# Regression: the importance of Transformations/Feature Engineering

Recall from our initial notebook on Linear Regression

 $\bullet\,$  adding a synthetic feature  $x_1^2$  (Size squared) greatly improved the Performance Metric

Feature Engineering involves

- taking raw features from the training dataset
- applying transformations to create synthetic features
- resulting in
  - additional synthetic features
  - removing un-informative raw features

Our toy example was just a teaser for the importance of Feature Engineering

• WIII be a subject of subsequent modules

Suffice it to say

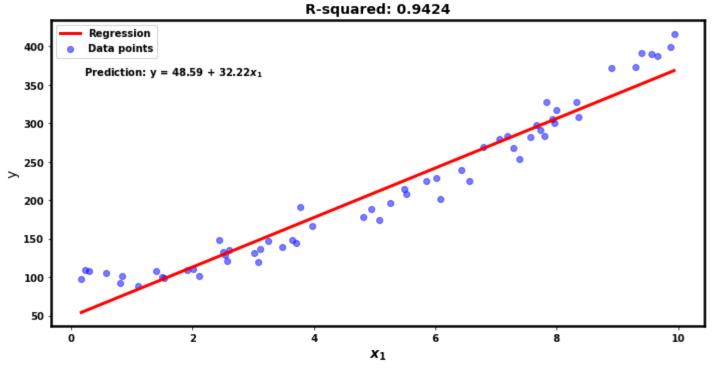
- a skill that distinguishes a good Data Scientist from just an average one
- is the ability to understand
  - aided by Exploratory Data Analysis
- what synthetic features
  - need to be created in order to increase the Performance Metric

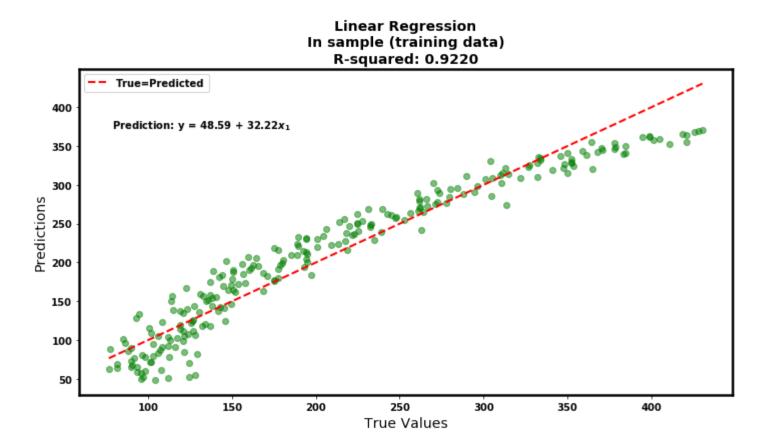
### Regression task: other models

There is rarely a single model for solving a task in Machine Learning.

Here, we present the single feature Linear Regression model from the previous module.

# Linear regression Out of sample (test data) Features: x1





And now, the Regression task

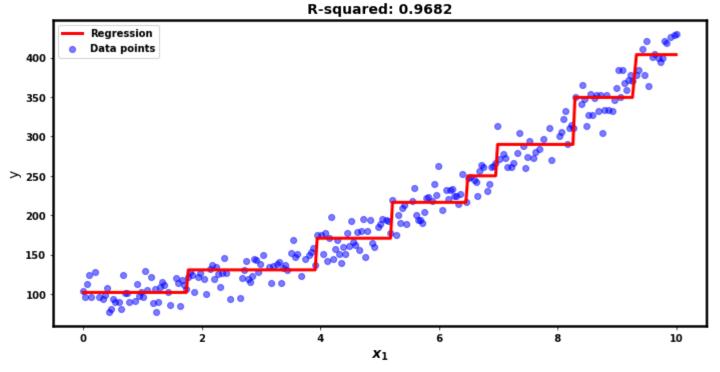
- on the same dataset
- solved by a different model: the Decision Tree Regressor

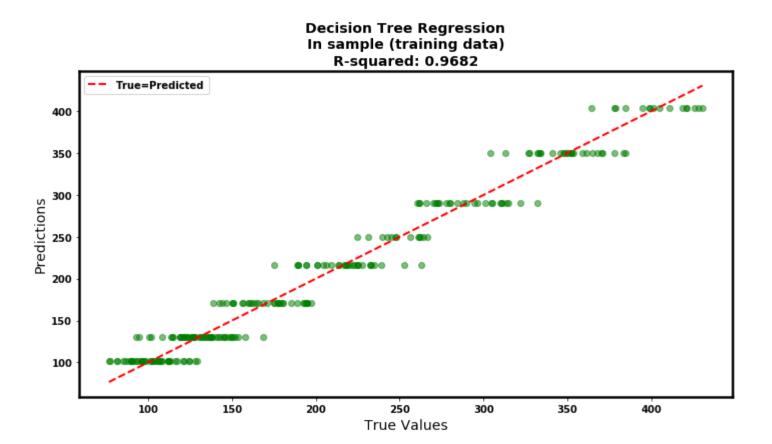
```
In [10]: from sklearn.tree import DecisionTreeRegressor

# Create and fit the Decision Tree model
dt_model = DecisionTreeRegressor(max_depth=3)

# Note: we access the single feature as X_train[:, [9]] rather than X_train[:,
0] to ensure the result is 2D
# - with a singlteon final dimension, as required by sklearn
_= dt_model.fit(X_train[:,[0]], y_train)
```

## Decision Tree Regression In sample (training data) Features: $x_1$





The Decision Tree model creates a more complex prediction

- divides the feature  $x_1$  into regions
- predicts the average target (from *training examples*) as the target for *all* values in the same region

So how do we choose between multiple models for a task?

One argument: use the model with the best Performance Metric

our goal is good out of sample prediction

But the prediction for Decision Tree presents some issues

- complex.
  - Complexity can lead to over fitting: good in sample performance, but poor out of sample performance
- all test examples within a region have the *same prediction* 
  - may violate economic principles: more is better
- the prediction can not be summarized simply (i.e., in an equation)
  - we need a tree of questions to represent the decision

#### Ultimately

• the use case for the prediction may inform the choice of model

### Why is Linear Regression so popular?

Linear Regression is used very often, for a number of reasons.

#### First:

- the prediction fits a functional form: Linear
- the equation succinctly *explains* the prediction in terms of the features

Moreover, the weights (coefficients) in the Linear Regression equation are interpretable.

Consider

$$\hat{\mathbf{y}} = \Theta \cdot \mathbf{x}$$

Lets take the derivative of the prediction with respect to any feature, e.g., the  $j^{th}$  feature

$$rac{\partial \hat{\mathbf{y}}}{\partial \mathbf{x}_j} = \Theta_j$$

#### That is

- ullet the weight/coefficient  $\Theta_j$  associated with the  $j^{th}$  feature
- ullet is the marginal increase in prediction  $\hat{oldsymbol{y}}$  for a unit increase in  $oldsymbol{x}_j$

In our Housing Price prediction task

- we can use the coefficient of Size
- to predict how much the predicted Price will increase
- for each additional increase in Size

This advantage in interpretability often argues for using Linear Regression as the model for a Regression task

- ullet we can test whether the sign of  $\Theta_j$  conforms with economic intuition
  - it should be positive: bigger is costlier
- it is less of a "black box"

```
In [13]: print("Done")
```

Done