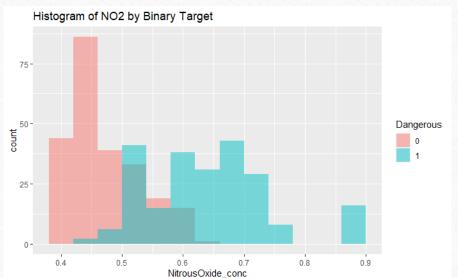
DATA 621 HW3

Keeno Glanville

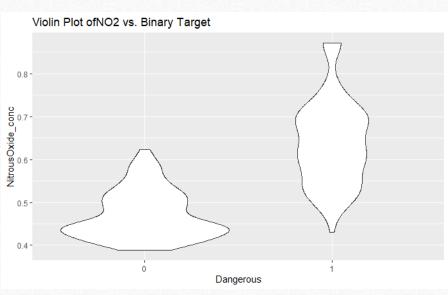
DATA EXPLORATION

I first explored the data through applying a point biserial correlation to the target variable. With this I was able to deduce the most influential variables on our measured outcomes. We then plot the most influential variable which was Nitrous Oxide Concentration. This was quite surprising.

Histogram



Violin Plot



Residential_zone_Large Industrial_zone NitrousOxide_conc Rooms_avg OwnerOccupiedUnits dis_to_emplyoymentcenter tax ptratic -0.4316818 0.6048507 0.7261062 -0.1525533 0.6301062 -0.6186731 0.6111133 0.2508488

[1,] 0.469127 -0.2705507

DATA PREPARATION

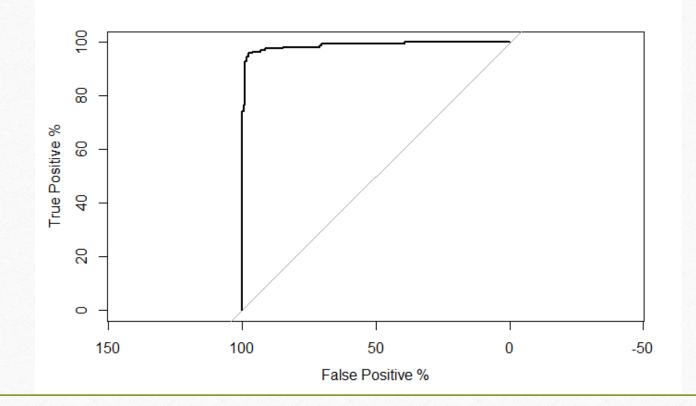
Preparing the data was quite simple. It involved really renaming the columns to fit my understanding as well as correctly labelling each column with its type (factor, numerical, etc.)

ATA PREPARATION	Residential_zone_Large	Industrial_zone	Charles_River_border	NitrousOxide_conc	Rooms_avg	OwnerOccupiedUnits **	dis_to_emplyoymentcenter	Highway_Index ta	k ptra	ratio Is	stat me	edv Dangero
```{r}	1 (	0.0 19.58	0	0.6050	7.929	96.2	2.0459	5	403	14.7	3.70	50.0 1
<pre>train'&lt;- trainraw%&gt;%   rename(Residential_zone_Large = zn)%&gt;%   rename(Industrial_zone = indus )%&gt;%   rename(Charles_River_border = chas)%&gt;%   rename(NitrousOxide_conc = nox)%&gt;%   rename(OxenoccupiedUnits= age)%&gt;%   rename(OxenoccupiedUnits= age)%&gt;%   rename(Highway_Index = rad)%&gt;%   rename(Dangerous = target)%&gt;%   mutate(Charles_River_border= factor(Charles_River_border))%&gt;%   mutate(Highway_Index= factor(Highway_Index))%&gt;%   mutate(Dangerous= factor(Dangerous))  test &lt;- testraw%&gt;%   rename(Residential_zone_Large = zn)%&gt;%   rename(Industrial_zone = indus )%&gt;%   rename(Charles_River_border = chas)%&gt;%   rename(NitrousOxide_conc = nox)%&gt;%   rename(OxenoccupiedUnits= age)%&gt;%   rename(OxenoccupiedUnits= age)%&gt;%   rename(Highway_Index = rad )%&gt;%   rename(dis_to_emplyoymentcenter=dis)%&gt;%   mutate(Charles_River_border= factor(Charles_River_border))%&gt;%   mutate(Charles_River_border= factor(Charles_River_border))%&gt;%   mutate(Charles_River_border= factor(Charles_River_border))%&gt;%   mutate(Highway_Index= factor(Highway_Index))</pre>	2	0.0 19.58	1	0.8710	5.403	100.0	1.3216	5	403	14.7	26.82	13.4 1
	3 (	0.0 18.10	0	0.7400	6.485	100.0	1.9784	24	666	20.2	18.85	15.4 1
	4 30	0.0 4.93	0	0.4280	6.393	7.8	7.0355	6	300	16.6	5.19	23.7 0
	5 (	0.0 2.46	0	0.4880	7.155	92.2	2.7006	3	193	17.8	4.82	37.9 0
	6	0.0 8.56	0	0.5200	6.781	71.3	2.8561	5	384	20.9	7.67	26.5 0
	7	0.0 18.10	0	0.6930	5.453	100.0	1.4896	24	666	20.2	30.59	5.0 1
	8	0.0 18.10	0	0.6930	4.519	100.0	1.6582	24	666	20.2	36.98	7.0 1
	9	0.0 5.19	0	0.5150	6.316	38.1	6.4584	5	224	20.2	5.68	22.2 0
	10 80	0.0 3.64	0	0.3920	5.876	19.1	9.2203	1	315	16.4	9.25	20.9 0
	11 22	2.0 5.86	0	0.4310	6.438	8.9	7.3967	7	330	19.1	3.59	24.8 0
	12	0.0 12.83	0	0.4370	6.286	45.0	4,5026	5	398	18.7	8.94	21.4 0
	13	0.0 18.10	0	0.5320	7.061	77.0	3,4106	24	666	20.2	7.01	25.0 1
	14 22	2.0 5.86	0	0.4310	8.259	8.4	8.9067	7	330	19.1	3.54	42.8 1
	15	0.0 2.46	0	0.4880	6.153	68.8	3.2797	3	193	17.8	13.15	29.6 0
	16	0.0 2.18	0	0.4580	6.430	58.7	6.0622	3	222	18.7	5.21	28.7 0
	17 100		0	0.4110		40.5			256	15.1	3.95	31.6 0
		0.0 3.97		0.6470	5.560	62.8			264	13.0	10.45	22.8 1
		0.0 18.10		0.6790	5.896	95.4			666	20.2	24.39	8.3 1
		0.0 18.10		0.6710		99.1			666	20.2	21.08	10.9 1
		0.0 3.24		0.4600	6.144	32.2			430	16.9	9.09	19.8 0
		0.0 6.20		0.5070	6.726	66.5			307	17.4	8.05	29.0 1
		0.0 2.89		0.4450	7,416	62.5			276	18.0	6.19	33.2 0
		3.0 2.31		0.5380	6,575	65.2			296	15.3	4.98	24.0 0
		0.0 9.90		0.5440	6,382	67.2			304	18.4	10.36	23.1 1

### MODEL BUILDING

The model utilized was a logistic regression which proved to initially show an overfit to the data. This could be due to the insufficient observations within the dataset. The regression was initially done factoring all variables, then removal of categorical variables, finally a scaled and one-hot encoding model.

Confusion Matrix and Statistics Reference Prediction 0 1 0 75 1 Accuracy: 0.9643 95% CI: (0.9186, 0.9883) No Information Rate: 0.5643 P-Value [Acc > NIR] : <2e-16 Kappa: 0.9278 Mcnemar's Test P-Value: 0.3711 Sensitivity: 0.9494 Specificity: 0.9836 Pos Pred Value: 0.9868 Neg Pred Value: 0.9375 Prevalence: 0.5643 Detection Rate: 0.5357 Detection Prevalence: 0.5429 Balanced Accuracy: 0.9665 'Positive' Class: 0



# SELECTING MODEL

Confusion Matrix and Statistics

Reference Prediction 0 1 0 71 1 1 8 60

> Accuracy: 0.9357 95% CI: (0.8815, 0.9702)

No Information Rate : 0.5643 P-Value [Acc > NIR] : <2e-16

Карра : 0.871

Mcnemar's Test P-Value : 0.0455

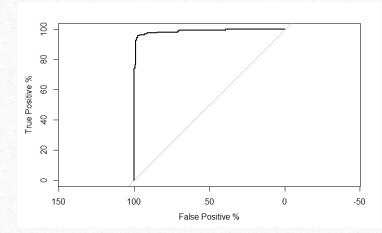
Sensitivity: 0.8987 Specificity: 0.9836 Pos Pred Value: 0.9861 Neg Pred Value: 0.8824 Prevalence: 0.5643 Detection Rate: 0.5071

Detection Rate : 0.50/1
Detection Prevalence : 0.5143
Balanced Accuracy : 0.9412

'Positive' Class : 0



I wanted to chose a model that was accurate but didn't seem to be overfitted. The way I accomplished this was by scaling the numerical variables and one-hot encoding the categorical variables. The test set provided didn't have values I could use for the prediction ROC and AUC curve so I instead subset the training data.



# Appendix

 $\underline{https://github.com/kglan/MSDS/blob/03829122632aef9e839d0130ffa23c8cf47ea680/DATA621/HW3/HW3.Rmd}$ 

 $\underline{https://github.com/kglan/MSDS/blob/03829122632aef9e839d0130ffa23c8cf47ea680/DATA621/HW3/HW3.pdf}$