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# Scheduling

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מערכות הפעלה תרגול 6

# Exercise 1: CPU utilization

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**Q:** What is the approximate CPU utilization with **three** processes running?

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**Q:** What is the approximate CPU utilization?

**A:** 0.6

**Q:** What is the approximate CPU utilization with **three** processes running?

**A:** At a given moment, the probability that all three processes are blocking on I/O is  $0.6^3$

That means that the CPU utilization is  $1 - 0.6^3$

# Exercise 2: FCFS vs. SJF

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- The following is a list of processes which require scheduling:

$P_A$  – 6 TU (time units)

$P_B$  – 3 TU

$P_C$  – 1 TU

$P_D$  – 7 TU

Determine the turnaround with FCFS and SJF

# Exercise 2: FCFS vs. SJF - Solution

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- FCFS: (6,3,1,7)  $\rightarrow 6+9+10+17=42$  TU
- SJF: (1,3,6,7)  $\rightarrow 1+4+10+17=32$  TU

# Exercise 3: HRRN

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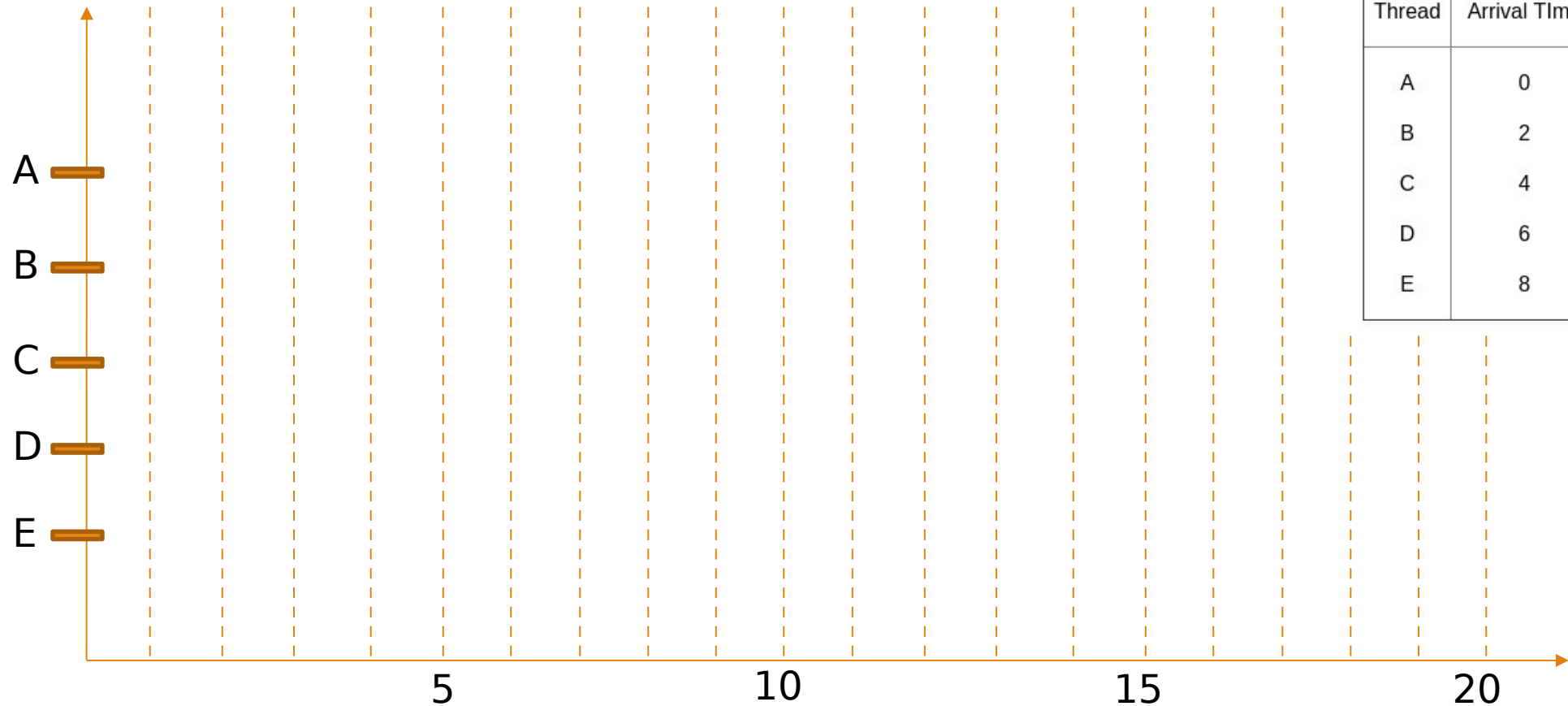
What is the order of the processes running?

Thread	Arrival Time	CPU Burst Length
A	0	3
B	2	6
C	4	4
D	6	5
E	8	2

$$Priority = \frac{waiting\ time + estimated\ run\ time}{estimated\ run\ time} = 1 + \frac{waiting\ time}{estimated\ run\ time}$$

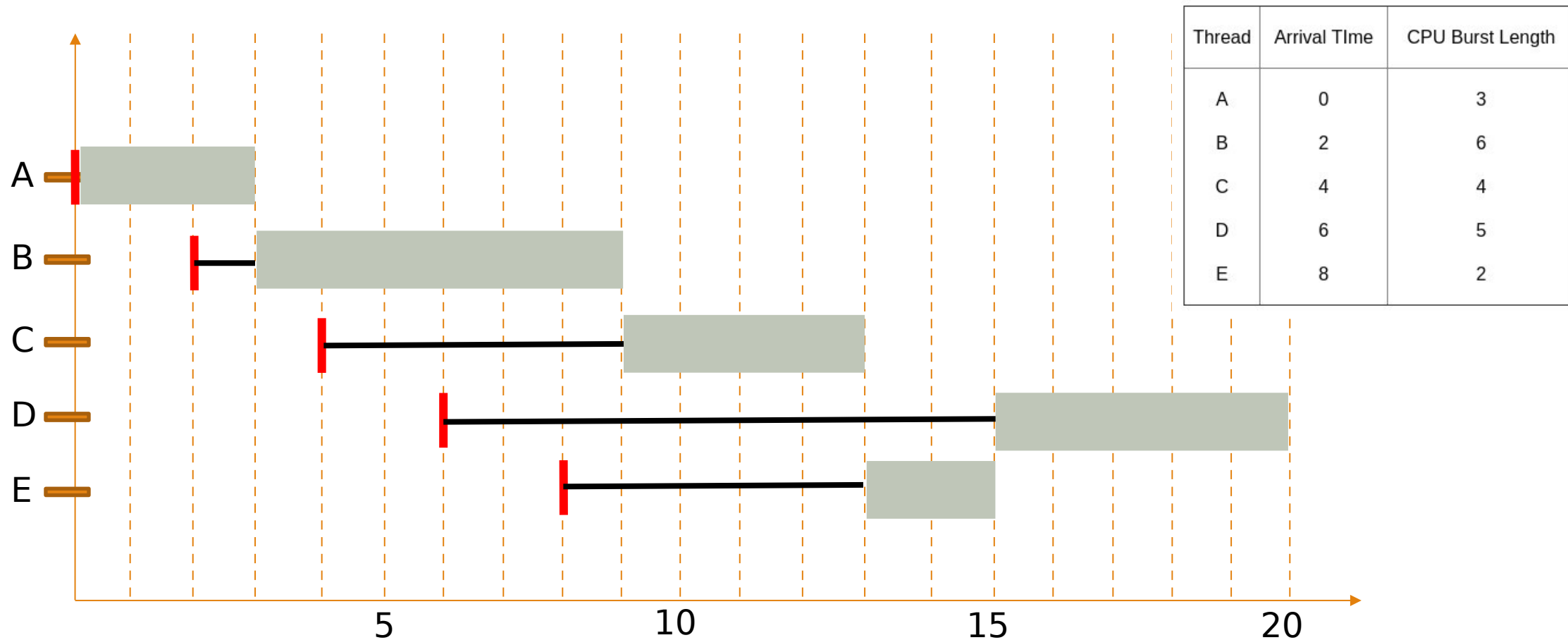


# Exercise 3: HRRN - Solution



Thread	Arrival Time	CPU Burst Length
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# Exercise 3: HRRN - Solution



# Exercise 4: Round Robin

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- The following is a list of processes which require scheduling:
  - $P_A$  – 6 TU (time units)
  - $P_B$  – 3 TU
  - $P_C$  – 1 TU
  - $P_D$  – 7 TU
- What is the optimal quanta size when scheduling with RR to achieve **minimal average turnaround time**? (assume 0 cost context switches, and that all processes are in the 'ready' queue)

# Exercise 4: Round Robin

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$$P_A=6, P_B=3, P_C=1, P_D=7$$

Quanta

17	16	15	14	13	12	11	10	9	8	7	6	5	4	3	2	1

Quanta=1:

Quanta=2:

Quanta=3:

Quanta=4:

Quanta=5:

Quanta=6:

Quanta=7:

# Exercise 4: Round Robin - Solution

$$P_A=6, P_B=3, P_C=1, P_D=7$$

Quanta  $15+9+3+17=44 /4=11$

17	16 <sup>=1</sup>	15	14	13	12	11	10	9	8	7	6	5	4	3	2	1
D	D	A	D	A	D	A	D	B	A	D	B	A	D	C	B	A

Quanta  $14+10+5+17=46 /4=11.5$

17	16 <sup>=2</sup>	15	14	13	12	11	10	9	8	7	6	5	4	3	2	1
D	D	D	A	A	D	D	B	A	A	D	D	C	B	B	A	A

Quanta=3:  $13+6+7+17=43 /4=10.75$

Quanta=4:  $14+7+8+17=46 /4=11.5$

Quanta=5:  $15+8+9+17=49 /4=12.25$

Quanta=6,7:  $6+9+10+17=42 /4=10.5$

# Exercise 5: Preemptive Dynamic Priorities

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(Taken from Silberschatz, 5-9)

- Consider the following preemptive priority scheduling algorithm
  - Larger numbers imply higher priority
  - The initial priority of every process is 0
  - When a process is waiting for the CPU in the ready Q, its priority changes at rate  $\alpha$ ; when it is running, its priority changes at rate  $\beta$ .
  - $\alpha$  and  $\beta$  can be set

# Exercise 5: Preemptive Dynamic Priorities

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What is the best ratio between and ?

Consider the following example:  $P_1$ ,  $P_2$ ,  $P_3$  arrive one after the other and last for 3 TU

9	8	7	6	5	4	3	2	1	
								0	P1
							0		P2
						0			P3

# Exercise 5: Example

What is the algorithm that results from  $\beta > \alpha > 0$ ?

Consider the following example:  $P_1, P_2, P_3$  arrive one after the other and last for 3 TU

Let  $\alpha = 1, \beta = 2$

9	8	7	6	5	4	3	2	1	
						4	2	0	P1
			6	4	2	1	0		P2
8	6	4	3	2	1	0			P3

The resulting schedule is a non-preemptive **FCFS**



# Exercise 5: Example

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- What is the algorithm that results from  $\alpha < \beta < 0$ ?

Consider an identical example as before, but now  $\alpha=-2$ ,  $\beta=-1$

9	8	7	6	5	4	3	2	1	
14-	13-	11-	9-	7-	5-	3-	1-	0	P1
		8-	7-	5-	3-	1-	0		P2
				2-	1-	0			P3

The resulting schedule is **LIFO**

# Exercise 6: Multilevel queue

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- The following is a list of processes which require scheduling:

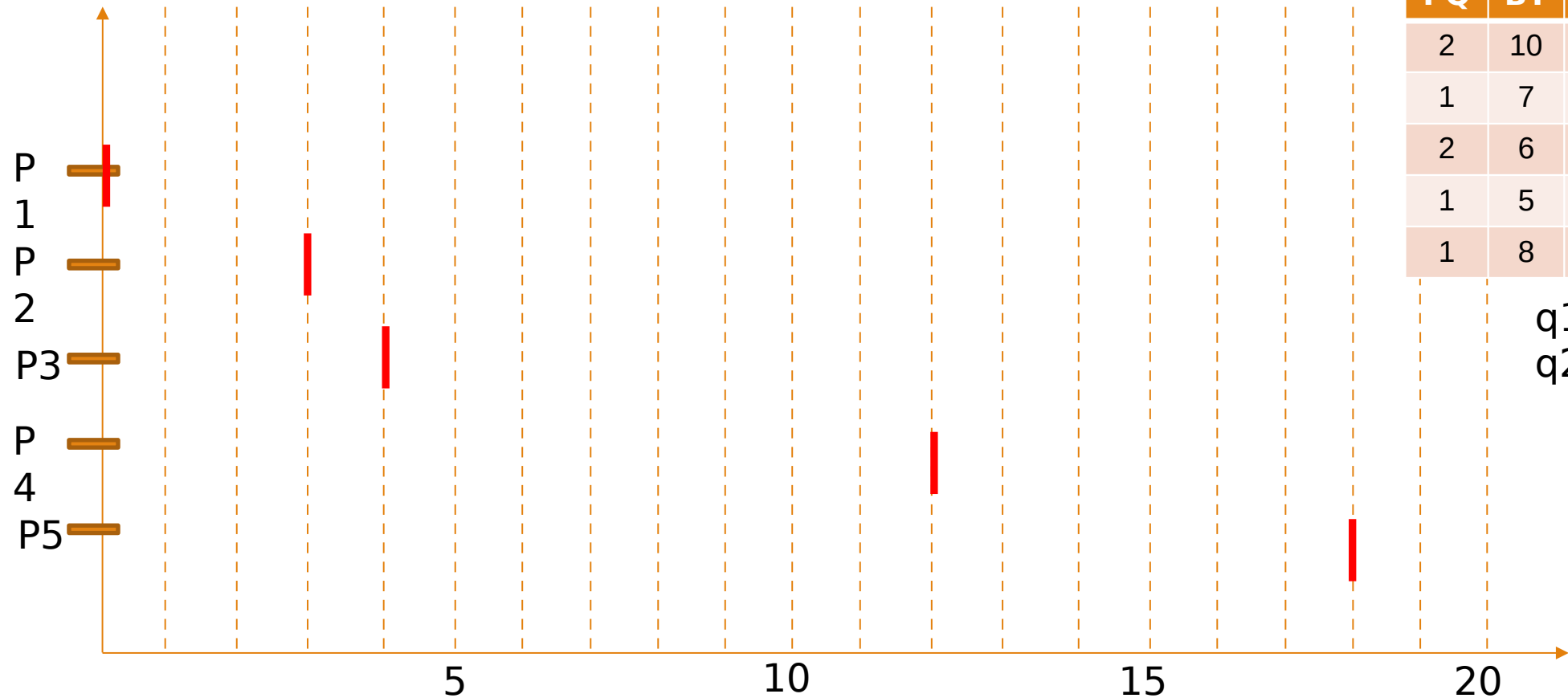
PQ	BT	AT	
2	10	0	P1
1	7	3	P2
2	6	4	P3
1	5	12	P4
1	8	18	p5

AT – Arrival time

BT – Burst (working) time

- Both queues use RR scheduling with:
  - Priority q 1: quanta=4
  - Priority q 2: quanta=3
- What is the turnaround avg such that q1 has higher priority over q2?

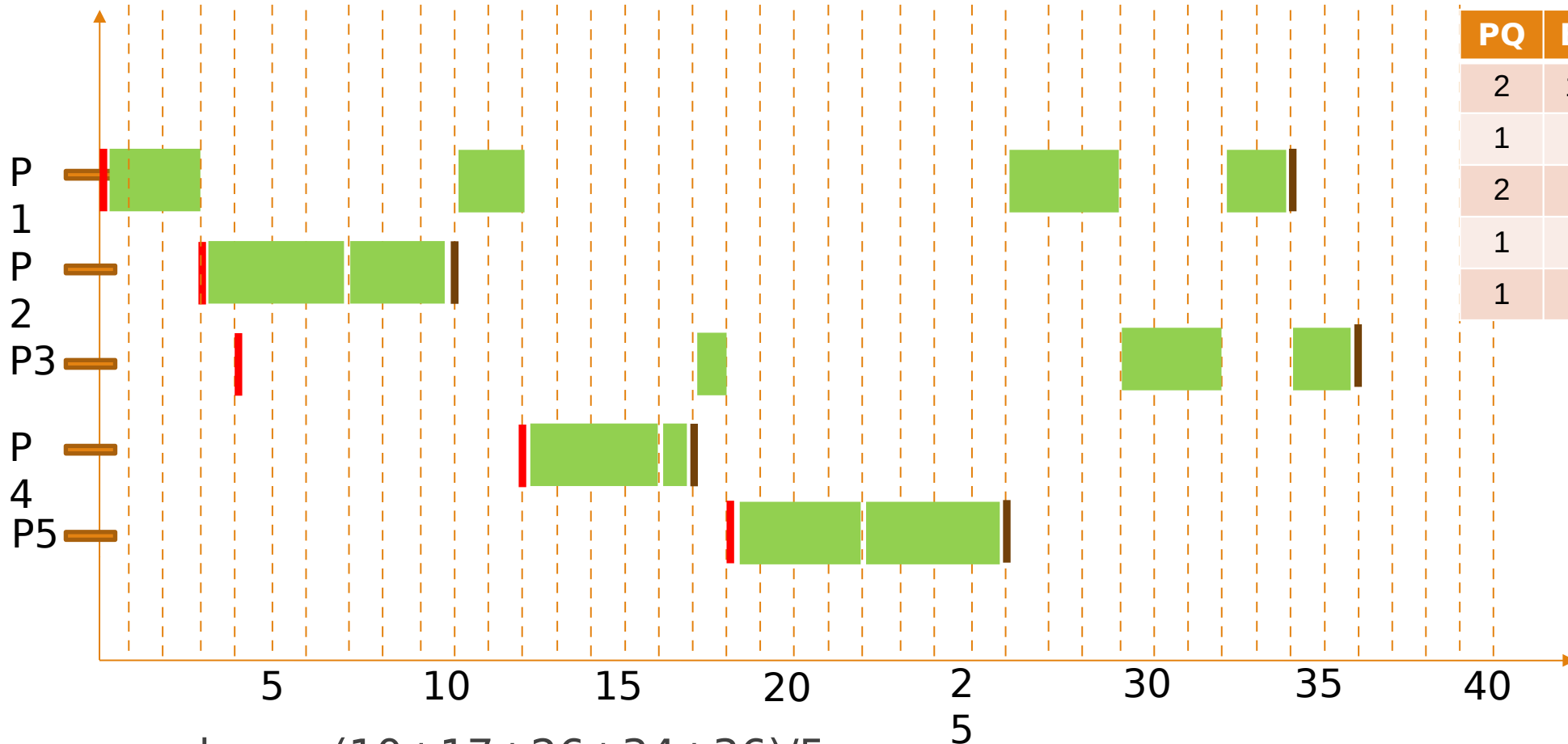
# Exercise 6: Multilevel queue



PQ	BT	AT	
2	10	0	P1
1	7	3	P2
2	6	4	P3
1	5	12	P4
1	8	18	p5

q1: quanta=4  
q2: quanta=3

# Exercise 6: Multilevel queue - solution



PQ	BT	AT	
2	10	0	P1
1	7	3	P2
2	6	4	P3
1	5	12	P4
1	8	18	p5

q1: quanta=4  
q2: quanta=3

Turnaround avg:  $(10+17+26+34+36)/5$

# Exercise 7: Guaranteed Scheduling

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- What is the running order of the next processes by guaranteed priority?

Ratio (BT/ Period)	Period (AT/n)	BT	AT	
		8	2	P1
		6	4	P2
		10	6	P3
		4	8	P4

# Exercise 7: Guaranteed Scheduling

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- What is the running order of the next processes by guaranteed priority?

Ratio (BT/ Period)	Period (AT/n)	BT	AT	
16	0.5	8	2	P1
6	1	6	4	P2
6.7	1.5	10	6	P3
2	2	4	8	P4

Order: P4,P2,P3,P1