

# EEMB 179 – Lab 2: Population Growth Models

January 14, 2021

```
library(ggplot2)

library(tidyverse)

## -- Attaching packages ----- tidyverse 1.3.0 --

## v tibble  3.0.4      v dplyr   1.0.2
## v tidyr   1.1.2      v stringr 1.4.0
## v readr   1.4.0      v forcats 0.5.0
## v purrr   0.3.4

## -- Conflicts ----- tidyverse_conflicts() --
## x dplyr::filter() masks stats::filter()
## x dplyr::lag()     masks stats::lag()
```

```
library(dplyr)
library(sciplot) # equivalent to require(sciplot)
```

## J. Homework

Output these plots: (1) Plot of your POPULATION SIZE DATA, overlaid by your exponential and logistic model fits. Be sure to include a legend indicating which model fit is which!

```
ExptDays <- c(1,2,3,5,7,9,11,13,15)

MyDensities <- c(743.75, 743.75, 978.57, 2791.67, 7933.33, 7562.5, 7466.67, 7616.67, 5850.0)

ln.MyDensities <- log(MyDensities)

t_start <- ExptDays[2]
t_end <- ExptDays[5]

lm1 <- lm(ln.MyDensities[t_start:t_end] ~ ExptDays[t_start:t_end])

r.est <- lm1$coef[2]

exp.tmpts <- seq(from = min(ExptDays), to = max(ExptDays), length = 20)

exp.simu <- rep(NA, times=length(exp.tmpts))

# initial conditions
exp.simu[1] <- MyDensities[1]
exp.simu[1]
```

```
## [1] 743.75
```

```
for(i in 2:length(exp.tmpts)){ #for all variables from 2 to the length of exp.tmpts (elapsed time),
  deltat = exp.tmpts[i] - exp.tmpts[i-1] #change in time is equal to the ith value in exp.tmpts minus
  deltaN = exp.simu[i-1] * r.est * deltat #change in population size/density is equal to the ith minus
  exp.simu[i] = exp.simu[i-1] + deltaN #the ith value in exp.simu is equal to the ith minus 1 value
}
```

```
# Estimate carrying capacity
K.est <- max(MyDensities, na.rm=TRUE)
K.est
```

```
## [1] 7933.33
```

```
#create vectors
log.tmpts <- seq(from= min(ExptDays), to=max(ExptDays), length=10000)

log.simu <- rep(NaN, times=length(log.tmpts))

#initial condition
log.simu[1] <- MyDensities[1]
log.simu[1]
```

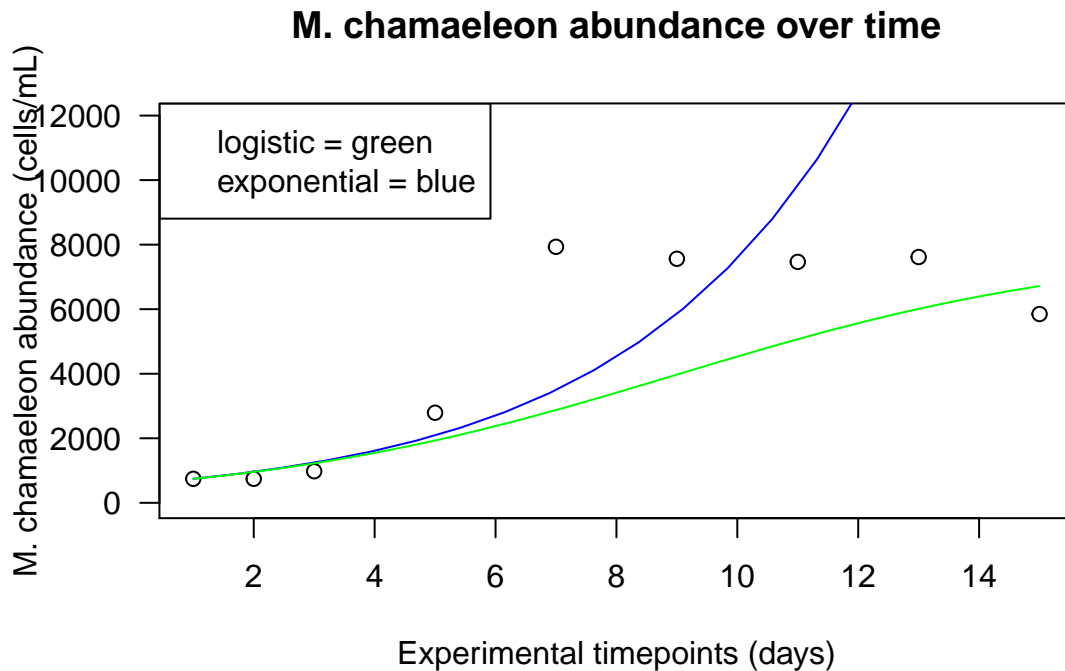
```
## [1] 743.75
```

```
#deltaN = log.simu[i-1] * r.est * (1 - log.simu[i-1] / K.est) * deltat

for(i in 2:length(log.tmpts)){
  deltat = log.tmpts[i] - log.tmpts[i-1]
  deltaN = log.simu[i-1] * r.est * (1 - log.simu[i-1] / K.est) * deltat
  log.simu[i] = log.simu[i-1] + deltaN
}
```

```
#ylim command allows us to see model output above maximum MyDensity
```

```
plot(x = ExptDays, y = MyDensities, xlab='Experimental timepoints (days)', ylab='M. chamaeleon abundance')
lines(x = exp.tmpts, y = exp.simu,col='blue')
lines(x = log.tmpts, y= log.simu,col='green')
legend("topleft",
  legend = c("logistic = green", "exponential = blue"))
```



/1 for your population size data  
 /1 for exponential fit  
 /1 for logistic model fit  
 /1 for correct legend  
 = /4 points total

- (2) Two figures showing class GROWTH RATE estimates by feeding treatment and light level. ONE figure should be for Hemiselms-fed cultures, and the other figure should be for Rhodomonas-fed cultures. Each figure should have 6 boxplots (or bars, if you are using bargraphs), representing the combination of 3 light levels x 2 feeding treatments.

```
setwd("/Users/Kerri/Downloads")
```

*# Put the spreadsheet in your working directory. Read the spreadsheet in with the read.csv function and*

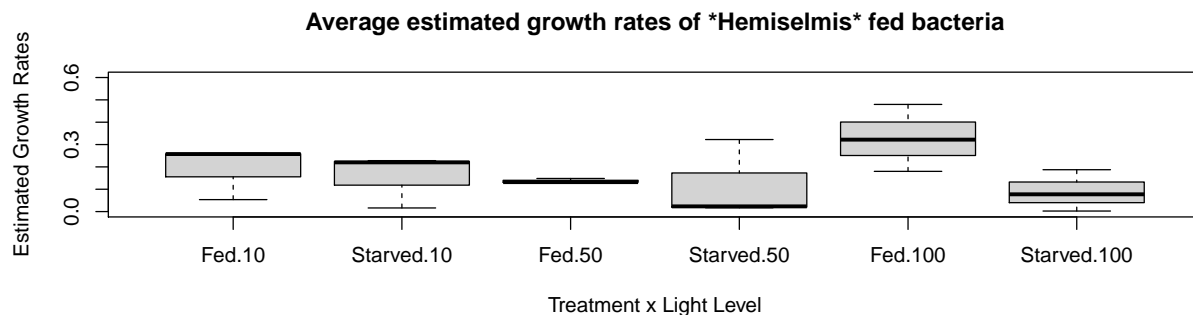
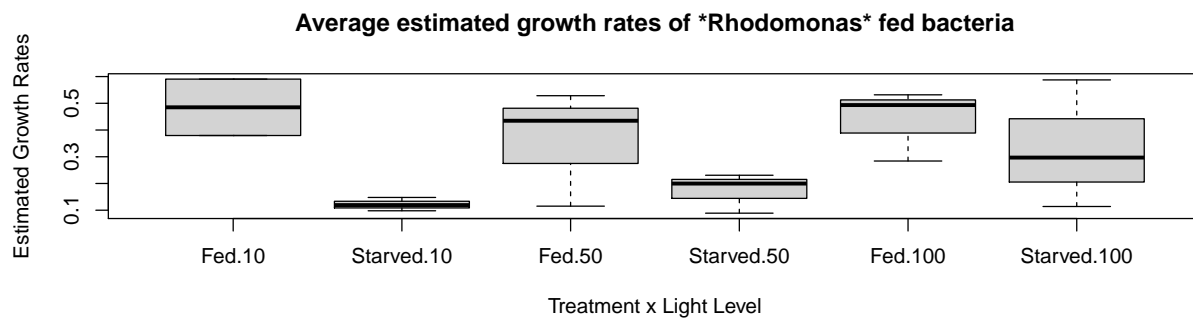
```
ClassData <- read.csv("EEMB179_279_W21_Lab2_GrowthData - 6PM Lab.csv", header = TRUE)
```

```
glimpse(ClassData)
```

```
## Rows: 36
## Columns: 19
## $ Timeseries <int> 1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13, 14, 15, 16, ...
## $ PreyType <chr> "Hemiselms pacifica", "Hemiselms pacifica", "Hemiselms...
## $ Color <chr> "Bluegreen", "Bluegreen", "Bluegreen", "Bluegreen", "Bl...
## $ LightLevel <int> 10, 10, 10, 10, 10, 10, 50, 50, 50, 50, 50, 50, 100, 10...
## $ Treatment <chr> "Fed", "Fed", "Fed", "Starved", "Starved", "Starved", "...
```

```
## $ Replicate <chr> "A", "B", "C", "A", "B", "C", "A", "B", "C", "A", "B", ...
## $ Day1 <dbl> 803.23, 871.43, 758.33, 835.71, 642.86, 735.71, 921.43,...
## $ Day2 <dbl> 958.33, 1050.00, 800.00, 978.57, 871.43, 864.29, 1214.2...
## $ Day3 <dbl> 1225.13, 1250.00, 1241.67, 942.86, 1014.29, 1142.86, 14...
## $ Day5 <dbl> 2212.50, 2450.00, 2225.00, 925.71, 921.43, 985.71, 1608...
## $ Day7 <dbl> 2060.00, 2210.00, 1950.00, 792.86, 964.29, 771.43, 1642...
## $ Day9 <dbl> 2430.00, 2340.00, 2130.00, 857.14, 900.00, 907.14, 1750...
## $ Day11 <dbl> 3225.00, 2525.00, 2710.00, NaN, NaN, NaN, 1342.86, 1585...
## $ Day13 <dbl> 2775.00, 2675.00, 2510.00, NaN, NaN, NaN, 1408.33, 1235...
## $ Day15 <dbl> 2720.00, 2625.00, 2625.00, NaN, NaN, NaN, 1007.14, 1100...
## $ StudentName <chr> "Johanna", "Veronica", "Brendan Englert", "Veronica", "...
## $ r.est <dbl> 0.25750000, 0.26014000, 0.05350000, 0.01622000, 0.22800...
## $ K.est <dbl> 3225.00, 2675.00, 2710.00, 978.57, 1014.29, 1142.86, 17...
## $ X <lg1> NA, NA, NA, NA, NA, NA, NA, NA, NA, NA, NA, NA, NA, NA, NA,...
```

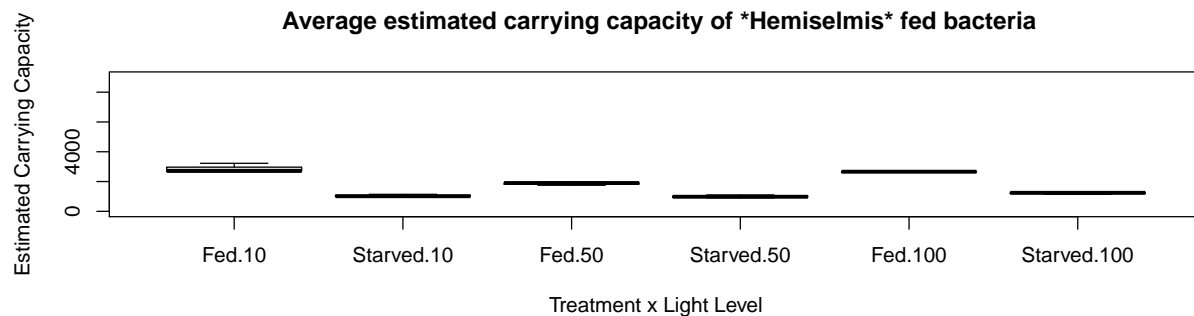
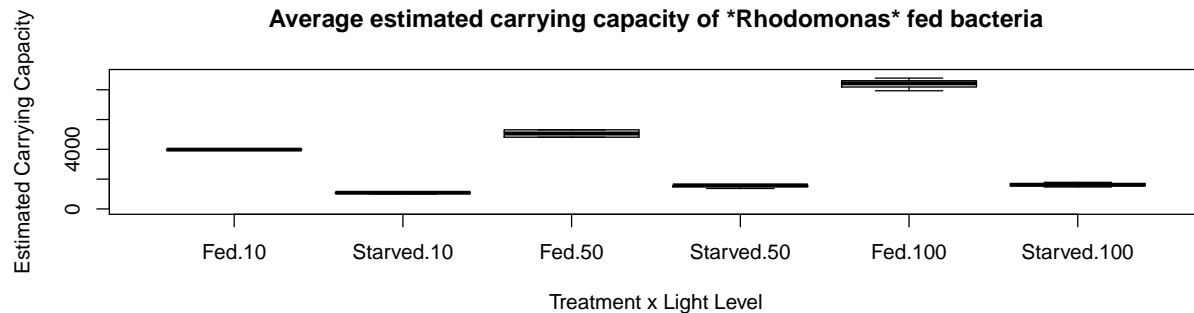
```
par(mfrow= c(2,1))
boxplot(r.est ~ Treatment*LightLevel, data=ClassData, subset = PreyType == "Rhodomonas salina", ylab = "Estimated Growth Rates", main = "Average estimated growth rates of *Rhodomonas* fed bacteria")
boxplot(r.est ~ Treatment*LightLevel, data=ClassData, subset = PreyType == "Hemiselms pacifica", ylab = "Estimated Growth Rates", main = "Average estimated growth rates of *Hemiselms* fed bacteria")
```



/1 if your graph is a bar or boxplot  
 /1 for correct response variable (growth rate)  
 /1 for categorical Hemiselms-fed culture x-axis  
 /1 for categorical Rhodomonas-fed culture x-axis  
 = /4 points total per boxplot (total of 8)

- (3) Two figures showing class CARRYING CAPACITY estimates by feeding treatment and light level. ONE figure should be for Hemiselms-fed cultures, and the other figure should be for Rhodomonas-fed cultures. Each figure should have 6 boxplots (or bars, if you are using bargraphs), representing the combination of 3 light levels x 2 feeding treatments.

```
par(mfrow= c(2,1))
boxplot(K.est ~ Treatment*LightLevel, data=ClassData, subset = PreyType == "Rhodomonas salina", ylab = "Estimated Carrying Capacity")
boxplot(K.est ~ Treatment*LightLevel, data=ClassData, subset = PreyType == "Hemiselms pacifica", ylab = "Estimated Carrying Capacity")
```



/1 if your graph is a bar or boxplot  
 /1 for correct response variable (carrying capacity)  
 /1 for categorical Hemiselms-fed culture x-axis  
 /1 for categorical Rhodomonas-fed culture x-axis  
 = /4 points per boxplot (total of 8)

Comment on the following: (4) Which of your model runs 'fit' your empirical data best? Why? What discrepancies were there, and what might improve the model fit?

While both my logistic model and exponential model tracked for the first four data points, by the end of the experiment the logistic model predicts the abundance of *M.chamaeleon* much better than the exponential model. This is because microbial growth curves have four very distinct phases: lag, log, stationary, and death phase. By Day 9, the population has reached the stationary phase, at or close to a carrying capacity. At this point, the exponential model fails to predict the decrease in resources and increase in density of the population of *M. chamaeleon*, thus it continues to extend exponentially above carrying capacity. The logistic model takes into account the carrying capacity of *M.chamaeleon*, and thus begins to level off around the carrying capacity. The actual experimental population overshoots the carrying capacity of the logistic model and then falls below it. Extending the experiment out further in time may show the experimental population exhibiting some sort of oscillation around this carrying capacity. One discrepancy of the model is that the Carrying capacity is estimated using the maximum call/mL value of one line of data. Ideally, this number would be determined by averaging the maximum values of multiple replicates. Also, the cell counts were only taken every other day after the first 3 days of the experiment, so the population could reach its maximum value between sampling efforts. Increased replicates and smaller intervals between data collection efforts may improve the model fit.

/1 point for model fit /1 point for explanation /1 point for discrepancies /1 point for adjustments to improve model fit = /4 points

- (5) Compare and contrast the different species in terms of their growth rates and carrying capacities. What are some possible explanations for differences that you observed?

Growth rates of the *Rhodomonas* fed populations were on average larger than the *Hemiselms* fed populations independent of light level. For every given light level and prey species combination, the fed populations had higher average growth rates than the starved populations. This makes sense because organisms require three things in order to grow, an energy source, a carbon source, and a source of electrons. In the fed population the prey species and media provide all three of these, and eventually *M. chamaeleon* can get its energy from light using the stolen chloroplasts.

By adjusting the y-axis of the graphs it is very clear that the estimated carrying capacity of *Rhodomonas* fed bacteria were much higher than that of the *Hemiselms* fed bacteria. This indicates that the *Rhodomonas* fed bacteria have more efficient resource use. This could be because the carbon in the prey source is more bioavailable or because the chloroplasts of the prey source are more easily incorporated or have more favorable accessory pigments, all of which reduce maintenance energy requirements and free up more energy for growth.

/2 points for comparison and contrast /2 points for explanations that integrate the biology or ecology of these organisms = /4 points

Total = /28