

# Computer Systems

CS107

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# Today's Topics

- Wrap-up of C programming topics:
  - › Function pointers, callbacks
- Number representation
  - › Integer representation
  - › Signed numbers with two's complement

## NEXT TIME:

- Monday is last day of topics that will be included on next Friday's midterm
  - › Reasoning about special conditions with signed and unsigned
    - Overflow and underflow conditions
    - Comparison operators (< >) with signed and unsigned
  - › Bytes, bits, bitwise operators

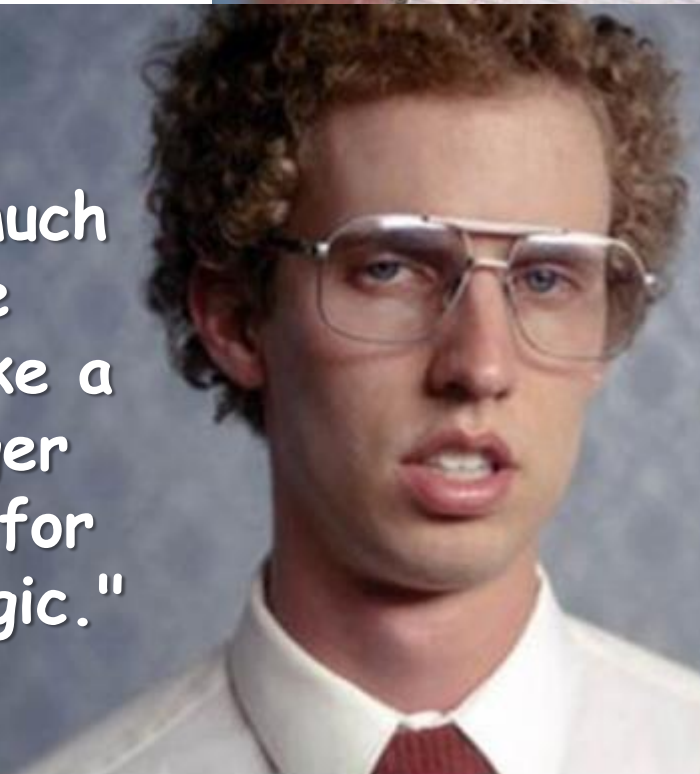
# More on building generics with void\* and function pointers

# How NOT to use void pointers

**Let's make a  
Liger!**



"It's pretty much  
my favorite  
animal. It's like a  
lion and a tiger  
mixed...bred for  
its skills in magic."



How can we (mis-)use our swap to write the string "liger" at mem addr 0xF0?

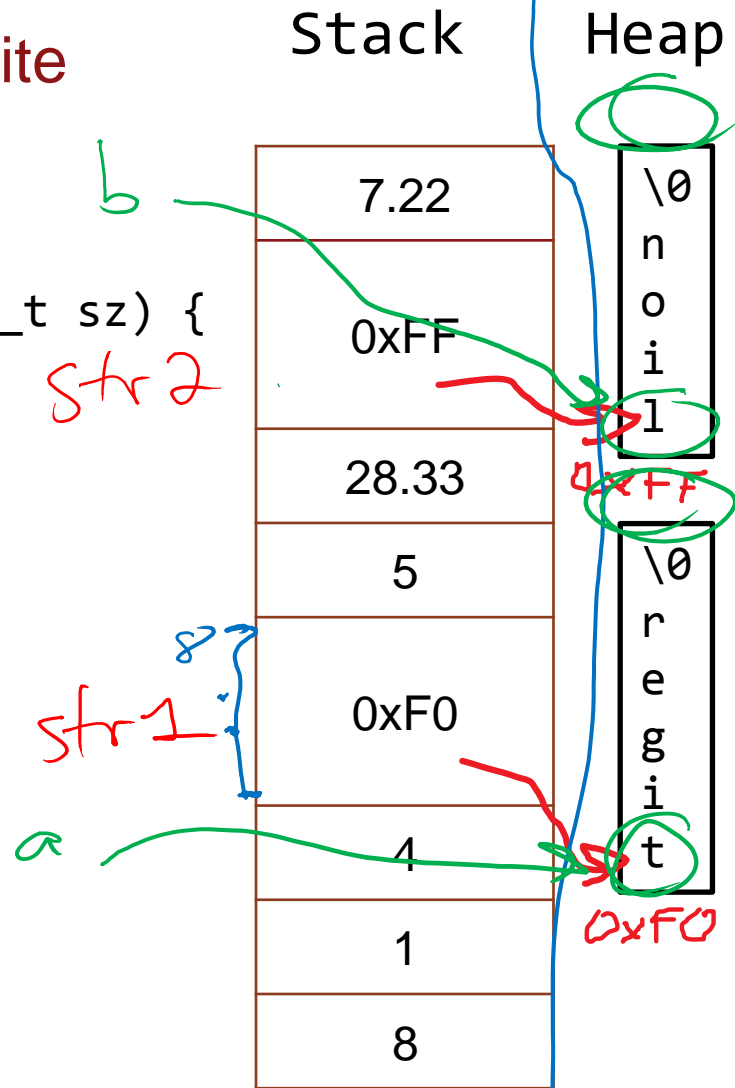
- Generic swap function:

```
void swap_any(void *a, void *b, size_t sz) {  
    char tmp[sz];  
    memcpy(tmp, a, sz);  
    memcpy(a, b, sz);  
    memcpy(b, tmp, sz);  
}
```

char \*str1 = strdup("tiger");

char \*str2 = strdup("lion");

- A. swap\_any(&str1, &str2, sizeof(char\*));
- B. swap\_any(&str1, &str2, sizeof(char));
- C. swap\_any(str1, str2, sizeof(char\*));
- D. swap\_any(str1, str2, sizeof(char)); 1 byte
- E. Other



## Even more horrifying hybrids!



- Generic swap function:

```
void swap_any(void *a, void *b, size_t sz) {  
    char tmp[sz];  
    memcpy(tmp, a, sz);  
    memcpy(a, b, sz);  
    memcpy(b, tmp, sz);  
}
```

- See if you can draw memory diagrams showing what happens in these examples of mis-usage:

```
int x = 8, y = 4;  
swap_any(&x, &y, sizeof(char));  
double dx = 3.75, dy = 9.21;  
swap_any(&dx, &dy, sizeof(int));  
int a = 8, b = 1;  
swap_any(&a, &b, sizeof(double));
```

7.22
9.21
28.33
5
3.75
4
1
8

# Function pointers



## Returning to our int max example

```
void *find_max_any(void *arr, int n, size_t sz,  
                  int (*cmp)(const void *, const void *)) {  
    void *max = arr;  
    for (int i = 1; i < n; i++) {  
        void *ith = (char *)arr + i * sz;  
        if (cmp(ith, max) > 0)  
            max = ith;  
    }  
    return max;  
}
```

return type

star

in parens, parameter list

name within find\_max\_any

```
int cmp_int(const void *a, const void *b) {  
    int one = *(int *)a, two = *(int *)b;  
    return one - two;  
}
```

```
int main(int argc, char *argv[]) {  
    int nums[] = {40, 99, 23, 45, 12, 45, 23, 59, 33, 92};  
    printf("%d\n", *(int*)find_max_any(nums, 10, sizeof(int), cmp_int));  
    return 0;  
}
```

# Generic functions/callbacks: USE WISELY!!

```
int cmp_int(const void *a, const void *b) {  
    int one = *(int *)a, two = *(int *)b;  
    return one - two;  
}
```

```
int main(int argc, char *argv[]) {  
    int nums[] = {40, 99, 23, 45, 12, 45, 23, 59, 33, 92};  
    printf("%d\n", *(int*)find_max_any(nums, 5, sizeof(double), cmp_int));  
}
```

shark

bear

octopus

```
void *find_max_any(void *arr, int n, size_t sz,  
                   int (*cmp)(const void *, const void *)) {  
    void *max = arr;  
    for (int i = 1; i < n; i++) {  
        void *ith = (char *)arr + i*sz;  
        if (cmp(ith, max) > 0)  
            max = ith;  
    }  
    return max;  
}
```



# Generic functions/callbacks: USE WISELY!!



```
int cmp_int(const void *a, const void *b) {  
    int one = *(int *)a, two = *(int *)b;  
    return one - two;  
}  
  
int main(int argc, char *argv[]) {  
    int nums[] = {40, 99, 23, 45, 12, 45, 23, 59, 33, 92};  
    printf("%d\n", *(int*)find_max_any(nums, 5, sizeof(double), cmp_int));  
}
```

Diagram illustrating the memory layout of the array `nums` and the arguments passed to `find_max_any`:

- Array `nums`: {40, 99, 23, 45, 12, 45, 23, 59, 33, 92}
- Arguments to `find_max_any`: `nums` (points to the first element, 40), `5` (points to the 5th element, 12), `sizeof(double)` (points to the 6th element, 45), and `cmp_int` (points to the 7th element, 23).

Labels below the array elements:

- shark (under 40)
- bear (under 99)
- octopus (under 23)

```
void *find_max_any(void *arr, int n, size_t sz,  
                  int (*cmp)(const void *, const void *)) {  
    void *max = arr;  
    for (int i = 1; i < n; i++) {  
        void *ith = (char *)arr + i*sz;  
        if (cmp(ith, max) > 0)  
            max = ith;  
    }  
    return max;  
}
```

PREDICT: What is printed?

- ~~(a) Nothing—compiler error~~
- ~~(b) Nothing—crashes~~
- (c) 99
- (d) 40
- (e) Unpredictable /other

# Binary




# Bits and Bytes

THE BUILDING BLOCKS OF EVERYTHING IN THE COMPUTER

## Bits and Bytes: essential facts

- “Bit” is a **b**inary digit, 0 or 1
- “Byte” is 8 bits (one char)
- Our system is “byte-addressable,” meaning each address refers to storage space for 1 byte
- The char, short, int, long family of types:
  - › **char** is 1 byte = 8 bits
    - $2^8 = 256$  possible char values
  - › **short** is 2 bytes = 16 bits
    - $2^{16} = 65,536$  possible short values
  - › **int** is 4 bytes = 32 bits
    - $2^{32} = 4,294,967,296$  possible int values (~4 billion)
  - › **long** is 8 bytes = 64 bits
    - $2^{64} = 18,446,744,073,709,551,616$  possible long values (~18 quintillion)



A person is wearing a black t-shirt with a white text design. The text is a humorous take on the '10 types of people' meme, specifically related to computer science. The text is centered on the chest and reads: 'There are only 10 types of people in the world: Those who understand binary and those who don't.'

There are only  
10 types of people  
in the world:  
Those who  
understand binary  
and those who don't.

Bits as *Unsigned Base*  
2 Numbers

## Self-test: Integer representation in binary

What is the unsigned 4-bit binary representation of 14?

a) 1111

$$= 8 + 4 + 2 + 1 = 15$$

b) 1110

$$= 8 + 4 + 2 = 14$$

c) 1010

$$= 8 + 2 = 10$$

d) Other

$$101_2 = 5_{10}$$



## Self-test: Integer representation in binary

What is the base-10 equivalent of the unsigned 4-bit binary number 1010?

- a) 20
- b) 101
- c) 10
- d) 5
- e) Other

## Hexadecimal (base 16)

Base 10	Base 2 (4-bit)	Base 16
0	0000	0
1	0001	1
2	0010	2
3	0011	3
4	0100	4
5	0101	5
6	0110	6
7	0111	7
8	1000	8
9	1001	9
10	1010	A
11	1011	B
12	1100	C
13	1101	D
14	1110	E
15	1111	F

Base 16:

0xFO

Base 2: 1111 0000

## Self-test: Integer representation in hexadecimal

What is the unsigned binary equivalent of the unsigned hexadecimal number 0x2BEEF1?

Handwritten conversion of 0x2BEEF1 to binary:

0010	1011	1110	1110	1111	0001
<u>        </u>	<u>        </u>	<u>        </u>	<u>        </u>	<u>        </u>	
2	B	E	E	F	1

# Bits as *Signed* Base 2 Numbers

## Self-test: Two's complement

What is the base-10 equivalent of the signed (two's complement) 4-bit binary number 1010?

- a) -10
- b) 10
- c) 11
- d) -11
- e) 5
- f) -5
- g) 6
- h) -6
- i) Other

## What is the maximum value for a int32?



I can never remember that number. I need a memory rule.

606

integer



share improve this question



92

edited May 28 '14 at 14:09



Ben Hoffstein

49.5k 5 66 101

asked Sep 18 '08 at 17:18



Flinkman

5,181 4 18 48

107 Why would you need the exact number? I remember " $2^{31}-1$ " or " $\pm 2$  billion" and that's good enough for everything I ever needed. – Joachim Sauer Mar 3 '09 at 11:21

27 unsigned:  $2^{32}-1 = 4 \cdot 1024^3 - 1$ ; signed:  $-2^{31} \dots +2^{31}-1$ , because the sign-bit is the highest bit. Just learn  $2^0=1$  to  $2^{10}=1024$  and combine.  $1024=1k$ ,  $1024^2=1M$ ,  $1024^3=1G$  – comonad Mar 28 '11 at 20:01

6 I generally remember that every 3 bits is about a decimal digit. This gets me to the right order of magnitude: 32 bits is 10 digits. – Barmar Oct 2 '13 at 15:11

### 30 Answers

active

oldest

votes



It's 2,147,483,647. Easiest way to memorize it is via a tattoo.

2397

share improve this answer



edited Oct 20 '14 at 16:30



Allbite

1,415 1 13 15

answered Sep 18 '08 at 17:20



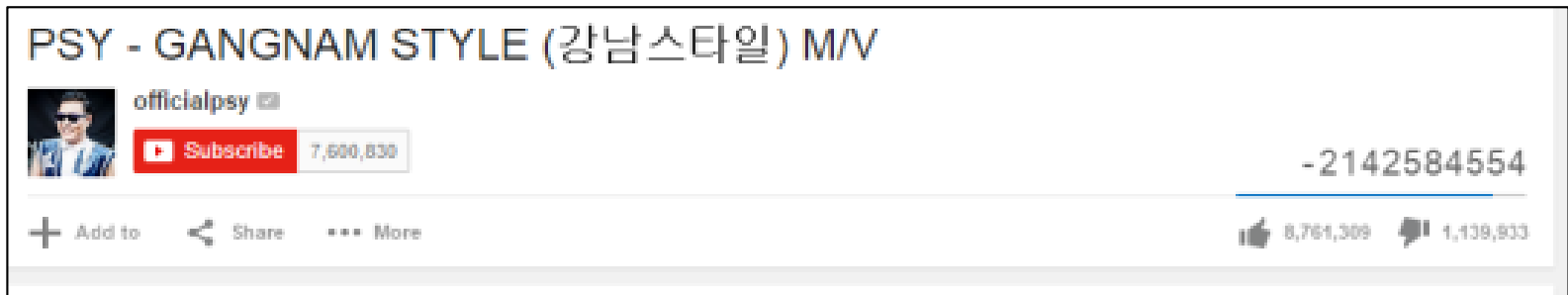
Ben Hoffstein

49.5k 5 66 101

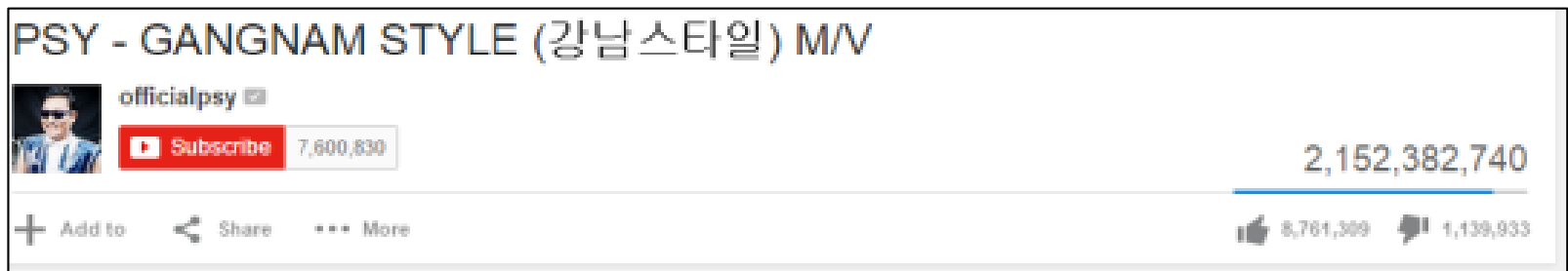


# Overflow in two's complement

- In two's complement, when you exceed the maximum value of int (2,147,483,647), you “wrap around” to negative numbers:



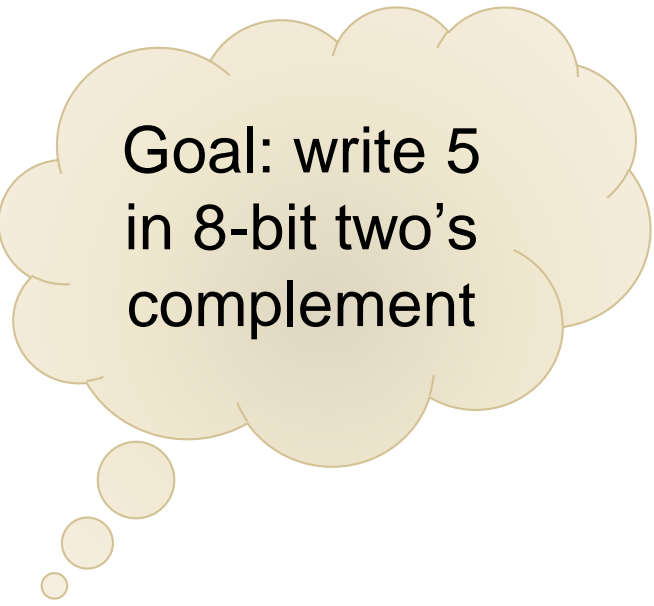
- Here is the link after Google upgraded to 64-bit integers:



# Signed integers with two's complement representation



# Signed integers with two's complement

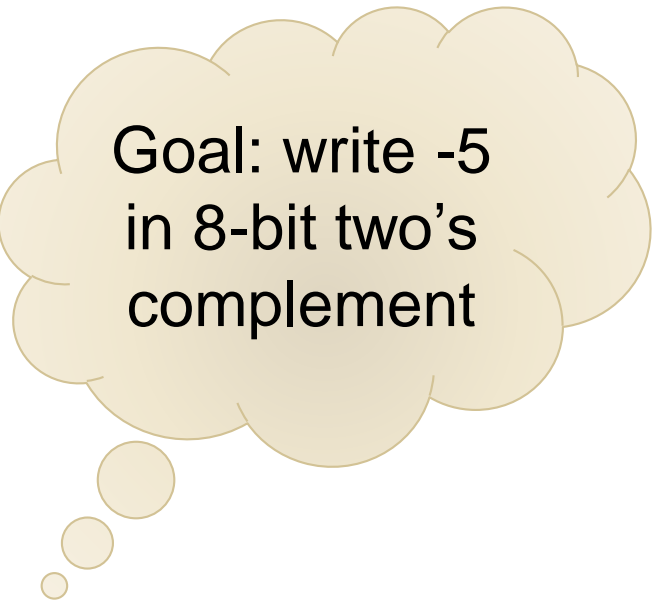


Goal: write 5  
in 8-bit two's  
complement

Steps to write a positive (or zero) number in two's complement:

1. Write the number in usual unsigned binary representation
2. Make sure that the number will “fit” in the number of bits you have
  - › For positive numbers, there needs to be at least one zero in the most significant (leftmost) bit
  - › 00000101 (no problem for 5 in 8 bits)
3. Done!
  - › Answer: 00000101

# Signed integers with two's complement



Goal: write -5  
in 8-bit two's  
complement

Steps to write a negative number in two's complement:

1. Write the *absolute value* of the number in usual unsigned binary representation
2. Make sure that the number will “fit” in the number of bits you have
  - › Since we are writing the absolute value, a positive number, there needs to be at least one zero in the most significant (leftmost) bit\*
  - › 00000101 (no problem for 5 in 8 bits)
3. “Flip” each bit ( $0 \rightarrow 1$ ,  $1 \rightarrow 0$ )
  - › 00000101  $\rightarrow$  11111010
4. Add one
  - › 11111010  $\rightarrow$  11111011
5. Done!
  - › Answer: 11111011

\* There is one negative number whose positive number won't “fit”—more on this Friday