In [1]: %matplotlib inline

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In [2]: | import numpy as np
        import matplotlib.pyplot as plt
        from sklearn.linear model import LinearRegression
        from sklearn.metrics import r2 score
        from mpl toolkits.mplot3d import Axes3D
        # Set random seed for reproducibility
        np.random.seed(42)
        def create dataset(n samples=100):
            x 1 = np.random.uniform(0, 10, n samples)
            x = np.random.uniform(0, 10, n samples)
            x 1 squared = x 1 ** 2
            # Create target with some noise
            y = 2 * x 1 + 0.5 * x 1 squared + 3 * x 2 + np.random.normal(0, 2, n sample)
        s)
            return x 1, x 1 squared, x 2, y
        def plot 2d(X, y, y_pred, title, equation, r2):
            plt.figure(figsize=(10, 6))
            plt.scatter(X, y, color='blue', alpha=0.7, label='Actual data')
            plt.plot(X, y pred, color='red', label='Regression line')
            plt.xlabel('x 1')
            plt.ylabel('y')
            plt.title(title)
            # Adjust text position and spacing for readability
            plt.text(0.05, 0.95, f'Equation:\n{equation}\n\nR-squared: {r2:.4f}',
                      transform=plt.gca().transAxes, verticalalignment='top', fontsize=1
        2,
                      bbox=dict(facecolor='white', alpha=0.5, edgecolor='none'))
            plt.legend()
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plt.show()
def plot 3d(X, y, y) pred, title, equation, r2):
    fig = plt.figure(figsize=(12, 8))
    ax = fig.add subplot(111, projection='3d')
    ax.scatter(X[:, 0], X[:, 1], y, color='blue', alpha=0.7, label='Actual dat
a')
    ax.scatter(X[:, 0], X[:, 1], y pred, color='red', alpha=0.7, label='Predict
ed data')
    ax.set xlabel('x 1')
    ax.set ylabel('x 2')
    ax.set zlabel('y')
    ax.set title(title)
    # Adjust text position and spacing for readability
    ax.text2D(0.05, 0.95, f'Equation:\n{equation}\n\nR-squared: {r2:.4f}',
              transform=ax.transAxes, verticalalignment='top', fontsize=12,
              bbox=dict(facecolor='white', alpha=0.5, edgecolor='none'))
    plt.legend()
    plt.show()
# Create dataset
x 1, x 1  squared, x 2, y =  create dataset()
# 1. Linear Regression with x 1
X 1 = x 1.reshape(-1, 1)
reg_1 = LinearRegression().fit(X 1, y)
y \text{ pred } 1 = \text{reg } 1.\text{predict}(X 1)
r2 1 = r2 score(y, y pred 1)
equation 1 = f'y = \{reg \ 1.intercept : .2f\} + \{reg \ 1.coef \ [0]:.2f\} * x \ 1'
plot 2d(x 1, y, y pred 1, 'Linear Regression with x_1', equation_1, r2_1)
# 2. Linear Regression with x 1 and x 1 squared
X = np.column stack((x 1, x 1 squared))
reg 2 = LinearRegression().fit(X 2, y)
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y \text{ pred } 2 = \text{reg } 2.\text{predict}(X 2)
r2 2 = r2 \ score(y, y \ pred 2)
equation 2 = f'y = \{reg \ 2.intercept : .2f\} + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f\} * x 1 + \{reg \ 2.coef \ [0]:.2f] * x 1 + \{reg \ 2.coef \ [
coef [1]:.2f} * x 1^2'
plot 3d(X 2, y, y pred 2, 'Linear Regression with x 1 and x 1 squared', equation
2, r2 2)
\# 3. Linear Regression with x 1, x 1 squared, and x 2
X = \text{np.column stack}((x 1, x 1 \text{ squared}, x 2))
reg 3 = LinearRegression().fit(X 3, y)
y pred 3 = reg 3.predict(X_3)
r2 3 = r2 \ score(y, y \ pred 3)
equation 3 = f'y = \{reg \ 3.intercept : .2f\} + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{reg \ 3.coef \ [0]:.2f\} * x \ 1 + \{r
coef [1]:.2f} * x 1^2 + {reg 3.coef [2]:.2f} * x 2'
# For the 3D plot with all features, we'll use x 1 and x 2 for the axes and colo
r for the third dimension
fig = plt.figure(figsize=(12, 8))
ax = fig.add subplot(111, projection='3d')
scatter = ax.scatter(x 1, x 2, y, c=x 1 squared, cmap='viridis', label='Actual
data')
ax.scatter(x 1, x 2, y pred 3, color='red', alpha=0.7, label='Predicted data')
ax.set xlabel('x 1')
ax.set ylabel('x 2')
ax.set zlabel('v')
ax.set title('Linear Regression with x 1, x 1 squared, and x 2')
# Adjust text position and spacing for readability
ax.text2D(0.05, 0.95, f'Equation:\n{equation 3}\n\n{equation};
                                        transform=ax.transAxes, verticalalignment='top', fontsize=12,
                                         bbox=dict(facecolor='white', alpha=0.5, edgecolor='none'))
plt.colorbar(scatter, label='x 1 squared')
plt.legend()
plt.show()
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