# Meeting #1

kense, for the thesis

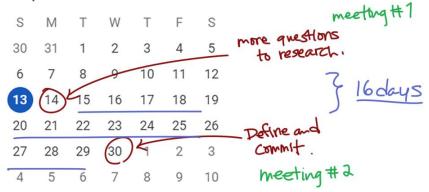
#### Overview

- Projected timeline is six months.
- Currently: Reading the papers in the field.
- Next goal: Define and commit to a research problem.

#### Timeline- 2 Months

- Scouting
  - Papers
- Define and Commit
- Research
  - Papers
  - Software
- Production

#### September



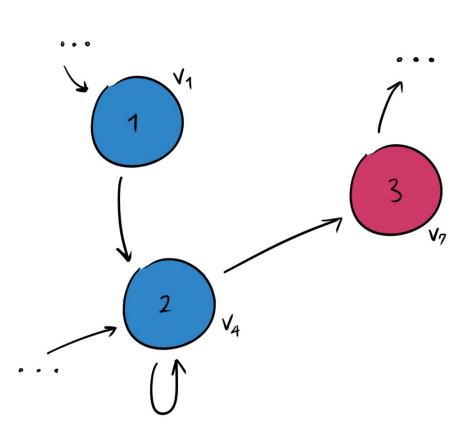
#### October

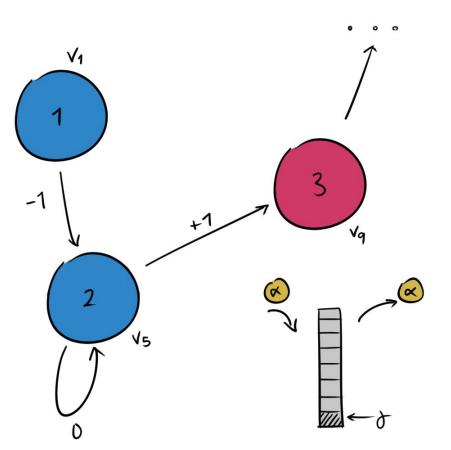
## Previously...

- Graph equivalence using rewrite rules and neural model
- Basic notion of Language Exchange

#### **Graph Games**

- Graph representation
- Parity Games
- Energy Games (and Pushdown Automata)
- Decidability: liveness, reachability/termination, etc.



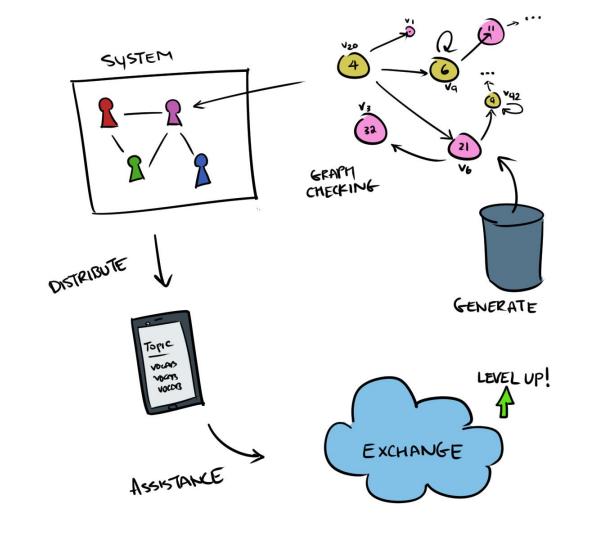


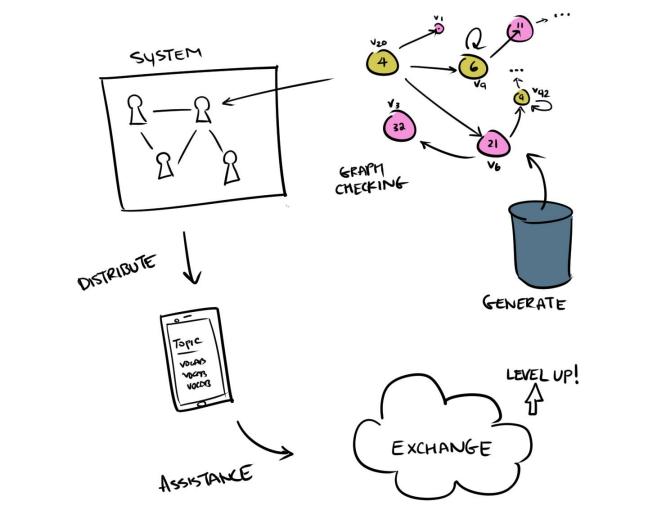
### From Theory to Idea

- What would I personally want?
- What needs to be done to get that?
- Which of those things can actually be done?

#### Imagining the Product

- Input name, vocab-list, target/source language.
- System matches based on graphs it can generate.
- Treat the LE system as multiple graph-games.
- Improves players interaction through increasing confidence, reducing uncomfortability, and guaranteeing reachability.





## **Getting Started**

- Describing LE as a system of vertices and edges
- Consider properties of a conversation

# Describing Language Exchange

$$LE = (V, U, T)$$

Where V is a set of nodes, representing arbitrary states in a conversation, partitioned into  $V_0$  and  $V_1$  (Where  $V_0$ ,  $V_1 \in V$ ), set of nodes owned by respective players indicating their "turn" to advance the game. Note that  $V_0$  and  $V_1$  do not have to be fair.

# Describing Language Exchange

$$LE = (V, U, T)$$

Where *U* is a set of actions, representing speech in a conversation.

Where T is a set of transitions (edges), representing the speech moving the conversation to the next state.  $T \subseteq V \times U \times V$ 

Formally defined as transitioning state s to s' through an action u, as (s, u, s'), where  $u \in U$  and  $s, s' \in V$ 

# **Describing Speech**

$$LE = (V, U, T, W, C)$$

From the set U, we can categorize any  $u_i \in U$  as a set of words with some intention. Formally represented as a tuple  $u_i = (w, c)$  where w is a set of words from the language,  $w_i \in W$ , and c is an item from the set of intentions,  $c_i \in C$ .

The set of intentions *C*, we can borrow from familiar descriptions of Speech Acts (i.e. check.reception, give.recall, accept.coordination, etc)

# Thinking about LE as a system

- Gives us a system of graphs.
- Graphs can be checked for properties.
- Graphs can be rewritten to produce equivalent graphs. (Maybe a place to get a research question going)

#### **Next Goal: Define and Commit**

#### Questions to research:

- Different representations of graph games
- Applications of graph representations

#### Commit to an area:

- Model property checking? Model Generation?
- Something else?