

1.

i)

Number of comparisons:  $(n-1)+(n-2)+(n-3) + \dots + 3 + 2 + 1$  which can be simplified into by using the formula for the sum of the first  $n$  natural numbers. Which is  $n(n-1)/2 = O(n^2)$ .

ii)

Number of swaps: In each comparison there is a 50% chance to swap so we take the  $n(n-1)/2$  and divide by 2 making  $n(n-1)/4$  which is  $O(n^2)$ .

4.

This is what we expected, as both graphs represented a quadratic curve. Also, the swap graph seemed to be shifted down by a half when compared to the comparisons graph. Which is what we expected, as the swap equation is just the comparisons' equation but divided by 2.

