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CPSC 335-08

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Project 2 Crane Problem

Exhaustive Algorithm Solution Pseudocode & Time Analysis

function crane_unloading_exhaustive(setting: grid) -> path:

// Check if grid dimensions are valid

assert(setting.rows() > 0) --> 1

assert(setting.columns() > 0) ---> 1

// Calculate the maximum number of steps allowed

max_steps = setting.rows() + setting.columns() - 2 --> 1

// Check if the maximum number of steps is within bounds

assert(max_steps < 64) --> 1

// Initialize the best path as the initial setting

best = path(setting) --> 1

// Iterate over different step counts

for steps = 1 to max_steps: --> n

// Generate all possible combinations of steps

```

mask = 1 << steps --> 1
for bits = 0 to mask - 1: --> n^2

    // Create a candidate path
    candidate = path(setting) --> 1

    // Initialize validity flag
    valid = true --> 1

    // Iterate over each bit in the combination
    for i = 0 to steps - 1: --> n

        // Extract the bit value
        Int bit; --> 1
        bit = (bits >> i) & 1 ----> 2

        // Check the bit and add corresponding step to the candidate path
        if bit == 1: --> 1
            if candidate.is_step_valid(STEP_DIRECTION_EAST): --> 1
                candidate.add_step(STEP_DIRECTION_EAST) --> 1
            else:
                if candidate.is_step_valid(STEP_DIRECTION_SOUTH): --> 1
                    candidate.add_step(STEP_DIRECTION_SOUTH) --> 1

        // Check if the candidate path is valid and has more cranes than the current best path
        if valid and (candidate.total_cranes() > best.total_cranes()): --> 1
            best = candidate --> 1

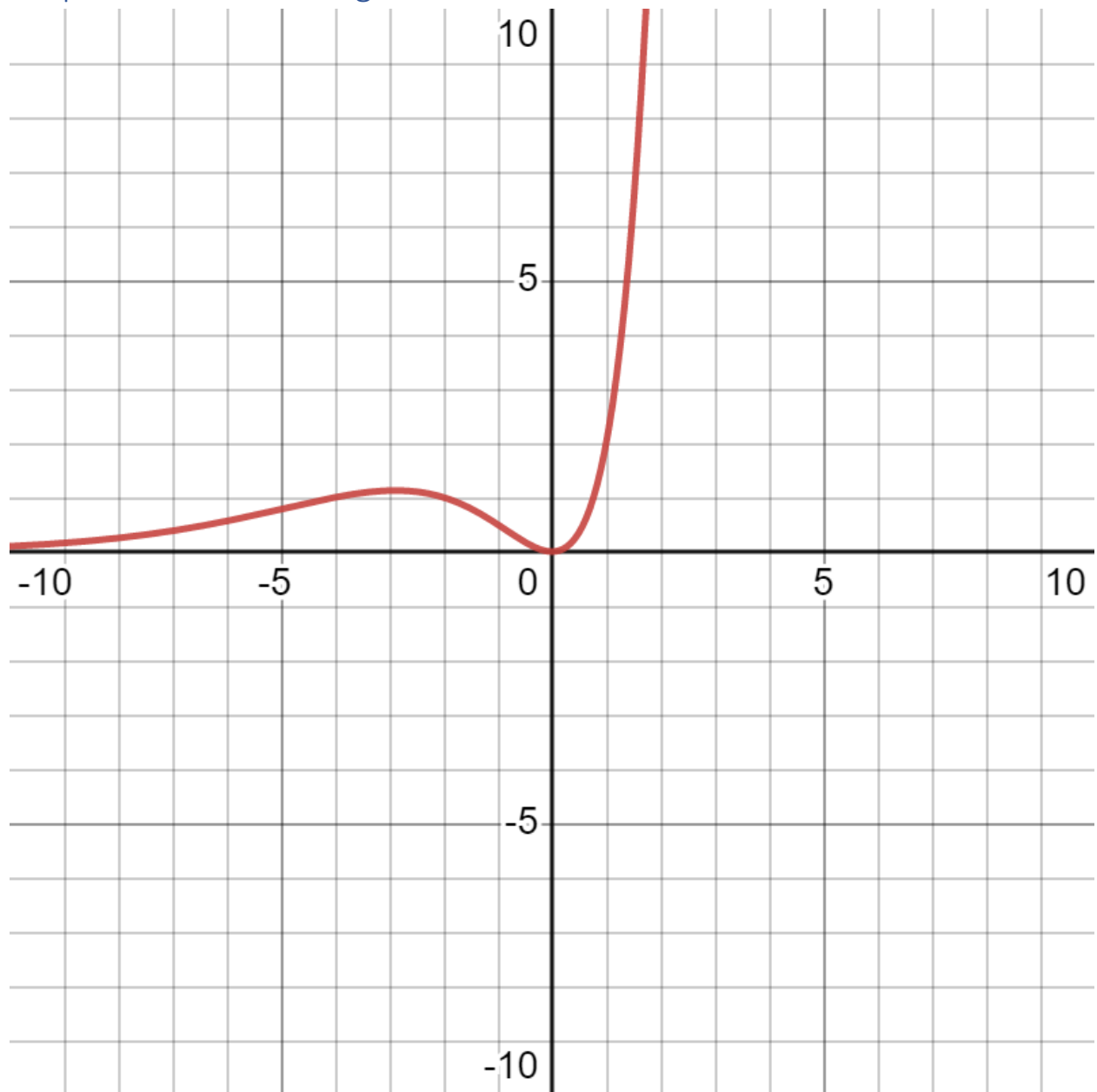
    // Return the best path found

```

return best --> 1

Calculation: $5 + n \cdot (2^n + (2 + (n + 10))) + 1 = O(n^2 \cdot 2^n)$

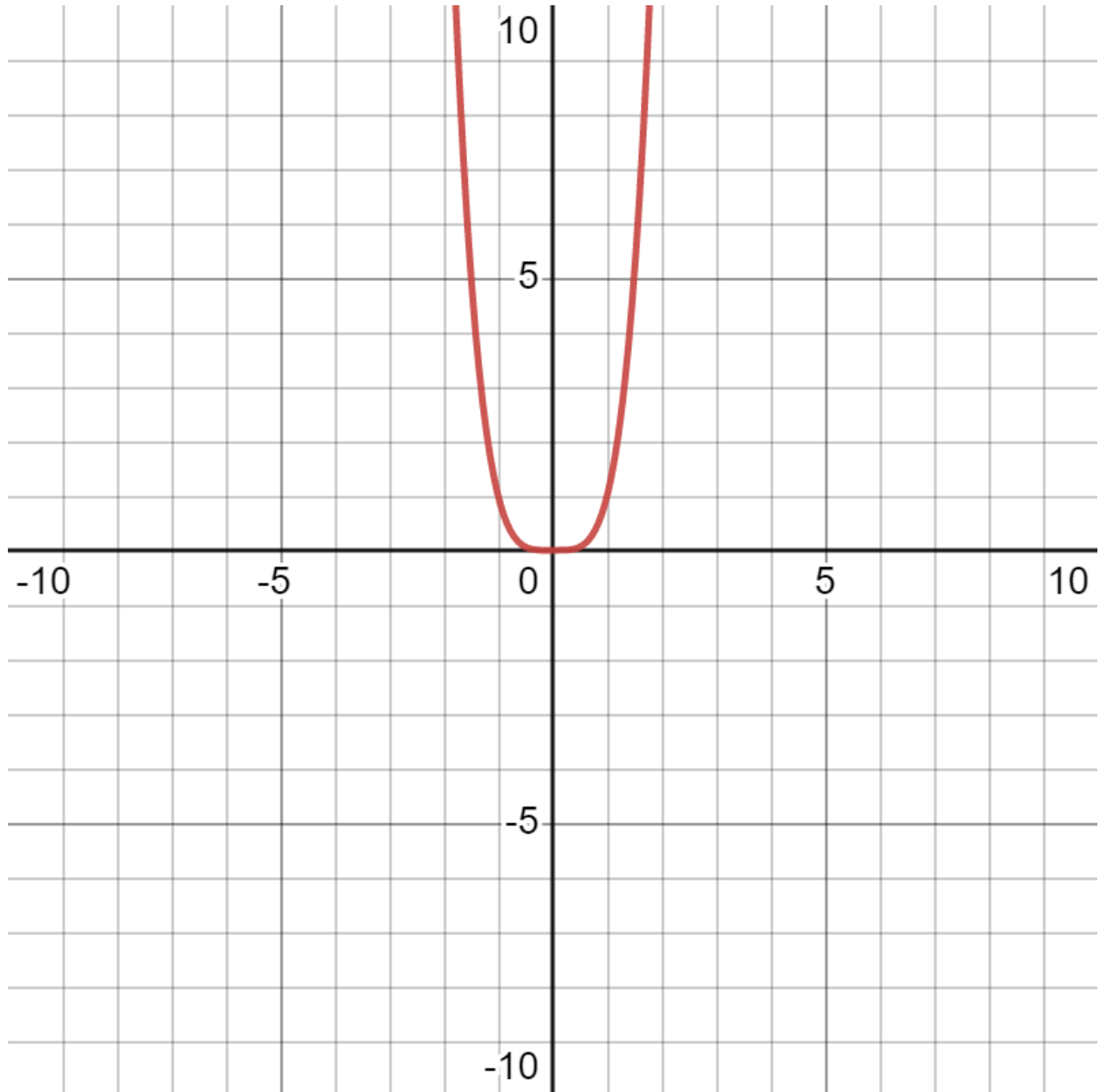
Graph for Exhaustive Algorithm



Dynamic Algorithm Solution Pseudocode & Time Analysis

Calculation: $O(n^4)$

Graph for Dynamic Algorithm



Questions

3. Is this evidence consistent or inconsistent with hypothesis 1? Justify your answer. The evidence is consistent with hypothesis 1 because after calculating the time complexity for dynamic and exhaustive dynamic ended up being faster than exhaustive because dynamic is $O(n^4)$.