

## Assignment no: 2

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- Q Design a fuzzy control system for Automatic AC temperature controller.



Here, in automatic AC temperature controller system, let the output is given in terms of temperature.

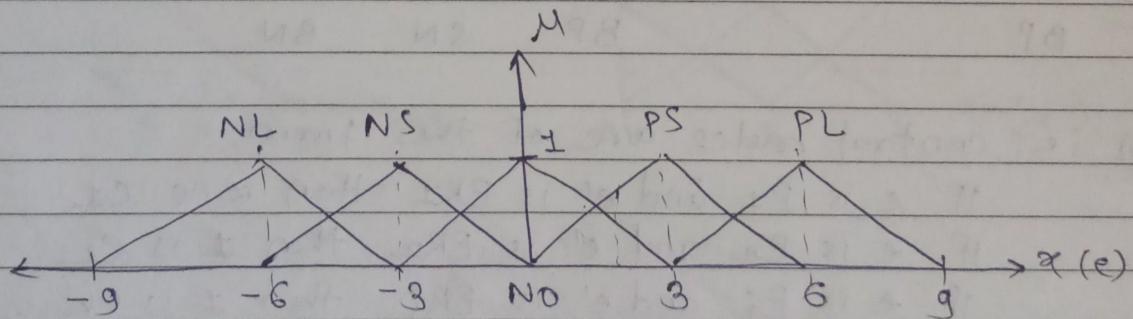
i.e. Input given to controller be

- temperature error ( $e$ )  $\rightarrow$  difference between desired temperature & output temperature.
- temperature error rate ( $e'$ )  $\rightarrow$  difference between desired rate of change of temperature, & actual pressure rate.

Input variables:

- let error ( $e$ ) be defined as 5 linguistic terms:  
labelled  $E_1, E_2, \dots, E_5$ .

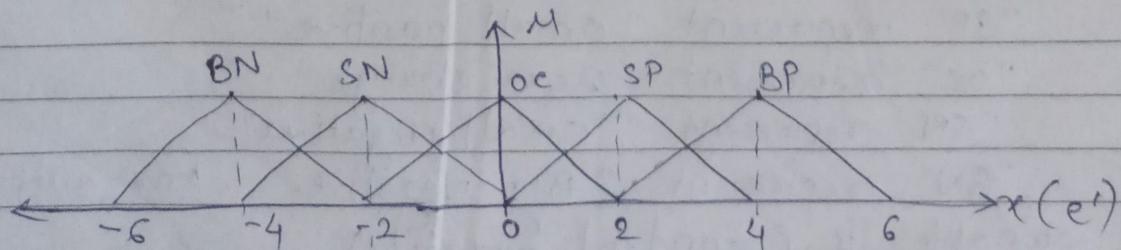
They will conform linguistic variables  $NL, NS, NO, PS, PL$ .



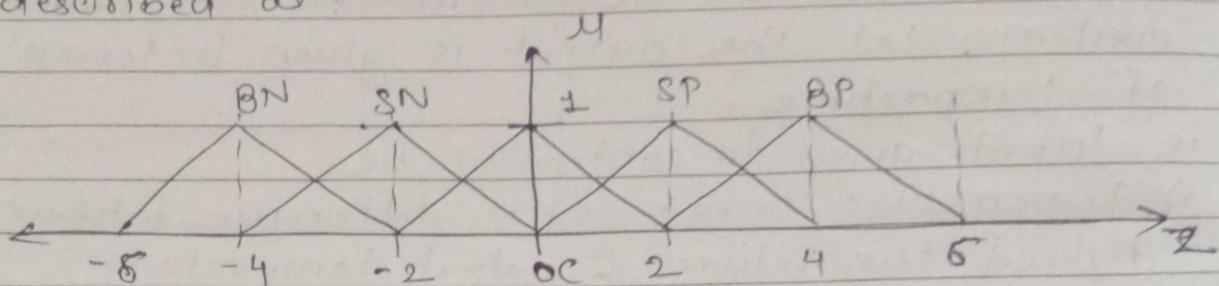
- Let R expressed

- for error rate ( $e'$ ) the gave 5 fuzzy variables labelled  $ER_1, \dots, ER_5$ .

with They will conform linguistic variables  $BN, SN, OC, SP, BP$



iii) The fuzzy output variable control quantity ( $z$ ), will also we 5 fuzzy variables on normalized universe,  $z = \{-5, -4, \dots, +5\}$  described as:



iv) Control rules for the given controller are expressed as:

$E_i$  (error)

$E_{i+1}$	NL	NS	NO	PS	PL
BN	BP	SP	BN	<del>BP</del>	<del>SP</del>
SN	BP	SP	SN	<del>BP</del>	<del>SP</del>
OC	BP	SP	OC	SN	BN
SP			PS	SN	BN
BP			BP	SN	BN

v) i.e. control rules are of the form,

if  $e$  is  $E_1$  and  $e'$  is  $E_{i+1}$  then  $z$  is  $C_1$

if  $e$  is  $E_2$  and  $e'$  is  $E_{i+2}$  then  $z$  is  $C_2$

if  $e$  is  $E_i$  and  $e'$  is  $E_{i+j}$  then  $z$  is  $C_k$ .

e.g. If temperature error ( $e$ ) is "Negative Large" and temperature error rate ( $e'$ ) is "Big Negative (BN)" then temperature change is "Big Positive".

Where the terms "BP" represent "Big positive",

"SP" represent "Small positive"

"OC" represent "Zero change"

"SN" represent "Small Negative"

"BN" represent "Big Negative" for output variable  $z$  (control quantity).

Test case :-

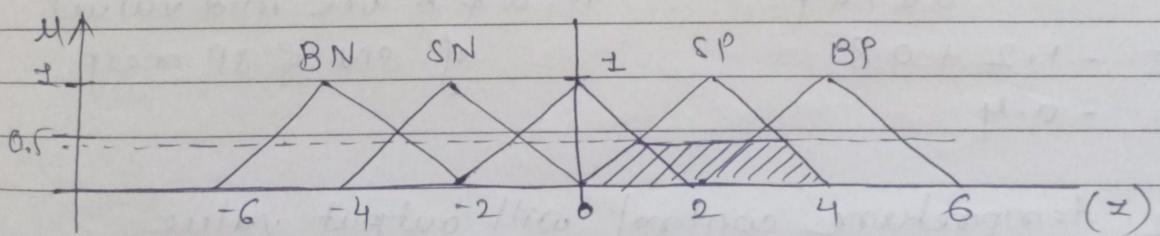
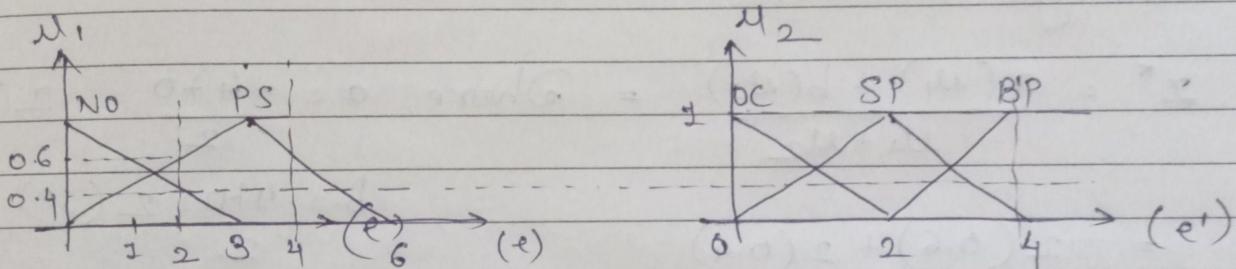
i) If temperature error ( $e$ ) = 2,  
error rate ( $e'$ ) = 2.

→ ii) Converting crisp value to appropriate linguistic terms, then

$$\begin{aligned} \text{Temperature error} &= \left\{ \frac{0.4}{NO}, \frac{0.6}{PS} \right\} \\ \text{error rate} &= \left\{ \frac{\pm}{SP} \right\} \end{aligned}$$

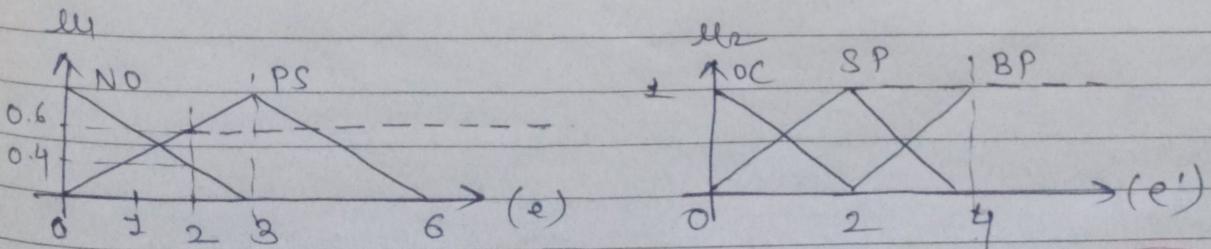
iii) Based on linguistic term and control rules fixed rules shown as :

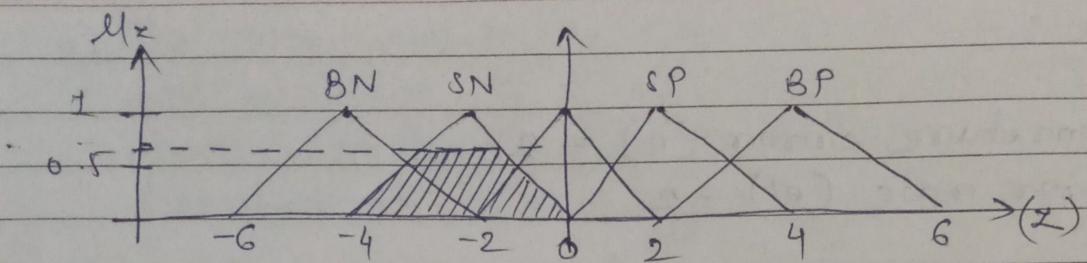
Rule 1] If error  $E$  = "NO" and  $ER$  = "SP"  
then control change = "PS"



$$\therefore \mu(z) = \min(\mu_1, \mu_2) = \min(0.4, 2) = 0.4.$$

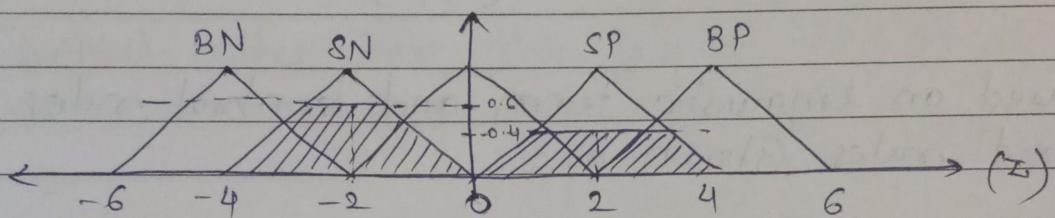
Rule 2] If error  $E$  = "PS" and  $ER$  = "SP"  
then temperature control change = "SN".





$$\therefore u_z = \min(u_1, u_2) = \min(0.6, 1) = 0.6.$$

Hence, overall consequent of PC can be shown as :



Now, applying defuzzification using weighted average method,

$$z^* = \frac{a(u_1) + b(u_2)}{u_1 + u_2} = \text{Where, } a = \frac{-4+0}{2} = -2 (\text{SN})$$

$$b = \frac{4+0}{2} = 2 (\text{SP})$$

$$= \frac{-2(0.6) + 2(0.4)}{0.6 + 0.4} \quad \text{ie. } a \text{ & } b \text{ are mid values}$$

$$= \frac{-1.2 + 0.8}{0.6 + 0.4} \quad \text{of SN & SP resp.}$$

$$z^* = -0.4.$$

Hence, temperature control will output value  
at  $-0.4^\circ\text{E}$ .