

$d(K^-, nK^0)'' n$ Analysis

Background estimation

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Contents

$d(K^-, nK^0)'' n''$ analysis — Background Subtraction

- Signal

$$K^- d \rightarrow K^0'' n'' n_{\text{detected}}$$

- Background process.

- $K^- d \rightarrow \pi \Sigma_{\text{forward}}'' n'' : \Sigma_{\text{forward}} \rightarrow \pi n_{\text{detected}}$

- $K^- d \rightarrow \pi'' \Sigma'' n_{\text{detected}}$

- These strength was estimated by template fitting.

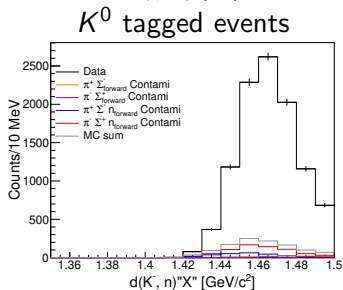
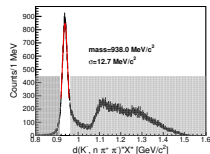
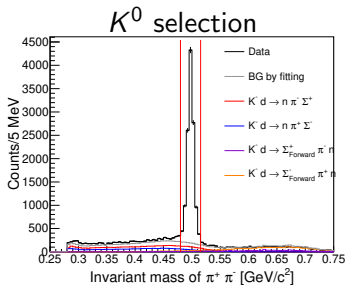
- Acceptance correction was performed event-by-event using 2D histogram of $K^0 \cos\theta$ and mom.

$$\frac{d^2\sigma}{d\Omega dm_{d(K^-, n)'' X''}} = N(m_{d(K^-, n)'' X''}) / A(\cos\theta_{K^0}, p_{K^0})$$

- Updated $\frac{d^2\sigma}{d\Omega dm_{d(K^-, n)'' X''}}$

K^0 tagged events

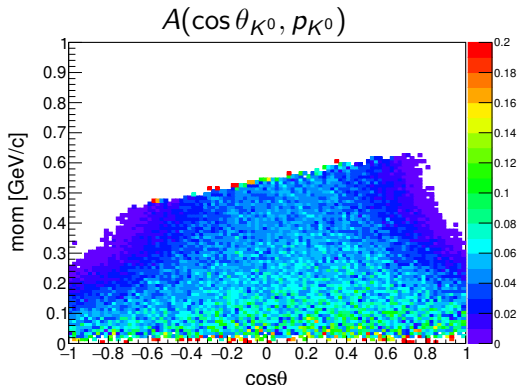
- Event sample
 $d(K^-, n\pi^+\pi^-)'' n''$ was selected.



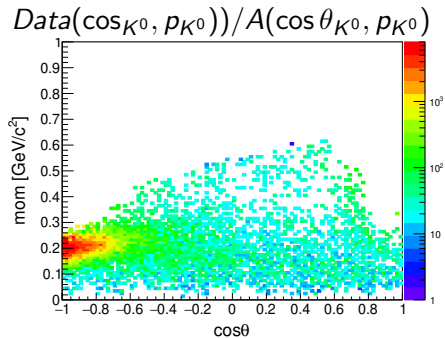
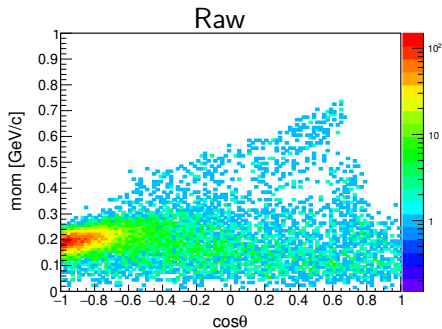
Acceptance distribution

$$K^- d \rightarrow K^{0''} n'' n_{\text{detected}} | m_{n'' K^0} : \text{from threshold } \sim 1.8 \text{ GeV}/c^2$$

(Analyzed event)/(Generated event)



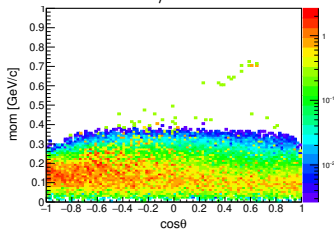
$K^0 \cos\theta$ vs mom Data



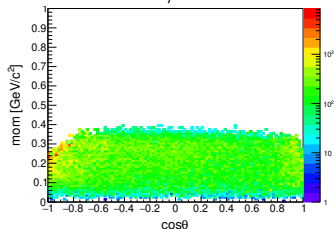
Acceptance was presented at page.4

$K^0 \cos\theta$ vs mom Background

BG sum w/o acc corr.

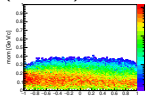


BG sum w/ acc corr.

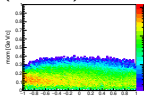


These figures indicate each processes.

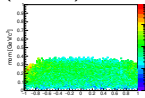
$(\pi^+ \Sigma^-)_{\text{backward}}$



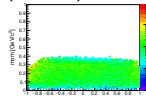
$(\pi^+ \Sigma^-)_{\text{backward}}$



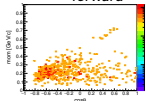
$(\pi^+ \Sigma^-)_{\text{backward}}$



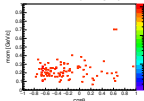
$(\pi^+ \Sigma^-)_{\text{backward}}$



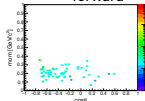
$\pi^+ \Sigma^-_{\text{forward}}$



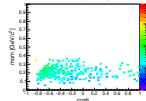
$\pi^- \Sigma^+_{\text{forward}}$



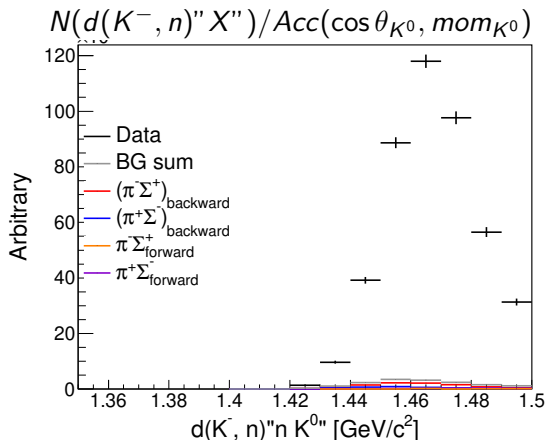
$\pi^+ \Sigma^-_{\text{forward}}$



$\pi^- \Sigma^+_{\text{forward}}$

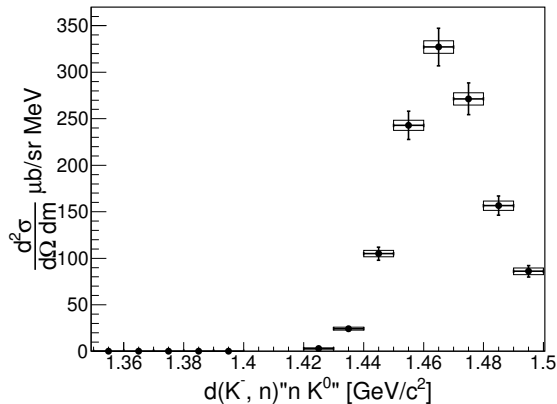


$d(K^-, n) \rightarrow n K^0$ (Acc corrected)



Background processes were adopted same analysis.

Cross Section of $d(K^-, n)'' nK^0''$



Box indicates statistical errors.

I have taken BG in $d(K^-, n) \rightarrow nK^0$ cross section.

→ These effect was very small.

I uploaded Cross section value at ag

Back Up

- Luminosity

$$L = N_{beam} N_{target} Eff_{DAQ} Eff_{Trigger} = 5870 \pm 150$$

$$N_{target} = I(10cm) \times \rho(0.169g/cm^3) \times N_A / N_d$$

$N_{beam} N_{DAQ} N_{trigger}$ were estimated run-by-run.

- Neutron Efficiency

$$Eff_{NC} = 0.317 \pm 0.016 \text{ by } K^- d \rightarrow K^0 n \text{ reaction (RUN62)}$$

$$Overkill_{\overline{CVCUPC}} = 0.081 \pm 0.007 \text{ (RUN78)}$$

- CDC efficiency

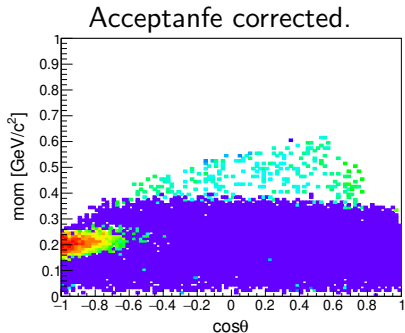
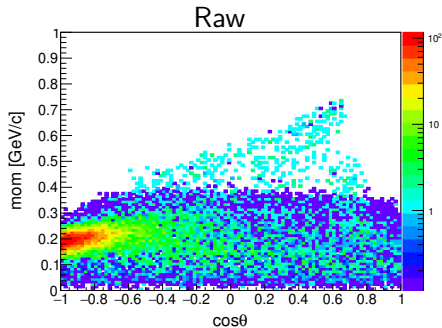
RUN68 IH and CDH was used as trigger counters $\sim 0.977 \pm 0.004$

RUN78 was estimated from the value that CDC layer1 was used instead of IH.

Scaling Factor Table

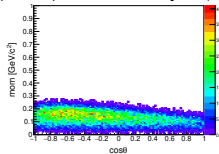
name	value	error	error ratio
Luminosity	5870	150	2.55%
Eff_{NC}	0.291	0.16	5.04%
Eff_{CDC}	0.977	0.004	0.41%
Sum			5.65%

$K^0 \cos\theta$ vs mom **BG** subtracted

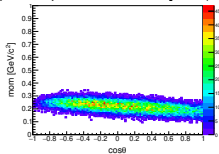


$K^0 \cos \theta$ vs mom ($d(K^-, n)'' X''$ dependence)

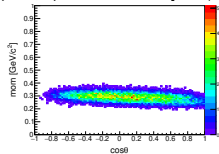
$d(K^-, n) : 1.45 \sim 1.50 \text{ [GeV}/c^2]$



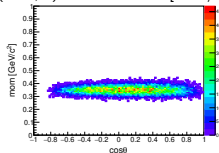
$d(K^-, n) : 1.50 \sim 1.55 \text{ [GeV}/c^2]$



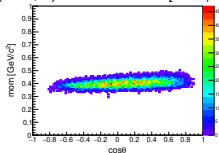
$d(K^-, n) : 1.55 \sim 1.60 \text{ [GeV}/c^2]$



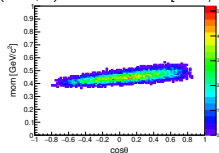
$d(K^-, n) : 1.60 \sim 1.65 \text{ [GeV}/c^2]$



$d(K^-, n) : 1.65 \sim 1.70 \text{ [GeV}/c^2]$



$d(K^-, n) : 1.70 \sim 1.75 \text{ [GeV}/c^2]$



$d(K^-, n) : 1.75 \sim 1.80 \text{ [GeV}/c^2]$

