

Forecasting Future Sales of Avocados

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Best Forecasting Model

Introduction



- Goal: Build a model to forecast future sales of avocados
- Predictions will be helpful for avocado industry participants (companies, farmers, etc.)
- Predicting future sales will make key players more prepared

The Dataset

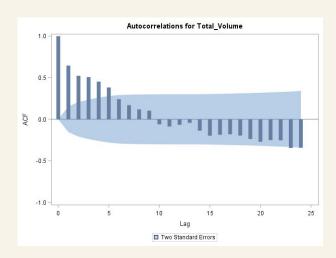
- Retrieved from Kaggle
- **18,250 observations** of avocado sales per state
- **3 years** of observations
- 13 numerical variables → 10 variables
- PROC SQL → mean(variable)

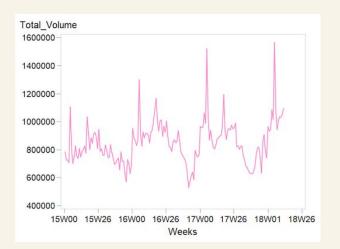
#	Variable	Type	Len	Format	Informat
2	AveragePrice	Num	8	BEST4.	BEST4.
1	Date	Num	8	DDMMYY10.	DDMMYY10.
9	Large_Bags	Num	8	BEST10.	BEST10.
8	Small_Bags	Num	8	BEST11.	BEST11.
7	Total_Bags	Num	8	BEST11.	BEST11.
3	Total_Volume	Num	8	BEST11.	BEST11.
10	XLarge_Bags	Num	8	BEST9.	BEST9.
4	_4046	Num	8	BEST11.	BEST11.
5	_4225	Num	8	BEST11.	BEST11.
6	4770	Num	8	BEST10.	BEST10.

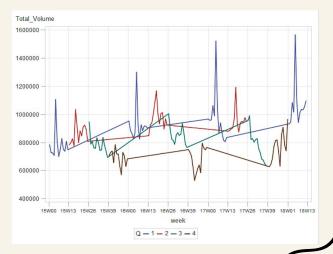
```
Eproc sql;
  create table avocado_t as
  select Date, mean(Total_Volume) as Total_Volume,
  mean(_4046) as small_size, mean(_4225) as large_size,
  mean(_4770) as xlarge_size,
  mean(Total_Bags) as Total_Bags,
  mean(Small_Bags) as Small_Bags,
  mean(Large_Bags) as Large_Bags, mean(XLarge_Bags) as XLarge_Bags
  from work.avacado
  group by Date;
  quit;
```

Identifying Patterns

- Trend component
- Seasonal component
- Autocorrelation → lags decrease slowly towards 0



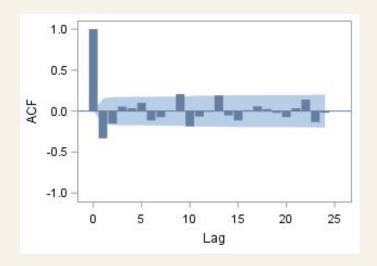






Identifying Stationarity

- Differenced dataset until we reach a positive Lag 1 followed by a sudden drop
 - This indicates that the dataset is now stationary



Forecast Horizon

- Forecast 1 year into the future
- As dataset is in weeks, we will forecast for approximately 52 weeks





Accuracy Measures

 MAD: Mean absolute deviation → average distance between each data value and the mean → a way of measuring variation in a dataset

 MAPE: Mean absolute percentage error → a measure of prediction accuracy → measures how accurate the forecasting method is

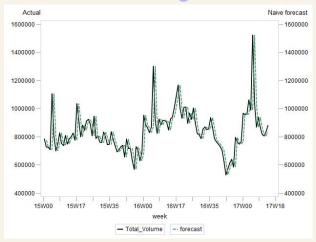
 RMSE: Root mean square error → the standard deviation of the residuals → measures difference between observed and predicted values

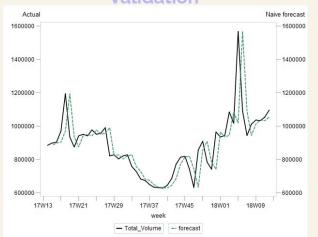
Naive Method

- Follows closely actual data
- Consistent under- and over-estimation
- Validation values higher than training → not suitable for forecasting
- Will be used as benchmark

MPE	MAPE	RMSE	MSE	MAD
8.94677%	(0.71877%)	123870.26	15343841306	79232.50
	ror term	Page Break idation er	Naive vali	
		idation er	Naive vali	
MPE	ror term			MAD

Training



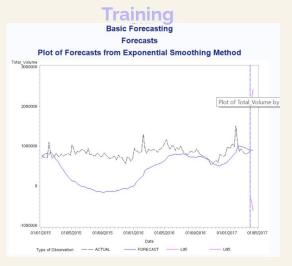


Simple Average

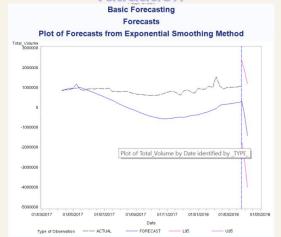
- Method does not forecast accurately
- Forecasted values are largely underestimated
- Is not representative of trend and seasonality
- MAD & RMSE better than Naive method

			Page Brea			
Obs	n	MAD	MSE	RMSE	MAPE	MPE
1	129	24972.85	1232546510.4	35107.64 (6.67%)	13.73%

Validation							
Obs	n	MAD	MSE	RMSE	MAPE		MPE
1	64	60786.93	5460657554	73896.26	21.21%	(18.75%)







Moving Average (3-MA)

- Training line plot very similar to original dataset
- Validation set over-smoothed and does not
- Model appears to be improvement, but errors are still very high

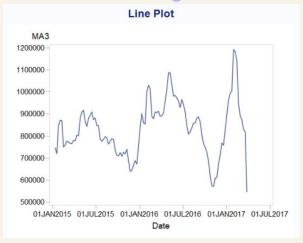
Training

Obs	n	MAD	MSE	RMSE	MAPE	MPE
1	169	24160.99	2029637457.8	45051.50	2.96% (0.34%)

Validation

Obs	n	MAD	MSE	RMSE	MAPE	MPE
1	52	40235.27	4986904690.8	70618.02	4.68%	(0.73%)

Training





Moving Average (5-MA)

- Higher order made curve smoother
- MAD, RMSE, MAPE → best forecasting model yet

Training

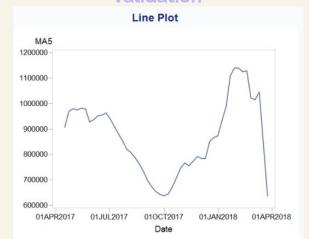
Obs	n	MAD	MSE	RMSE	MAPE	MPE
1	169	17609.00	1096608977.2	33115.09	2.23%	(0.39%)

Validation

Obs	n	MAD	MSE	RMSE	MAPE	MPE
1	52	31006.34	2764138280.3	52575.07	3.72%	(0.88%)

Training





Holt's Linear Exponential Smoothing

- Advanced smoothing technique
- Multiplicative method → seasonal variations increase
- MAD, RMSE, MAPE decreased → better model for medium-term forecasts
- Peak seasonality not as sharp as original dataset

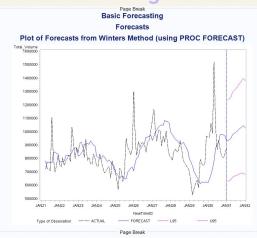
Training

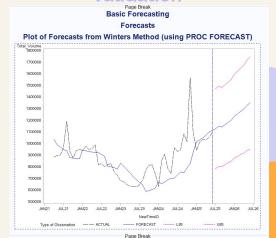
Obs	n	MAD	MSE	RMSE	MAPE	MPE
1	130	19638.41	743988808.55	27276.16	2.37%	0.22%

Validation

Obs	n	MAD	MSE	RMSE	MAPE	MPE
1	63	24019.72	1033644091.9	32150.34	2.78%	0.35%

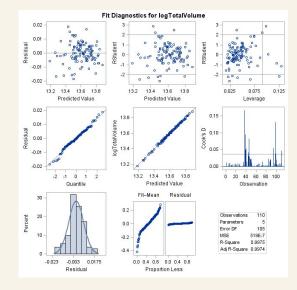
Training





Multiple Regression

- Performed 2 transformations:
 - Removed variables (multiple collinearity issues)
 - Logged remaining variables → to remove extreme values



		Pears		n Coefficients nder H0: Rho=			
	small_size	large_size	xlarge_size	Small_Bags	Total_Bags	Large_Bags	XLarge_Bags
amall also	1.00000	0.57505	0.27412	0.14996	0.08956	-0.05492	-0.05257
small_size		<.0001	0.0027	0.1051	0.3348	0.5547	0.5718
lorgo pias	0.57505	1.00000	0.70750	0.08926	0.11094	0.15336	0.03543
large_size	<.0001		<.0001	0.3364	0.2317	0.0973	0.7033
arasas aras	0.27412	0.70750	1.00000	0.13567	0.16291	0.18577	0.31814
xlarge_size	0.0027	<.0001		0.1430	0.0780	0.0440	0.0004
Cmall Dags	0.14996	0.08926	0.13567	1.00000	0.98802	0.84097	0.61159
Small_Bags	0.1051	0.3364	0.1430		<.0001	<.0001	<.0001
Tatal Dana	0.08956	0.11094	0.16291	0.98802	1.00000	0.91342	0.57907
Total_Bags	0.3348	0.2317	0.0780	<.0001		<.0001	<.0001
Large Dage	-0.05492	0.15336	0.18577	0.84097	0.91342	1.00000	0.36307
Large_Bags	0.5547	0.0973	0.0440	<.0001	<.0001		<.0001
VI arms Dans	-0.05257	0.03543	0.31814	0.61159	0.57907	0.36307	1.00000
XLarge_Bags	0.5718	0.7033	0.0004	<.0001	<.0001	<.0001	

Multiple Regression

- Lower MAD, RMSE, MAPE than Holt's
- Best model thus far

Training

Variable	Mean
square	1.0000990
abs	4340.34
proportion	1.249526E-6
abs proportion	0.0054476

Page Break Multiple Regression training error term

MAD	MSE	RMSE	MAPE	MPE
4340.34	1.00010	1.00005	0.00012%	0.54476%

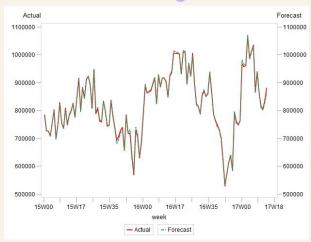
Validation

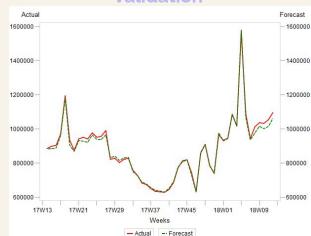
Variable	Mean
square	224139273
abs	11263.80
proportion	0.0060003
abs_proportion	0.0121212

Multiple Regression validation error term

M	AD	MSE	RMSE	MAPE	MPE
11263	.80	224139273.41	14971.28	0.60003%	1.21212%

Training

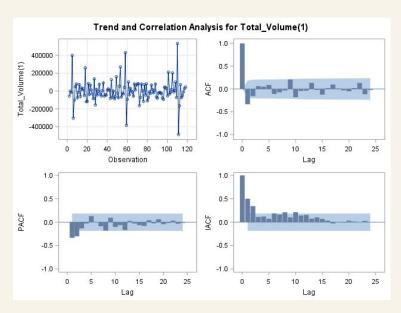




Box-Jenkins (ARIMA)

 Ran MA(1) and differentiation order 1 on a non-seasonal component → realized there is a seasonal component present at lag 9

• The arima model fitted to ARIMA (0,1,1)(0,1,1)9

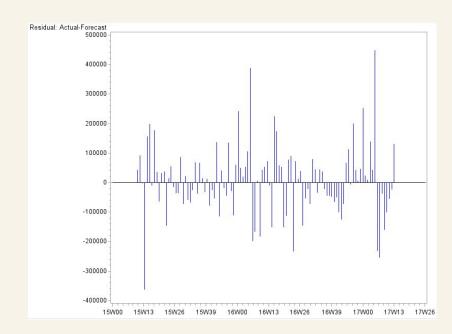


Conditional Least Squares Estimation					
Parameter	Estimate	Standard Error		Approx Pr > t	
MA1,1	0.45087	0.06992	6.45	<.0001	1
MA1,2	0.52991	0.07502	7.06	<.0001	9

Box-Jenkins (ARIMA)

- Not a great model in comparison other forecasting model
- Higher MAD than Holt's and Multiple Regression

79530.10 1306639	6354	114308.34	(0.01509%)	9 18725%
				J. 10/23/0
ARIM	A valid	dation er	ror term	



Best Forecasting Model

Forecast Method	MAD	MAPE	RMSE
Naive	75900.02	0.34686%	133356.60
Simple Average	24972.85	6.67%	35107.64
Moving average (3)	40235.27	4.68%	70618.02
Moving average (5)	31006.34	3.72%	52575.07
Holt's Linear Exponential Smoothing	24019.72 g	2.78%	32150.34
Multiple Linear Regression	11263.80	0.60003%	14971.28
ARIMA	181334.35	5.534%	229881.13

Thank you!

Any Questions?



Bibliography

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