```
In [42]: |
### Habermans-survival- Data sets
```

```
In [43]:
```

'''DESCRIPTION --

The dataset contains cases from a study that was conducted between 1958 and 197 at the University of Chicago's Billings Hospital on the survival of patients when undergone surgery for breast cancer.

Attribute Information:

Age of patient at time of operation (numerical)

Patient's year of operation (year - 1900, numerical)

Number of positive axillary nodes detected (numerical)

Survival status (class attribute) 1 = the patient survived 5 years or longer 2 died within 5 year

"DESCRIPTION -- \nThe dataset contains cases from a study that was conducted between 1958 and 1970 \n cago's Billings Hospital on the survival of patients who had \nundergone surgery for breast cancer.\n \nAge of patient at time of operation (numerical)\nPatient's year of operation (year - 1900, numerica xillary nodes detected (numerical)\nSurvival status (class attribute) 1 = the patient survived 5 year ent \ndied within 5 year\n"

```
import pandas as pd
import seaborn as sns
import matplotlib.pyplot as plt
import numpy as np
```

''' WE AN DWOWNLOAD DATA FROM https://www.kaggle.com/gilsousa/habermans-surviva

' WE AN DWOWNLOAD DATA FROM https://www.kaggle.com/gilsousa/habermans-survival-data-set' (https://www.kaggle.com/gilsousa/ha

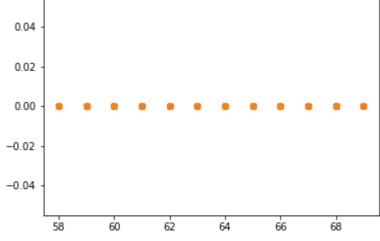
```
In [45]:
DATA = pd.read_csv('haberman (1).csv')
print(DATA)
      age
            year
                   nodes
                           status
       30
              64
                       1
                                 1
 0
 1
       30
              62
                        3
                                 1
 2
       30
                        0
              65
                                 1
 3
       31
              59
                        2
                                 1
 4
       31
                       4
              65
                                 1
 5
       33
              58
                      10
                                 1
 6
       33
              60
                       0
                                 1
 7
       34
              59
                       0
                                 2
 8
       34
                       9
                                 2
              66
 9
       34
              58
                      30
                                 1
 10
       34
              60
                       1
       34
              61
                      10
 11
                                 1
 12
       34
              67
                       7
       34
 13
              60
                       0
                                 1
 14
       35
              64
                       13
 15
       35
              63
                       0
                                 1
 16
       36
              60
                       1
                                 1
       36
 17
              69
                        0
                                 1
 18
       37
              60
                        0
                                 1
 19
       37
              63
                        0
                                 1
       37
 20
              58
                        0
                                 1
 21
       37
              59
                       6
 22
       37
              60
                      15
                                 1
 23
       37
              63
                       0
 24
       38
              69
                                 2
                      21
 25
       38
              59
                        2
                                 1
                       0
 26
       38
              60
                                 1
 27
       38
              60
                        0
                                 1
                        3
 28
       38
              62
                                 1
 29
       38
              64
                       1
                                 1
       . . .
              . . .
                      . . .
 276
       67
                       0
                                 1
              66
 277
       67
              61
                        0
 278
       67
              65
                        0
                                 1
 279
       68
              67
 280
       68
              68
                        0
                                 1
 281
       69
              67
                        8
                                 2
                        0
 282
       69
              60
                                 1
 283
              65
                        0
       69
                                 1
 284
              66
                        0
                                 1
       69
 285
       70
                        0
                                 2
              58
 286
       70
              58
                        4
                                 2
 287
       70
              66
                       14
                                 1
 288
        70
              67
                        0
 289
       70
              68
                        0
                                 1
 290
       70
              59
                        8
 291
       70
                        0
              63
                                 1
 292
       71
              68
                        2
                                 1
 293
       72
                        0
                                 2
              63
 294
       72
              58
                        0
                                 1
 295
       72
              64
                        0
                                 1
 296
       72
                        3
                                 1
```

```
298
     73
        68
               0
                       1
299
     74
          65
                3
                       2
300
     74
          63
     75
          62
                1
                       1
301
302
     76 67
                0
                       1
303
     77
          65
                 3
                       1
304
    78
          65
                 1
                       2
                 2
305 83
          58
[306 rows x 4 columns]
In [46]:
# no of data point and features are
print(DATA.shape)
(306, 4)
In [47]:
# column names in our data set
print(DATA.columns)
Index(['age', 'year', 'nodes', 'status'], dtype='object')
In [48]:
# How many patients survived more than 5 years and patient died before 5 years
# denoted by 1 and 2
print(DATA['status'].value_counts())
1
   225
    81
Name: status, dtype: int64
In [49]:
# above result shows that this is an imbalanced dataset and people survived mor
# are more than than who died within 5 years
```

```
In [50]:
                           Our objective is to visualize and analyse our data
and know which features are more useful or which features impact less
     by comparing them using various visualization techniques in 1D , 2D ,3D
     and classify them'''
                  Our objective is to visualize and analyse our data \nand know which features a
features impact less\n
                       by comparing them using various visualization techniques in 1D , 2D ,3D \n
In [51]:
## 1D plots
In [52]:
# 1D scatter plot
attribute1 = DATA[DATA['status']==1]
attribute2 = DATA[DATA['status']==2]
plt.plot(attribute1['nodes'], np.zeros_like(attribute1['nodes']), 'o')
plt.plot(attribute2['nodes'], np.zeros_like(attribute2['nodes']), 'o')
plt.show()
  0.04
  0.02
  0.00
 -0.02
 -0.04
              10
                     20
                             30
                                    40
                                           50
```

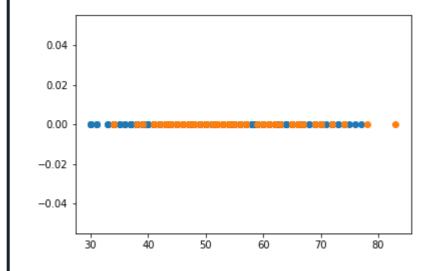
```
In [53]:

plt.plot(attribute1['year'], np.zeros_like(attribute1['year']), 'o')
plt.plot(attribute2['year'], np.zeros_like(attribute2['year']), 'o')
plt.show()
```



```
In [54]:

plt.plot(attribute1['age'], np.zeros_like(attribute1['age']), 'o')
plt.plot(attribute2['age'], np.zeros_like(attribute2['age']), 'o')
plt.show()
```



In [55]:

''' Observation for 1D scatter plot : In plot 1 sill we can classify on the of number of nodes by drawing a line at around 25 , In plot 2 the year attr not make any sense and in case of plot 3 that is attribute age does not mak so that we can classify it.

Note: we cannot classify perfectly with attribute nodes too.

Here we can also say that 1D scatter plot is not a good way of visualizing on this data set as there are more overlapping points. '''

'Observation for 1D scatter plot : In plot 1 sill we can classify on the basis \n of number of at around 25 , In plot 2 the year attribute does\n not make any sense and in case of plot 3 that i make much sense\n so that we can classify it.\n Note: we cannot classify perfectly with attribu we can also say that 1D scatter plot is not a good way of visualizing for atleast\n on this data s rlapping points.'

In [56]:

Histograms and PDF(Probability Density Funcftion)

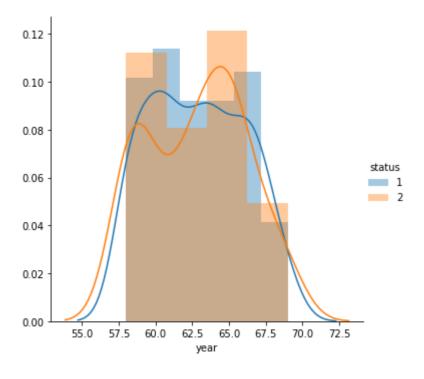
```
In [57]:
sns.FacetGrid(DATA, hue="status", size=5) \
   .map(sns.distplot, "nodes") \
   .add_legend();
plt.show();
/usr/local/lib/python3.5/dist-packages/seaborn/axisgrid.py:230: UserWarning: The `size` paramter has
 `; please update your code.
  warnings.warn(msg, UserWarning)
 0.5
 0.4
 0.3
                                                 status
                                                 1
                                                 2
 0.2
 0.1
 0.0
     -10
                 10
                      20
                            30
                                 40
                                       50
                                            60
                        nodes
```

```
In [58]:
sns.FacetGrid(DATA, hue="status", size=5) \
   .map(sns.distplot, "age") \
   .add_legend();
plt.show();
/usr/local/lib/python3.5/dist-packages/seaborn/axisgrid.py:230: UserWarning: The `size` paramter has
 `; please update your code.
  warnings.warn(msg, UserWarning)
 0.040
 0.035
 0.030
 0.025
                                                  status
 0.020
                                                  1
                                                  2
 0.015
 0.010
 0.005
 0.000
        20
                                           90
                  40
                       50
                                 70
                                      80
                            60
                          age
```

```
In [59]:
sns.FacetGrid(DATA, hue="status", size=5) \
   .map(sns.distplot, "year") \
   .add_legend();
plt.show();
```

/usr/local/lib/python3.5/dist-packages/seaborn/axisgrid.py:230: UserWarning: The `size` paramter has `; please update your code.

warnings.warn(msg, UserWarning)



In [60]:

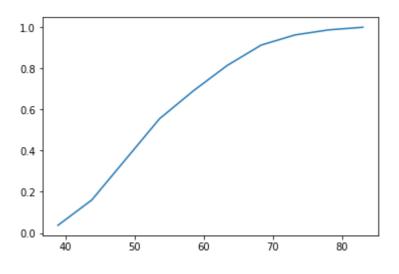
''' Observation : We cannot make any conclusion from these three plots as for all attributes the histograms and pdf are overlapped and in no way it can be classified or breakdown into an if statement '''

' Observation : We cannot make any conclusion from these three plots as for \n all attributes the overlapped and in no way it can be \n classified or breakdown into an if statement '

```
In [61]:
```

''' CDF (Cumulative Distribution Function) using cdf we can see what percentag surviors or non survivors have age less than say 30 or Node less than say 5

' CDF (Cumulative Distribution Function) using cdf we can see what percentage of \n surviors or ess than say 30 or Node less than say 5'



```
In [63]:
counts,bin edges = np.histogram(attribute1['age'],bins=10,density=True)
pdf = counts/(sum(counts))
print(pdf)
print(bin edges)
cdf = np.cumsum(pdf)
plt.plot(bin_edges[1:],cdf)
plt.show()
# From this plot we can see that most of the people who lived longer than 5 year
# are less than 65 years old so from the above graph we can conclude that the n
# people with age intervall of 65-80 didn't live longer than 5
[0.05333333 0.10666667 0.12444444 0.09333333 0.16444444 0.16444444
 0.09333333 0.11111111 0.06222222 0.02666667]
 [30. 34.7 39.4 44.1 48.8 53.5 58.2 62.9 67.6 72.3 77. ]
 1.0
 0.8
 0.6
 0.4
 0.2
```

40

50

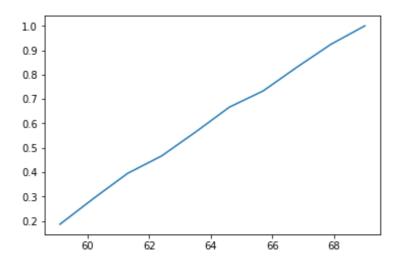
60

70

```
In [64]:
counts,bin_edges = np.histogram(attribute2['year'],bins=10,density=True)
pdf = counts/(sum(counts))
print(pdf)
print(bin_edges)
cdf = np.cumsum(pdf)
plt.plot(bin_edges[1:],cdf)
plt.show()
 [0.25925926 0.04938272 0.03703704 0.08641975 0.09876543 0.09876543
 0.16049383 0.07407407 0.04938272 0.08641975]
 [58. 59.1 60.2 61.3 62.4 63.5 64.6 65.7 66.8 67.9 69. ]
 1.0
 0.9
 0.8
 0.7
 0.6
 0.5
 0.4
 0.3
         60
                                          68
```

```
In [65]: |
counts,bin_edges = np.histogram(attribute1['year'],bins=10,density=True)
pdf = counts/(sum(counts))
print(pdf)
print(bin_edges)
cdf = np.cumsum(pdf)
plt.plot(bin_edges[1:],cdf)
plt.show()

[0.18666667 0.10666667 0.10222222 0.07111111 0.09777778 0.10222222
    0.06666667 0.09777778 0.09333333 0.07555556]
[58. 59.1 60.2 61.3 62.4 63.5 64.6 65.7 66.8 67.9 69. ]
```



In [66]:

''' From the upper two cdf plots for year we can see a close to linear relation which can make us say that year didn't effect and we can't make any conclus for this'''

" From the upper two cdf plots for year we can see a close to linear relation \n which can make us fect and we can't make any conclusion\n for this"

```
In [67]:
counts,bin edges = np.histogram(attribute2['nodes'],bins=10,density=True)
pdf = counts/(sum(counts))
print(pdf)
print(bin edges)
cdf = np.cumsum(pdf)
plt.plot(bin_edges[1:],cdf)
plt.show()
# In this plot we can say that most of the people approximately 90% died before
# years of treatment have nodes less than 25
[0.56790123 0.14814815 0.13580247 0.04938272 0.07407407 0.
 0.01234568 0.
                    0.
                             0.01234568]
 [ 0. 5.2 10.4 15.6 20.8 26. 31.2 36.4 41.6 46.8 52. ]
 1.0
 0.9
 0.8
```

0.7

0.6

10

20

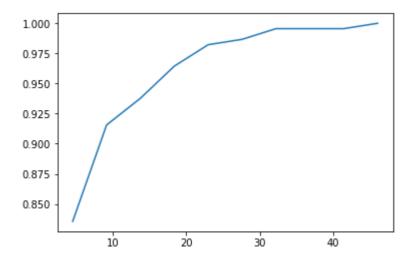
30

40

50

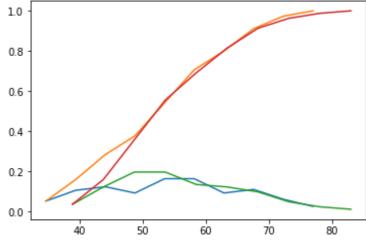
```
In [68]: |
counts,bin_edges = np.histogram(attributel['nodes'],bins=10,density=True)
pdf = counts/(sum(counts))
print(pdf)
print(bin_edges)
cdf = np.cumsum(pdf)
plt.plot(bin_edges[1:],cdf)
plt.show()
''' From this plot we can say that most of the people having nodes less t
```

''' From this plot we can say that most of the people having nodes less than 10 survived more than 5 years after treatment and from the above graph we can conclude that people having nodes between 10-25 are more likely to die 5 years of treatment '''

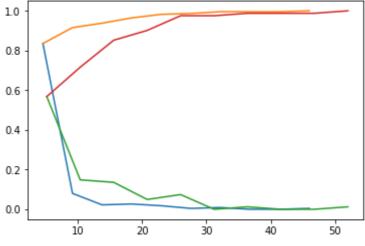


' From this plot we can say that most of the people having nodes less than $10\n$ survived more than and from the above graph we \n can conclude that people having nodes between 10-25 are more likely years of treatment '

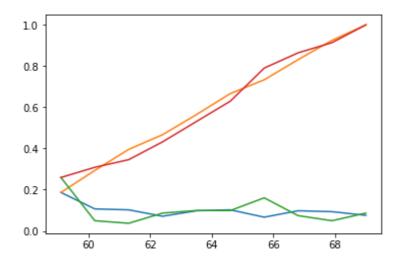
```
In [69]: |
counts,bin_edges = np.histogram(attribute1['age'],bins=10,density=True)
pdf = counts/(sum(counts))
cdf = np.cumsum(pdf)
plt.plot(bin_edges[1:],pdf)
plt.plot(bin_edges[1:],cdf)
counts,bin_edges = np.histogram(attribute2['age'],bins=10,density=True)
pdf = counts/(sum(counts))
cdf = np.cumsum(pdf)
plt.plot(bin_edges[1:],pdf)
plt.plot(bin_edges[1:],cdf)
plt.show()
```



```
In [70]: |
counts,bin_edges = np.histogram(attribute1['nodes'],bins=10,density=True)
pdf = counts/(sum(counts))
cdf = np.cumsum(pdf)
plt.plot(bin_edges[1:],pdf)
plt.plot(bin_edges[1:],cdf)
counts,bin_edges = np.histogram(attribute2['nodes'],bins=10,density=True)
pdf = counts/(sum(counts))
cdf = np.cumsum(pdf)
plt.plot(bin_edges[1:],pdf)
plt.plot(bin_edges[1:],cdf)
plt.show()
```



```
In [71]: |
counts,bin_edges = np.histogram(attribute1['year'],bins=10,density=True)
pdf = counts/(sum(counts))
cdf = np.cumsum(pdf)
plt.plot(bin_edges[1:],pdf)
plt.plot(bin_edges[1:],cdf)
counts,bin_edges = np.histogram(attribute2['year'],bins=10,density=True)
pdf = counts/(sum(counts))
cdf = np.cumsum(pdf)
plt.plot(bin_edges[1:],pdf)
plt.plot(bin_edges[1:],cdf)
plt.show()
```



In [72]:

''' From the above three pdf-cdf combine plots we cannot make conclusion cause plots are almost completely overlapping '''

' From the above three pdf-cdf combine plots we cannot make conclusion cause pdf\n $\,\,$ plots are almo g '

```
In [73]:
# Means
print('Means for patients survived longer than 5 years')
print('1:',np.mean(attribute1['age']))
print('2:',np.mean(attribute1['year']))
print('3:',np.mean(attribute1['nodes']))
print('*'*30)
print("Means for patients survived less than 5 years")
print('1:',np.mean(attribute2['age']))
print('2:',np.mean(attribute2['year']))
print('3:',np.mean(attribute2['nodes']))
# This concludes on an average patients survived more than 5 years have around
# and the one deid within 5 years have around 7-8 nodes
Means for patients survived longer than 5 years
1: 52.017777777778
2: 62.862222222222
3: 2.7911111111111113
 **********
Means for patients survived less than 5 years
1: 53.67901234567901
2: 62.82716049382716
3: 7.45679012345679
```

```
In [74]:
# Std-deviation
print("Std-deviation for patients survived longer than 5 years")
print('1',np.std(attribute1['age']))
print('2',np.std(attribute1['year']))
print('3',np.std(attribute1['nodes']))
print('*'*30)
print("Std-deviation for patients survived less than 5 years")
print('1',np.std(attribute2['age']))
print('2',np.std(attribute2['year']))
print('3',np.std(attribute2['nodes']))
Std-deviation for patients survived longer than 5 years
1 10.987655475100508
2 3.2157452144021947
3 5.857258449412138
Std-deviation for patients survived less than 5 years
1 10.104182193031312
2 3.3214236255207887
3 9.128776076761635
```

```
In [75]:
print("Median for patients survived longer than 5 years")
print('1',np.median(attribute1['age']))
print('2',np.median(attribute1['year']))
print('3',np.median(attribute1['nodes']))
print('*'*30)
print("Median for patients survived less than 5 years")
print('1',np.median(attribute2['age']))
print('2',np.median(attribute2['year']))
print('3',np.median(attribute2['nodes']))
# Here we can see that the one who survived more than five years have median=0
# which means half of the patient who survived have no nodes and this can be sa
# huge cuuse of survival of the patients
Median for patients survived longer than 5 years
1 52.0
2 63.0
3 0.0
 ***********
Median for patients survived less than 5 years
1 53.0
2 63.0
3 4.0
```

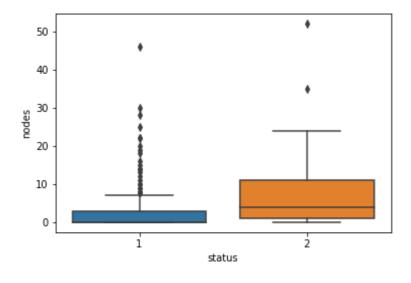
```
In [76]:
print("Quantiles for patients survived longer than 5 years")
print('1',np.percentile(attribute1['age'],np.arange(0,100,25)))
print('2',np.percentile(attribute1['year'],np.arange(0,100,25)))
print('3',np.percentile(attribute1['nodes'],np.arange(0,100,25)))
print('*'*30)
print("Quantiles for patients survived less than 5 years")
print('1',np.percentile(attribute2['age'],np.arange(0,100,25)))
print('2',np.percentile(attribute2['year'],np.arange(0,100,25)))
print('3',np.percentile(attribute2['nodes'],np.arange(0,100,25)))
# Here we can see most of the patient more than 75% who survived more than 5 \,
# no nodes ie nodes=0.0 which shows nodes plays a significant role in determing
# who survived more
Quantiles for patients survived longer than 5 years
1 [30. 43. 52. 60.]
2 [58. 60. 63. 66.]
3 [0. 0. 0. 3.]
Quantiles for patients survived less than 5 years
1 [34. 46. 53. 61.]
2 [58. 59. 63. 65.]
3 [ 0. 1. 4. 11.]
In [83]:
```

```
In [78]:
from statsmodels import robust
print("Median absolute deviation for patients survived longer than 5 years")
print('1', robust.mad(attribute1['age']))
print('2', robust.mad(attribute1['year']))
print('3', robust.mad(attribute1['nodes']))
print('*'*30)
print("Median absolute deviation for patients survived less than 5 years")
print('1', robust.mad(attribute2['age']))
print('2', robust.mad(attribute2['year']))
print('3', robust.mad(attribute2['nodes']))
Median absolute deviation for patients survived longer than 5 years
1 13.343419966550417
2 4.447806655516806
3 0.0
**********
Median absolute deviation for patients survived less than 5 years
1 11.860817748044816
2 4.447806655516806
3 5.930408874022408
```

```
In [79]:
```

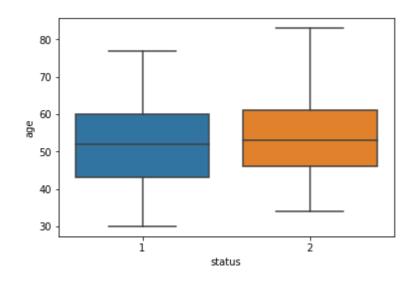
BOX PLOT AND WHISKERS in this a technique called inter-quantile range is use # the whiskers in the plot maybe corresponds to min-max value or 1.5*IQR # 3 lines corresponding to mthe colored box are quantiles ie 75th,50th,25th per

```
In [80]:
sns.boxplot(x='status',y='nodes',data=DATA)
plt.show()
```

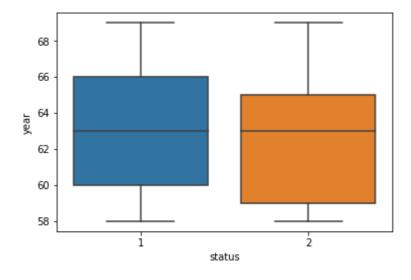




sns.boxplot(x='status',y='age',data=DATA)
plt.show()



```
In [82]: |
sns.boxplot(x='status',y='year',data=DATA)
plt.show()
```



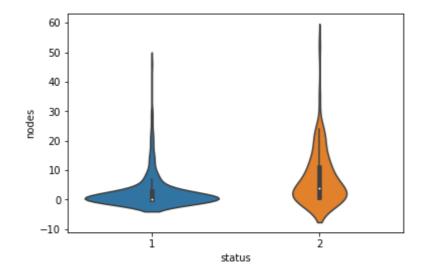
In [84]:

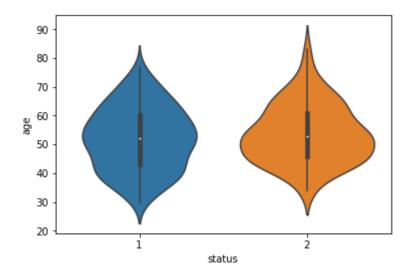
- # From the above three box plots we cannot say anything about age and years as
- # them are almost overlapping but for nodes we can say that
- # if nodes>0 patient died within 5 years of operation
- # else he survived more than 5

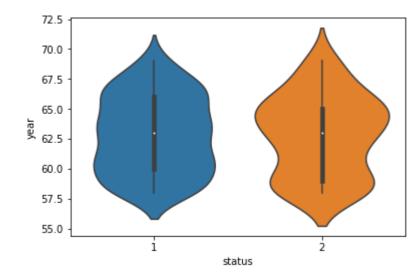
In [86]:

- # Denser region of the data are fatter and sparse ones thinner and the thick bl
- # in the middle is box plots and edges are whiskers

```
In [92]: |
sns.violinplot(x='status',y='nodes',data=DATA)
plt.show()
sns.violinplot(x='status',y='age',data=DATA)
plt.show()
sns.violinplot(x='status',y='year',data=DATA)
plt.show()
```







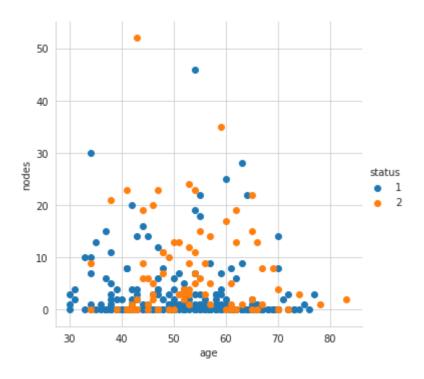
In [93]:

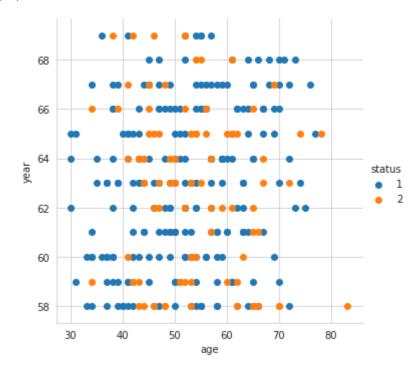
2-D plots

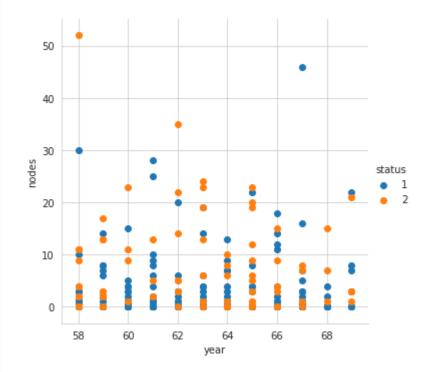
In [94]:

2-D colored scatter plot

```
In [110]:
sns.set_style("whitegrid")
sns.FacetGrid(DATA,hue="status",height=5).map(plt.scatter,"age","nodes").add_le
plt.show()
sns.set_style("whitegrid")
sns.FacetGrid(DATA,hue="status",height=5).map(plt.scatter,"age","year").add_leg
plt.show()
sns.set_style("whitegrid")
sns.FacetGrid(DATA,hue="status",height=5).map(plt.scatter,"year","nodes").add_l
plt.show()
```







In [98]:

observation : from above three scatter plot we cannot conclude anything

In [99]:

PAIR-PLOT

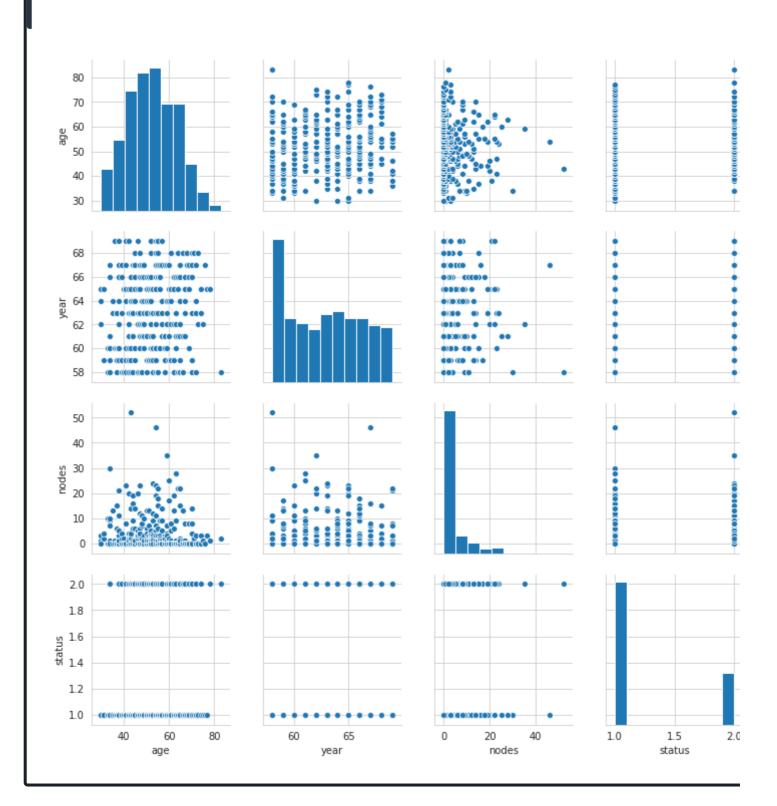
In [130]:

plt.close()

sns.set_style("whitegrid")

sns.pairplot(DATA)#if the number of items in a category is 3, the palette is
#flattened and they come up in a greyscale.This is why i can't use hue
plt.show()

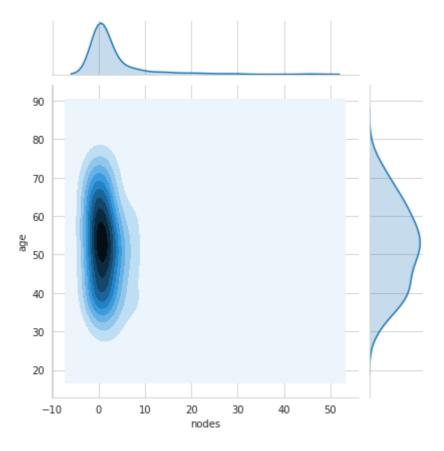
from the pair plots below we cannot make any conclusion due to overlapping

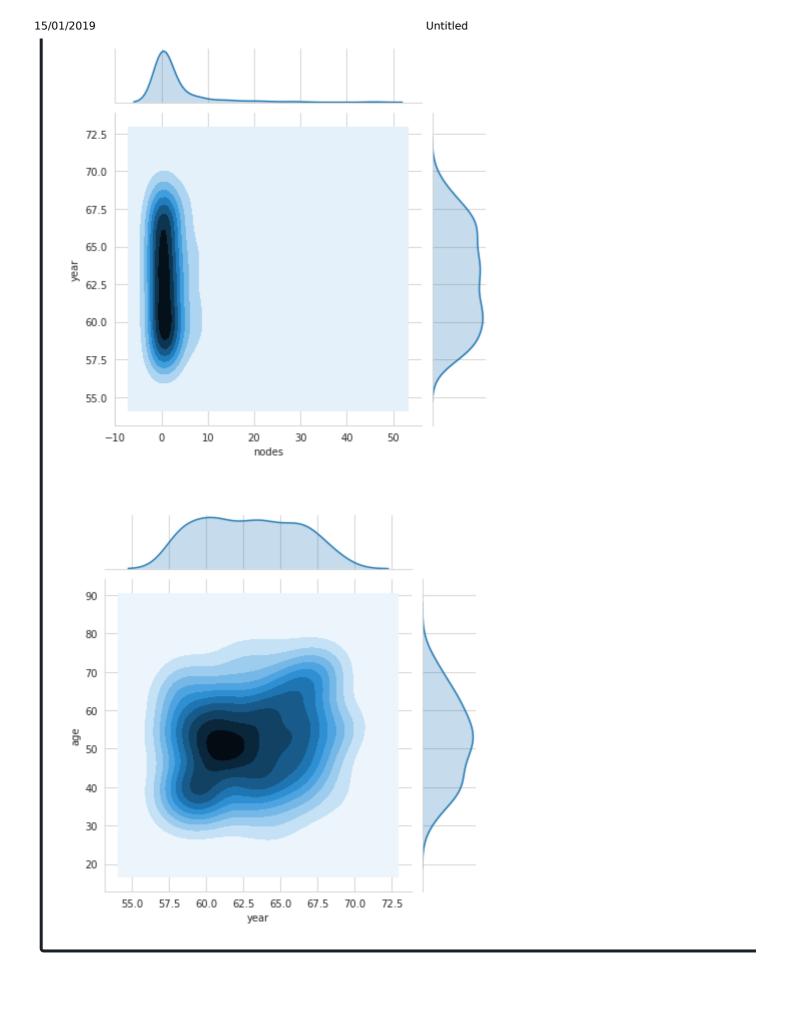


In []:

CONTOUR PROBABILITY DENSITY PLOT IT HELPS US IN HSOWING 2-D DENSITY

```
In [132]:
sns.jointplot(x="nodes",y='age',data=attribute1,kind='kde')
plt.show()
sns.jointplot(x="nodes",y='year',data=attribute1,kind='kde')
plt.show()
sns.jointplot(x="year",y='age',data=attribute1,kind='kde')
plt.show()
```

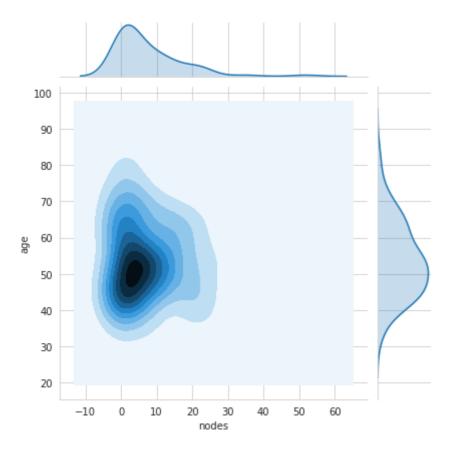




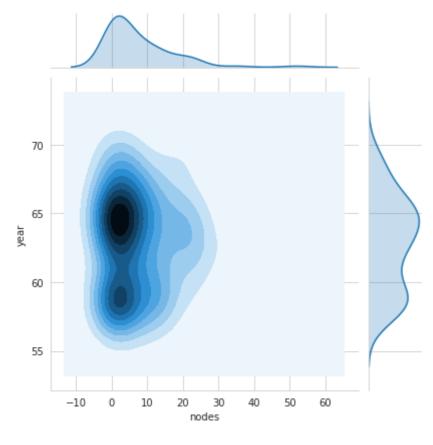
In [133]:

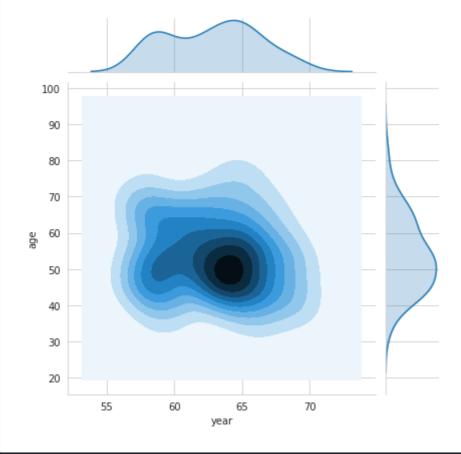
observation : Here the darkest region tells us that there are maximum number
in that region considering last graph we can say that approximately most of 1
in interval where year is between 1961-1963 and with age between 48-55 which
survivor in that region

```
In [134]:
sns.jointplot(x="nodes",y='age',data=attribute2,kind='kde')
plt.show()
sns.jointplot(x="nodes",y='year',data=attribute2,kind='kde')
plt.show()
sns.jointplot(x="year",y='age',data=attribute2,kind='kde')
plt.show()
```









In []: