## 12-752: Data-Driven Energy Management of Buildings Assignment#3

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Some notes before you begin:

- Make sure you document everything you do, and not just write down the answer to the question. This will both help during grading as well as improving your learning process.
- Do not write down any solution or process that you do not understand. If you feel that you do not understand how to do something, seek some help: e-mail the TAs or the instructor
- To submit your assignment, please do so using Blackboard. Two files should be uploaded via Blackboard: (a) the IPython Notebook (i.e. a .ipynb file) documenting all the tasks found in the assignment and all of your answers (including the output of your code); and (b) a PDF copy of this notebook
- Please upload a single compressed ZIP file containing the above, and name it as follows: and rewID\_assignment\_#.zip (where and rewID is your AndrewID and # is the assignment number

## 1 Preface

This assignment is a continuation of the tasks that you completed in Assignment #2. For this reason, you can continue working on the same Notebook and submit the whole of Assignment #2 plus the tasks in here when you submit. To make thisgs easier, I have not re-started the task number count here (i.e., we will continue the task numbers where we left off in last assignment).

## 1.1 Evaluating Linear Regression Models

Task #13 [20%]: Calculate the coefficient of determinatino  $(R^2)$  value for your model on the test set and comment on what the results imply

You may want to read up on what this value means, but here's the formula ( $\bar{y}$  is a scalar containing the average of all values in Y):

$$R^{2} = 1 - \frac{(Y - \mathbf{X}\hat{\beta})^{T}(Y - \mathbf{X}\hat{\beta})}{(Y - \bar{y})^{T}(Y - \bar{y})}$$

$$\tag{1}$$

Task #14 [40%]: Compute the 95% confidence intervals for each of the coefficients in  $\hat{\beta}$ . Comment on what the results imply

Task #15 [40%]: Assume that we have a null hypothesis  $H_0: \hat{\beta}_k = 0$  for each one of the coefficients in  $\hat{\beta}$ . Can you reject the null hypothesis for some of these at any level of significance (i.e., at any  $\alpha$ )?