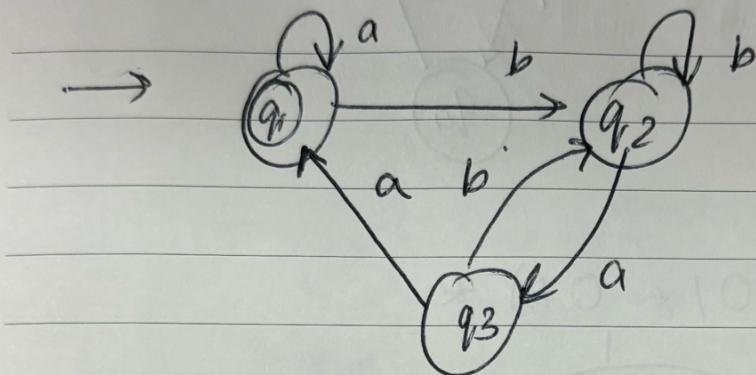


Tutorial 6 -

- Convert FA to RE using Arden's theorem.



$$q_1 = \epsilon + q_1 a + q_3 a$$

$$q_2 = q_1 b + q_2 b + q_3 b$$

$$q_3 = q_2 a$$

$$q_2 = q_1 b + q_2 b + q_2 a b$$

$$\therefore q_2 = q_1 b + q_2 (b + a b)$$

$$\underline{q_2} = q_1 b (b + a b)^* \quad \dots \quad R = \emptyset + R P$$

$$R = \emptyset P^*$$

$$q_1 = \epsilon + q_1 a + q_3 a a$$

$$\therefore q_1 = \epsilon + q_1 a + q_1 b (b + a b)^* a a$$

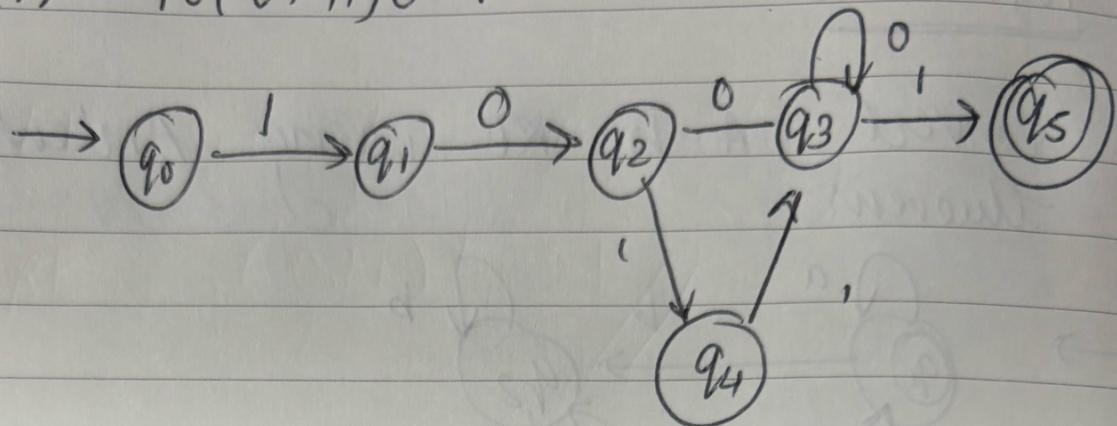
$$q_1 = \epsilon + q_1 (a + b (b + a b)^* a a)$$

$$q_1 = \epsilon (a + b (b + a b)^* a a)^*$$

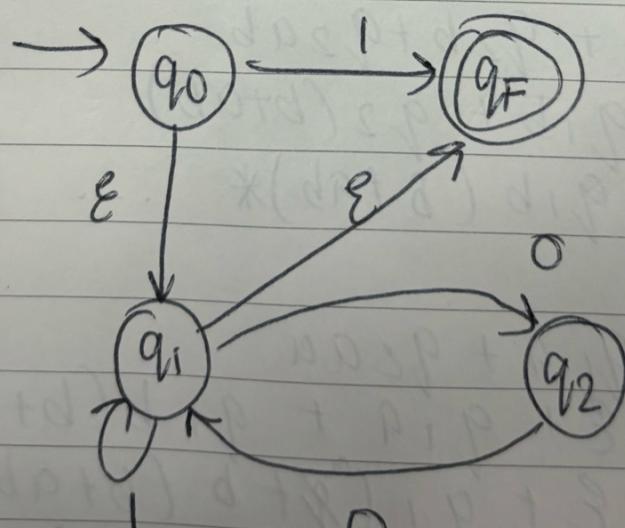
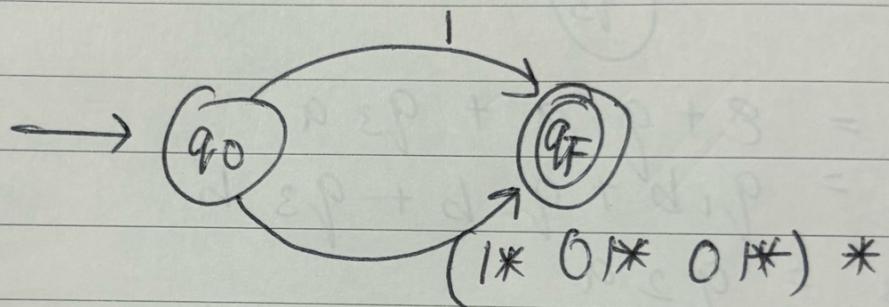
$$\dots \quad R = \emptyset P^*$$

∴

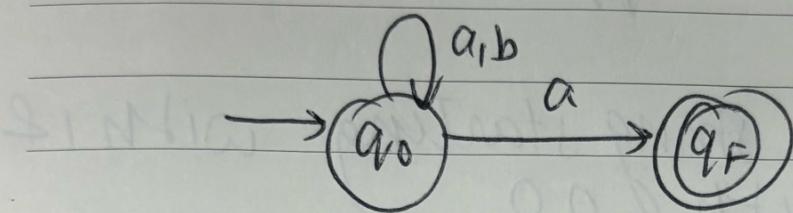
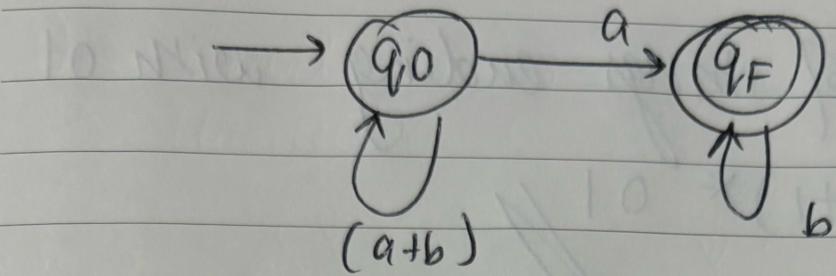
Q2. (i) $10(0+11)0*1$



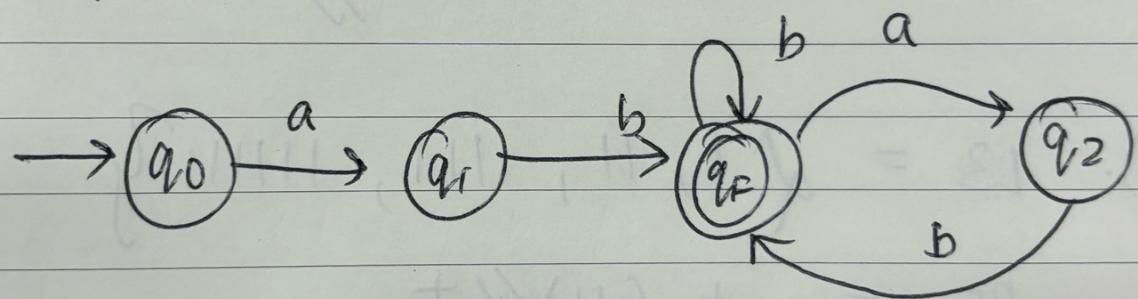
(ii) $1 + (1 * 01 * 01 *) *$



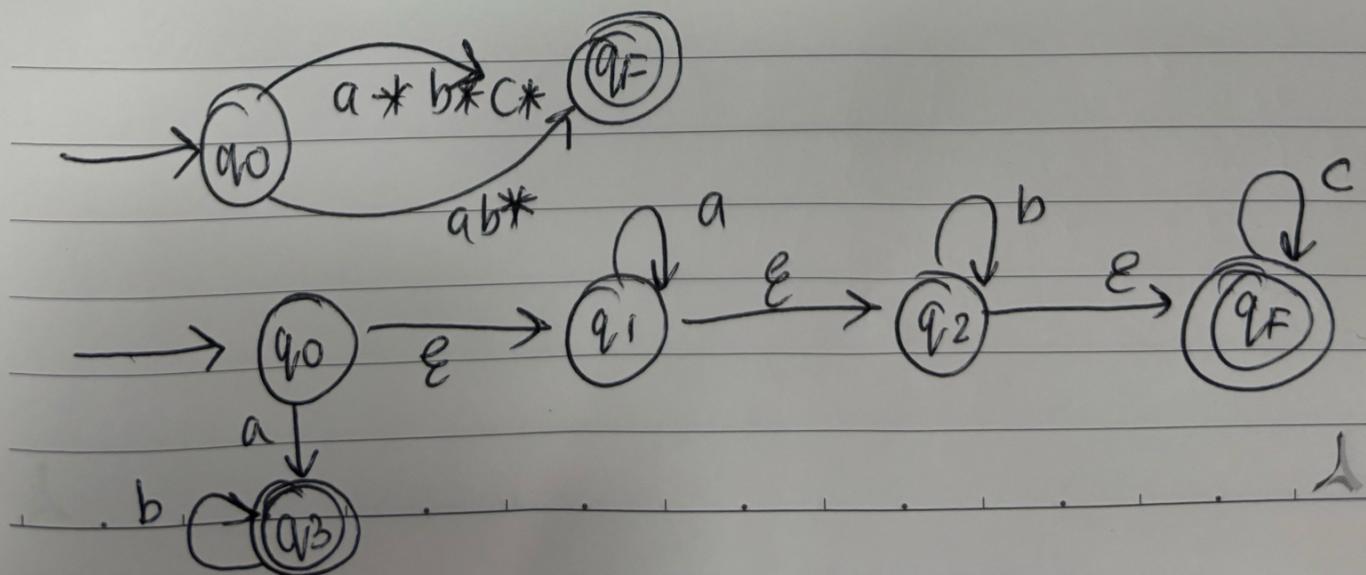
(iii). $(a+b)^* ab *$



(iv). $(ab)^*$



(v). $a^* b^* c^* + ab^*$



Q.3.

(i). L_1 = set of strings ending with 01

$$RE = (0+1)* \cancel{0} \cancel{1} //$$

(ii). L_2 = set of string starting with 10
ending with 00

$$RE = 1(0+1)* \cancel{0} \cancel{0} //$$

(iii). L_3 = {1, 11, 111, 111111}

$$RE = 1 + (11) \cancel{*} + //$$