	Lab 3 - report, Michał Błaszczak [245047] Task 1 (Grid search for simple exponential smoothing) import numpy as np import pandas as pd from statsmodels.tsa.api import SimpleExpSmoothing, Holt import matplotlib.pyplot as plt
[]:	<pre>df = pd.read_pickle('AlgerianExport.pkl') df.head()</pre> Export
	1960-12-31 39.043173 1961-12-31 46.244557 1962-12-31 19.793873 1963-12-31 24.684682 1964-12-31 25.084059
[]: t[]:	<pre>df.plot().legend() <matplotlib.legend.legend 0x7f99da3b9df0="" at=""> 50 45 40</matplotlib.legend.legend></pre>
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[]:	len(df)
[]:	<pre>def SES(df, alpha): SES_array = np.array([39.043173,]) for i in range(0, 57): value = alpha * df.iloc[i][0] + (1 - alpha) * SES_array[i] SES_array = np.append(SES_array, value) index = pd.date_range(start="1960", end="2018", freq="Y") SES_df = pd.DataFrame(SES_array, columns = ['Exports']) SES_df = SES_df.set_index(index)</pre>
[]:	return mean_squared_error(df, SES_df) determine alpha with the smallest MSE alphas = np.arange(0.75, 1.00, 0.01) for i in alphas:
	<pre>alpha = i MSE = SES(df=df, alpha=i) print('alpha:', round(i, 2), ' MSE:', round(MSE, 3)) alpha: 0.75 MSE: 34.636 alpha: 0.76 MSE: 34.587 alpha: 0.77 MSE: 34.544 alpha: 0.78 MSE: 34.506 alpha: 0.79 MSE: 34.475 alpha: 0.8 MSE: 34.45</pre>
	alpha: 0.81 MSE: 34.43 alpha: 0.82 MSE: 34.416 alpha: 0.83 MSE: 34.408 alpha: 0.84 MSE: 34.406 alpha: 0.85 MSE: 34.409 alpha: 0.86 MSE: 34.417 alpha: 0.87 MSE: 34.432 alpha: 0.88 MSE: 34.432 alpha: 0.89 MSE: 34.476
	alpha: 0.9 MSE: 34.507 alpha: 0.91 MSE: 34.543 alpha: 0.92 MSE: 34.584 alpha: 0.93 MSE: 34.631 alpha: 0.94 MSE: 34.684 alpha: 0.95 MSE: 34.742 alpha: 0.96 MSE: 34.805 alpha: 0.97 MSE: 34.805 alpha: 0.98 MSE: 34.949 alpha: 0.99 MSE: 35.029
[]:	
	<pre>fcast = fit.forecast(3).rename(r"\$\alpha=%s\$" % a) MSE = mean_squared_error(df, fit.fittedvalues) print('MSE:', round(MSE, 3)) MSE: 34.401 plot results</pre>
	<pre>plt.figure(figsize=(12,8)) (line0,) = plt.plot(df, marker="o", color="black") plt.plot(fit.fittedvalues, marker="o", color="blue") (line1,) = plt.plot(fcast, marker="o", color="blue") plt.legend([line0, line1], ['data', fcast.name]) </pre> <pre> <matplotlib.legend.legend 0x7f9a0935b460="" at=""> </matplotlib.legend.legend></pre>
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	read dataframe saved earlier using df.to_pickle('AlgerianExport.pkl') df = pd.read_pickle('AlgerianExport.pkl')
[]:	Export 1960-12-31 39.043173 1961-12-31 46.244557 1962-12-31 19.793873 1963-12-31 24.684682
[]:	1964-12-31 25.084059 df.size 58
[]:	<pre>divide data into train and test ncut=int(0.8*df.size) # 80% for training the rest is withheld for testing ncut 46 train_data=df.iloc[:ncut]</pre>
[]:	<pre>train_data=df.iloc[:ncut] test_data=df.iloc[ncut:] ax=train_data.plot() test_data.plot(ax=ax) ax.legend(['Train','Test']) <matplotlib.legend.legend 0x7f99da7de760="" at=""></matplotlib.legend.legend></pre>
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	fitted_model=SimpleExpSmoothing(train_data,initialization_method='estimated').fit() test_predictions=fitted_model.forecast(test_data.size).rename('SES forecast') evaluate the model
[]:	<pre>ax=train_data.plot() test_data.plot(ax=ax) test_predictions.plot(ax=ax) ax.legend(['Train','Test','Predict']) <matplotlib.legend.legend 0x7f99e8cclee0="" at=""> 50</matplotlib.legend.legend></pre>
	45 - 40 - 35 - 30 - 25 - 15 - 16 - 16 - 16 - 16 - 16 - 16 - 1
[]:	evaluate metrics from sklearn.metrics import mean_squared_error from sklearn.metrics import mean_absolute_error,mean_absolute_percentage_error
[]:	mean_squared_error(test_data,test_predictions) 192.04697370873177 np.sum(np.square(np.subtract(test_data["Export"].values,test_predictions.values)))/test_data.size
[]:	192.04697370873177 MAE mean_absolute_error(test_data,test_predictions) 11.439487998291211
[]:	<pre>mean_absolute_percentage_error(test_data,test_predictions) 0.4216657162083754 np.sum(np.divide(np.abs(np.subtract(test_data["Export"].values,test_predictions.values)),test_data["Export"].values))/12</pre>
	future forecasting let us assume that the model presented above turned out to be the best; we train the final model using all available data points # we use all available data final_model=SimpleExpSmoothing(df,initialization_method='estimated').fit()
[]:	<pre>forecast=final_model.forecast(test_data.size).rename('forecast') ax=df.plot() forecast.plot(ax=ax) ax.legend(['Past values','Forecast']) <matplotlib.legend.legend 0x7f9a09441460="" at=""></matplotlib.legend.legend></pre>
	50 -
	Task 3 (Holt's method : double exponential smoothing)
	read data df = pd.read_csv('IBM.csv', index_col='Date', parse_dates=True) df Open High Low Close Adj Close Volume
	1962-02-01 6.978-90 7.087-31 6.978-90 7.081-90
[]:	choose close prices only df = df['Close'] Date 1962-02-01 7.068196 1962-02-02 7.112811 1962-02-05 7.023582
	1962-02-05
[]:	<pre>plot close price data df.plot().legend() <matplotlib.legend.legend 0x7f99fbe58220="" at=""></matplotlib.legend.legend></pre>
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[]:	set the frequency of the time series to business days df = df.asfreq('b') df.index
	DatetimeIndex(['1962-02-01', '1962-02-02', '1962-02-05', '1962-02-06',
[]:	use forward fill to remove nans df = df.ffill(axis=0) df Date 1962-02-01 7.068196 1962-02-02 7.112811 1962-02-05 7.023582 1962-02-05 7.023582
	1962-02-06 7.029955 1962-02-07 7.036329 1965-12-24 7.950924 1965-12-27 7.966858 1965-12-28 8.002709 1965-12-29 7.934990 1965-12-30 7.966858 Freq: B, Name: Close, Length: 1021, dtype: float64 select part of the time series for which the long-term linear trend is apparent - at this point I will stick to Friday's [18 March] lecture notes
[]: []:	<pre>ncut=int(0.8*len(df)) ncut 816 train_data = df.iloc[:ncut] test_data = df.iloc[ncut:]</pre>
[]:	<pre>ax = train_data.plot() test_data.plot(ax=ax) ax.legend(['Train', 'Test'])</pre>
	7 Test
	fit and forecast Simple Exponential Smoothing model
[]:	<pre>fitSES = SimpleExpSmoothing(train_data).fit() fcastSES = fitSES.forecast(len(test_data)).rename('SES predict') fit and forecast Holt model fitHolt = Holt(train_data, exponential=False).fit()</pre>
	<pre>fcastHolt = fitHolt.forecast(len(test_data)).rename('Holt predict') compare SES and Holt ax = train_data.plot() test_data.plot(ax=ax) fcastSES.plot(ax=ax)</pre>
:[]:	fcastHolt.plot(ax=ax) ax.legend(['Train', 'Test', 'SES predict', 'Holt predict']) <matplotlib.legend.legend 0x7f99fc03ddf0="" at=""> Tain </matplotlib.legend.legend>
[]:	print("Mean Absolute Percentage Errors:") SES_mape = mean_absolute_percentage_error(test_data, fcastSES)*100 print(" ", SES_mape, "%") Holt_mape = mean_absolute_percentage_error(test_data, fcastHolt)*100 print(" ", Holt mape, "%")
	<pre>print(" ", Holt_mape, "%") Mean Absolute Percentage Errors: 5.7993546222452865 % 2.804980221395473 %</pre>