Al Assignment #1 0416206 李明峻

Data Structure:

1.struct Word: this is the data structure of word dictionary
2.struct Node: this is the data structure of the variables(nodes), which represents the row or column of the problem map, it contains the domain of this nodes.
3.struct Constraint: this is the data structure of the constraint of nodes, representing the intersection of two vertical nodes, it contains the coordinate of the intersection point and the relevant nodes index.
4.struct NodeAnswer: this is the data structure of the assignment of each node.

5.struct SearchNode: this is another data structure of node while expanding the node, the reason that I create this data structure is I have to record the assignment of each step(node expansion), including the node index of the selected node and the word of its domain to be assigned; and the unvisited node array; also store the

struct Word{ string s; int length; struct Node{ vector<string> domain; int len; struct Constraint(int coordX: int coordY; int nodeId1;
int nodeId2;): struct NodeAnswer{ string ans; int nodeIndex; struct SearchNode(NodeAnswer nodeAns; vector<int> unvisitedId; vector<NodeAnswer> confirmAns; vector<Node> nodeInfo;

confirmed assignment information of nodes, which can help me break out the loop, the goal is to store the final solution of this problem; finally, vector<Node> nodeInfo is to store the domain of all the node, because after AC-3 trimming, the domain would be checked and modified under any circumstance.

Method: first step, I use unary constraint (word length) to trim the domain, then I create a queue to store the binary constraint of all the nodes (binary constraint is the constraint created by intersection of two nodes), then I do the first time AC-3 process to trim the domain, the AC-3 algorithm process is: Check all the constraint by the nodes pair in the queue, starting from the beginning of the queue, according to each constraint's intersection coordinate and some information to further filter the domain of each node, the most important part is that after I check out one constraint, I will push it to a vector, next time when I modify the relevant node's domain of this constraint, I will again push this constraint to the original queue, because this constraint's domain need to be checked again, and remember to pop out that constraint from the vector names "modifiedConstraint". After first step domain processing, the domain of each node has shrink a lot, this can speed up my searching step, then I start to search (node expansion), firstly, I create a stack to store the nodes to be expanded, every time getting a node popped from the stack top, I will choose a word from its domain to fit in this variable as the domain of this node, and this word is the only word in the domain, so the domain size of this node would be 1, then pass this information to the AC3 function, to check whether this word can be the answer or not, if it fails to pass AC3 algorithm (some node's domain become empty), it will return false and keep searching another word from its origin domain, until find a word that can pass AC3

algorithm, keep doing this process, until I find that the assignment record list ("confirmAns") size is equal to the number of all nodes, this means I find all the certain answer of each node, then break out the loop, then finishing searching.

Results:

My result is on the right, my program will jump out while finding one solution, so the answer would be only one no matter how many times I run, because the dictionary words order stand still all the time, so does the order I find the solution.

Observation:

1. How the numbers of visited nodes change with or without any of the heuristics?

ANS: The number of searching node with heuristics would much less than the method without heuristics, because with heuristics, we can filter out much more abundant words, which efficiently speed up our trimming process, we can skip a lot of unnecessary path when searching for solution.

2. How the numbers of visited nodes change with or without the initial run of AC-3?

ANS: Obviously, if trimming the initial domain by AC-3, the number of visited nodes would drop down, because before node expansion, we can shrink node's domain as much as possible, in order to make the testing domain much smaller while searching for the suitable domain that can pass AC-3.

3.Is it possible to do a complete search (not stopping when solutions are found) and determine the numbers of valid solutions for the different puzzles?

ANS: it's absolutely possible to find all the solution of one problem, in my program, just keep searching while finding one answer, don't break out when finding a solution, jump out once all the domain has been checked,

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isited node number : 5
 use
 to
 sited node number : 6
 isited node number : 6
visited node number : 12
 against
 earnings
 aide
 central
 cable
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Experience:

For the degree heuristics, I found that pop out the node that has the most constraints from the stack really help for deduce searching step, because degree heuristics limit the domain of those nodes which have higher number of constraints, so the domain is very small at the beginning of the search, this brings high probability that the searching node can be reduced at the end of the searching step, guaranteeing all the process can be efficient enough.

And for AC-3 algorithm, I think the performance is good when the problem is small, like this assignment, but if the problem size become huge, and the dictionary also contains a large amount of words, the efficiency won't be that good, maybe we have to find out more effective algorithm to solve this problem, and find another way to process the data.