Introductory Astronomy

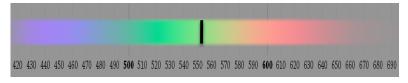
Week 4: Stars

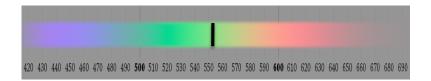
Clip 12: Spectroscopic Binaries

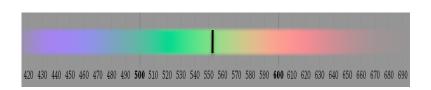


Spectroscopic Binaries

- If stars too close to resolve can distinguish periodic Doppler shift: Spectroscopic Binary
- If we can see both stars: double-line binary
- Often see only one









Learning from Spectrum

• Measure:
$$v_1, v_2, P$$
 $v = c(1 - \lambda/\lambda_0)$ $R_{1,2} = \frac{v_{1,2}P}{2\pi}$ $M_1R_1 = M_2R_2$ $M_1v_1 = M_2v_2$ $M = M_1 + M_2 = M_1(1 + v_1/v_2) = M_1(v_2 + v_1)v_2$ $R = R_1 + R_2 = \frac{Pv_1}{2\pi} + \frac{Pv_1}{2\pi} = (v_1 + v_2)\frac{P}{2\pi}$



Finding Masses

$$P^{2} = \frac{4\pi^{2}}{GM}R^{3} \quad R = \frac{P}{2\pi}(v_{1} + v_{2}) \qquad M = (v_{1} + v_{2})M_{1}/v_{2}$$

$$M = \frac{4\pi^{2}R^{3}}{GP^{2}} = \frac{4\pi^{2}P^{3}}{(2\pi)^{3}GP^{2}}(v_{1} + v_{2})^{3} \quad M_{1} = \frac{v_{2}P}{2\pi G}(v_{1} + v_{2})^{2}$$

- We can find masses! $M_1 = \frac{P}{1 \text{ v}} \frac{v_2(v_1 + v_2)^2}{(29.78 \text{km/s})^3} M_{\odot}$
- Caveat: Orbit may tilt, we measure only v_r
- If we only see one star only know v_1



Credits

Rendered spectrum: Wikimedia/Spigget

http://en.wikipedia.org/wiki/

File:Rendered Spectrum.png/

