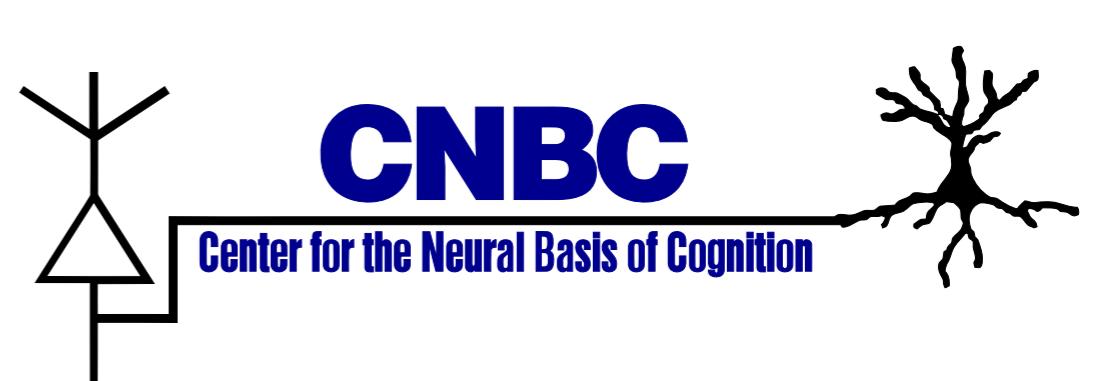
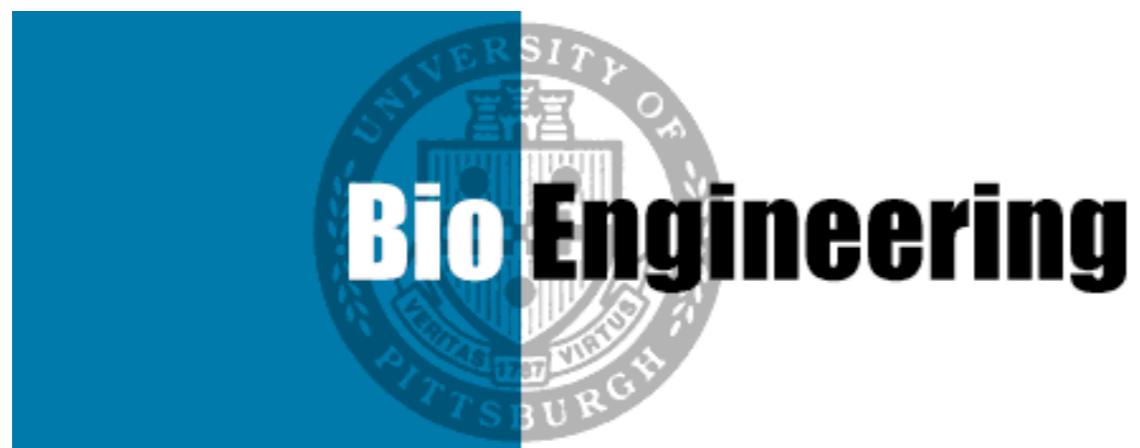


Brain-Computer Interfaces: Therapeutics and Basic Science

Aaron Batista
aaron.batista@pitt.edu

30 September 2021



Neural Engineering:

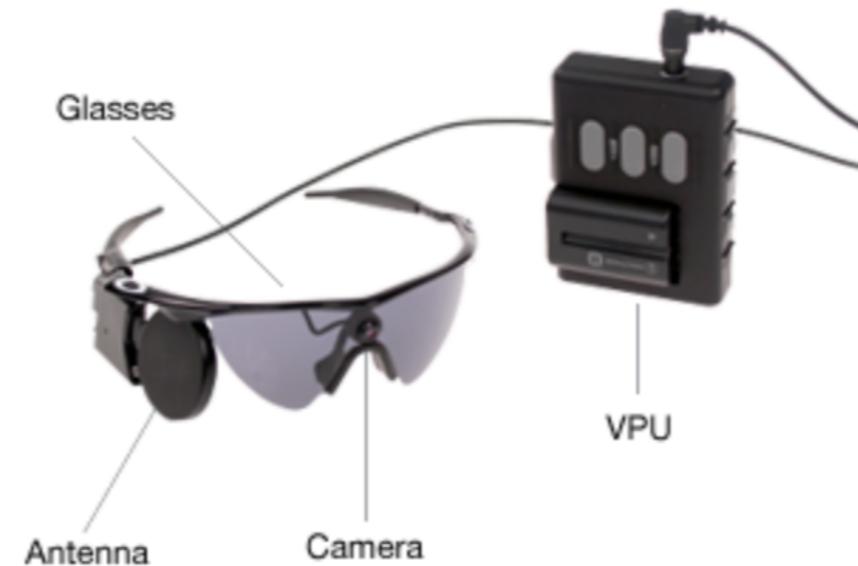
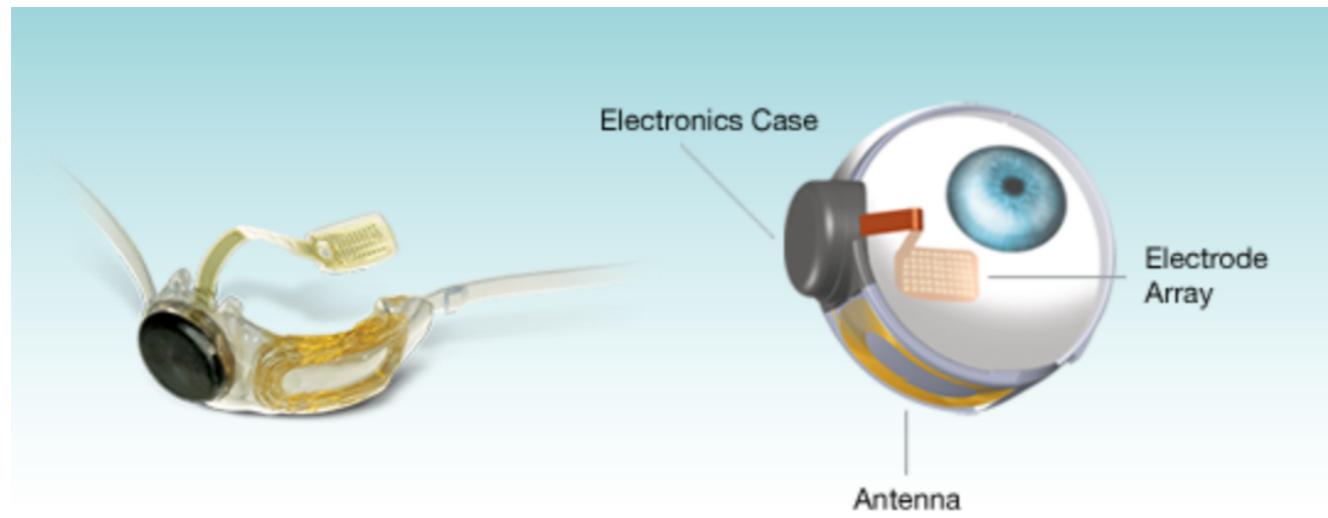
*Electrical interventions for restoring sensory,
motor, and cognitive function*

I) Cochlear Implants

Cochlea



2) Retinal Prosthetics



www.2-sight.com

3) Deep Brain Stimulation (DBS) for dystonia and Parkinson's Disease

DBS for dystonia



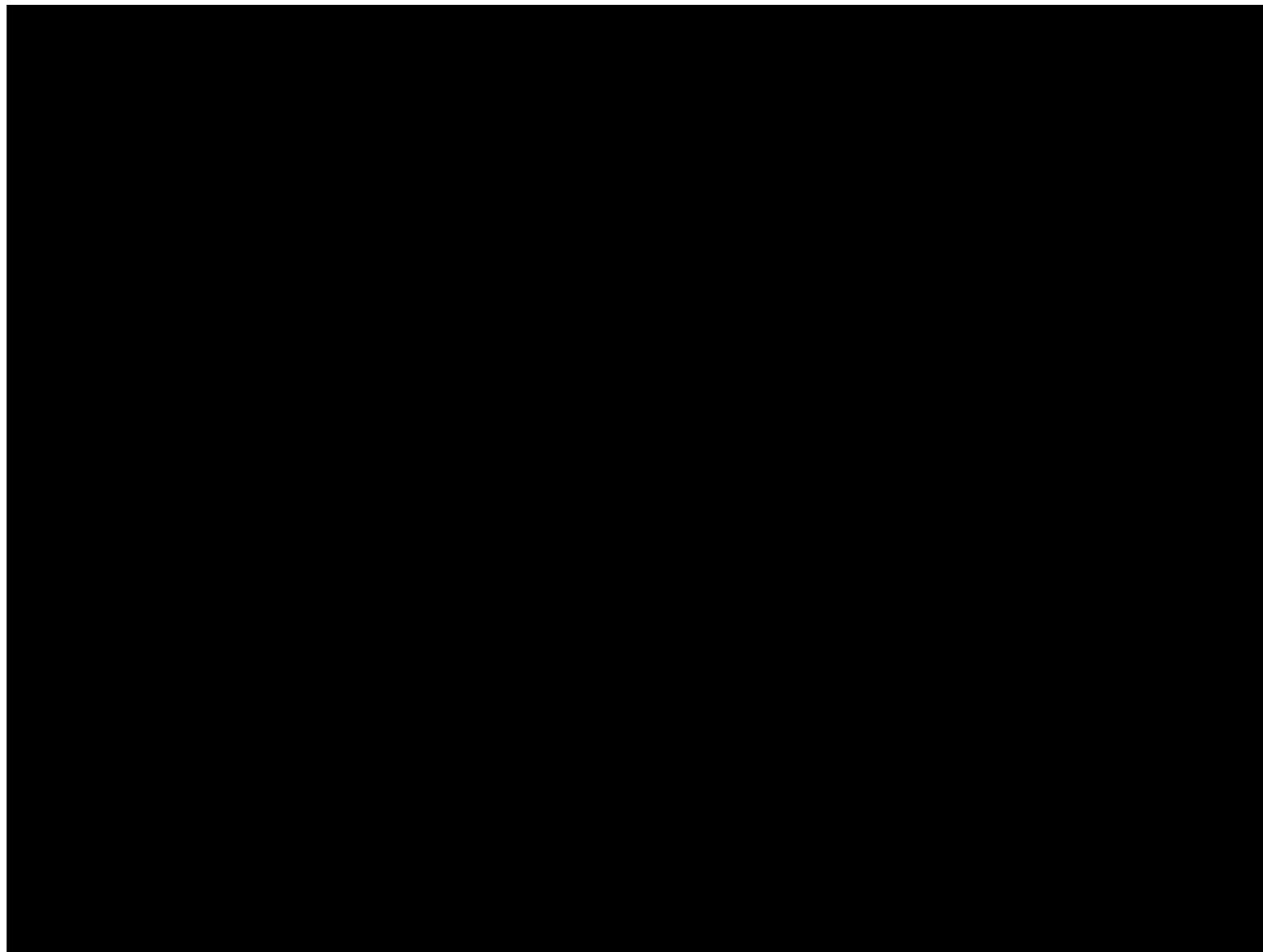
Uploaded on Aug 18, 2010

My name is Kym and I have severe generalized tardive dystonia. I have a DEEP BRAIN STIMULATOR . This is me at my neurologist office showing you what my DBS does for me. I would love to find a cure for this disorder! PLEASE HELP!

<https://www.youtube.com/watch?v=M53ov7Fifgo>

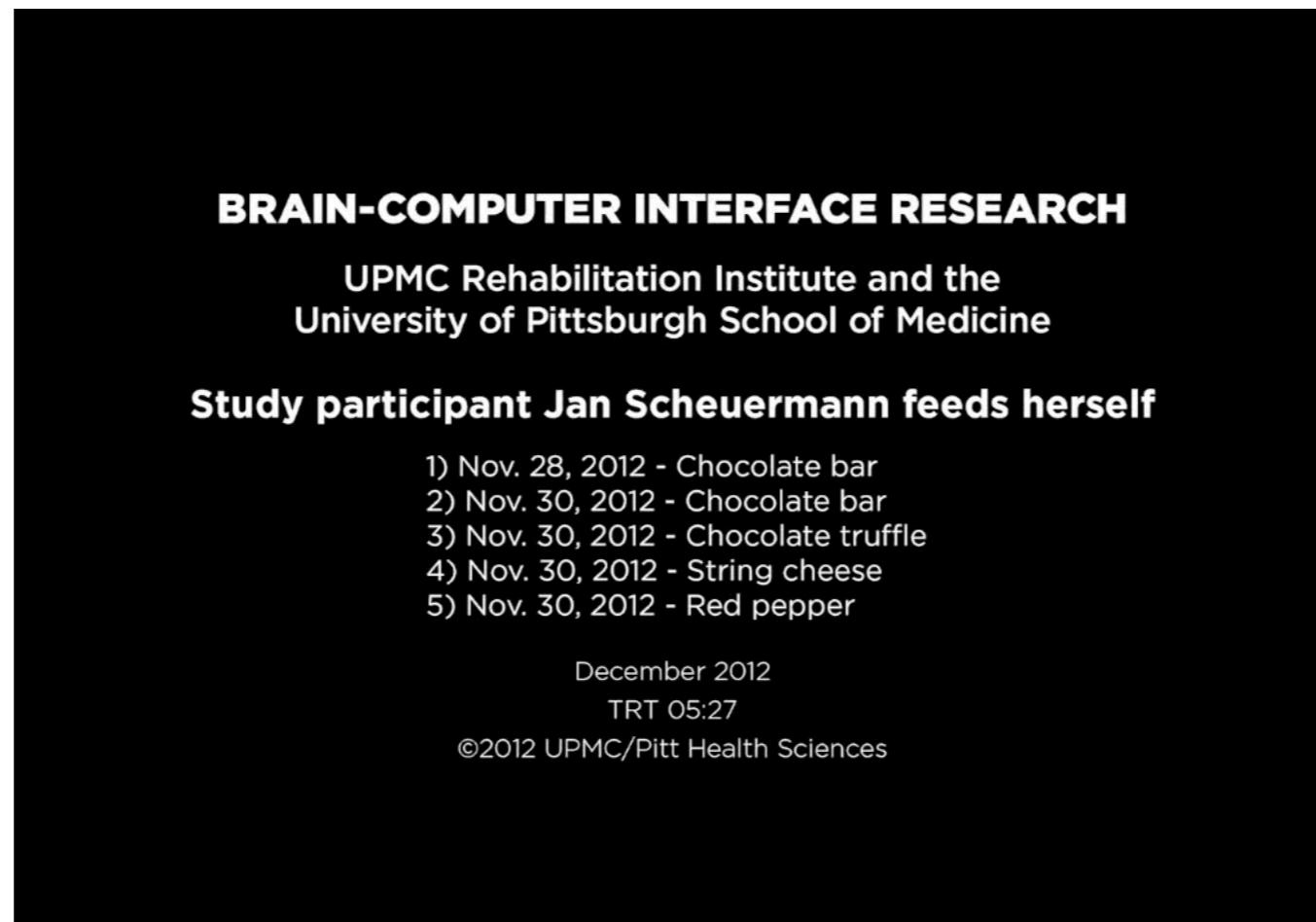
4) Brain-Computer Interfaces (BCI) to restore motor function

BCI to restore motor function



Hochberg et al, 2006

BCI to restore motor function



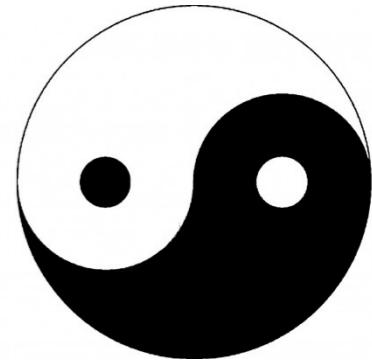
Collinger et al, 2013

Outline



- Neurophysiology of motor control
- Brain-Computer Interface algorithms
- Population methods in basic neuroscience
- New directions in BCI therapeutics

Outline



- Neurophysiology of motor control
 - Behavior
 - Theories
 - Neurophysiology

Why is reaching difficult?

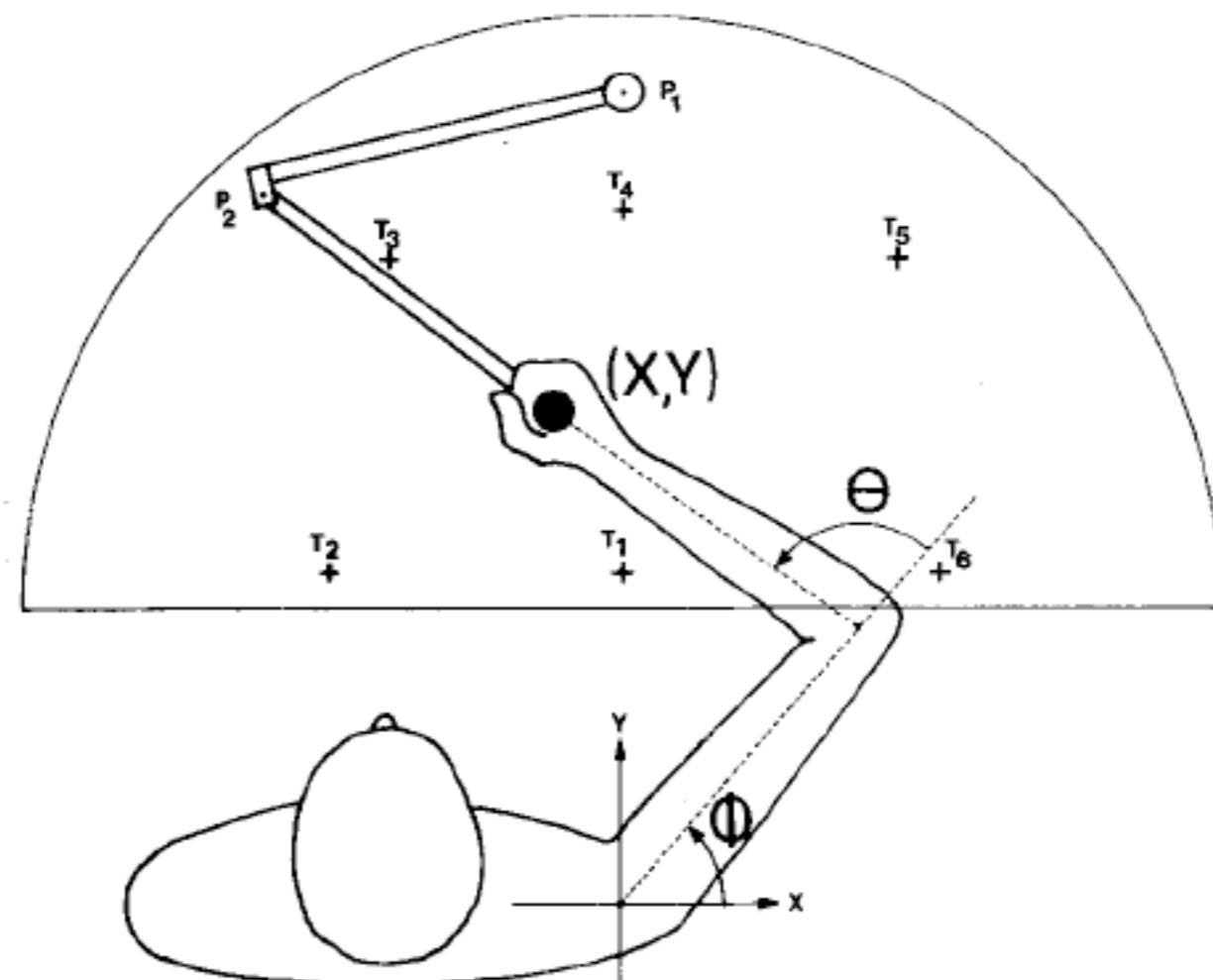
Why is reaching difficult?

- It takes years to learn.
- Redundant degrees of freedom
 - And yet, movements are stereotyped
 - You must optimize something, but what?
- Muscles are complex
 - Same input, different responses, and it depends on the muscle's position, velocity, and force.
- Spinal reflexes
 - Hierarchical control
- Inputs and outputs are in different formats.
 - Visual-motor reference frame transformation
- You have to pre-plan movements.
 - You can't just rely on feedback; it's too slow.
 - Nervous system may construct an “internal model” the limbs and the environment.

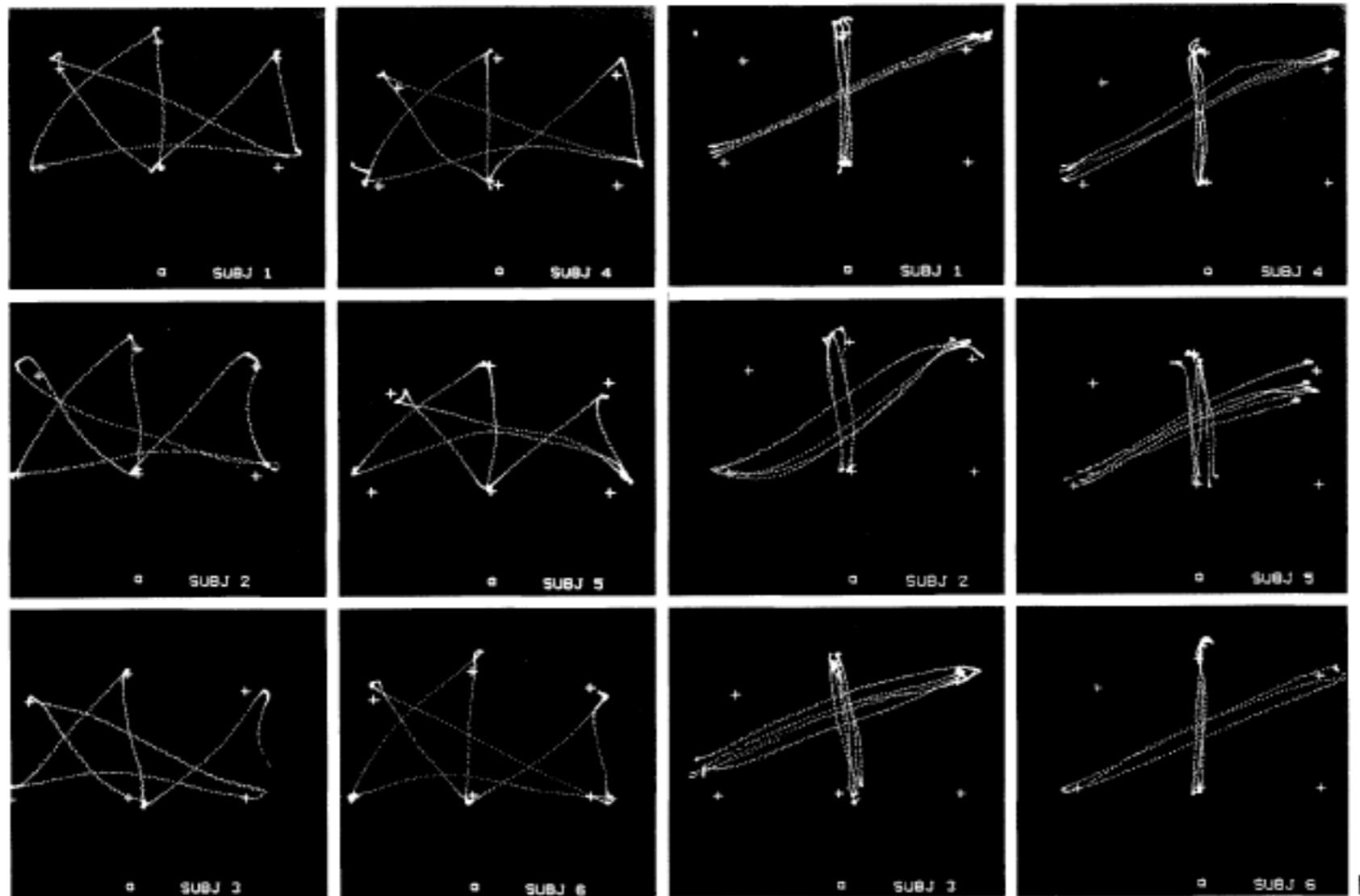
[Aaron, prove it to them!]

What do we need to explain?

Properties of Arm Movements

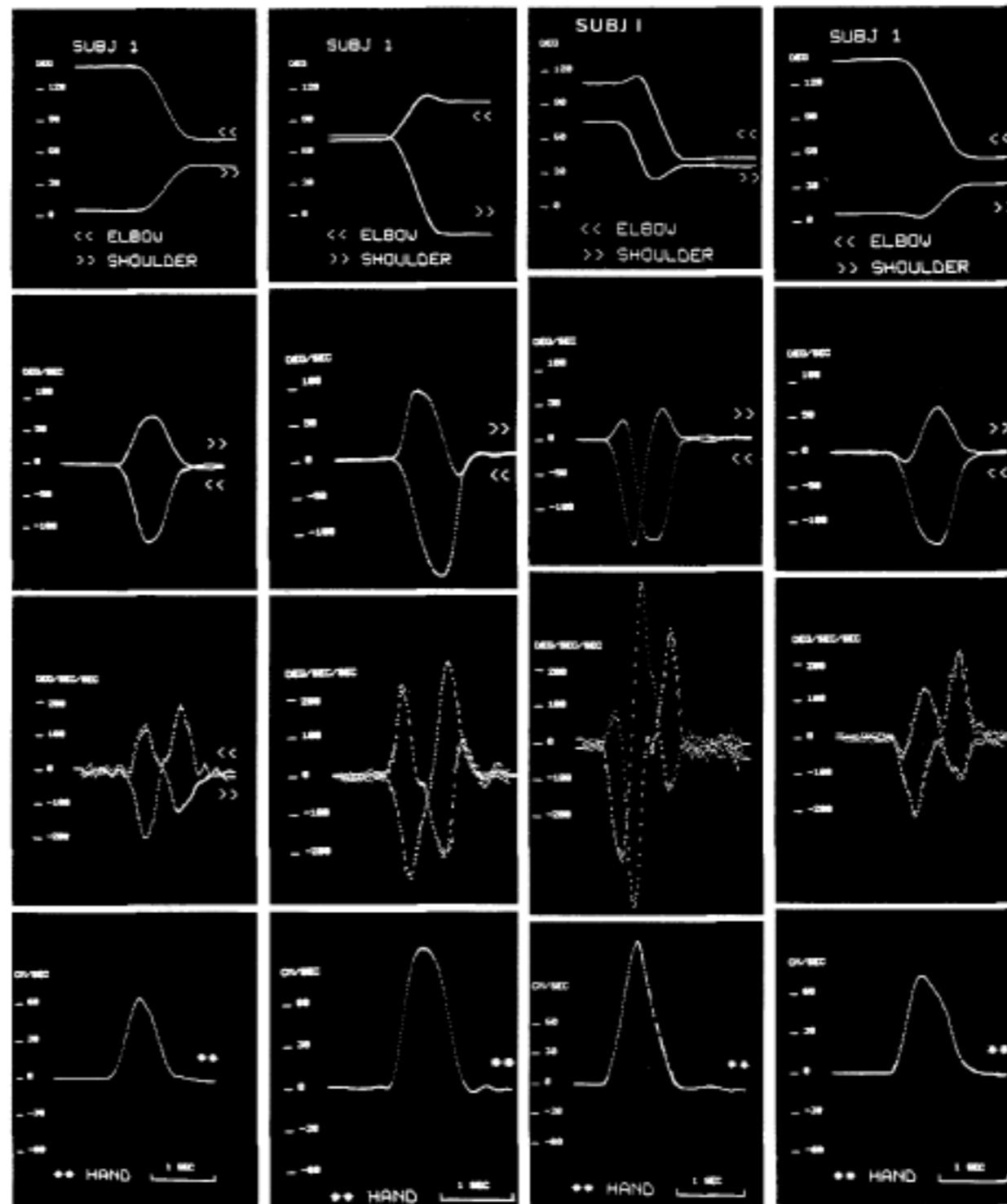


Reaches are straight in visual coordinates...



... but very complex in joint coordinates

Joint angles



Joint velocity

Joint accel.

Hand velocity

"Bell-shaped
velocity
profile"

Other regularities

- Fitts' Law: speed/accuracy tradeoff
- “ $2/3$ power law”: Speed is related to curvature
- Scale and effector invariance (e.g. handwriting)
- Repeated movements are very similar
- Movements are smooth

How do we explain regularities?

An Early Theory of Motor Control: Minimum Jerk

(Circa 1985)

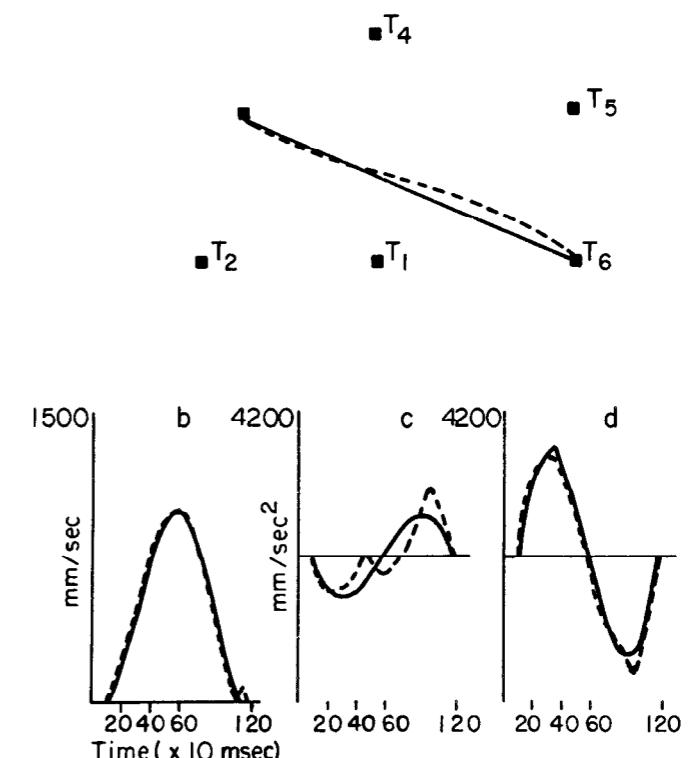
*Smooth movements
to minimize jerk*

The Coordination of Arm Movements: An Experimentally Confirmed Mathematical Model¹

TAMAR FLASH*,² AND NEVILLE HOGAN†³

Coordination is modeled mathematically by defining an objective function, a measure of performance for any possible movement. The unique trajectory which yields the best performance is determined using dynamic optimization theory. In the work presented here, the objective function is the square of the magnitude of jerk (rate of change of acceleration) of the hand integrated over the entire movement. This is equivalent to assuming that a major goal of motor coordination is the production of the smoothest possible movement of the hand.

$$C = \frac{1}{2} \int_0^{t_f} \left(\left(\frac{d^3x}{dt^3} \right)^2 + \left(\frac{d^3y}{dt^3} \right)^2 \right) dt$$



Newer Theories of Motor Control

- Signal-Dependent Noise
(Wolpert and Harris)
- Optimal Feedback Control
(Todorov and Jordan, and Steve Scott)
- Internal Models
(Masao Ito, and many others)

Signal-Dependent Noise

Signal-dependent noise determines motor planning

Harris and Wolpert, *Nature* 394:780 (1998)

Smooth, “bell-shaped” reaches are made by a simple model with reasonable assumptions and objectives:

(safe) Assumptions:

- The goal is to make accurate movements.
- Neural control signals are Poisson: the noise scales with the signal.
- Noise accumulates over the duration of the movement.

A simple arm model hits goals under these constraints:

For a given movement duration, the neural command minimizes error.

-or-

For a given error tolerance, the neural command maximizes the speed.

Optimal Feedback Control

- A multiple-input, multiple-output system may have redundancies.
- When such a system is noisy, the redundant space can be exploited.
- *Don't correct errors that don't hurt you.*

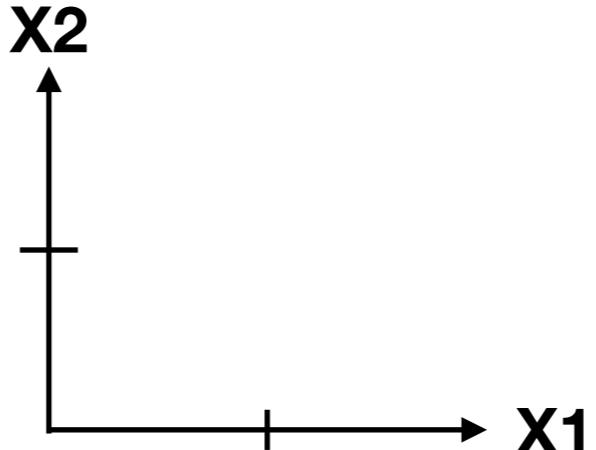
Optimal Feedback Control

- A multiple-input, multiple-output system may have redundancies.
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Goal: $X_1 + X_2 = 2$

Optimal Feedback Control

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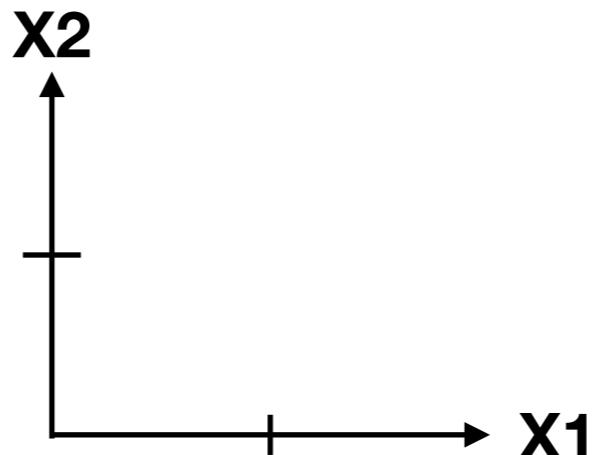


Goal: $X_1 + X_2 = 2$

Two dimensional
input to one
dimensional output

Optimal Feedback Control

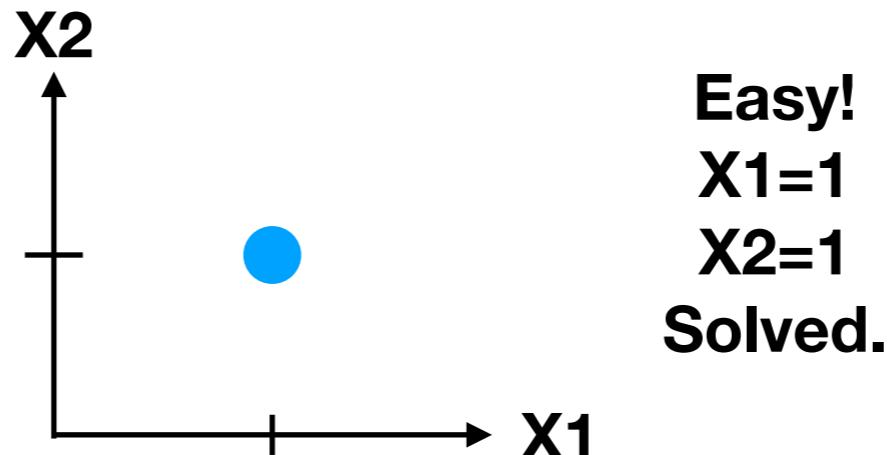
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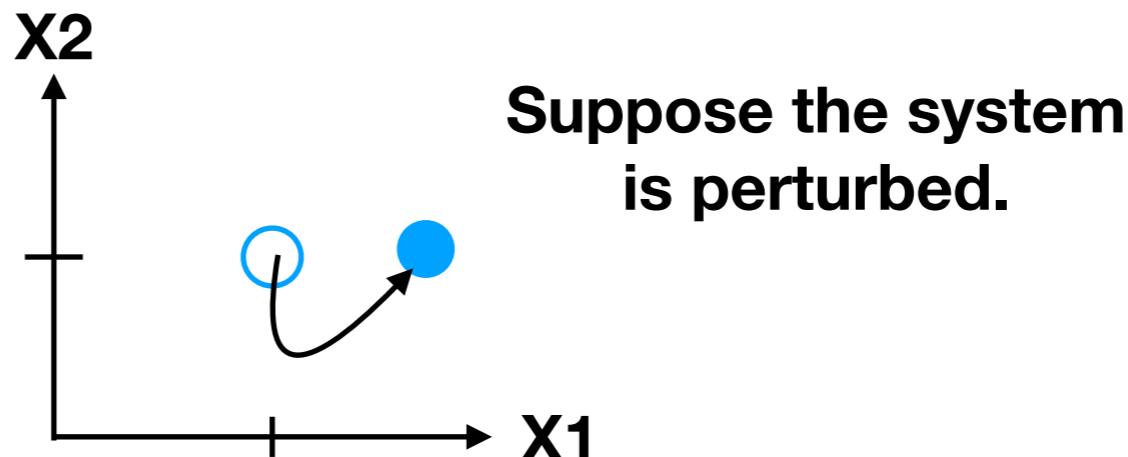
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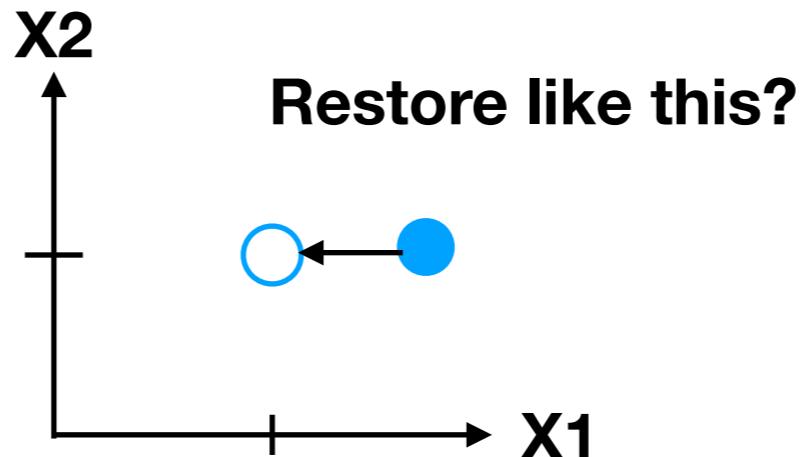
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Optimal Feedback Control

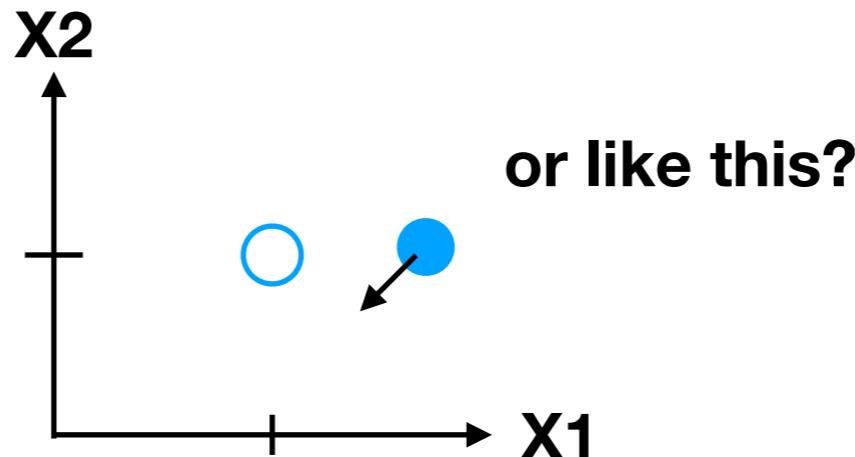
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Optimal Feedback Control

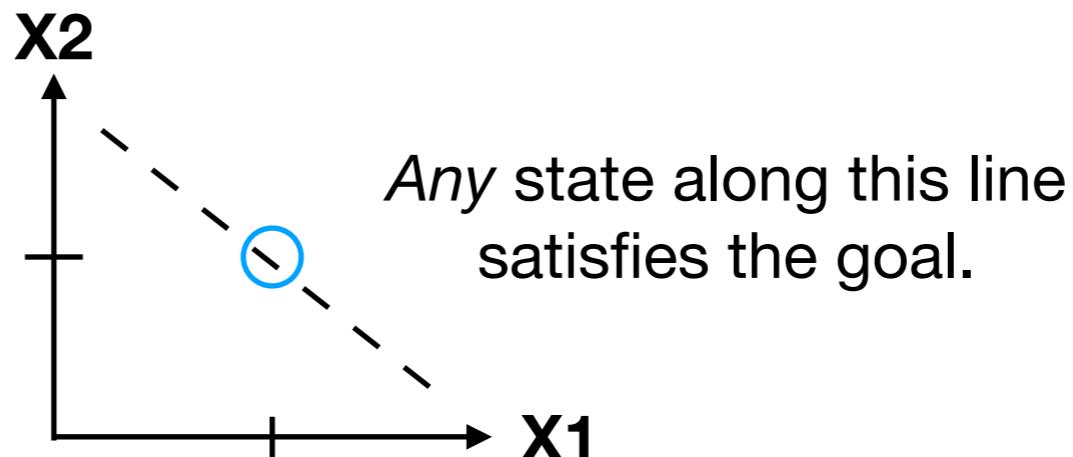
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Optimal Feedback Control

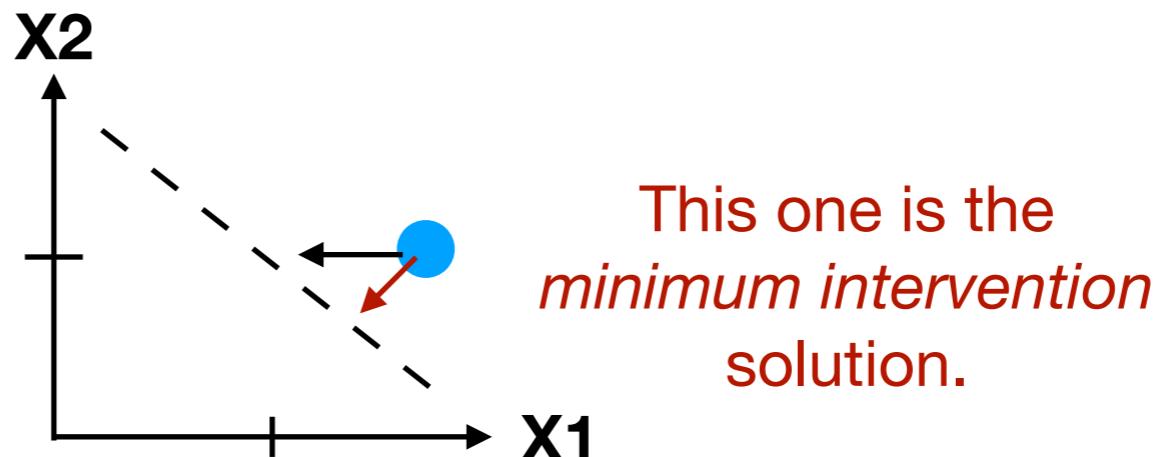
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$$\text{Goal: } X_1 + X_2 = 2$$

Optimal Feedback Control

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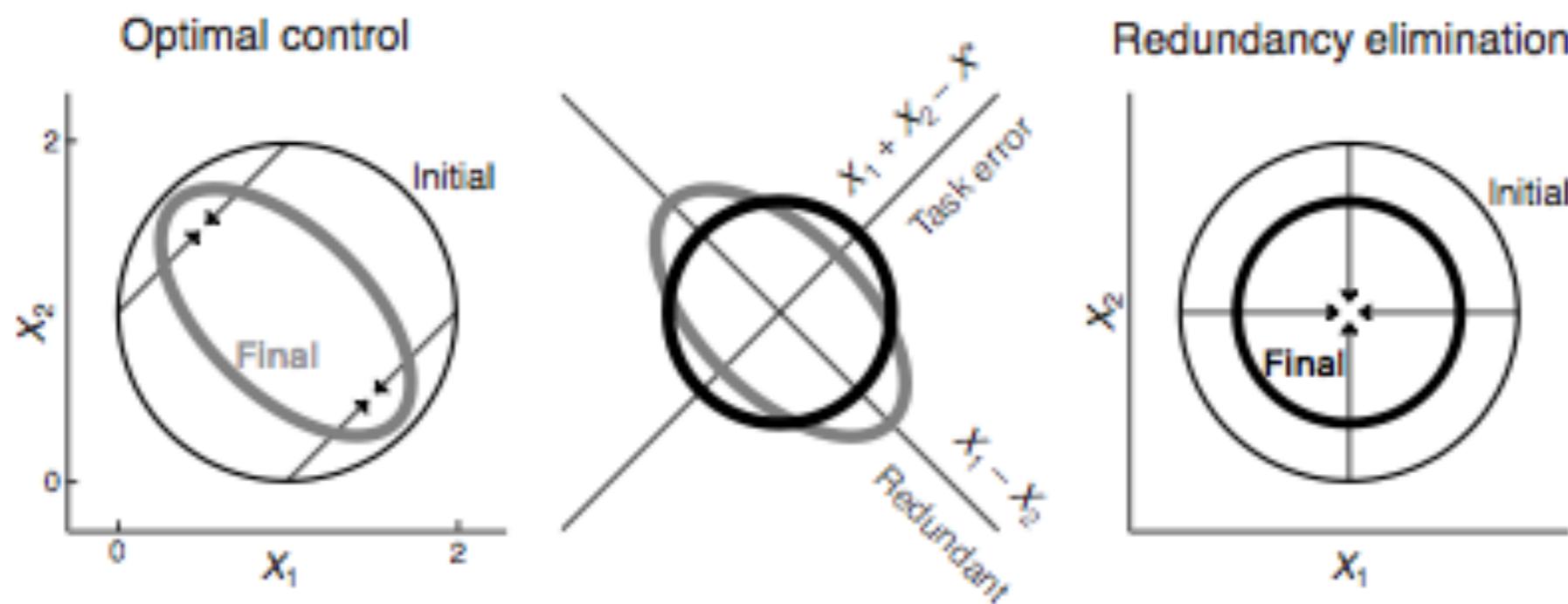
Goal: $X_1 + X_2 = 2$

Optimal feedback control as a theory of motor coordination

Emanuel Todorov¹ and Michael I. Jordan²

“Minimal Intervention Principle”

(Don’t correct variability that doesn’t matter)

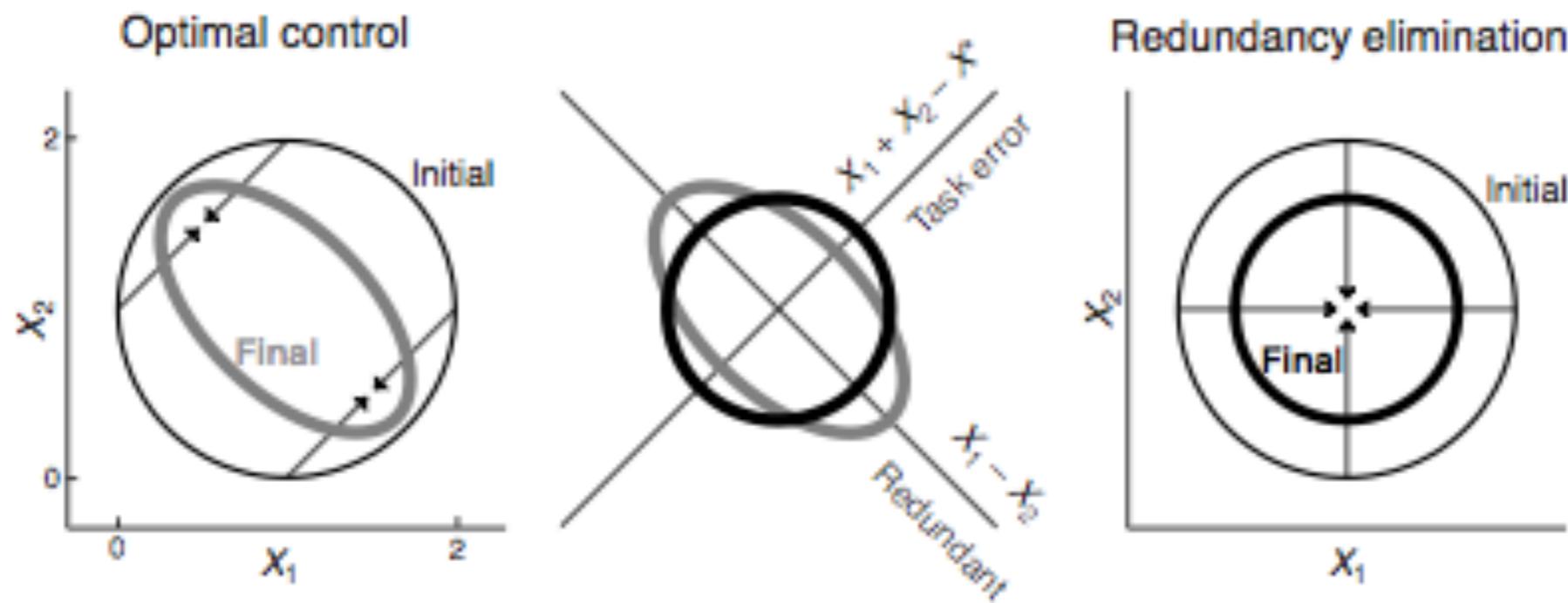


$$\text{Goal: } X_1 + X_2 = 2$$

Optimal feedback control as a theory of motor coordination

Emanuel Todorov¹ and Michael I. Jordan²

“Minimal Intervention Principle”



Benefit of OFC:

- Smaller command signals

Hallmarks of an OFC solution:

- Structured variability

exploit redundancy

Internal Models

- If feedback were fast, you could just start moving, and correct as you go.
- Instead, the brain builds an internal representation of the body, and the environment (“forward model”).
- This allows you to plan movements well, and to anticipate the consequences of action.

[Aaron, did you make them do the demo?]

- Ample behavioral evidence, but still very little physiological demonstrations.
- (For completeness, note that there are also inverse models that convert goals into motor commands. These are “inverse models”.)

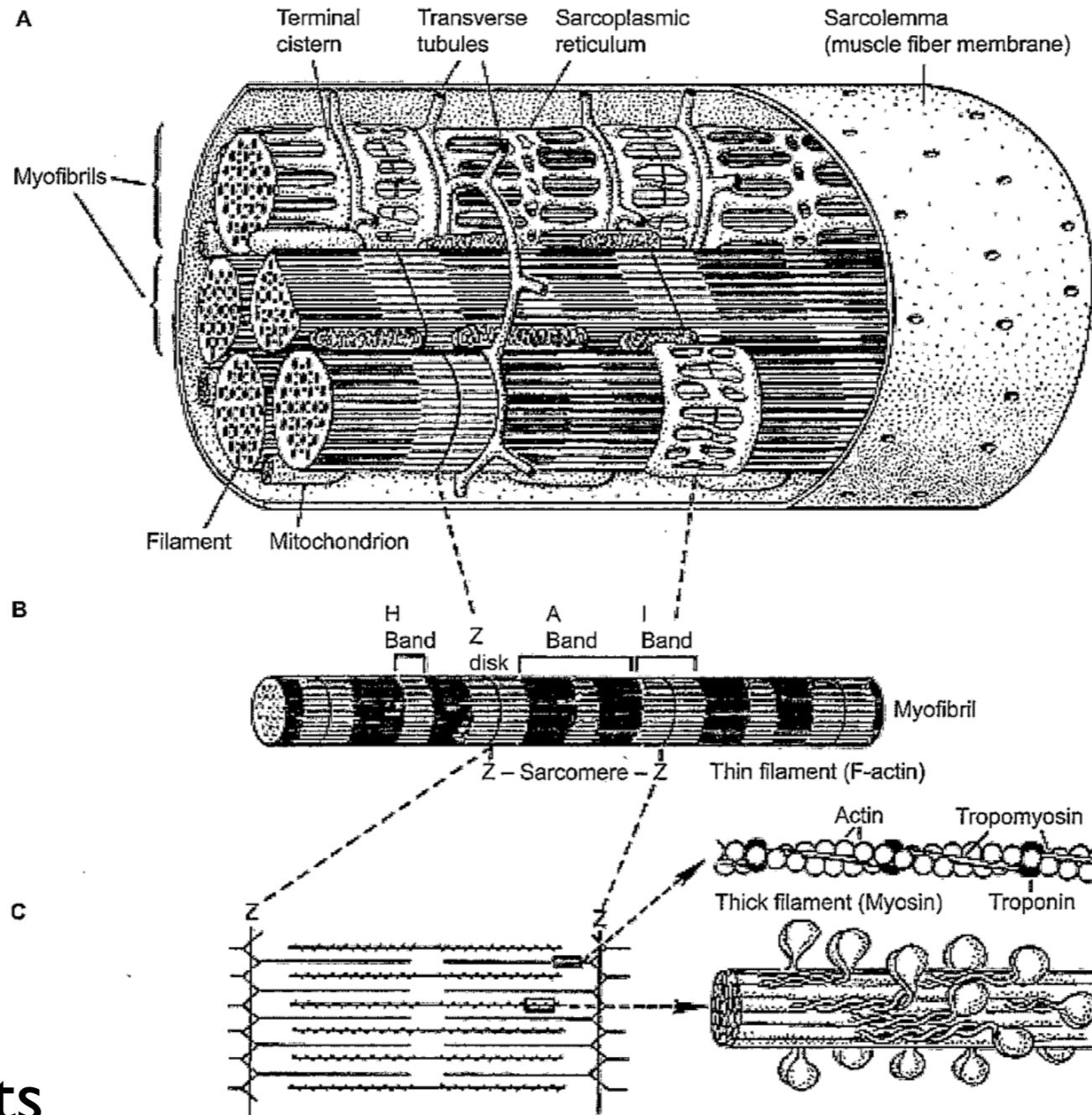
Theories of motor control:

- Many possible reaches achieve the same goal. This is an *advantage* for the system, but it raises a challenge for us as we try to understand it - *How is a movement selected?*
- Some theories:
 - Reaches are selected to minimize jerk.
 - Reaches try to optimize speed and accuracy (and that results in smoothness.)
 - Variability that can't hurt performance is ignored.
 - Internal models (of the world, of the body) are created, to “try out” many plans before executing one.

Non-ideal aspects of muscles

- 1) Force depends on length, and velocity
- 2) Sluggish
- 3) They only work in one direction
Antagonist arrangement.

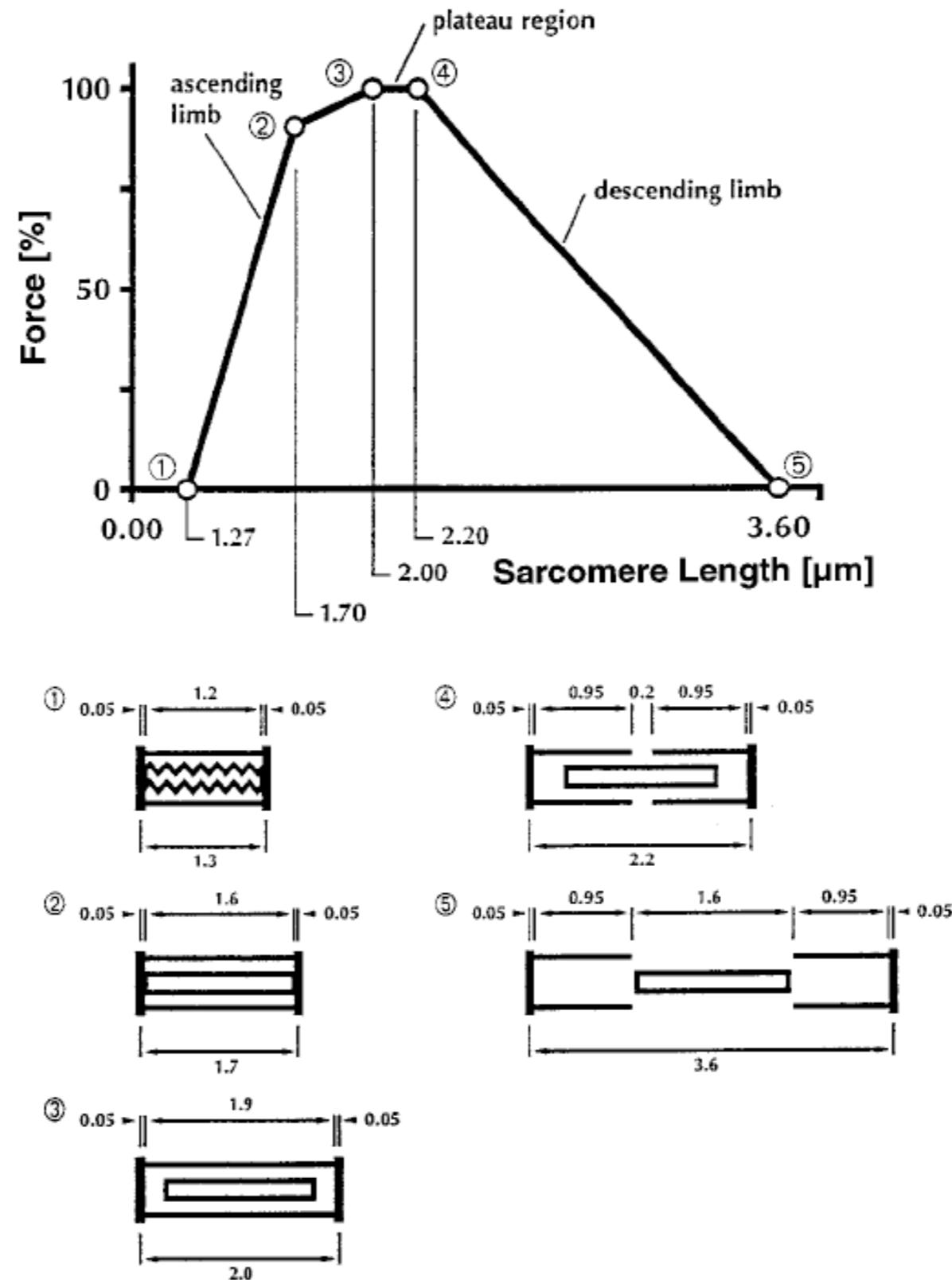
Muscle physiology



Sliding filaments

Cross bridges

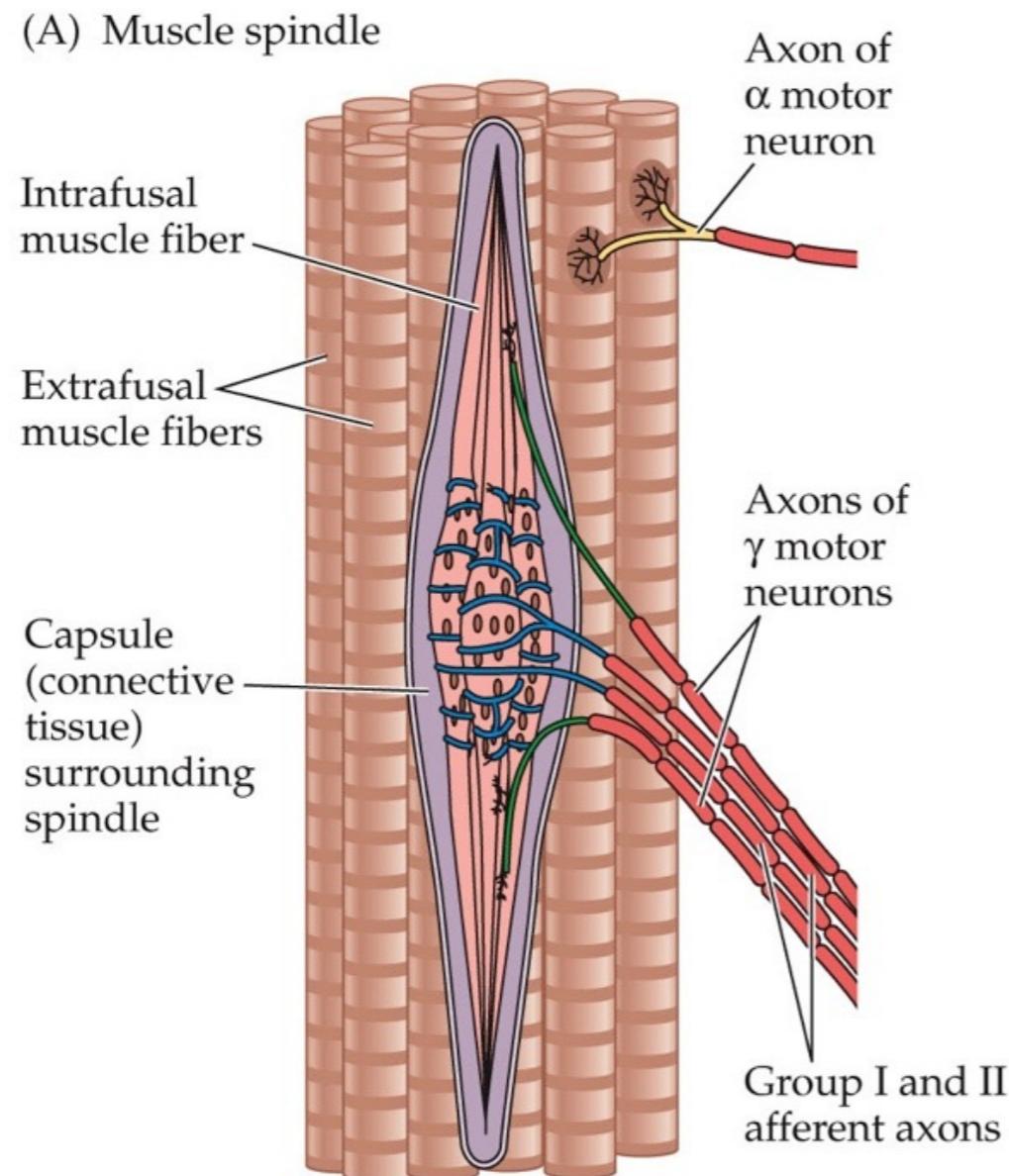
Force depends on length



Experiments conducted on single muscle fibers.

Proprioceptors

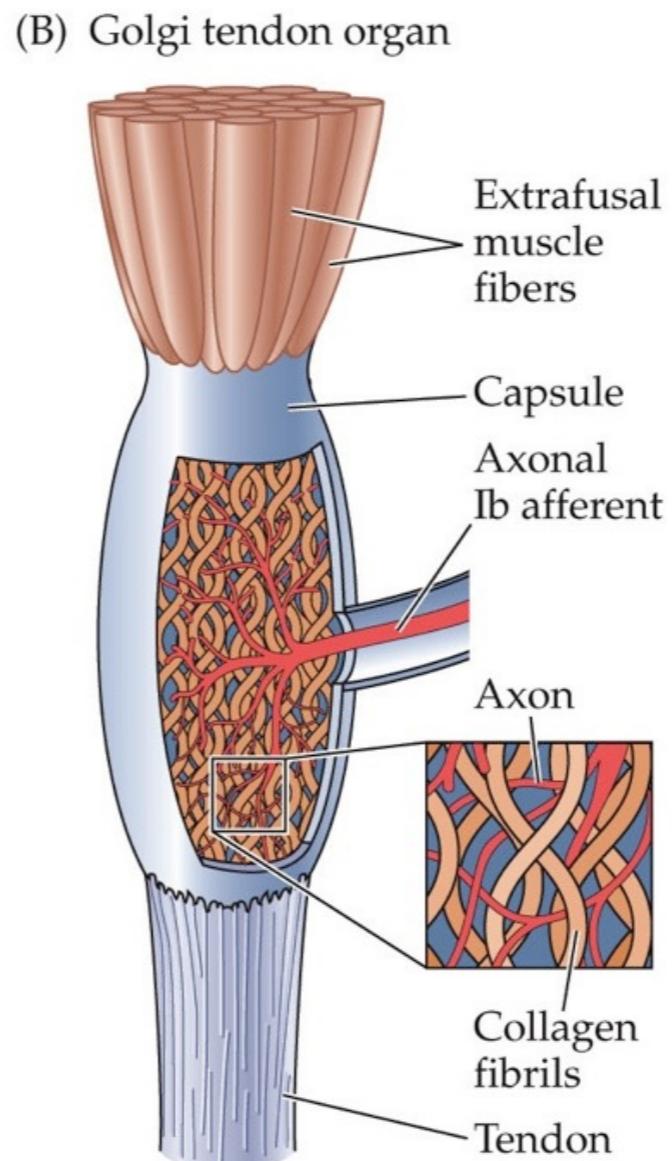
Muscle Spindle



NEUROSCIENCE, Fourth Edition, Figure 9.7

In parallel with muscle fibers

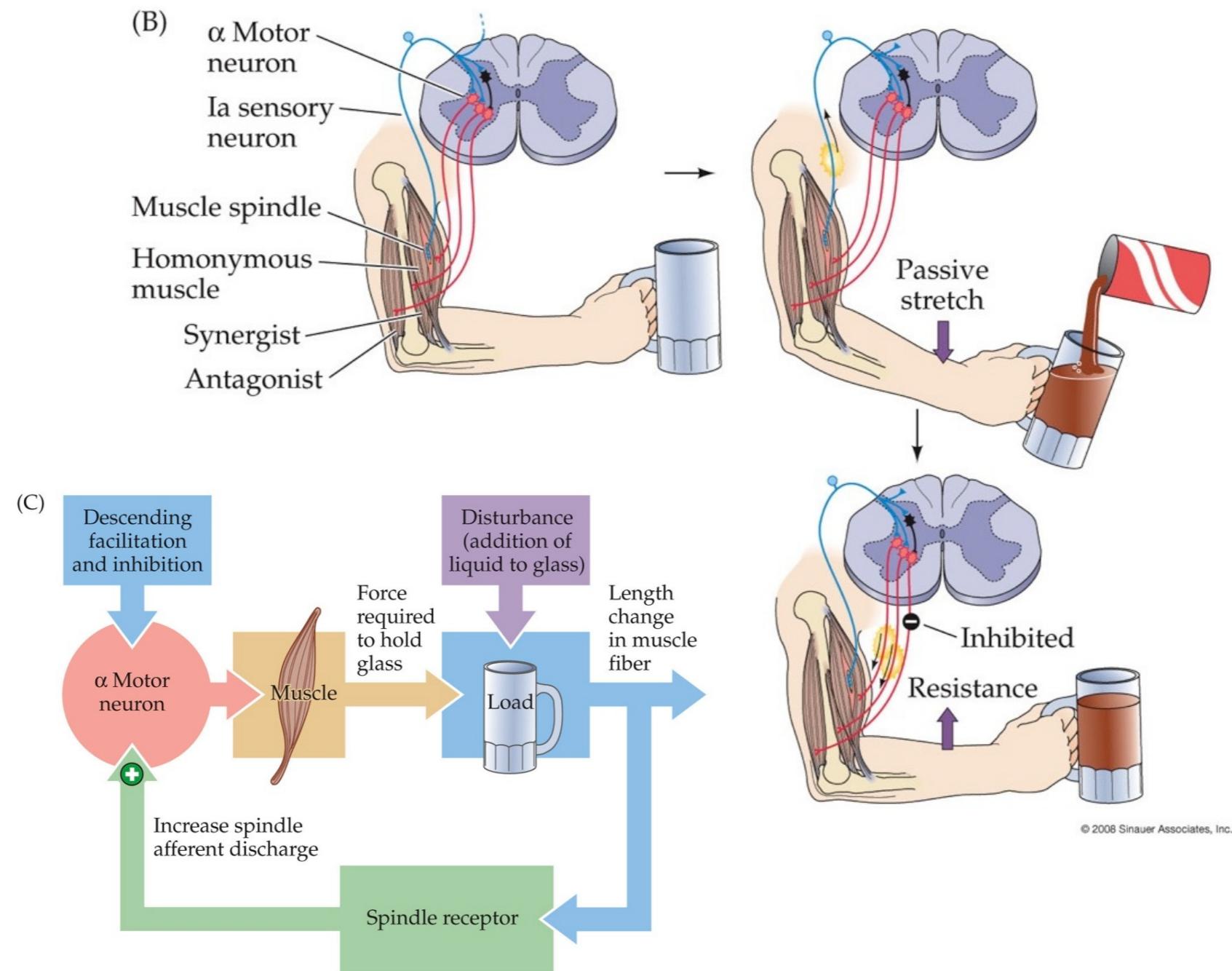
Golgi tendon organ



In series with muscle fibers

Feedback loops Spindles regulate posture

“Myotactic
reflex”



Today's Menu



- Neurophysiology of motor control
 - Behavior
 - Theories
 - Neurophysiology

Given all this complexity, is the goal
of the primary motor cortex easier,
or harder?

Given all this complexity, is the goal
of the primary motor cortex easier,
or harder?

How many of the details of arm movements
are reflected in the activity of M1?
(and, *which* details are evident there?)

Does M1 generate commands for...

Muscles

or

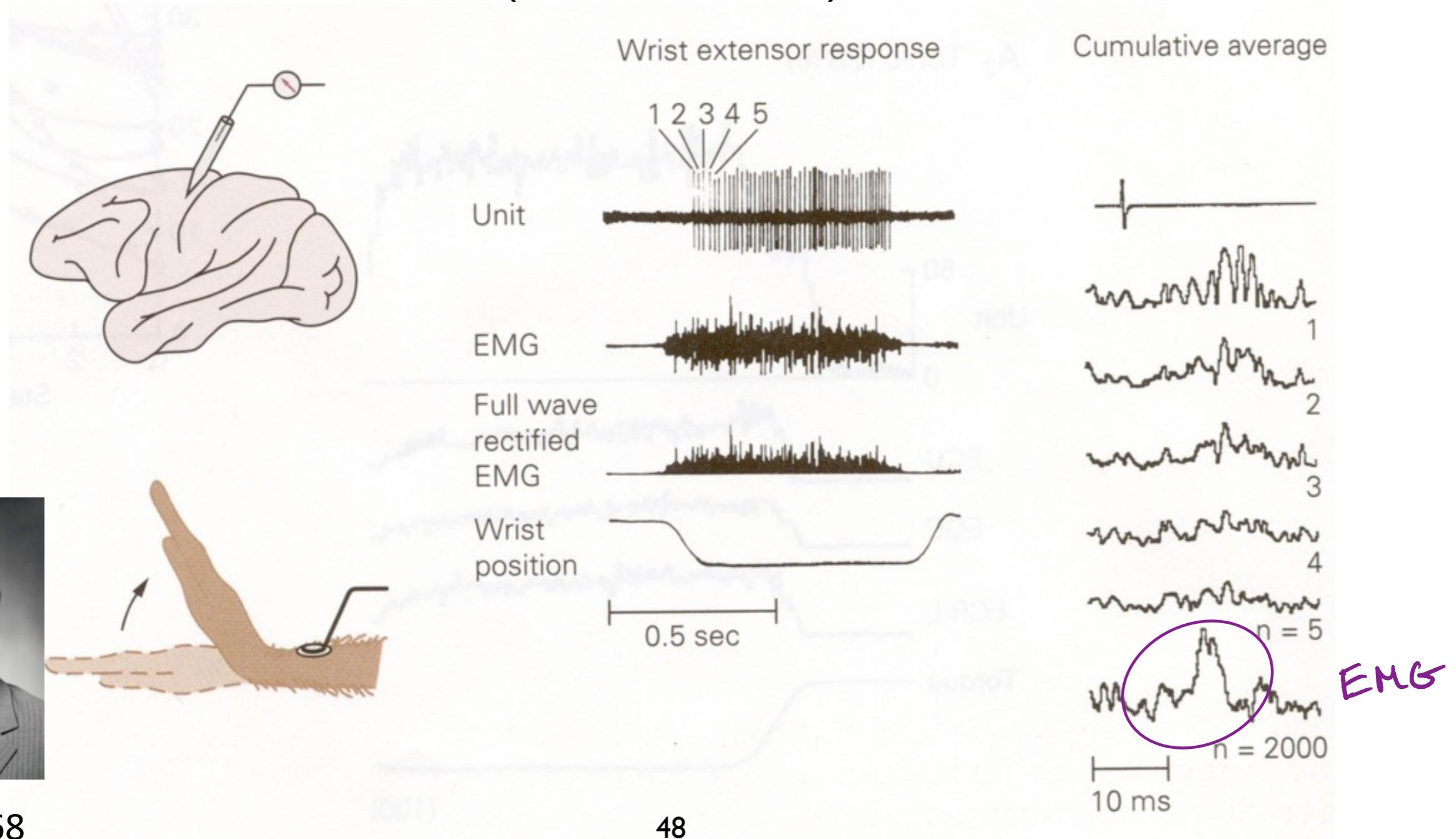
Movements?



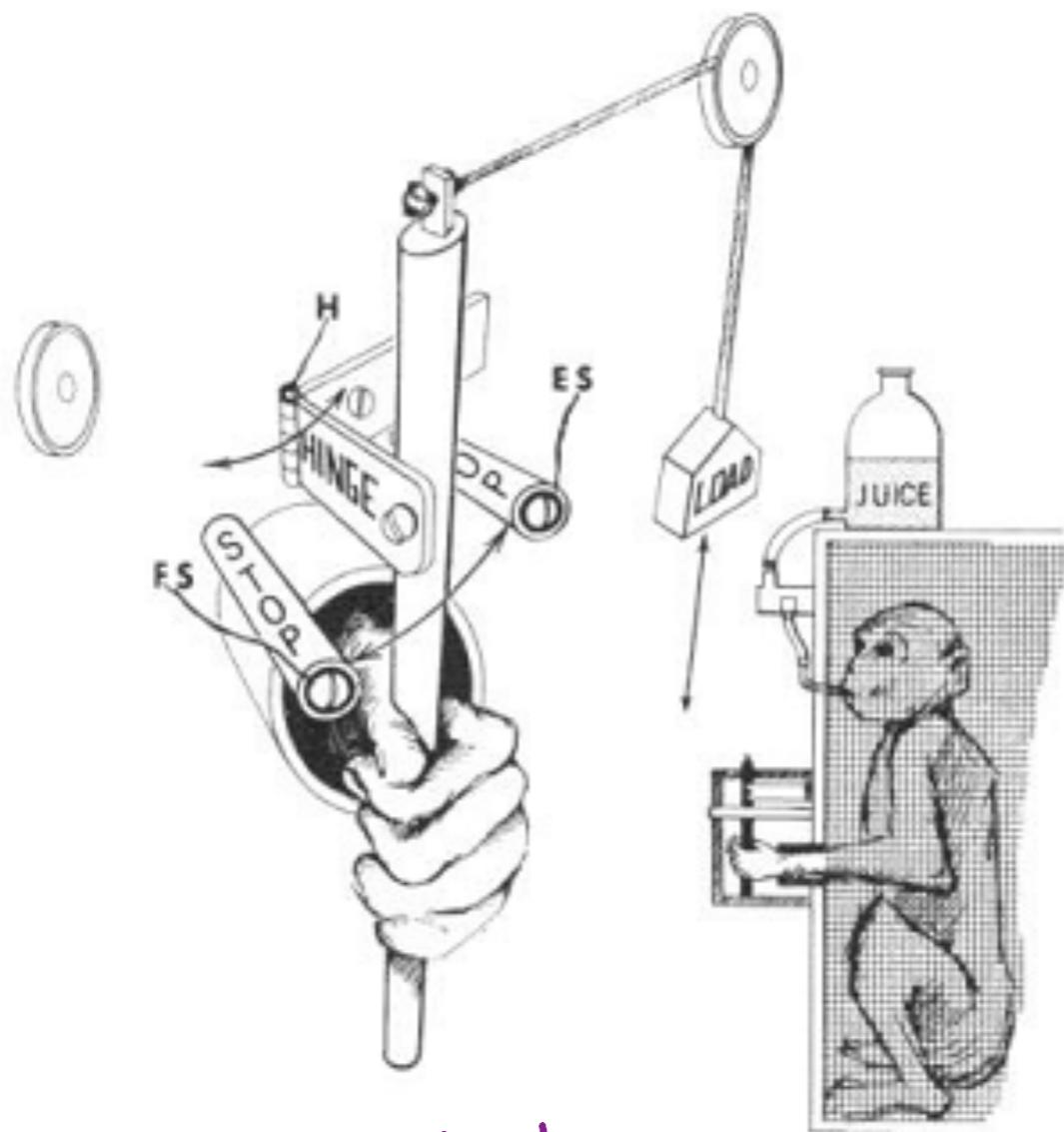
How can we approach
this problem?

MI codes Muscles: Evidence

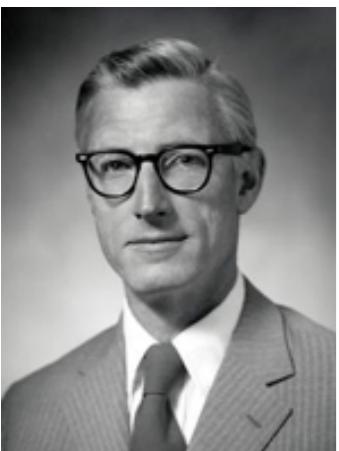
Method: Spike-triggered averaging to identify neurons that project directly to the spinal cord
(Evarts, 1968)



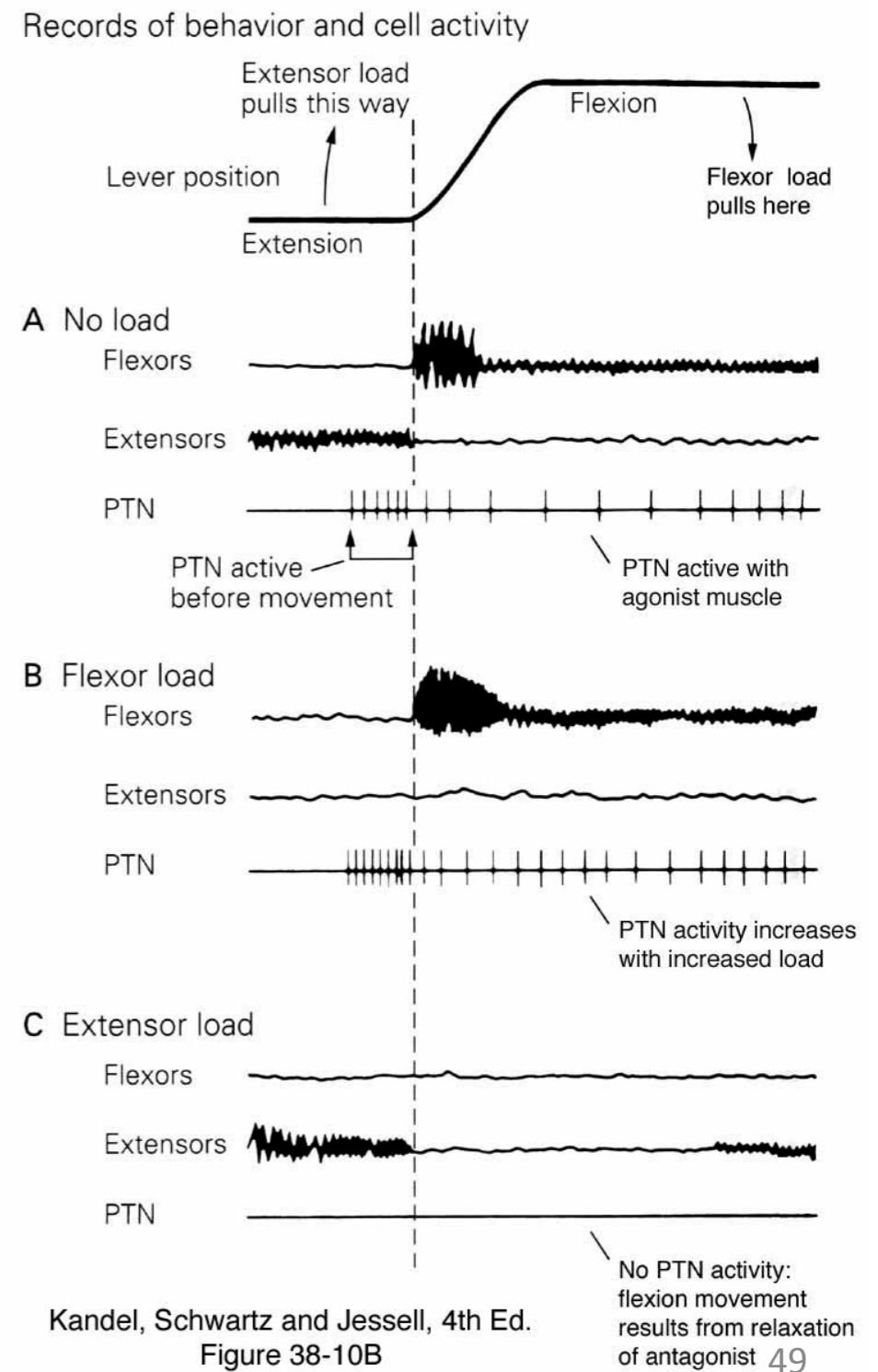
MI codes Muscles: Evidence



w/ or w/out
load

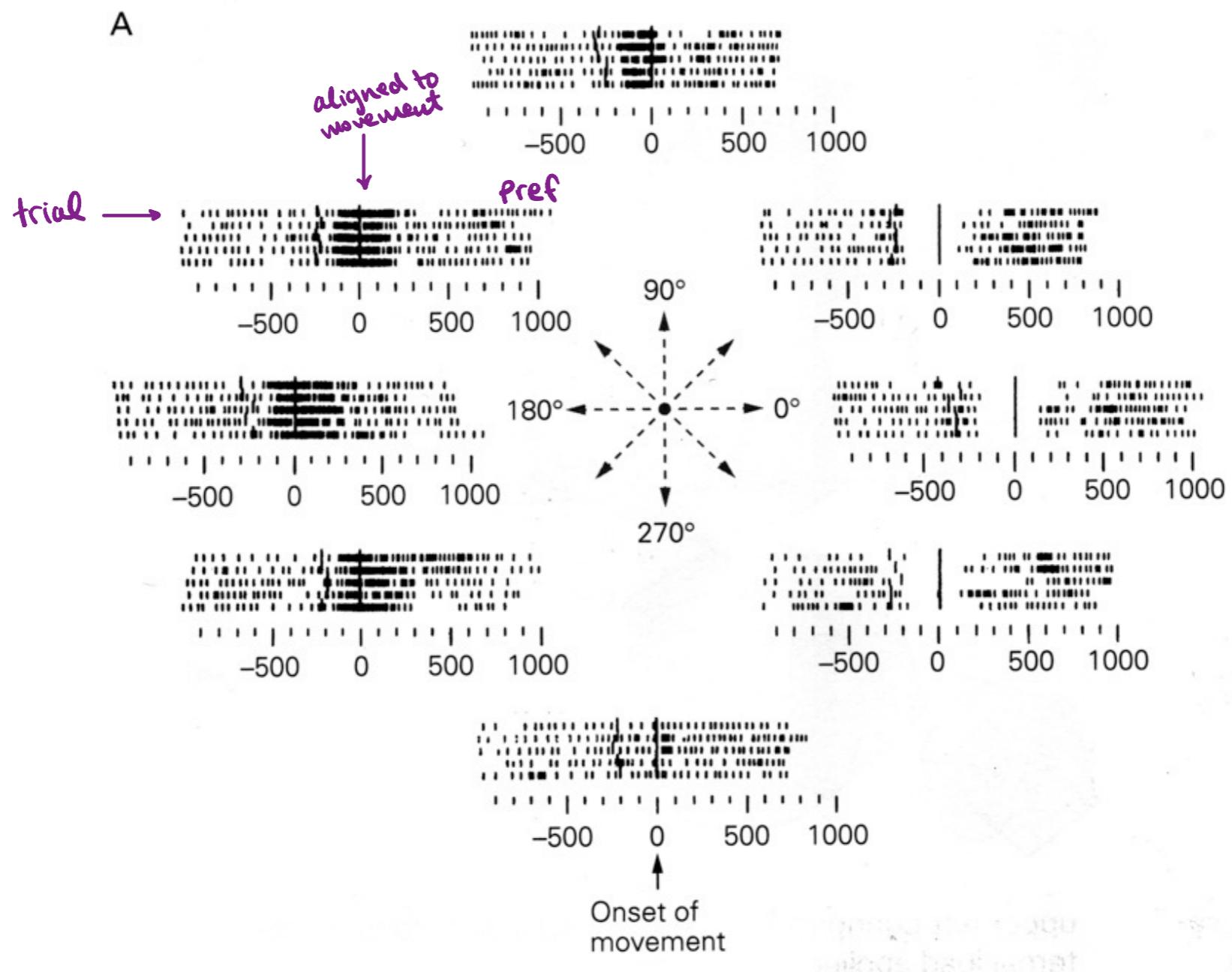


Evarts 1968

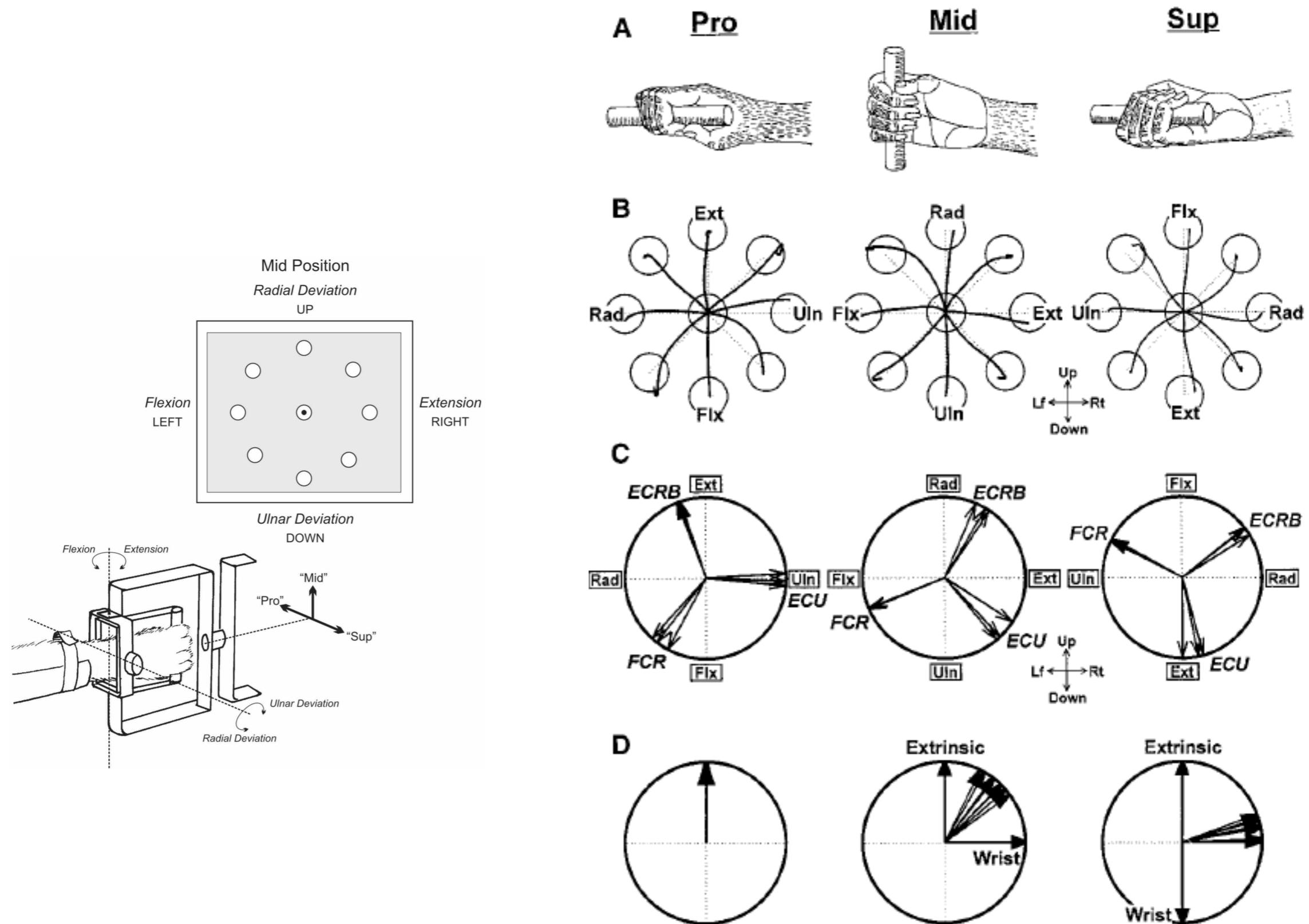


MI codes Movements: Evidence

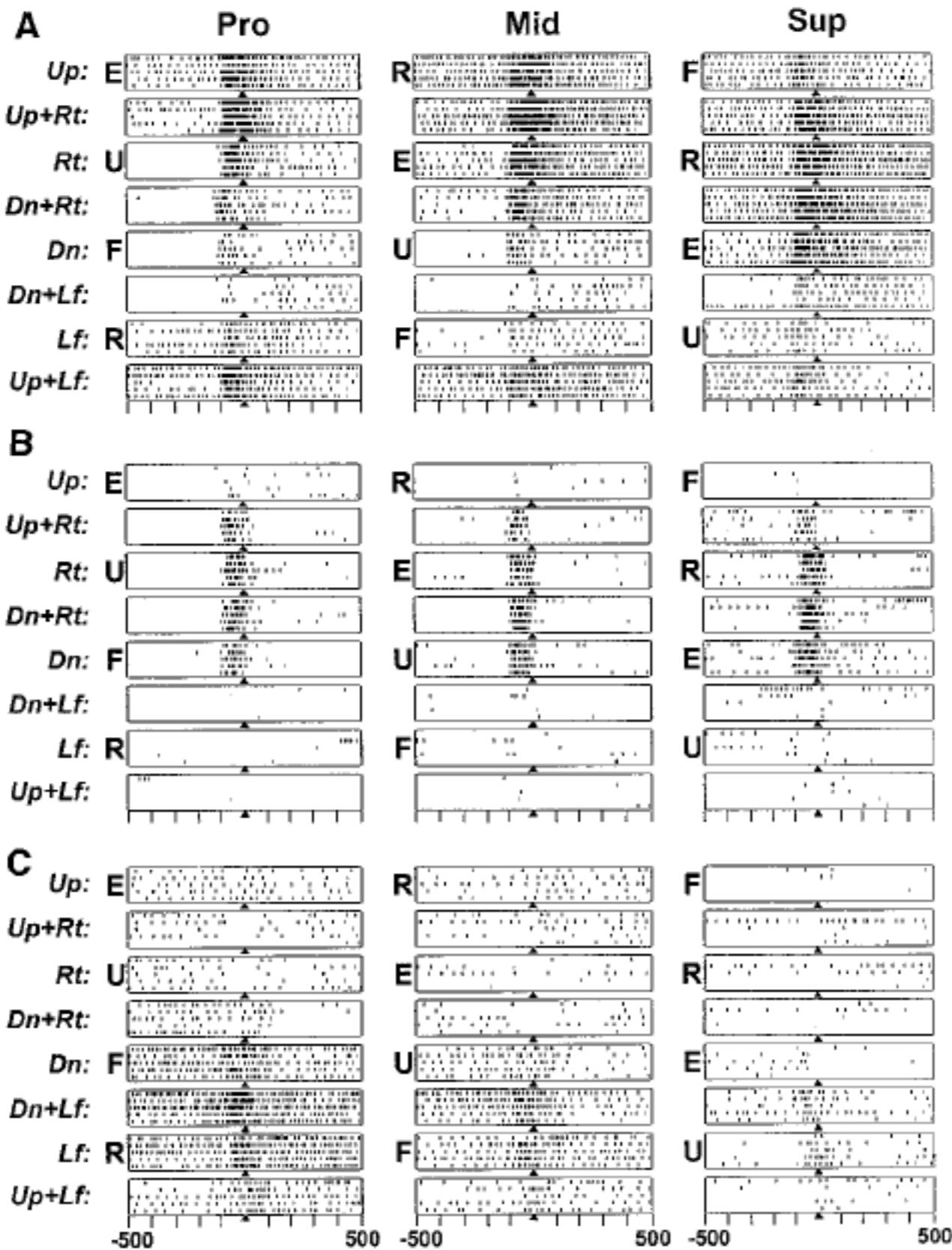
Center-Out reach task



MI codes Both: Evidence



Example neurons



“Muscle-like”
neuron

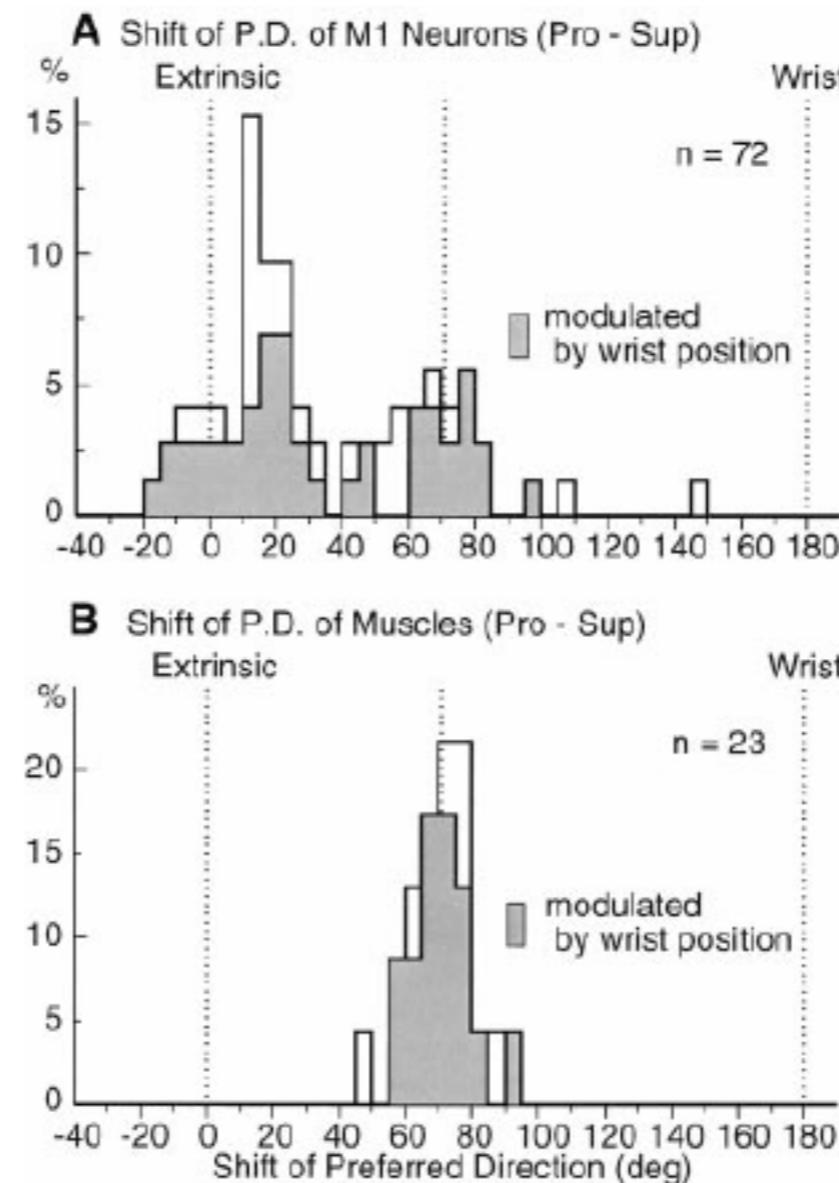
Wrist orientation invariant

“Extrinsic-like”
neuron

“Extrinsic-like”
neuron,
modulated
by posture

Direction invariant

The population of individual neurons

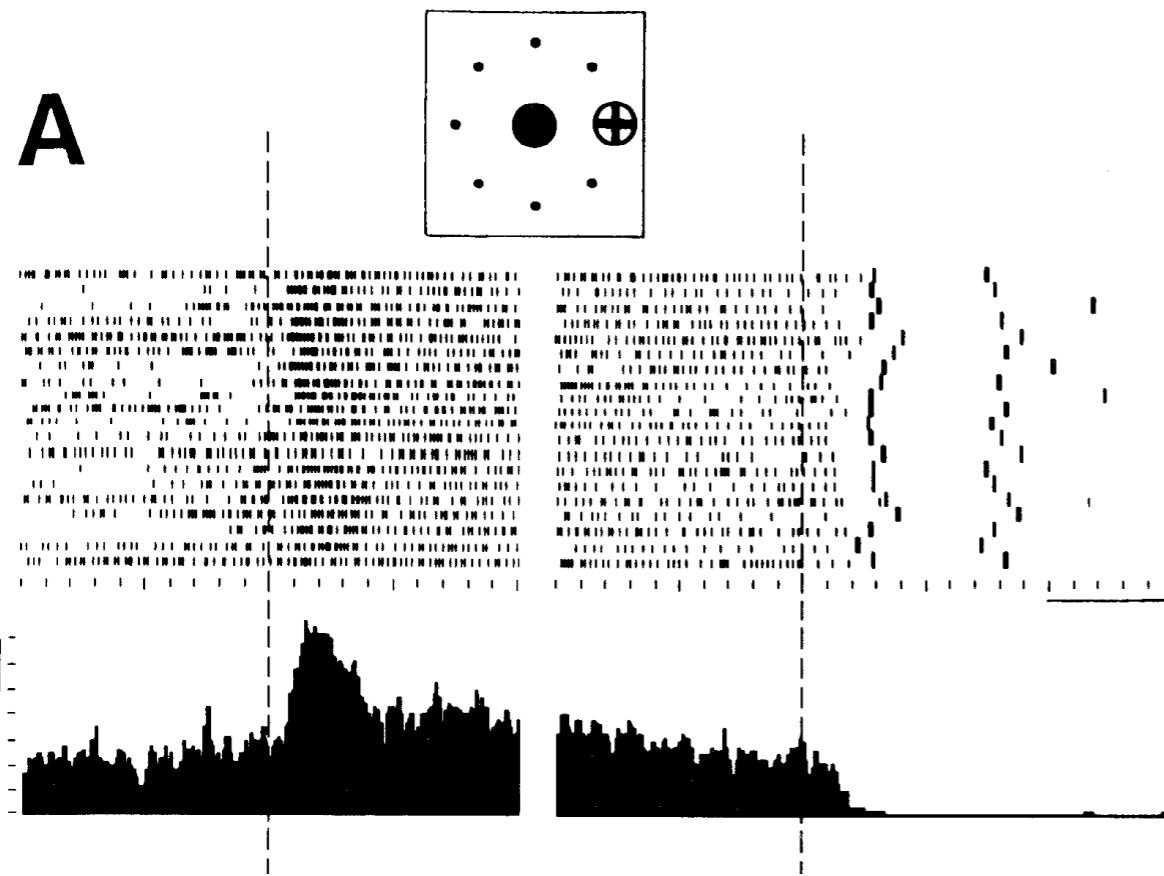


Neurons

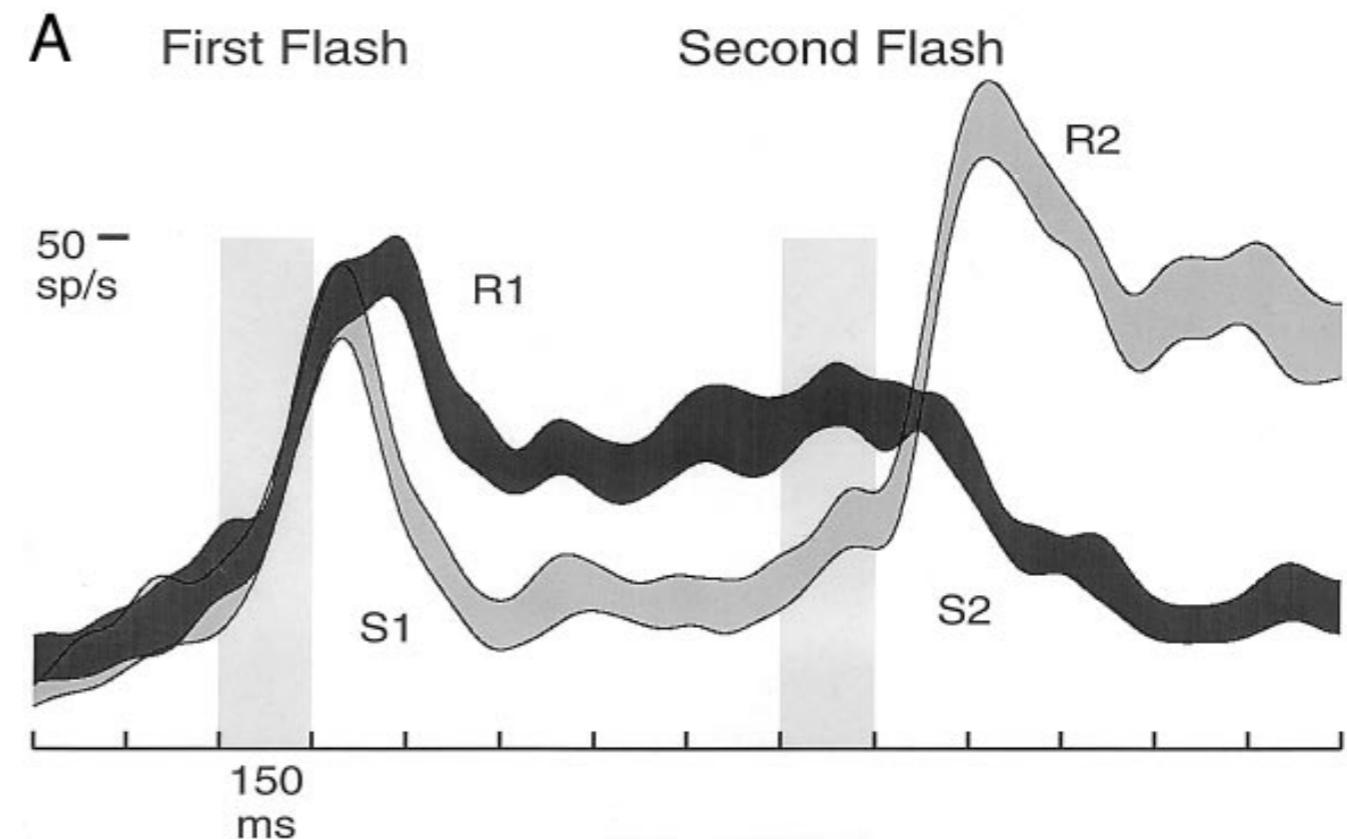
Muscles

Neurons are variable...

A



neurons are noisy
but their noise
correlates over time



“One scientist’s signal is
another scientist’s noise.”

Does M1 generate commands for...

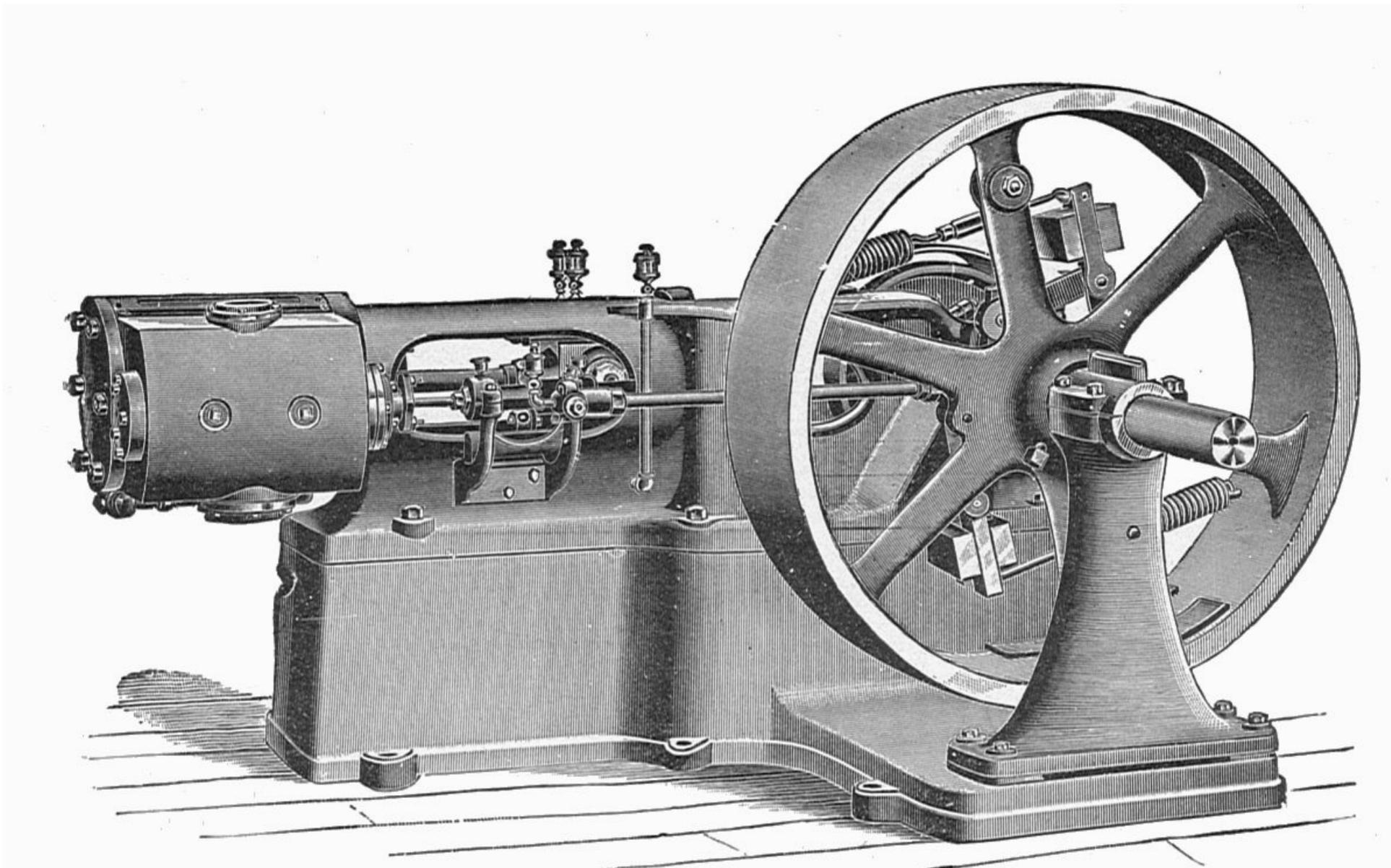
Muscles

or

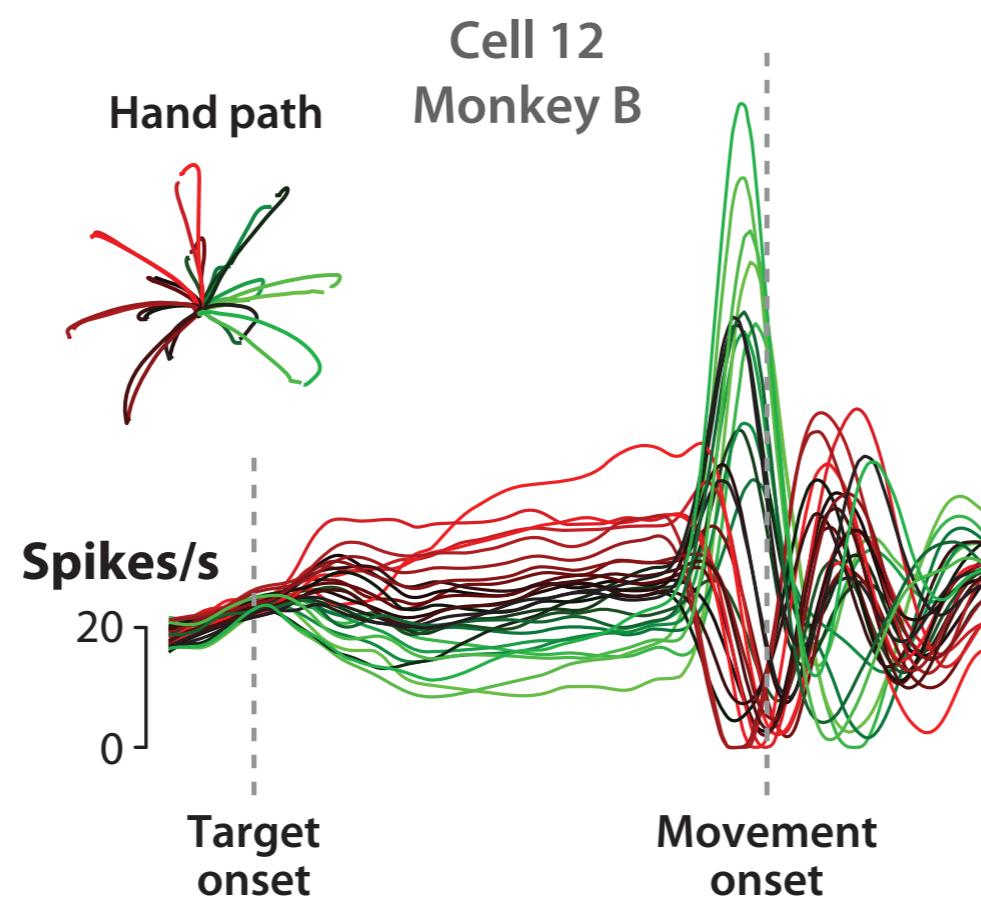
Movements?



Or, is there another way to look
at the problem?



MI codes dynamics



MI codes dynamics

50 neurons

100 trials

5 conditions

10 time bins



What dimensions
of input array
to get this
output using PCA?

Trial average
↓

50 neurons

5 conditions

10 timebins



C1t1

⋮

C1t10

C2t1

⋮

C2t10

⋮

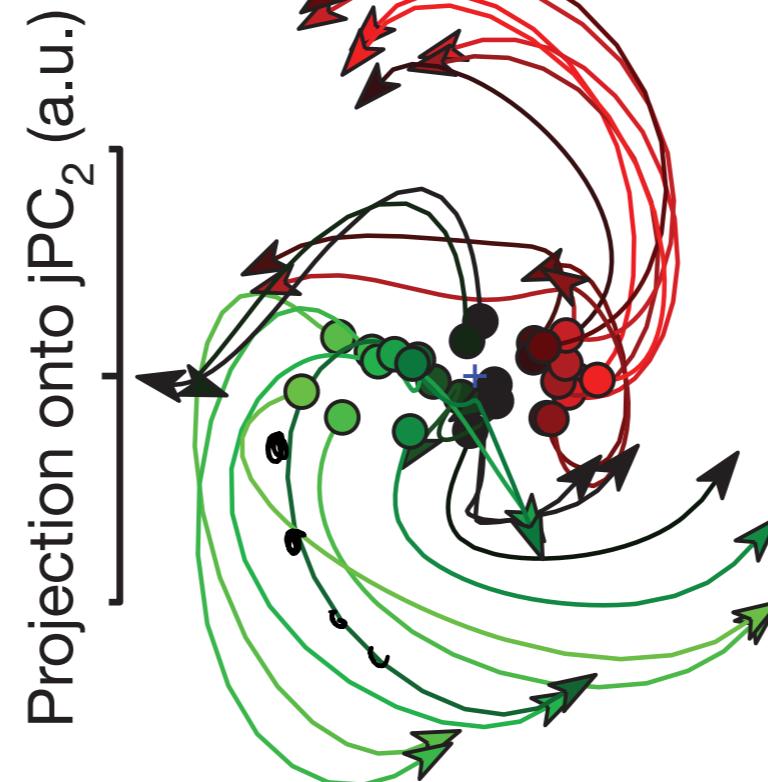
C5t1

⋮

C5t10

input array

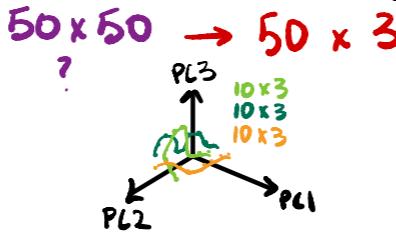
n₁, n₂, n₃ ...



Projection onto jPC₁
(a.u.)

5 conditions
10 time bins

Output



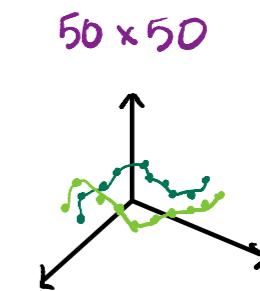
10 × 3
10 × 3
10 × 3

OR

50 × 50
C1t1 ... C1t10 C2t1 ... C2t10 ... C5t10

n₁
n₂
n₃
⋮

neurons
→ 50 × 1 → PC
project data onto
this projection vector
How?



50 × 50

Project C1t1
onto 50 × 1
Project C1t2
onto 50 × 1

⋮

C1t1 → 10 × 50

time bins
↓
neurons

50 × 1 → PC1

50 × 1 → PC2

50 × 1 → PC3

50 × 10 → PC2
50 × 10 → PC3
50 × 10 → PC1

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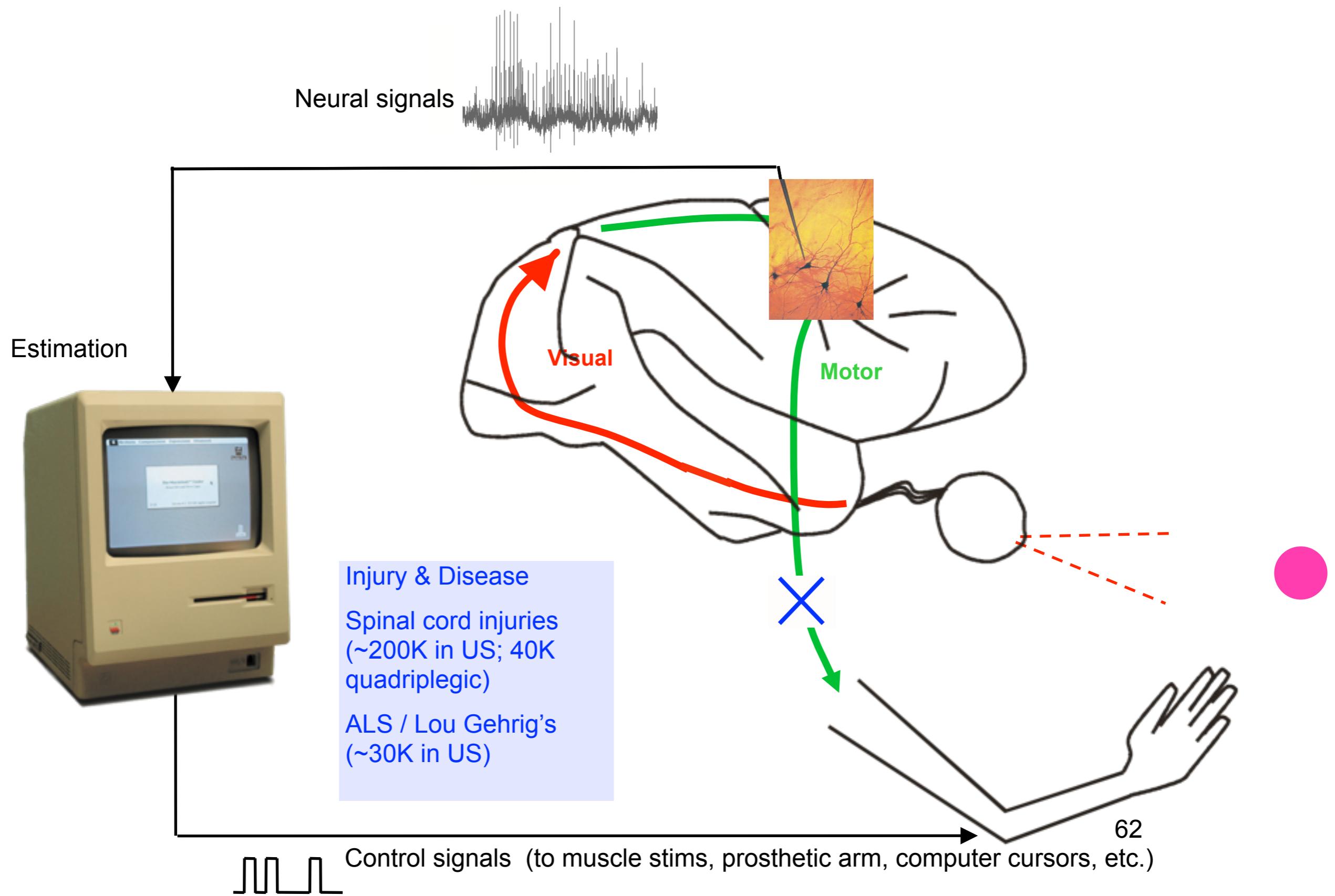
Step 1:
Throw away the mean response.

Outline

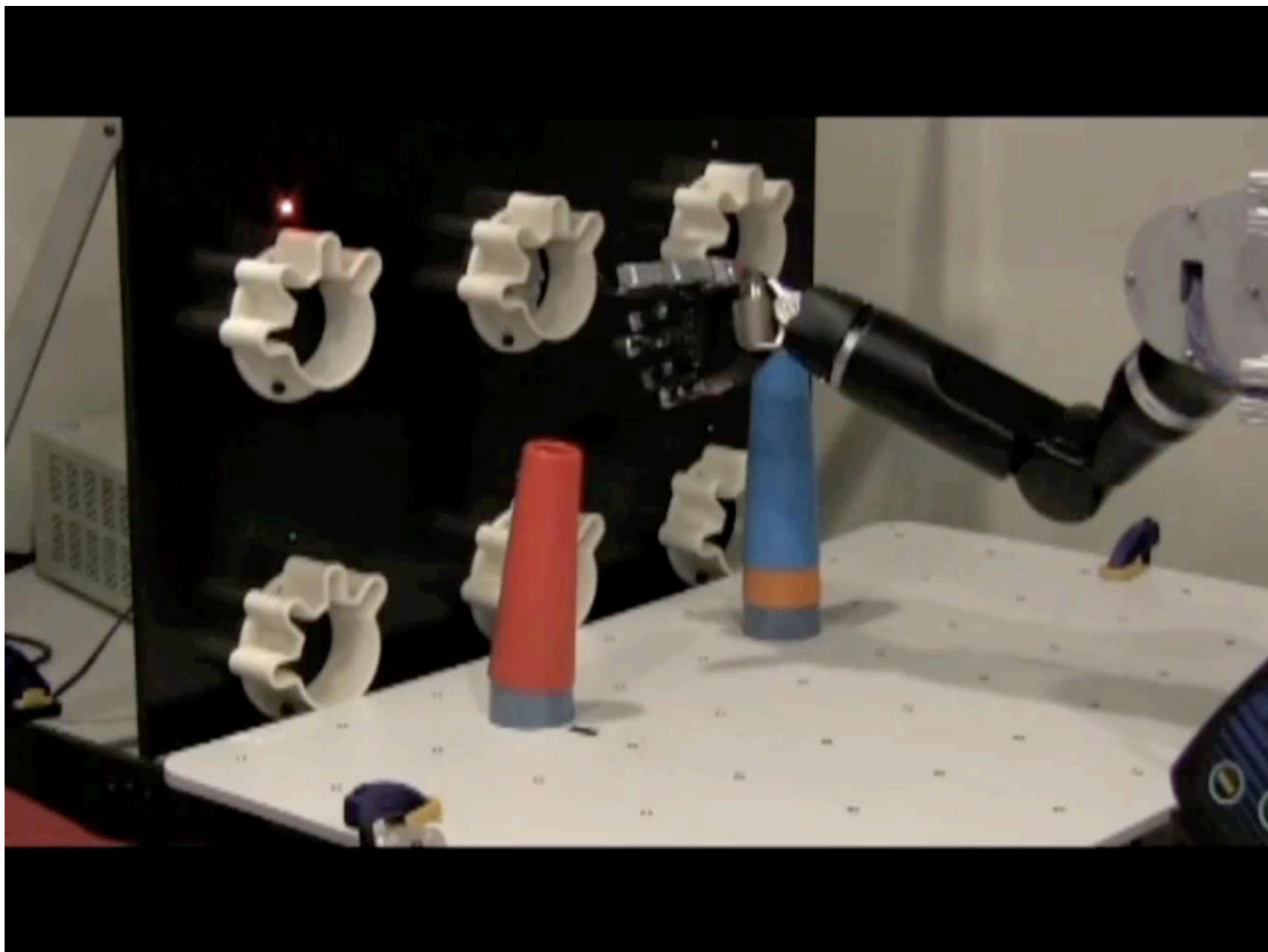


- Neurophysiology of motor control
- **Brain-Computer Interface algorithms**
- Population methods in basic neuroscience
- New directions in BCI therapeutics

Neural Prosthetics

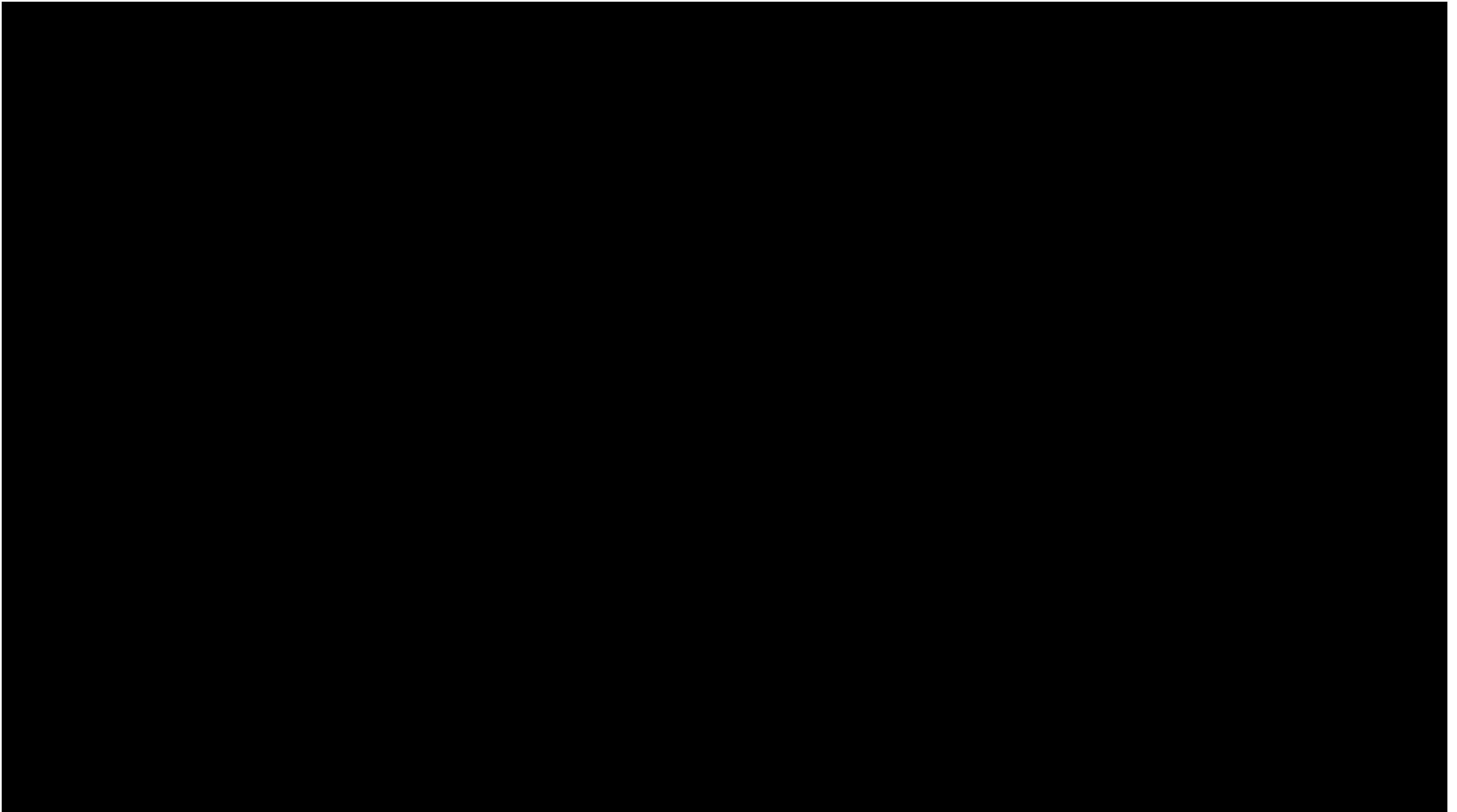


Neural Prosthetics



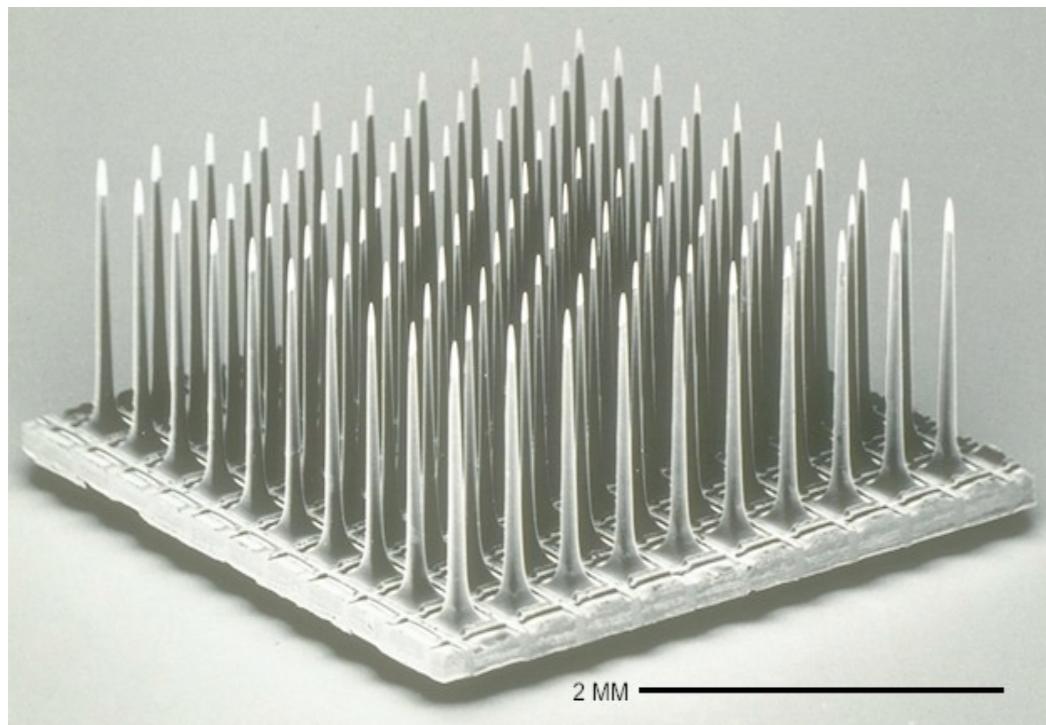
Collinger et al., *The Lancet*, 2013

Neural Prosthetics

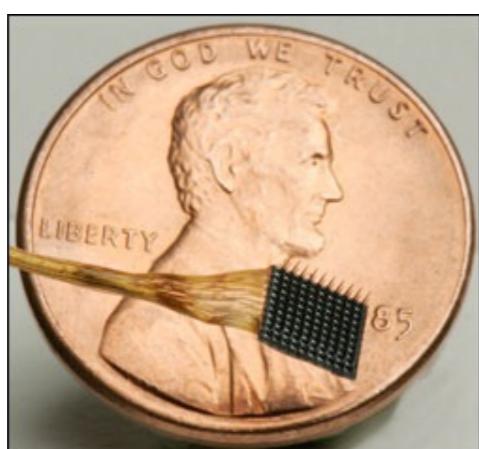
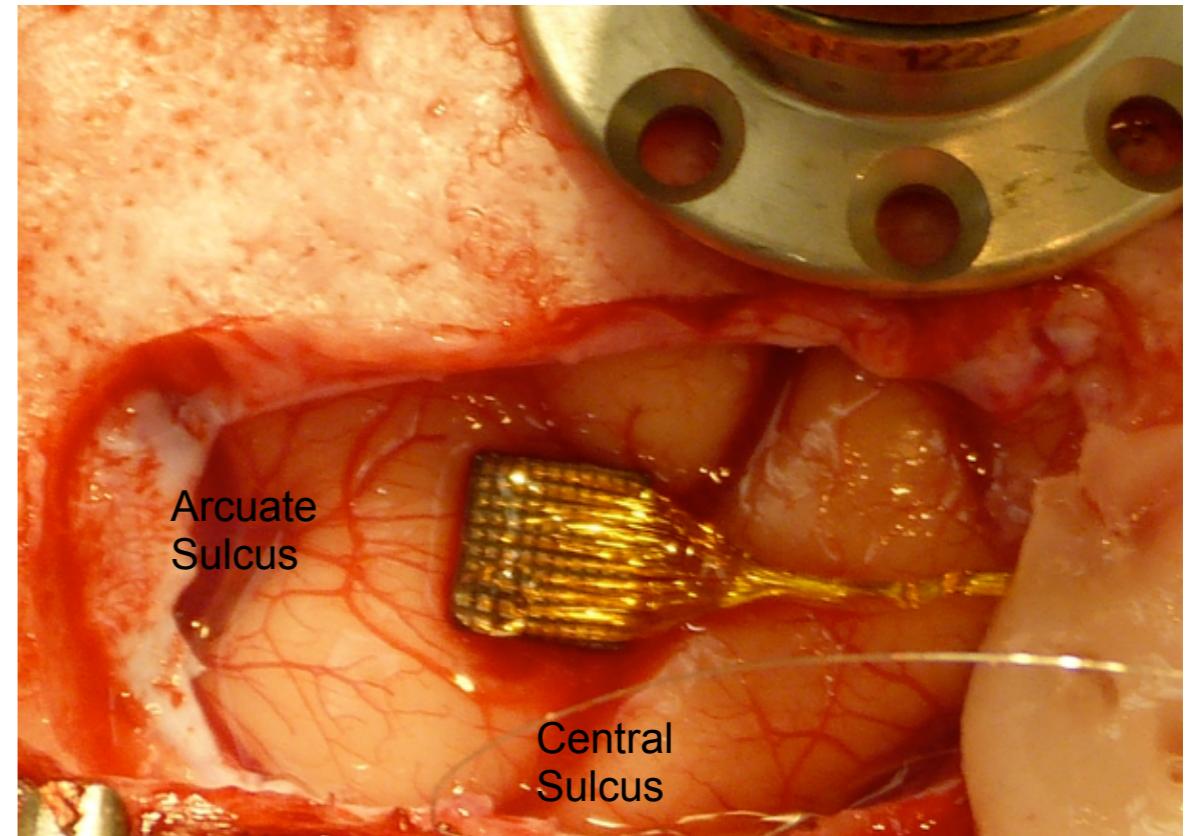


Velliste et al., *Nature* 2008

Multielectrode Array Recordings



Blackrock Technologies



Channel 96

cursor released

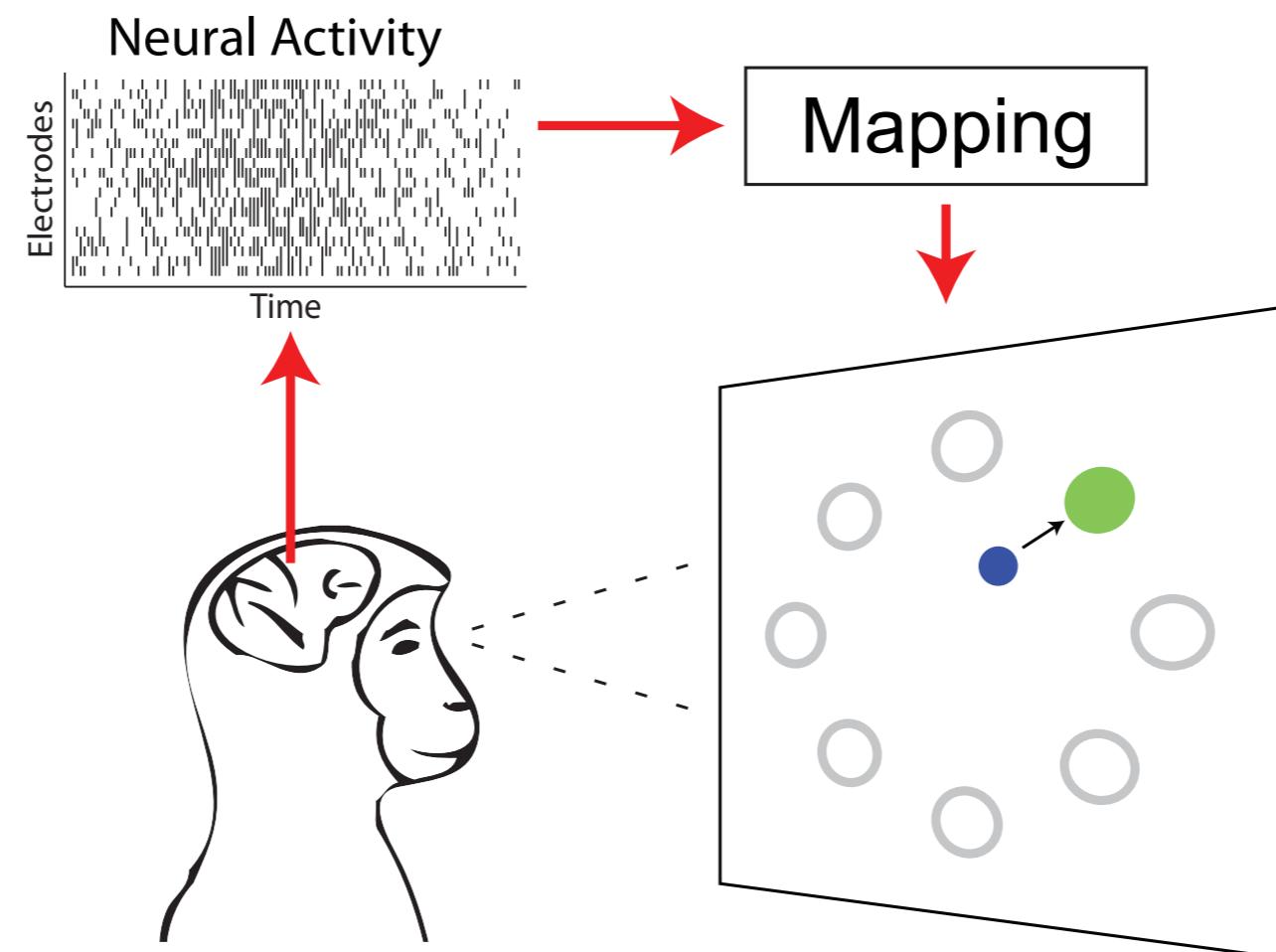
target acquired

Channel 2
Channel 1

200 ms

65

Using a BCI

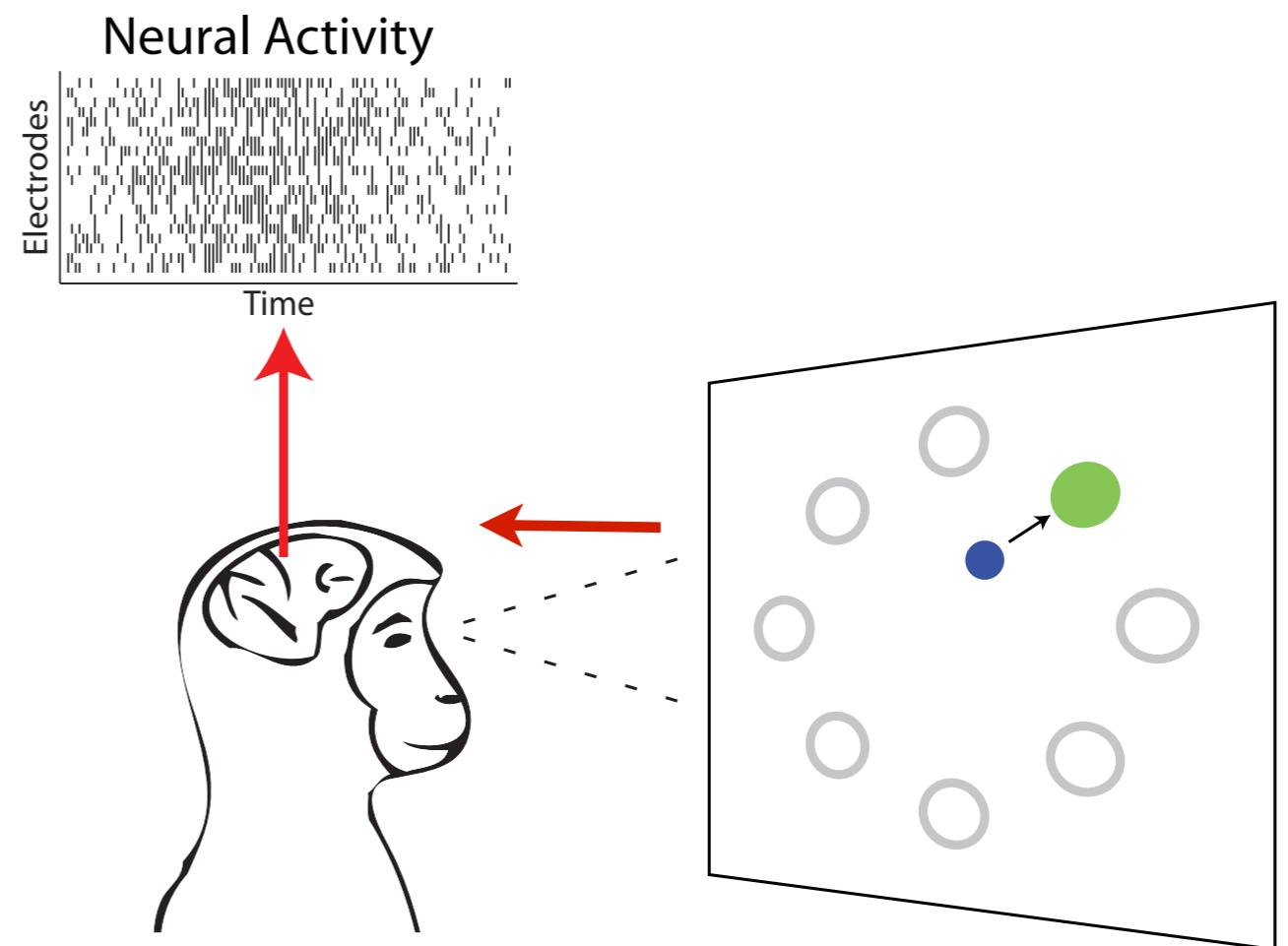


Designing a BCI

Calibrate the BCI:

- We move the cursor right or left.
- Neurons are active.
- Map those activity patterns to cursor kinematics.

“Observation-based” calibration



Designing a BCI

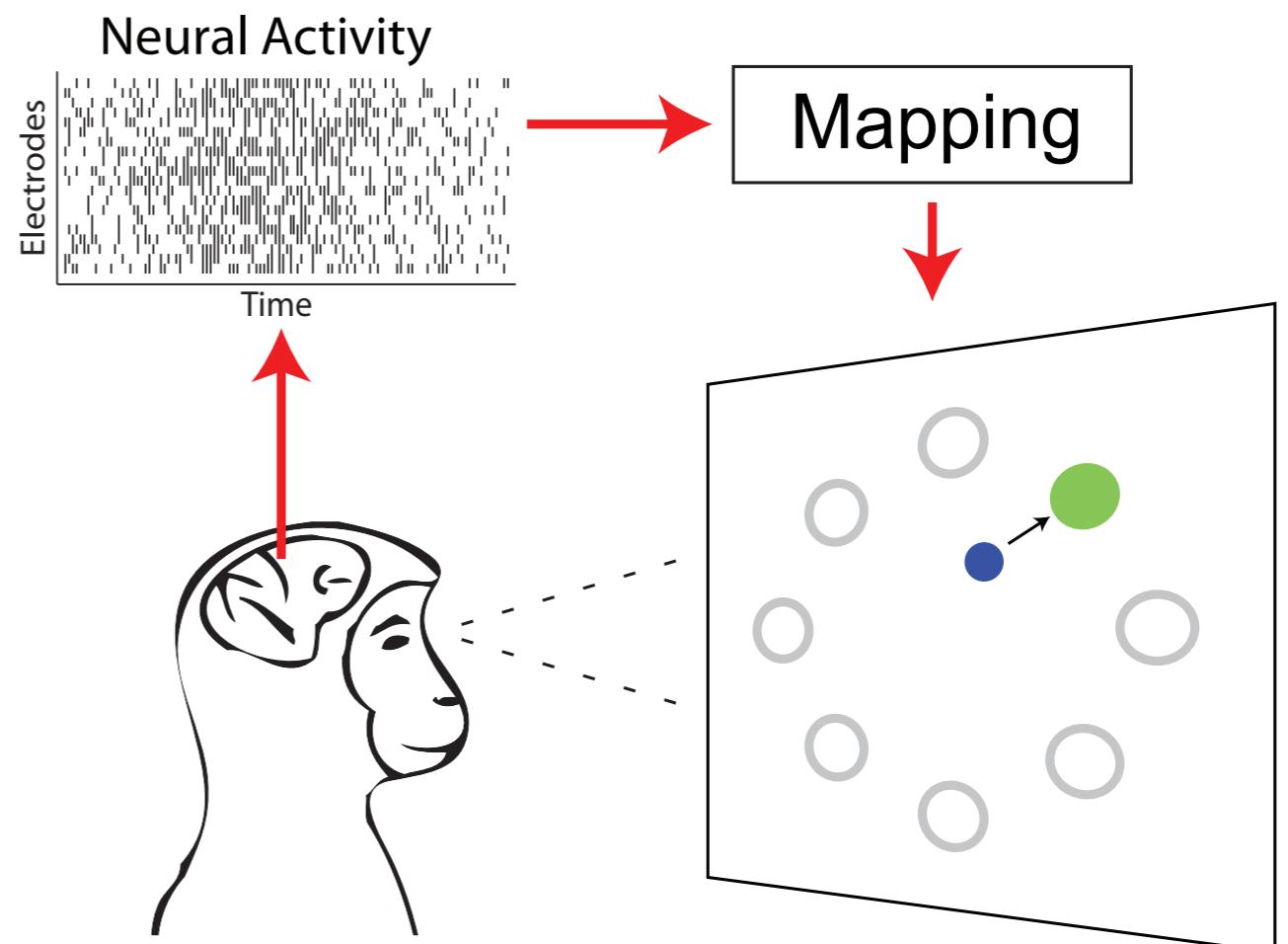
Calibrate the BCI:

- We move the cursor right or left.
- Neurons are active.
- Map those activity patterns to cursor kinematics.

“Observation-based” calibration

Control the BCI:

- Generate those activity patterns to move the cursor.



BCI Performance

Intuitive Mapping Control

J20120524

Sadtler, Quick, Golub, Chase,
Tyler-Kabara, Ryu, Yu*, Batista*

Three decode algorithms

- 1) Population vector
- 2) Linear filter
- 3) Kalman filter

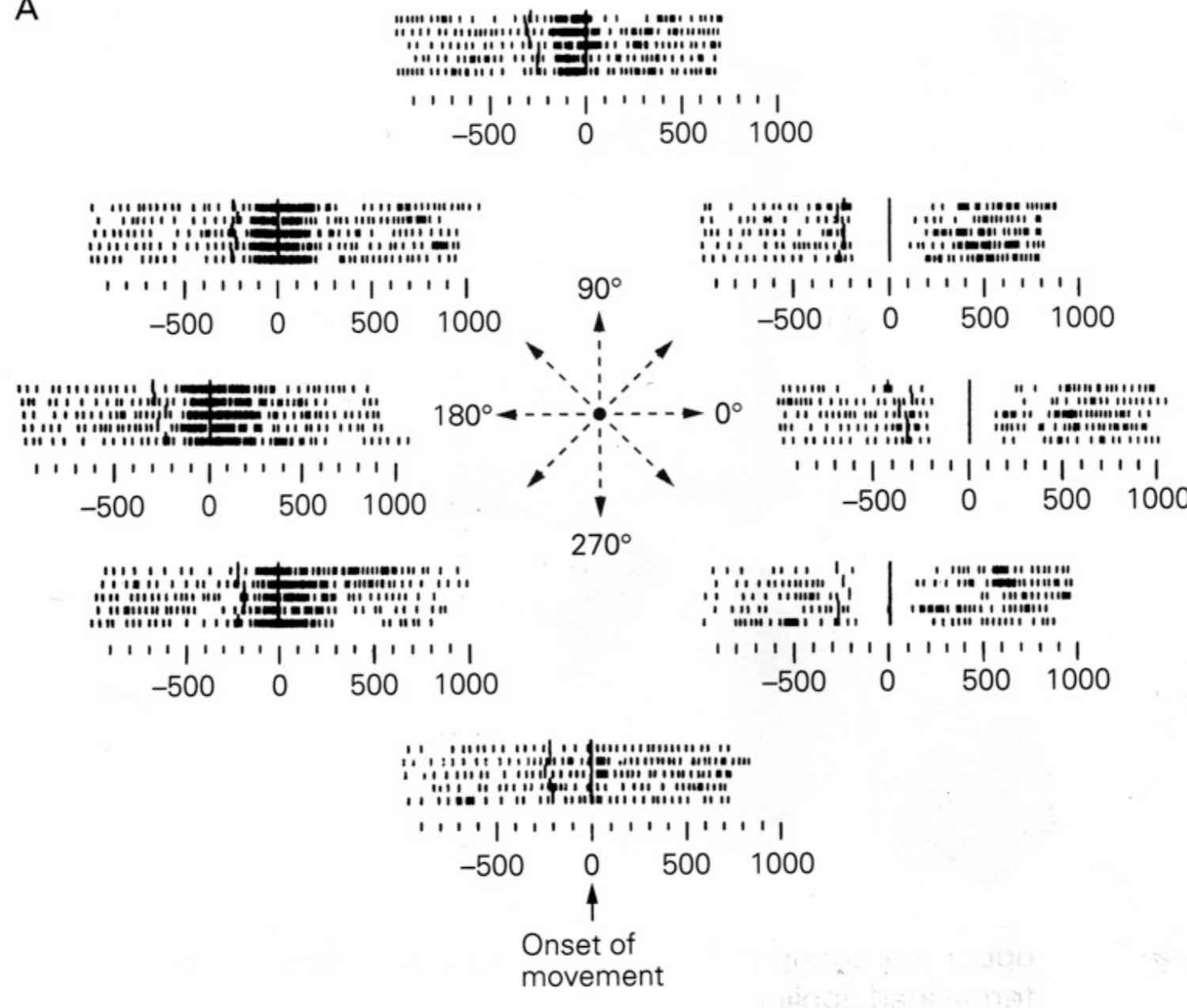
Three decode algorithms

- 1) Population vector**
- 2) Linear filter**
- 3) Kalman filter**

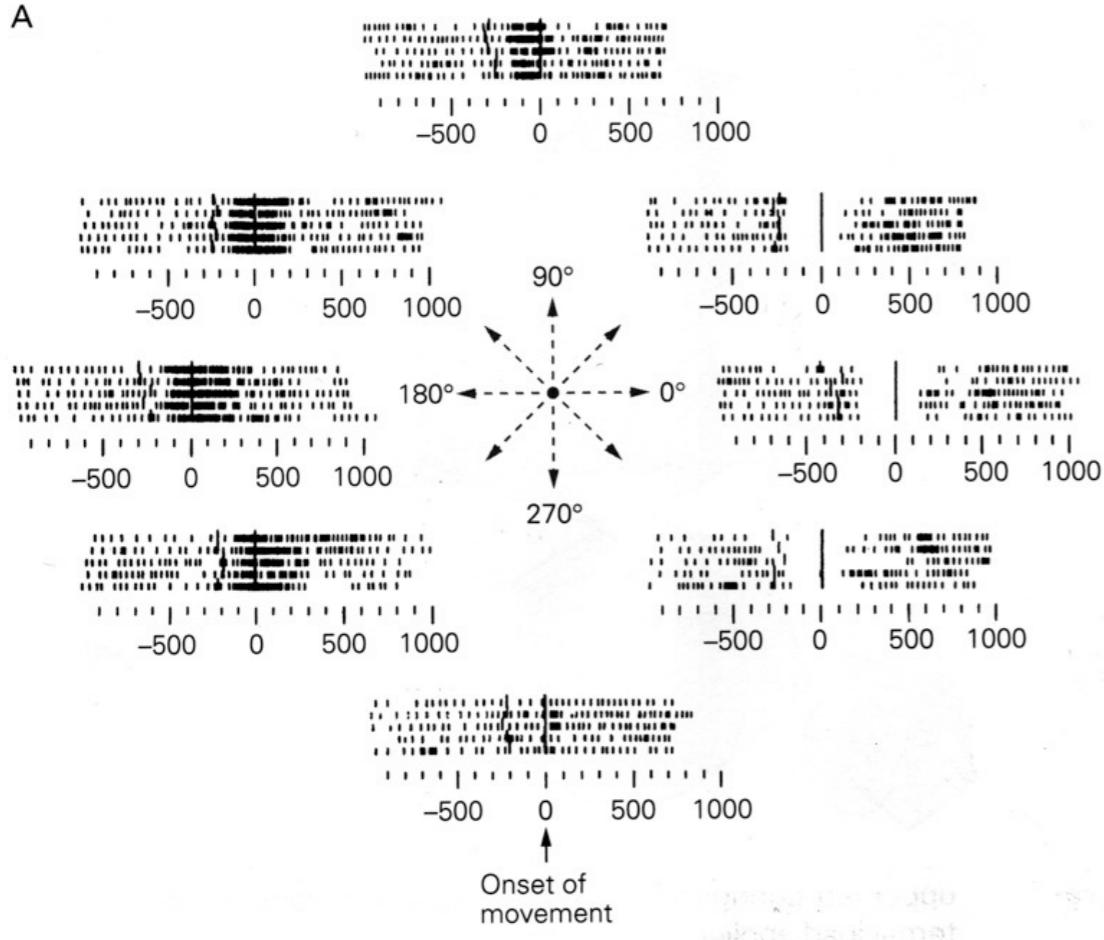
I) Population Vector Algorithm

Center-Out reach task

A

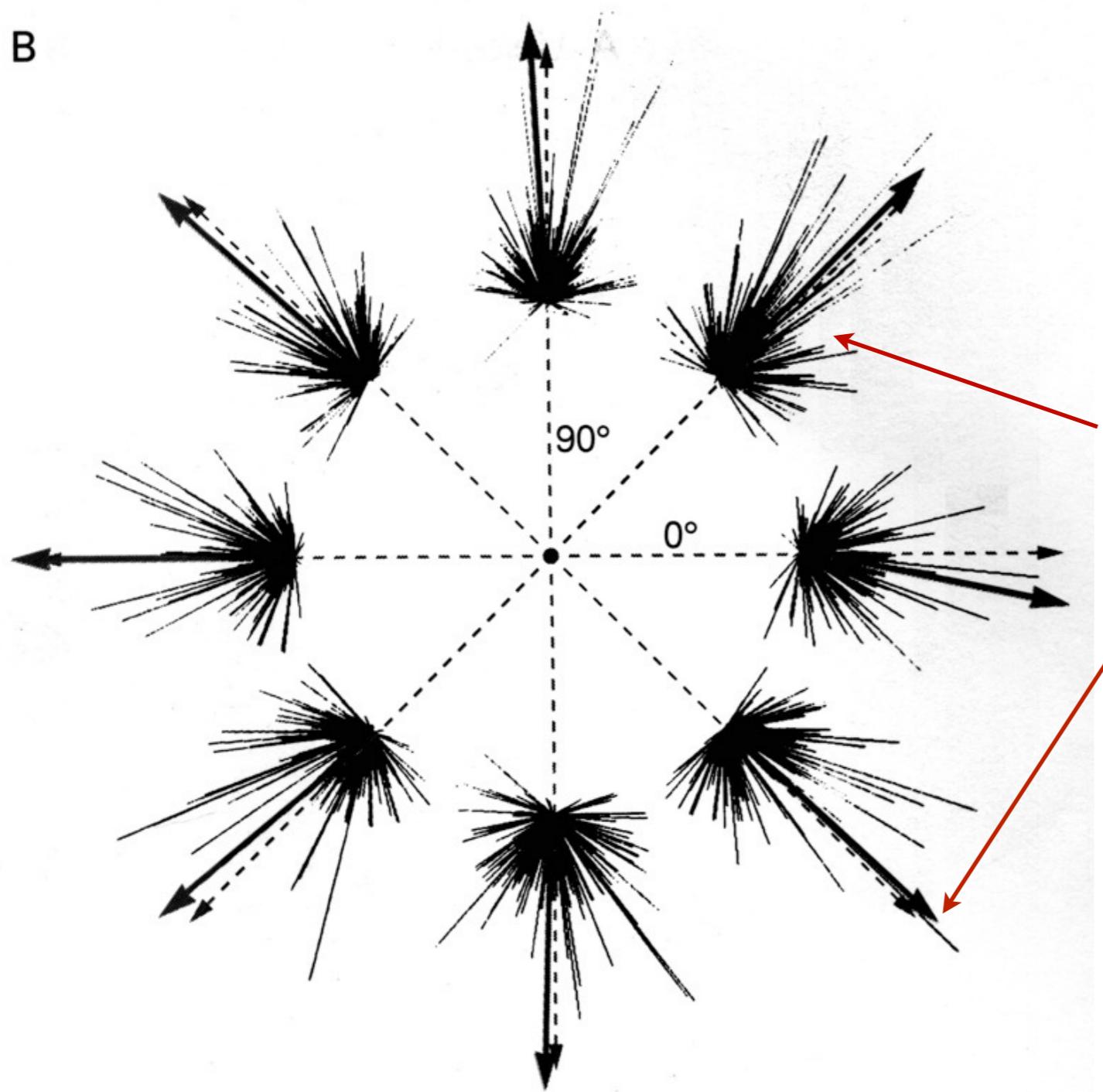


A



- Neurons are broadly tuned
- Many neurons active during each reach
- “Population code” for movement direction

B



Population Vector:

1. Fit each neuron with a cosine.
2. Estimate the preferred direction.
3. Weight each preferred direction by the cell's firing rate.
4. Sum all the weighted vectors.



Three decode algorithms

- 1) Population vector
- 2) Linear filter
- 3) Kalman filter

2) Linear filter

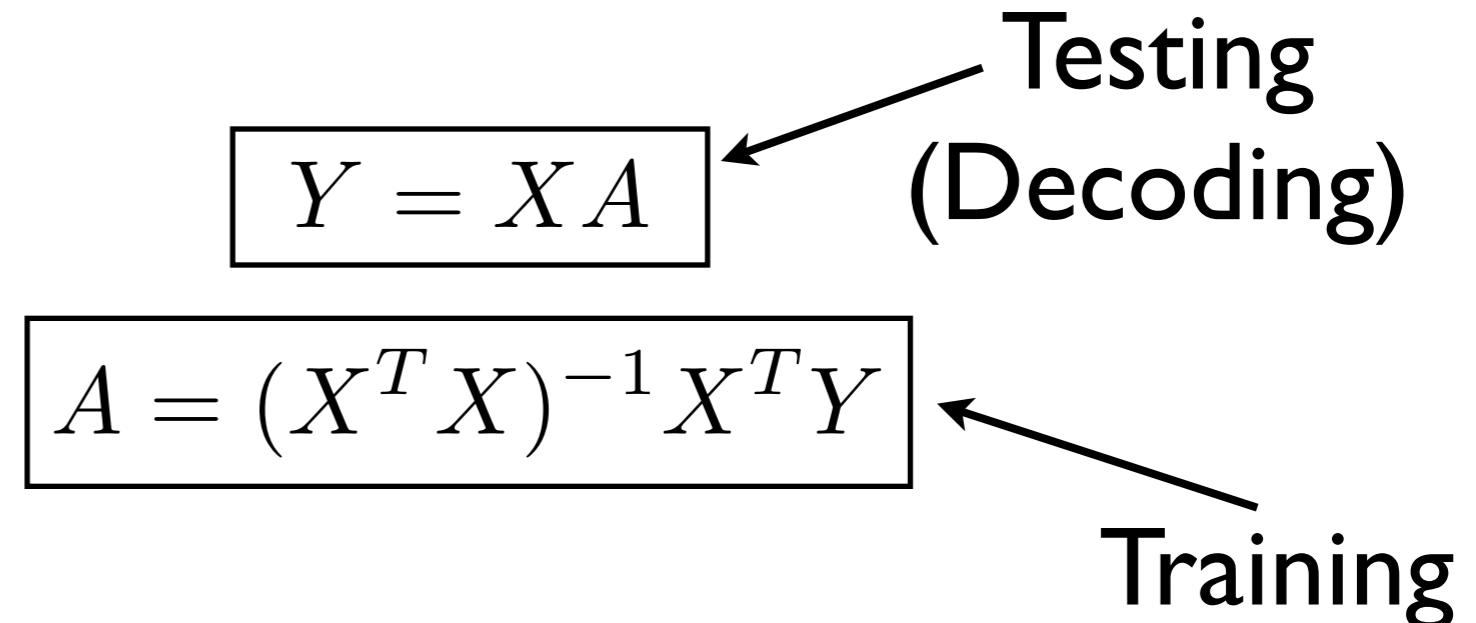
$$\vec{y}(t) = \vec{b} + \sum_{u=-m}^n \vec{a}(u) \vec{x}(t-u) + \vec{\epsilon}(t)$$

*y: external observable
x: neural activity
u: time lag
a: weights
b: intercepts
e: error*

It's just

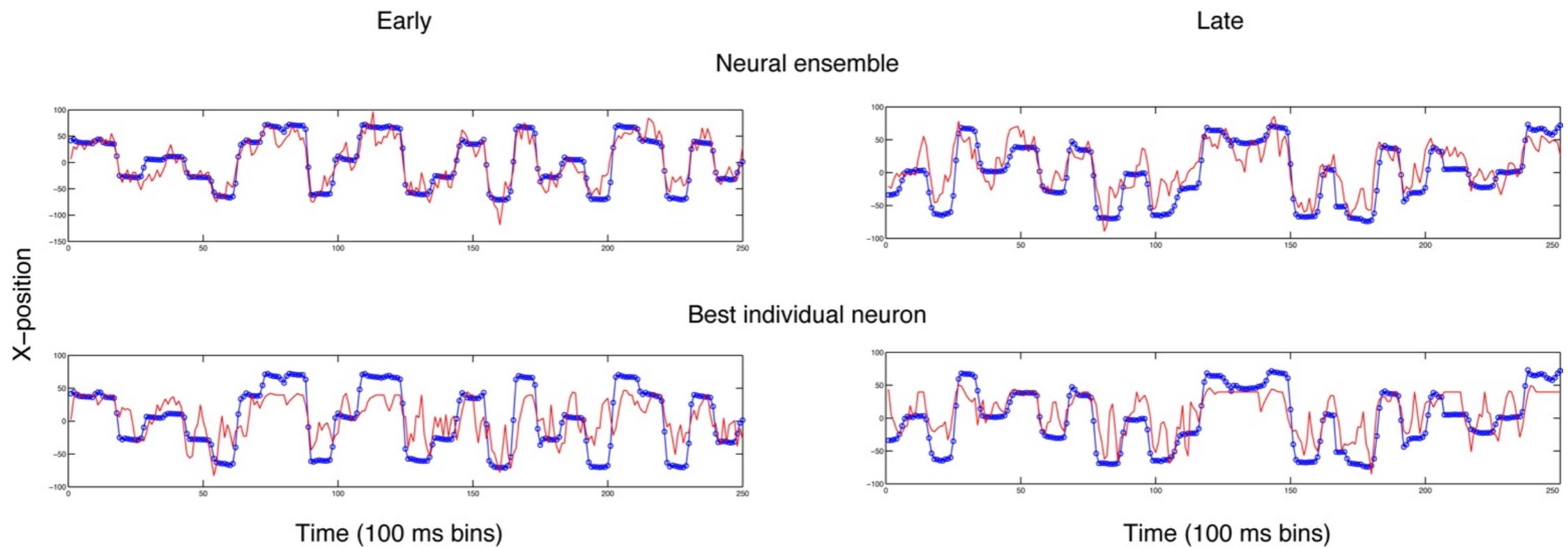
$$y = mx + b + \epsilon$$

*y: external observable
x: neural activity
m,b: parameters we must find*

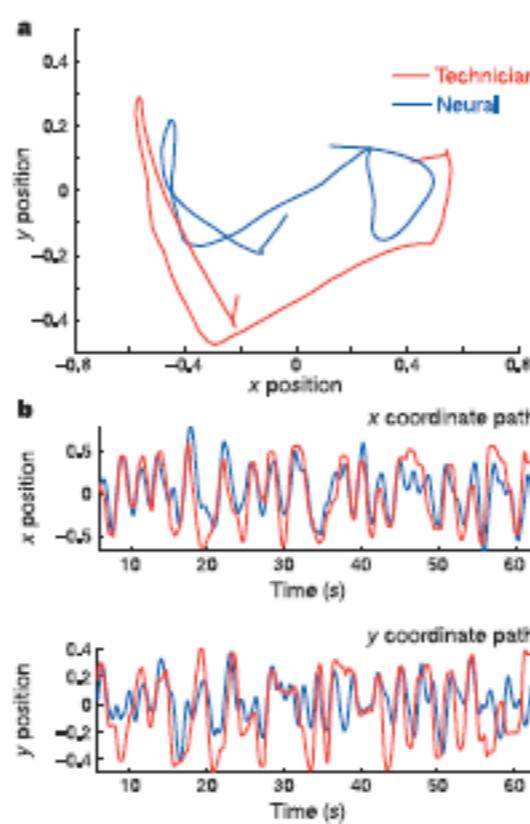


Intuition: each spike contributes a little pulse of movement. Add those all together.

2) Linear filter



Chestek et al., 2008



Hochberg et al., 2006

Three decode algorithms

- 1) Population vector
- 2) Linear filter
- 3) Kalman filter

4) Kalman Filter (continuous Bayes estimator)



4) Kalman Filter (continuous Bayes estimator)



State Equation:

$$y(t) = f(y(t-1))$$

Observation Equation:

$$x(t) = g(y(t))$$

f is the state transition function,

g is the observation function,

y is the state of the system (e.g. position, velocity, etc.)

x is the measurements you made.

4) Kalman Filter (continuous Bayes estimator)



State Equation:

$$y(t) = f(y(t-1)) + \text{noise}$$

Observation Equation:

$$x(t) = g(y(t)) + \text{noise}$$

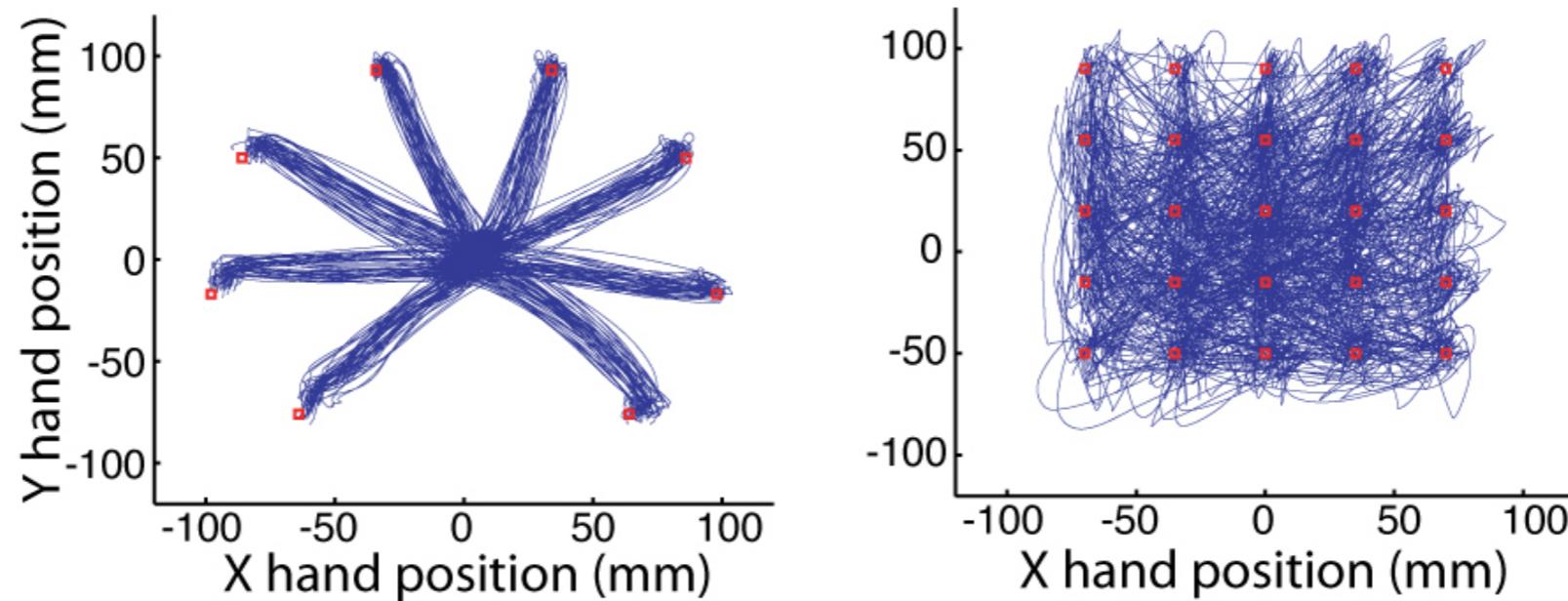
f is the state transition function,

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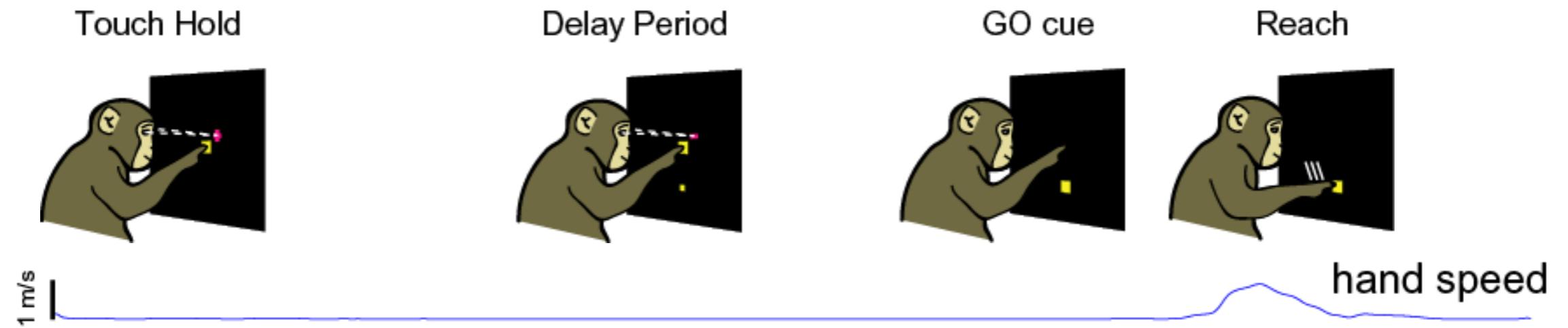
y is the state of the system (e.g. position, velocity, etc.)

x is the measurements you made.

4) Kalman Filter (continuous Bayes estimator)



We know the statistics of hand movements.
Why not use it?



$$\text{arm state } \mathbf{x}_t = \begin{bmatrix} \text{position} \\ \text{velocity} \\ \text{acceleration} \end{bmatrix}$$

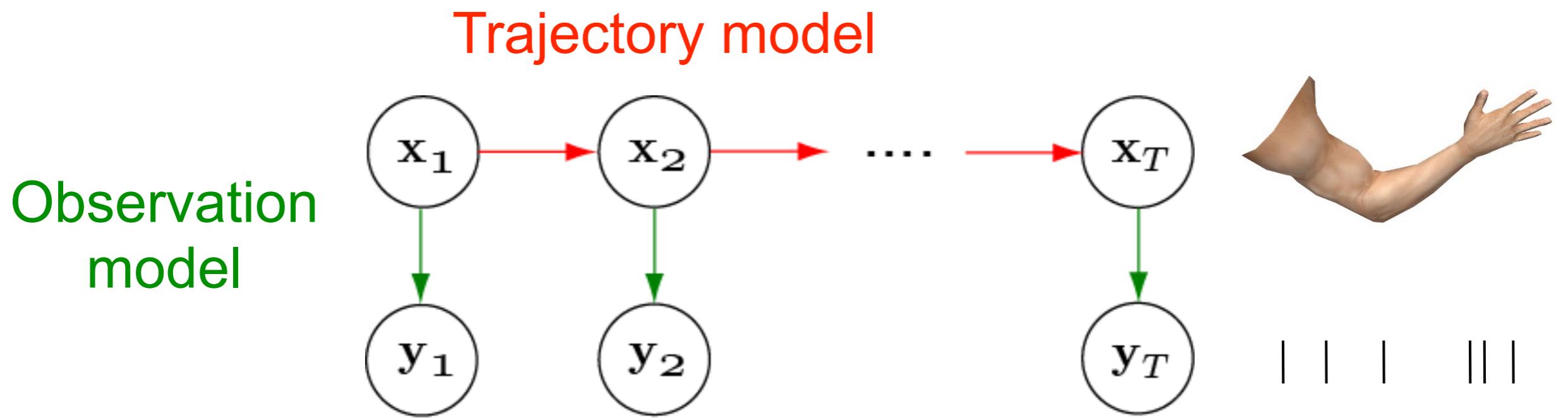
Dynamical model

Trajectory model



$$\mathbf{x}_t \mid \mathbf{x}_{t-1} \sim \mathcal{N}(A\mathbf{x}_{t-1}, Q)$$

Dynamical model



$$\mathbf{y}_t \mid \mathbf{x}_t \sim \mathcal{N}(\mathbf{C}\mathbf{x}_t, \mathbf{R})$$

Kalman Filter

Using the trajectory model and observation model, we compute at each timepoint:

Arm state
estimate

$$\hat{x}_t = M_1 x_{t-1} + M_2 y_t$$

- M_1 and M_2 depend on the noise in the state update, Q , and the noise in the observation estimate R .
- The *Kalman gain* captures the tradeoff between them.

Movie 1

Center-out and back

Monkey L

Stanford University

Gilja, Shenoy, et al. 2012
88

So, which is the right algorithm?

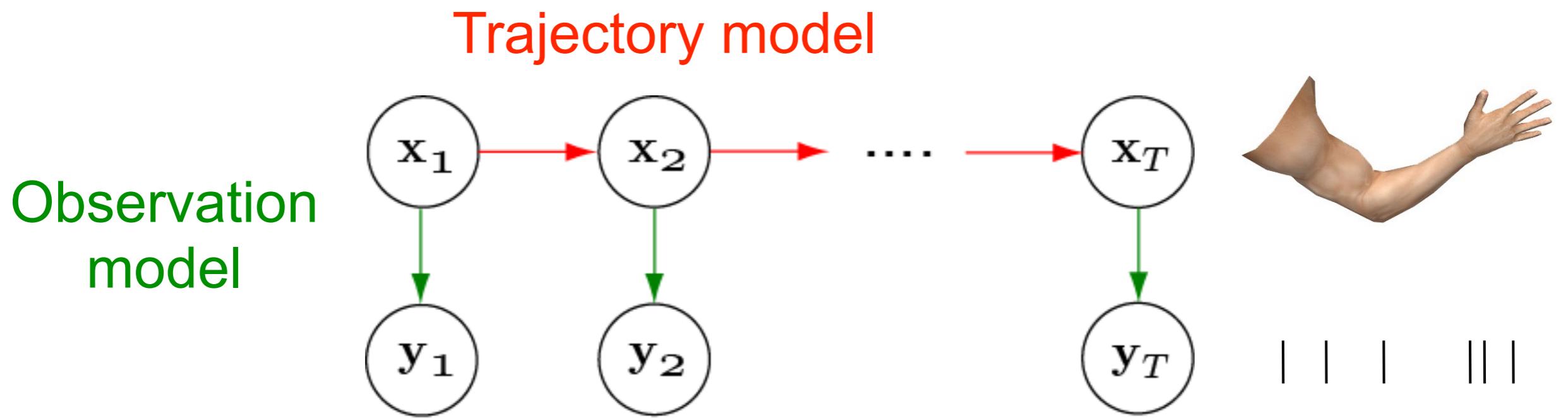
- It depends (at least somewhat) on what you think MI does naturally.
 - Although all of these decode *velocity*.
- Ancillary factors might skew the results:
 - Amount of experience
 - Implementation details (number of parameters, quality of recordings, etc.)
 - Learning probably erases most of the differences between them in performance.
 - Next-Gen algorithms come out all the time.
 - These days, of course, it's neural networks.
-

Outline



- Neurophysiology of motor control
- Brain-Computer Interface algorithms
- **Population methods in basic neuroscience**
- New directions in BCI therapeutics

Dynamical model



$$\mathbf{y}_t \mid \mathbf{x}_t \sim \mathcal{N}(\mathbf{C}\mathbf{x}_t, \mathbf{R})$$

Latent-Variable modeling

Motivating question: What does the activity of a neuron really tell us?

Latent-Variable modeling

Motivating question: What does the activity of a neuron really tell us?

The activity of a neuron is governed by its inputs, and it contributes to shaping the activity of its target neurons.

It may be the combined activity of lots of neurons that is important for neural information processing. (One supporting insight: neurons are arranged into networks.)

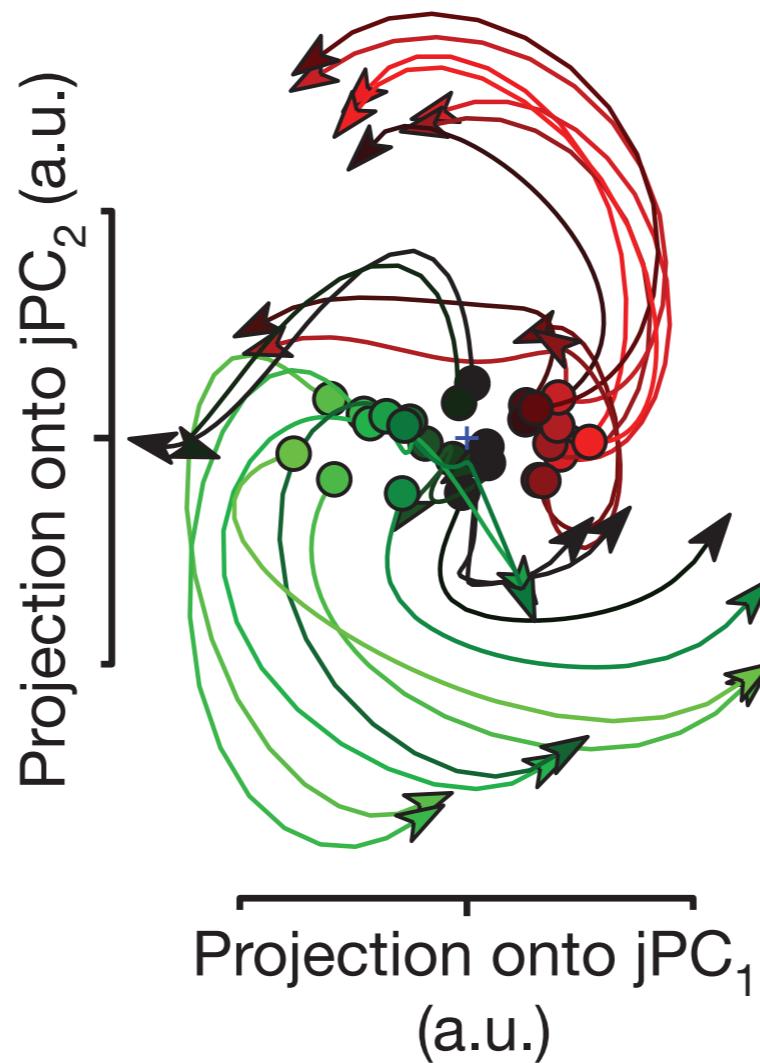
Dimensionality reduction can reveal the low-dimensional structure that's present among a population of neurons. (Patterns of correlation)

We can interpret this as the *latent variables*, and we can study them as if they are the information-carrying signal in the brain.

Geometrical and topological concepts offer powerful predictions.

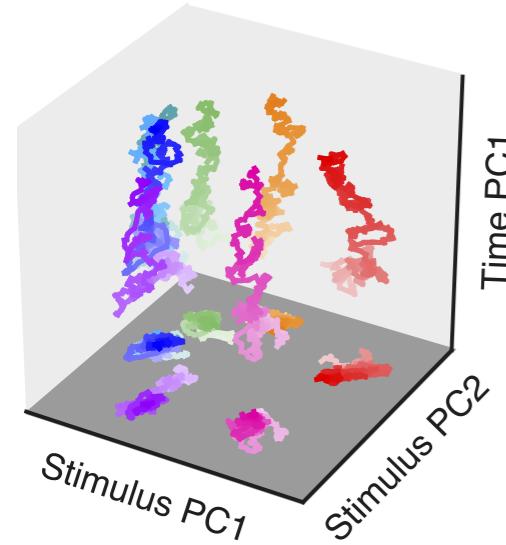
we've already seen this...

MI codes *dynamics*

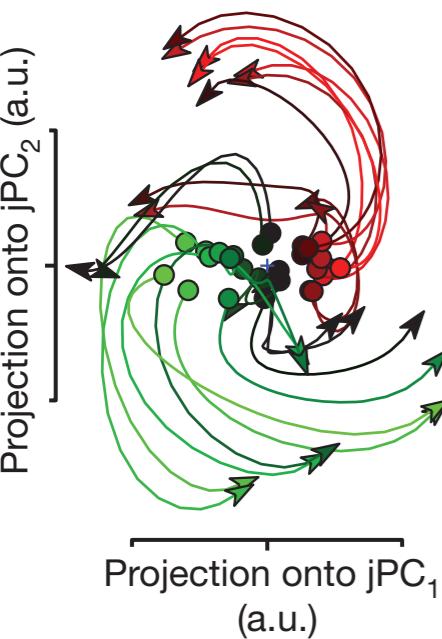


Churchland and Shenoy and colleagues, 2010s

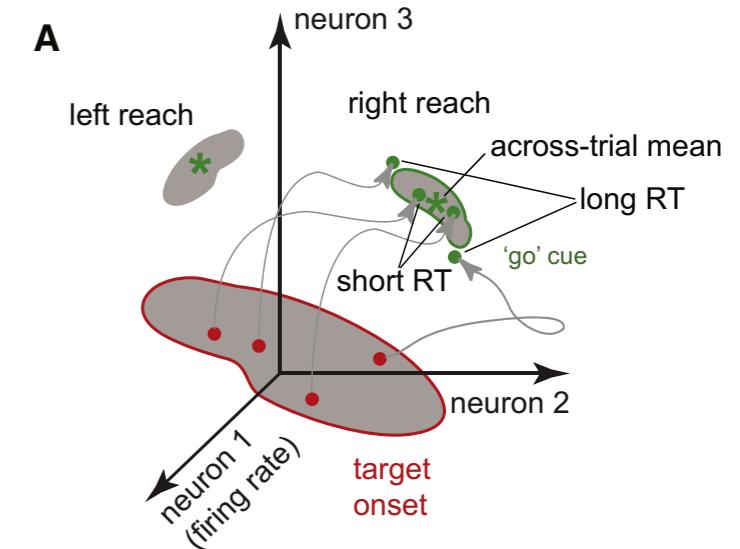
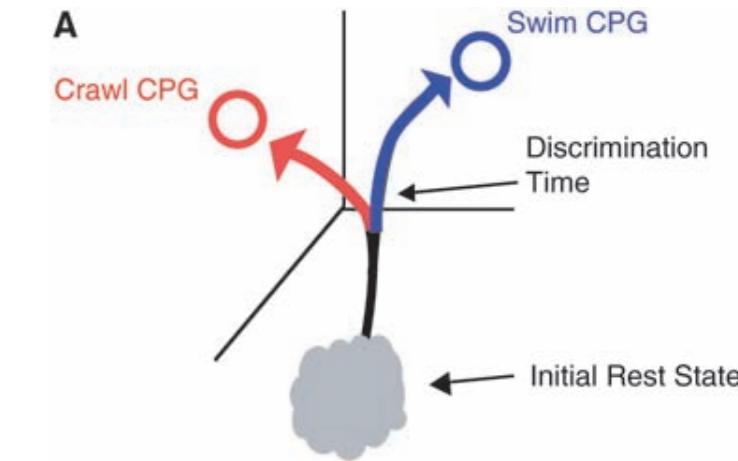
Low-Dimensional Structure is Everywhere

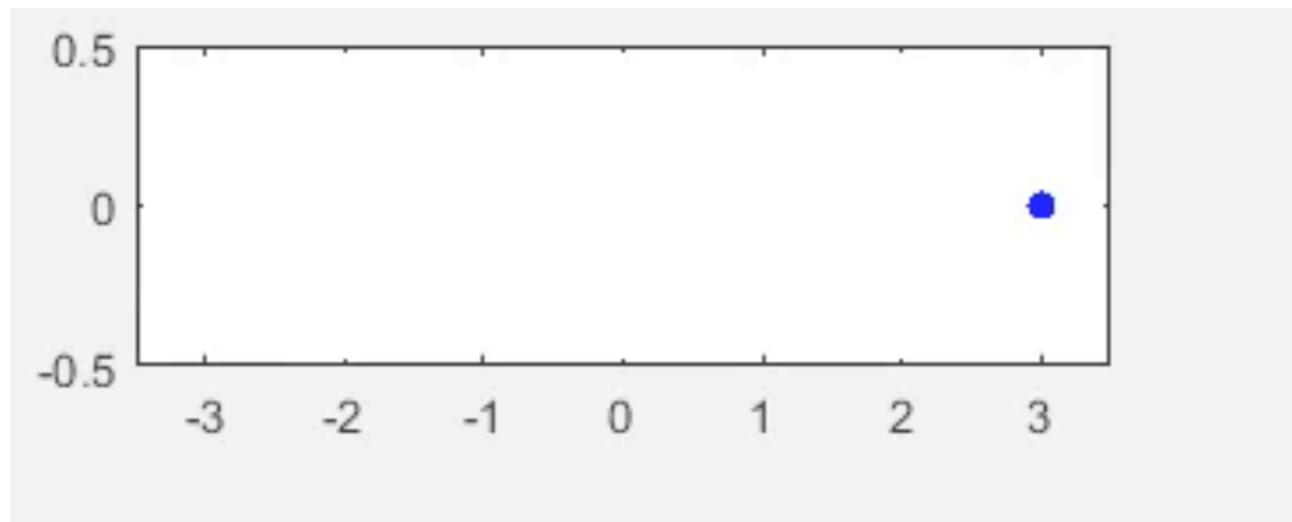


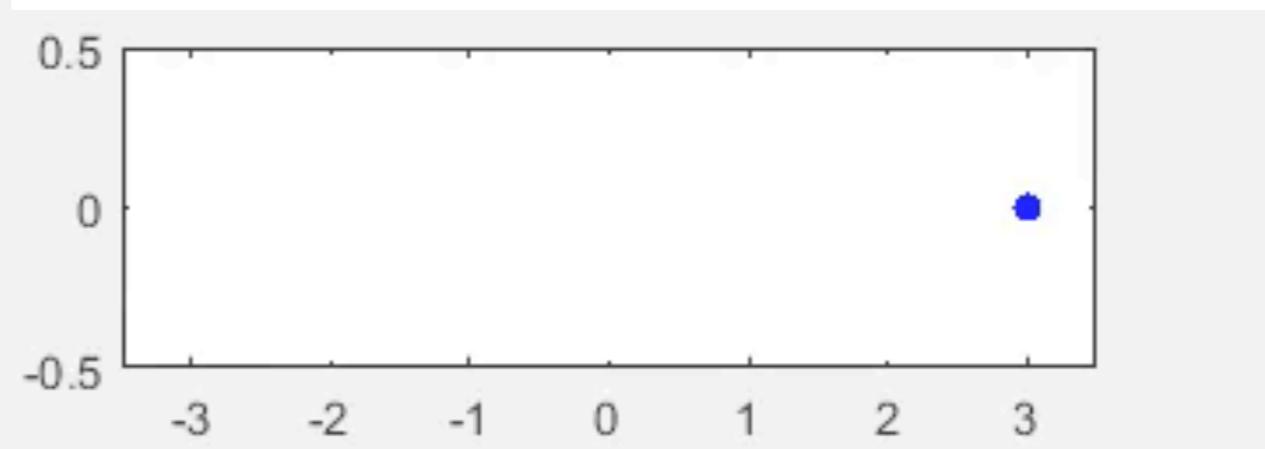
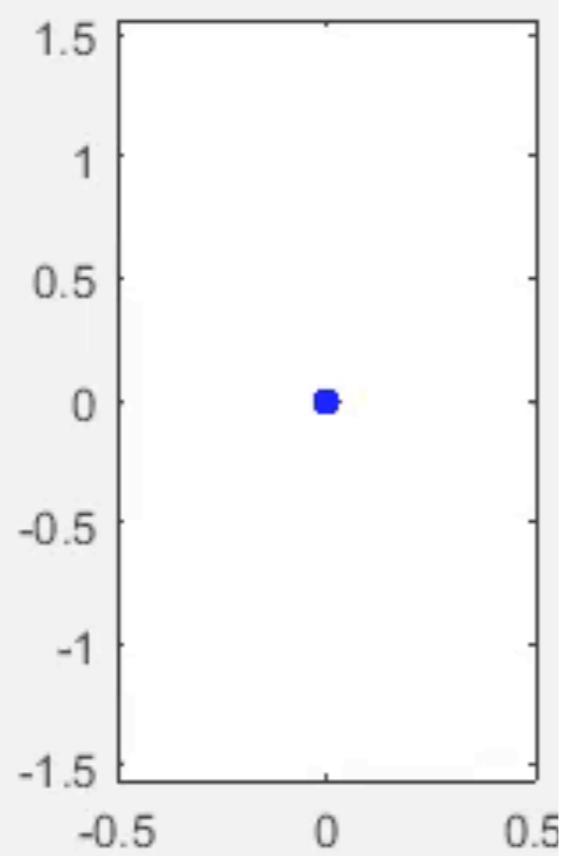
Briggman, Abarbanel, Kristan 2005
Broome, Jayaraman, Gilles Laurent, 2006
Machens, Romo, Brody 2010
Afshar, Yu,... Sahani, Shenoy 2011
Churchland, Cunningham, Shenoy 2012
Kaufman, ... Shenoy 2014
Mante, Sussillo, Shenoy, Newsome 2014
Law and Schieber 2014
Murray, ... Constantinidis, XJ Wang 2017
Remington, ... Jazayeri 2018
Ni, Ruff, ... Marlene Cohen 2018
Perich, Gallego, Lee Miller 2018

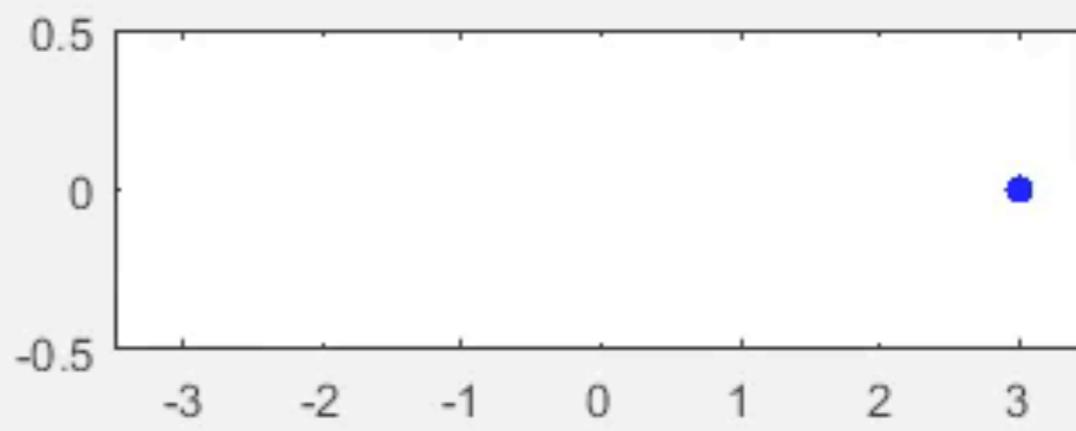
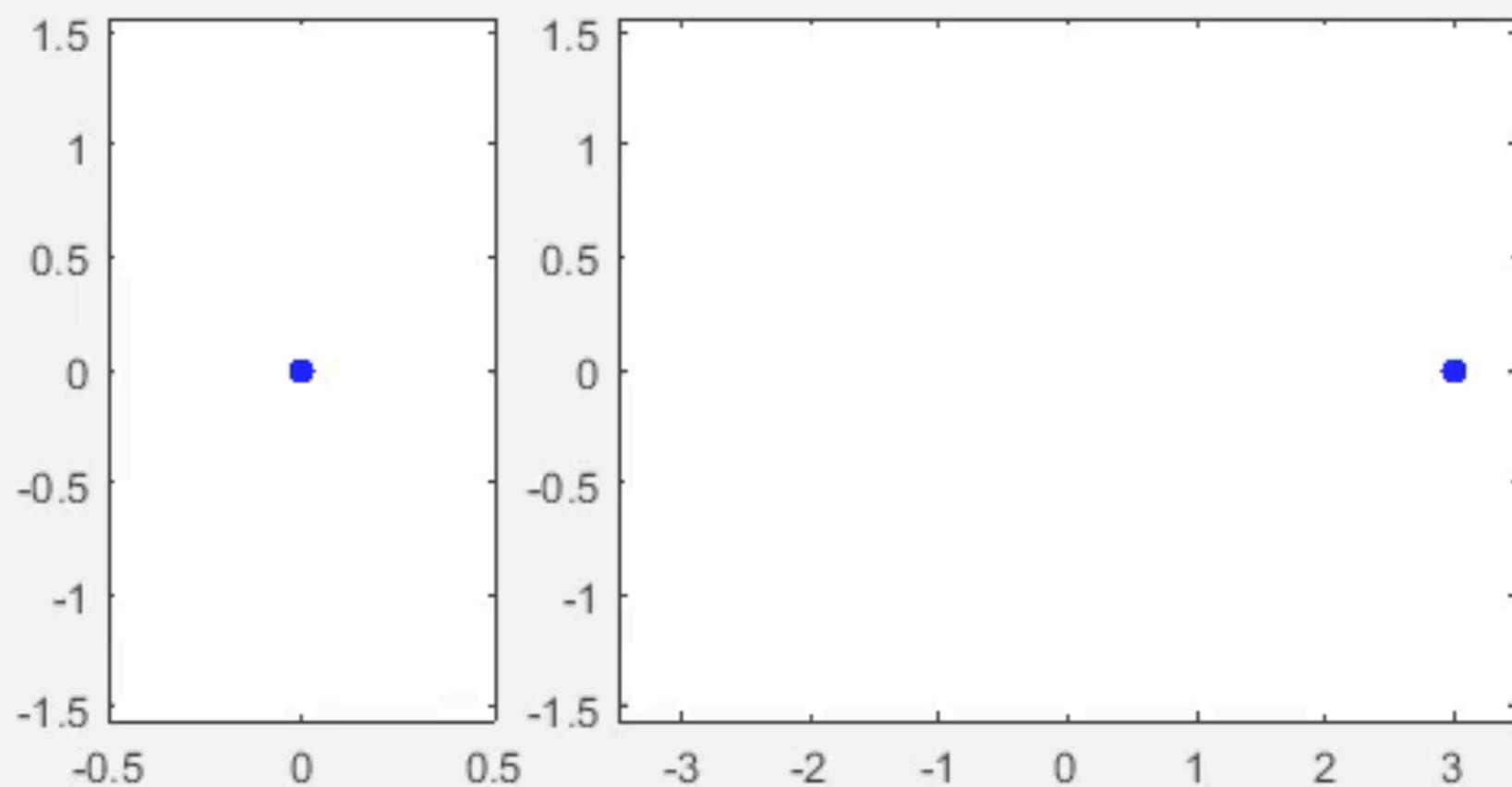


...





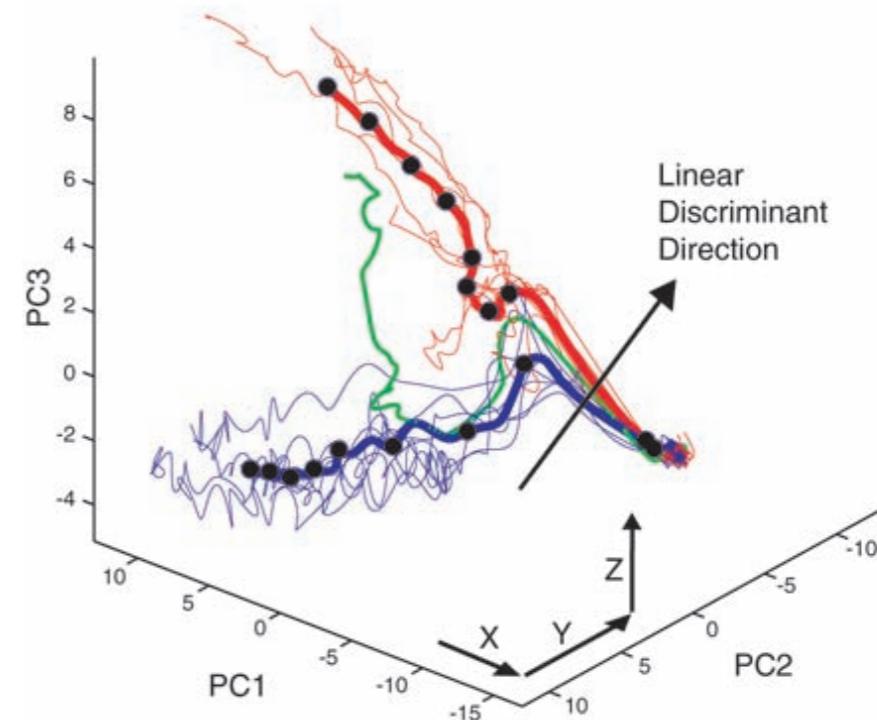
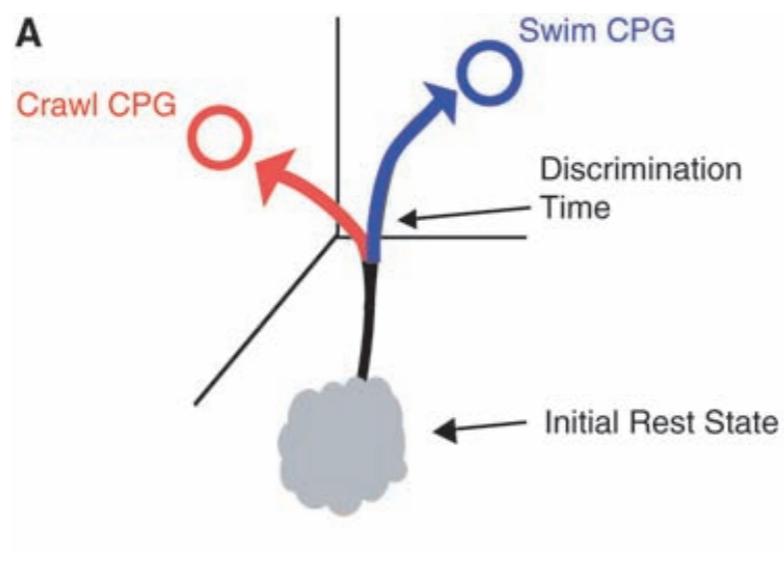




Optical Imaging of Neuronal Populations During Decision-Making

K. L. Briggman,¹ H. D. I. Abarbanel,^{2,3} W. B. Kristan Jr.^{1*}

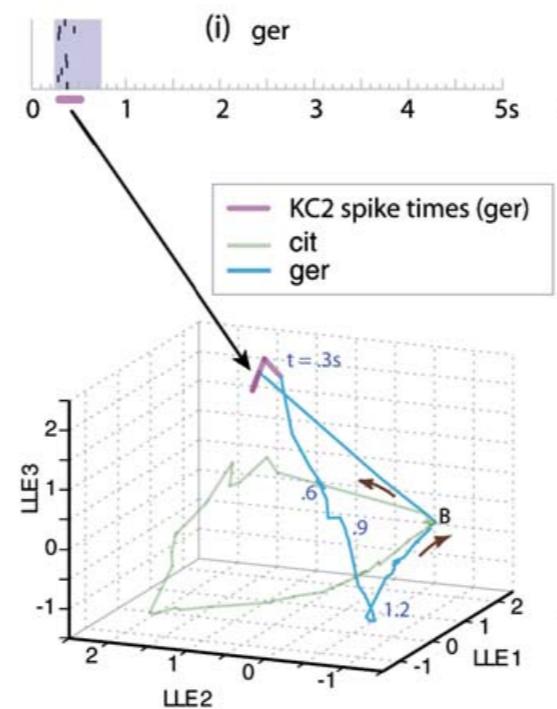
11 FEBRUARY 2005 VOL 307 SCIENCE



Encoding and Decoding of Overlapping Odor Sequences

Bede M. Broome,^{1,2} Vivek Jayaraman,^{1,2}
and Gilles Laurent^{1,*}

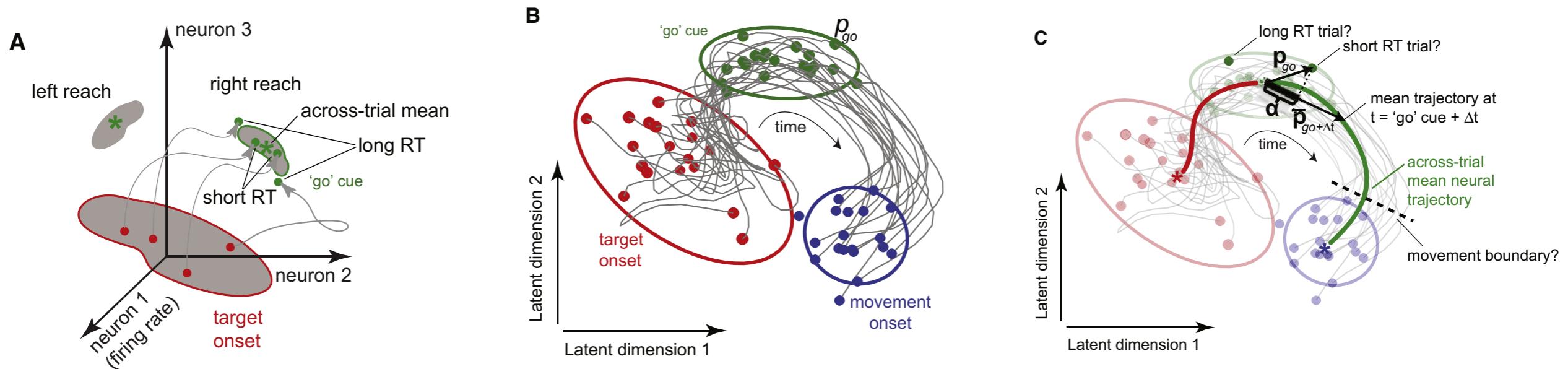
Projection neurons fire broadly, but their target, kenyon cells, fire sparsely.



Single-Trial Neural Correlates of Arm Movement Preparation

Afsheen Afshar,^{1,2} Gopal Santhanam,¹ Byron M. Yu,^{1,5} Stephen I. Ryu,^{1,6} Maneesh Sahani,^{1,5,7} and Krishna V. Shenoy^{1,3,4,7,*}

Neuron 2011



What we covered today:

- Neural Engineering, including BCI
- Arm movement control: Behavior and Theories
- What MI does (still a work in progress.)
- The population revolution is underway.

Outline

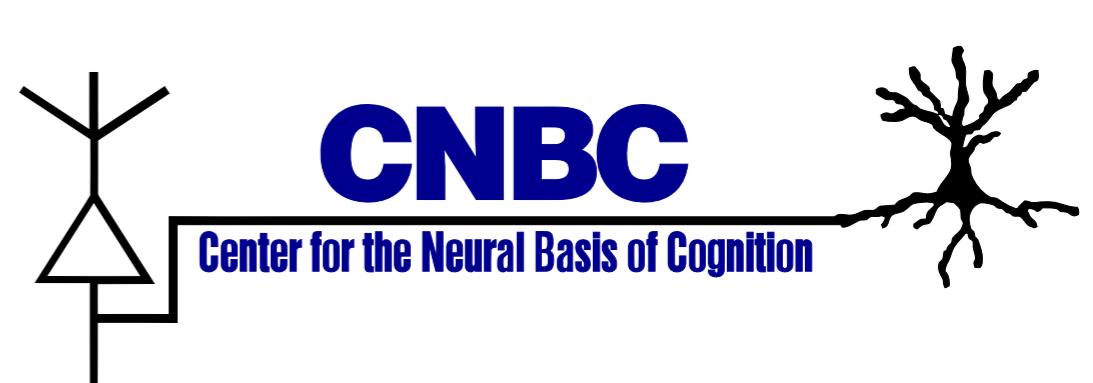
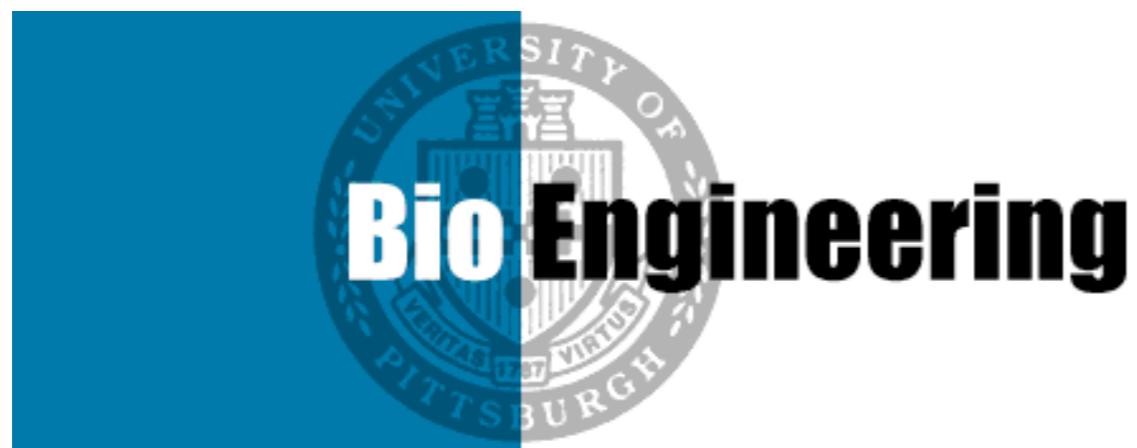


- Neurophysiology of motor control
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Brain-Computer Interfaces: Therapeutics and Basic Science

Aaron Batista
aaron.batista@pitt.edu

30 September 2021



Additional Slides

The Reference Frame paradigm

What are individual neurons “tuned for”?

The eye-to-hand reference frame transformation consists of:

- visual receptive fields...
- combine with proprioception...
- to yield limb-centered tuning...
- which drives the muscles!

Goal-Directed Reaching Requires a Reference Frame Transformation



Goal-Directed Reaching Requires a Reference Frame Transformation

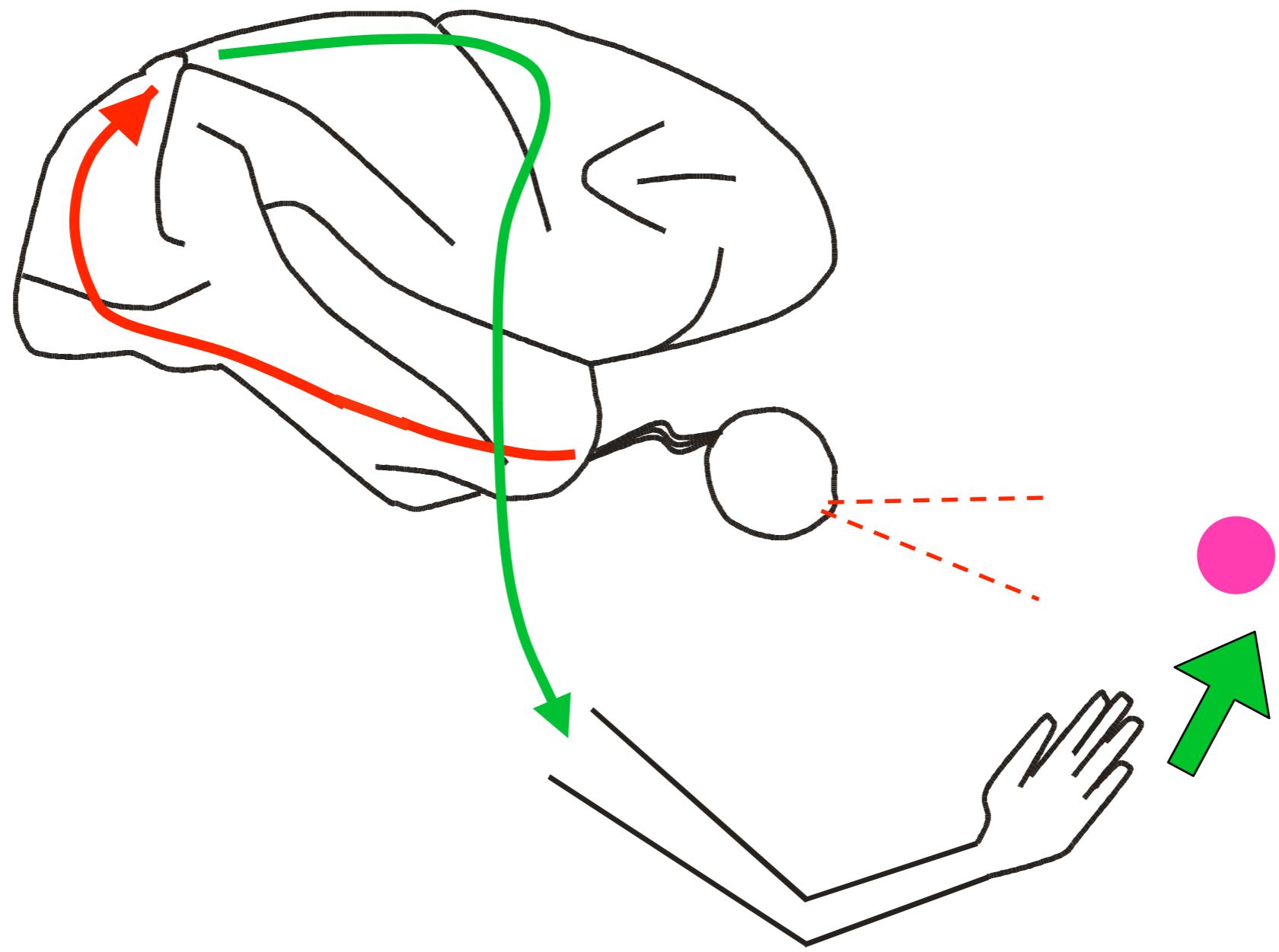


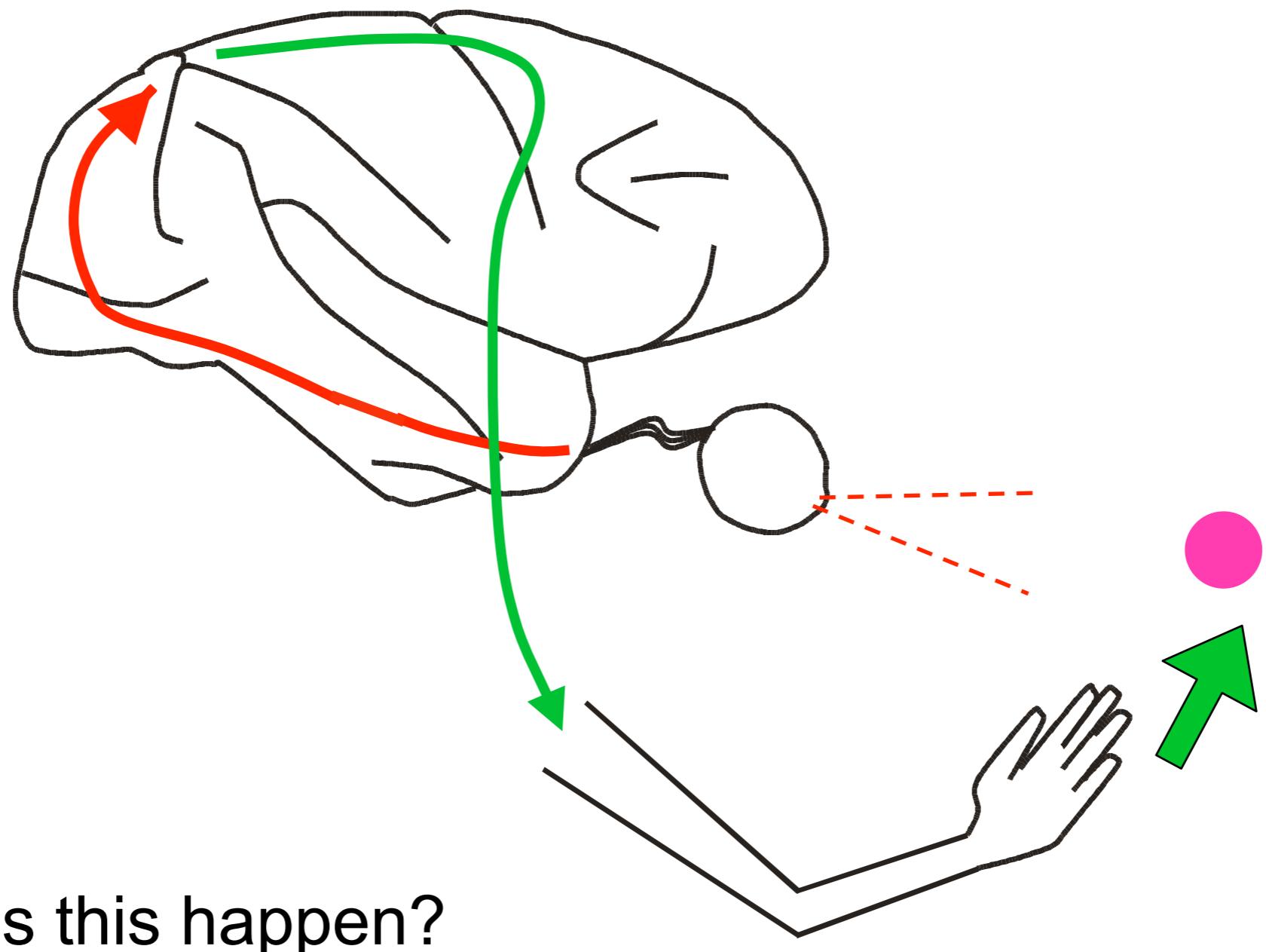
Goal-Directed Reaching Requires a Reference Frame Transformation



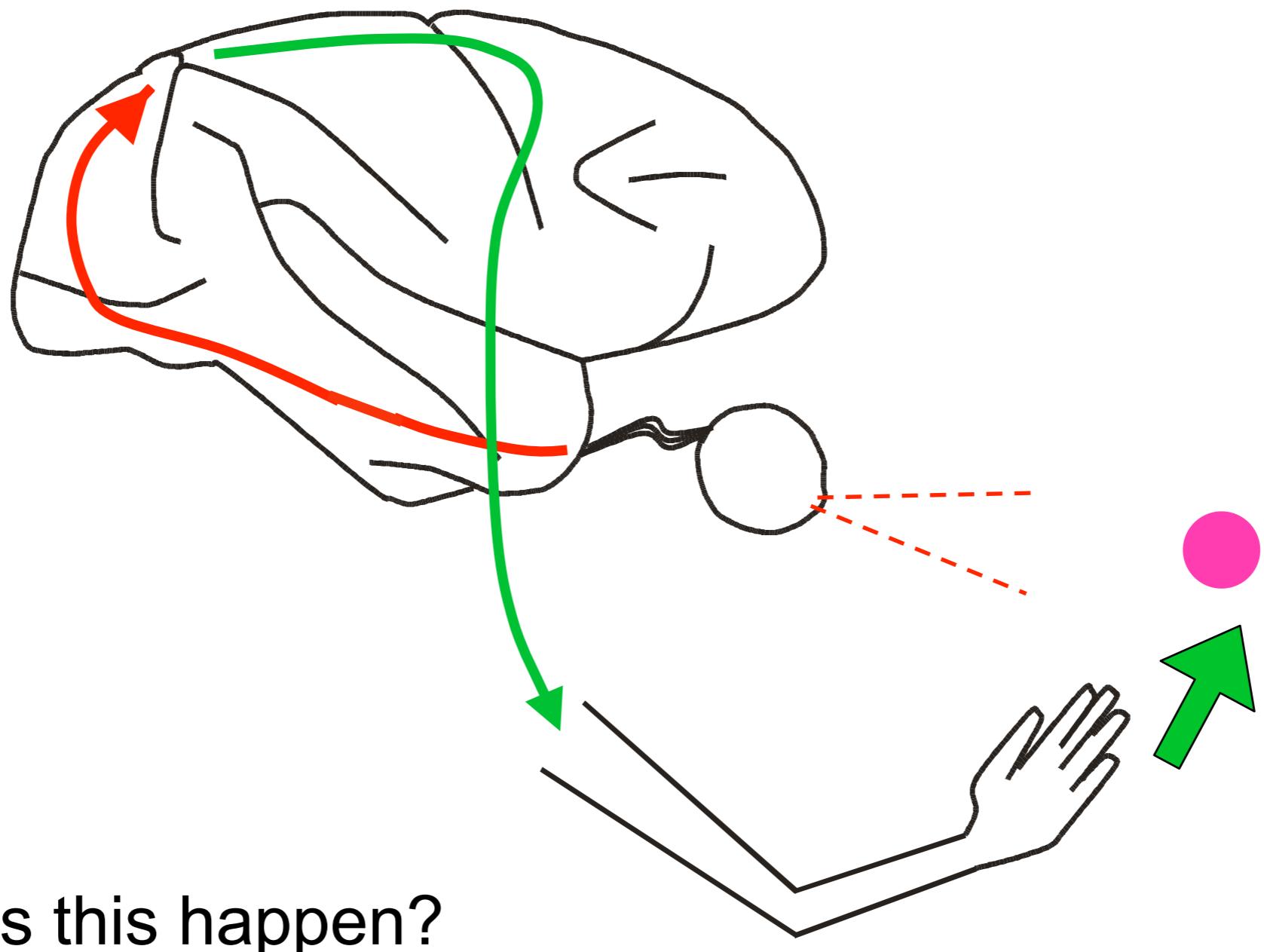
Goal-Directed Reaching Requires a Reference Frame Transformation





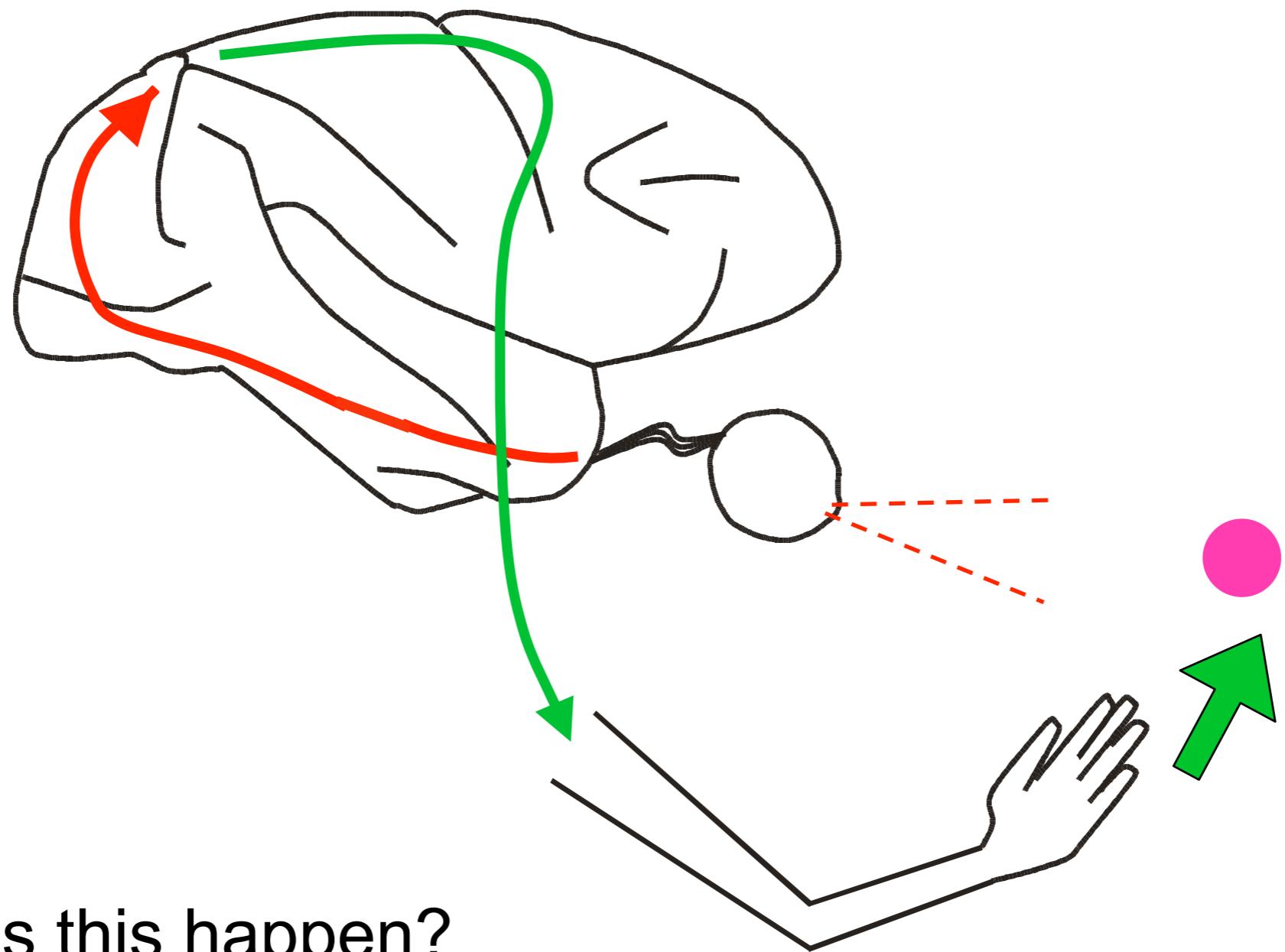


How does this happen?



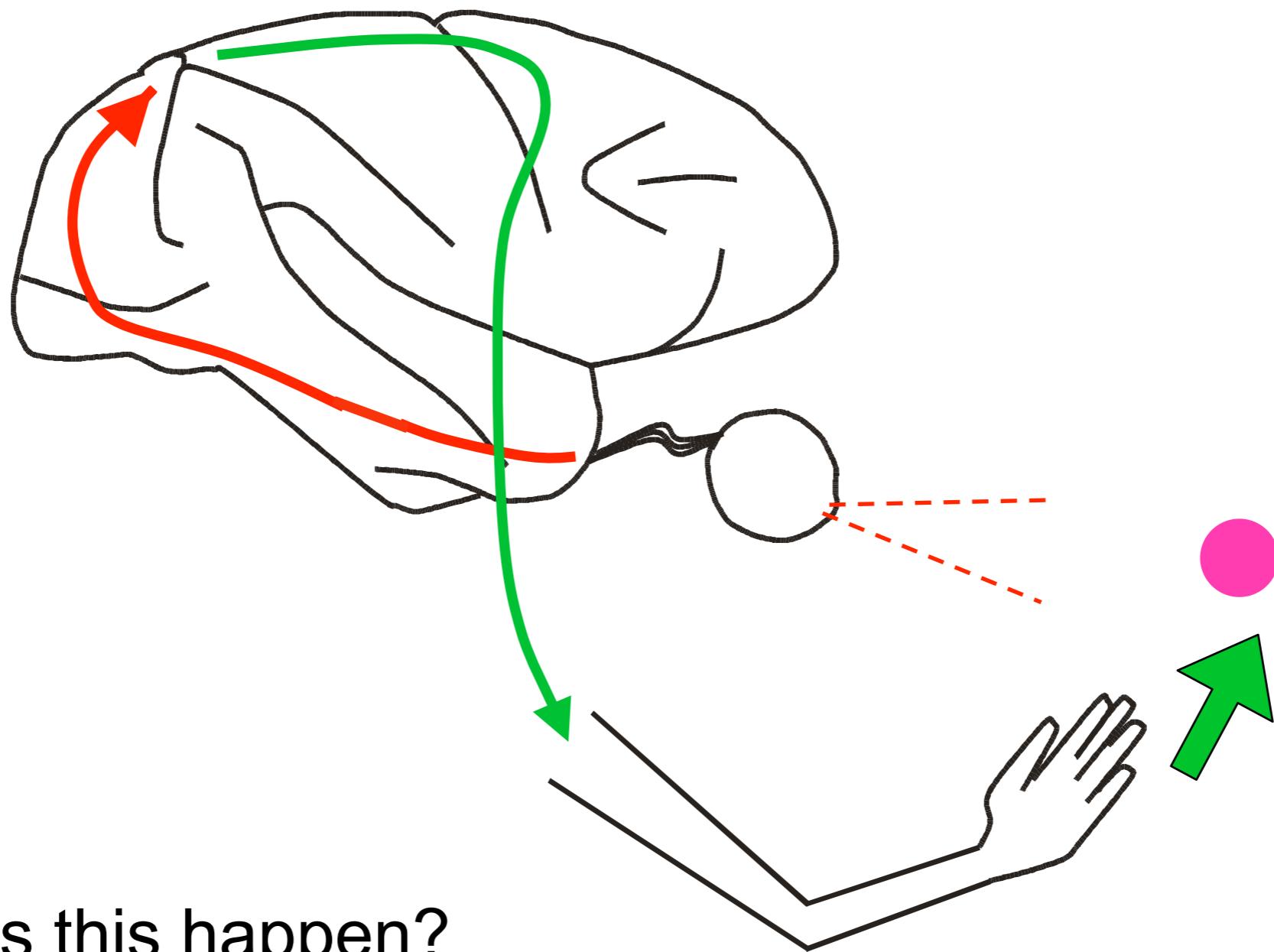
How does this happen?

Retina → LGN → V1 → PPC → PMd → M1 → Spine → Muscles



How does this happen?

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How does this happen?

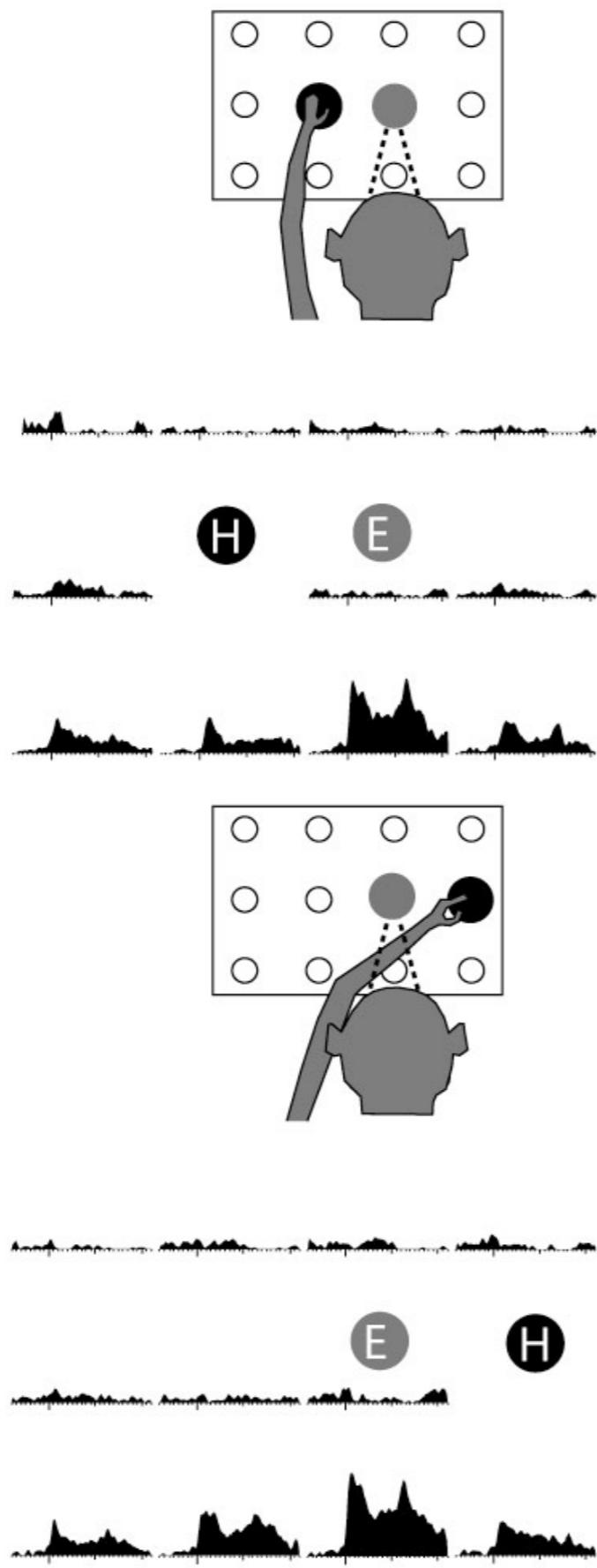
Retina → LGN → V1 → PPC → PMd → M1 → Spine → Muscles

Visual information

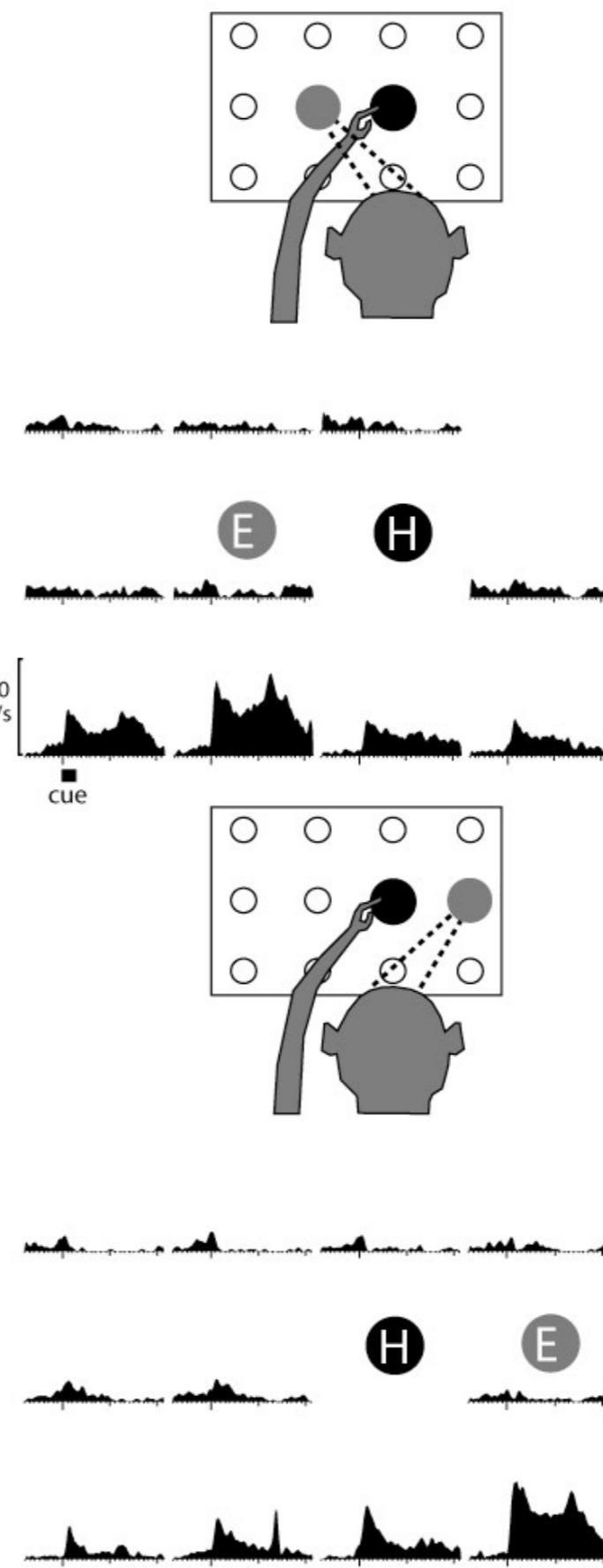
→

Muscular contractions

Different initial hand positions



Different eye positions



The Reference Frame paradigm

What are individual neurons “tuned for”?

The eye-to-hand reference frame transformation consists of:

- visual receptive fields...
- combine with proprioception...
- to yield limb-centered tuning...
- which drives the muscles!

This is a feedforward, single-neuron, mean-firing-rate view of the process.