# PCA

2023-05-04

# 1. Load packages

```
library(tidyverse)
library(DESeq2)
library(ggrepel)
```

### 2. Data transformation

2.a. Import data sets The following data sets are provided by Dr. Rebecca L. Young.

2.b. Normalization Since the gene length is not provided, we will use DeSeq2 to normalize our raw counts

## 3. Principal Component Analysis (PCA)

PCA is a dimensionality reduction method which reduces the number of dimensions of multi-dimensional data sets, which helps us to visualize and interpret the data much better. While reducing the dimension, PCA still preserves the amount of information, allowing a comprehensive overview of the data set.

```
x <- normalized_counts_greater_5 %>%
    t()  # Transpose the matrix

PC_x <- prcomp(x)  # Calculate the PCs

PCs_x <- data.frame(PC_x$x) %>%
    rownames_to_column(var = "sample_id")

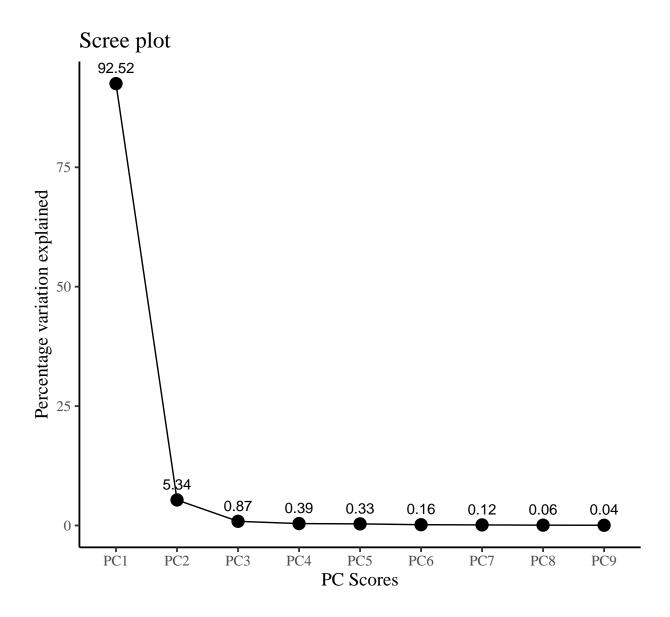
head(PCs_x, 10)
```

#### 3.a. Calculate the PCs

```
PC2
                                                   PC3
                                                              PC4
                                                                           PC5
##
        sample id
                         PC1
## 1
       A1.6854 S1 -39562.41
                                -342.5773
                                           -9404.7575
                                                       -2073.1319
                                                                     3305.1680
##
  2
      A3.6830 S17
                    21909.17
                               27432.2706
                                           -8311.4987
                                                       -1777.0711
                                                                   -11904.6700
## 3
       B1.6855 S2
                    71864.29
                               10319.9164
                                             1552.8794
                                                        1712.2488
                                                                     2081.8945
## 4
      B2.6813 S10
                    18565.00 -13279.3162
                                             6328.9341 -1895.6037
                                                                    -2819.1610
      B3.6832_S18
                                           -5635.1653
                                                                      274.9454
## 5
                     7140.44
                             -14883.7208
                                                        3048.1746
## 6
       C1.6872_S3 -18569.83
                               -296.5142
                                           -5994.8365 -1842.0134
                                                                     3851.0146
##
      C2.6821_S11 -23194.78
                             -22919.1079
                                              221.8982
                                                        7814.0353
                                                                    -4806.9118
## 8
                               -1836.0159
      C3.6835_S19 -13121.78
                                          -10054.3150
                                                        -231.2435
                                                                     1617.8117
## 9
       D1.6863_S4
                    81802.01
                               5185.5556
                                             4677.7633
                                                        -193.3651
                                                                     2021.8303
##
   10
      D2.6822_S12
                    69158.21
                               11080.2149
                                             4600.0748
                                                        3547.2010
                                                                      998.4706
##
             PC6
                         PC7
                                      PC8
                                                  PC9
                                                            PC10
                                                                         PC11
                                                                   1593.94782
## 1
       3536.1971 -3685.3603 -1874.67620
                                           262.12854
                                                       -771.0563
## 2
      -2022.9889 -1031.0081
                               -111.07274
                                           116.52500
                                                       -157.5630
                                                                    -18.53249
## 3
       1823.5021
                   -426.0612
                               133.64454
                                           718.78058 -1328.5323
                                                                    292.11726
## 4
        803.8003
                   2457.5121
                             -3407.07094 -871.51686 -1417.1613
                                                                    551.76973
                             -1114.77746 1127.91413
## 5
      -1972.6157
                   3658.5318
                                                      -1335.1018
                                                                   -569.91620
      -1246.1407 -2199.0722
                                 68.05519
                                                       -968.7915
##
  6
                                          -806.05795
                                                                   -302.13275
## 7
       4920.5982 -1945.0609
                              1929.57188
                                           -27.43375
                                                       -107.8694
                                                                  -1288.72222
## 8
       1156.5282
                   4388.7478
                              2178.49084
                                           281.50823
                                                       2453.7572
                                                                    629.57654
## 9
      -1267.8385 -1294.2309
                             -1517.26271 3528.18086
                                                       1643.8254 -1434.76485
## 10
       1501.0252
                   -704.6848
                               502.03412 -704.49876
                                                        746.7140
                                                                   1150.37772
##
               PC12
                           PC13
                                       PC14
                                                    PC15
                                                                 PC16
                                                                            PC17
## 1
       -861.311380
                      541.70561 -913.06251
                                                85.11898
                                                          397.166369 -639.24666
## 2
                      -44.96605
                                                14.88528
          7.380523
                                   43.91261
                                                            -6.435194
                                                                       -21.42287
## 3
       -926.788212
                     -832.44594
                                   29.58555
                                              1378.59841
                                                         -460.290638 1190.53482
## 4
        936.206540
                     1553.29916
                                  849.74595
                                              121.73696
                                                          564.854821
                                                                       212.44162
## 5
      -2191.008381
                     -620.60140
                                  695.20608
                                              -445.95992
                                                         -383.587327 -479.47799
## 6
       1430.572363
                     -572.47558 1346.25492
                                              558.15052
                                                            -9.569817
                                                                       375.21058
                                                          -33.115249
## 7
         21.884458
                      860.42629 -141.12892
                                              -176.08788
                                                                       294.13914
## 8
        420.231837
                      546.56404
                                  392.03775
                                              921.44236
                                                          650.218390
                                                                       -80.26483
## 9
        422.733715
                      673.50165 -426.62006
                                              163.34380
                                                          444.987201
                                                                      -133.59878
       -273.432763
                    -1416.43456
                                  802.03862 -1424.12220 1240.828080
##
  10
                                                                        29.92035
##
             PC18
                            PC19
## 1
         74.14985
                    2.332797e-11
```

```
## 2
        11.53935 3.227832e-12
## 3
       680.90310 -2.043285e-12
       335.57861 1.041319e-11
## 4
## 5
      -398.64053 -1.209406e-11
## 6 -1220.18891 3.211840e-12
## 7
      -310.60342 6.223478e-12
       285.34503 -1.921234e-11
      -387.67161 7.029710e-13
## 9
## 10
        27.69222 -1.132524e-10
```

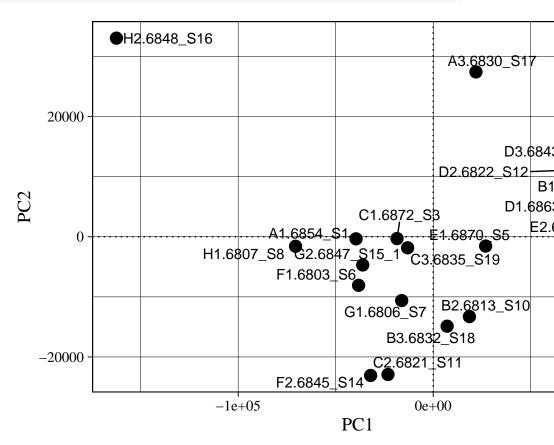
**3.b.** Scree plot A common method for determining the number of PCs to be retained is a graphical representation known as a scree plot.



The scree plot criterion looks for the "elbow" in the curve and selects all components just before the line flattens out. In this scree plot, the elbow point is at PC2, indicating that we only need to focus on the first two PCs. Furthermore, the first two PCs explain for almost 93% of the variation, indicating that PCA is appropriate to use in this case

## 4. Visualization - PCAs

Now, let"s plot PCA for PC1 and PC2



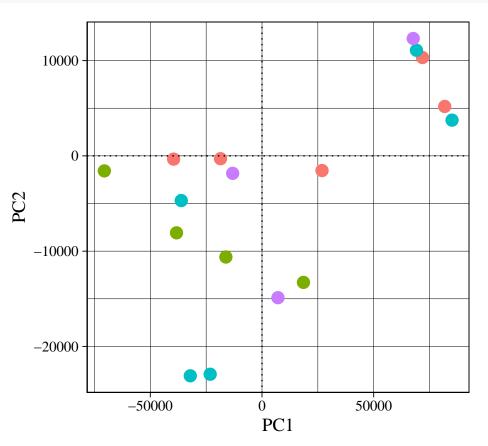
#### 4.a. Check for anomalies

This might look daunting at first, but the purpose is to identify the anomalies, which are the two samples H2.6848\_S16 and A3.6830\_S17.

```
# Remove rows containing the two anomalies
PCs_x <- PCs_x %>%
subset(sample_id != c("H2.6848_S16", "A3.6830_S17"))
```

```
# Add another column which provides the species related to each gene
PCs_x <- PCs_x %>%
  mutate(Species = case_when(
```

```
sample_id == "A1.6854_S1" ~ "E_anthonyi",
    sample_id == "B1.6855_S2"~ "E_anthonyi",
    sample_id == "C1.6872_S3" ~ "E_anthonyi",
    sample id == "D1.6863 S4"~ "E anthonyi",
    sample_id == "E1.6870_S5"~ "E_anthonyi",
    sample_id == "F1.6803_S6" ~ "E_boulengeri",
   sample_id == "G1.6806_S7" ~ "E_boulengeri",
    sample_id == "H1.6807_S8"~ "E_boulengeri",
    sample_id == "B2.6813_S10" ~ "E_boulengeri",
    sample_id == "C2.6821_S11"~ "E_machalilla",
    sample_id == "D2.6822_S12"~ "E_machalilla",
    sample_id == "E2.6826_S13" ~ "E_machalilla",
    sample_id == "F2.6845_S14" ~ "E_machalilla",
    sample_id == "G2.6847_S15_1" ~ "E_machalilla",
    sample_id == "H2.6848_S16" ~ "E_machalilla",
    TRUE ~ "E_tricolor")) # The remaining ones are E_tricolor
# Plot
ggplot(data = PCs_x, aes(x = PC1, y = PC2, color = Species)) +
 geom_point(size = 4) +
  geom_hline(yintercept = 0, linetype = "dotted") +
  geom_vline(xintercept = 0, linetype = "dotted") +
  theme_linedraw(base_family = "Times",
                 base_size = 14)
```



**Species** 

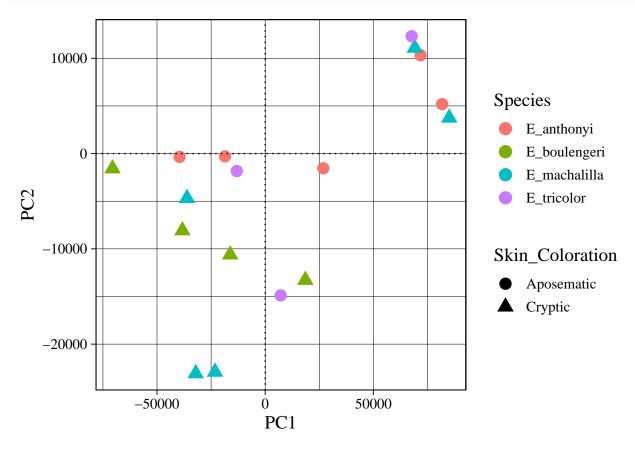
E\_anthor
E\_bouler
E\_macha

E\_tricolo

### 4.b. Plot by species

We can see that there's no clear pattern/cluster.

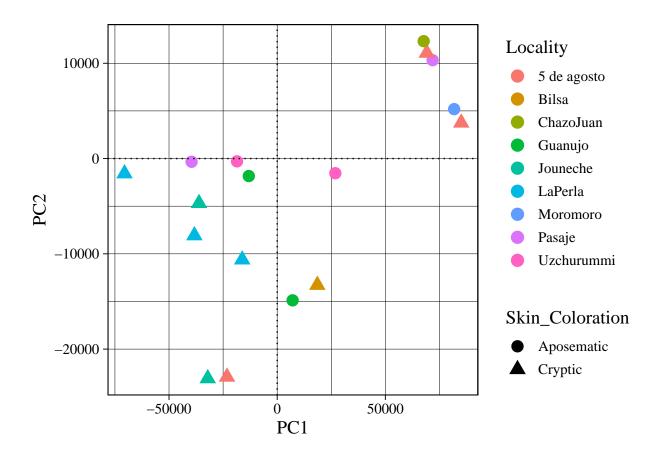
**4.c.** Plot by skin coloration Let"s try a different approach by cateogorizing the points by cryptic/aposematic



Again, we can see that there"s no clear pattern/cluster.

**4.d. Plot by localities** Another potential approach could be categorizing the points by where the samples of Epipedobates were collected. The information regarding the localities is provided by Dr. Rebecca L. Young.

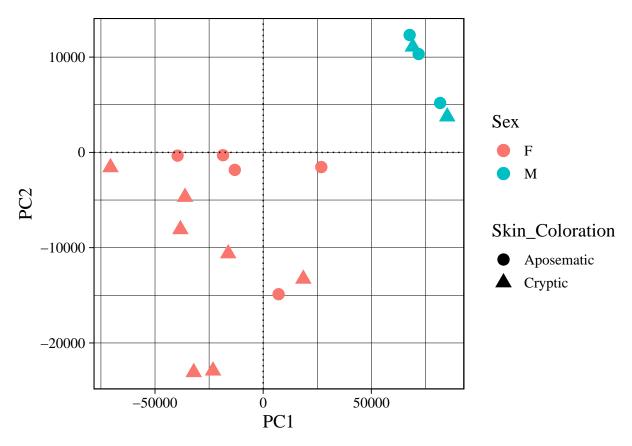
```
# Add another column which provides the localities at which the Epipedobates were collected
PCs_x <- PCs_x %>%
  mutate(Locality = case_when(
    sample_id == "A1.6854_S1" ~ "Pasaje", sample_id == "B1.6855_S2" ~ "Pasaje",
    sample_id == "C1.6872_S3" ~ "Uzchurummi", sample_id == "D1.6863_S4" ~ "Moromoro",
    sample_id == "E1.6870_S5" ~ "Uzchurummi", sample_id == "F1.6803_S6" ~ "LaPerla",
    sample_id == "G1.6806_S7" ~ "LaPerla", sample_id == "H1.6807_S8" ~ "LaPerla",
    sample_id == "B2.6813_S10" ~ "Bilsa", sample_id == "C2.6821_S11"~ "5 de agosto",
    sample_id == "D2.6822_S12" ~ "5 de agosto", sample_id == "E2.6826_S13" ~ "5 de agosto",
   sample id == "F2.6845 S14" ~ "Jouneche", sample id == "G2.6847 S15 1" ~ "Jouneche",
   sample_id == "H2.6848_S16" ~ "Jouneche", sample_id == "A3.6830_S17" ~ "Guanujo",
    sample_id == "C3.6835_S19" ~ "Guanujo", sample_id == "B3.6832_S18" ~ "Guanujo",
    sample_id == "D3.6843_S20" ~ "ChazoJuan"))
# Plot
ggplot(data = PCs_x, aes(x = PC1, y = PC2, shape = Skin_Coloration, color = Locality)) +
  geom_point(size = 4) +
  geom_hline(yintercept = 0, linetype = "dotted") +
  geom_vline(xintercept = 0, linetype = "dotted") +
  theme_linedraw(base_family = "Times",
                base_size = 14)
```



Again, we can see that there"s no clear pattern/cluster.

#### **4.e.** Plot by sex We can also try plotting the Epipedobates by sex (i.e., males and females)

```
# Add another column which provides the sex of the Epipedobates
PCs_x <- PCs_x %>%
  mutate(Sex = case when(
    sample_id == "A1.6854_S1" ~ "F", sample_id == "B1.6855_S2"~ "M",
    sample_id == "C1.6872_S3" ~ "F", sample_id == "D1.6863_S4"~ "M",
    sample_id == "E1.6870_S5"~ "F", sample_id == "F1.6803_S6" ~ "F",
    sample_id == "G1.6806_S7" ~ "F", sample_id == "H1.6807_S8"~ "F",
    sample_id == "B2.6813_S10" ~ "F", sample_id == "C2.6821_S11"~ "F",
    sample_id == "D2.6822_S12"~ "M", sample_id == "E2.6826_S13" ~ "M",
    sample_id == "F2.6845_S14" ~ "F", sample_id == "G2.6847_S15_1" ~ "F",
    sample_id == "H2.6848_S16" ~ "F", sample_id == "A3.6830_S17" ~ "F",
    sample_id == "C3.6835_S19" ~ "F",sample_id == "B3.6832_S18" ~ "F",
    sample_id == "D3.6843_S20" ~ "M"))
# Plot
ggplot(data = PCs_x, aes(x = PC1, y = PC2, shape = Skin_Coloration, color = Sex)) +
  geom_point(size = 4) +
```



Here, we can see a clear cluster formed by the males. However, bare in mind that there's a disproportionate of males (5) compared to females (12) in this plot.

Overall, besides a potential separation due to sex, the  $\operatorname{PCA}$  displays no separation between Cryptic and Aposematic Epipedobates