

Homework 5, Simulation

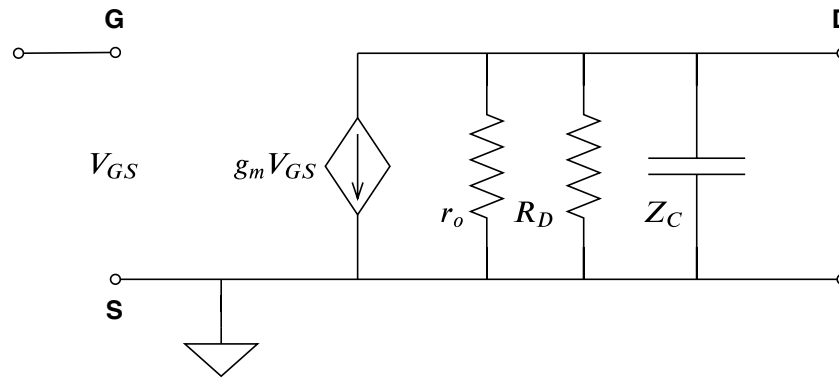
EE 311
April 6, 2020

Kevin Evans
ID: 11571810

The amplifier specifications are given as:

- Low frequency gain: exceeding 12 dB (4 V/V)
- Bandwidth: exceeding 500 MHz
- VDD: 1.2 V

For this circuit, the small-signal equivalent is:



From this, the amplifier gain G_v is given as

$$\begin{aligned} G_v &= g_m (r_o \parallel R_D \parallel Z_C) \\ &= g_m R_{eq} \end{aligned}$$

As the capacitor has a fairly tiny value, this will be fairly negligible at lower frequencies. Nearing the bandwidth frequency, its impedance will affect the output fairly significantly,

$$Z_C \Big|_{500 \text{ MHz}} = \frac{1}{j\omega C} \approx 6.4 \text{ k}\Omega$$

Knowing this, we must choose a drain resistance R_D value that is less than Z_C . The transconductance and dynamic resistance is given as

$$\begin{aligned} g_m &= \sqrt{2 k_n \frac{W}{L} I_D} \\ r_o &= \frac{1}{\lambda I_D} \end{aligned}$$

From this, we can calculate R_D for any I_D and aspect ratio for a target gain of 4 V/V,

$$\begin{aligned} R_D &= (R_{eq}^{-1} - r_o^{-1}) \\ &= \left(\frac{g_m}{4} - r_o^{-1} \right) \end{aligned}$$

From the last simulation assignment (HW 2), we obtained the I_D - V_{ds} characteristics for this NMOS transistor at its default W/L ratio. From these curves, we can somewhat arbitrarily choose a bias current of $I_D = 80 \mu\text{A}$. If we use MATLAB to simply calculate the resistance, we can iterate through potential values of W/L until we find a resistance R_D that is near Z_C at higher frequencies.

```
% parameters to try out
I_d    = 80e-6;                % drain current (A)
WL     = 32;                  % aspect ratio (um/um)

% const params, given in model file
Kn     = 210.88e-6;           % (A/V^2)
L      = 1.127257;           % lambda
Av     = 4;                  % gain (V/V)
Vtn    = 0.3074;             % threshold voltage (V)
Vdd    = 1.2;                % PS voltage (V)

% intermediate calculations
g_m    = sqrt(2*Kn*I_d*WL);   % transconductance
r_o    = 1 / (L*I_d);         % dynamic resistance
R_eq   = Av / g_m;           % total output resistance

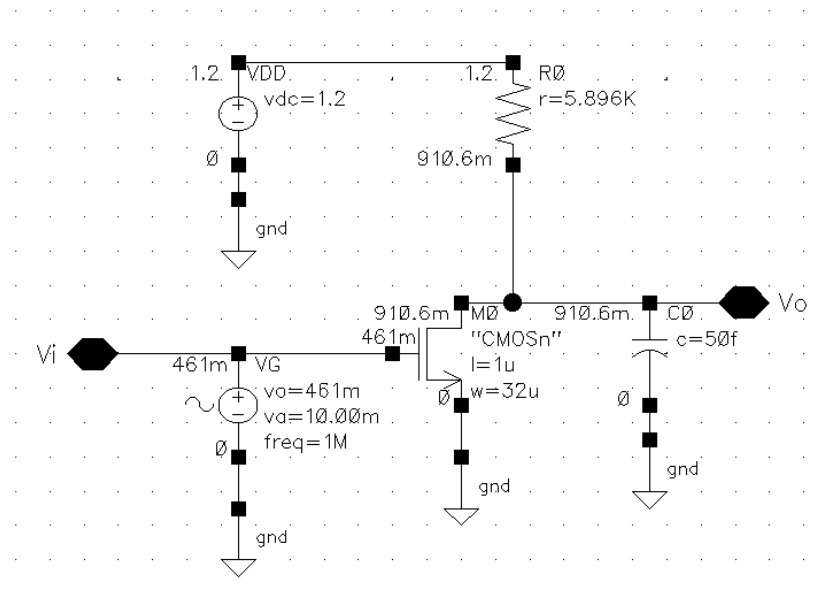
% target values
R_d    = 1/(1/R_eq - 1/r_o);  % omitting the Zc
V_ov   = sqrt(2 * I_d / (Kn * WL)); % overdrive voltage
V_g    = V_ov + Vtn;         % gate voltage
V_d    = Vdd - I_d * R_d;     % drain voltage @ I_d

disp("-----");
disp("Resistance      = " + R_d + " ohm");
disp("Gate voltage    = " + V_g + " V (DC)");
disp("Drain voltage    = " + V_d + " V (DC)");
```

MATLAB output:

```
Resistance      = 5896.5168 ohm
Gate voltage    = 0.46138 V (DC)
Drain voltage    = 0.72828 V (DC)
```

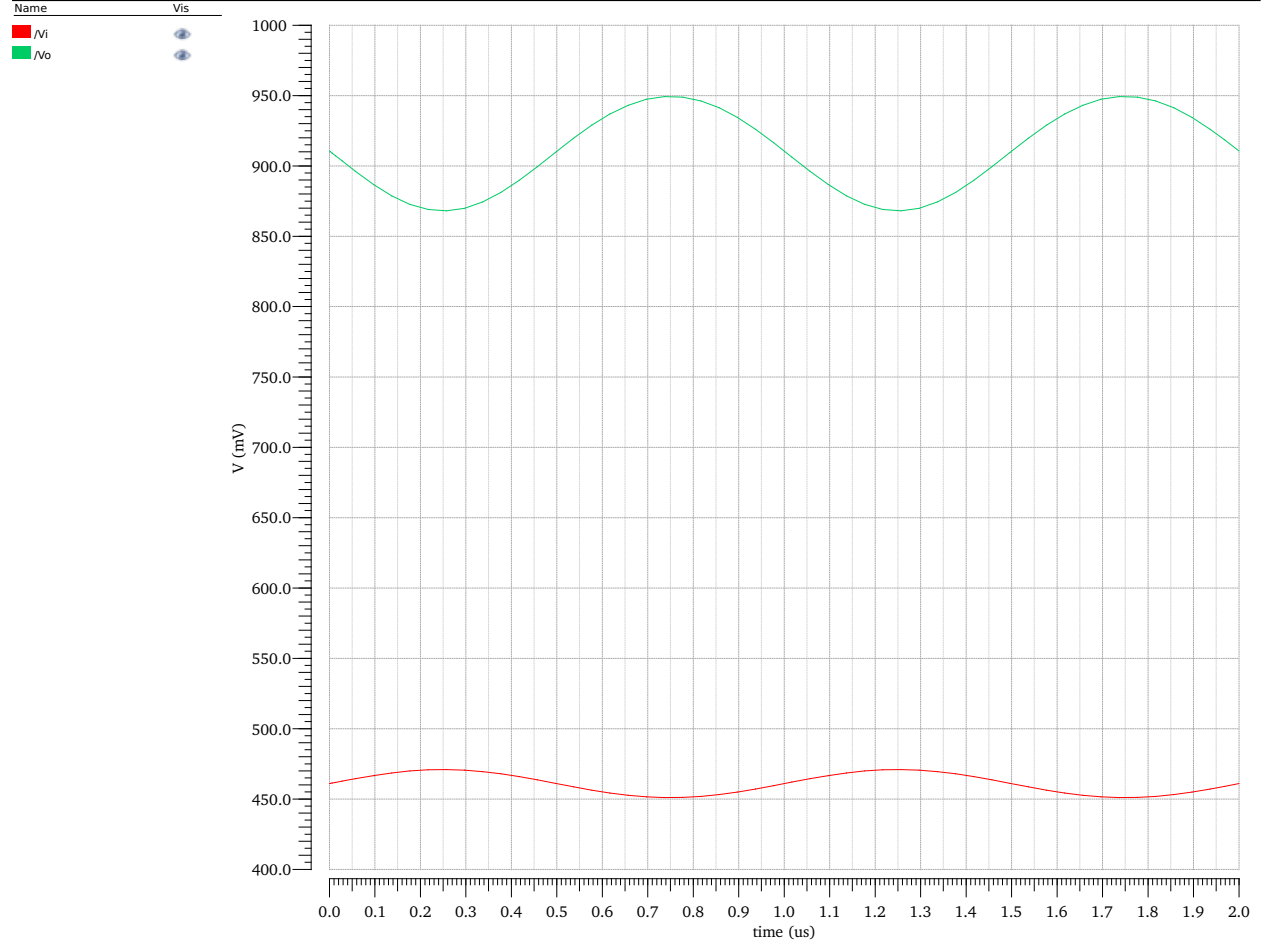
At $80\text{ }\mu\text{A}$, a W/L ratio of $32\text{ }\mu\text{m}/\mu\text{m}$ should produce a gain of 4 V/V with a drain resistance of $5.9\text{ k}\Omega$, which is less than the impedance of the capacitor at the upper-bandwidth frequencies. At this bias current, the gate voltage will need to be biased at 461 mV . In Cadence, the circuit was built with these values:



Running the simulation, the low frequency gain is 12.2 dB with a 3 dB frequency around 516 MHz . This exceeds the specifications.

Transient Response

Wed Apr 8 16:59:25 2020



AC Response

Wed Apr 8 16:59:25 2020

