# **Encoder/Decoder architecture**

Two RNN's

- Encoder: takes input sequence  $\xspace \xspace \xspace$
- Decoder: creates output sequence  $\hat{y}$

RNN's process sequences using the "loop architecture"

Consider the task of

- constructing the *next* element  $\hat{y}_{tp}$  of sequence y
- conditioned on some input sequence  $\ \mathbf{x} = \ \mathbf{x}_{(1)} \dots \ \mathbf{x}_{(')}$   $\ \mathbf{pr} \ \mathbf{y}_{\mathrm{tp}} \ | \ \mathbf{x}_{(1)} \dots \ \mathbf{x}_{\mathrm{tp}}$

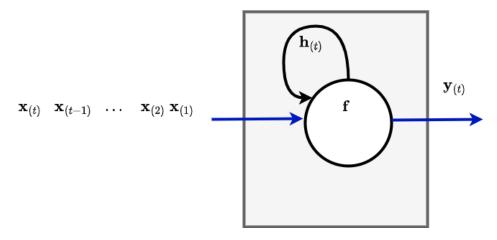
## **RNN** Loop architecture

• Uses a "latent state" that is updated with each element of the sequence, then predict the output

$$m \langle pr/h_{tp}|/x_{tp}, h_{tp} 
angle 
ang$$

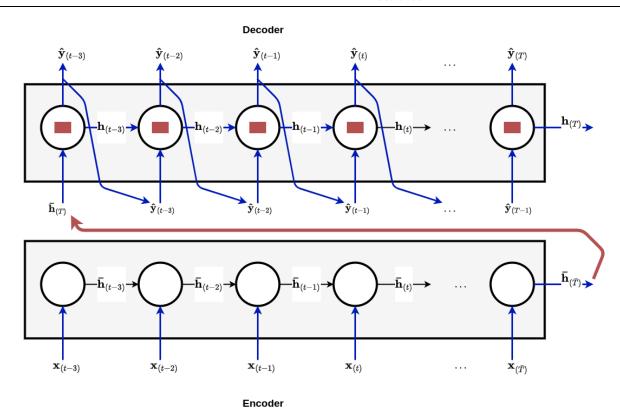
$$\label{eq:codes} \begin{split} & |\mathbf{pr}|\mathbf{h}_{\backslash \mathbf{tp}}| |\mathbf{x}_{\backslash \mathbf{tp}}, |\mathbf{h}_{(-1)} \quad \text{latent variable } |\mathbf{h}_{\backslash \mathbf{tp}} \text{encodes } [|\mathbf{x}_{(1)} \dots |\mathbf{x}_{\backslash \mathbf{tp}}|] \end{split}$$
prediction contingent on latent variable

#### Loop with latent state



# Original Encoder/Decoder architecture

RNN Encoder/Decoder without Attention Bottleneck



#### Critique

- bottleneck
  - all information about input  $\setminus x$  passes through out of Encoder (red line)
  - and must be carried over to every iteration of the Decoder loop (red box)
- loop architecture for Encoder and Decoder
  - dependency: horizontal line carrying latent state across time

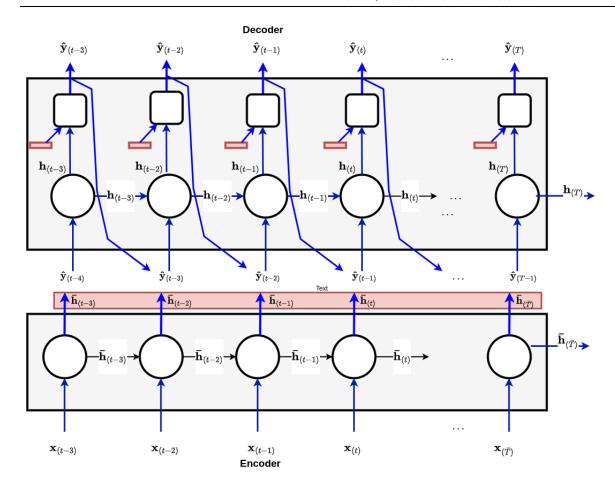
# Cross-Attention: removing the bottleneck

We removed the bottleneck via Cross Attention

- Decoder has *direct access* to **all** outputs (i.e., Latent sates) of the Encoder
  - each Encoder output is proxy for a prefix of the input

The pink box is the sequent of Encoder outputs

$$ackslashar{ extbf{h}}_{(1:ar{T})}$$



# Encoder Self-Attention: removing the Encoder loop

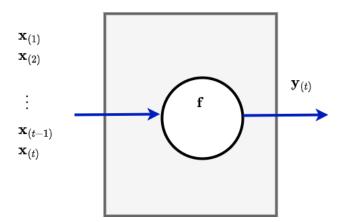
There is an alternative to the loop architecture for processing sequences

• the direct function approach

The alternative to the loop was to create a "direct function"

- Taking a **sequence**  $\setminus \mathbf{x}_{(1...)}$  as input
- Outputting  $\hat{y}_{\text{tp}}$

#### **Direct function**



Can output *all* elements of sequence  $\hat{y}$  simultaneously

- each output position is independent of previous output
- only dependent on input

We removed the "loop" architecture of the Encoder by using the direct function approach

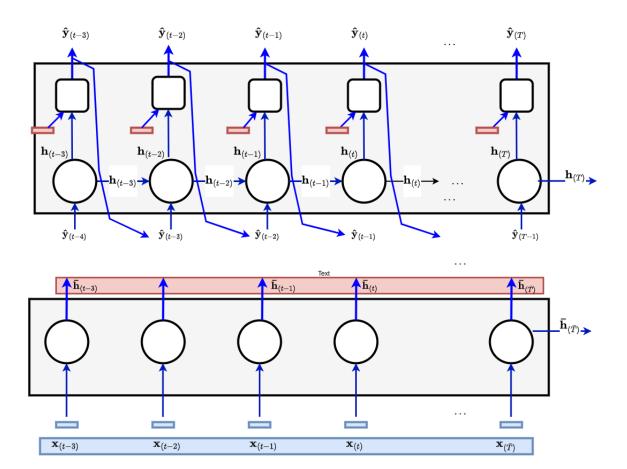
- ullet the mechanism enabling each position of the Encoder output to attend to the entire sequence x is called Self-Attention
  - Notice: no dependency arrow between circles in the Encoder
- Encoder output is a direct function of **all** positions in the input
  - all Encoder output positions can be computed in parallel

The blue box represents the *entire* input sequence

$$\setminus_{\mathbf{X}_{(1:\bar{T})}}$$

We no longer refer to the Encoder output as a Latent state

no more loop!



#### Observe that

- by removing the looping architecture from the Encoder
- the Encoder is no longer called an RNN

## **Masked Self Attention**

With unmasked Self Attention

- Encoder output  $\sqrt{h_{tp}}$  at position
- is a function of **all** inputs  $\setminus \mathbf{x}_{(1:\bar{T})}$ 
  - including positions after

This is useful, for example, when the meaning of a word depends on its entire context.

• as in our motivating example

For certain tasks (not so for our motivating example), full visibility of all inputs is not permissible

- "looking into the future"
  - e.g., predict stock return based only on **past** information

In this case, we use *masked* Self Attention

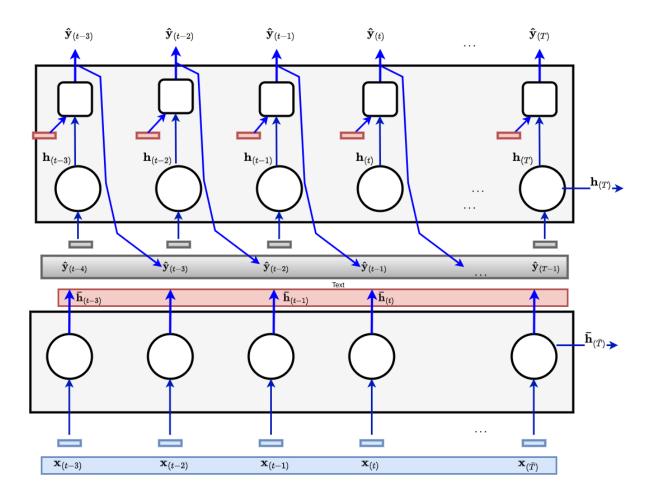
- we use a mask to hide inputs from position onwards so that
- output  $\sqrt{h_{\text{tp}}}$  at position
- is a function only of **preceding** inputs  $\mathbf{x}_{(1:-1)}$

We will see the use of masking in the next section.

# Causal Masked Self Attention: removing the Decoder loop

Finally we remove the loop architecture for the Decoder as well using a different "flavor" of Self-Attention

Masked Self-Attention.



The grey box represents the *entire* output sequence

$$\mathbf{\hat{y}}_{(1:T)}$$

From this diagram: it appears that

- the Encoder/Decoder can produce output  $\hat{y}_{\text{tp}}$
- while attending to outputs that have not yet been generated at the start of step  $\hat{\mathbf{v}}_{\mathbf{v}}$
- "looking into the future"

That is, it is computing

$$\operatorname{ar{prc}\hat{y}_{tp}\hat{y}_{(1:T)}}$$

What is going on?

## Teacher forcing at training time

An explanation of this strange behavior is that the behavior of the model is different

- at training time
- versus at test/inference time

*Teacher Forcing* alters the training behavior in order to improve the ability of a model to learn.

Let's examine <u>Teacher Forcing (Teacher Forcing.ipynb)</u> in depth.

### **Masked attention**

Hopefully it is clear that, regardless of whether we are computing  $\mathbf{y}_{\mathsf{tp}}$ 

- at training time
- at inference time

the computation should depend only on positions 1:-1 of the output.

• can't peek into the future

#### To enforce this

- we *mask* the outputs
- ullet so that only positions 1:-1 are visible when generating output position

The general mechanism of hiding some inputs is called

Masked Self-Attention

The specific masking of only future positions is called

Causal Masked Self-Attention of Causal Self-Attention

```
In [2]: print("Done")
```

Done