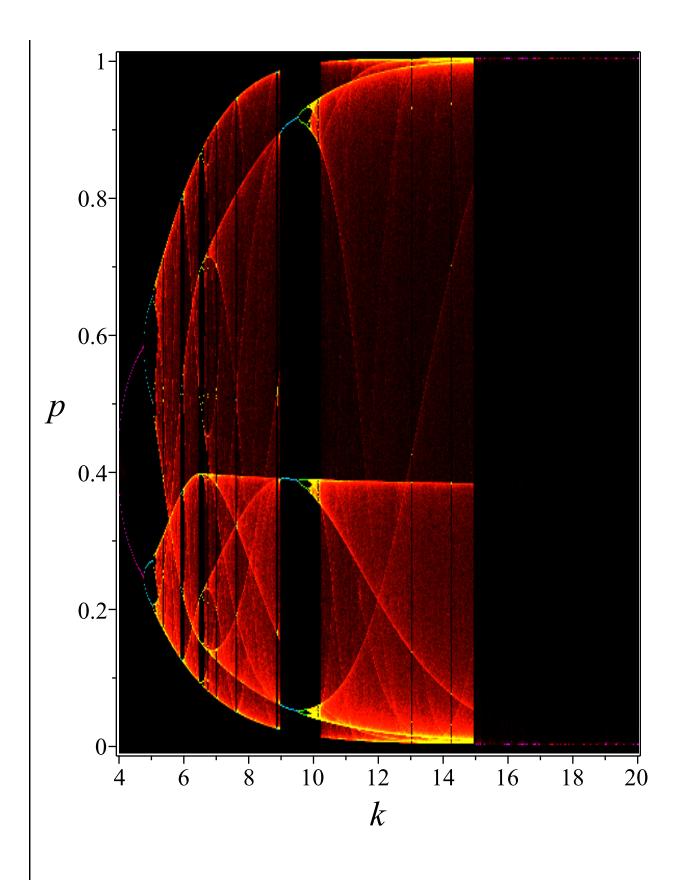
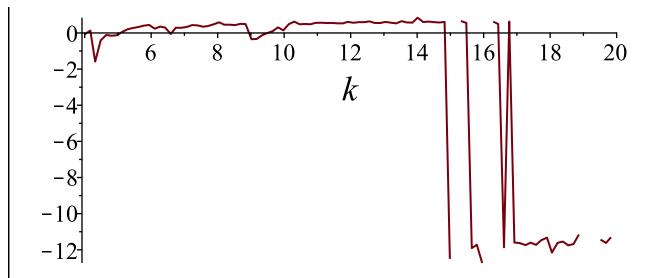
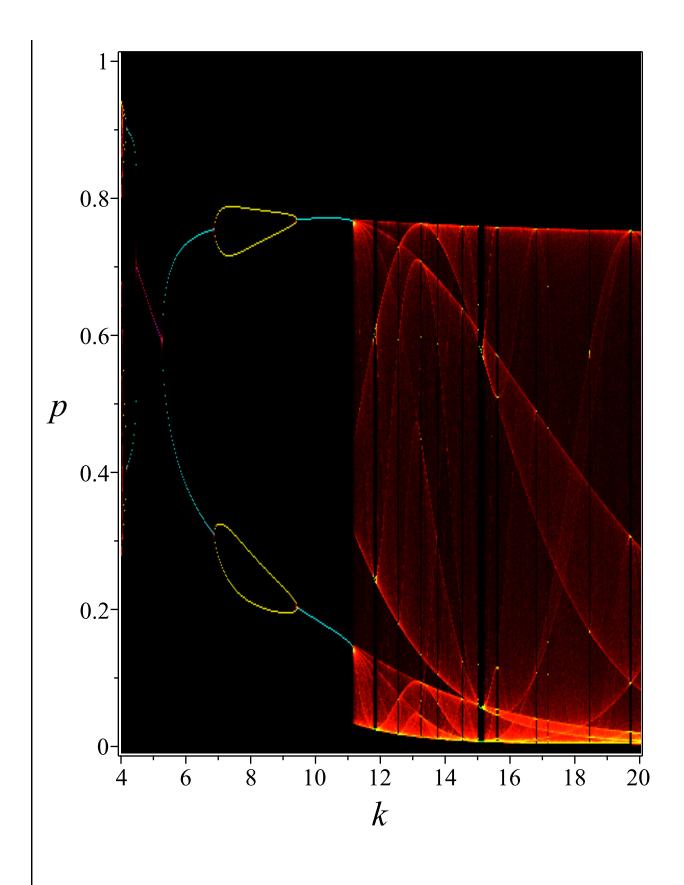
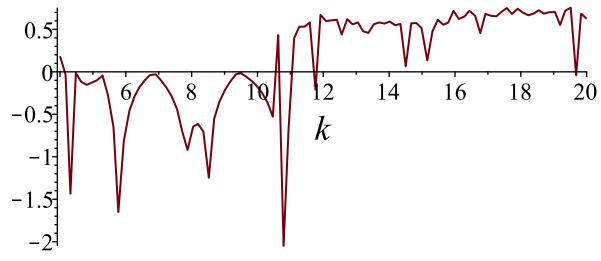
```
> restart
> with (IterativeMaps): with (ImageTools):
 > (r^{-1})^{(r+1)} : (r+1) : (r+1) *x* (1-x) *r: (2r^{-1}) *r* (r+1) *x*2* 
   (1-x)^{(r-1)} \cdot 3r^{(r-1)} \cdot (r-1) \cdot (r-1) \cdot r^{(r+1)} \cdot x^{3} \cdot (1-x)^{(r-2)} \cdot 4r^{(r+1)}
   *(r-1)*r*(r+1)*x^{(r-2)}*(1-x)^3: 5r^:=(1/2)*r*(r+1)*x^{(r-1)}*(1-x)
  (k+1)*x*(1-x)^k: 2k:=(1/2)*k*(k+1)*x^2*(1-x)^(k-1): 3k:=(1/6)*
   (k-1)*k*(k+1)*x^3*(1-x)^(k-2): ^4k := (1/6)*(k-1)*k*(k+1)*x^(k-2)*
   (1-x)^3: 5k: = (1/2)*k*(k+1)*x^(k-1)*(1-x)^2: 6k: = (k+1)*x^k*(1-x)
   : ^7k := x^(k+1):
  1:=.2:m:=4:n:=20:s:=20:
   `firstr`:=`0r`+`1r`+`6r`:
   secondr:=\1r\+\2r\+\3r\+\6r\:
   firstk`:=`0k`+`1k`+`6k`:
   `secondk`:=`1k`+`2k`+`3k`+`6k`:
> unassign('k');
> bif:=Bifurcation([x],[firstr],[1],m,n,xmin=-.01,xmax=1.01):
  ColouringProcedures:-HueToRGB(bif):
  Pbif:=plot('k'=m..n,p=-.01..1.01,axes=box,size=[600,600],
  background=bif,labelfont=[times,s],font=[time,s-6]):
  F:=proc(k,x0)
    if not k::numeric and x0::numeric then
       return 'procname'(args);
    LyapunovExponent(unapply(eval(firstr,r=`k`),x),x0,
                      max iter=2^17,epsilon=1e-4);
  end proc:
  Plyap:=plot(F(k,1),'k'=m..n,adaptive=false,numpoints=100,size=
   [600,200], labelfont=[times,s], font=[time,s-6]):
  #plots:-display(Array([[Pbif],[Plyap]]),aligncolumns);
  print(Pbif);print(Plyap);
  bif:=Bifurcation([x],[secondr],[1],m,n,xmin=-.01,xmax=1.01):
  ColouringProcedures:-HueToRGB(bif):
  Pbif:=plot('k'=m..n,p=-.01..1.01,axes=box,size=[600,600],
  background=bif,labelfont=[times,s],font=[time,s-6]):
  F:=proc(k,x0)
     if not k::numeric and x0::numeric then
       return 'procname'(args);
    end if;
    LyapunovExponent(unapply(eval(secondr,r=`k`),x),x0,
                      max iter=2^17,epsilon=1e-4);
  end proc:
  Plyap:=plot(F(k,1),'k'=m..n,adaptive=false,numpoints=100,size=
   [600,200],labelfont=[times,s],font=[time,s-6]):
  print(Pbif);print(Plyap);
  for k from 4 to 20 do:
  expr:=`firstk`*r+`secondk`*(1-r):
  bif:=Bifurcation([x],[expr],[1],-.01,1.01,xmin=-.01,xmax=1.01):
```



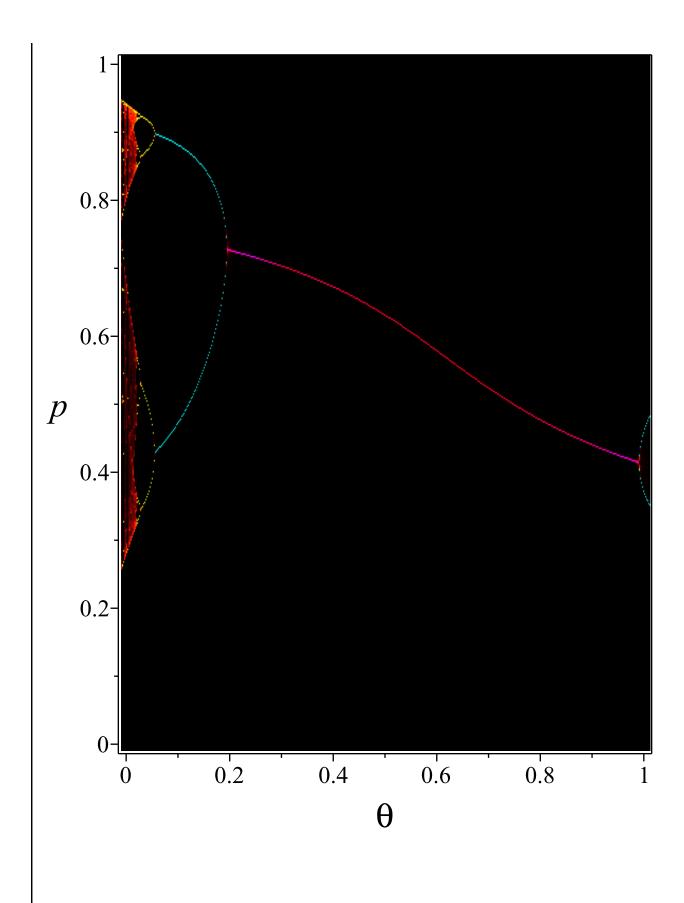


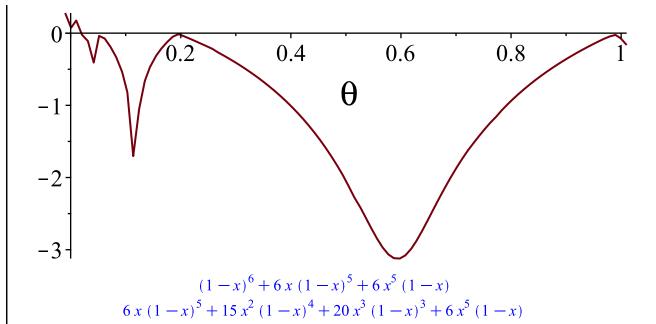


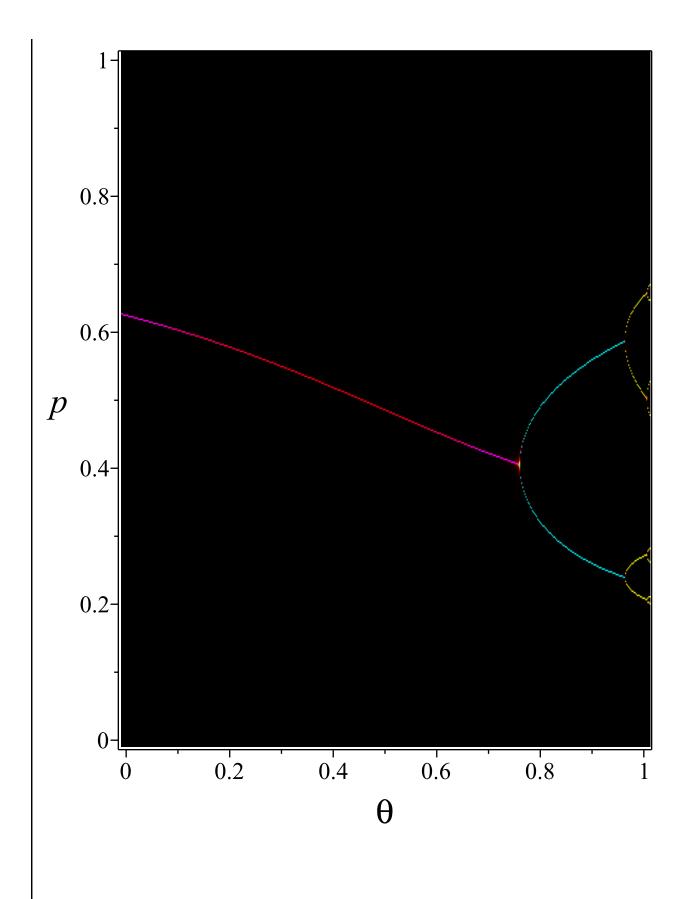


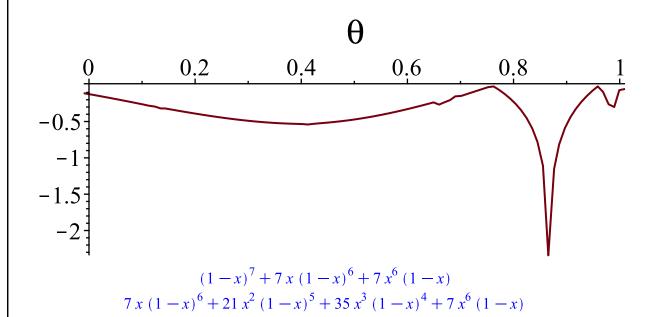
$$(1-x)^{5} + 5x(1-x)^{4} + 5x^{4}(1-x)$$

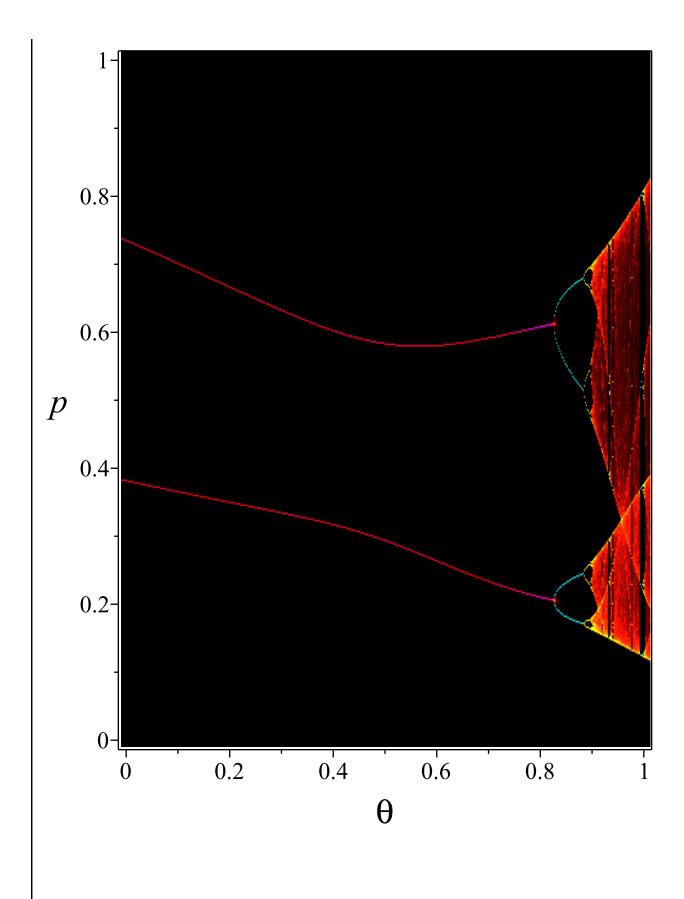
$$5x(1-x)^{4} + 10x^{2}(1-x)^{3} + 10x^{3}(1-x)^{2} + 5x^{4}(1-x)$$

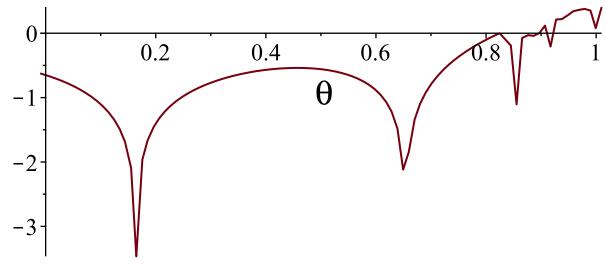






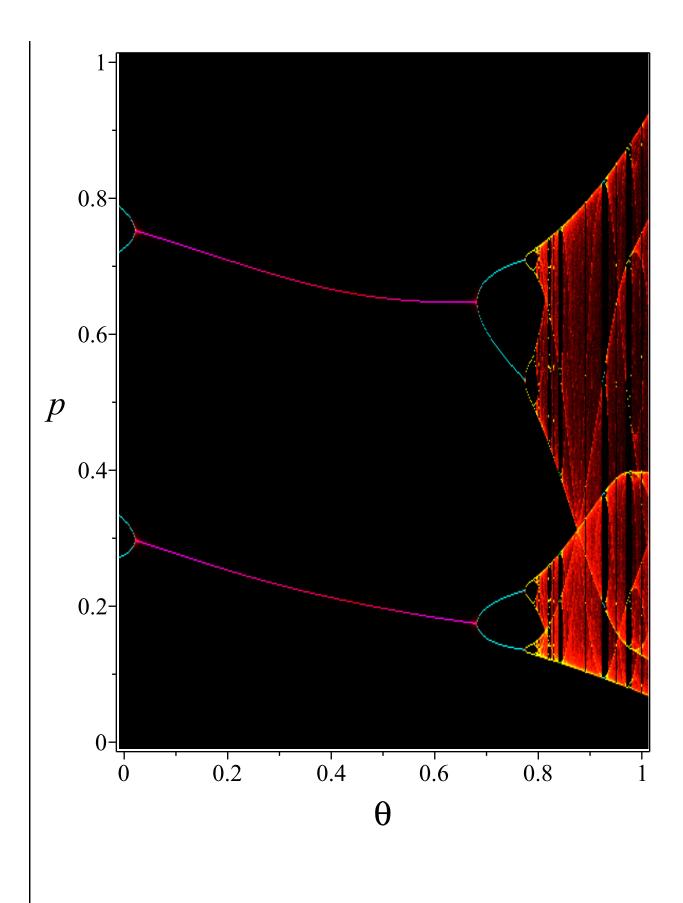


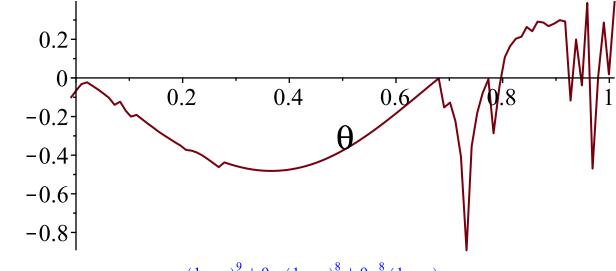




$$(1-x)^{8} + 8x(1-x)^{7} + 8x^{7}(1-x)$$

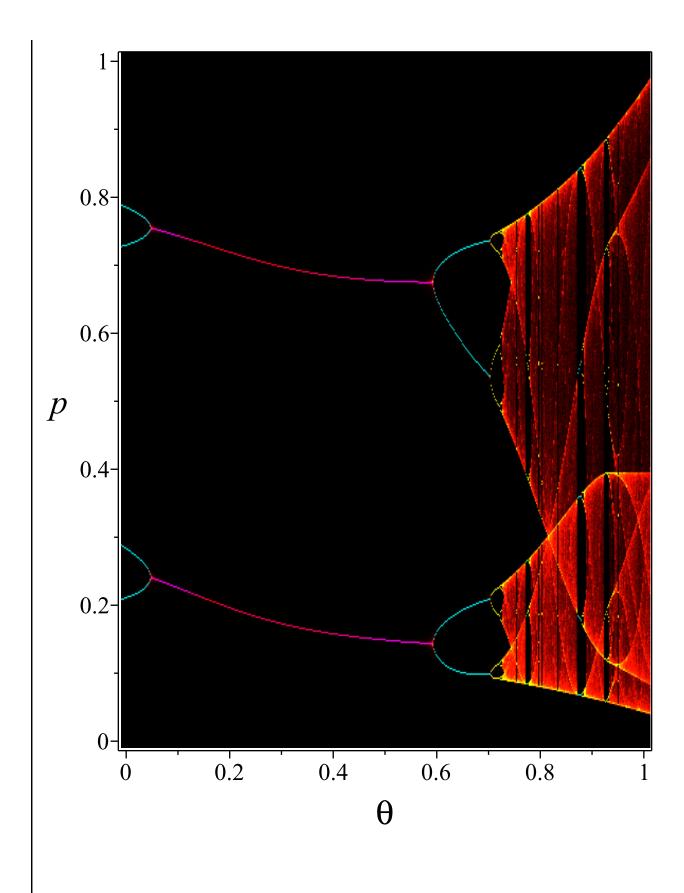
$$8x(1-x)^{7} + 28x^{2}(1-x)^{6} + 56x^{3}(1-x)^{5} + 8x^{7}(1-x)$$

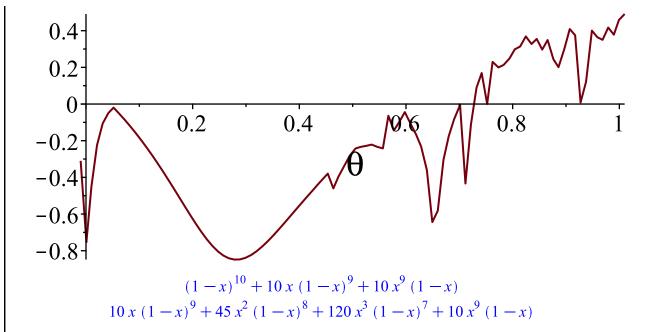


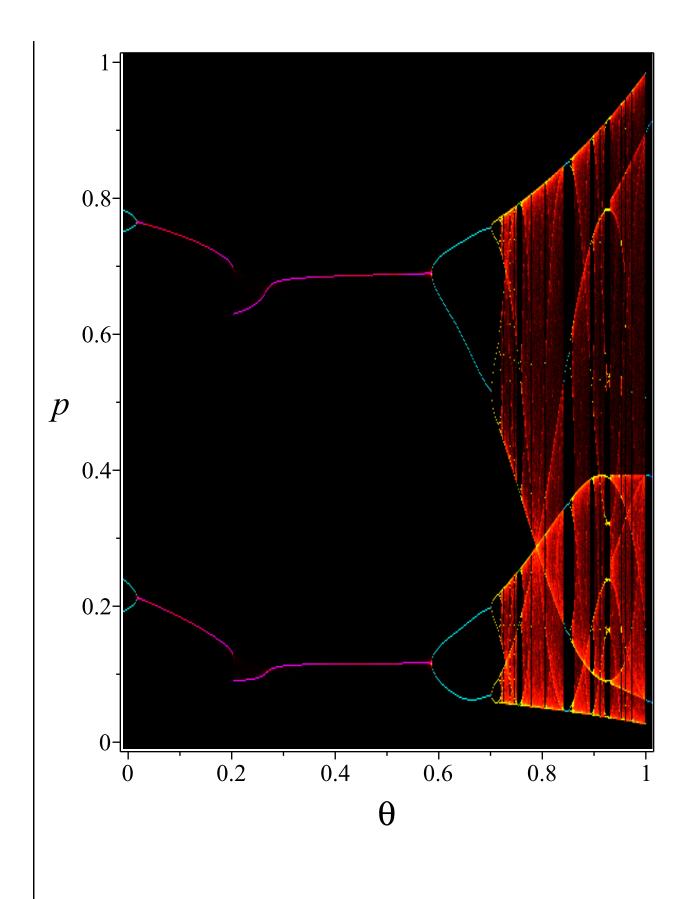


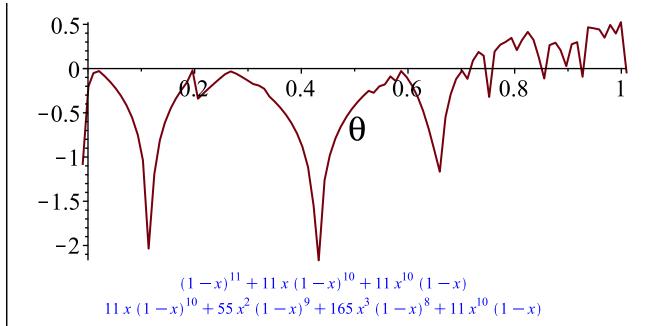
$$(1-x)^{9} + 9x(1-x)^{8} + 9x^{8}(1-x)$$

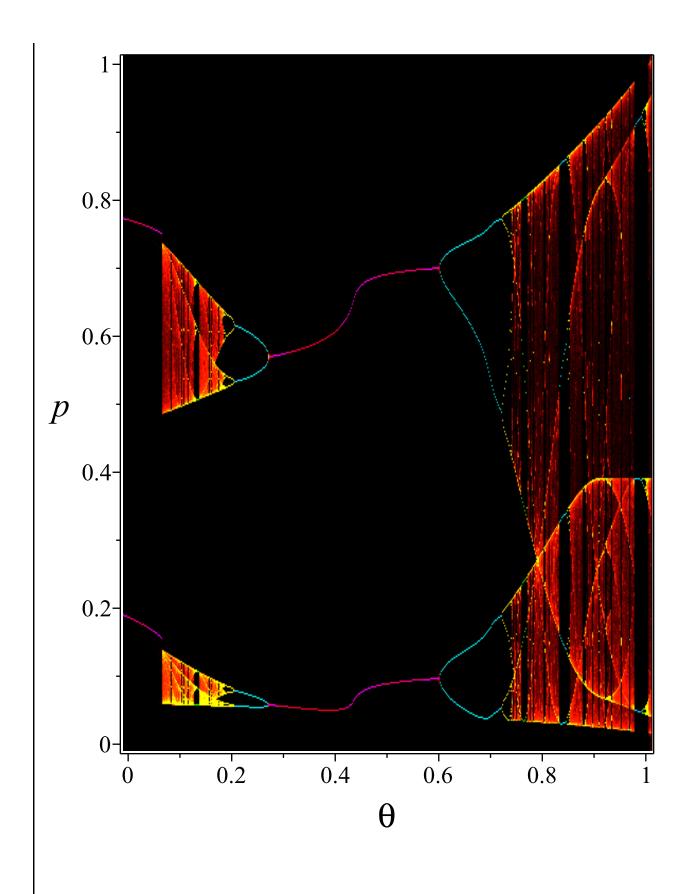
$$9x(1-x)^{8} + 36x^{2}(1-x)^{7} + 84x^{3}(1-x)^{6} + 9x^{8}(1-x)$$

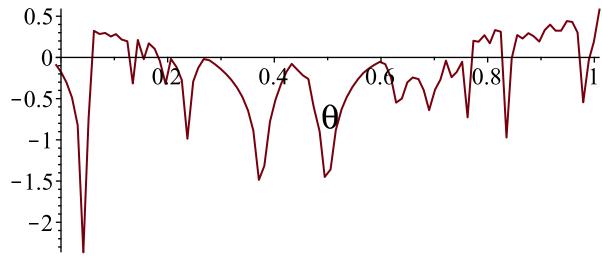






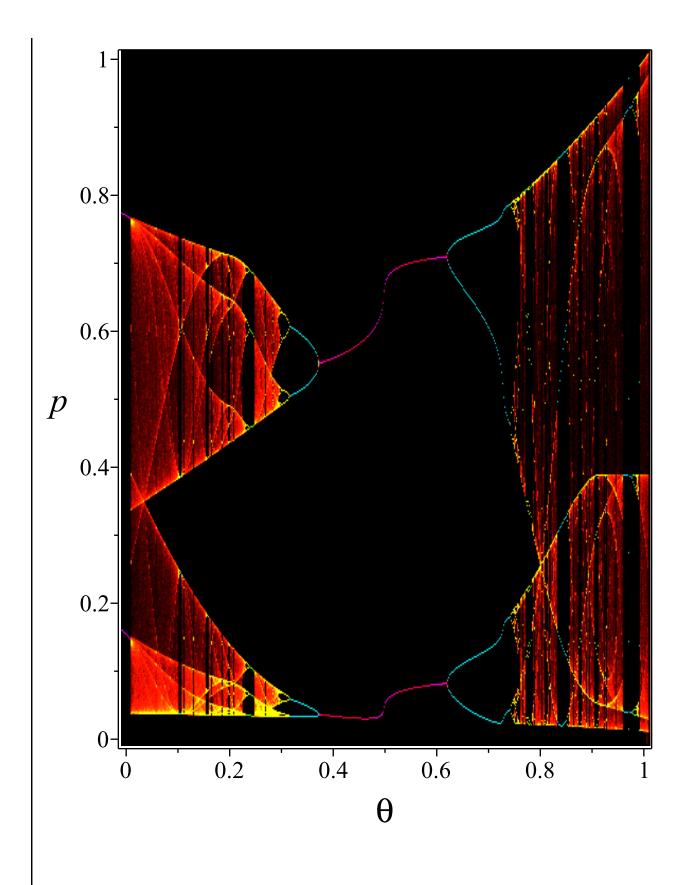


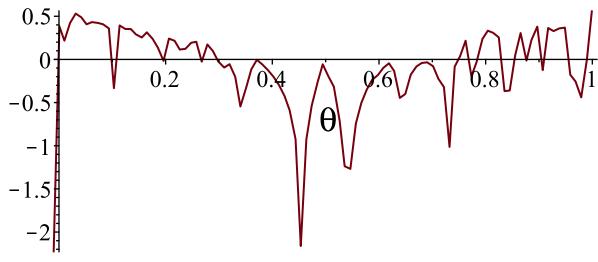




$$(1-x)^{12} + 12 x (1-x)^{11} + 12 x^{11} (1-x)$$

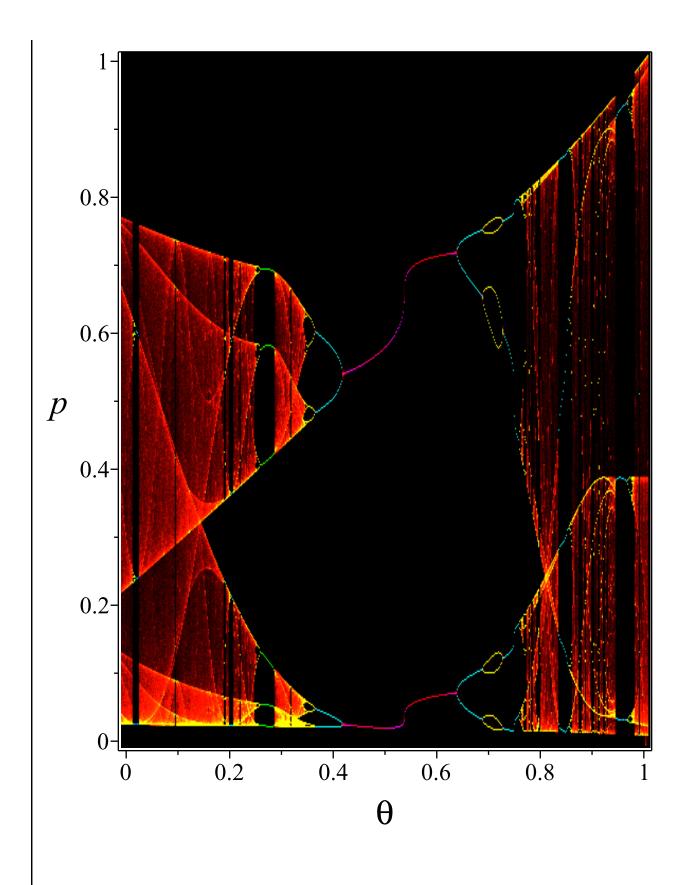
$$12 x (1-x)^{11} + 66 x^{2} (1-x)^{10} + 220 x^{3} (1-x)^{9} + 12 x^{11} (1-x)$$

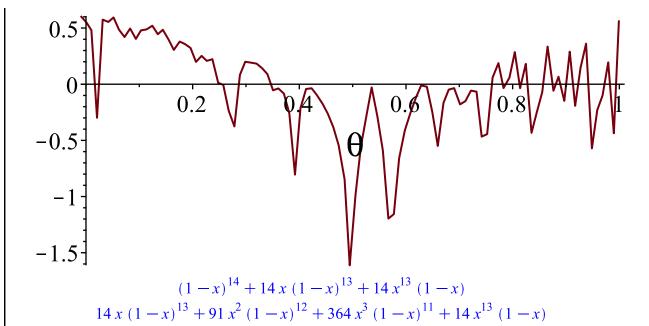


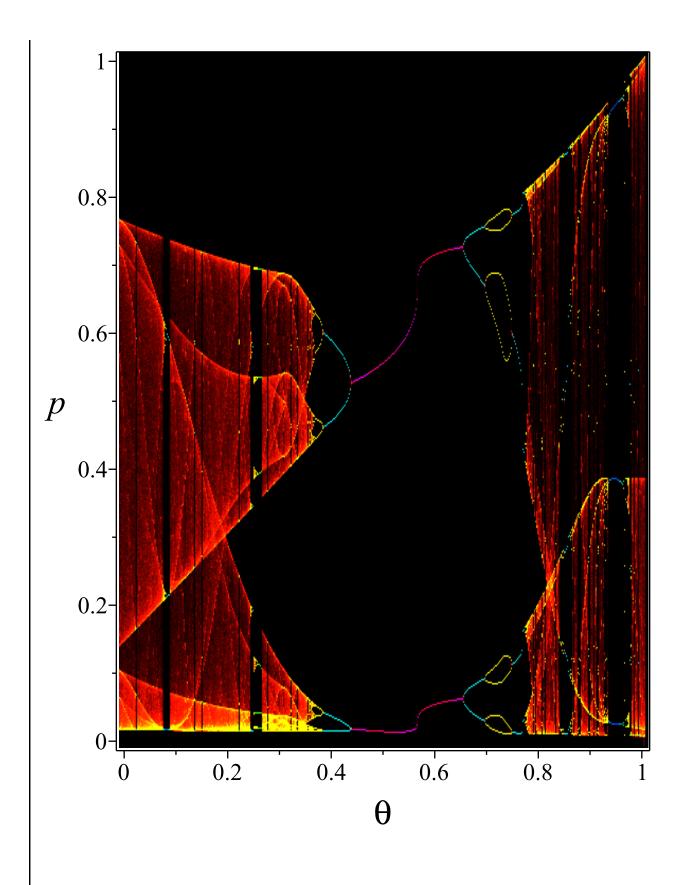


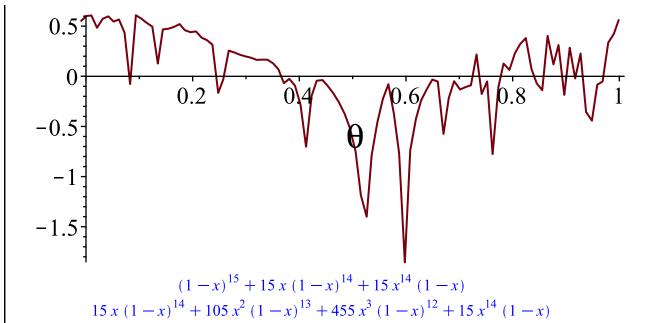
$$(1-x)^{13} + 13 x (1-x)^{12} + 13 x^{12} (1-x)$$

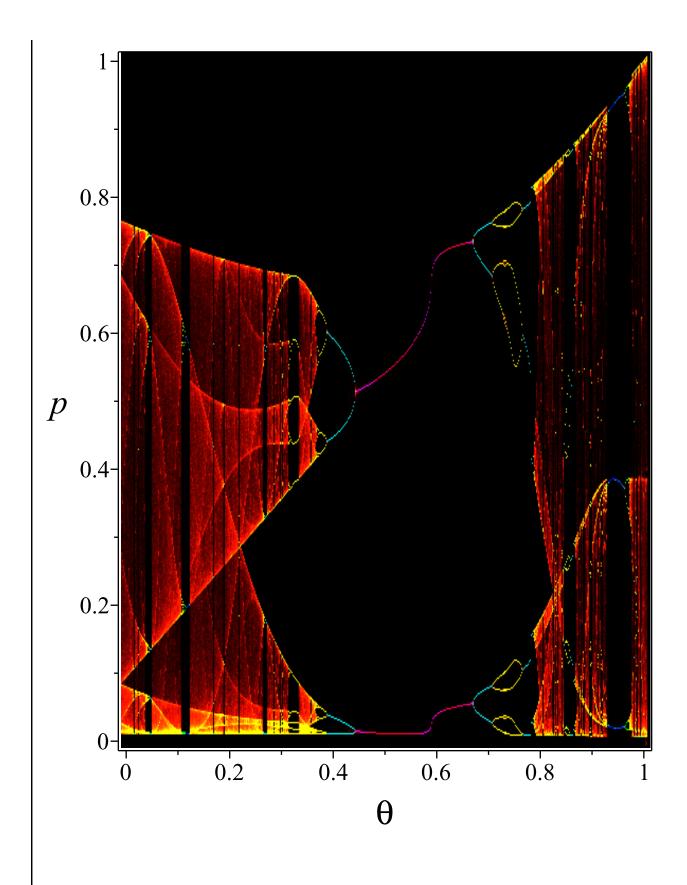
$$13 x (1-x)^{12} + 78 x^{2} (1-x)^{11} + 286 x^{3} (1-x)^{10} + 13 x^{12} (1-x)$$

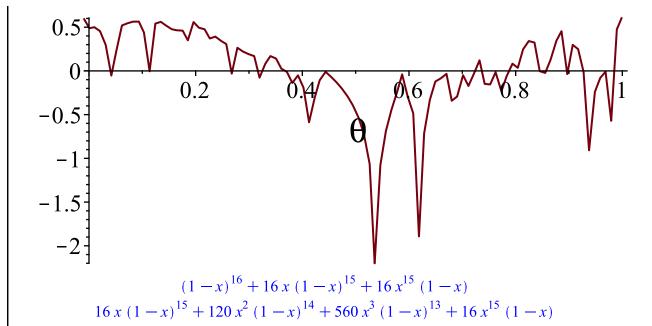


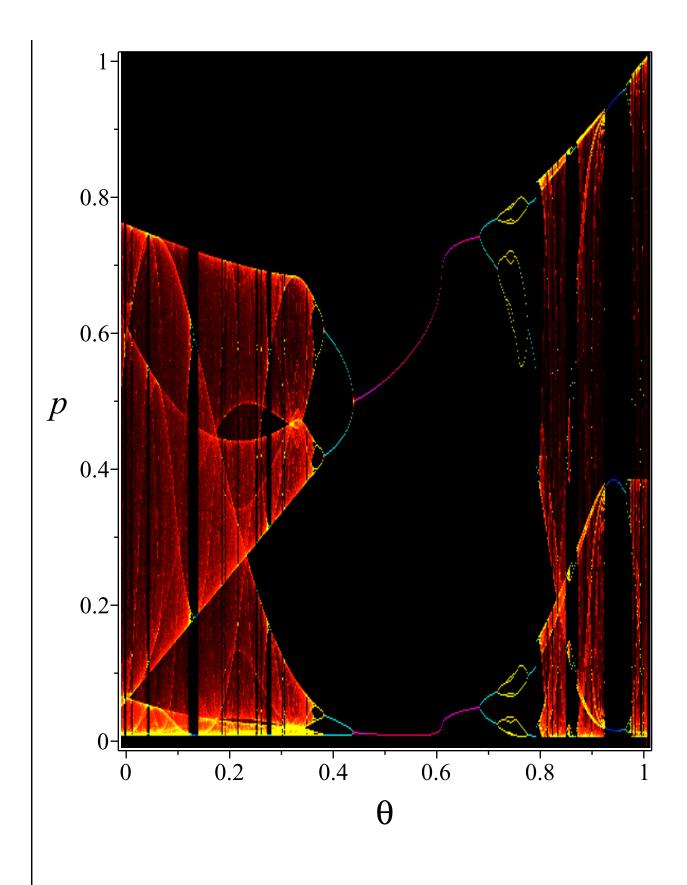


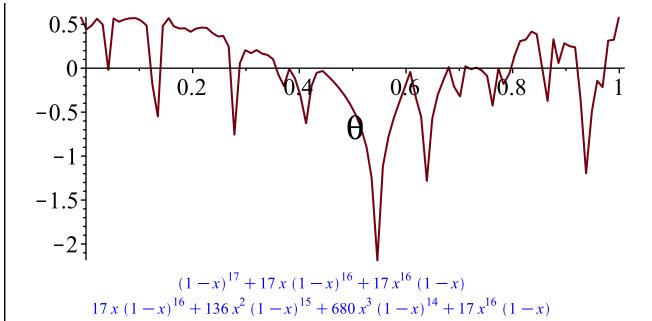


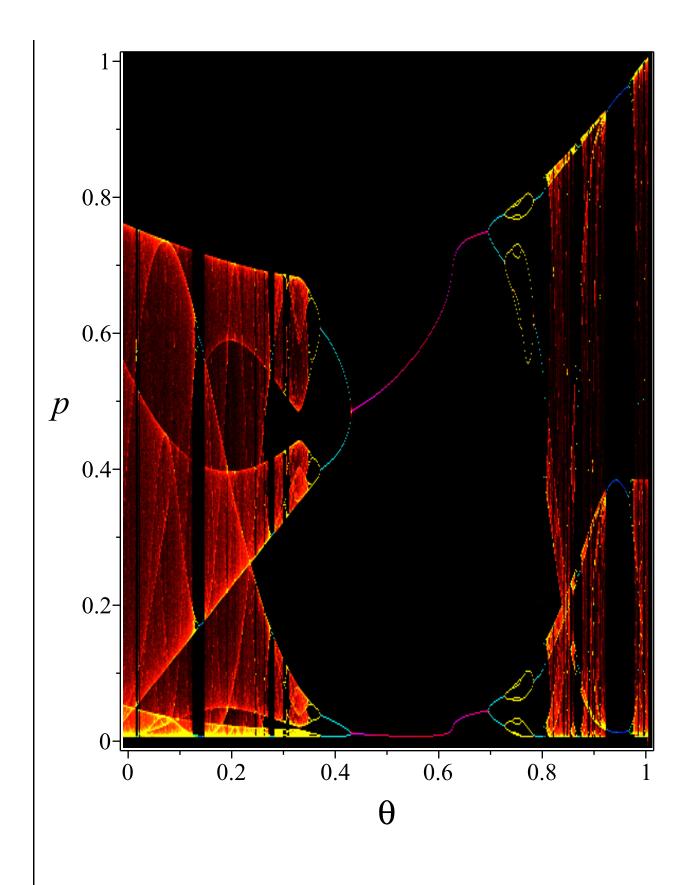


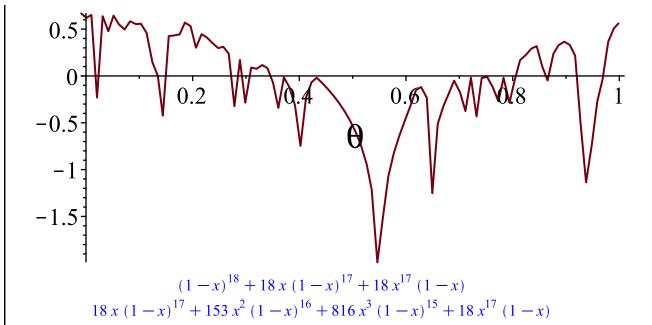


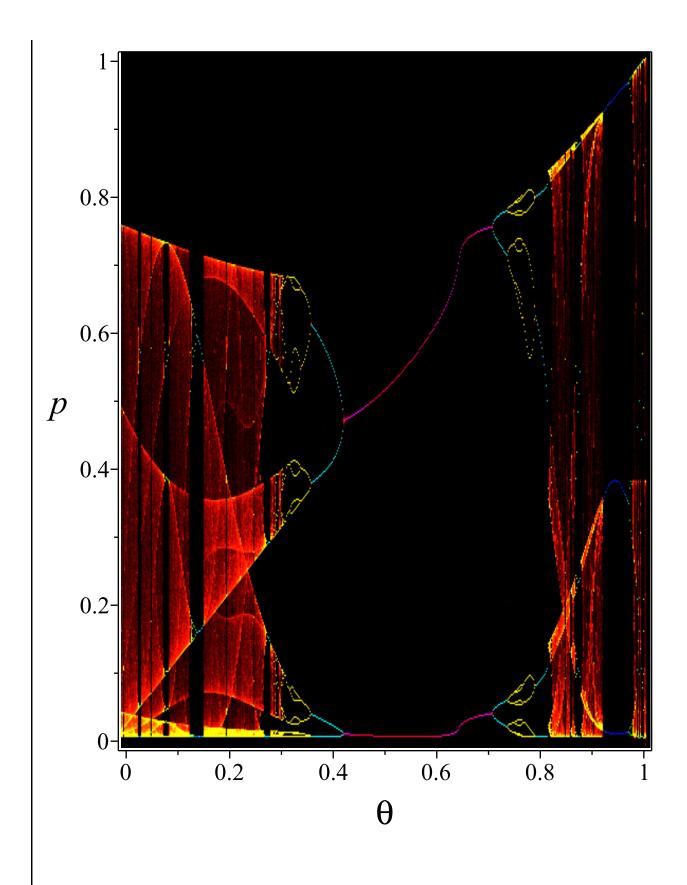


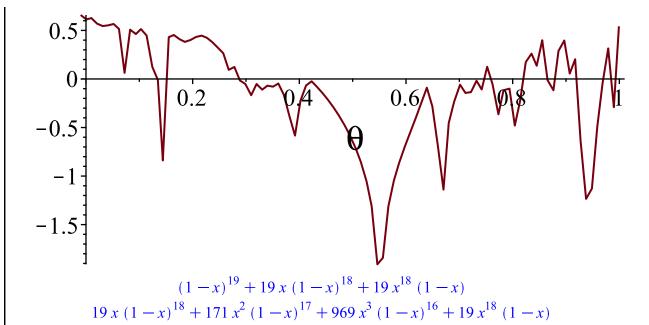


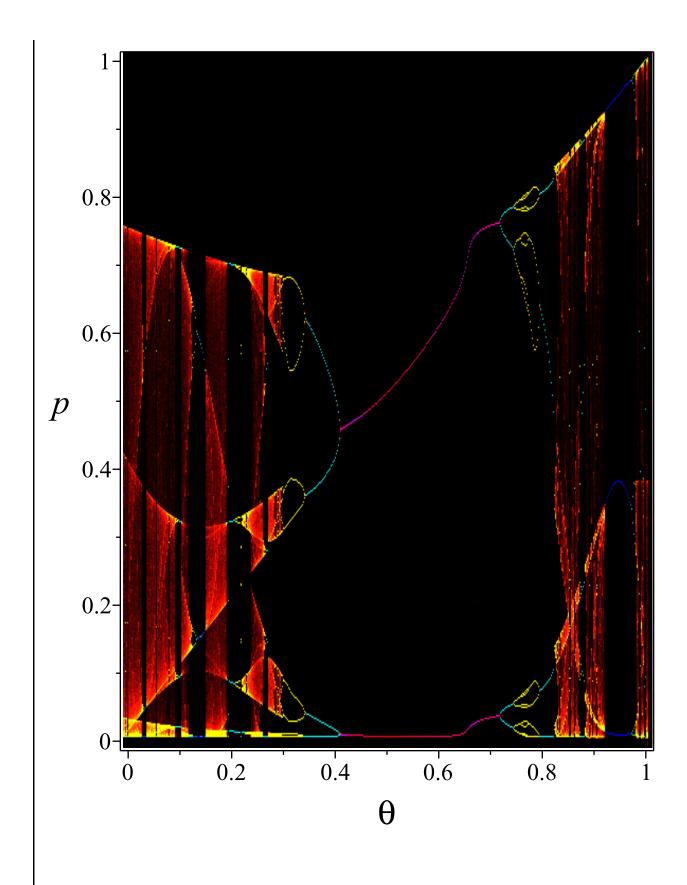


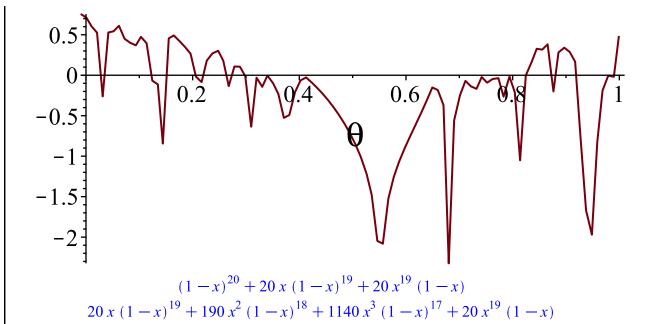


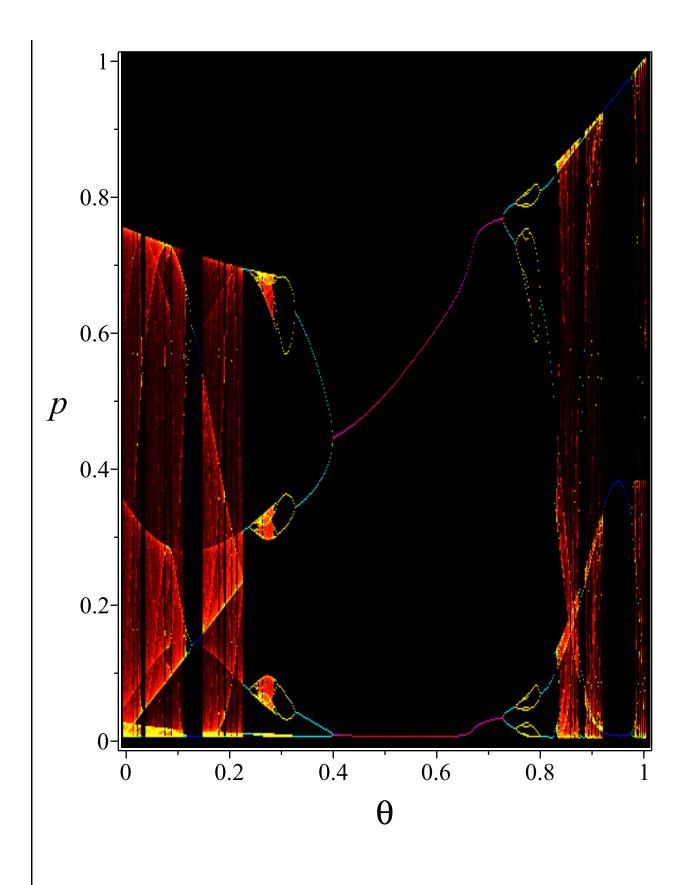


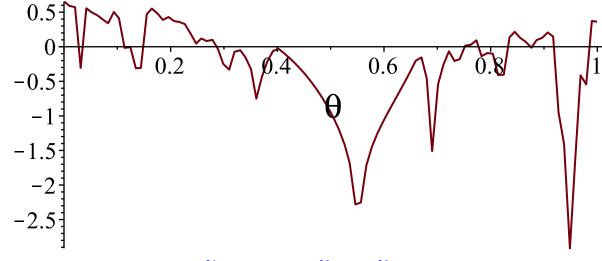












$$(1-x)^{21} + 21 x (1-x)^{20} + 21 x^{20} (1-x)$$

21 x (1-x)²⁰ + 210 x² (1-x)¹⁹ + 1330 x³ (1-x)¹⁸ + 21 x²⁰ (1-x)

