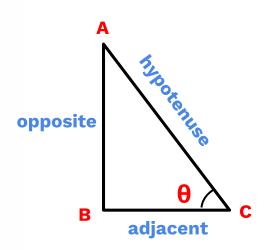
Trigonometry in Piec LIVE daily 3.0

Right angled Triangle

Trigonometry







#### Sameer Chincholikar B.Tech, M.Tech - IIT-Roorkee

- **⊘ 10+** years Teaching experience
- Taught 1 Million+ Students
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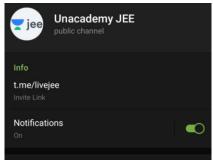


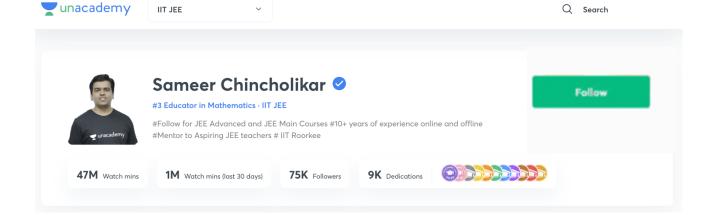




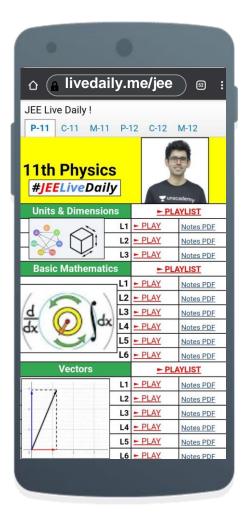












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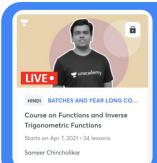


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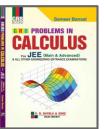






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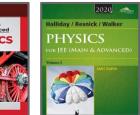


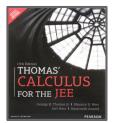














# Top Results T









99.95



Ashwin Prasanth 99.94



**Tanmay Jain** 99.86



Kunal Lalwani 99.81



Utsav Dhanuka 99.75



Aravindan K Sundaram 99.69



**Manas Pandey** 99.69



Mihir Agarwal 99.63



**Akshat Tiwari** 99.60



Sarthak Kalankar 99.59



Vaishnovi Arun 99.58



**Devashish Tripathi** 99.52



Maroof 99.50



**Tarun Gupta** 99.50



Siddharth Kaushik 99.48



Mihir Kothari 99.39



Sahil 99.38



Vaibhav Dhanuka 99.34



**Pratham Kadam** 99.29



Shivam Gupta 99.46



Shrish 99.28



Yash Bhaskar 99.10



99.02



98.85



**Ayush Gupta** 98.67



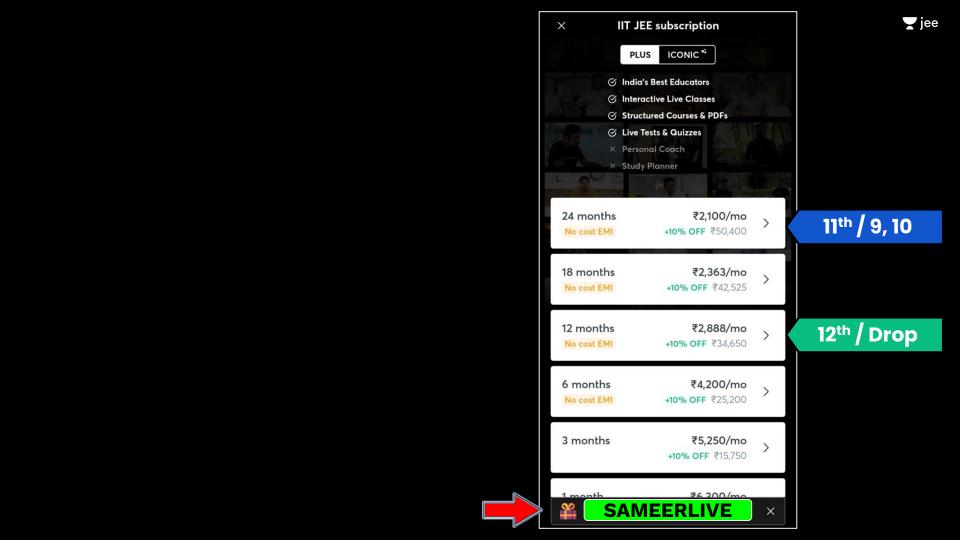
Megh Gupta 98.59



Naman Goyal 98.48



MIHIR PRAJAPATI 98.16



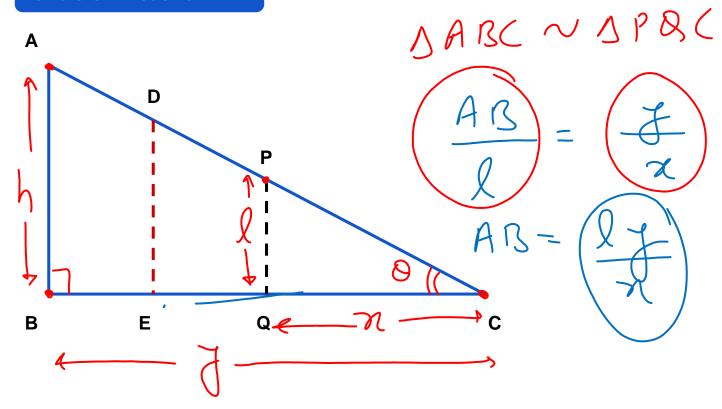


# LET'S BEGIN!!



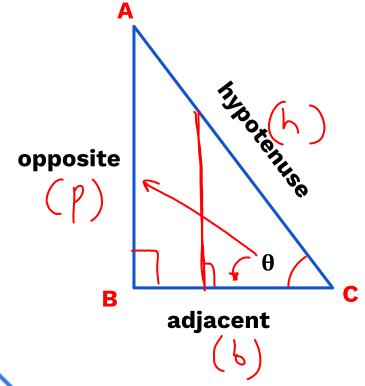


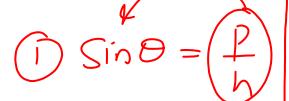
### **Observation**





#### **Observation**





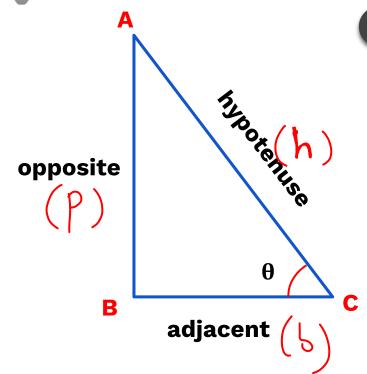
$$2) 650 = 6$$

$$Suco = \frac{h}{b}$$







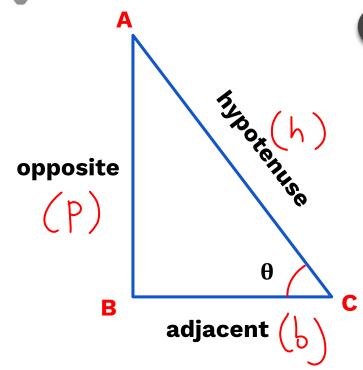


 $\sin^2\theta + \cos^2\theta = 1$ 









 $\tan^2\theta + 1 = \sec^2\theta$ 

$$\frac{p^2 + b^2 = h^2}{\left(\frac{p}{b}\right)^2 + 1 = \left(\frac{h}{b}\right)^2}$$

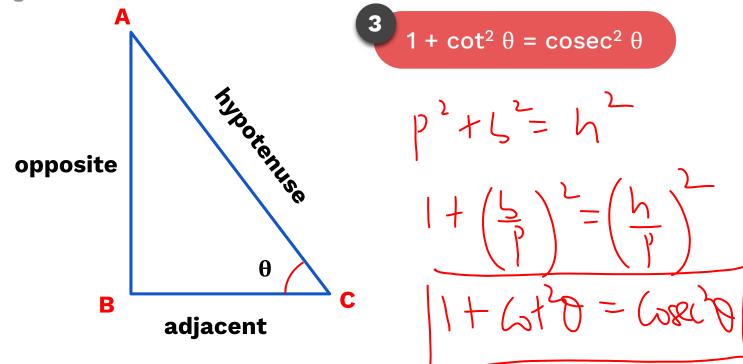
$$\frac{f^2}{f^2} = \frac{h^2}{f^2} = \frac{h^2}{f^2}$$

$$\frac{f^2}{f^2} = \frac{h^2}{f^2} = \frac{h^2}{f^2}$$

$$\frac{f^2}{f^2} = \frac{h^2}{f^2} = \frac{h^2}{f^2}$$



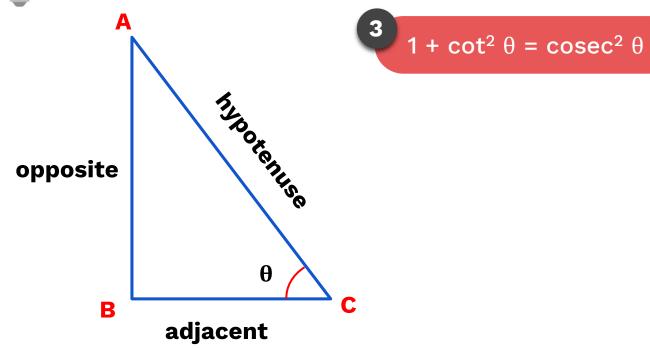
















#### **Important Observations**

#### Reciprocal Identities

$$\cot (\theta) = \frac{1}{\tan \theta}$$

$$2 \qquad \operatorname{cosec}(\theta) = \frac{1}{\sin \theta}$$

$$\sec (\theta) = \frac{1}{\cos \theta}$$







#### **Important Observations**

#### Quotient Identities

$$\tan (\theta) = \frac{\sin \theta}{\cos \theta}$$

$$\cot (\theta) = \frac{\cos \theta}{\sin \theta}$$

Sind = 
$$\frac{1}{h}$$

Gro =  $\frac{1}{h}$ 

Sind =  $\frac{P}{h}$ 

Sind =  $\frac{P}{h}$ 
 $\frac{1}{h}$ 
 $\frac{1}$ 



**T**jee

Simplify: 
$$\frac{\sin \theta}{1 + \cos \theta} = \frac{1 + \cos \theta}{\sin \theta}$$

A. 
$$2 \csc \theta$$

B. 
$$2 \sec \theta$$

C. 
$$-2 \sec \theta$$



**y** jee

Simplify: 
$$\frac{\cos A}{1 - \tan A} + \frac{\sin A}{1 - \cot A}$$

C. 
$$\cos^2 A - \sin^2 A$$



jee

#### The expression $\frac{\tan A}{1-\cot A} + \frac{\cot A}{1-\tan A}$ can be written as:

- sinA cos A + 1

- B. secA cosecA + 1
- **JEE M 2013**
- tanA + cotA D. secA + cosecA

**y** jee

(Jan A-1) (Jan A + Jan A + 1)

(Jan A-1) Jen A

Sec2 A + tom A tem A

Sect A + 1

SCLA 6864+1

**T**jee

Find the value of  $(5 \sin \theta - 3 \cos \theta)$  if  $3\sin\theta + 5\cos\theta = 5$ 

$$\frac{(3\sin\theta + 5\cos\theta)^{2}(5)}{(5\sin\theta - 3\cos\theta)^{2}(m)^{2}} \rightarrow \frac{(3\sin\theta + 2\cos\theta)^{2}(m)^{2}}{(9\cos\theta + 2\cos\theta)^{2}(m)^{2}} \rightarrow \frac{(3\sin\theta + 2\cos\theta)^{2}(m)^{2}}{(3\cos\theta + 2\cos\theta)^{2}(m)^{2}} \rightarrow \frac{(3\sin\theta + 2\cos\theta)^{2}(m)^{2}}{(3\cos\theta + 2\cos\theta)^{2}(m)^{2}} \rightarrow \frac{(3\cos\theta + 2\cos\theta)^{2}(m)^{2}}{(3\cos\theta + 2\cos\theta)^{2}(m)^{2}} \rightarrow \frac{(3\cos\theta + 2\cos\theta)^{2}(m)^{2}}{(3\cos\theta + 2\cos\theta)^{2}} \rightarrow \frac{(3\cos\theta + 2\cos\theta)^{2}}{(3\cos\theta + 2\cos\theta)^{2}} \rightarrow \frac{(3\cos\theta +$$

**y**jee

$$9 + 25 = 25 + m^{2}$$
 $m^{2} = 9$ 
 $m = +3$ 

**T** jee

Simplify: 
$$\frac{\tan A + \sec A - 1}{\tan A - \sec A + 1}$$

$$\frac{\cos A}{1 - \sin A}$$

$$\frac{\cos A}{1 + \sin \Delta}$$

$$B. \quad \frac{1-\sin A}{\cos A}$$

$$\int_{-\infty}^{\infty} \frac{1 + \sin A}{\cos A}$$

jee

Let  $f_k(x) = \frac{1}{L} (\sin^k x + \cos^k x)$  where  $x \in R$  and  $k \ge 1$ . Then

**T** jee

$$F_4(x) - f_6(x)$$
 equals

$$\frac{1}{12}$$

$$\mathbf{c.} \ \frac{1}{6}$$

$$\begin{cases} \{x(x) = \frac{1}{K} (sin^{k}x + cos^{k}x) \} \\ \{y(x) - y(x) = \frac{1}{K} (sin^{k}x + cos^{k}x) - \frac{1}{K} (sin^{k}x + cos^{k}x) \} \\ \{y(x) - y(x) = \frac{1}{K} (sin^{k}x + cos^{k}x) \} \end{cases}$$

$$= \frac{1}{4} \left( \left( \frac{\sin^2 n + (\cos^2 n)^2 - 2 \sin^2 n (\cos^2 n)}{\sin^2 n + (\cos^2 n)^2 - 2 \sin^2 n (\cos^2 n)} \right)$$

$$=\frac{1}{4}\left(\frac{(\sin^2 n + \cos^2 n) - 2\sin^2 n\cos^2 n}{2}\right)$$

$$-\frac{1}{6}((\sin^{2}n+\cos^{2}n)^{2}-3\sin^{2}n\cos^{2}n(\sin^{2}n+\cos^{2}n))$$

$$= \frac{1}{4}\left(1-2\sin^2n\cos^2n\right)-\frac{1}{6}\left(1-3\sin^2n\cos^2n\right)$$

8 - (15)
----------

If  $\tan \theta + \sec \theta = 1.5$ , find  $\sin \theta$ .

A. 
$$\frac{12}{13}$$

**B.** 
$$\frac{5}{13}$$

**c.** 
$$\frac{3}{12}$$

$$=) \sec \theta - \tan \theta = \frac{2}{3}$$

If 
$$\sin^2 x + \sin x = 1$$
  $\Rightarrow$   $\sin x = 1 - \sin^2 x \rightarrow \sin x = \cos^2 x$ 

Then find the value of  $\cos^{12}x + 3\cos^{10}x + 3\cos^{8}x + \cos^{6}x$ 

A.

B. 2

3

D. None of these

Gsn +3605n+3605n+605x

$$(65^2n)^6 + 3(65^2n)^5 + 3(65^2n)^7 + (65^2n)^3$$
  
 $(55^2n)^6 + 3(55^2n)^5 + 3(65^2n)^7 + (65^2n)^3$ 

jee

$$\frac{(\sin^2 x)^3 + 3(\sin^2 x)^3 (\sin^2 x)}{(\sin^2 x)^3 + 3(\sin^2 x)^3 (\sin^2 x)} + 3(\sin^2 x)^3 +$$

If 
$$\sin^2\theta + \sin\theta = 1$$
, Then, find the value of  $\tan^4\theta - \tan^2\theta$ 

- A.  $2\sin\theta 1$
- C.  $\sin \theta 1$

$$\sin^2\theta - \cos^2\theta$$

D. None of these

$$Sin\theta + Sin\theta = 1$$

$$Sin\theta = Los\theta$$

🔀 jee

Now1 Cos40 - Cos20



# **T-Ratios of Standard Angles**

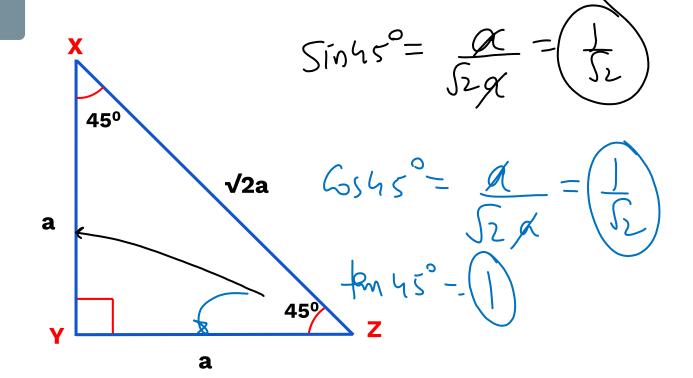






## T-Ratios of standard angles:

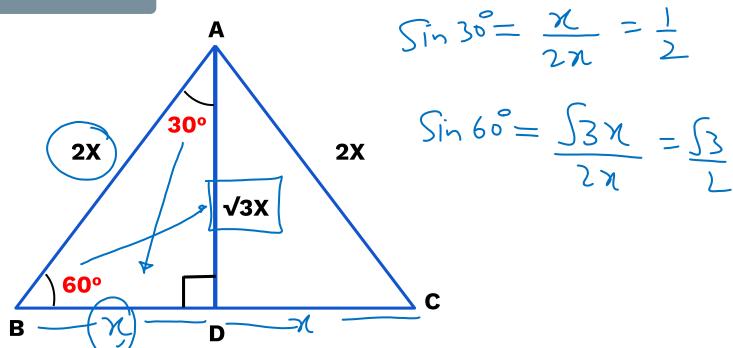
1 450





#### **T-Ratios of standard angles:**

<sup>2</sup> 30° and 60°

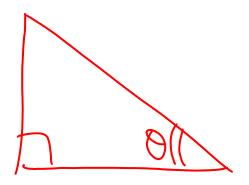






# T-Ratios of standard angles:

<sup>3</sup> 0° and 90°







# T-Ratios of standard angles: Summary

	0°	30°	45°	60°	90°
sin θ	0	$\frac{1}{2}$	$\sqrt{\frac{1}{\sqrt{2}}}$	$\frac{\sqrt{3}}{2}$	1
$\cos \theta$	1	$\frac{\sqrt{3}}{2}$	$\sqrt{\frac{1}{\sqrt{2}}}$	$\frac{1}{2}$	0
tan θ	0	$\frac{1}{\sqrt{3}}$	1	$\sqrt{3}$	Not defined
cosec θ	Not defined	2	$\sqrt{2}$	$\frac{2}{\sqrt{3}}$	1
sec θ	1	$\frac{2}{\sqrt{3}}$	$\sqrt{2}$	2	Not defined
cot θ	Not defined	$\sqrt{3}$	1	$\frac{1}{\sqrt{3}}$	0





#### **Need for extending understanding of Trigonometry**





# #JEELiveDaily Schedule





Namo Sir | Physics

6:00 - 7:30 PM



Ashwani Sir | Chemistry

7:30 - 9:00 PM



Sameer Sir | Maths

9:00 - 10:30 PM

**12**<sup>th</sup>



Jayant Sir | Physics

1:30 - 3:00 PM



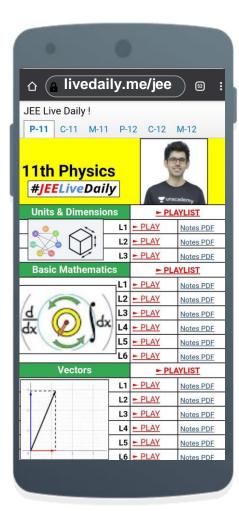
Anupam Sir | Chemistry

3:00 - 4:30 PM



Nishant Sir | Maths

4:30 - 6:00 PM



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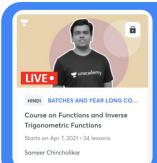


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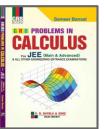






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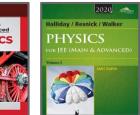


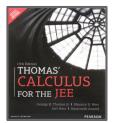














# Top Results T



























Ashwin Prasanth 99.94



Kunal Lalwani 99.81

Utsav Dhanuka 99.75

Sundaram 99.69

**Manas Pandey** 99.69

Mihir Agarwal 99.63

**Akshat Tiwari** 99.60



Sarthak Kalankar 99.59





99.50



















**Devashish Tripathi** 

99.52



**Tarun Gupta** 99.50



Mihir Kothari 99.39

Sahil 99.38

Vaibhav Dhanuka 99.34

**Pratham Kadam** 99.29



Shivam Gupta 99.46



Yash Bhaskar 99.28 99.10





99.02





98.67





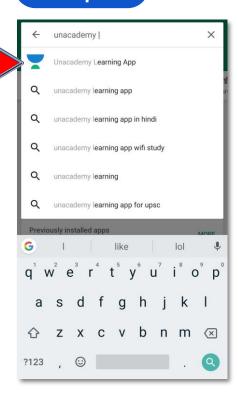
98.59





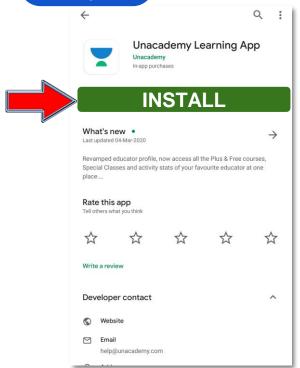
98.16 98.48

#### Step 1



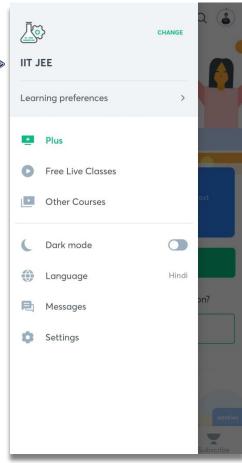
#### Step 2



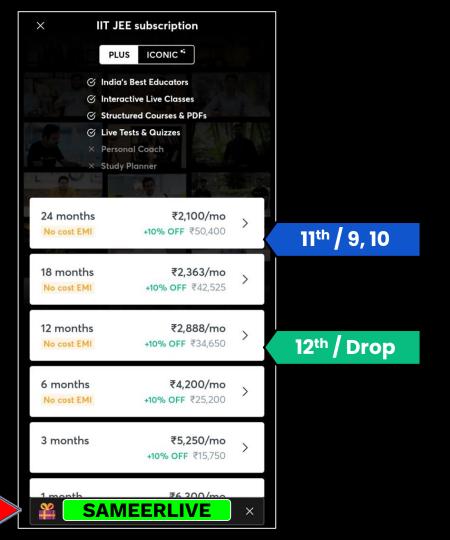
















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