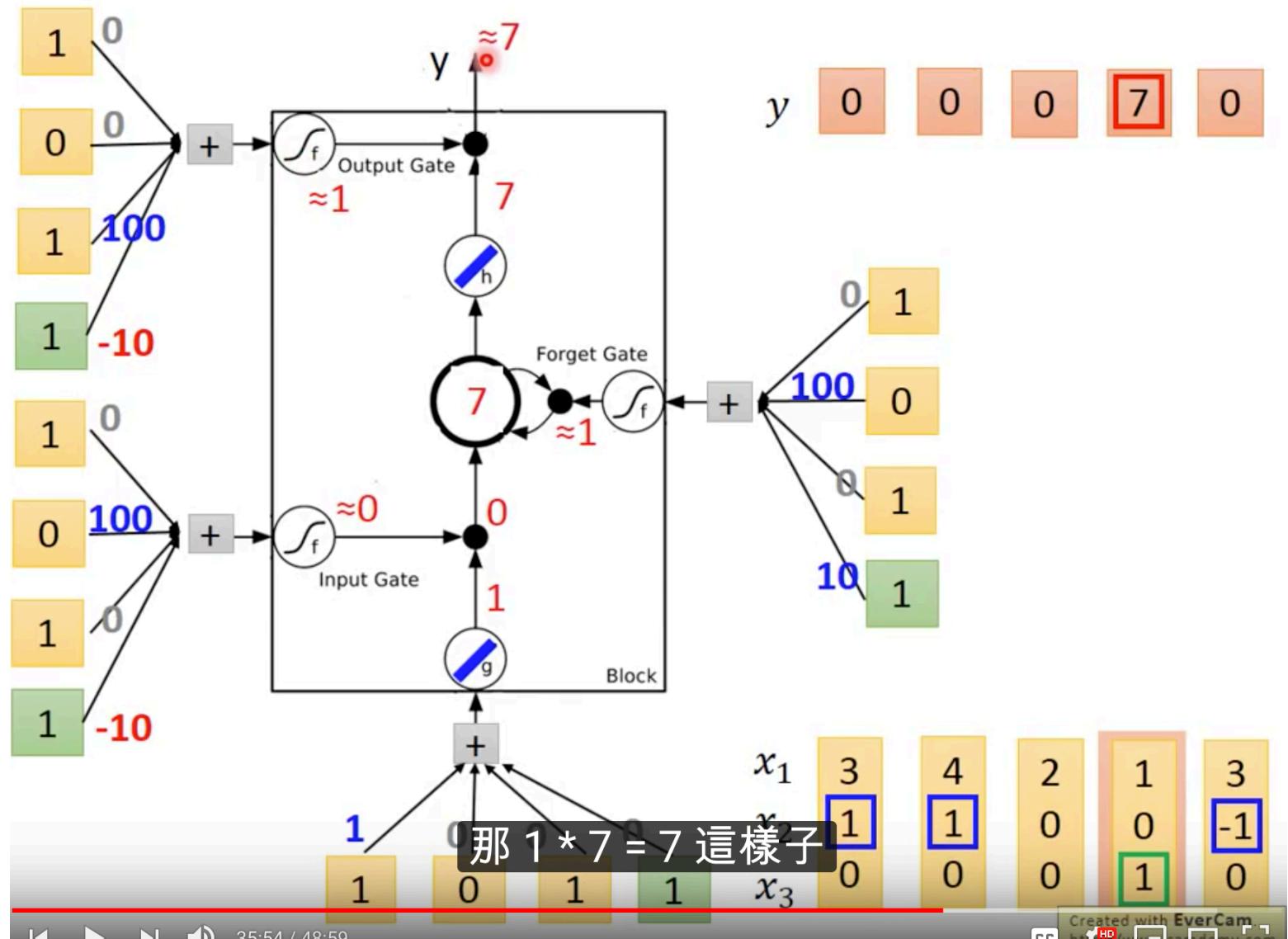


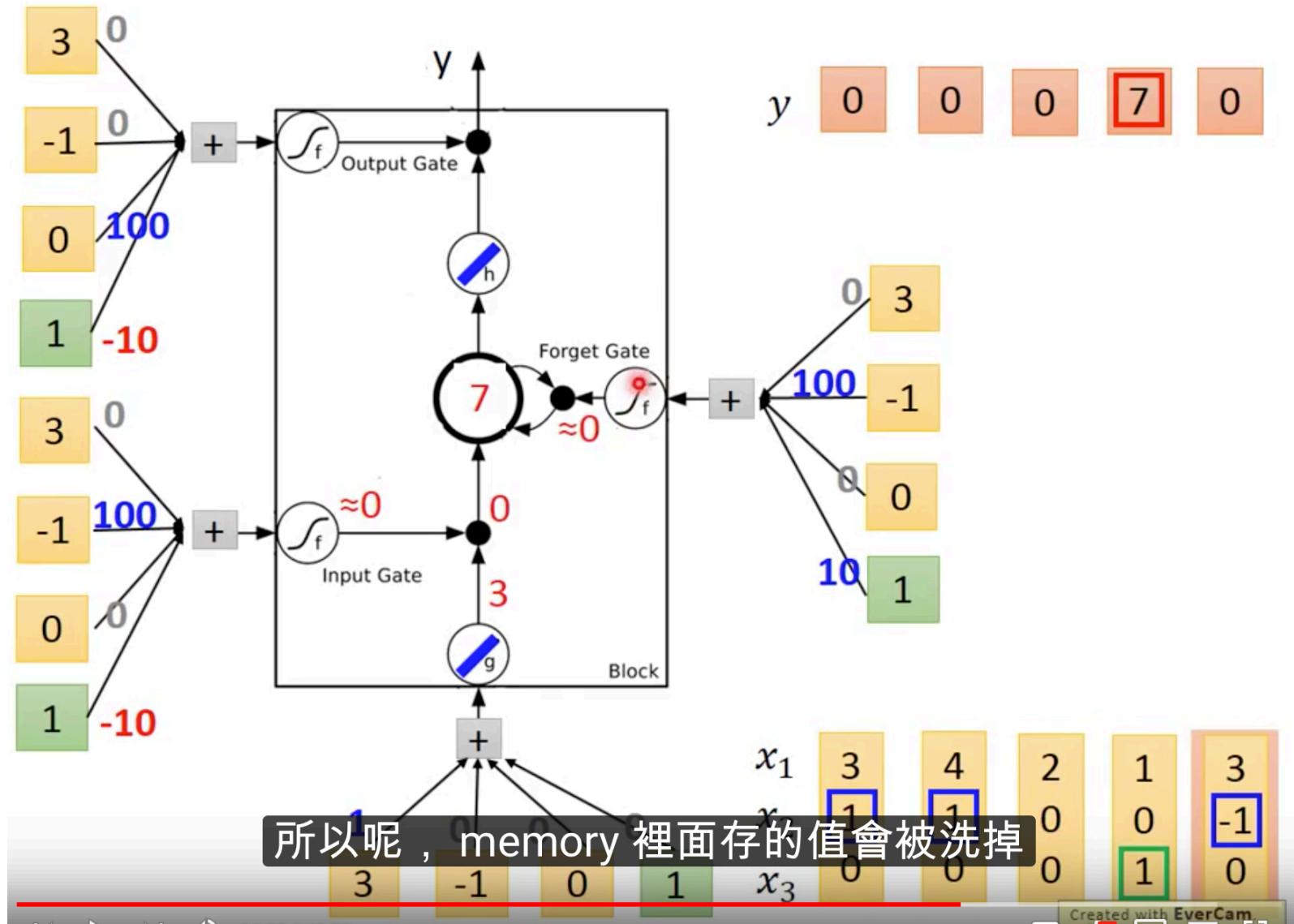


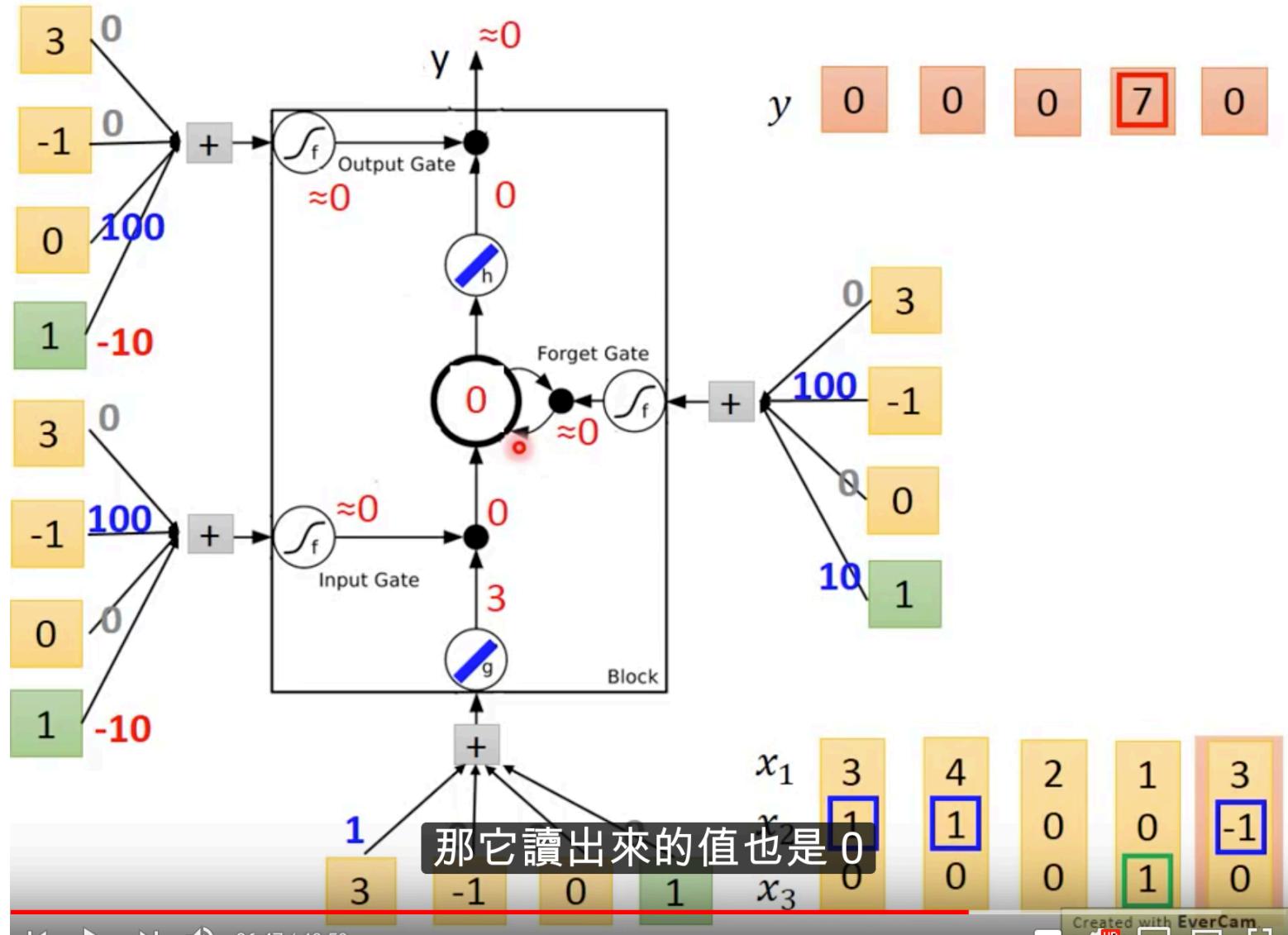






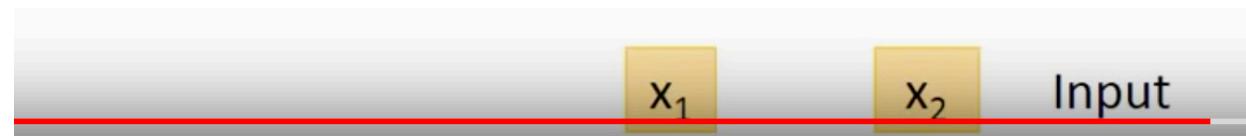
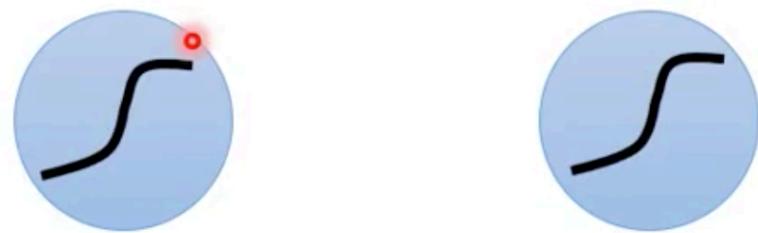




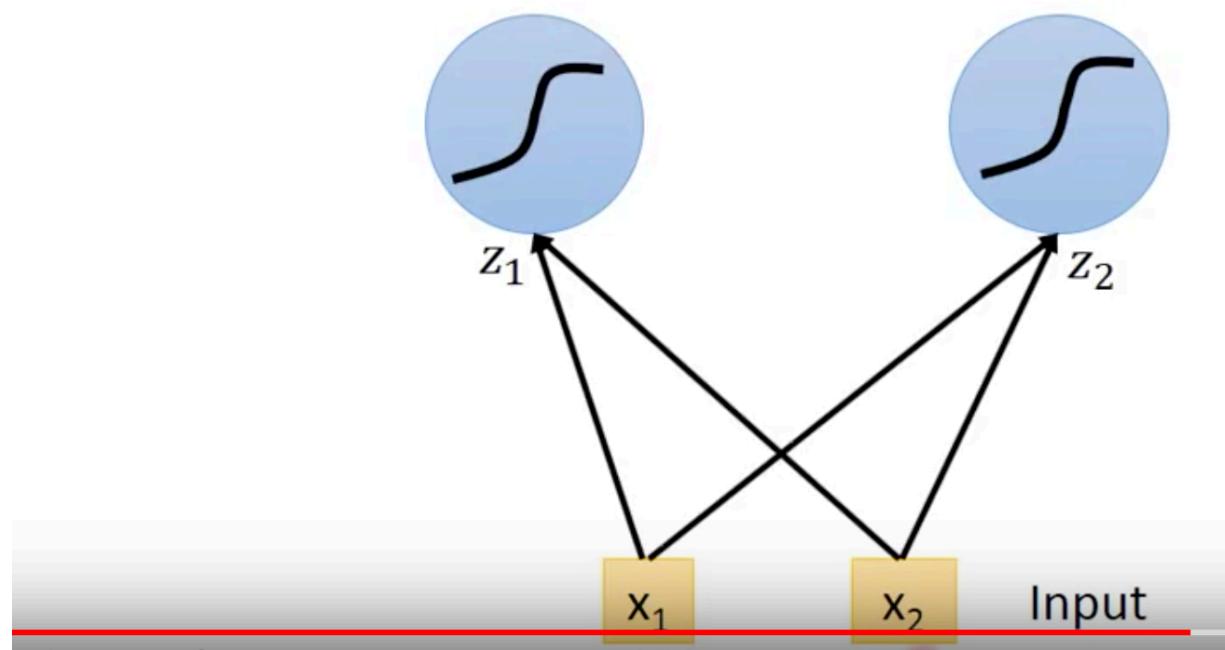


Original Network:

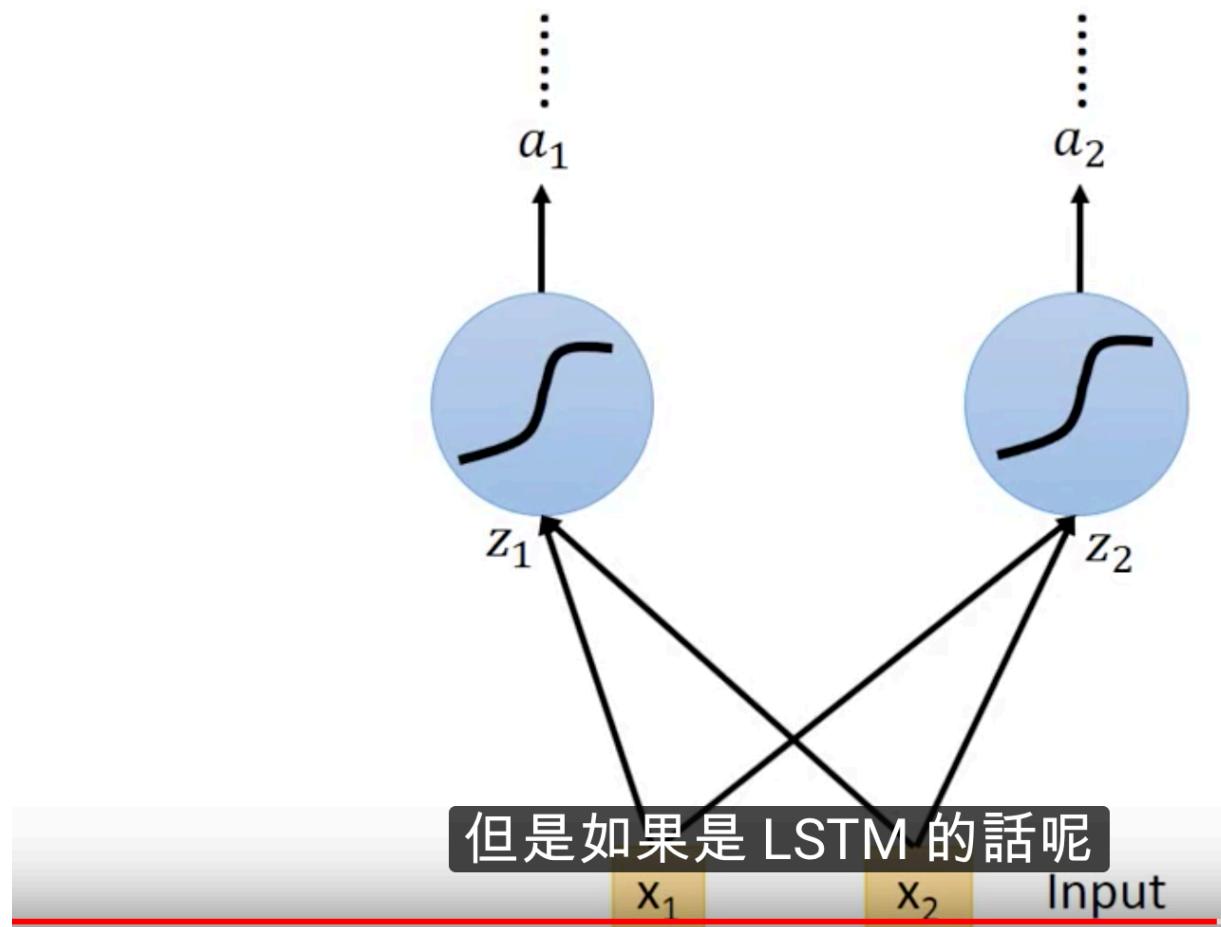
How to understand LSTM as the original network:



Original Network:

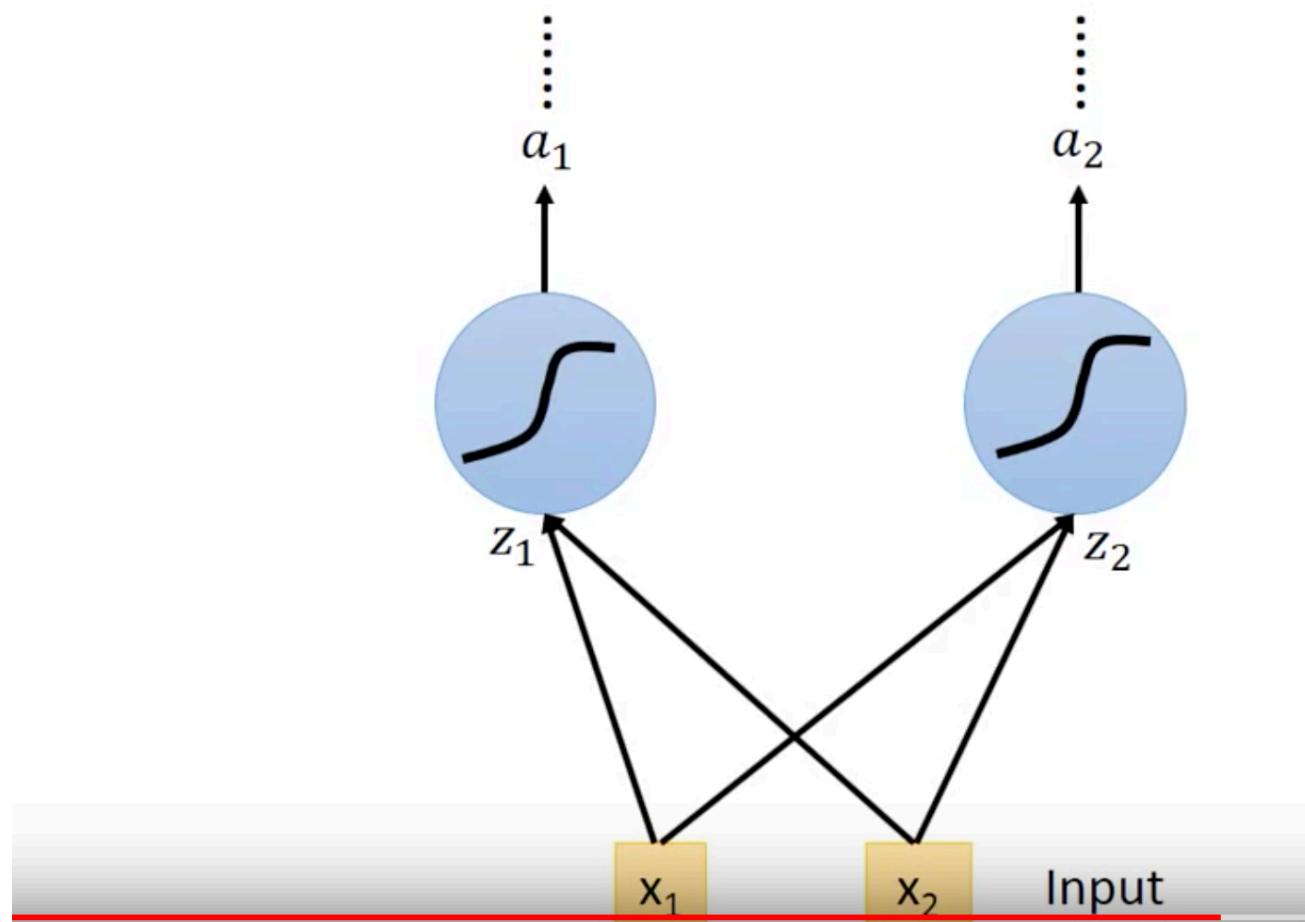


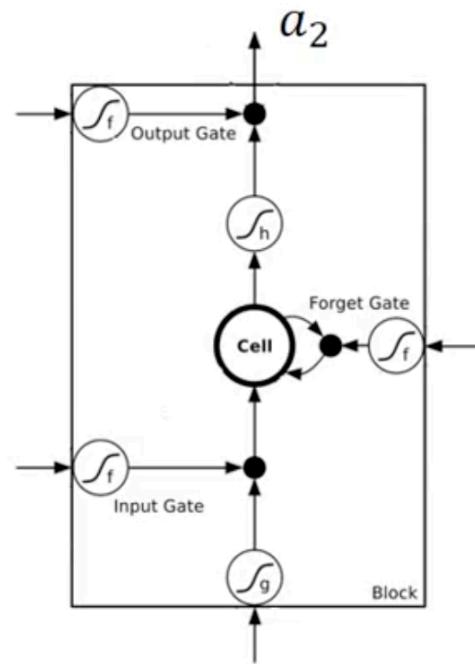
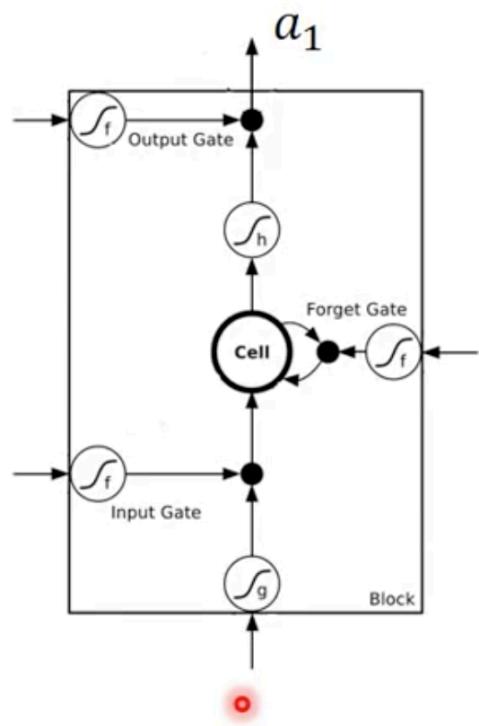
## Original Network:

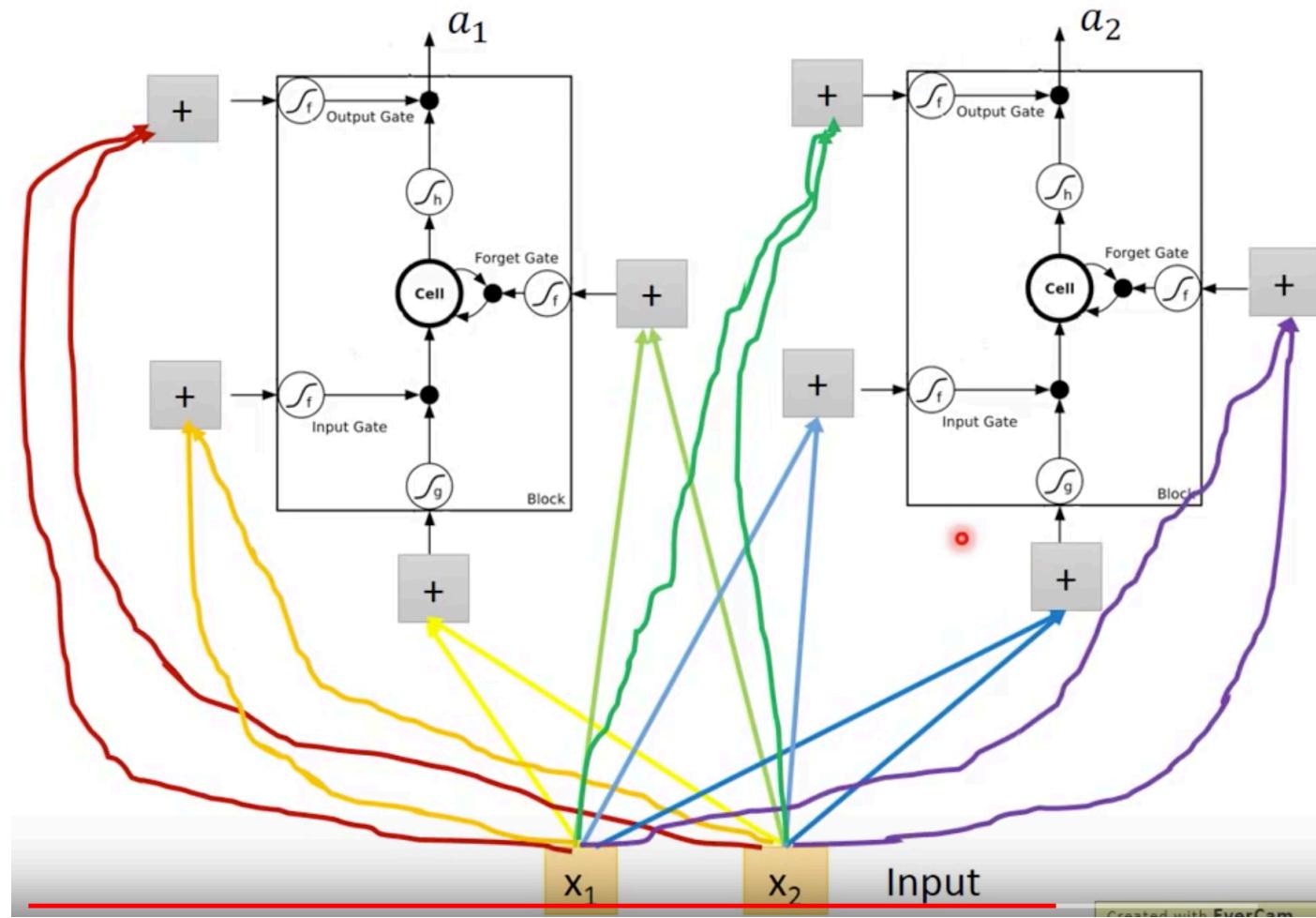


Original Network:

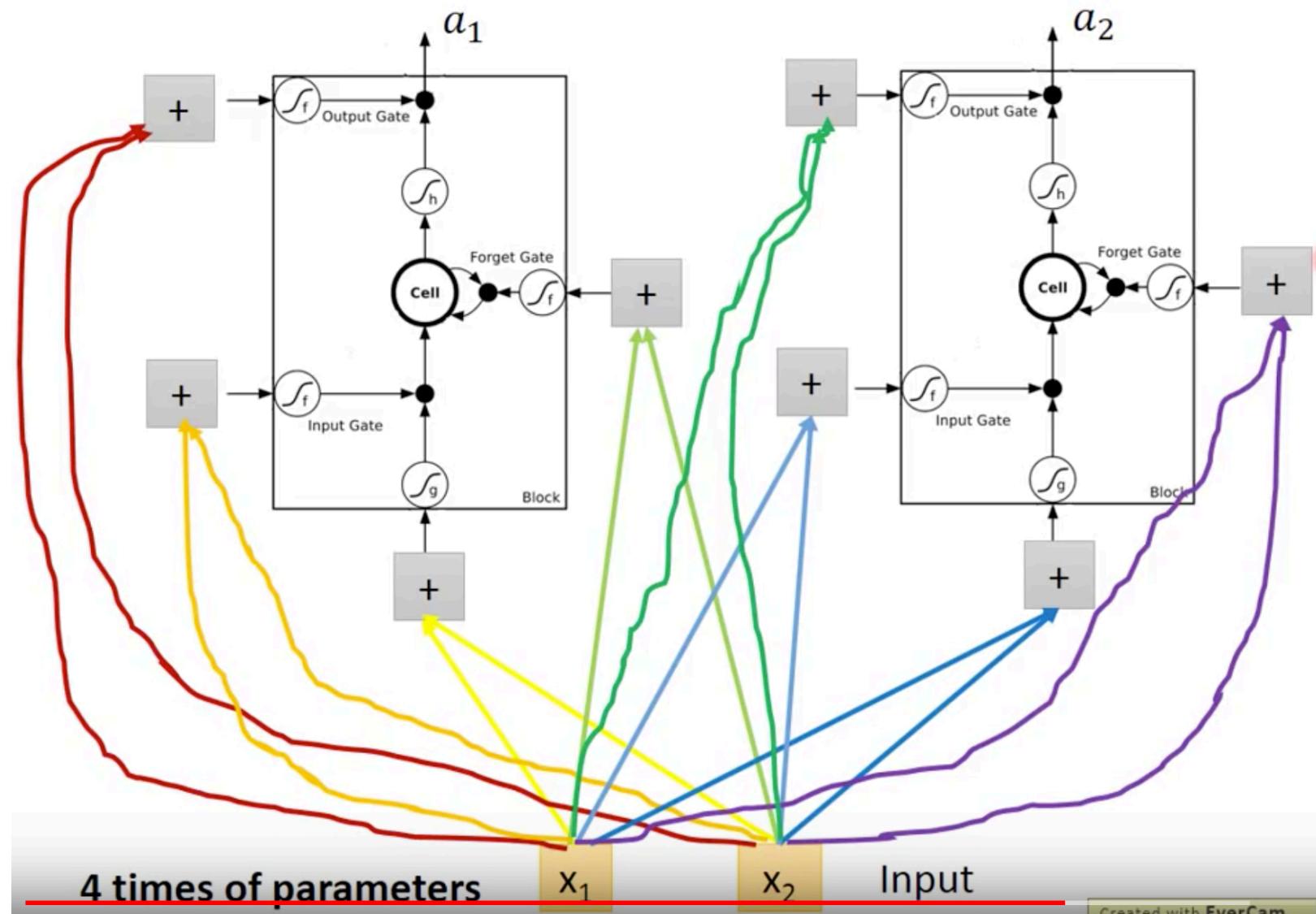
➤ Simply replace the neurons with LSTM





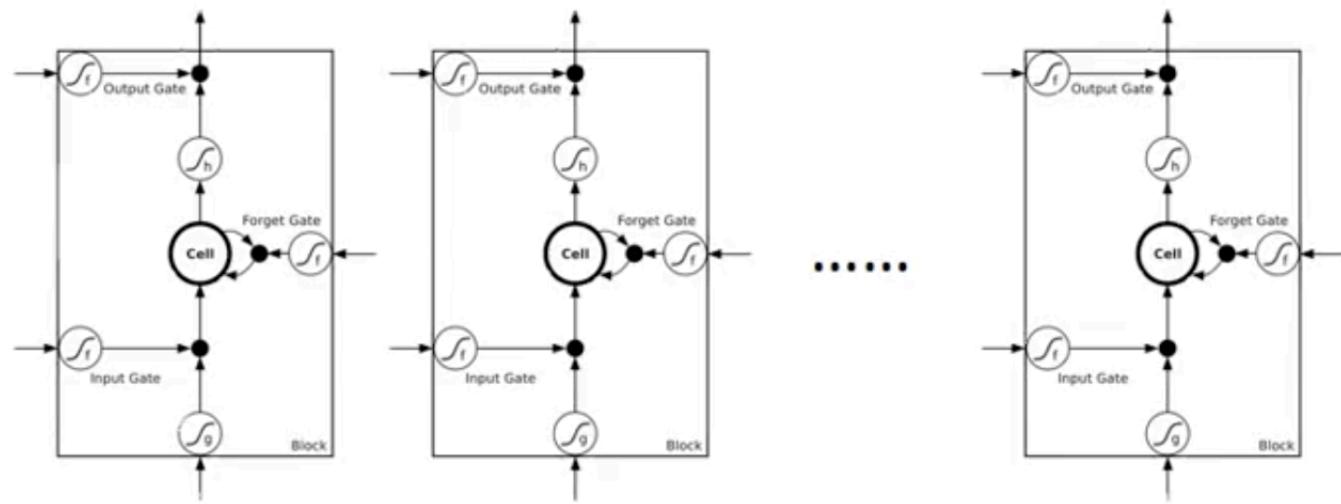


Each edge has a different weight



## How to understand LSTM as RNN

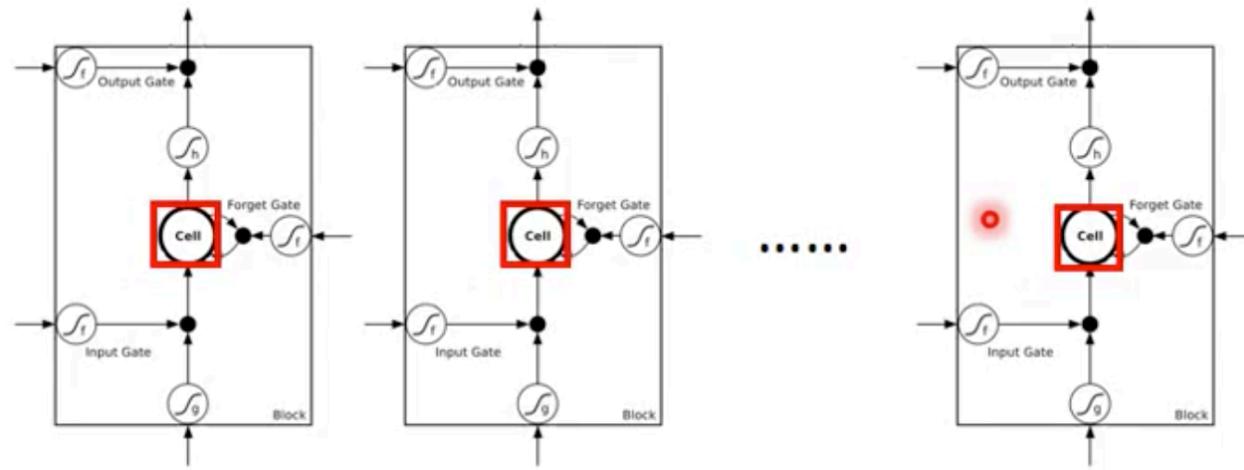
LSTM



# LSTM

$C^{t-1}$

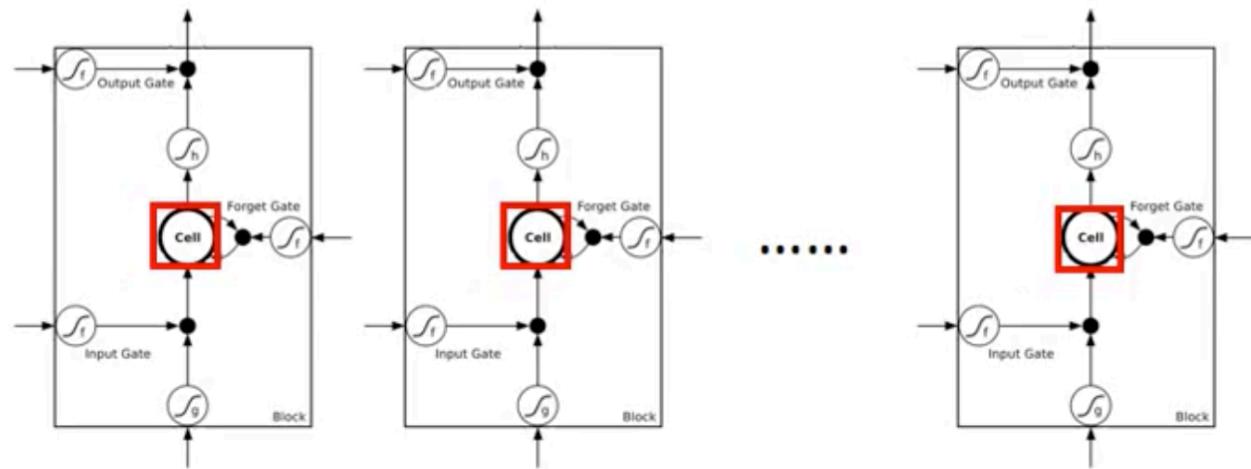
The vector of  
memory values at  
time  $t-1$   
(where each memory's  
value is a real number)



# LSTM

$c^{t-1}$

vector



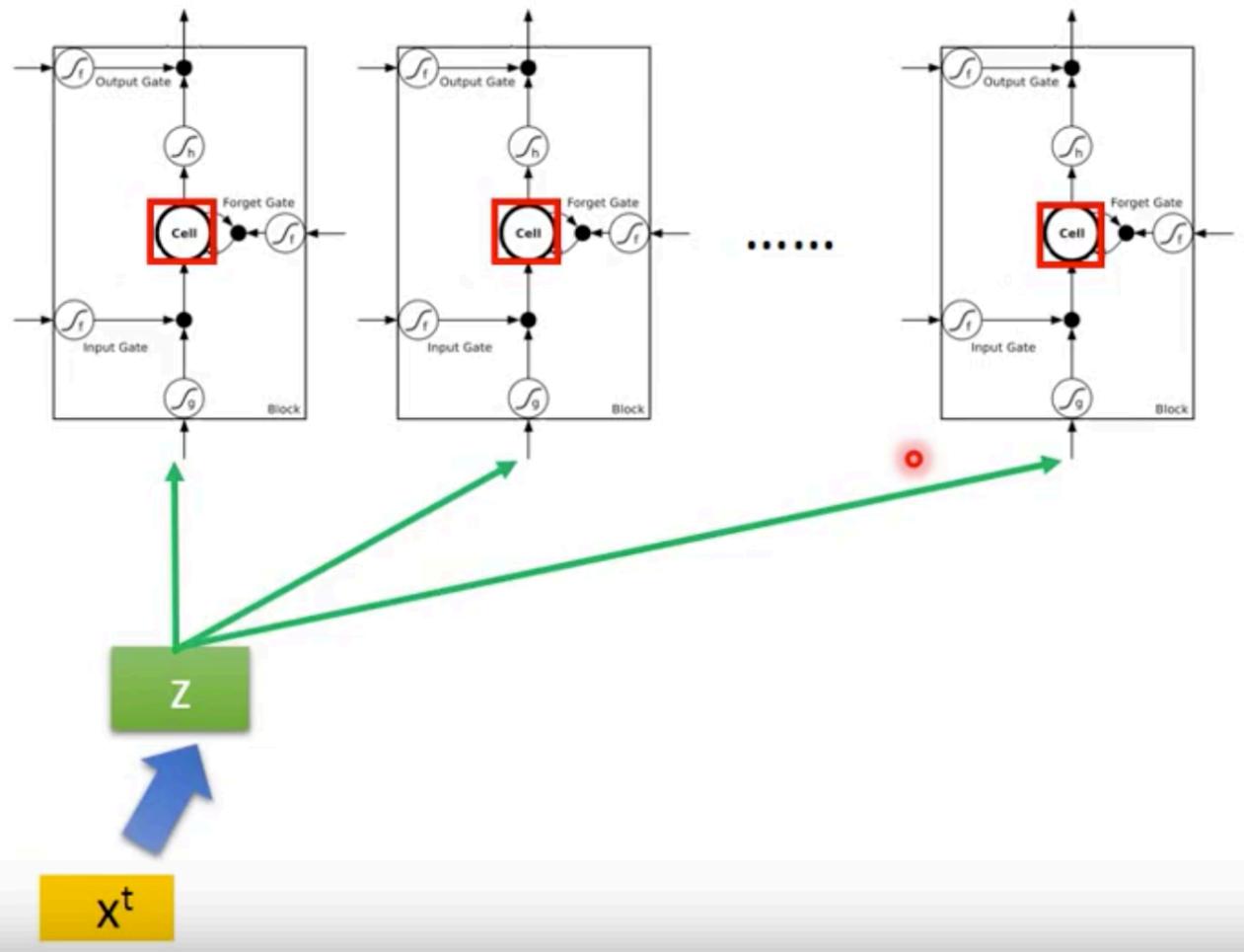
Input vector at  
time t

Linear transformation  
(multiple input vector by a matrix to  
get a vector z)

# LSTM

$C^{t-1}$

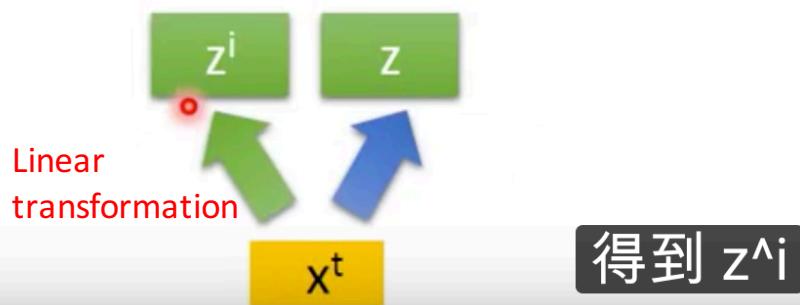
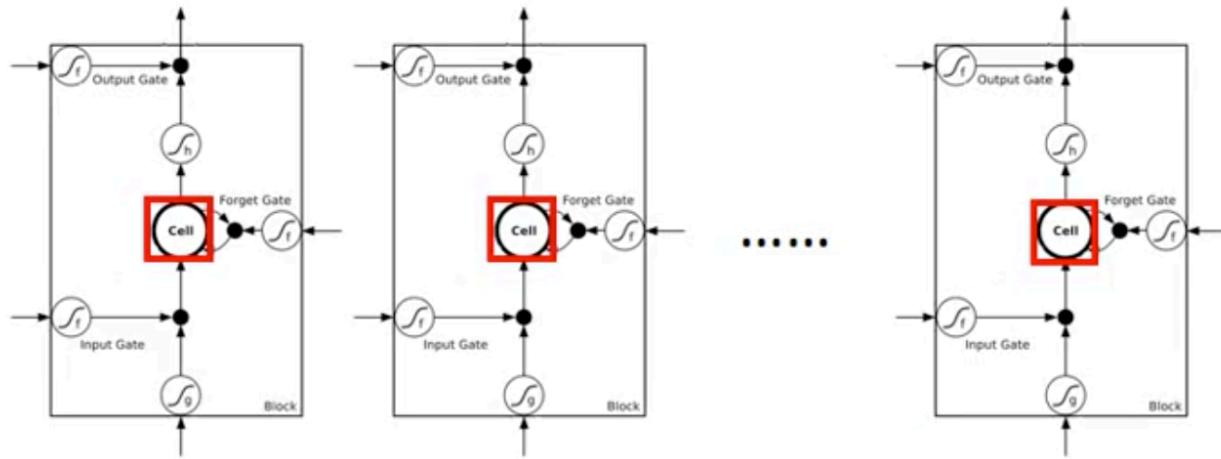
vector



# LSTM

$c^{t-1}$

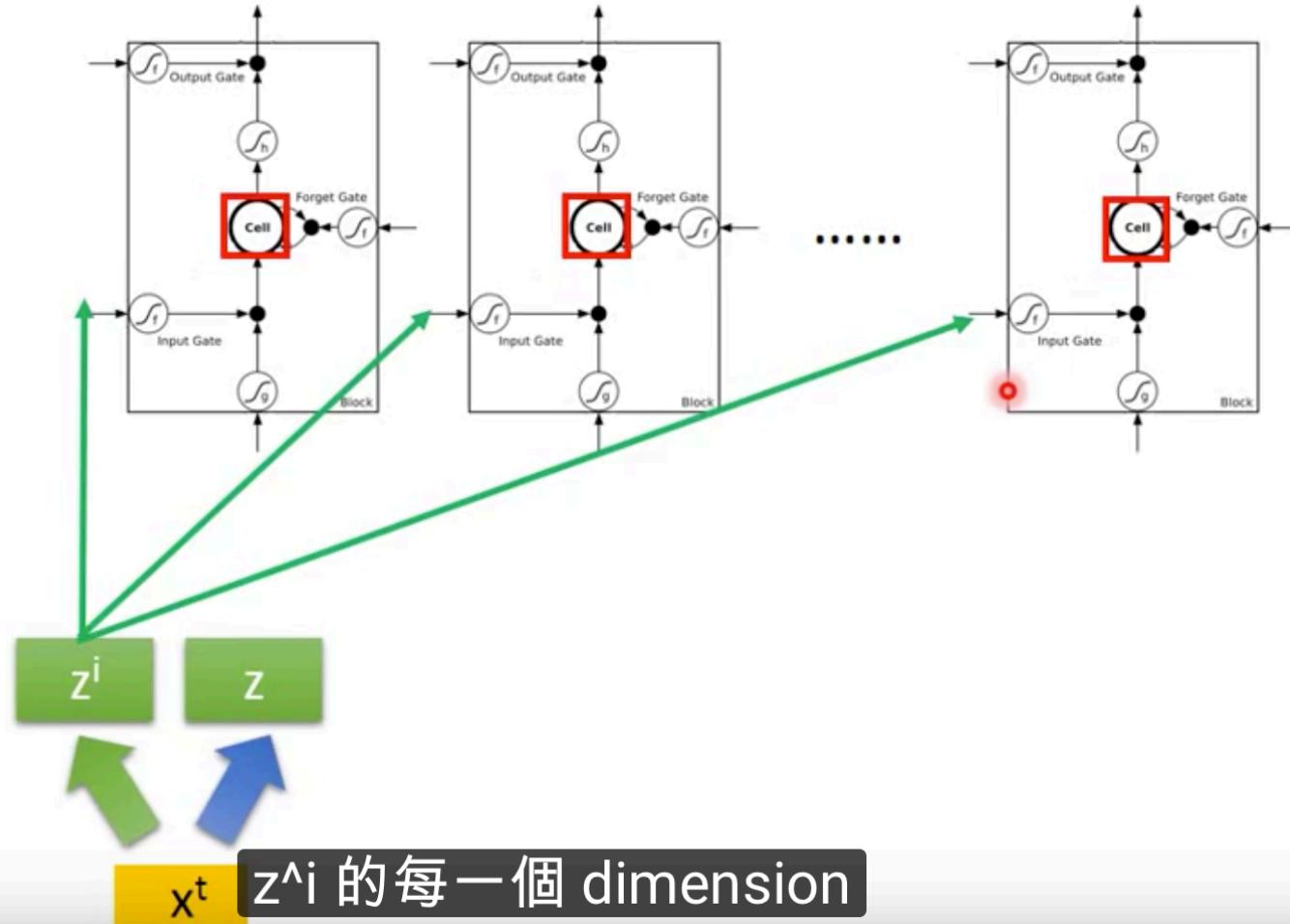
vector



# LSTM

$c^{t-1}$

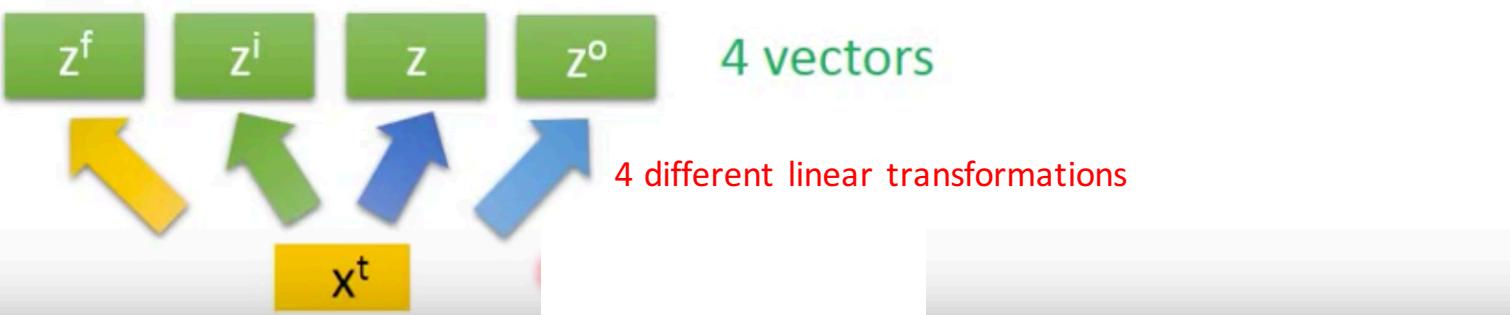
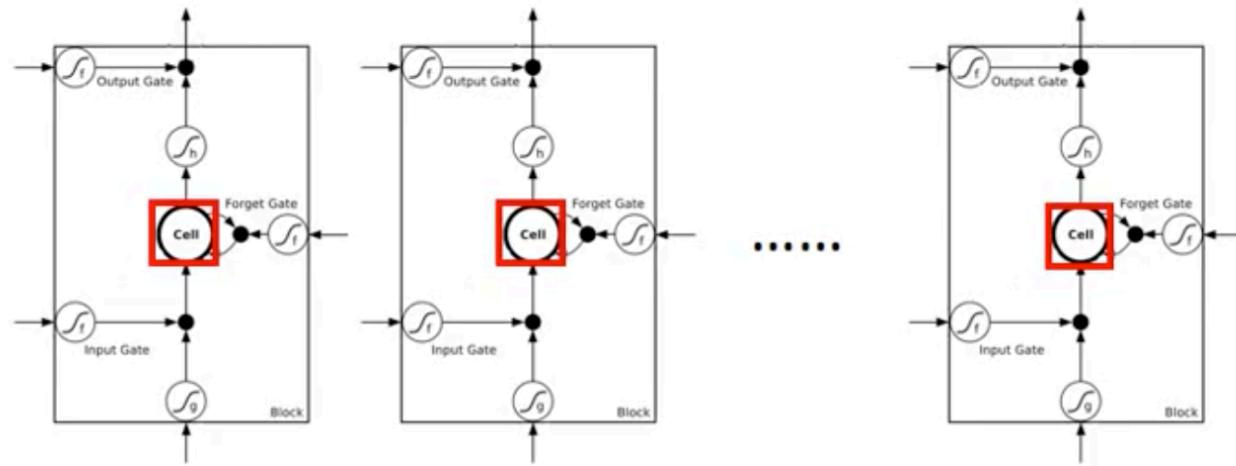
vector



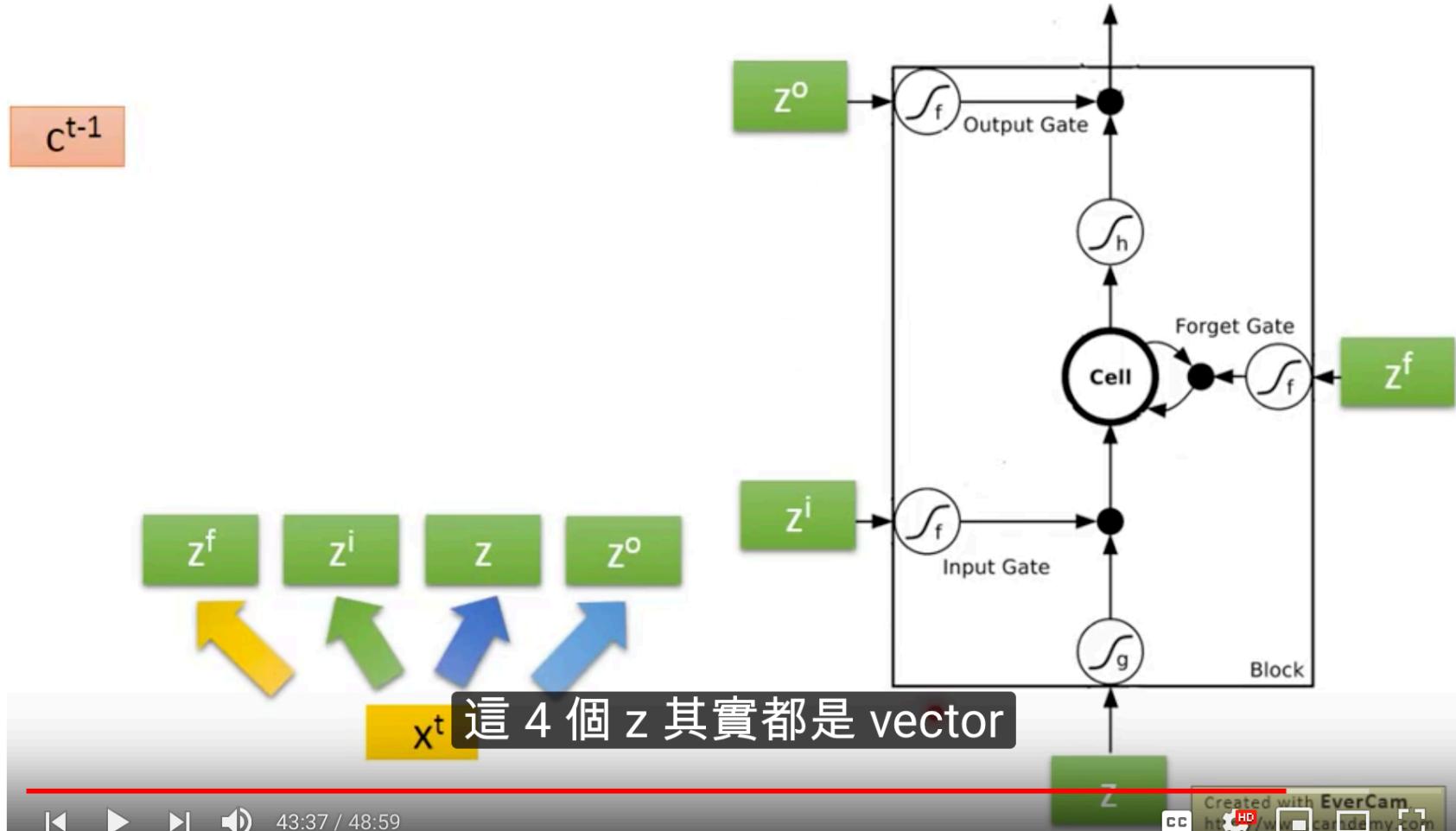
# LSTM

$C^{t-1}$

vector

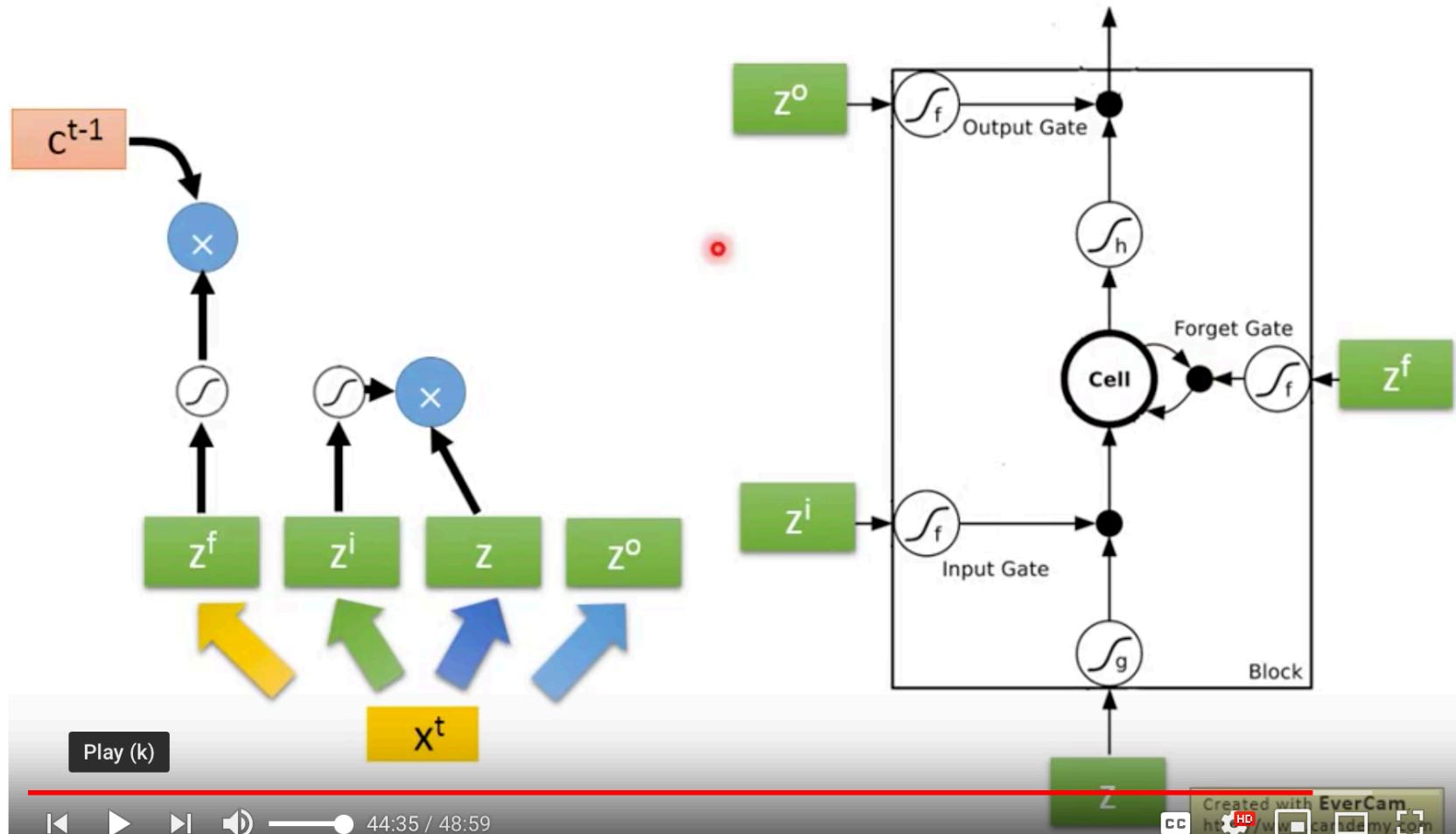


# LSTM

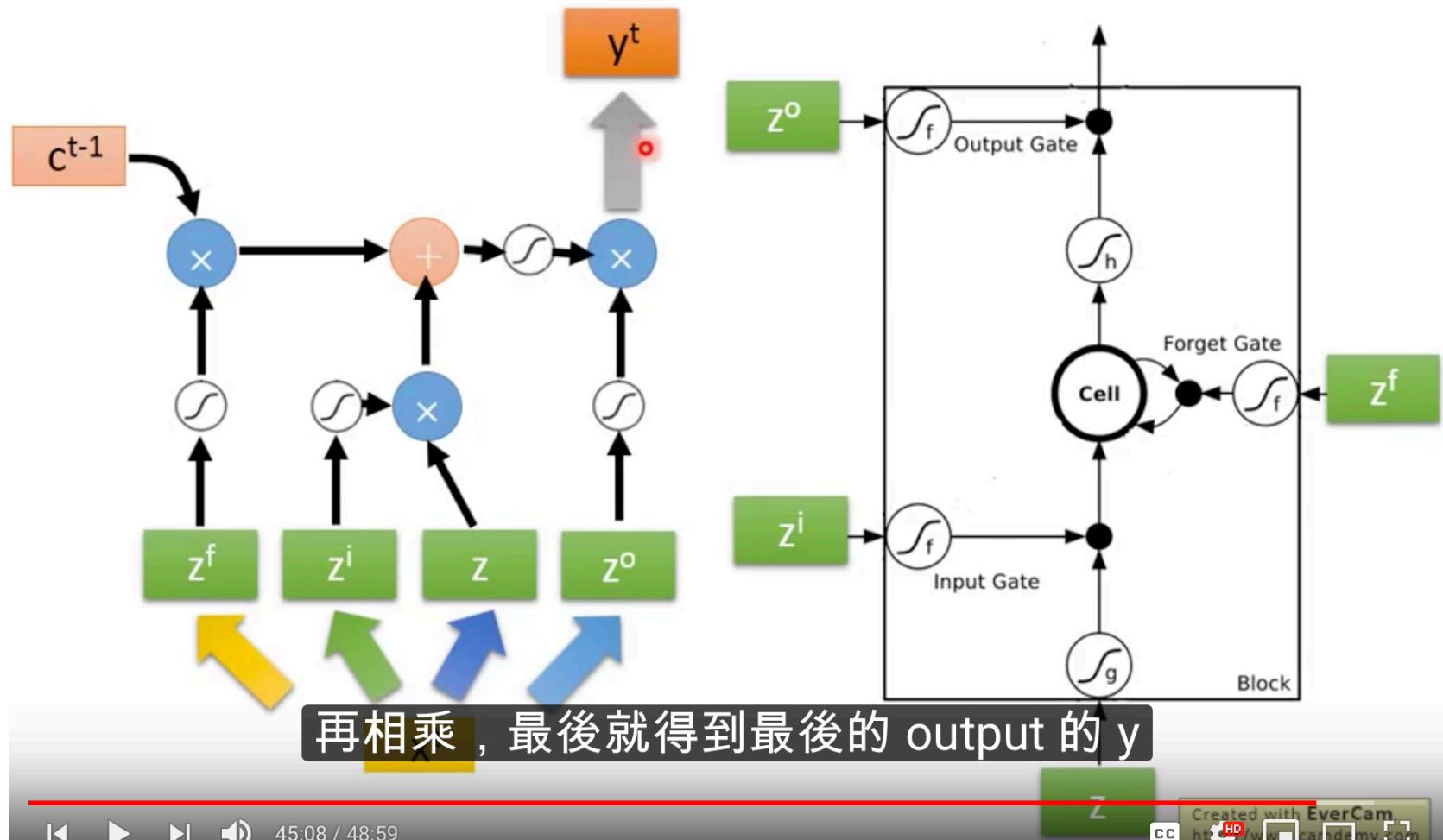


# LSTM

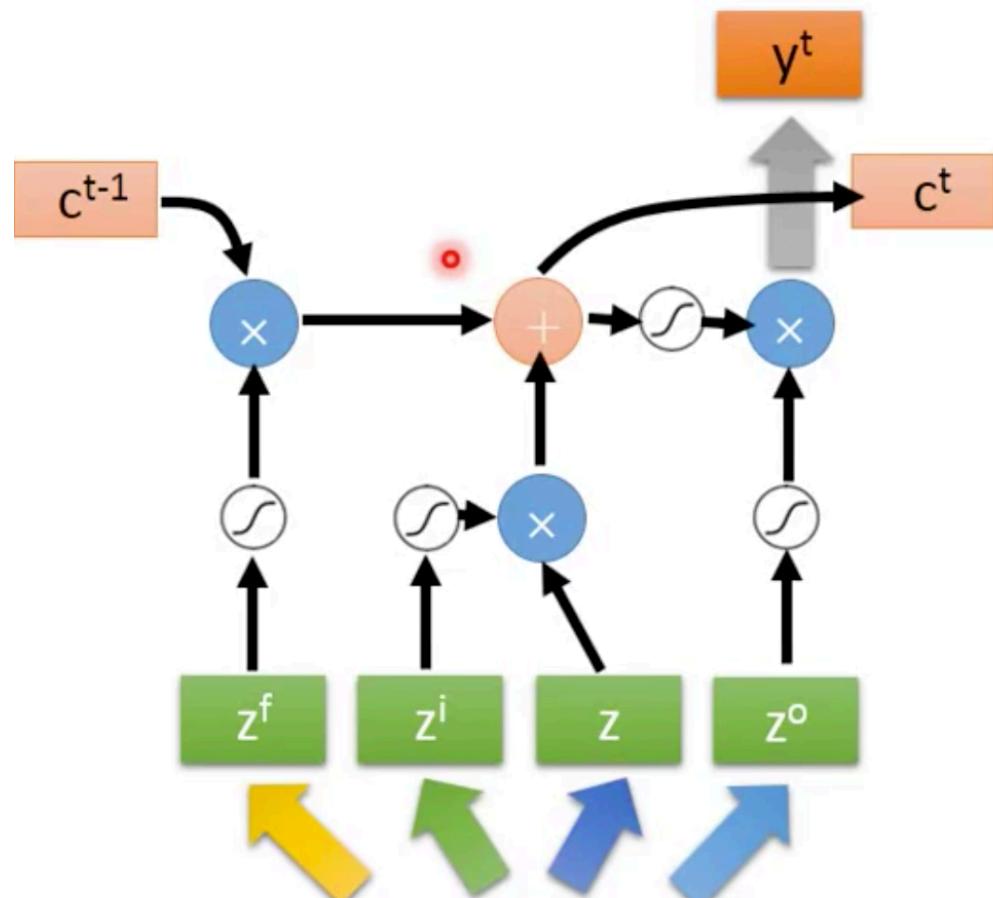
Element-wise vector operation for the layer



# LSTM

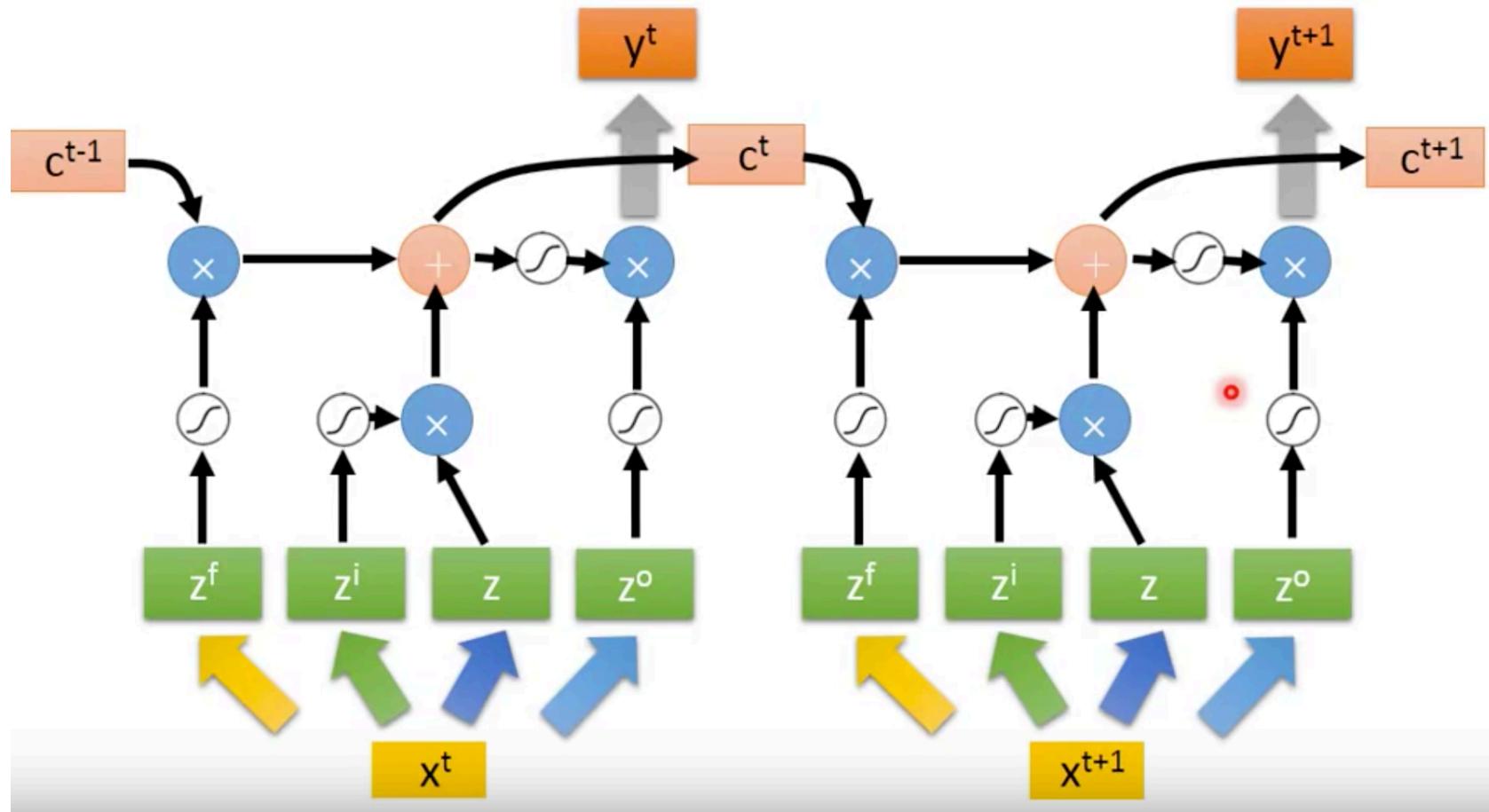


# LSTM



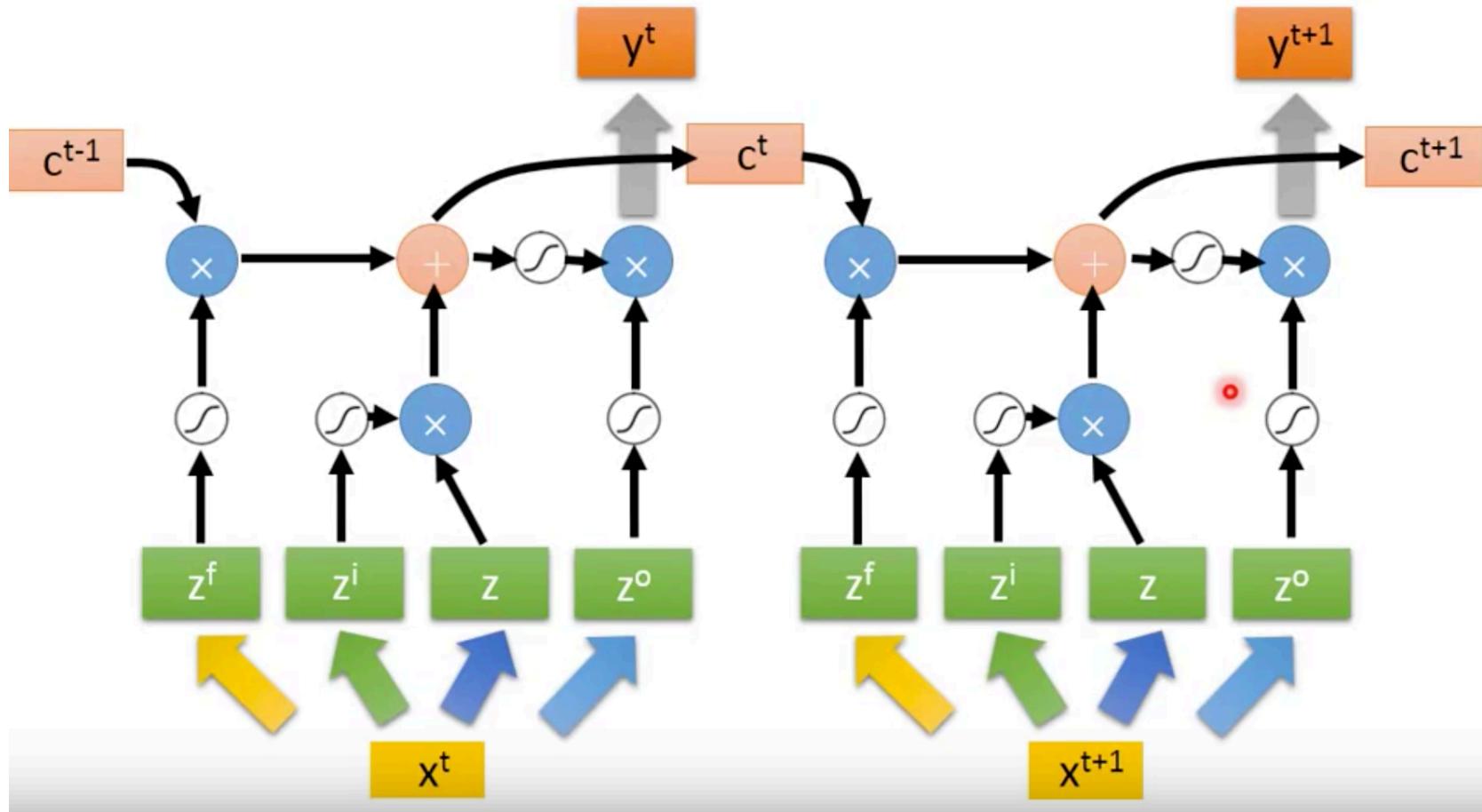
這個時候相加以後的結果，就是 memory 裡面存的值

# LSTM



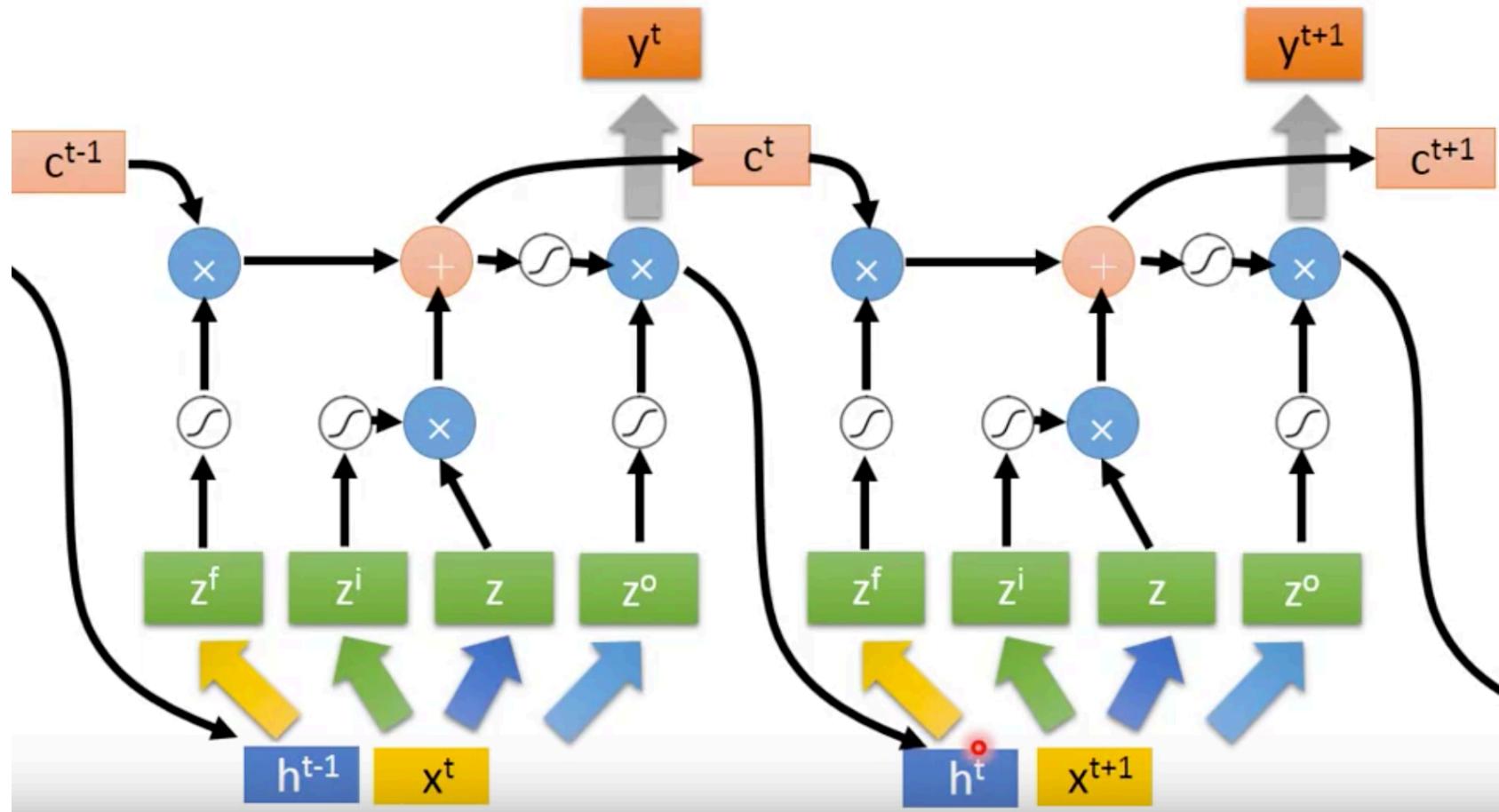
# LSTM

This is still just a simple version of LSTM



# LSTM

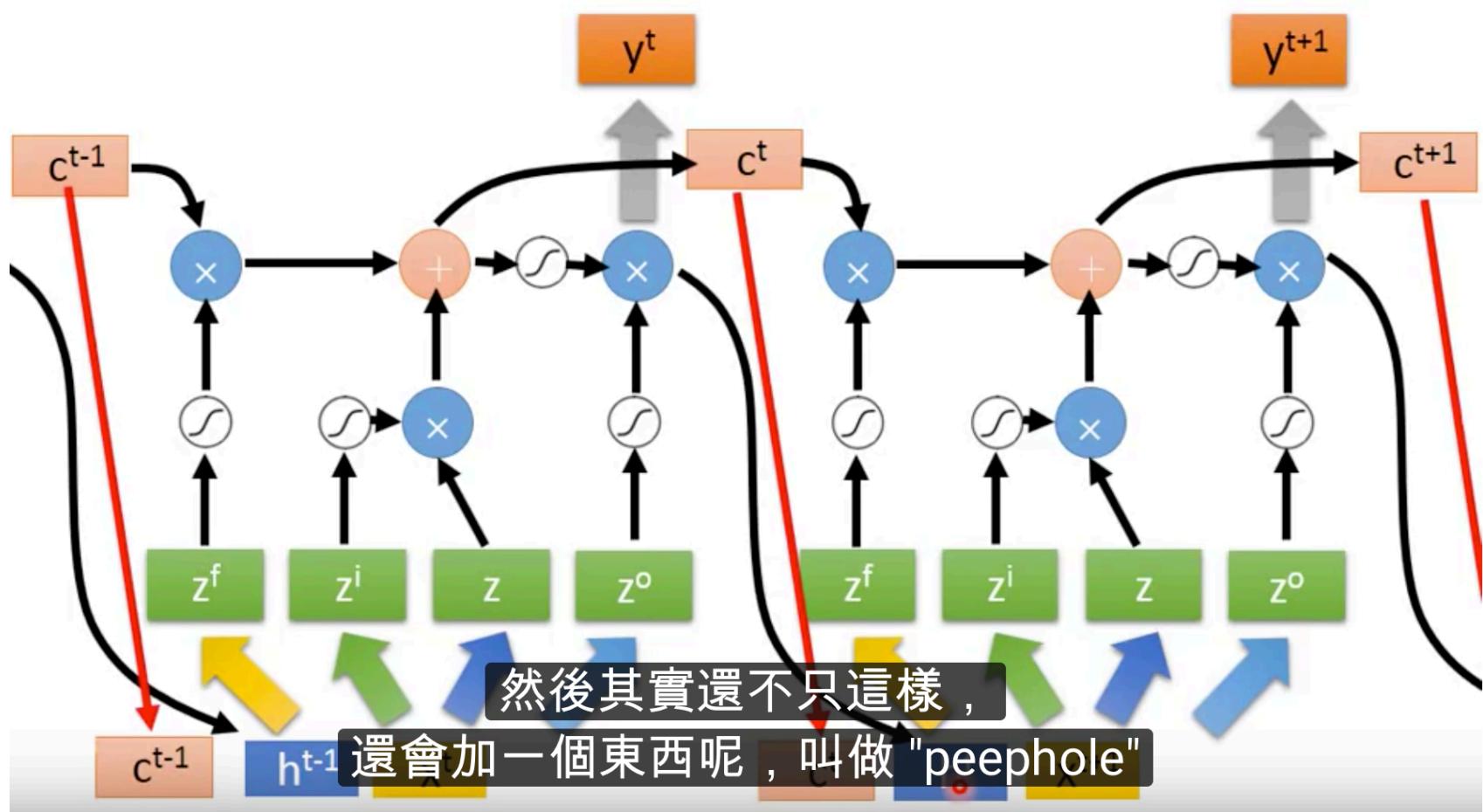
## Real LSTM



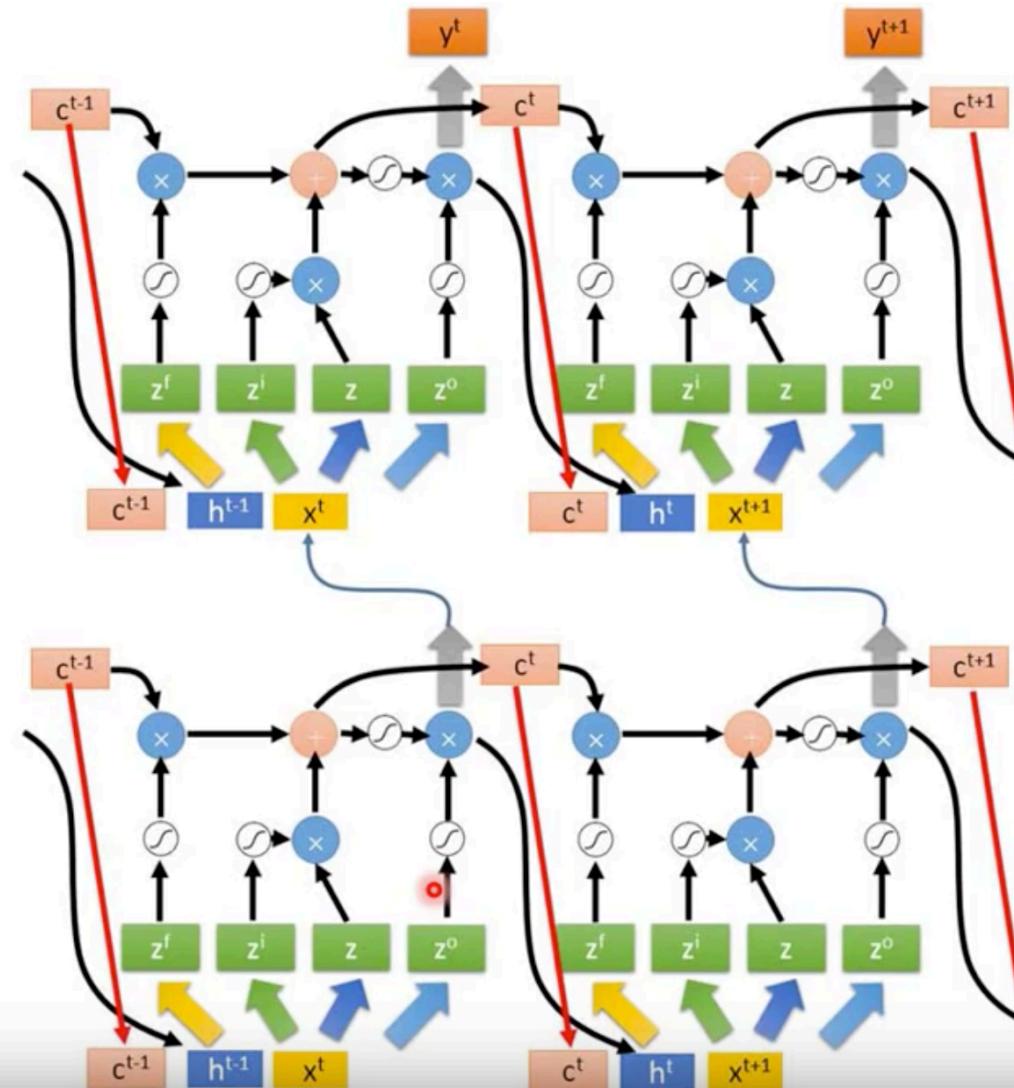
LSTM

Real LSTM

Extension: “peephole”

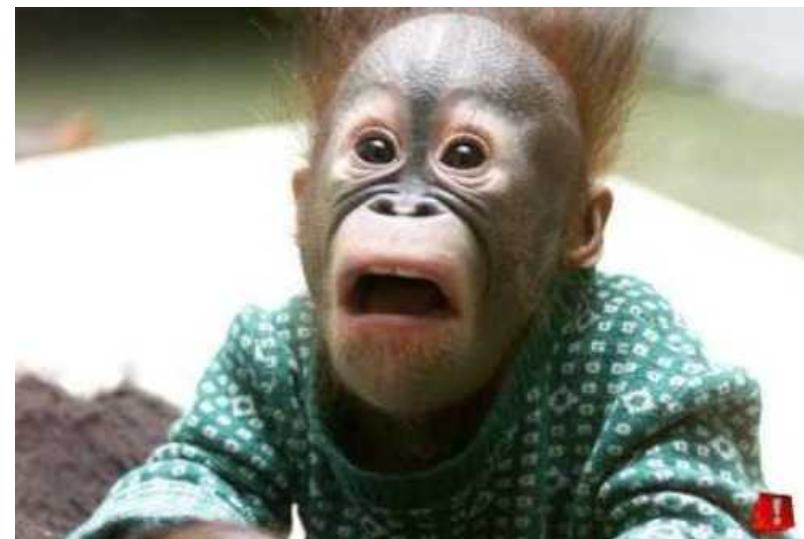


## Multiple-layer LSTM



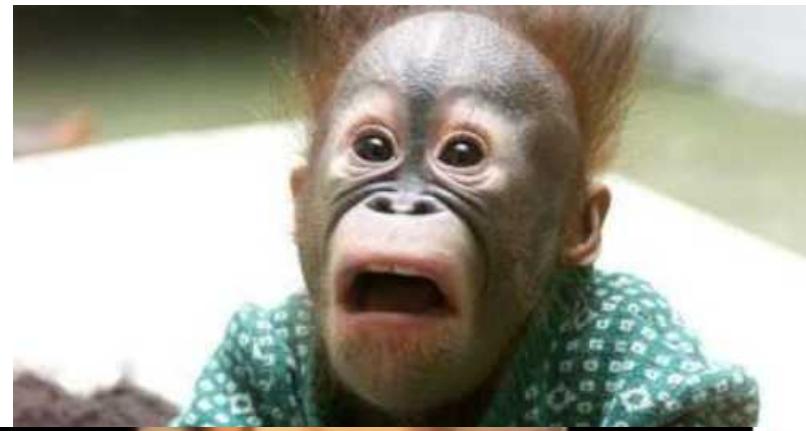
The first time a person sees

LSTM



The first time a person sees

LSTM



Don't worry if you cannot understand this.  
Keras can handle it.

Keras supports  
“LSTM”, “GRU”, “SimpleRNN” layers