Analyze Recommendations

MGMT 638: Data-Driven Investments: Equity

Kerry Back, Rice University



Outline

- Read current data
- Interact features with market volatility
- Load saved model
- Make predictions





1. Preliminaries





Read data





```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
sns.set_style("whitegrid")
from joblib import load
from urllib.request import urlopen
```





Read the model





```
In [2]:
url = "https://www.dropbox.com/scl/fi/kssvcsgze16p36dwjyiaw/forest_ver2.joblil
file = urlopen(url)
forest = load(file)
```





Define features





```
features = [
    "marketcap",
    "pb",
    "mom",
    "volume",
    "volatility",
    "roe",
    "accruals",
    "agr"
]
features.sort()
features_final = features + [x + "_vol" for x in features]
```





Read predictions and characteristics





```
In [4]:
    df = pd.read_excel("https://www.dropbox.com/scl/fi/g8ymjrhppr9xhcoaxjsgg/pred
    mktvol = df.loc[0, "mktvol"]
```





Calculate medians of characteristics









Function for varying one characteristic at a time





```
In [34]:
    def predict1(char):
        data = medians.copy()
        grid = np.linspace(
            df[char].quantile(0.005),
            df[char].quantile(0.995),
            100
    )
        predictions = []
        for x in grid:
            data[char] = x
            for f in features:
                data[f+"_vol"] = data[f]*mktvol
            prediction = forest.predict(X=data)
            predictions.append(prediction)
        return grid, predictions
```



Function for varying two characteristics at a time





```
In [35]: def predict2(char1, char2):
             data = medians.copy()
             grid1 = np.linspace(
                  df[char1].quantile(0.005),
                  df[char1].quantile(0.995),
                  20
             grid2 = np.linspace(
                  df[char2].quantile(0.01),
                  df[char2].quantile(0.99),
                  20
             grid1, grid2 = np.meshgrid(grid1, grid2)
             predictions = np.empty(grid1.shape)
             for i in range(20):
                 for j in range(20):
                      data[char1] = grid1[i, j]
                      data[char2] = grid2[i, j]
                     for f in features:
                          data[f+"_vol"] = data[f]*mktvol
                      predictions[i, j] = forest.predict(data)
             return grid1, grid2, predictions
```



Function for varying one characteristic and market volatility





```
In [36]: def predict3(char):
              data = medians.copy()
              grid1 = np.linspace(
                  df[char].quantile(0.005),
                  df[char].quantile(0.995),
                  20
              grid2 = np.linspace(
                  0.5*mktvol,
                 1.5*mktvol,
                  20
              grid1, grid2 = np.meshgrid(grid1, grid2)
              predictions = np.empty(grid1.shape)
              for i in range(20):
                  for j in range(20):
                      data[char] = grid1[i, j]
                      for f in features:
                          data[f+"_vol"] = data[f]*grid2[i, j]
                      predictions[i, j] = forest.predict(data)
              return grid1, grid2, predictions
```



2. Interpret model



2a. Feature importances





```
In [37]:
         importances = pd.Series(forest.feature_importances_, index=features_final)
          importances.sort_values(ascending=False).round(3)
Out[37]:
                            0.472
          roe
          volatility
                            0.107
          accruals_vol
                            0.069
          volatility_vol
                            0.058
          marketcap_vol
                            0.048
          accruals
                            0.040
          marketcap
                            0.031
          volume
                            0.027
                            0.027
          mom vol
                            0.026
          roe_vol
                            0.025
          mom
                            0.017
          agr
                            0.017
          agr_vol
          volume_vol
                            0.017
          pb_vol
                            0.012
          pb
                            0.009
          dtype: float64
```



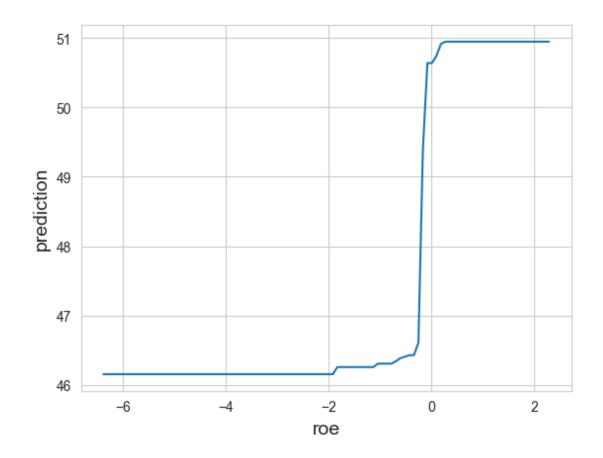
2b. Vary one characteristic at a time and plot





```
In [38]: char = "roe"

grid, predictions = predict1(char)
plt.plot(grid, predictions)
plt.xlabel(char, fontdict={"size": 14})
plt.ylabel("prediction", fontdict={"size": 14})
plt.show()
```



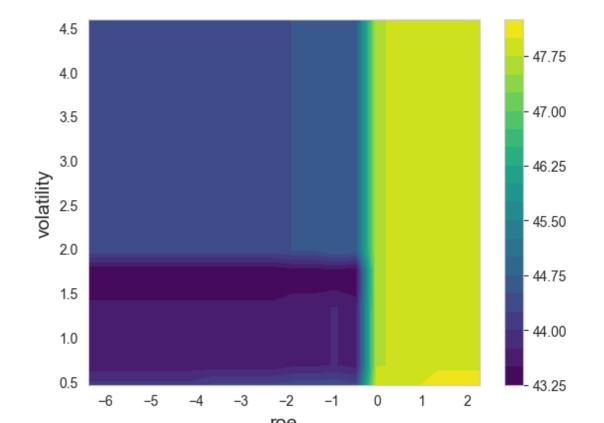
2c. Vary two characteristics at a time and plot





```
In [39]: char1 = "roe"
    char2 = "volatility"

grid1, grid2, predictions = predict2(char1, char2)
    contour = plt.contourf(grid1, grid2, predictions, 20, cmap="viridis")
    cbar = plt.colorbar(contour)
    plt.xlabel(char1, fontdict={"size": 14})
    plt.ylabel(char2, fontdict={"size": 14})
    plt.show()
```



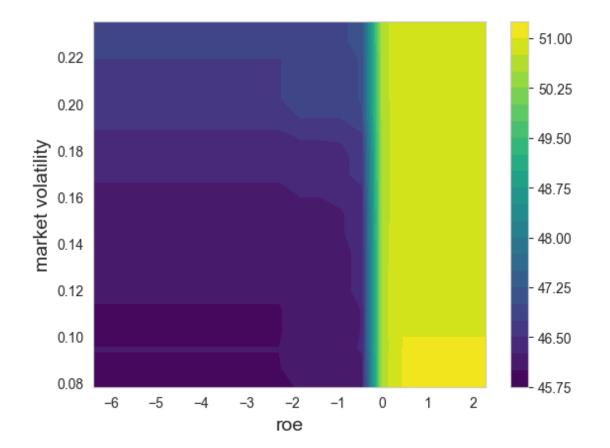
2d. Vary one characteristic and market volatility





```
In [40]: char = "roe"

grid1, grid2, predictions = predict3(char)
    contour = plt.contourf(grid1, grid2, predictions, 20, cmap="viridis")
    cbar = plt.colorbar(contour)
    plt.xlabel(char, fontdict={"size": 14})
    plt.ylabel("market volatility", fontdict={"size": 14})
    plt.show()
```



2e. Linear regression





```
In [41]:
          import statsmodels.formula.api as smf
          for f in features:
              df[f] = df[f] / df[f].std()
          string = "predict ~ " + " + ".join(features)
          model = smf.ols(string, data=df)
          result = model.fit()
          result.summary()
                                OLS Regression Results
Out[41]:
              Dep. Variable:
                                                     R-squared:
                                                                     0.518
                                       predict
                     Model:
                                         OLS
                                                                     0.516
                                                 Adj. R-squared:
                   Method:
                                 Least Squares
                                                      F-statistic:
                                                                      234.5
                      Date: Tue, 14 Nov 2023 Prob (F-statistic): 4.25e-270
                      Time:
                                      15:25:57
                                                 Log-Likelihood:
                                                                    -2687.7
          No. Observations:
                                         1753
                                                            AIC:
                                                                      5393.
               Df Residuals:
                                         1744
                                                            BIC:
                                                                      5443.
                  Df Model:
                                            8
           Covariance Type:
                                    nonrobust
                         coef std err
                                              t P>|t|
                                                       [0.025 0.975]
            Intercept 50.8577
                                0.064 797.304 0.000
                                                       50.733
                                                               50.983
```