

# **Refinement of Hair Geometry by Strand Integration**

Ryota Maeda (University of Hyogo),  
Kenshi Takayama, Takafumi Takeomi (CyberAgent)



CyberAgent AI Lab

## Digital Human

- Create 3D models of real people by capturing images



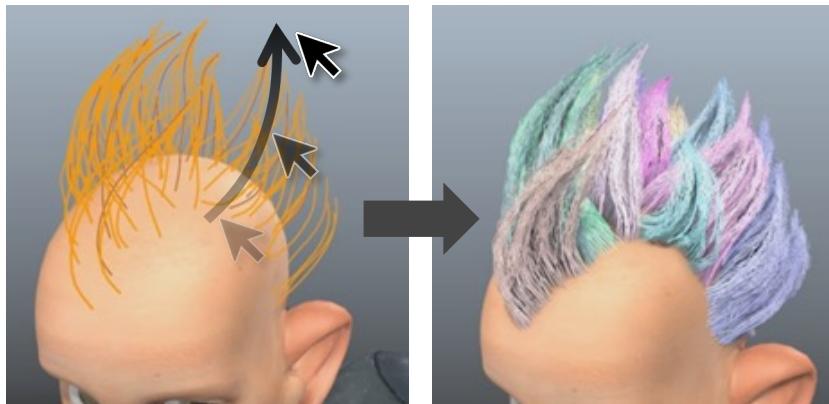
Multi-view camera



Video production

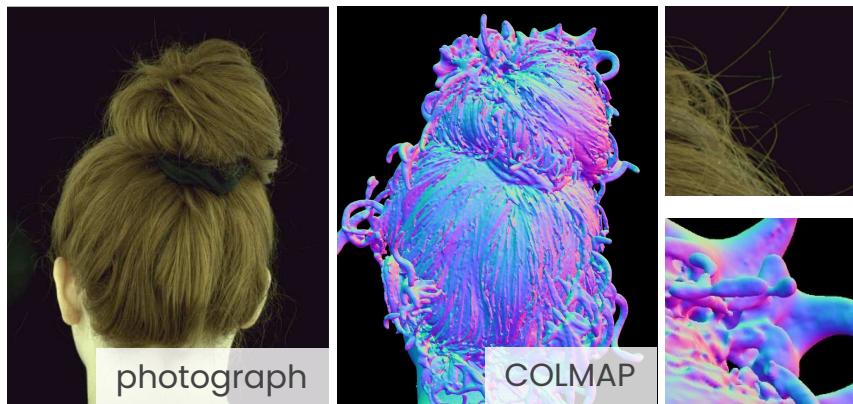
## Difficulty of Hair Modeling

### Hand modeling by CG artists



[Maya XGen Official Doc.]

### Using multi-view images



[Nam et al.]

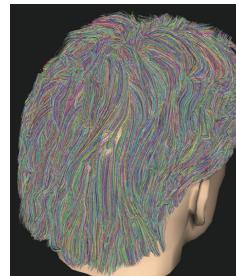
- Technical expertise and artistic skill
- Laborious and time-consuming task

- Conventional MVS does not work

## Related Works : Hair Reconstruction from Multi-view Images



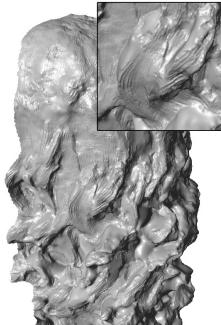
[Paris et al, SIGGRAPH2004]



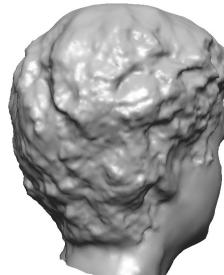
[Paris et al, SIGGRAPH2008]



[Hu et al, SIGGRAPH2014]



[Luo et al, CVPR2012]



[Luo et al, CVPR2013]



[Luo et al, SIGGRAPH2013]

# LPMVS (Line-based PatchMatch Multi-View Stereo) [Nam et al., CVPR2019]

## Strand-accurate Multi-view Hair Capture

Giljoo Nam<sup>\*1</sup>

Chenglei Wu<sup>2</sup>

Min H. Kim<sup>1</sup>

Yaser Sheikh<sup>2</sup>

<sup>1</sup>KAIST

<sup>2</sup>Facebook Reality Labs, Pittsburgh

### Abstract

Hair is one of the most challenging objects to reconstruct due to its micro-scale structure and a large number of repeated strands with heavy occlusions. In this paper, we present the first method to capture high-fidelity hair geometry with strand-level accuracy. Our method takes three stages to achieve this. In the first stage, a new multi-view stereo method with a slanted support line is proposed to solve the hair correspondences between different views. In detail, we contribute a novel cost function consisting of both photo-consistency term and geometric term that reconstructs each hair pixel as a 3D line. By merging all the depth maps, a point cloud, as well as local line directions for each point, is obtained. Thus, in the second stage, we feature a novel strand reconstruction method with the mean-shift to convert the noisy point data to a set of strands. Lastly, we grow the hair strands with multi-view geometric constraints to elongate the short strands and recover the missing strands, thus significantly increasing the reconstruction completeness. We evaluate our method on both

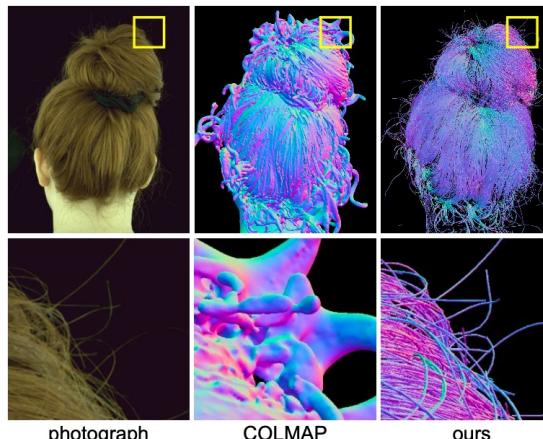


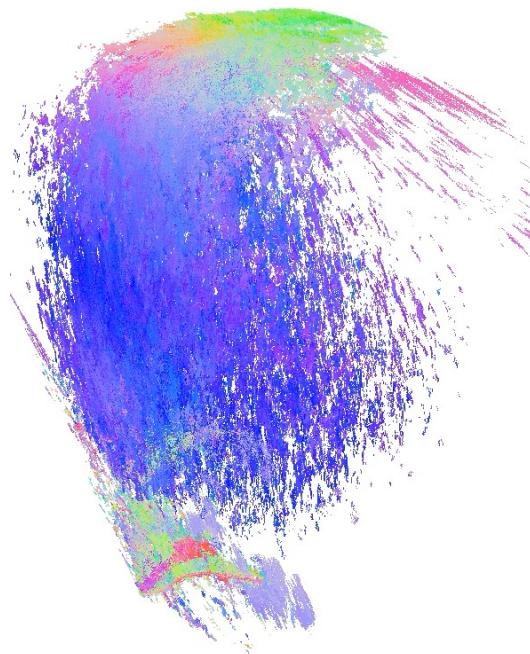
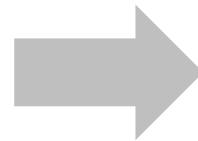
Figure 1. (Left) One of the photographs from multi-view capture. (Middle) Final geometry by traditional MVS (COLMAP [33]). (Right) Final geometry by our method. Our method can produce high-fidelity hair geometry with strand-level accuracy.

## LPMVS (Line-based PatchMatch Multi-View Stereo) [Nam et al., CVPR2019]



Input: Multi-view images

**LPMVS**  
[Nam+, CVPR2019]

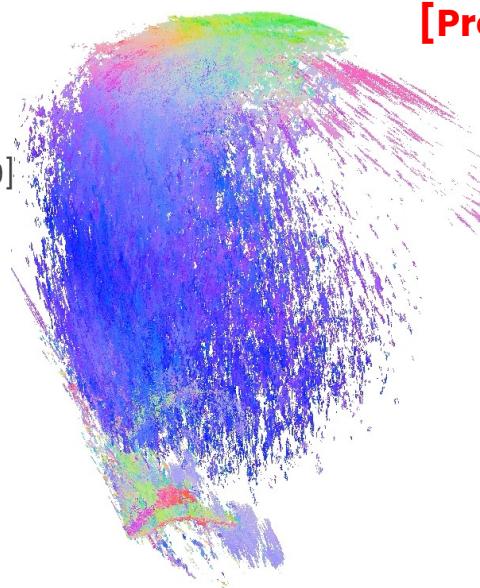


Output: 3D lines (*unfiltered*)

## Our Contribution: Strand Integration



LPMVS  
[Nam+, CVPR2019]



[Proposed method]

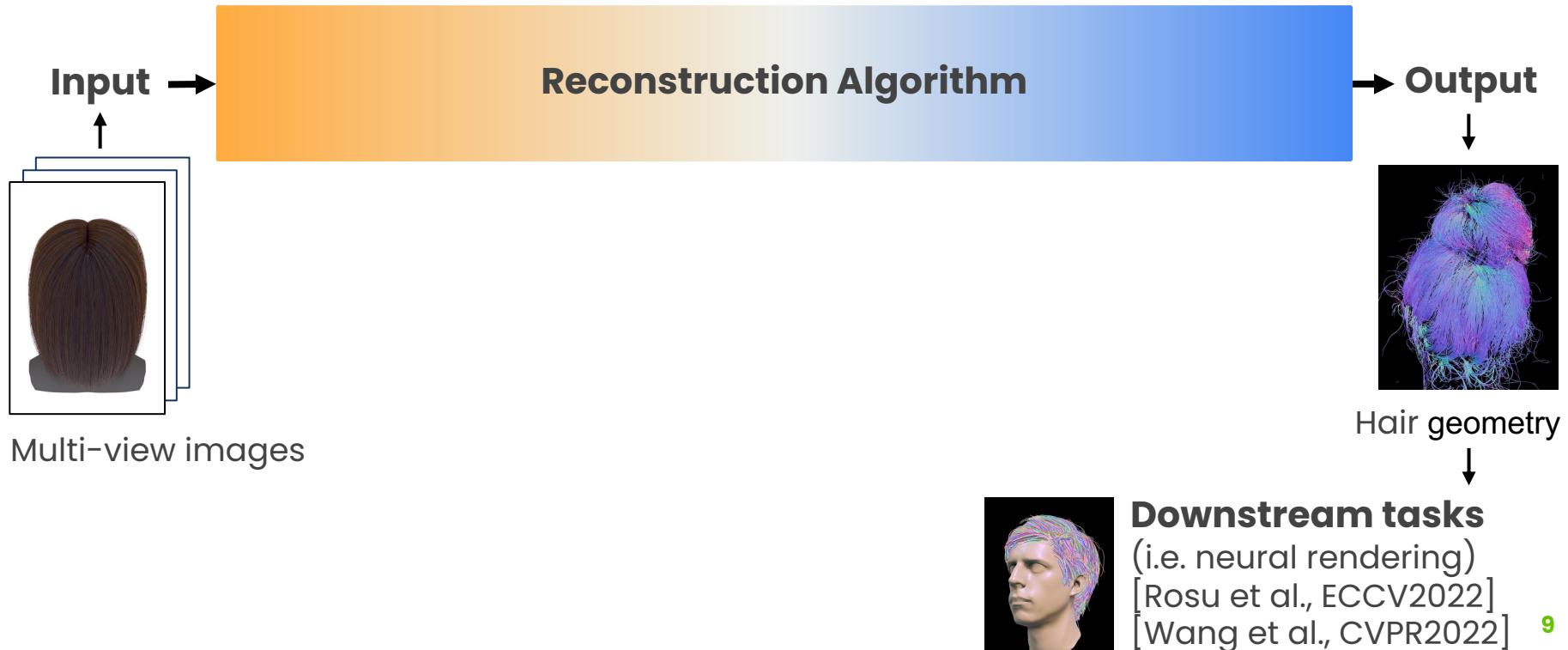
Strand  
Integration



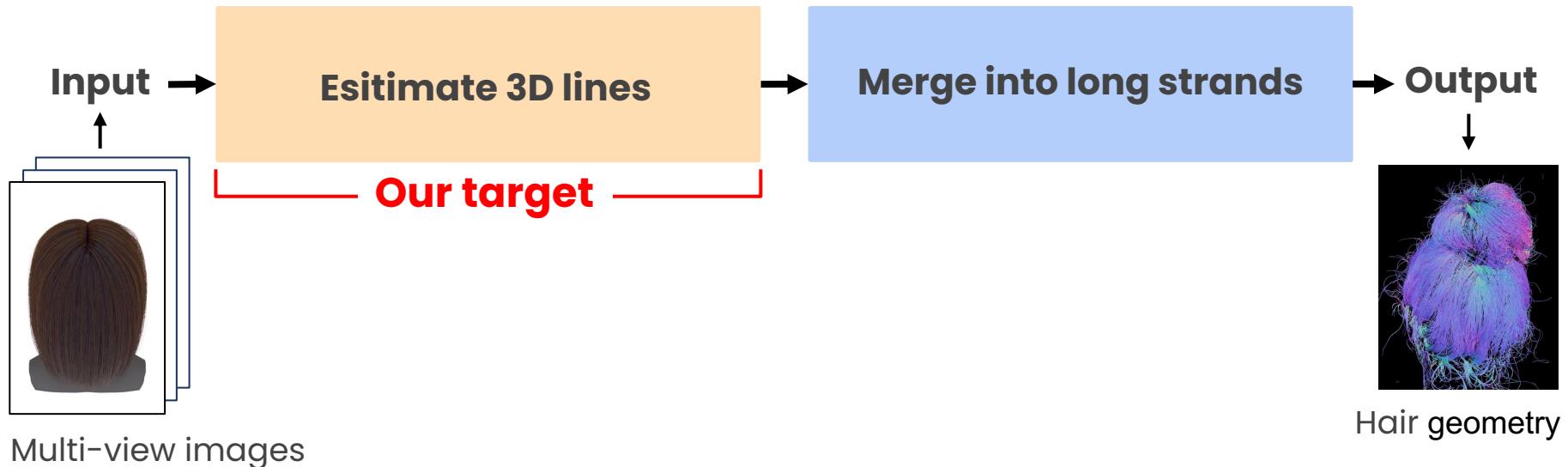
Input: Multi-view images

# General Pipeline for Reconstruction of Hair Geometry

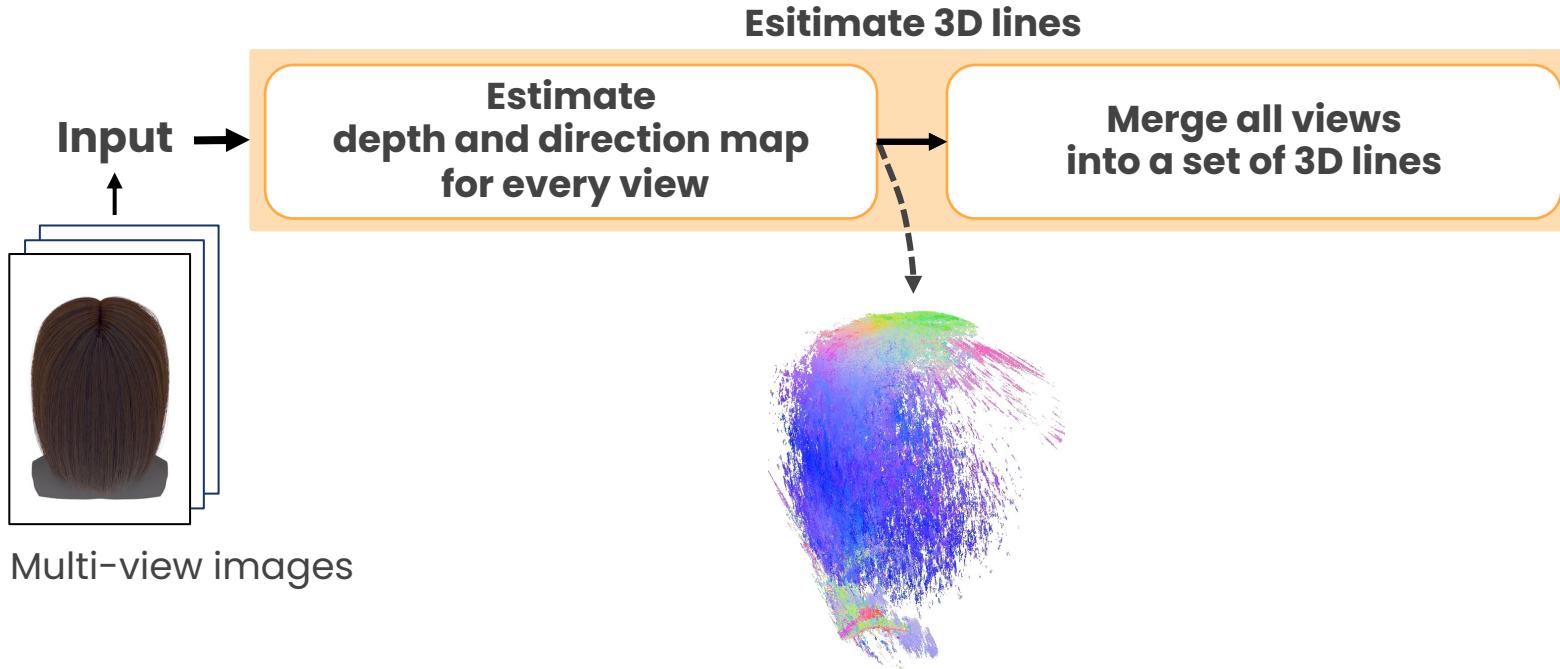
# Reconstruction of Hair Geometry from Multi-view Images



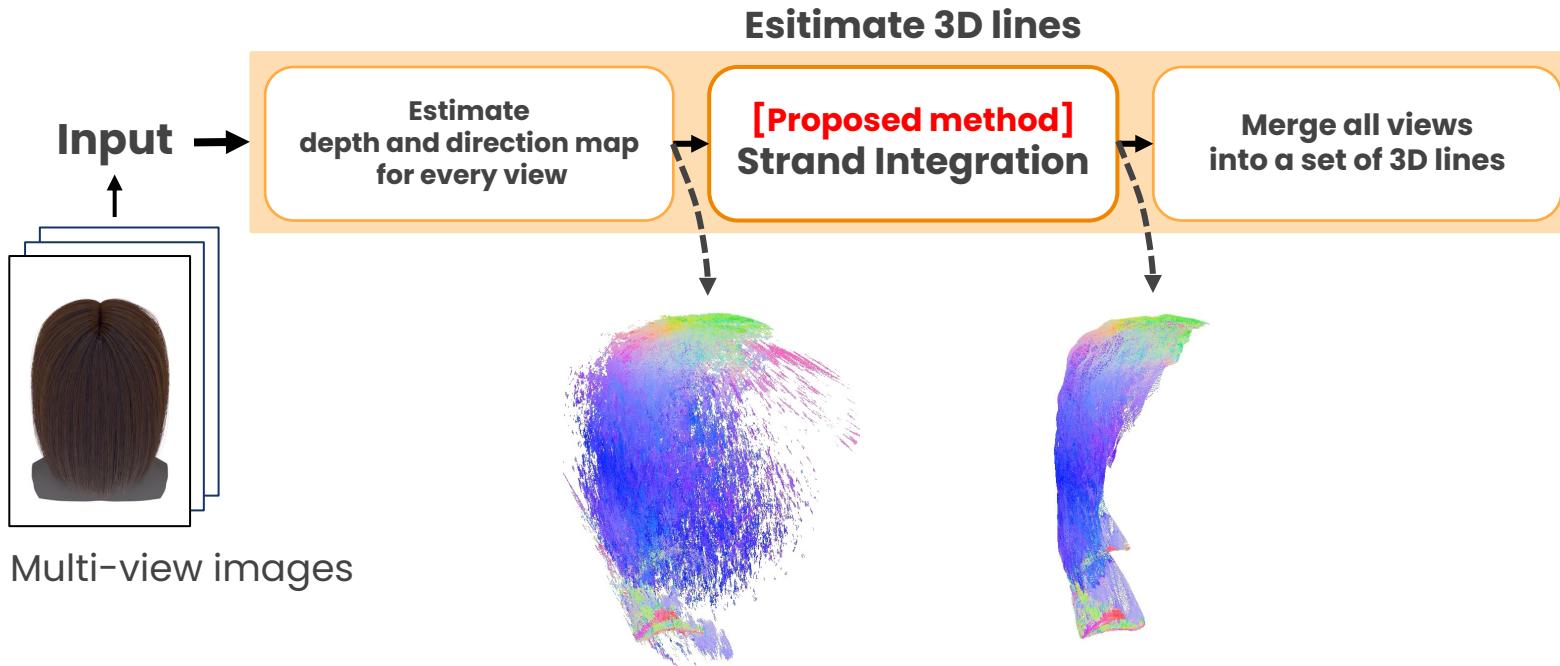
## Reconstruction of Hair Geometry from Multi-view Images



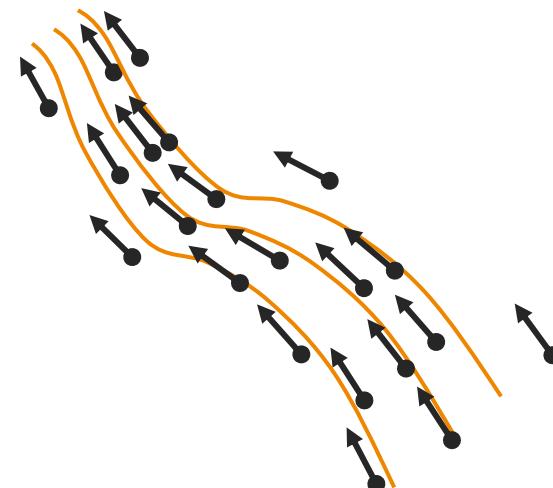
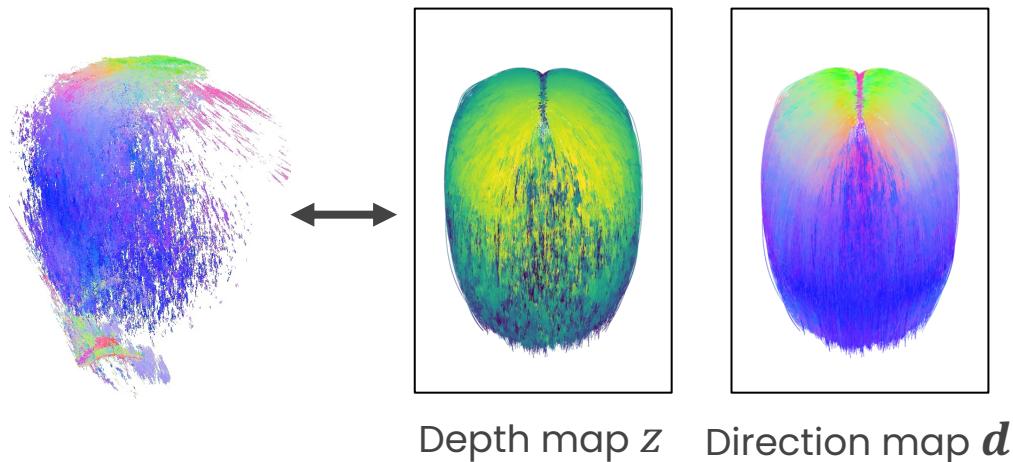
# Reconstruction of Hair Geometry from Multi-view Images



# Reconstruction of Hair Geometry from Multi-view Images

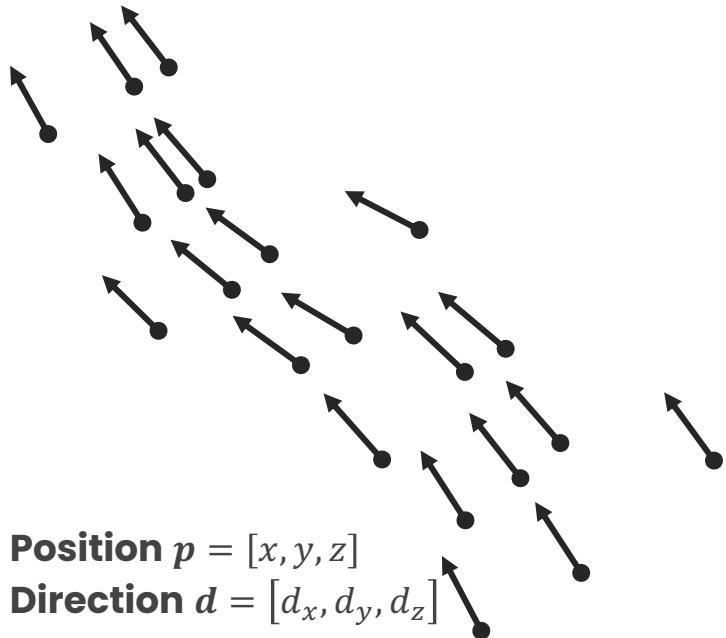


## Representation of Hair Geometry by 3D Lines



- **Position  $p = [x, y, z]$**
- **Direction  $d = [d_x, d_y, d_z]$**

## Problem of the Existing Method (LPMVS [Nam et al.])



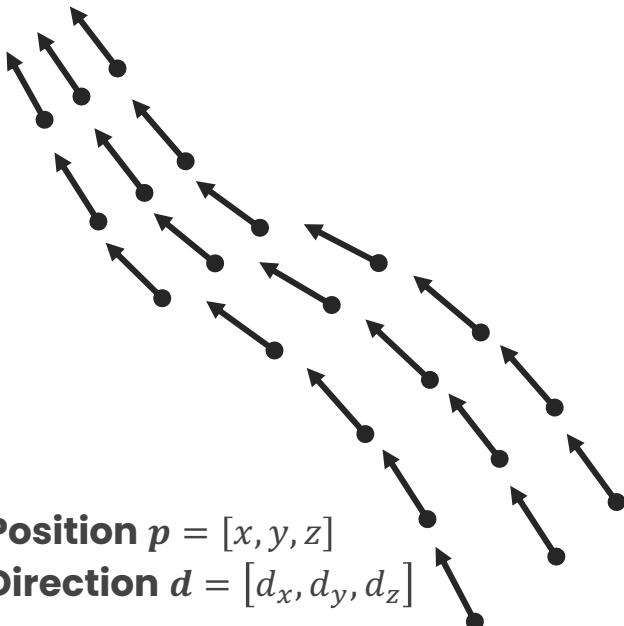
- **Position**  $p = [x, y, z]$
- **Direction**  $d = [d_x, d_y, d_z]$

Hair strands are smoothly connected...

### Problem

Does NOT consider  
the spatial coherence of 3D lines.

## Our Method: Strand Integration



- **Position**  $p = [x, y, z]$
- **Direction**  $d = [d_x, d_y, d_z]$

Hair strands are smoothly connected...

### Problem

Does NOT consider  
the spatial coherence of 3D lines.

### Our Method: Strand Integration

Refine the position of hair strands by  
using the direction.

# Strand Integration

## Loss Function

Find the **depth map  $z$**  which minimizes

$$\mathcal{L}(z) = \lambda_d \mathcal{L}_d(z) + \mathcal{L}_z(z)$$

Direction loss      Depth loss

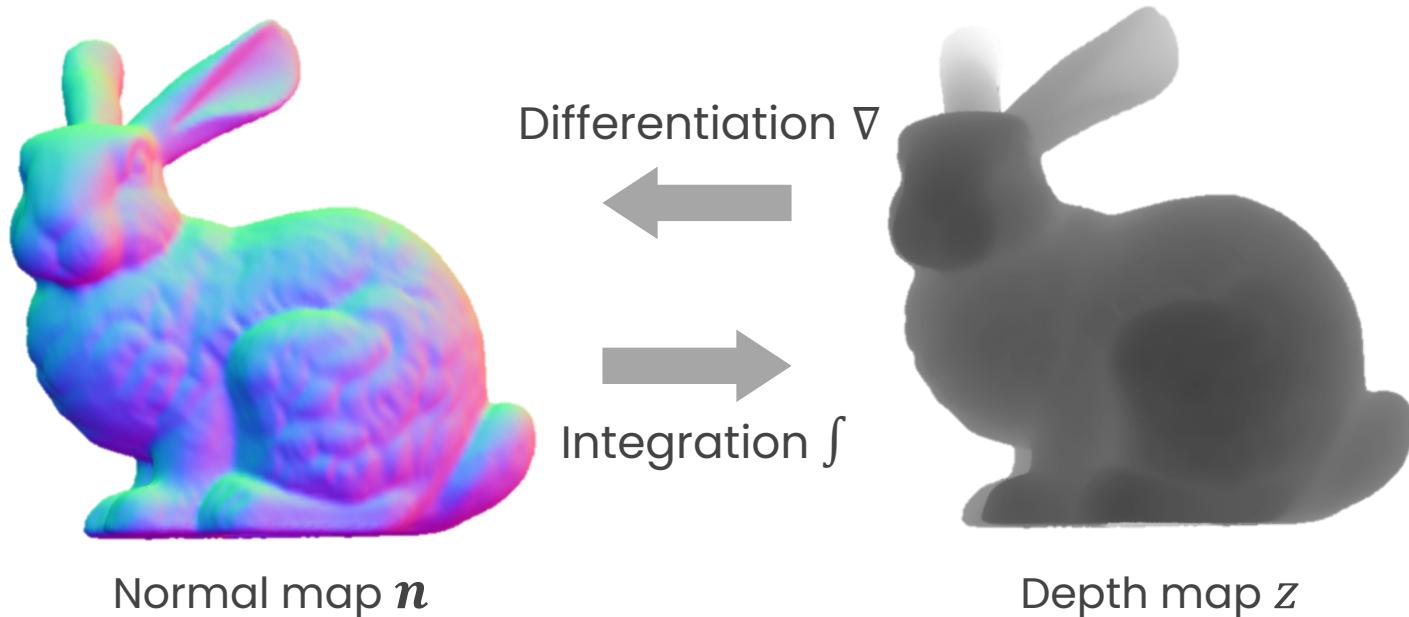


## Direction Loss: $\mathcal{L}_d$

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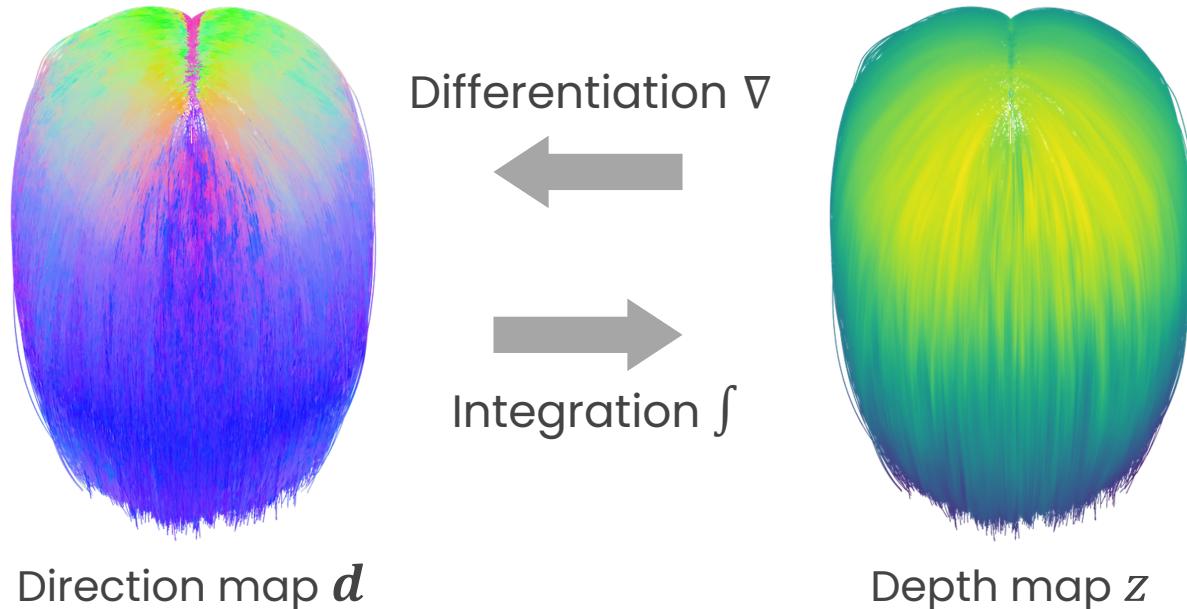
- Harness the **position** and **direction** information for improving geometrical coherence.
- Inspired by **Normal Integration**.

## Normal Integration: Depth from Normal



[Image from ICIP2019 Tutorial: Photometric 3D Reconstruction]

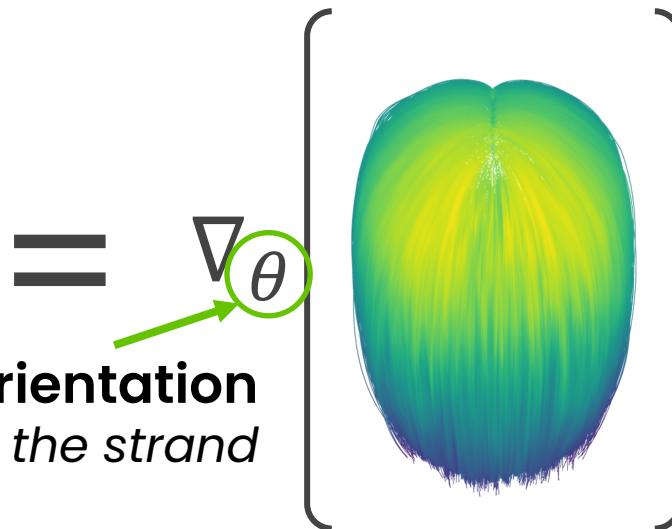
## Strand Integration: Depth from Direction



## Strand Integration: Depth from Direction



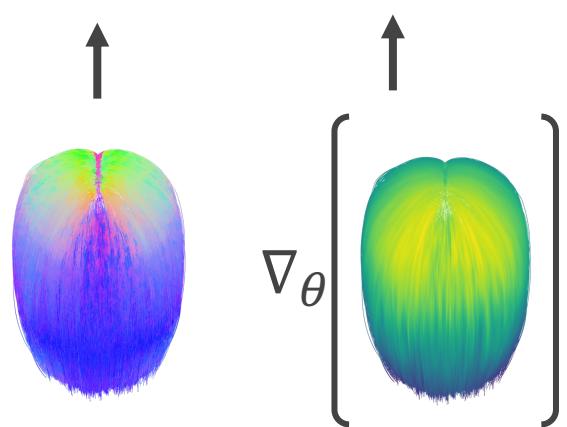
Direction map  $d$



Orientation  
of the strand

Differentiation of depth map  $\nabla_\theta z$

## Direction Loss: $\mathcal{L}_d$

$$\mathcal{L}_d(\mathbf{z}) = \sum (d_{\text{prior}} - \nabla_{\theta}(\mathbf{z}))^2$$


## Loss Function

Find the **depth map  $z$**  which minimizes

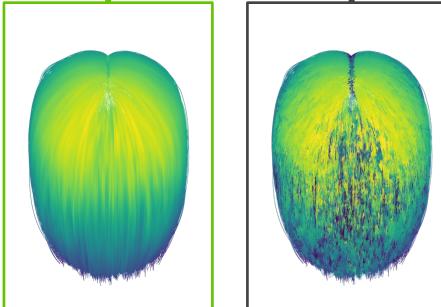
$$\mathcal{L}(z) = \lambda_d \mathcal{L}_d(z) + \mathcal{L}_z(z)$$

Direction loss      Depth loss



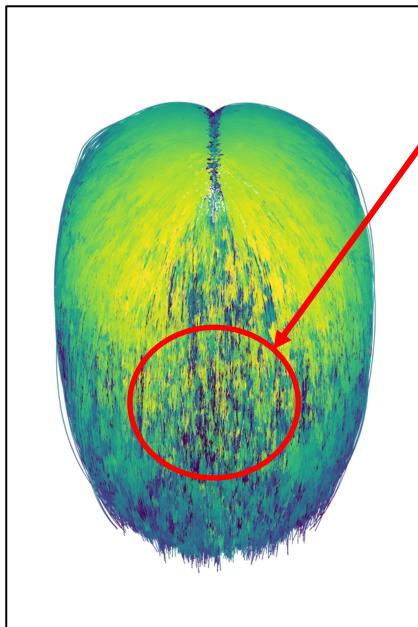
## Depth Loss : $\mathcal{L}_z$

- Use prior depth map as anchor points.
- Incorporate the multi-view constraint into the refinement process.

$$\mathcal{L}_z(z) = \sum (z - z_{\text{prior}})^2$$


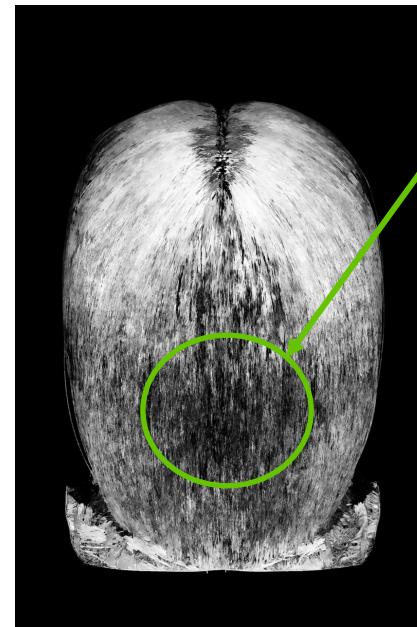
Contain inaccurate  
depth values

## 3D Line Consistency Map



Prior depth map

**Inaccurate depth**  
distort  
the refinement result

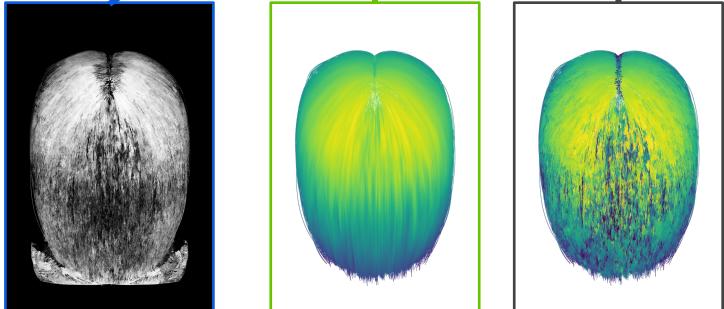


**Consistency Map**  
with respect to  
neighboring views

**Low consistency**  
use as per-pixel weight  
to ignore  
the inaccurate depth

## Depth Loss (w/ Consistency Map) : $\mathcal{L}_z$

- Use prior depth map as anchor points.
- Incorporate the multi-view constraint into the refinement process.

$$\mathcal{L}_z(z) = \sum c(z - z_{\text{prior}})^2$$


## Loss Function

Find the **depth map  $z$**  which minimizes

$$\mathcal{L}(z) = \lambda_d \mathcal{L}_d(z) + \mathcal{L}_z(z)$$

Direction loss      Depth loss

## Loss Function with Normal Loss

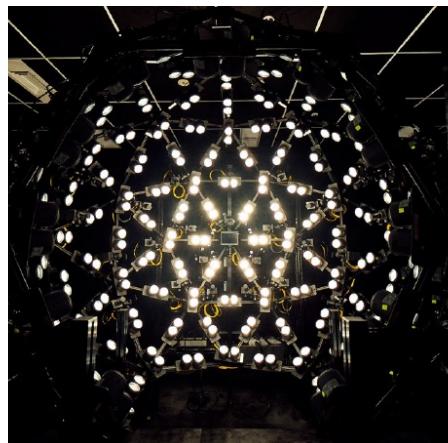
Find the depth map  $z$  which minimizes

$$\mathcal{L}(z) = \lambda_n \mathcal{L}_n(z) + \lambda_d \mathcal{L}_d(z) + \mathcal{L}_z(z)$$

Normal loss      Direction loss      Depth loss  
(optional)

## Normal Loss (optional): $\mathcal{L}_n$

- If we obtain the **normal map**, we can use it as **optional loss**.
- Normal should be perpendicular to the strand direction.



Light stage system



Photometric images



Photometric  
stereo

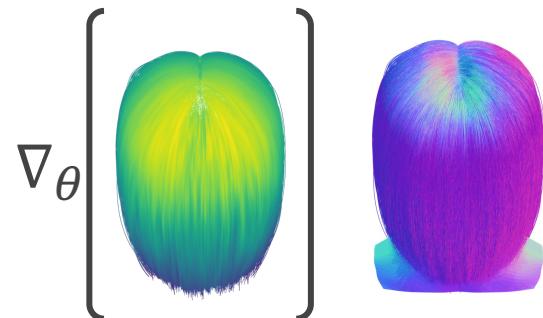


Normal map

## Normal Loss (optional): $\mathcal{L}_n$

- If we obtain the **normal map**, we can use it as **optional loss**.
- Normal should be perpendicular to the strand direction.

$$\mathcal{L}_n(\mathbf{z}) = \sum (\mathbf{d} \cdot \mathbf{n}_{\text{prior}})^2$$



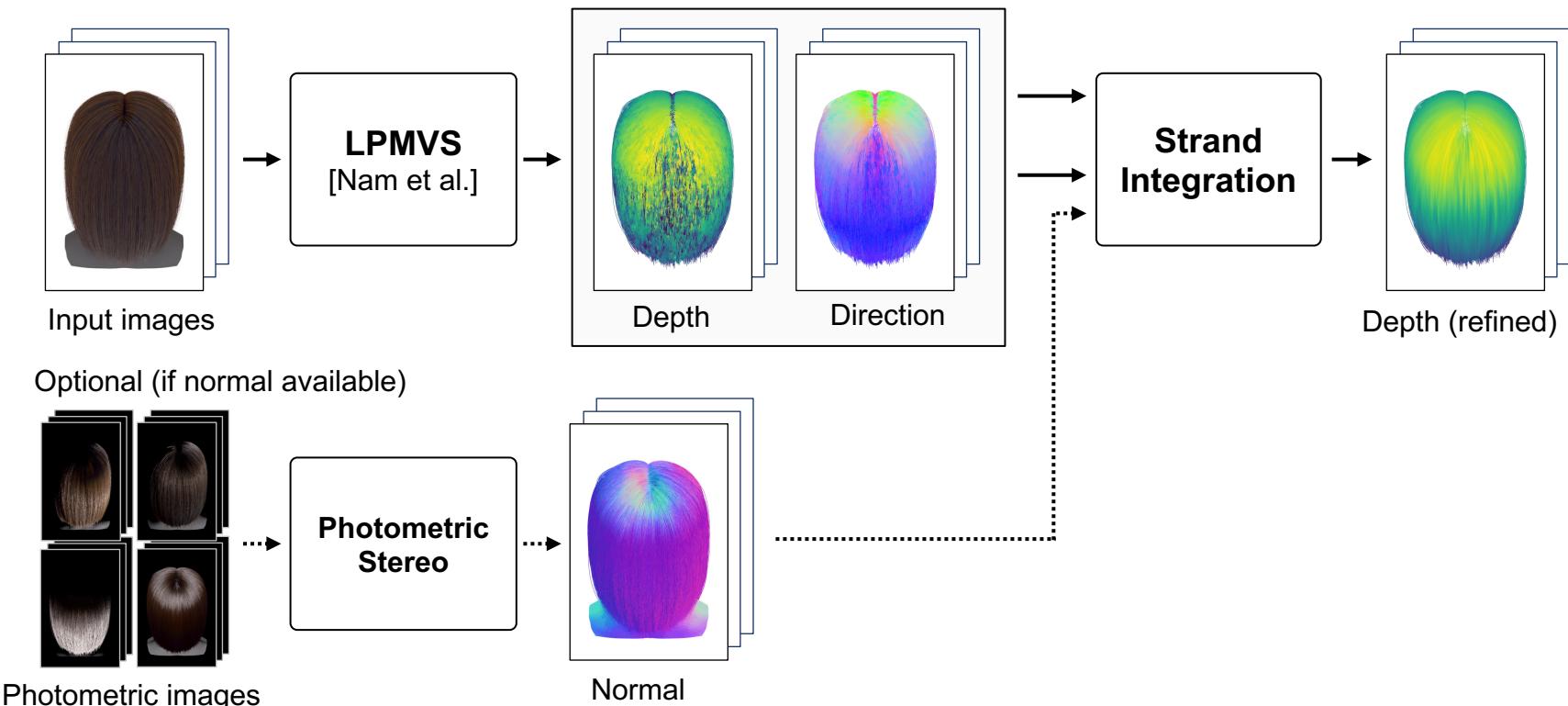
## Loss Function with Normal Loss

Find the **depth map  $z$**  which minimizes

$$\mathcal{L}(z) = \lambda_n \mathcal{L}_n(z) + \lambda_d \mathcal{L}_d(z) + \mathcal{L}_z(z)$$

**Normal loss**  
(optional)      **Direction loss**      **Depth loss**

## Overall Pipeline of Strand Integration



# Experiment

# Implementation

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- LPMVS [Nam et al.]
  - The official implementation is not publicly available.
  - CPU-based reimplementation in C++.
- Strand Integration
  - Use PyTorch as a general gradient descent solver.
  - 20 min for each view on Apple M1 Max. 11 MP(2730x4096) image.

## Synthetic Data

- Rendered with pbrt-v4
- 60 views
- 2730x4096
- 4 hairstyles



Straight



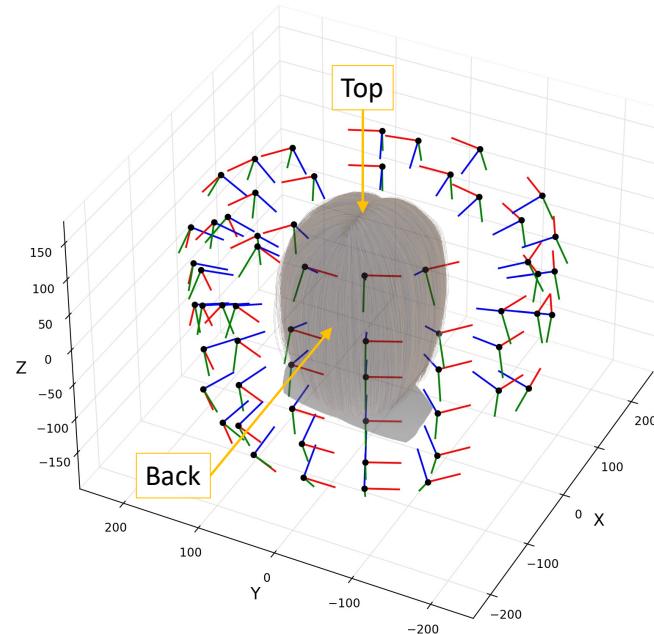
Curly



Wavy



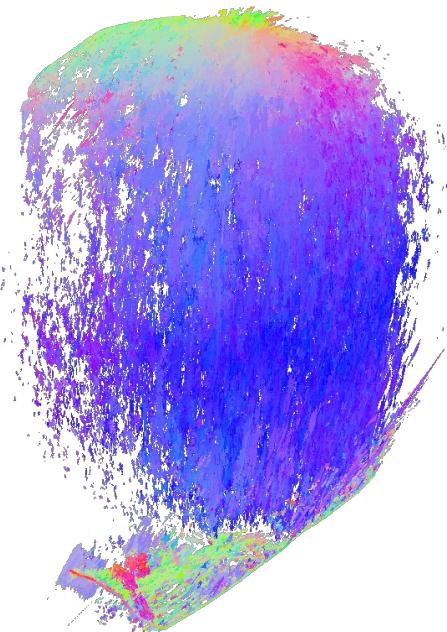
Wavythin



## Result: Straight Hair



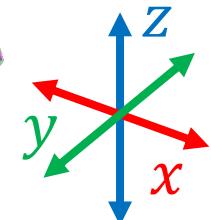
Ground Truth



LPMVS  
[Nam et al.]



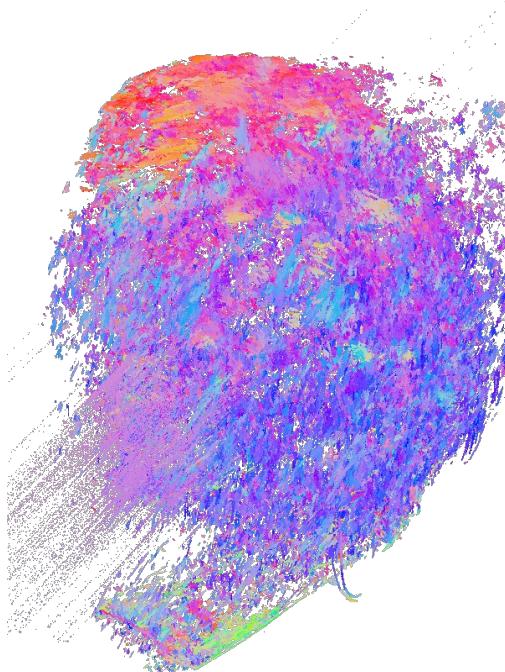
Strand Integration  
(ours)



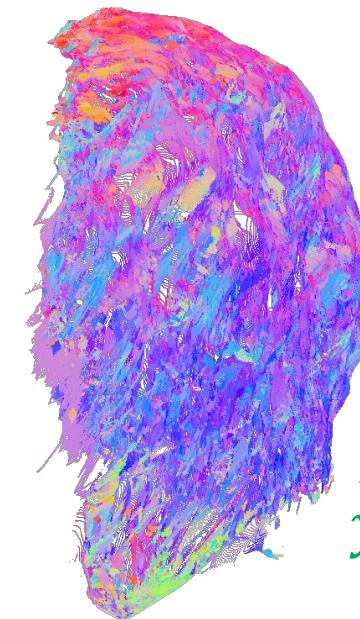
## Result: Curly Hair



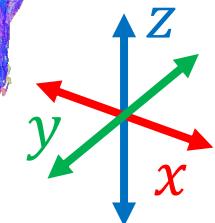
**Ground Truth**



**LPMVS**  
[Nam et al.]



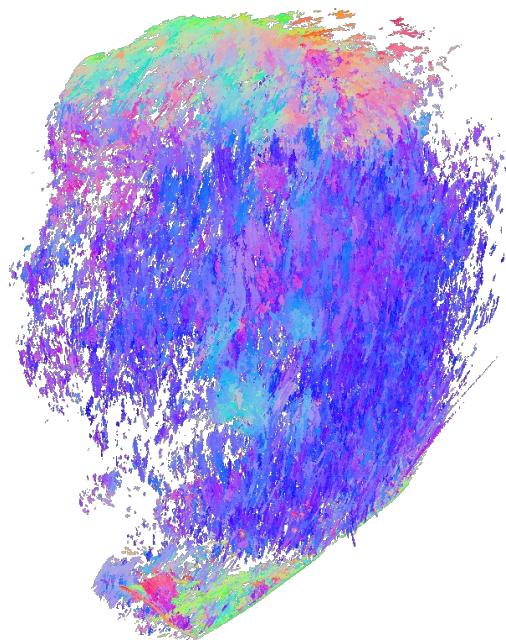
**Strand Integration**  
(ours)



## Result: Wavy Hair



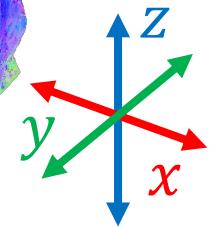
**Ground Truth**



**LPMVS**  
[Nam et al.]



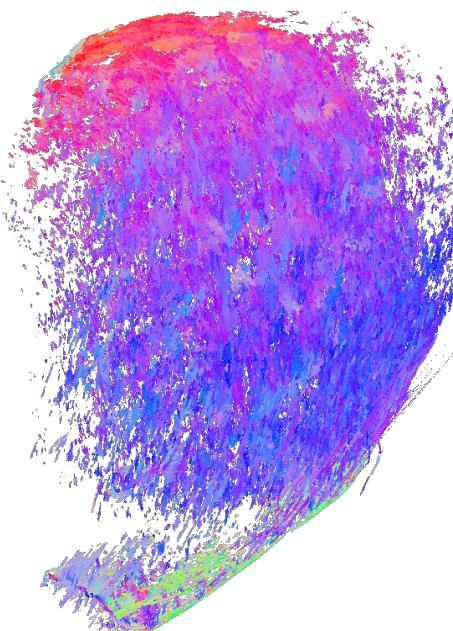
**Strand Integration  
(ours)**



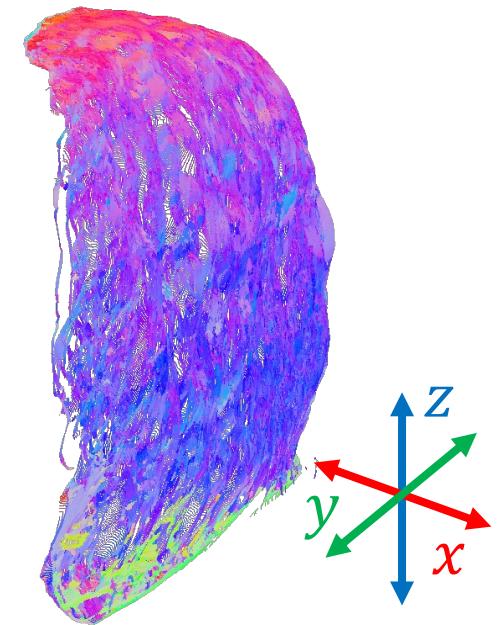
## Result: Wavythin Hair



**Ground Truth**

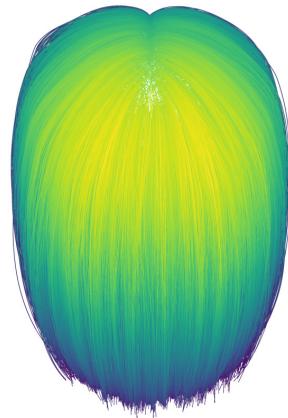


**LPMVS**  
[Nam et al.]

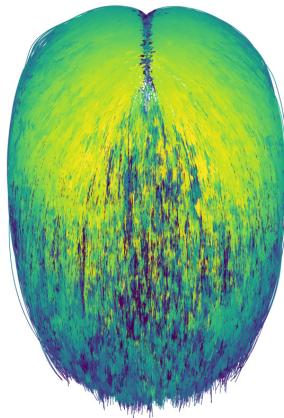


**Strand Integration  
(ours)**

## Error Analysis on Depth Map



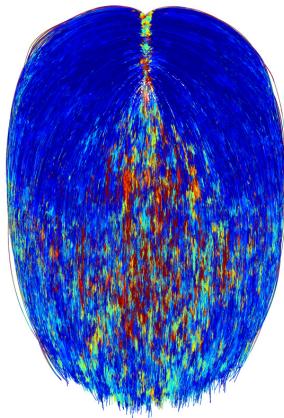
Ground Truth



LPMVS [Nam et al.]

MAE : 30.05  
RMSE: 52.57

Abs. error



Strand Integration

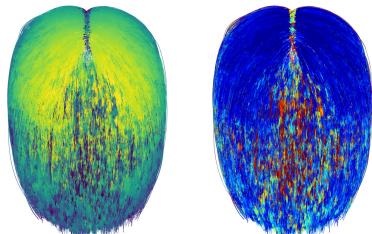
MAE : **9.67**  
RMSE: **14.92**

Abs. error

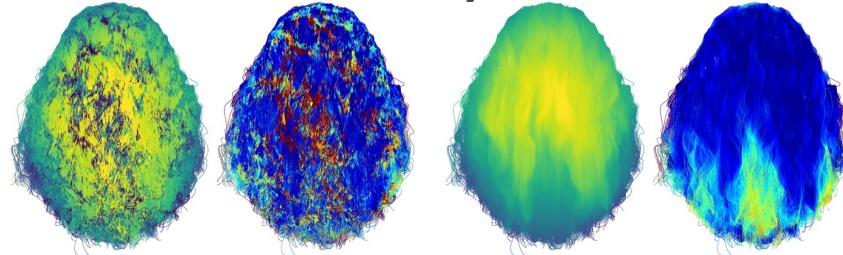
## Error Analysis on Depth Map

MAE / RMSE

**Straight**



**Curly**



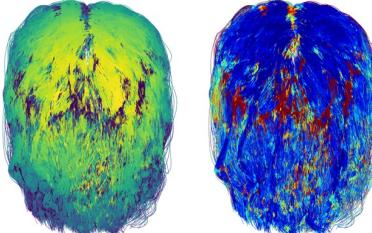
LPMVS  
30.05 / 52.57

Strand Integration  
**9.76 / 15.03**

LPMVS  
41.47 / 67.87

Strand Integration  
**18.10 / 27.07**

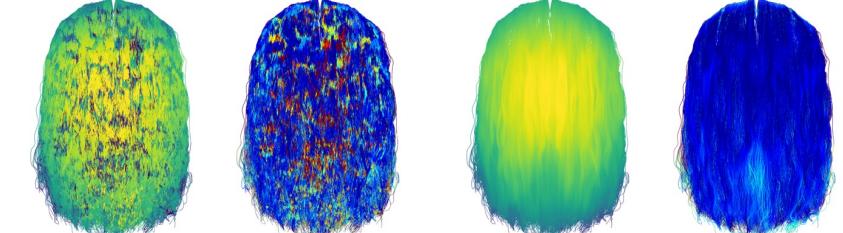
**Wavy**



LPMVS  
34.21 / 60.30

Strand Integration  
**12.20 / 20.57**

**Wavythin**

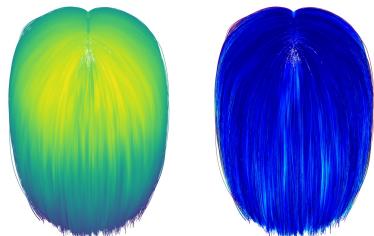
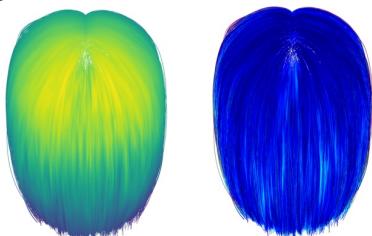
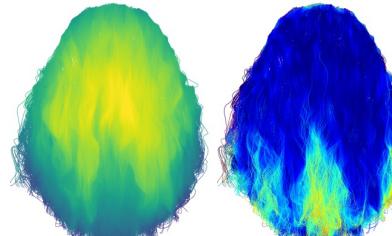
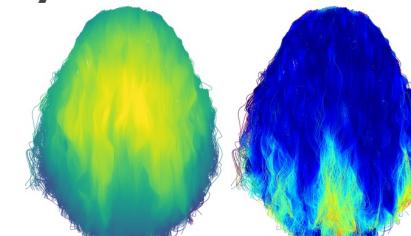
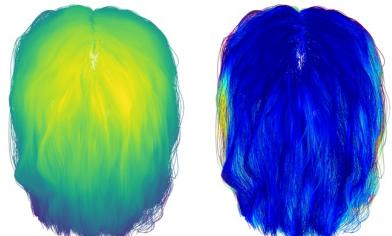
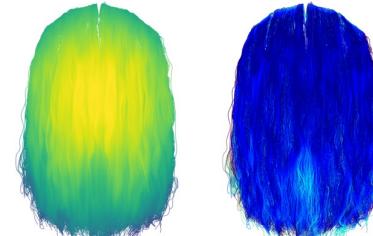


LPMVS  
34.96 / 58.54

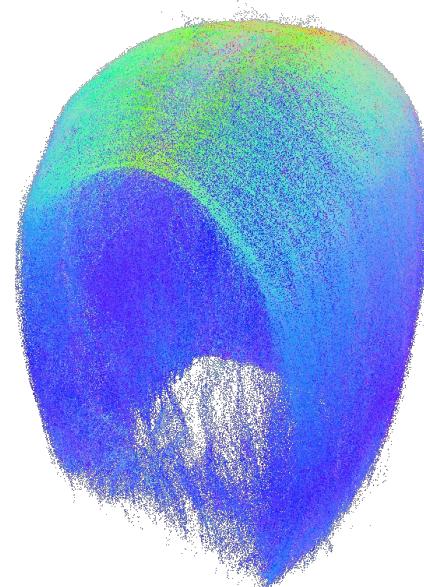
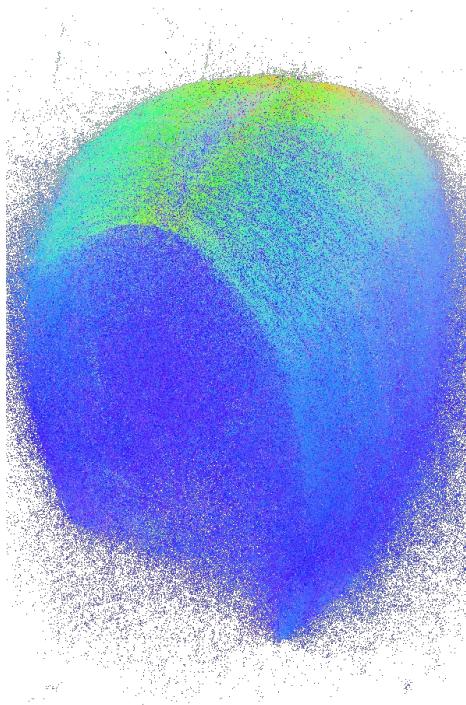
Strand Integration  
**11.34 / 19.36**

## Ablation Study of Normal Loss

MAE / RMSE

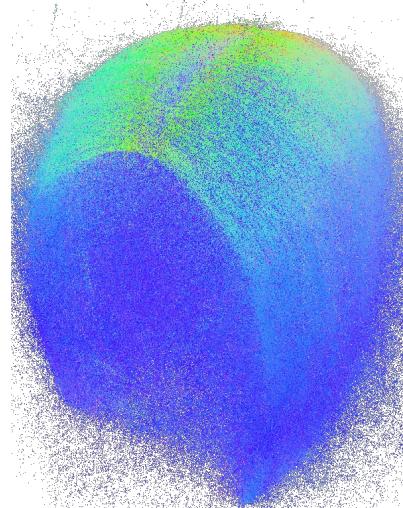
**Straight**w/o normal  
9.76 / 15.03w/ normal  
**9.67 / 14.92****Curly**w/o normal  
18.10 / 27.07w/ normal  
**17.86 / 26.97****Wavy**w/o normal  
**12.20 / 20.57**w/ normal  
12.25 / **20.53****Wavythin**w/o normal  
11.34 / 19.36w/ normal  
**11.23 / 19.13**

## Result: Merged Point Cloud



## Result: Merged Point Cloud

All point cloud

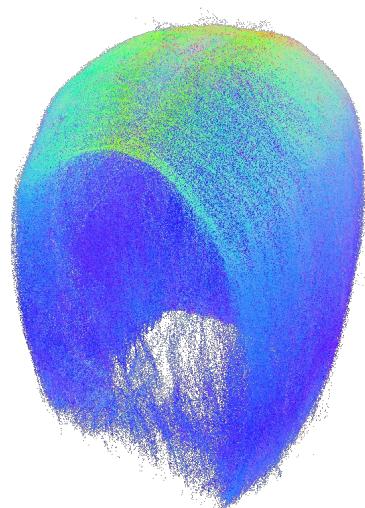


Number  
of points

$297 \times 10^6$

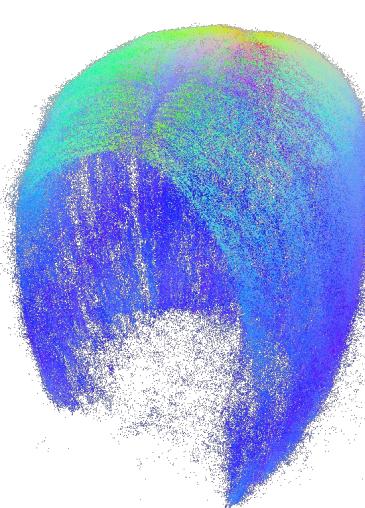
LPMVS [Nam+]

After filtered



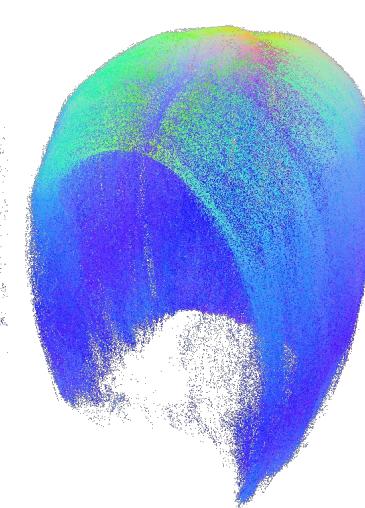
$297 \times 10^6$

Strand Integration



$85 \times 10^6$

LPMVS [Nam+]



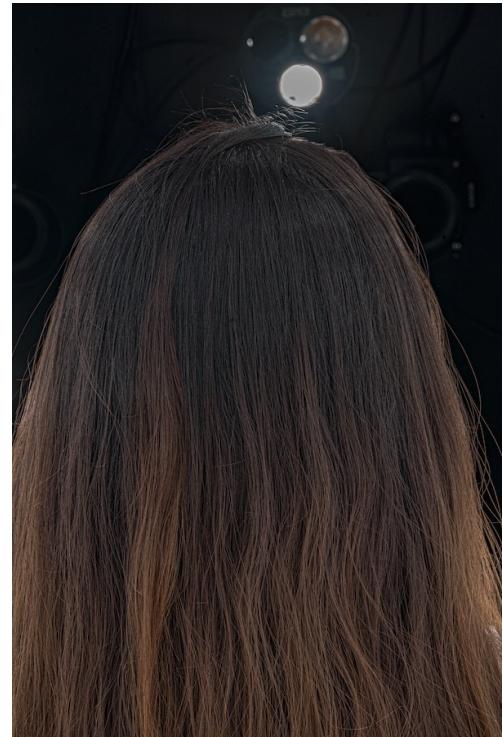
$175 \times 10^6$

Strand Integration

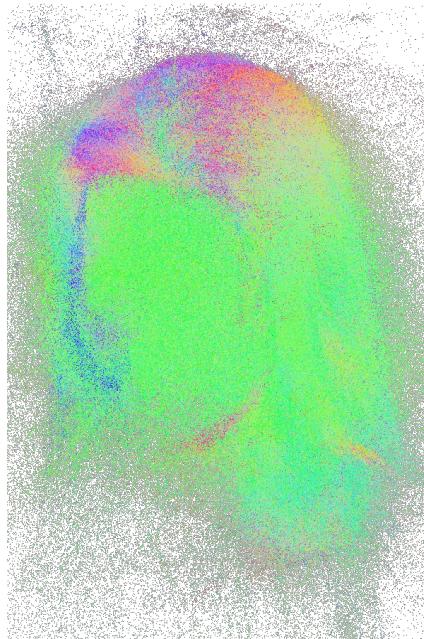
## Real Data

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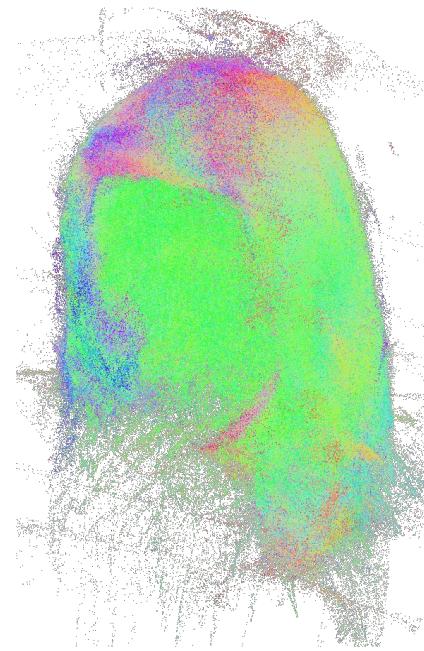
- 60 views
- 5315x8001
- Long hair



## Result: Real Data



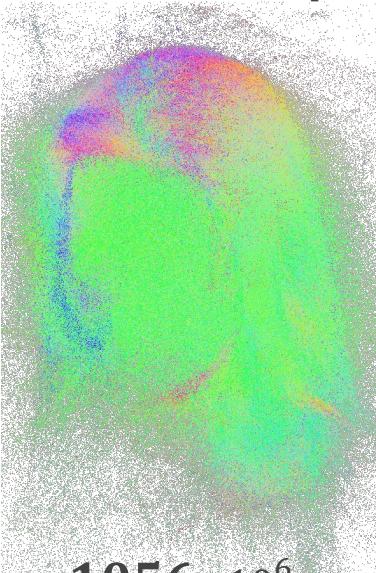
LPMVS [Nam+]



Strand Integration

## Result: Real Data

All point cloud

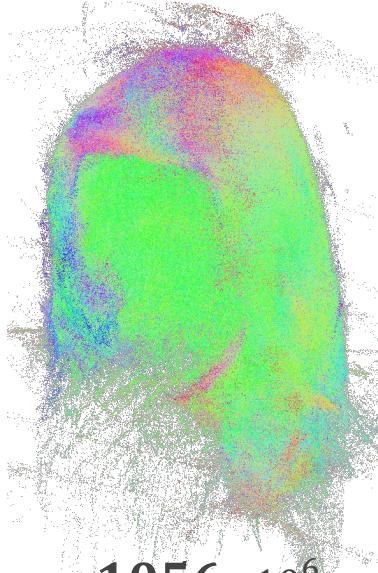


Number  
of points

$1056 \times 10^6$

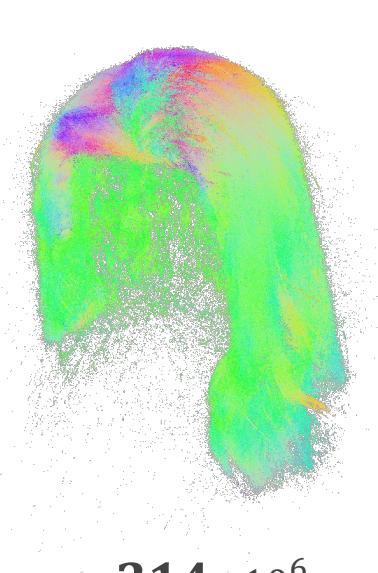
LPMVS [Nam+]

After filtering



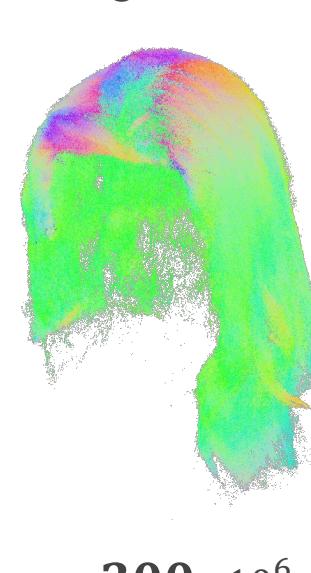
$1056 \times 10^6$

Strand Integration



$214 \times 10^6$

LPMVS [Nam+]



$300 \times 10^6$

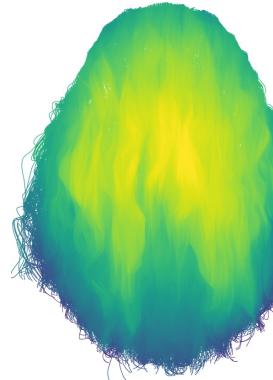
Strand Integration

## Limitation

- Assume that hair is continuous and coherent everywhere.
- Break when the hair is strongly curled or scattered.

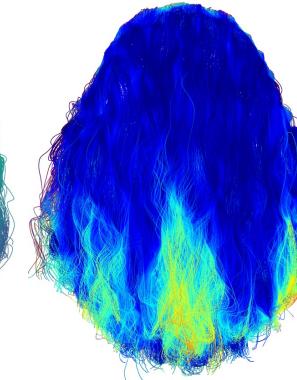


MAE / RMSE

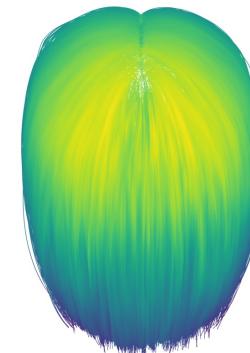


18.10 / 27.07

Curly



Straight



9.76 / 15.03

## Official Code on GitHub

Official implementation  
**Strand Integration**

Unofficial implementation  
**LPMVS**  
[Nam et al., CVPR2019]

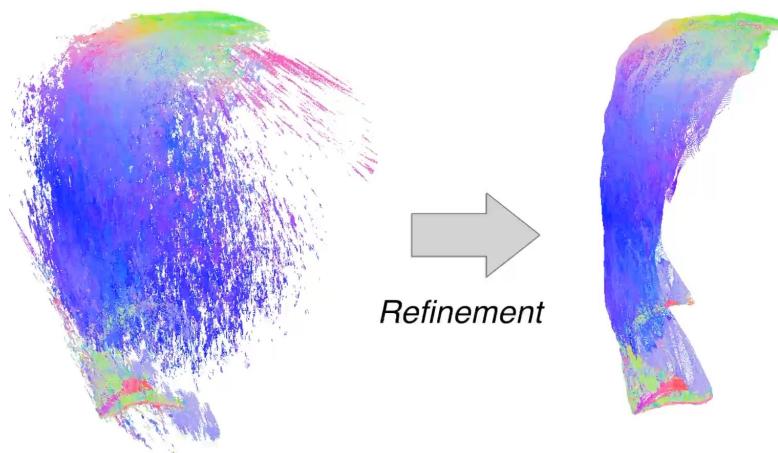
**Synthetic data of  
multi-view images**



Project page

## Conclusion

- **Strand Integration:** Refine the inaccurate hair strand by integrating the gradient along the hair strand.



LPMVS [Nam+, CVPR'19]

Strand Integration (ours)



Project page