# Machine Learning

NRES 746 Fall 2018

For those wishing to follow along with the R-based demo in class, click here for the companion R script for this lecture.

Now we will run the same titanic analysis, but using a machine learning method- in this case, Random Forest. Just for kicks!

Let's set up the workspace with the functions and packages we need!

```
suppressMessages(suppressWarnings(library(party)))
source_github <- function(baseurl,scriptname) {
    # load package
    suppressMessages(suppressWarnings(require(RCurl)))

# read script lines from website
    url <- sprintf("%s%s",baseurl,scriptname)
    script <- getURL(url, ssl.verifypeer = FALSE)

script <- gsub("\r\n", "\n", script)  # get rid of carriage returns (not sure why this is necessar

# parse lines and evaluate in the global environement
    eval(parse(text = script), envir= .GlobalEnv)
}
baseurl = "https://raw.githubusercontent.com/kevintshoemaker/Random-Forest-Functions/master/"
source_github(baseurl, "RF_Extensions.R")</pre>
```

First, we read in the data

```
titanic <- read.csv("titanic.csv",header=T)
head(titanic)</pre>
```

When using categorical variables, we should make sure they are encoded as factors, not as numeric. Use class(data\$Resp) to check the encoding, and use as.factor(data\$Resp) to encode your vector as a factor.

```
titanic$Survived <- as.factor(titanic$Survived)</pre>
```

Now let's define the predictors and response:

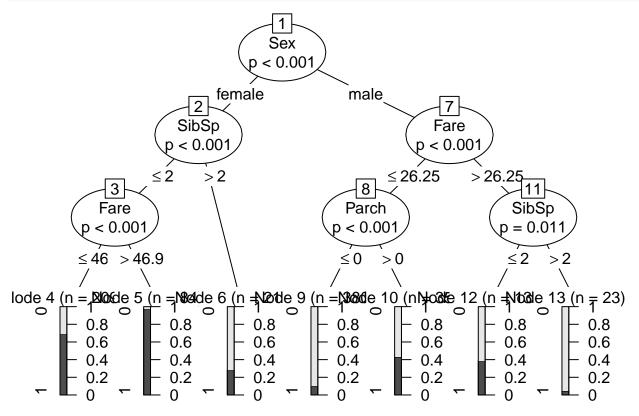
```
# cbind(pred.names,predictorNames)
response="Survived"

formula1 <- as.formula(paste(response,"~",paste(pred.names,collapse="+")))  # formula for the RF mode</pre>
```

#### Run a conditional inference tree

This is also known as a CART analysis- single tree!

```
TerrMamm.tr <- ctree(formula=formula1, data=titanic, controls = ctree_control(mincriterion = 0.85, maxdegate)
plot(TerrMamm.tr)
```



But remember that a single tree is not very robust- these are very liable to over-fitting! Random forest gets around this using random sampling in several creative ways!

Like most machine learning algorithms, we can "tune" the algorithm in several different ways. If this were a "real" analysis, I would try several alternative tunings.

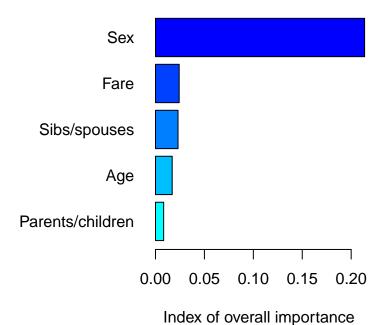
```
cforestControl <- cforest_unbiased(ntree=500,mtry=3) # change back to 500!!
cforestControl@fraction <- 0.75
cforestControl@gtctrl@mincriterion <- 0.75</pre>
```

```
rf_model1 <- cforest(formula1, controls=cforestControl, data=titanic)</pre>
```

### Variable importance

One thing we can easily get from a RF analysis is an index of the relative importance of each predictor variable

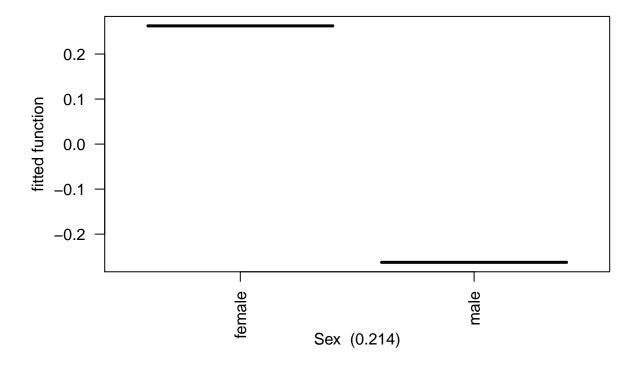
# **Order of Importance of Predictor Variables**

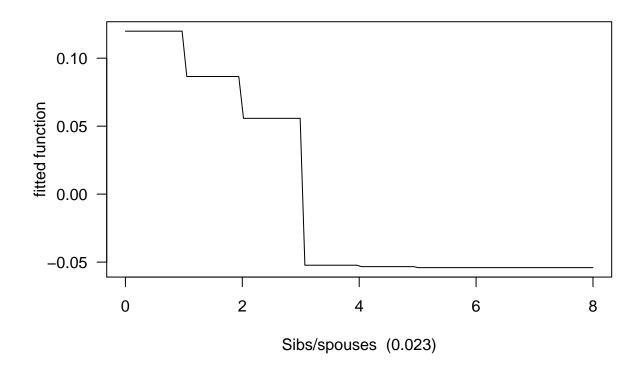


### Univariate plots

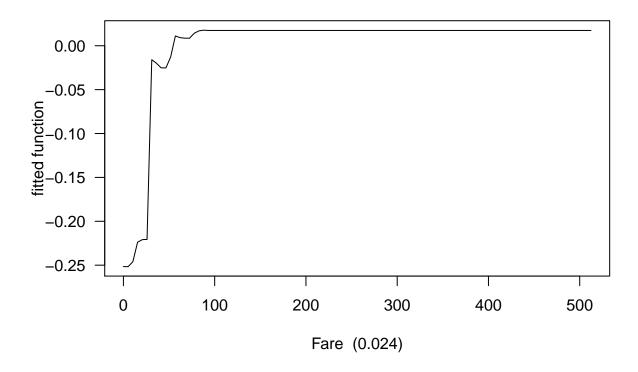
We can also generate univariate plots, also known as "partial dependence plots":

##### Make univariate plots of the relationships- plot one relationship at a time

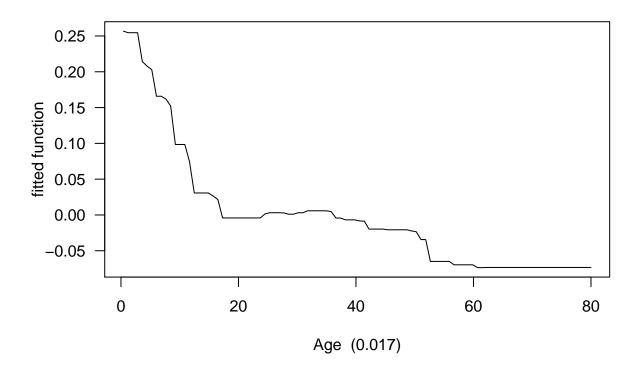




RF\_UnivariatePlots(object=rf\_model1, varimp=model1\_importance, data=titanic, #
predictors=pred.names[5], labels=predictorNames[5], allpredictors=pred.names,plot.lage



RF\_UnivariatePlots(object=rf\_model1, varimp=model1\_importance, data=titanic, #
predictors=pred.names[2], labels=predictorNames[2], allpredictors=pred.names,plot.lage



Finally, and perhaps most importantly, we can find and plot the most important interactions!

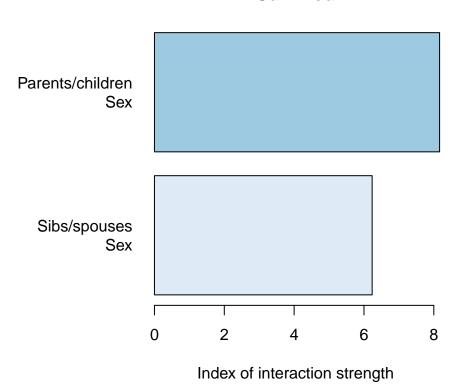
```
# NOTE: this one can take a very long time
rf_findint <- RF_FindInteractions(object=rf_model1,data=titanic,predictors=pred.names)</pre>
## 1 2 3 4
rf_findint$interactions1
                Age SibSp Parch
         Sex
## Sex
           0 4.1779 6.2339 8.1656 1.1435
## Age
           0 0.0000 3.3493 2.0526 0.7259
           0 0.0000 0.0000 0.1488 1.5800
## SibSp
## Parch
           0 0.0000 0.0000 0.0000 1.1472
## Fare
           0 0.0000 0.0000 0.0000 0.0000
rf_findint$rank.list1
```

#### Interactions

```
xlab="Index of interaction strength",col=brewer.pal(lengthndx,"Blues"),
names.arg=paste("",predictorNames[match(rf_findint$rank.list1[,2][c(lengthndx:1)],pred.names)],
```

## Warning in brewer.pal(lengthndx, "Blues"): minimal value for n is 3, returning requested palette with

## **Survived**

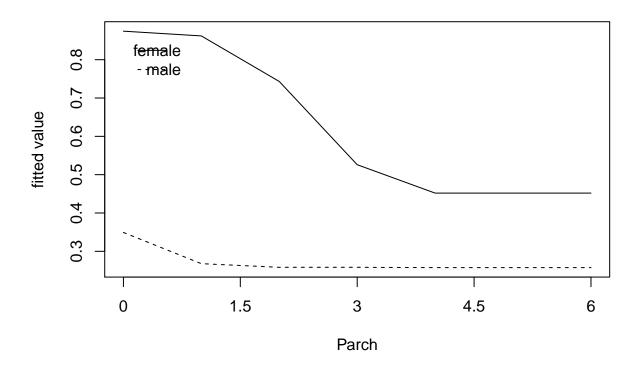


Now let's visualize the interactions:

```
rf_findint$rank.list1
fam="binomial"

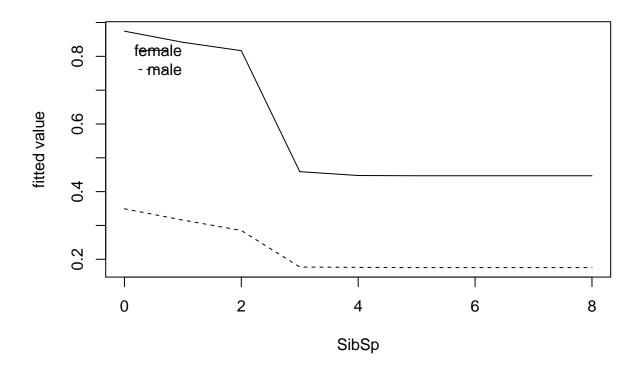
RF_InteractionPlots(x=1,y=4,object=rf_model1,data=titanic,predictors=pred.names,family=fam)
```

## maximum value = 0.87

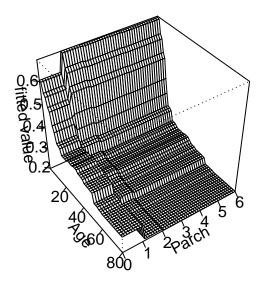


RF\_InteractionPlots(x=1,y=3,object=rf\_model1,data=titanic,predictors=pred.names,family=fam)

## maximum value = 0.87



 $RF\_InteractionPlots(x=2,y=4,object=rf\_model1,data=titanic,predictors=pred.names,family=fam)$ 



## Model performance

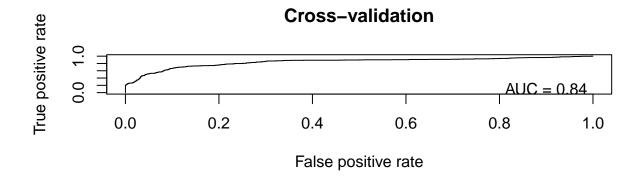
Finally, let's bring this home by looking at model performance!

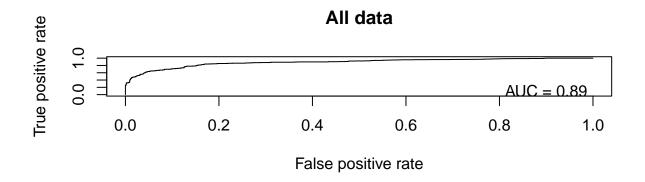
Then, we do the cross validation, looping through each fold of the data, leaving out each fold in turn for model training.

```
counter = 1
CV_df <- data.frame(
    CVprediction = numeric(nrow(titanic)),  # make a data frame for storage
    realprediction = 0,
    realdata = 0
)

for(i in 1:n.folds){
    fit_ndx <- which(foldVector!=i)
    validate_ndx <- which(foldVector==i)
    model <- cforest(formula1, data = titanic[fit_ndx,], controls=cforestControl)
    predict_CV <- predict(model,newdata=titanic[validate_ndx,],type="prob")
    predict_real <- predict(rf_model1,newdata=titanic[validate_ndx,],type="prob")</pre>
```

```
REAL <- titanic$Survived[validate_ndx]</pre>
  for(j in 1:length(which(foldVector==i))){
    CV_df$CVprediction[counter] <- as.numeric(predict_CV[[j]][,2])</pre>
    CV_df$realprediction[counter] <- as.numeric(predict_real[[j]][,2])</pre>
    CV_df$realdata[counter] <- REAL[j]</pre>
    counter = counter + 1
}
fact=TRUE
if(fact){
  CV_df$realdata=CV_df$realdata-1
CV_RMSE = sqrt(mean((CV_df$realdata - CV_df$CVprediction)^2)) # root mean squared error for holdo
real_RMSE = sqrt(mean((CV_df$realdata - CV_df$realprediction)^2)) # root mean squared error for residu
# print RMSE statistics
cat("The RMSE for the model under cross-validation is: ", CV_RMSE, "\n")
## The RMSE for the model under cross-validation is: 0.3748958
cat("The RMSE for the model using all data for training is: ", real_RMSE, "\n")
## The RMSE for the model using all data for training is: 0.3540952
Let's plot out the ROC curves!
library(ROCR)
library(rms)
par(mfrow=c(2,1))
pred <- prediction(CV_df$CVprediction,CV_df$realdata)</pre>
                                                             # for holdout samples in cross-validation
perf <- performance(pred, "tpr", "fpr")</pre>
auc <- performance(pred, "auc")</pre>
plot(perf, main="Cross-validation")
text(.9,.1,paste("AUC = ",round(auc@y.values[[1]],2),sep=""))
pred <- prediction(CV_df$realprediction,CV_df$realdata) # for final model</pre>
perf <- performance(pred, "tpr", "fpr")</pre>
auc <- performance(pred, "auc")</pre>
plot(perf, main="All data")
text(.9,.1,paste("AUC = ",round(auc@y.values[[1]],2),sep=""))
```





Finally, we can use the same pseudo-R-squared metric we learned above as an alternative metric of performance

```
CV_df$CVprediction[which(CV_df$CVprediction==1)] <- 0.9999</pre>
                                                                                                                                                                               # ensure that all predictions are not
CV_df$CVprediction[which(CV_df$CVprediction==0)] <- 0.0001</pre>
CV_df$realprediction[which(CV_df$realprediction==1)] <- 0.9999</pre>
CV_df$realprediction[which(CV_df$realprediction==0)] <- 0.0001</pre>
fit_deviance_CV <- mean(-2*(dbinom(CV_df$realdata,1,CV_df$CVprediction,log=T)-dbinom(CV_df$realdata,1,CV_df$CVprediction,log=T)-dbinom(CV_df$realdata,1,CV_df$CVprediction,log=T)-dbinom(CV_df$realdata,1,CV_df$CVprediction,log=T)-dbinom(CV_df$realdata,1,CV_df$CVprediction,log=T)-dbinom(CV_df$realdata,1,CV_df$CVprediction,log=T)-dbinom(CV_df$realdata,1,CV_df$CVprediction,log=T)-dbinom(CV_df$realdata,1,CV_df$cVprediction,log=T)-dbinom(CV_df$realdata,1,CV_df$cVprediction,log=T)-dbinom(CV_df$realdata,1,CV_df$cVprediction,log=T)-dbinom(CV_df$realdata,1,CV_df$cVprediction,log=T)-dbinom(CV_df$realdata,1,CV_df$cVprediction,log=T)-dbinom(CV_df$realdata,1,CV_df$realdata,1,CV_df$cVprediction,log=T)-dbinom(CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,CV_df$realdata,1,C
fit_deviance_real <- mean(-2*(dbinom(CV_df$realdata,1,CV_df$realprediction,log=T)-dbinom(CV_df$realdata
null_deviance <- mean(-2*(dbinom(CV_df$realdata,1,mean(CV_df$realdata),log=T)-dbinom(CV_df$realdata,1,C
deviance_explained_CV <- (null_deviance-fit_deviance_CV)/null_deviance</pre>
                                                                                                                                                                                                   # based on holdout samples
deviance_explained_real <- (null_deviance_fit_deviance_real)/null_deviance</pre>
                                                                                                                                                                                                               # based on full model...
# print RMSE statistics
cat("The McFadden R2 for the model under cross-validation is: ", deviance_explained_CV, "\n")
## The McFadden R2 for the model under cross-validation is: 0.3349298
cat("The McFadden R2 for the model using all data for training is: ", deviance_explained_real, "\n")
## The McFadden R2 for the model using all data for training is: 0.3939271
[-this is the final regular lecture-]
```