

1.9 Pixel size of 1st Image -  $0.5 \times 0.5$

Pixel size of 2nd image -  $0.25 \times 0.25$

we see that the pixels in the second image are proportionally smaller in both the dimensions by the same amount and thus we must try to scale the image  $I_1$  about the origin by a factor of two to allow it to align with the ~~second image~~ resolution

so if we have the image  $I_1$  as  $I_1(v)$  we must multiply each pixel by the scaling matrix  $T$  given by

$$\begin{bmatrix} 2 & 0 & 0 \\ 0 & 2 & 0 \\ 0 & 0 & 0 \end{bmatrix}$$

- This is to just match the number of pixels in  $I_2$  with that of  $I_1$ .
- Then we identify the control points in lower resolution image which is  $0.5 \times 0.5$  and then compare it to the corresponding pixels in the ~~higher~~ resolution image viz  $0.25 \times 0.25$  and use affine transformation

- b. Pixel image of 2<sup>nd</sup> image -  $0.25 \times 0.5$   
 Here we must see that pixels in the 1<sup>st</sup> dimension of 2<sup>nd</sup> image is smaller by a factor of 2. Thus we must scale down the first image having  $0.5 \times 0.5$  pixel size to match the no. of pixels in  $0.25 \times 0.5$

pixel image size

we multiply in by matrix

$$T = \begin{bmatrix} 2 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 0 \end{bmatrix}$$

→ Then, as we did in 1<sup>st</sup> part, we identify control points in both the images and use affine transformation