### Group 2

Hervie Emmanuel Adebayo Ayomikun Olaleye Ayomide Ishaq Ramadan Olanipekun Solace

Computation of Runge-Kutta 4th order Differential Equation and Power Function Fit using Least Square Fit using Python Programming Language

# Power Function Fit using Least Square Fit using Python Programming Language.

## Code:

# Compiled with the python 3.9.1 64-bit program

```
import time
import math
import csv
import pandas as pd
```

```
filename = input("Enter name of csv file you want to use: ")
   df = pd.read csv(filename + '.csv')
   print("Our data frame can be displayed below as: ")
   print(df)
   print(df.columns)
   x values = df.Xvalues
   y values = df.Yvalues
   print(x values)
   sum x, sum y, sum x2, sum xy = 0, 0, 0
   n = len(df)
   for i in range(n):
       sum x += math.log10(x values[i])
       sum y += math.log10(y values[i])
       sum_x2 += math.log10(x_values[i]) * math.log10(x_values[i])
       sum xy += math.log10(x values[i]) * math.log10(y values[i])
```

```
print("Total sum of x-values(sum_x):" + str(sum_x))
    print("")
    print("Total sum of y-values(sum_y):" + str(sum_y))
    print("")
    print("Total sum of square of x-values(sum_x2):" + str(sum_x2))
    print("")
    print("Total sum of x and y values(sum xy):" + str(sum xy))
print('')
    denominator = ((n * sum_x^2) - (sum_x * sum_x))
    p = ((n * sum_xy) - (sum_x * sum_y)) / denominator
    a = math.pow(10, c)
print('')
    print("From our algorithm above; ")
    print('a: '+ str(a))
    print('p: '+ str(p))
    print('c: '+ str(c))
    print('')
    print('')
    print("Our output can now be written in the form 'y = ax^p' where ^ =
```

```
******************
\
def no_csv_function():
  n = eval(input("Enter number of data points 'n': "))
  x values = []
  for i in range(n):
     x values.append(eval(input("Enter value x(" + str(i+1) + "): ")))
     y_values.append(eval(input("Enter value y(" + str(i+1) + "): ")))
  sum_x, sum_y, sum_x^2, sum_xy = 0, 0, 0
  for i in range(n):
     sum x += math.log10(x values[i])
     sum_y += math.log10(y_values[i])
     sum_xy += math.log10(x_values[i]) * math.log10(y_values[i])
print("Total sum of x-values(sum x):" + str(sum x))
  print("")
  print("Total sum of y-values(sum y):" + str(sum y))
  print("")
  print("Total sum of square of x-values(sum x2):" + str(sum x2))
  print("")
  print("Total sum of x and y values(sum xy):" + str(sum xy))
print('')
  denominator = ((n * sum_x^2) - (sum_x * sum_x))
  p = ((n * sum_xy) - (sum_x * sum_y)) / denominator
  c = (sum_y - p * sum_x) / n
```

```
a = math.pow(10, c)
 print('')
 print("From our algorithm above; ")
 print('a: '+ str(a))
 print('p: '+ str(p))
 print('c: '+ str(c))
 print('')
print('')
 print("Our output can now be written in the form 'y = ax^p' where ^ =
 print("y = " + str(a) + "x^" + str(p))
print("-----
```

```
no_csv_function()
else:
  print("You entered a wrong value, please try again")
  prompt = eval(input("Enter here: "))
```

## Running the code with examples from and using a csv file named "data.csv", It follows that:

=======================================		==
	Power function fit	
=======================================		==

Welcome, enter '1' to enter your values manually or '2' to read your values from a csv file Our data frame can be displayed below as:

```
Xvalues Yvalues
```

```
1 1200
0
    2 900
1
2
    3 800
3
    4 600
4
    5 400
5
    6 200
6
    7 100
7
        50
    8
        20
Index(['Xvalues', 'Yvalues'], dtype='object')
0 1
1 2
2 3
3 4
4 5
5 6
6 7
7 8
```

Name: Xvalues, dtype: int64

Total sum of x-values(sum_x):5.559763032876794
Total sum of y-values(sum_y):21.61775497985448
Total sum of square of x-values(sum_x2):4.215159407249778
Total sum of x and y values(sum_xy):12.022383523457846
From our algorithm above;
a: 2858.2055240318678
p: -1.7063831771717648
c: 3.4560934542463233
Our output can now be written in the form 'y = $ax^p$ ' where $^ =$ 'raised to a power of' as:

The code can also be run with manually typed examples and we would get the same answer. We import a dataset("csv") for instances where we have to work with very large data.

y = 2858.2055240318678x^-1.7063831771717648

```
______
                       Power function fit
Welcome, enter '1' to enter your values manually or '2' to read your values from a csv fi
Our data frame can be displayed below as:
 Xvalues Yvalues
Θ
            1200
             900
            800
            600
            400
            200
            100
            50
             20
Index(['Xvalues', 'Yvalues'], dtype='object')
Θ
Name: Xvalues, dtype: int64
Total sum of x-values(sum_x):5.559763032876794
Total sum of y-values(sum_y):21.61775497985448
Total sum of square of x-values(sum_x2):4.215159407249778
Total sum of x and y values(sum_xy):12.022383523457846
______
```

```
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Name: Xvalues, dtype: int64
______
Total sum of x-values(sum x):5.559763032876794
Total sum of y-values(sum_y):21.61775497985448
Total sum of square of x-values(sum x2):4.215159407249778
Total sum of x and y values(sum_xy):12.022383523457846
______
From our algorithm above;
a: 2858.2055240318678
p: -1.7063831771717648
c: 3.4560934542463233
______
______
Our output can now be written in the form 'y = ax^p' where ^ = 'raised to a power of' as:
y = 2858.2055240318678x^{-1.7063831771717648}
```

## Runge-kutta 4th order Differential Equation using Python Programming Language.

## Code:

# Compiled with the python 3.9.1 64-bit program

```
import time
import math
import csv
import pandas as pd
```

```
# Defining our running function f(x) as f(x) = xy
def func(a, b):
    return a * b

x_values = []
y_values = []
y_i = 0
```

```
x values.append(eval(input("Enter value x(" + str(i+1) + "): ")))
  y values.append(eval(input("Enter initial value of y 'y1': ")))
  h = eval(input("Enter step-size 'h' of x values: "))
print("------
  print('')
  for i in range(n):
      s1 = func(x values[i], y values[i])
      s2 = func(x values[i] + h/2, y values[i] + (h/2) * s1)
      s3 = func(x values[i] + h/2, y values[i] + (h/2) * s2)
      s4 = func(x values[i] + h, y values[i] + h * s3)
      print('s: ' + str(s))
      time.sleep(.5)
      y values.append(y i)
      print('y('+str(i+1)+'): ' + str(y i))
      print('')
      time.sleep(.5)
  print("Hence for range of values xi to xf, our respective y-values are: ")
  for i in range(n):
      print(y_values[i+1])
```

```
def csv_function():
print("-----
 print("=
                    STARTING INTERPOLATION
 time.sleep(.4)
 filename = input("Enter name of csv file you want to use: ")
 df = pd.read csv(filename + '.csv')
 print("Our data frame can be displayed below as: ")
 print(df)
 print(df.columns)
 h = df.iloc[0,1]
 y values.append(df.iloc[0, 2])
 print(x values, h, y values)
 print(y values[0])
 n = len(df)
 time.sleep(.5)
 print('')
print("-----
 print('')
 for i in range(n):
```

```
s1 = func(x values[i], y values[i])
     s2 = func(x values[i] + h/2, y values[i] + (h/2) * s1)
     s4 = func(x values[i] + h, y values[i] + h * s3)
     s = (s1 + (2 * s2) + (2 * s3) + s4) / 6
     print('s: ' + str(s))
     y_i = y_values[i] + (h * s)
     y values.append(y i)
     print('y('+str(i+1)+'): ' + str(y i))
print('')
     time.sleep(.5)
  print(y i)
  print("Hence for range of values xi to xf, our respective y-values are: ")
  for i in range(n):
     print(y values[i+1])
```

```
print("Welcome, enter '1' to read your values from a csv file or '2' to enter
your values manually or 3 if you have just the initial x-value")
prompt = eval(input("Enter here: "))

if prompt == 1 or prompt == "1":
    csv_function()
elif prompt == 2 or prompt == "2":
    no_csv_function()
else:
    print("You entered a wrong value, please try again")
    prompt = eval(input("Enter here: "))
```

#### Running the code with examples from and using a csv, It follows that:

Welcome, enter '1' to read your values from a csv file or '2' to enter your values manually or 3 if you have just the initial x-value

```
= STARTING INTERPOLATION =
```

\_\_\_\_\_

Our data frame can be displayed below as:

```
xvalues stepsize initial_yvalue
```

```
1.0
         0.1
                  5.0
1
  1.1
       NaN
                  NaN
2
  1.2 NaN
                  NaN
  1.3
       NaN
                   NaN
4 1.4 NaN
                    NaN
  1.5
         NaN
                   NaN
Index(['xvalues', 'stepsize', 'initial_yvalue'], dtype='object')
0 1.0
1 1.1
2 1.2
3 1.3
4 1.4
5 1.5
Name: xvalues, dtype: float64 0.1 [5.0]
5.0
```

\_\_\_\_\_\_

s: 5.53552453125
y(1): 5.5535524531250005
s: 6.768295027056779
y(2): 6.230381955830678
=======================================
s: 8.295639999517478
y(3): 7.0599459557824265
=======================================
s: 10.204190535067632
y(4): 8.08036500928919
s: 12.608520841015228
y(5): 9.341217093390714
s: 15.661220300178604
y(6): 10.907339123408574
10.907339123408574
Hence for range of values xi to xf, our respective y-values are:
5.5535524531250005
6.230381955830678
7.0599459557824265
8.08036500928919
9.341217093390714

10.907339123408574

s: 6./6829502/056//9
y(2): 6.230381955830678
s: 8,295639999517478
y(3): 7.0599459557824265
s: 10.204190535067632
y(4): 8.08036500928919
s: 12.608520841015228
y(5): 9.341217093390714
s: 15.661220300178604
y(6): 10.907339123408574
10.907339123408574
Hence for range of values xi to xf, our respective y-values are:
5.5535524531250005
6.230381955830678
7.0599459557824265
8.08036500928919
9.341217093390714
10.907339123408574