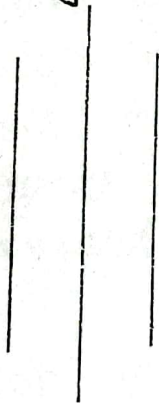


**TRIBHUVAN UNIVERSITY
INSTITUTE OF ENGINEERING
PULCHOWK CAMPUS**

**A LAB REPORT
ON**

Division of two unsigned integers
by restoring methods.



Lab No: 2
Experiments Date:
Submission Date:

Submitted By:

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Submitted To:
Department of
Electronics and
Computer
Engineering

TITLE: Division of two unsigned integer binary numbers

OBJECTIVE:

To implement restoring division algorithm in digital computer.

Theory:

Division of two fixed-point binary numbers in signed magnitude representation is done with paper and pencil by a process of successive compare, shift and subtract operations. Binary division is simpler than decimal division because the quotient digits are either 0 or 1. and there is no need to estimate how many times the dividend or partial remainder fits into the divisor.

When the division is implemented in digital computer, instead of shifting the divisor to the right, the dividend or partial remainder is shifted to the left, thus leaving the two numbers in the required relative position. Subtraction may be achieved by adding A to the 2's complement of B . The information about relative magnitudes is then available from end carry.

- Division can be implemented with restoring algorithm as follows:

Q holds the dividend, M holds the divisor and A register is 0.

On completion, Q will get the Quotient and A will get the remainder.

The number of steps is equal to the number of bits in the dividend.

- 1) At each step left shift the A and Q registers collectively by 1 position.
- 2) Subtract the divisor from A (Perform $A - M$)
- 3) If the result is positive then the step is successful. In this case the quotient bit will be 1 and restoration is not required.
- 4) If the result is negative the step is said to be unsuccessful, quotient bit will be 0.
Here restoration is performed by adding back the divisor.

Repeat steps 1 to 4 for all bits of dividend.

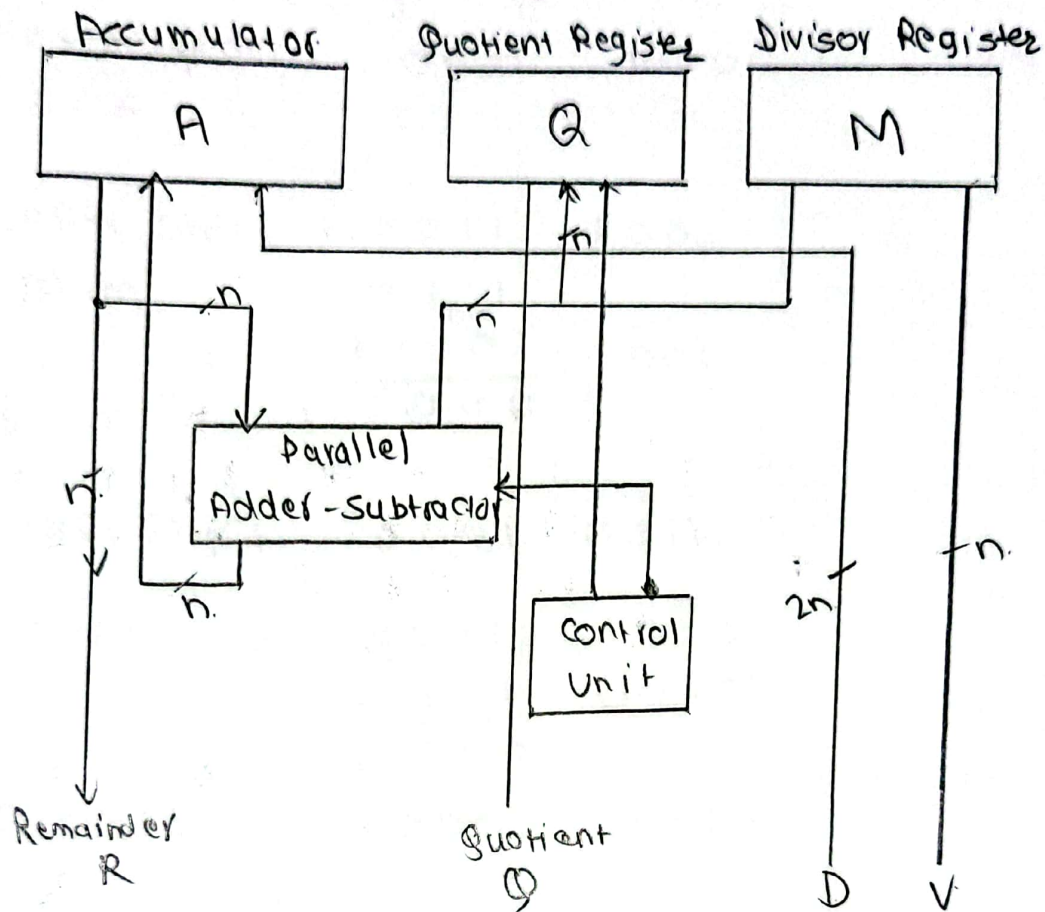


Fig: Hardware implementation of restoring division algorithm

Example. $7 \div 3$: -3: 1101

Initial values Accumulator Dividend Divisor.

0000 0111 0011

∴ left shift
A-M

0000
1101
—
1101

111-

Restoration.

0000

1110.

(2) Left Shift
A-m

$$\begin{array}{r} 0001 \quad 110- \\ 0001 \\ + 1101 \\ \hline 1110 \end{array} \quad 1100$$

Restoration

$$0001 \quad 1100$$

(3) Left Shift
A-m

$$\begin{array}{r} 0011 \quad 100- \\ 0011 \\ + 1101 \\ \hline 0000 \end{array} \quad 1001$$

(4) Left Shift

$$0001 \quad 001-$$

A-m

$$\begin{array}{r} 0001 \\ + 1101 \\ \hline 1110 \end{array} \quad 0010$$

Restoration

$$0001 \quad 0010$$

∴ Quotient = 0010 = 2

Remainder = 0001 = 1

⇒ $7 \div 3 \Rightarrow$ Quotient 2
Remainder 1

Source code:

```
from difference import subtract
```

```
def shift(A, Q):  
    return A[1:] + Q[0], Q[1:] + '_'
```

```
def divide(dividend, divisor, n):  
    A = "".zfill(n)  
    Q = dividend  
    M = divisor
```

```
    for i in range(n):  
        A, Q = shift(A, Q)  
        sub = subtract(A, M, n)  
        if (sub[0] == '1'):  
            Q = Q[:len(Q)-1] + '0'  
        else:  
            A = sub  
            Q = Q[:len(Q)-1] + '1'  
    return Q, A
```

```
def main():  
    n = int(input('Enter the number of bits'))
```

```
    n1 = input('Enter first number: ')  
    n2 = input('Enter second number: ')
```

```
    n1 = n1.zfill(n)  
    n2 = n2.zfill(n)  
    print(divide(n1, n2, n))
```

Output:

Enter the no of bits: 4

Enter the first number: 0111

Enter the second number: 0011

('0010', '0001')

Discussion

Restoring division algorithm is implemented in this lab using python programming language. The division function `restoring()` is provided with dividend, divisor and number of bits. It takes the help of subtract function from previous lab and performs ~~or~~ division and returns quotient and remainder.

Conclusion

To conclude, restoring algorithm can be implemented easily but it is slow due to continuous restores. So non-restoring algorithm makes its entry in division of two numbers.