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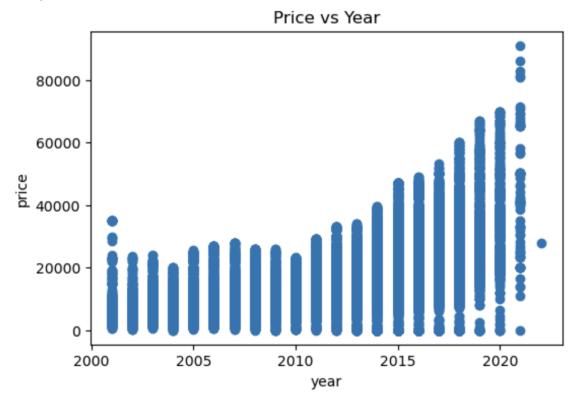
### Overview

In this engagement, we were provided a dataset of used car prices that stretches from 1905 to 2022 and our task was to see if we can develop recommendations around the sorts of traits that the used car dealership community should use in select the procurement of used vehicles for resale.

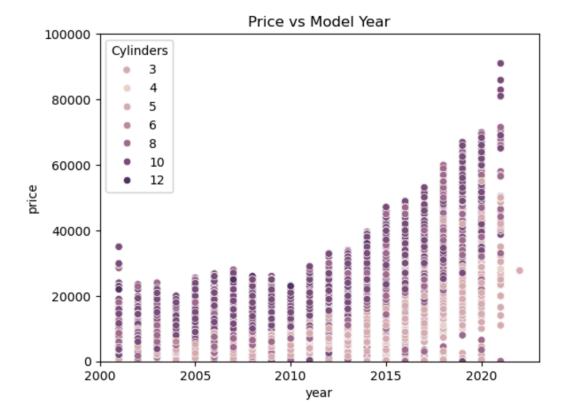
# **Summary Findings**

To the used car dealership community, based off our analysis and findings we have determined the top 5 drivers of used car pricing which holds across linear regression and grid search approaches. Focusing on the top 5 drivers of used car pricing, we recommend that the used car dealership community focus on:

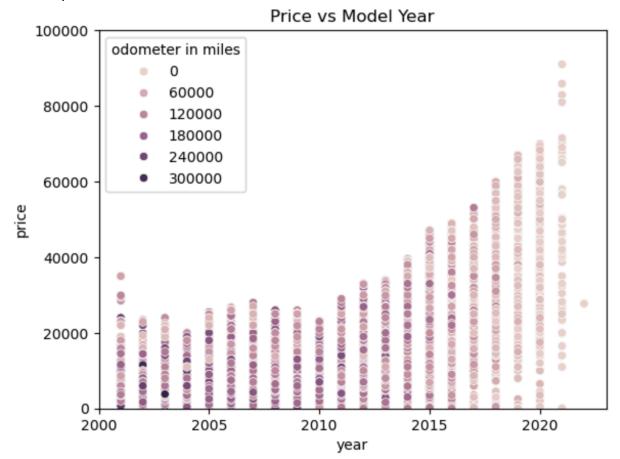
 Model Year - Sourcing late model year used vehicles as this has a large positive impact on pricing



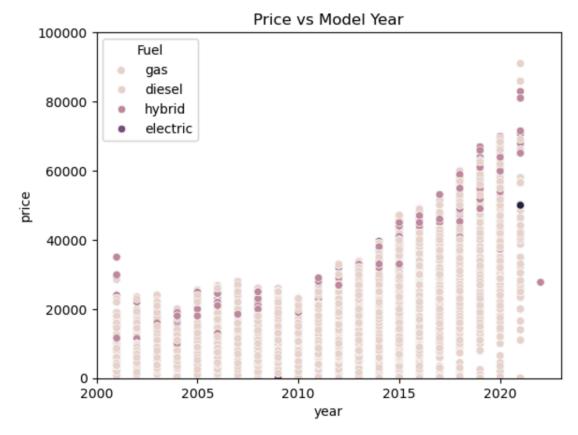
• Engine Cylinder Size - Sourcing larger cylinder engine cars, typically meaning high performing vehicles with higher horsepower and torque, will result in higher selling prices



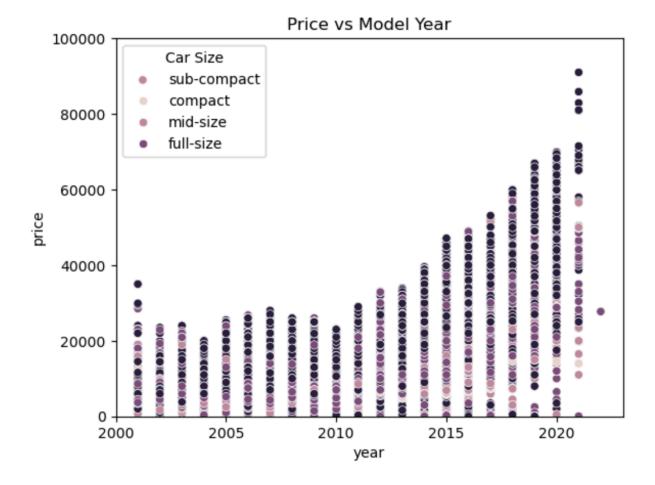
• Odometer - Sourcing low mileage vehicles is recommend as the higher the mileage, the lower the price



 Car Fuel - Sourcing alternative fuel cars such as hybrids, electric cars along with higher mileage diesel cars tend to have a higher value over gas counterparts



 Car Size - Sourcing large cars is advisable, full-size cars sell at a higher price than sub-compact counterparts

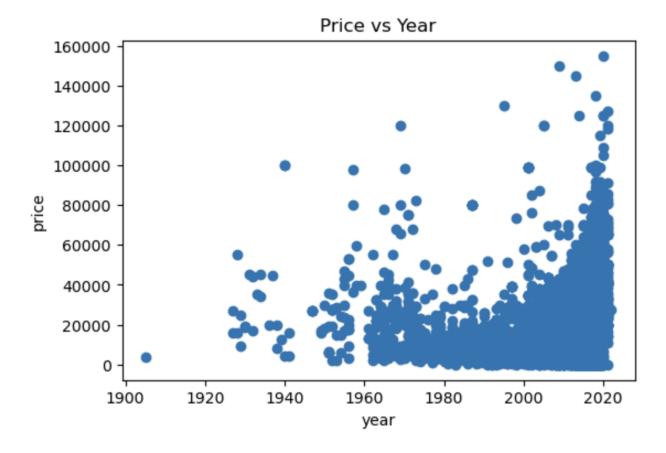


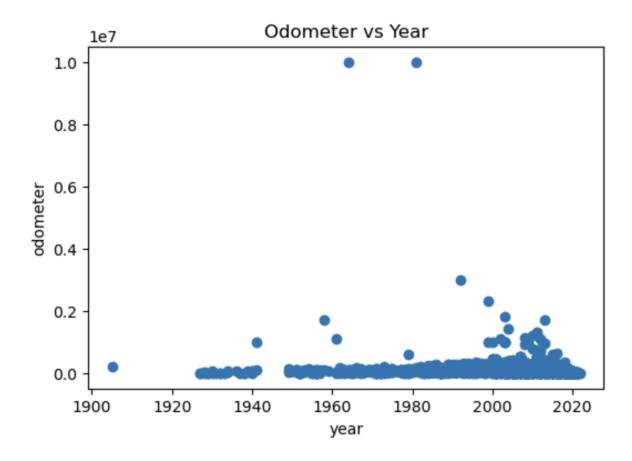
## Methodology

### **Data Understanding**

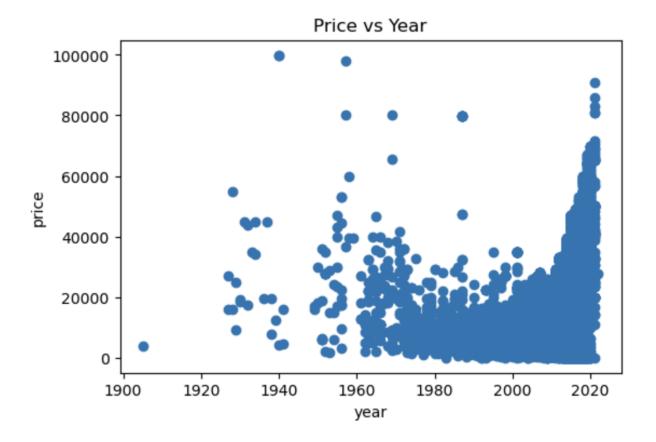
In order to run my analysis, I spent considerable time understanding the raw underlying dataset. Using value\_counts was extremely helpful in understanding the various values associated with the columns of the used car data set. It immediately became apparent that there is a lot of qualitative data that requires transformation. There is also data that would be very onerous to transform to numerical data such as the region of the car and the specific model of the car and those were flagged for consideration to drop from the data set.

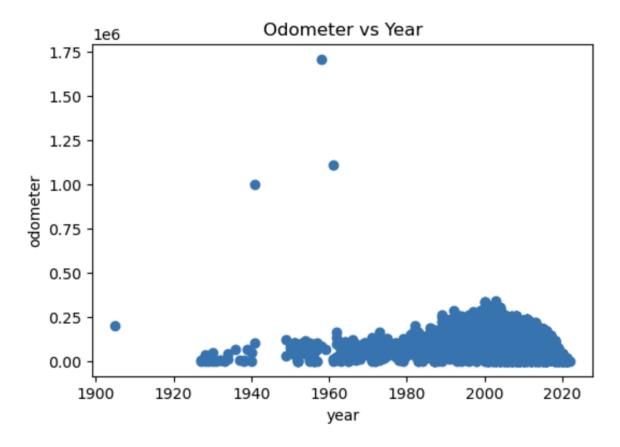
I created some scatterplots to understand the shape of the price data vs year of the automobile and the same for odometer vs year and quickly saw outliers.



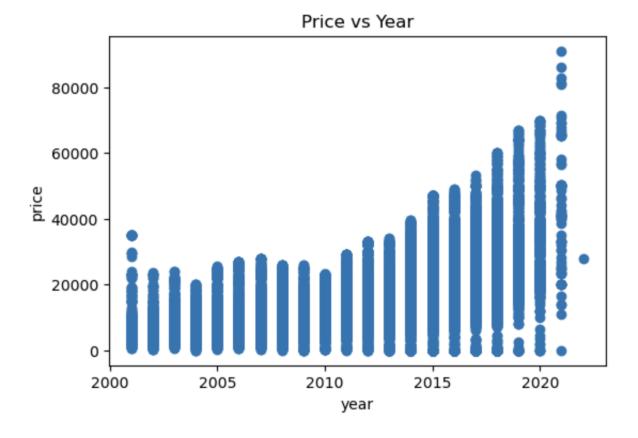


For each year, I decided to remove data for cars that had a price and odometer reading that exceeded two standard deviations from the mean for that year.





This helped to clean up the data a bit, but it was still pretty noisy for years prior to 2000, especially for the 'Price vs Year' graph, no doubt due to exotic/classic cars being part of the data set. Removing data prior to 2001 really helped to clean up the data set.



## **Data Preparation**

Technically, some amount of data preparation was already completed above (elimination of two standard deviations above mean for price and odometer and filtering for data after 2001) by the time I started to even further prepare the data. The biggest task in the data preparation phase was to map the qualitative data to numerical values. I tried to do this in a manner for each parameter with the lower number being the likely low price value and the higher one being the higher value, for example for cylinders, less cylinders had a lower numerical value, high cylinders had a higher numerical value, or full-size car had the higher numerical value vs sub-compact being the lower numerical value.

I also wanted to scale my data set because odometer readings would be orders of magnitude larger than any other mapped parameter. I used the **MinMaxScaler** approach to scale values to between 0 and 1. I also created a train/test split using the **train\_test\_split** function

### Modeling

I ran a total of 3 models for this analysis. My X input was

year	Vehicle Year	MinMaxScaler
odometer	Vehicle Odometer Reading	MinMaxScaler
type_code	Vehicle Type	MinMaxScaler, Type numerical mapping *
size_code	Vehicle Size	MinMaxScaler, Size numerical mapping *
condition_code	Vehicle Condition	MinMaxScaler, Condition numerical mapping *
fuel_code	Vehicle Fuel Type	MinMaxScaler, Fuel numerical mapping *
cylinder_code	Vehicle Cylinders	MinMaxScaler, Cylinder numerical mapping *
title_code	Vehicle Title	MinMaxScaler, Title numerical mapping *
paint_code	Vehicle Paint Color	MinMaxScaler, Paint numerical mapping *
state_code	Vehicle State	MinMaxScaler, State numerical mapping *
manufacturer_code	Vehicle Manufacturer	MinMaxScaler, Manufactuer numerical mapping *

<sup>\*</sup> see workbook for details of the mapping

#### And my Y output was

Y Field	Y Field Descriptor	Transformation(s) Applied
price	Vehicle Price	MinMaxScaler

#### Scaled Linear Regression Model

For the linear regression model I ran LinearRegression() on the X\_train and y\_train data, ran predictions on the X\_train and X\_test data, and computed mean standard errors using the mean\_squared\_error on both the training predicted values and the test predicted values.

### Scaled Polynomial Model

For the polynomial model, I created a pipeline that ran with PolynomialFeatures that iterated from degree 1 in 2 step increments to 9 and Ridge set to alpha = 1 (effectively a linear regression on polynomial data). I ran it on the X\_train and y\_train data, ran predictions on the X\_train and X\_test data, and computed mean standard errors using the mean\_squared\_error on both the training predicted values and the test predicted values.

### Scaled Ridge Polynomial Model

For the scaled ridge polynomial model I created a Ridge Pipeline and set a parameter containing multiple alpha values initially set to a range of 0.1 to 100 with increments of 10x. After a few trial and error runs, the model converged to an optimal value for alpha of 41.1 based off the 'rank\_test\_score' parameter and its offset into the 'params' array. This set did not need a training or test data set, instead I ran it over the entire data set, dropping price for the X values, and price for the Y values.

#### **Evaluation**

For each run, I looked at the lowest test MSE value to evaluate which model performed best since it would indicated better model performance compared to unseen data.

#### Scaled Linear Regression Model

The linear regression model had training and test MSEs that were in pretty close proximity to each other, indicating that the modeling did not overfit the training data.

training mse is 0.006532390659139967 test mse is 0.006707181010956457

#### Scaled Polynomial Model

The scaled polynomial model had training and test MSEs that were in pretty close proximity to each other, indicating that the modeling did not overfit the training data and the model performance for the test MSE kept improving as it stepped from degree 1, 3, 5, 7 and 9. The runs began to take a long time so I was unable to draw a conclusion on the most effective model when alpha was set to 1

training mse is [0.006532409452755361, 0.0037617290035583087, 0.0032764962672685374, 0.002910872309874212, 0.0026088447043674046] test mse is [0.006707586737730332, 0.003919616658322686, 0.00354342786587832, 0.003316024046471655, 0.0031673219645035173]

#### Scaled Ridge Polynomial Model

For the scaled ridge polynomial model, it has the worst MSE performance, examining its mean\_test\_score array and taking the array's mean

Mean\_test\_score array: [0.5313442, 0.5313442, 0.5313442, 0.53134418] mean of array is 0.5313441941879545

## **Deployment and Conclusion**

The scaled polynomial model performed the best on the test MSE front having the lowest value of all models but I couldn't converge on an optimal for the chosen alpha as the model kept improving for higher polynomial values and the runs began to take quite a long time to complete. I thus returned to the scaled linear regression model with the second lowest test

MSE value and compared the top 5 parameters for that model versus the optimal scaled ridge regression model and both models gave the same insights. The top 5 drivers of used car pricing were Model Year, Engine Cylinder Size, Odometer, Car Fuel and Car Size.

#### **Additional Factors**

Additional factors that influence used car pricing include

- Car Title Having a clean car title has a positive impact on the value of the car, specifically we recommend a clean title.
- Car Condition The car condition has a positive impact on the value of the car, specifically we recommend new, like new, or excellent condition cars.
- Car Type The car type has a positive impact on the value of the car. Larger cars such as SUVs, mini-vans and vans will have higher resale values.
- Car Manufacturer Interestingly, marquee/luxury manufacturers tended to have a negative impact on pricing. This is consistent with depreciation being very high for luxury cars.
- State it was hard to draw conclusions on the impact of state on pricing as the mapping tried to map higher value resale states to higher numerical values but still we got a slightly negative impact from the scaled linear regression model
- Paint certain color paints (white or black) tended to have a positive impact on pricing, but it was slight.

### Resources

Link to notebook: · link to the notebook

Project organization:	5 pts	0 pts	5 pts
<ul> <li>Jupyter notebook with headings and text appropriately formatted</li> <li>No unnecessary files</li> <li>Directories and files have appropriate names and locations.</li> </ul>	Excellent Your submission includes all listed components.	Criterion not met Your submission includes a few to none of the listed components.	

This criterion is linked to a Learning Outcome Syntax and code quality: Libraries are imported and aliased correctly. Code does not contain errors. No long strings of code output Demonstrates competency with pandas Demonstrates competency with seaborn Comments are used appropriately to explain code. Variables are sensible.	5 pts Excellent Your submission includes a listed components.	met Your submission includes a few	5 pts
This criterion is linked to a Learning Outcome Visualizations: · Appropriate plots for categorical and continuous variables are utilized. · Plots contain readable labels. · Plots contain descriptive titles. · Axes are legible. · Subplots are used when appropriate. · Plots are scaled appropriately for readability.	5 pts Excellen t Your submissi on includes all listed compone nts.	O pts Criterion not met Your submission includes a few to none of the listed component s.	5 pts
This criterion is linked to a Learning Outcome Modeling:  · Use of multiple regression models  · Cross-validation of models  · Grid search hyperparameters  · Appropriate interpretation of coefficients in models  · Appropriate interpretation of evaluation metric	5 pts Excell ent Your submis sion include s all listed compo nents.	O pts Criterio n not met Your submissi on includes a few to none of the listed	5 pts

· Clear identification of evaluation metric	compone nts.	
· Clear rationale for use of given evaluation metric		

This criterion is linked to a Learning Outcome

#### Findings:

- · Clearly stated business understanding of the problem
- · Clean and organized notebook with data cleaning
- · Correct and concise interpretation of descriptive and inferential statistics
- · Clearly stated findings in their own section with actionable items highlighted in an appropriate language for a nontechnical audience
- · Next steps and recommendations