jkastra-shortest-path-algorithm-1

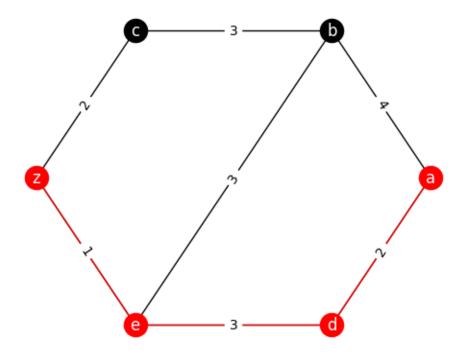
June 28, 2024

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[1]: import networkx as nx
     import matplotlib.pyplot as plt
[2]: # 1 Dijkastra Algorithm for undirected weighted graph
     def do_dijkstra(graph,src,dest):
       Shortest_path = nx.
      ⇔dijkstra_path(G=graph, source=src, target=dest, weight='weight')
       # Combine the shortest paths as tuple
       path_edges = list(zip(Shortest_path,Shortest_path[1:]))
       # Use f before the opening quotation mark in a print() statement, so that,
       # we can write a Python expression between \{\ \} characters that can refer to \Box
      ⇔variables or literal values.
       print(f"Shortest Path From {src} -> {dest}: {Shortest_path}")
       print("Shortest Path Edges:",path_edges)
       print("length of the Path: ", nx.

dijkstra_path_length(graph,src,dest,'weight'))

       # To draw the graph and the shortest path
       pos = nx.circular_layout(graph)
       nx.draw_networkx_nodes(Shortest_path, pos, node_color='r')
       nx.draw_networkx_nodes(graph.nodes - Shortest_path, pos,node_color='k')
       nx.draw_networkx_edges(graph, pos, edgelist=graph.edges)
       nx.draw_networkx_edges(graph,pos,edgelist=path_edges,edge_color='r')
       labels = nx.get_edge_attributes(graph,'weight')
       nx.draw_networkx_edge_labels(graph,pos,labels)
       nx.draw_networkx_labels(graph,pos,font_color='w')
       plt.axis("off")
       plt.show()
[3]: D = nx.Graph()
     d_edges =_
     \neg [('a', 'b', 4), ('b', 'c', 3), ('c', 'z', 2), ('z', 'e', 1), ('e', 'd', 3), ('b', 'e', 3), ('a', 'd', 2)]
     print(type(d edges))
     D.add_weighted_edges_from(d_edges)
     do dijkstra(D, 'a', 'z')
    <class 'list'>
    Shortest Path From a -> z: ['a', 'd', 'e', 'z']
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Shortest Path Edges: [('a', 'd'), ('d', 'e'), ('e', 'z')] length of the Path: 6



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[4]: import heapq
     def dijkstra(graph, start):
         # Initialize distances to all vertices as infinity
         distances = {vertex: float('infinity') for vertex in graph}
         # Distance from start vertex to itself is 0
         distances[start] = 0
         # Priority queue to keep track of vertices to visit
         priority_queue = [(0, start)]
         while priority_queue:
             # Pop the vertex with the smallest distance from priority queue
             current_distance, current_vertex = heapq.heappop(priority_queue)
             # Skip if we have already found a shorter distance to this vertex
             if current_distance > distances[current_vertex]:
                 continue
             # Explore neighbors of the current vertex
             for neighbor, weight in graph[current_vertex].items():
                 distance = current_distance + weight
                 # If new distance is shorter than the known distance, update
                 if distance < distances[neighbor]:</pre>
                     distances[neighbor] = distance
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# Add to priority queue
               heapq.heappush(priority_queue, (distance, neighbor))
   return distances
def shortest_path_length(graph, start, end):
   # Apply Dijkstra's algorithm to find shortest distances from start vertex
   distances = dijkstra(graph, start)
   # Return the distance to the end vertex
   return distances[end]
# Example graph representation (adjacency list)
graph = {
    'A': {'B': 3, 'C': 2},
    'B': {'C': 1, 'D': 5},
   'C': {'D': 7},
   'D': {'E': 2},
    'E': {}
}
start_vertex = 'A'
end_vertex = 'E'
shortest_length = shortest_path_length(graph, start_vertex, end_vertex)
print(f"The length of the shortest path from vertex {start_vertex} to vertex

∪
 print("Shortest distances from vertex", start_vertex, ":", dijkstra(graph, ___
 ⇔start_vertex))
# To draw the graph and the shortest path
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The length of the shortest path from vertex A to vertex E is: 10 Shortest distances from vertex A : {'A': 0, 'B': 3, 'C': 2, 'D': 8, 'E': 10}

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def dijkstra(graph, start):
    # Initialize distances to all vertices as infinity
    distances = {vertex: float('infinity') for vertex in graph}
    # Distance from start vertex to itself is O
    distances[start] = 0
    # Priority queue to keep track of vertices to visit
    priority_queue = [(0, start)]

while priority_queue:
    # Pop the vertex with the smallest distance from priority queue
    current_distance, current_vertex = heapq.heappop(priority_queue)

# Skip if we have already found a shorter distance to this vertex
    if current_distance > distances[current_vertex]:
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# Explore neighbors of the current vertex
       for neighbor, weight in graph[current_vertex].items():
           distance = current_distance + weight
            # If new distance is shorter than the known distance, update
           if distance < distances[neighbor]:</pre>
               distances[neighbor] = distance
               # Add to priority queue
               heapq.heappush(priority_queue, (distance, neighbor))
   return distances
def shortest_path_length(graph, start, end):
   # Apply Dijkstra's algorithm to find shortest distances from start vertex
   distances = dijkstra(graph, start)
    # Return the distance to the end vertex
   return distances[end]
# Example graph representation (adjacency list)
graph = {
    'A': {'B': 3, 'C': -2},
    'B': {'C': 1, 'D': -5},
    'C': {'D': 7},
    'D': {'E': 2},
    'E': {}
}
start_vertex = 'A'
end vertex = 'E'
print("Shortest distances from vertex", start_vertex, ":", dijkstra(graph, u
 ⇔start_vertex))
shortest_length = shortest_path_length(graph, start_vertex, end_vertex)
print(f"The length of the shortest path from vertex {start_vertex} to vertex ∪
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Shortest distances from vertex A : $\{'A': 0, 'B': 3, 'C': -2, 'D': -2, 'E': 0\}$ The length of the shortest path from vertex A to vertex E is: 0

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